



This is a digital copy of a book that was preserved for generations on library shelves before it was carefully scanned by Google as part of a project to make the world's books discoverable online.

It has survived long enough for the copyright to expire and the book to enter the public domain. A public domain book is one that was never subject to copyright or whose legal copyright term has expired. Whether a book is in the public domain may vary country to country. Public domain books are our gateways to the past, representing a wealth of history, culture and knowledge that's often difficult to discover.

Marks, notations and other marginalia present in the original volume will appear in this file - a reminder of this book's long journey from the publisher to a library and finally to you.

### Usage guidelines

Google is proud to partner with libraries to digitize public domain materials and make them widely accessible. Public domain books belong to the public and we are merely their custodians. Nevertheless, this work is expensive, so in order to keep providing this resource, we have taken steps to prevent abuse by commercial parties, including placing technical restrictions on automated querying.

We also ask that you:

- + *Make non-commercial use of the files* We designed Google Book Search for use by individuals, and we request that you use these files for personal, non-commercial purposes.
- + *Refrain from automated querying* Do not send automated queries of any sort to Google's system: If you are conducting research on machine translation, optical character recognition or other areas where access to a large amount of text is helpful, please contact us. We encourage the use of public domain materials for these purposes and may be able to help.
- + *Maintain attribution* The Google "watermark" you see on each file is essential for informing people about this project and helping them find additional materials through Google Book Search. Please do not remove it.
- + *Keep it legal* Whatever your use, remember that you are responsible for ensuring that what you are doing is legal. Do not assume that just because we believe a book is in the public domain for users in the United States, that the work is also in the public domain for users in other countries. Whether a book is still in copyright varies from country to country, and we can't offer guidance on whether any specific use of any specific book is allowed. Please do not assume that a book's appearance in Google Book Search means it can be used in any manner anywhere in the world. Copyright infringement liability can be quite severe.

### About Google Book Search

Google's mission is to organize the world's information and to make it universally accessible and useful. Google Book Search helps readers discover the world's books while helping authors and publishers reach new audiences. You can search through the full text of this book on the web at <http://books.google.com/>



PRINTED BY  
SPOTTISWOODE AND CO., NEW-STREET SQUARE  
LONDON

A. FALKENAU,

# ELECTRICAL ENGINEERING

*FOR ELECTRIC LIGHT ARTIZANS  
AND STUDENTS*

(EMBRACING THOSE BRANCHES PRESCRIBED IN THE SYLLABUS  
ISSUED BY THE CITY AND GUILDS TECHNICAL INSTITUTE)

BY

W. SLINGO

PRINCIPAL OF THE TELEGRAPHISTS' SCHOOL OF SCIENCE  
DIRECTOR OF THE ELECTRICAL ENGINEERING SECTION, PEOPLE'S PALACE, LONDON

AND

A. BROOKER

INSTRUCTOR IN ELECTRICAL ENGINEERING AT THE TELEGRAPHISTS' SCHOOL OF  
SCIENCE AND AT THE PEOPLE'S PALACE, LONDON

With 307 Illustrations

*NEW EDITION*

LONDON  
LONGMANS, GREEN, AND CO.  
AND NEW YORK: 15 EAST 16<sup>th</sup> STREET

1890

*All rights reserved*



ASTOR, LENOX AND  
TILDEN FOUNDATIONS.  
R 1911 L

BY W. C. C.  
J. B. C.  
W. C. C.



## **ELECTRICAL ENGINEERING**

**THE NEW YORK  
PUBLIC LIBRARY**

**528876**

**ASTOR, LENOX AND  
TILDEN FOUNDATIONS.**

**R**

**1911**

**L**

NEW YORK  
PUBLIC  
LIBRARY

# CONTENTS

CHAPTER	PAGE
I. CURRENT—POTENTIAL—CONDUCTORS—INSULATORS . . . . .	1
II. PRACTICAL UNITS—OHM'S LAW—FUNDAMENTAL UNITS . . . . .	12
III. PRIMARY BATTERIES . . . . .	43
IV. MEASUREMENT OF CURRENT STRENGTH . . . . .	82
V. MEASUREMENT OF RESISTANCE . . . . .	131
VI. MEASUREMENT OF ELECTRO-MOTIVE FORCE . . . . .	163
VII. ELECTRO-MAGNETS—ELECTRO-MAGNETIC INDUCTION . . . . .	202
VIII. DYNAMO-ELECTRIC MACHINES (ALTERNATE CURRENT) . . . . .	230
IX. DYNAMO-ELECTRIC MACHINES (DIRECT CURRENT) . . . . .	270
X. DIRECT CURRENT DYNAMOS— <i>continued</i> . . . . .	317
XI. DIRECT CURRENT DYNAMOS (OPEN COIL) . . . . .	380
XII. MOTORS AND THEIR APPLICATIONS . . . . .	402
XIII. TRANSFORMERS . . . . .	444
XIV. SECONDARY BATTERIES . . . . .	466
XV. ARC LAMPS . . . . .	492
XVI. INCANDESCENT LAMPS—PHOTOMETRY . . . . .	526
XVII. INSTALLATION EQUIPMENT, FITTINGS, ETC. . . . .	576
INDEX . . . . .	623

*Directions for Binder.*

<b>FIGS. 181 and 182</b>	.	.	.	<i>To face</i>
<b>„ 202 and 203</b>	.	.	.	„

# ELECTRICAL ENGINEERING

---

## CHAPTER I.

### CURRENT—POTENTIAL—CONDUCTORS—INSULATORS.

WHEN a stick of sealing-wax is rubbed with a piece of dry fur or flannel, the wax acquires the power of attracting to itself any light substances that may be in its vicinity. By taking suitable precautions a like power can be detected in the fur or flannel. Similar phenomena can also be produced by the rubbing together of other substances, such as glass and silk, india-rubber and silk, brown paper and a bristle clothes-brush, &c. A body which exhibits this power of attraction is said to be endowed or charged with electricity, or to be electrified.

But there are two electrical states, and this can be easily proved, for if by means of a foot or so of silk ribbon we suspend the electrified sealing-wax and bring near it another electrified stick of sealing-wax, repulsion ensues, that is to say, the suspended rod recedes from the approaching one. On the other hand, if certain necessary precautions have been taken to prevent the neutralisation or escape of the electricity that was generated on the fur or flannel rubber, it will be seen, on bringing it near the suspended sealing-wax, that attraction takes place. A similar result would follow if a warm glass rod were rubbed with a piece of dry silk and then brought near the sealing-wax. On suspending, however, the electrified glass and bringing the electrified fur near it, repulsion would take place. It is manifest, then, that as electrified glass attracts electrified sealing-wax, but is repelled by or repels electri-



the amount of electricity developed by rubbing, say the sealing-wax and the fur—together bears to the amount of actual friction to which the bodies are subjected for what is really essential in order to obtain the desired degree of electrification is to bring every portion of the one into intimate contact with every superficial part of the other, and when that is done, no extra amount of rubbing will produce any further degree of electrification.

Speaking generally, then, it may be said that when two bodies are rubbed together electricity is produced. It frequently happens that the amount is so small that its detection is very difficult. If, however, a delicate apparatus will not pause here to describe, is employed, the amount can be indicated. In fact, if a piece of zinc and a piece of copper are simply placed in contact the feeble electricity then developed can easily be rendered very strong. If the same pieces of metal are placed in saline or acid solution a similar result follows, although in this case the wetting of the metal is an important factor in determining the result. The end of the zinc outside the liquid will be electrified with properties similar to those of the sealing-wax rubbed with fur. It is, therefore, said to be negative. The copper, on the other hand, will have an electricity of the opposite to that of the fur itself, or of the glass which

ה'תש"ח - יום חמישי - 15 באפריל 1948

It may be arranged in a general way that the intensity of force is proportional to the distance from the source of force. In the case of a point source, the force is inversely proportional to the square of the distance. In the case of a line source, the force is inversely proportional to the distance. In the case of a surface source, the force is inversely proportional to the square of the distance. In the case of a volume source, the force is inversely proportional to the cube of the distance. In the case of a point source, the force is inversely proportional to the square of the distance. In the case of a line source, the force is inversely proportional to the distance. In the case of a surface source, the force is inversely proportional to the square of the distance. In the case of a volume source, the force is inversely proportional to the cube of the distance.

This brief explanation of the nature of the electric current shows that it is to restore the electrical equilibrium between the two plates. The flow of chemical changes at this point in the circuit is not the only thing, but other things a portion of the current is used in the electrolysis of the water into what is called a salt of tartar. These chemical changes are caused by the cause in their turn a first electrical difference between the two plates, which is followed immediately by another difference between the two plates, and so on. These differences are not by a further difference and so on. These differences are not by one another in exceedingly rapid succession, and so on, and so on, and so on, that it is a matter of absolute impossibility to distinguish them separately, and we have consequently what is known as a continuous current of electricity.

A little reflection will make it evident that the line of experiment and deductions here indicated, the single and double fluid theories of electricity are not simply for the sake of disagreeing with one another.

are unnecessary and involve considerations and concessions which are not warranted by the circumstances. In point of fact, electricity is not a fluid at all, and only in a few of its attributes is it at all comparable to a fluid.

Let us rather consider electricity to be a condition into which material substances are thrown, and that *all* such substances partake more or less of this condition, just as we say that all bodies are heated, although to varying degrees, and that in virtue of this heat their particles are set into more or less rapid vibration.

Moreover, as in the case of a heated body, there is a region surrounding an electrified body in which the force due to the tendency to produce electrical equilibrium can be made evident. This is shown by the fact already referred to that two bodies in a similar electrical state repel one another, while others in different electrical states attract. It is inconceivable that such an effect as the imparting of motion to a mass of matter could be produced without the aid of some medium capable of transmitting the force. What this medium actually is is a matter of doubt, and we cannot experimentally determine the question. So also is the mode or method of transmission. Under such circumstances it becomes convenient to picture to ourselves the propagation by means of *lines of force*, travelling through an infinitely elastic, imponderable medium, or substance, as it is sometimes called, which is assumed to pervade all matter and all space, and which is known as 'ether.' Granted that these lines of force may have no actual existence, the conception is, nevertheless, exceedingly useful, and facilitates an accurate estimation of the way in which electrical phenomena are set up, so much so, that the idea imperceptibly grows upon the student, and to him the lines of force become endowed with a definite meaning.

There are three features about these lines of force to which we may now draw attention. In the first place, their assumed position indicates the path along which the action takes place; secondly, their direction indicates the direction in which the force is transmitted; and, thirdly, their density, or the number occupying a given space, measures the strength or magnitude of the force. Having given to these lines of force position, direction, and density, we can predict the result which should follow in any

given electrical field. For the action is always as if the lines of force endeavour to coincide in direction, and then to shorten themselves, the magnitude of the action being simply dependent upon the density of the lines.

In the case of an electrified sphere suspended somewhere in space and remote from every disturbing element, the lines of force would be radial and equidistant in position, their density would depend upon the degree of the electrification or the quantity of the charge, while their direction, that is, radially inwards or radially outwards, would depend upon whether the charge were negative or positive.

Let us assume a positively charged sphere to be suspended, with its lines of force directed outwards, and a second sphere, negatively charged, with its inwardly directed lines of force, to be brought into the vicinity of the first sphere; it will be evident that many of the lines of force of the two spheres will bend or turn round and concentrate themselves within the space intervening between the spheres. The lines of force will now be similar in direction, and, owing to the shortening tendency above referred to, attraction results.

The attraction, presuming it to be sufficiently strong, will impart motion to one or both of the spheres, or, in other words, work will be performed. Now this capacity for doing work arises solely from the electrification, and the quantity of work performed is proportional to the degree of electrification. But 'capacity for doing work' and 'potential' are convertible terms—that is to say, anything which possesses the capacity for doing work is said to have a certain potential, consequently the degree of electrification of any body is known as its potential. We have previously said that the tendency to produce, between two electrified points or bodies, a state of electrical equilibrium, is proportional to the difference of their degrees of electrification. In technical language this means proportional to their difference of electrical potentials. Therefore, in the case of the zinc and copper plates immersed in acidulated water, the flow of electricity from the exposed end of the copper to the exposed end of the zinc is correctly described as being due to a difference of potential between those ends.

If the student has grasped what has already been said, he will be able to readily apply the doctrine of potential to special cases; for example, it will be evident that no two parts of the same body (providing it is one that can transmit or propagate the flow of electricity) can remain for any length of time at different potentials, for the moment a difference of potential is established an electrical stress is set up, and the flow of electricity follows as a necessary or natural consequence. On the other hand, where there is no difference of potential there can be no flow of electricity. So that we come to these conclusions—viz. that electricity always flows between two bodies which are at different potentials; that it flows from the body possessing the higher to that possessing the lower potential; that in the case of the ‘current’ maintained by the ‘simple cell,’ composed of zinc and copper plates dipping into acidulated water and described in a previous page, we had a difference of potential established on the zinc and copper extremities; that on joining these extremities together there was a flow of electricity to produce equilibrium; that this, by means of the chemical changes, re-established a potential difference; and that these actions and reactions, being alternated with infinite rapidity, appear to us as a continuous current.

We may, therefore, define a ‘current’ as the expression of an effort ever being made to establish electrical equilibrium between two points which are ever being electrified to different potentials. Neither of these objects is attained—that is to say, a difference of potential is never permanently established on the one hand, and, on the other, equilibrium it is impossible to maintain.

Let us further consider the case of the simple cell, the zinc and copper of which, however, instead of being joined together, are each connected to long pieces of wire, whose other or free extremities are inserted in the earth at different places. It used to be the general assumption that in this case the current would flow from the copper plate to the earth, and through the earth to the other wire, up which it would pass and so return by the zinc to the battery. But anything more unreasonable than such an hypothesis it is really impossible to conceive. To demonstrate this we need only take into consideration the state of affairs at the Central Telegraph Office in London, where there are 1,000



different circuits or lines, one end of each battery being joined to the same earth plate under the office, the other ends being joined to the respective lines, which in their turn are joined to earth plates at the distant ends. Viewed in its real aspect, this 'earth-return' theory compels the assumption that the 1,000 currents which go to earth at as many different places—some at Newcastle, some at Liverpool, others at Cardiff, Yarmouth, &c., others, again, only a few hundred yards away in several of the City thoroughfares—all return through the earth to the earth plate or connection under the Central Office, where each individual current has to pass the other 999 currents travelling through the plate, and single out the particular wire joined to the particular battery from the other end of which it emanated, and is not satisfied or has not completed its work until it thus gets safely home again. It will readily be seen that, if such were actually the state of affairs, the laws above stated, that electricity only flows under a difference of potential and always flows when there is that difference, would be nullified.

Like everything else in the universe, the earth itself is always more or less electrified, and, as a consequence, it is always at a certain potential. It will therefore be seen that, were a body which had been electrified to a higher potential than the earth to be connected with the earth, a flow of electricity would take place passing from that body to the earth, so that both the body and earth assume the same potential, and it may be mentioned that the passage of this flow could be easily observed by the introduction of certain apparatus. On the other hand, were a body to be electrified to a potential lower than that of the earth and to be connected with it, a flow of electricity would be determined between the earth and the body, and the passage of this electricity could also be rendered evident. Consequently, when copper and zinc strips are immersed in acidulated water and the exposed ends become electrified, the one to a higher and the other to a lower potential than the earth, the connection of those extremities with the earth causes a flow of electricity from the plate of higher potential to the earth, and from the earth to the plate of lower potential. These flows will be equivalent to joining the plates directly together and so releasing the electrical stress.



Thus is it with every battery: the potential of the earth is above that of one end of the battery and below that of the other end. There is then no need for a current to flow between the two earth-connections, and the assumption of such a state of affairs is quite gratuitous. It must not, however, be supposed that the flow of electricity from or to the earth can sensibly affect its charge or potential, the terrestrial charge as a whole being so enormous as to make any other charge or potential incomparably feeble and insignificant. To make this clearer we will employ an analogy. Let us suppose that we have two tanks containing water, the bottom of one being placed ten feet above the level of the ocean, and the other, which we will suppose to be very deep, immersed until the surface of the contained water is ten feet below the ocean level. If now we suppose holes to be made in the bottoms of the tanks, all the water will flow out of the higher tank into the sea below, while water will flow up into the lower one until the ocean level is reached. But of course no one would contend that these changes would make any difference in the level of the surrounding waters, even if more water were received from the higher tank than was given to the lower, and what is true in this case is equally true in the case of electricity. In fact, the earth is a body whose capacity for electricity, so far as we are concerned, is infinite, and nothing that we can do can alter its charge. The man who would assert that when he joins one end of his battery to earth, say, at London, and the other end to earth, say, at Aberdeen, and that in consequence a current flows through the earth from one connection to the other, asserts, in fact, although he may not know the significance of his contention, that he places these two points in London and Aberdeen at different electrical potentials. He might as reasonably contend that if he turns on his water-tap into the Thames at London and digs a hole in the bank of the river at Windsor, he sets up a difference of level between the two places, and causes the water which he pours in at London to travel up against the stream and fall out at Windsor.

We come now to a real difficulty—a solution of which is improbable, although it is, perhaps, in the future not impossible—and that is, to be able to say with certainty in which direction a

current really travels, or, in other words, to declare which of two differently electrified bodies has the higher, and which the lower potential. All we can say with any certainty is that there is a difference of potential, and that therefore the current flows from the point of higher to that of lower potential. It is usual to assume, in the present incomplete and imperfect state of our knowledge concerning the nature and propagation of electricity, that the electric state which we know as positive has a higher potential than that state which we know as negative, whence we say, or assume, that electricity flows *from* a positively electrified *to* a negatively electrified body. And we will in this work follow this assumption, true or otherwise, as it involves no sacrifice of principles, notwithstanding the fact that experiments have been performed which tend to show that that state which we call negative is really of higher potential than that which we call positive.

Reference has several times been made to the use of wire as a means of connection between two oppositely electrified bodies, or between two bodies at different potentials. Were we desirous of transmitting mechanical instead of electrical energy, a hempen or silken cord would answer equally well, if due provision had been made that the cord should have the requisite mechanical strength or tenacity to transmit the energy without fracture. But tenacity is not the necessary attribute for a body to possess in order that electricity may be readily propagated through it. All substances admit of this transmission, although to very varying degrees. A piece of copper wire offers greater facilities than a piece of iron wire of similar dimensions, which in turn offers greater facilities than a similar piece of German-silver wire. But the metals one and all are enormously superior in this respect to the great bulk of non-metallic substances. On the other hand, every substance, whatever its nature, offers a greater or less amount of resistance to the transmission of electricity. Bodies which offer little resistance to the electric flow are said to be good conductors, while those which offer considerable resistance are said to be bad conductors or insulators. To the former class belong the metals, carbon, ordinary water, &c., the latter class including such substances as glass, air, sulphur, resin, india rubber, and ebonite. Between these two classes are many substances which might

the lower until electrical equilibrium between them is obtained. And a similar result follows if we connect them together by a piece of wire ; while if they have any other bad conducting substance separating them, no current flows at all, or only a very feeble one. If the path is made longer, or more difficult, say by the interposition of a poorer conductor, it naturally follows that the time taken for equilibrium to be restored is lengthened. The restoration, that is, the strength of the current, is proportional to the potential difference and the quantity of electricity. In the same in the two cases, the energy expended to restore equilibrium is the same.

The result, then, of interposing a substance of less conducting power, or, what amounts to the same, of greater resistance, between two bodies having a potential difference, is to reduce the strength of the flow or current passing between them. We can find a very simple analogy to this. Suppose two tanks of water at different heights on a hill, one above the other. So long as the bottom of the higher tank is open to the other, the resistance to the flow of water from it to the other is small, or infinite, but if we interpose a relatively bad conductor in the form of a very small pipe or tube between the two tanks, there will be a correspondingly weak or feeble flow from the higher to the lower tank. If we increase the bore of the pipe, the conducting power will be increased.

most infinitely small, or, in other words, by varying the amount of resistance which is here shown to be the converse or reciprocal of conductivity, we can, in a corresponding value, vary the strength of the current.

To summarise our observations on the question of resistance, we may say that if we electrify two bodies, connected only by the air, to different potentials, we subject the intervening air to a species of stress. If we very considerably increase the potential, the air being no longer able to sustain the stress, a discharge or electric flow ensues. A similar result can be achieved, without increasing the potential difference, by reducing the distance between the electrified bodies, or by bridging over the air space with a piece of wire or other good conductor. In either case the ability to sustain the stress is reduced, and we call this ability to sustain the stress resistance. The more resistance we insert between the electrified points or bodies, the more do we thereby reduce or prevent the flow of electricity.

## CHAPTER II.

## PRACTICAL UNITS OHM'S LAW—FUNDAMENTAL UNITS.

IN dealing, in the previous chapter, with the general attributes of electricity, the only degree of comparison arrived at was to say that one electrification, resistance, or current was greater or less than another. And to a somewhat considerable extent this was, until within the last few years, deemed sufficient. It is, however, now essential that more precision in comparing or measuring forces and their properties and effects should be obtained. Measurement is, in fact, the most important branch of electrical science, as, indeed, it is of every other physical science.

Instead of simply saying that one lump of iron is heavier or weightier than another, it is usual to say by how much they differ. Thus one lump may have a mass of ten pounds, and another a mass of twenty pounds. The latter is therefore ten pounds heavier than the former. We have here introduced a unit of measurement, viz. the pound, or unit of mass. Similarly, the inch or foot may be used as a unit of length, the second as a unit of time, the pint as a unit of capacity, the sovereign as a unit of coinage, and so on. These units are all such as everybody can readily appreciate. They are so frequently employed that no mental effort is required to understand what is meant when any one of them is mentioned.

In dealing with electricity the first thing we wish to measure is naturally the amount of the electrical difference between two bodies which causes an electrical stress and which may result in a current of electricity. But we are confronted with two difficulties. The first is that by none of the everyday units — by no unit employed for any other purpose — are we able to indicate exactly the electric potential in a body. Moreover, electricity being but a condition of matter, and not matter itself, it is impossible to



measure it directly. We can only measure it by its effect upon material substances. In the next place, inasmuch as it is impossible to obtain or even to conceive of a body altogether devoid of electrification (although it is not always perceptible), it is impossible to fix on an absolute zero potential, and measure potentials from that point : in just the same way that it is impossible to have a zero level, some arbitrary point such as the sea level at high tide having to be employed if we wish to measure the relative height of two or more points. It is, consequently, necessary to look elsewhere for a starting point, and to fix on a convenient arbitrary potential zero. We take as a zero the potential of the earth's surface, and bodies which are said to be positively electrified are at a higher potential than the earth, while negatively electrified bodies are at a lower potential. Positive and negative potentials may therefore be said to correspond to height and depth in their relation to the sea-level. Inasmuch, however, as we are unable to detect any potential at all unless we take two points or bodies whose potentials are different, the measurement of potential itself again presents difficulties. On the other hand, when we are called upon to measure the potentials of two bodies, what we really desire to know is the difference between those potentials ; or, if we call the potential of one body  $P$ , and that of the other  $P_1$ , we want to know the value of  $P - P_1$  ; for, after all, it is this difference of potential that determines the flow of electricity. This difference of potential is known as electro motive force, which is frequently contracted into the initials E.M.F., or, shorter still, into E. only. It is this electro motive force, then, that we desire to measure, and the practical unit by which it is measured is known as the 'volt.' We will, for the present, rest satisfied with the simple statement that the volt is approximately equal to, although actually a fraction less than, the electro-motive force of a single Daniell cell. (See Chapter III.)

Reference was made in the previous chapter to 'resistance,' and it was described as the converse of conductivity, which again we described as the ability of a body to transmit a current of electricity. It is easy to show that resistance may be expressed as a ratio—the ratio of electro motive force to current—and many authorities insist that it should always be regarded thus. It may also be



teaches us that force is indestructible, and it teaches us that if energy has to be expended in impelling a body against a greater or less amount of resistance, that energy must be developed in some other form, which is usually heat ; or, in other words, when a certain amount of resistance to the passage of a current is produced, the actual amount of heat being an amount of the energy expended in overcoming the resistance, is therefore directly as that resistance. Consequently, if we have two conductors, the resistance of one of which is twice that of the other, and if we send currents of equal strength through them, twice as much heat will be developed in the conductor of the higher resistance as will be developed in the conductor of the lower resistance. We shall have occasion to deal with this more fully in a future chapter, but we may add here that if we wish to perform work at any point by means of a current conducted by a wire to that point, we must keep the resistance of that wire down to the lowest practical limit, because the energy frittered away in heating the conductor is so much less energy available for the particular work which the current is to perform. It is apparent, then, that we need a unit by which we shall be able to compare the resistance of various substances, and the unit selected is called the ohm, and was decided by an International Congress of

which determined the value of this unit also decided that it should be known as the 'legal' ohm. A millionth part of this unit is called a microhm, and one million ohms a megohm.

There have, in the past, been an almost unlimited number of units, more or less crude and unreliable ; for it must be borne in mind that for a unit to be of any real value it must be permanent or durable, it must be capable of confirmation, and its derivation must be well known and invariable. One of the earlier units of resistance was that offered by a mile of the then best procurable iron wire of a certain gauge or diameter. The indefiniteness of such a unit may be conceived when it is called to mind that even now no two samples of the same wire will offer the same resistance ; and still more so was this true a few years ago, when the quality of iron wire as a conductor was vastly inferior compared with what it now is, both as regards its actual resistance and its uniformity.

The only other unit which we need consider is that known as the B.A., or British Association Unit. It was determined in London in 1863 by a committee appointed for the purpose by the British Association, and the method of determination then adopted was the basis upon which the Paris or legal ohm was afterwards calculated. These units are both based on what is called the C.G.S. system (p. 40), the Paris unit being really a correction of the B.A. unit. The practical standard of the former has, however, a great advantage over that of the latter, which consisted of the resistance of a certain length of wire carefully preserved in London. This was, of course, rarely used, and duplicates of the standard had to be employed for comparing or standardising other resistances. The legal ohm is manifestly capable of being reproduced more easily, and it is this fact which imparts to it its chief value. The B.A. unit is a fraction smaller than the Paris ohm, the actual proportion being 0.986 to 1.0. If it were possible at the present day to universally adopt a common unit, it would certainly be a great advantage, for then everybody would know what was meant when anybody else mentioned any particular resistance. But prior to 1884 a vast quantity of electrical apparatus and machinery was in use, and everything in England and some other countries was measured by the B.A. unit,

while the measurements employed on the Continent were for the most part referrible to the Siemens unit, which was the resistance of a column of mercury 1 metre (or 39.37 inches) long, the other details as to its size, temperature, and pressure being the same as those employed in devising the legal ohm. As it was, the various administrations and authorities were placed in a most unpleasant dilemma. If they re-standardised and re-marked all their existing apparatus they would have had to incur enormous expense, while if they continued the use of their existing standards they would be perpetuating an inconvenience which they had called the Congress together to remove. In the majority of cases questions of finance compelled them to adopt the latter alternative, so that with us, most telegraph apparatus continues to be measured by the B.A. unit, while the apparatus employed in the newer industries, such as electric lighting, is measured by the legal ohm. Accordingly, in this work we shall endeavour to keep the latter in view.

The student will frequently come across the expression 'specific resistance,' and it is a most important term. It may be defined as the resistance of any particular substance as compared with the resistance of a piece of some other conductor, such as silver, of similar dimensions, the test being made under similar conditions. It is a matter of great convenience that different bodies vary in their relative or specific resistances, for there are times when we want the lowest possible resistance, while at other times we require a large measure of resistance, more particularly when we desire to prevent an electric discharge, to prevent the flow of an electric current, or to prevent electricity leaking from one body to another. Appended is a table based upon that of Dr. Matthiessen which shows the relative resistance of a number of metals frequently met with, and as the variation of the temperature of a body varies its electrical resistance, all the tests have been taken at a common temperature, viz. that of freezing point, or the necessary corrections made to correspond to that temperature.

An alloy of copper, nickel, and zinc (the usual constituents of German silver), combined with 1 or 2 per cent. of tungsten, was introduced a few years ago under the name of platinoid. It is found that the addition of tungsten imparts greater density to alloy

TABLE SHOWING RELATIVE RESISTANCES IN CIRCULARS PER UNIT LENGTH AT 5° C. IN LENGTH A TABLE UNIT

Name of Metal	Relative Resistance	Resistance of a wire 1 foot long, value of which is indicated	Resistance of a wire 1 metre long, value of which is indicated	Resistance in ohms	
				per unit length	per unit length
Silver, annealed . . . . .	1.000	1.000	1.000	1.000	1.000
Copper, annealed . . . . .	1.075	1.075	1.075	1.075	1.075
Silver, hard drawn . . . . .	1.080	1.080	1.080	1.080	1.080
Copper, hard drawn . . . . .	1.080	1.080	1.080	1.080	1.080
Gold, annealed . . . . .	1.075	1.075	1.075	1.075	1.075
Gold, hard drawn . . . . .	1.075	1.075	1.075	1.075	1.075
Aluminium, annealed . . . . .	1.075	1.075	1.075	1.075	1.075
Zinc, pressed . . . . .	1.075	1.075	1.075	1.075	1.075
Platinum, annealed . . . . .	1.075	1.075	1.075	1.075	1.075
Iron, annealed . . . . .	1.075	1.075	1.075	1.075	1.075
Lead, pressed . . . . .	1.075	1.075	1.075	1.075	1.075
German silver, hard or annealed . . . . .	1.075	1.075	1.075	1.075	1.075
Platinum, silver alloy (platinum & silver) hard or annealed . . . . .	1.075	1.075	1.075	1.075	1.075
Mercury . . . . .	62.75	62.75	62.75	62.75	62.75

and reduces any tendency to oxidation. When the metal is drawn, it is scarcely distinguishable in appearance from silver. German silver wire offers a resistance ranging from 1.075 to 1.080 ohms per unit length, so that its resistance is about one and a half times that of pure silver. As, however, alloys always vary more or less in composition, a definite resistance cannot easily be assigned to any commercial variety, and calculations based on the above are accepted as actually true of the pattern of composition used. German silver, when drawn hard, is like copper, and is hardened by sudden cooling.

The admixture of even a minute proportion of foreign metal very considerably reduces the conductivity, or increases the resistance of a metal. A very remarkable effect is observed when an alloy of two or more metals is tested for its resistance. The resistance of the alloy will always be found to be greater than that of either of its constituents. Purity in the case of metals is essential and absolute uniformity in the case of alloys. German silver, is, therefore, pre-eminently, the best of all.

All the wires were connected

Pure copper	.	.	.	.	.	.
Lake Superior, native, not fused	.	.	.	.	.	.
Ditto, fused, as it comes in commerce	.	.	.	.	.	.
Burra Burra	.	.	.	.	.	.
Best selected	.	.	.	.	.	.
Bright copper wire	.	.	.	.	.	.
Tough copper	.	.	.	.	.	.
Demidoff	.	.	.	.	.	.
Rio Tinto	.	.	.	.	.	.

possible the same value at all temperatures. It may be observed that the insulating coatings of the wires in the telegraph cables laid in such waters as the Indian Ocean show a marked decrease in their insulating properties after submergence, consequent upon the fact that the water is several degrees warmer than that in the tanks in which the standardising tests were made. The accompanying table, showing the percentage variation in the resistance of various bodies between the temperature of freezing water and that of boiling water, should prove eminently interesting. It is certainly useful and important.

Name of Metal	Conducting power at 0° C. Silver = 100	Percentage fall of conducting power between 0° and 100° C.
Pure iron . . . . .	16·81	39·2
Pure thallium . . . . .	9·16	31·4
Other pure metals in a solid state . . . . .	—	29·3
Gold with 15 p.c. iron . . . . .	2·76	27·9
Proof gold . . . . .	72·55	26·4
Standard silver . . . . .	80·63	23·2
Gun metal (Austrian) . . . . .	27·08	18·3
Copper with 25 p.c. platinum . . . . .	22·08	11·5
Silver with 5 p.c. platinum . . . . .	31·64	11·3
Silver with 9·8 p.c. platinum . . . . .	18·04	7·1
Copper with 9·7 p.c. tin . . . . .	12·19	6·6
Gold silver alloy . . . . .	15·03	6·5
Platinum with 33·4 p.c. iridium . . . . .	4·54	5·9
German silver . . . . .	7·80	4·4
Gold with 4·7 p.c. iron . . . . .	2·37	3·8
Silver with 25 p.c. palladium . . . . .	8·52	3·4
Silver with 33·4 p.c. platinum . . . . .	6·70	3·1
Platinoid . . . . .	—	2·09

As may have been gathered from what has already been said, when we increase the length of a conductor we invariably increase its resistance. This follows as a matter of course from the fact that if we urge a certain current through a wire of increased length, we give it more work to do, necessitating, consequently, a greater expenditure of energy in precisely the same way that a railway engine would consume more coal in taking a train a distance of 200 miles than it would consume in taking it only half that distance. The resistance of a conductor of uniform material and thickness or cross-section varies directly as its length—that is to say, if we vary the length of the conductor we vary its



resistance at exactly the same rate, or, in fewer words, resistance varies directly as the length of the conductor. If a mile of wire of a certain gauge offers a resistance of ten ohms, two miles of the same wire would offer twenty ohms.

The effect of increasing the size or sectional area of a conductor is to increase its conductivity and, consequently, to diminish its resistance, in exactly the same way that increasing the diameter of a pipe increases the amount of gas or water that can be passed through it. The resistance of a conductor varies inversely as its sectional area. That is, if we have two conductors, such as two specimens of copper wire, drawn from the same bar, the amount of resistance which the wires will offer depends upon the size of the wires or on the area of the ends exposed on cleanly cutting them at right angles to their length—that is to say, upon the amount of metal through which the current can flow. Most wires are round, so that the section is a circle, and it becomes necessary to understand the method of comparing the areas of circles. The area of a circle varies as the square of its diameter; for example, if we have two circles, one having a diameter of one-tenth of an inch and the other of two-tenths of an inch, their areas or the spaces they enclose will not be in the proportion 1 : 2, but as the squares of those figures, viz. 1 : 4, so that one wire which is twice the diameter of another, other things being the same, only offers one quarter of the resistance offered by the thin wire. While if we treble the diameter of the wire, or make it three-tenths of an inch, the resistance will be only one ninth of that of the thinnest wire. As a matter of fact, the thickest of these three wires will weigh exactly nine times as much as the thinnest, there being nine times as much metal in it. We may, therefore, state our law in other words by saying that the resistance of wires uniform in all particulars excepting thickness varies inversely as their weight. Thus, if a mile of copper wire weighs 100 lbs. and has a resistance of 9 ohms and an equal length of similar copper wire weighs 150 lbs. the resistance of the latter will be 6 ohms. Again, the specific resistances of iron and copper are approximately 6 to 1. If, now, a mile of iron wire, 0·240 of an inch in diameter has a resistance of 5 ohms, and it is thought for certain reasons desirable to substitute a mile of copper wire having the same

we should have to use wire weighing one sixth the weight, or whose sectional area would be one sixth of, that of a wire 0.240 of an inch in diameter, because the resistance of the latter would be only five sixths of an ohm. The thickness could be ascertained by rule of three, for if for the required diameter,

$$6 : 1 :: (0.240)^2 : x^2,$$

we find  $x^2 = 0.0096$ . Therefore  $x$ , or the required diameter, is equal to the square root of 0.0096, or 0.098 of an inch.

A conductor offers to the passage of electricity at equal temperature a constant resistance which is altogether independent of the electro-motive force or of the strength of the current. To say, a wire which offers 10 ohms to the passage of a current, offers precisely the same resistance to a powerful current except in so far as an increase in the strength of the current causes a corresponding increase in the temperature of the wire, increased temperature causes a proportionately increased resistance, as already pointed out.

Let us now come now to the consideration of the laws which determine the strength of a current and of the relationship subsisting between the strength and the other attributes of an electric current. This relationship can, perhaps, be best understood by the aid of an illustration. Let us suppose two tanks, one very high up, say four hundred feet above the ground, the other raised only a few feet. Let both tanks contain the same quantity of water, and let both of them be supplied with pipes, the one for the upper tank, however, very much smaller in diameter than that for the lower. On turning the taps the water from the upper tank, in small in quantity, will issue forth with much greater force than that from the lower tank, although the quantity or rate of flow from the lower tank may considerably exceed that from the upper tank. In other words, the pressure in the long small pipe is much greater than in the short but large one, while the quantity of water delivered by the former is considerably less than that delivered by the latter. Pressure in a column of water corresponds with the electro-motive force of a battery, while the

volume or quantity of water flowing through the pipe corresponds to current strength. But to pursue the analogy still farther, if the upper tank be raised sufficiently high, the greater pressure obtained will augment the velocity of the water, and the tanks will be emptied in the same time. There are two things then, that govern the quantity of water delivered or the rate of delivery—viz. the pressure, and the size of the pipe, which corresponds in electrical considerations with the size of the conductor and consequently with the resistance.

By current strength is meant, therefore, the rate of flow of electricity, and it is measured by the quantity of electricity passing any point in a circuit, during a given time. It corresponds to the rate of delivery of gas or water by a pipe. In a simple circuit it depends upon two things, the electro motive force of the generating battery and the resistance of the whole circuit, which comprises wire and apparatus as well as the battery itself. The practical unit of current strength or rate of delivery is called the ampere, and is that amount of current which is urged through a circuit of one ohm resistance by an electro motive force of one volt. If this current is maintained for one second, one unit of electrical *quantity* is delivered; this unit is called the coulomb. If a current of half an ampere flows for two seconds, the quantity of electricity delivered is also one coulomb. So also is it if a current of two amperes flows for half a second, so that in every case the rate of flow, or current strength in amperes multiplied into the time in seconds gives the total quantity of electricity or the number of coulombs. If  $Q$  represents the quantity of electricity in coulombs,  $C$  the current strength in amperes, and  $t$  the time in seconds,

$$Q = C \times t.$$

As the quantity of electricity delivered is rarely required to be known, but rather the rate of delivery or flowing, we shall deal more fully with the method of ascertaining this rate. In order that this may be more readily understood, we will now proceed to the discussion of 'Ohm's Law,' which declares that *the current strength varies directly as the electro-motive force, and inversely as the resistance.* This law may be represented by the simple equation—

$$\frac{\text{Electro-motive force}}{\text{Resistance}} = \text{current strength,}$$

$$\text{or,} \quad \frac{E}{R} = C.$$

As an example of the relation which the units bear to each other we may take the simple case of a battery having an electro-motive force of one volt and sending a current through a circuit whose total resistance is one ohm. The current strength will then be one ampere, thus :—

$$\frac{1 \text{ volt}}{1 \text{ ohm}} = 1 \text{ ampere,}$$

and if this current is maintained for one second, one unit of electricity will have passed. By doubling the resistance, we get

$$\frac{1 \text{ volt}}{2 \text{ ohms}} = 0.5 \text{ ampere.}$$

Similarly, by doubling the electro-motive force we get with the same resistance,

$$\frac{2 \text{ volts}}{1 \text{ ohm}} = 2 \text{ amperes.}$$

A little reflection will make evident the subsidiary law that the current strength is the same in all parts of the circuit and does not in any sense vary in different parts of the same circuit. The current strength can easily be supposed to be uniform in a perfect conductor, but if we make up a circuit with wires of different degrees of conductivity, or if we interpose any liquid substance, the same law holds good, just as would be the case if we were to urge a current of water through a pipe of variable diameter. It is manifest that if a gallon of water enters the pipe in a certain time, the same volume must pass out in the same time, notwithstanding the pipe to have been already full, and the same volume must pass every point in the pipe in the same interval of time, and in the thinner or smaller portions of the pipe the water flows faster and generates a little more heat by friction with the sides of the pipe than in the larger sections of it. This also law also holds good with regard to electricity, the thinner

poorer conductor will be more highly heated than the thicker or better conductor. It is this fact that makes electric lighting by incandescent lamps possible. It is doubtful whether in the whole range or history of electrical science a law has ever been enunciated so full of truth and of such truly immense importance as that discovered by George Simon Ohm, and we shall find frequent need to refer to it in the succeeding chapters.

For the benefit of those, and our experience teaches us that they are very numerous, who do not understand the full meaning of a simple equation, we may say that if

$$\frac{E}{R} = C, \text{ then } \frac{E}{C} = R, \text{ and} \\ E = RC \text{ (or } R \times C \text{).}$$

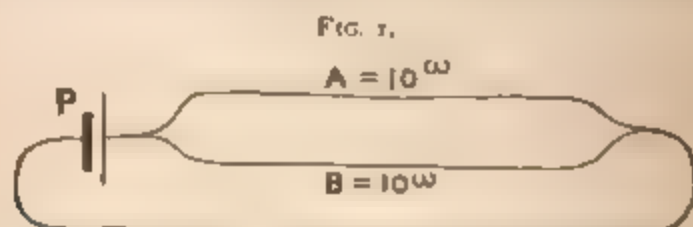
So that, if, of these three quantities, we are told two, we can always readily calculate the third. Thus, with a current of two amperes and an electro-motive force of 10 volts, the resistance will be

$$\frac{10}{2} = 5 \text{ ohms.}$$

Similarly, if a current of 5 amperes flows through a resistance of 10 ohms, the electro motive force capable of maintaining this current will be

$$10 \times 5 = 50 \text{ volts.}$$

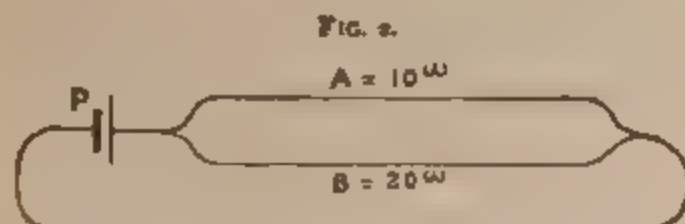
When two or more channels or paths are open to a current of electricity, the current divides between them, just as water or gas in a pipe will divide into any number of branch pipes. If in the case of electrical conductors there are two wires (A and B, fig. 1), between which the current can divide, and if



the resistances of the two wires are equal, the current will divide equally between them; thus, if a current of two amperes flows from the battery P, one ampere will go through each wire. When



the resistances are not equal, the current will divide inversely as the resistances ; thus, if the resistance of one wire (A, fig. 2) is 10 ohms, and of another (B) is 20 ohms, and a current of three



amperes divides between them, two amperes will go through the wire A of 10 ohms and one ampere through the wire B of 20 ohms.

When two or more wires are joined together so that the current divides between them, they are said to be joined up in 'parallel,' and when the end of one is joined to the end of another so that the whole current goes through both wires, one after the other, the wires are said to be joined up in 'series.'

The law for double channels holds equally good for multiple channels. Thus, if there are 10 wires of uniform resistance and a current of 10 amperes divides between them, it will do so equally, so that one ampere will flow through each wire. When the resistances vary, then the current flowing through each wire will vary also, but in the inverse ratio.

When, however, two or more wires are joined up in parallel, a serious alteration is made in the condition of the circuit, for the total amount of current that is produced, whether it be from a primary battery, a dynamo-electric machine, or any other source of electrical energy, will be increased. This increase follows from the fact that when wires are joined up in parallel, their united, or, technically speaking, their joint resistance is less than that of any one of the wires taken separately. The meaning of this will be more readily apparent if a wire is regarded as a conductor rather than as a source of resistance. Thus, if two equal wires lie side by side and the current is allowed to flow through them, the conducting power of the double wire will be twice that of either wire taken separately, in precisely the same way that a water or gas-pipe two square inches in section will transmit twice as much as a similar pipe only one square inch in section. If, therefore, the



conductivity of the two wires in parallel is twice that of one of them, their united or joint resistance will be only half that of one of them. Thus, if two wires, each of 100 ohms resistance, are joined to a battery in parallel, their joint resistance will be 50 ohms. Similarly, if ten wires, each of 100 ohms resistance, are joined in parallel, they will offer a joint resistance of 10 ohms. We can, therefore, say that if any number of wires ( $n$ ) of uniform resistance ( $R$ ) are joined in parallel, or 'multiple arc,' as the arrangement is sometimes called, then their joint resistance =  $\frac{R}{n}$ .

Suppose, now, that our battery has an electro motive force of 100 volts, and that its internal resistance is negligibly low, with one wire of 100 ohms joined on we get—

$$\frac{100 \text{ volts}}{100 \text{ ohms}} = 1 \text{ ampere.}$$

With two wires we get—

$$\frac{100 \text{ volts}}{\frac{100}{2} \text{ ohms}} = \frac{100}{50} = 2 \text{ amperes.}$$

This current divides equally between the two wires, one ampere going through each.

With 10 wires we get—

$$\frac{100 \text{ volts}}{\frac{100}{10} \text{ ohms}} = \frac{100}{10} = 10 \text{ amperes.}$$

Whence one ampere will still go through each wire, so that the strength of the current increases in precisely the same proportion as the number of wires. If, however, the internal resistance of the battery is proportionally high enough to necessitate its being taken into account, the reduction of the external resistance will not produce so marked an effect. With a battery resistance of 100 ohms and a single wire of a like resistance we get

$$\frac{100}{100 + 100} = \frac{100}{200} = 0.5 \text{ ampere,}$$

and when two wires are joined in parallel we get —

$$\frac{100}{100 + 50} = \frac{100}{150} = 0.66 \text{ ampere.}$$

With 10 wires we get —

$$\frac{100}{100 + 10} = \frac{100}{110} = 0.90 \text{ ampere.}$$

Thus with two wires in parallel a current of 0.33 ampere would flow through each wire, while with ten wires the current strength in each wire would be only 0.09 ampere.

When the parallel circuits are of different resistance, the calculation of their joint resistance involves a little more trouble. Let us suppose two wires joined in parallel, their individual resistances being  $R_1$  and  $R_2$  respectively. As we have already pointed out, resistance is the converse of conductivity. Therefore,  $R_1$  and  $R_2$ , representing the resistances,  $\frac{1}{R_1}$  and  $\frac{1}{R_2}$ , will represent their conduc-

tivities, whence the united conductivity will be  $\frac{1}{R_1} + \frac{1}{R_2}$ , which is equal to  $\frac{R_1 + R_2}{R_1 R_2}$ . This being the joint conductivity, the joint resistance will be  $\frac{R_1 R_2}{R_1 + R_2}$ ; thus if  $R_1 = 500$  ohms and  $R_2 = 1,000$  ohms, their joint resistance will be

$$\frac{500 \times 1000}{500 + 1000} = \frac{500,000}{1,500} = 333.3 \text{ ohms.}$$

Briefly put, it may be said that the joint resistance of any two conductors is equal to the product of those resistances, divided by their sum.

Similarly with three (or more) wires of different resistances, their joint conductivity would be

$$\frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} = \frac{R_1 R_2 + R_2 R_3 + R_1 R_3}{R_1 R_2 R_3},$$

whence the joint resistance will be

$$\frac{R_1 R_2 R_3}{R_1 R_2 + R_2 R_3 + R_1 R_3}.$$

If  $R_1$ ,  $R_2$ , and  $R_3$  are 500, 1,000, and 2,000 ohms respectively, their joint resistance will therefore be

$$\frac{500 \times 1,000 \times 2,000}{(500 \times 1,000) + (1,000 \times 2,000) + (500 \times 2,000)} \\ = \frac{1,000,000,000}{3,500,000} = 285.7 \text{ ohms.}$$

In the process of electrical testing it is frequently found to be necessary to employ wires of various resistances, either as standards for comparison, or simply for the purpose of placing in a circuit and varying the strength of the current therein. The wires are usually coiled up or wound on bobbins, so as to occupy little space, and are then placed in a convenient case or box; such a set of coils is known as a resistance-box, or rheostat. But if the coils are to be of any real value as standards, great care must be exercised, not only in accurately measuring their resistance, but also in selecting the materials of which they are made, so as to avoid deterioration or change of any kind. The wire must be completely covered throughout by some good insulating substance, to prevent contact between adjacent convolutions, and the material used for this purpose must be able to withstand without change the highest temperature to which it is likely to be subjected; and it must also be incapable of producing any injurious action on the wire. The best insulating material is silk thread, which is wound spirally over the wire in one or two layers.

In selecting the material for the wire itself, several points should be carefully attended to. The metal must be free from any liability to alteration by oxidation, &c. (iron is, therefore, unsuitable). But the most important matter for consideration is the amount of its variation in resistance, with a given change of temperature.

In very important work it is necessary to know the temperature at which a coil was originally measured, and either bring it to that same temperature during the experiment or else make a correction in the result. But either course is somewhat tedious, and in ordinary cases impracticable. In practice the coils are measured at the temperature at which it is probable they will generally be used, say  $15^{\circ} \text{C.}$  ( $59^{\circ} \text{F.}$ ), and the error lessened by

## Resistance Coils

is a metal whose percentage of resistance variation with temperature is very low.

In addition to changing with any alteration in the temperature of the atmosphere, the wire is more or less affected by the pressure exerted on it, so that its resistance may easily alter during a badly-performed test or experiment. An example of this is given on page 19 shows the variation of resistance may be very small, and it is therefore very extensive in high-class apparatus, where the expense is of minor importance.

In coils of high resistance it is necessary to use a metal whose specific resistance is high; otherwise the length of wire would be inconveniently great. For low resistance coils this is not so important; in fact, if a metal of high specific resistance is then used, the wire must be comparatively thick, and it would be so short that very great difficulty would be met in making the coils of exactly the right resistance, a considerable difference would be caused by a slight change in the length of the wire. In all cases, however, there is an advantage in the case of a thick wire, that a rise of heat raises its temperature to a less extent than would be the case with a thin wire.

Carbon is very unsuitable for resistance coils on account of its variation in resistance, and, as its specific resistance is low, it would be necessary to employ either a very long or a very thick wire to make a coil of high resistance.

When taking into consideration cost, durability, high specific resistance, and low temperature error, German silver is undoubtedly the most useful material for the purpose; and it is consequently used more frequently than anything else.

A standard resistance coil—such, for example, as a standard 1 ohm coil—designed for some other special purpose—is, after having been wound on an ebonite or boxwood bobbin, usually enclosed in a wooden case or box, furnished with an ebonite cover. Two brass blocks or plates, to which the ends of the wire are soldered, are screwed on to the under side of the cover. Connection with the external circuit is made by means of terminals fixed on the top of the case, and connected electrically with the

of terminal or binding screw shown in fig. 3, objection, the contact being as a rule uncertain in which dependence for good contact has reached the end of a screw (frequently pointed as if to a

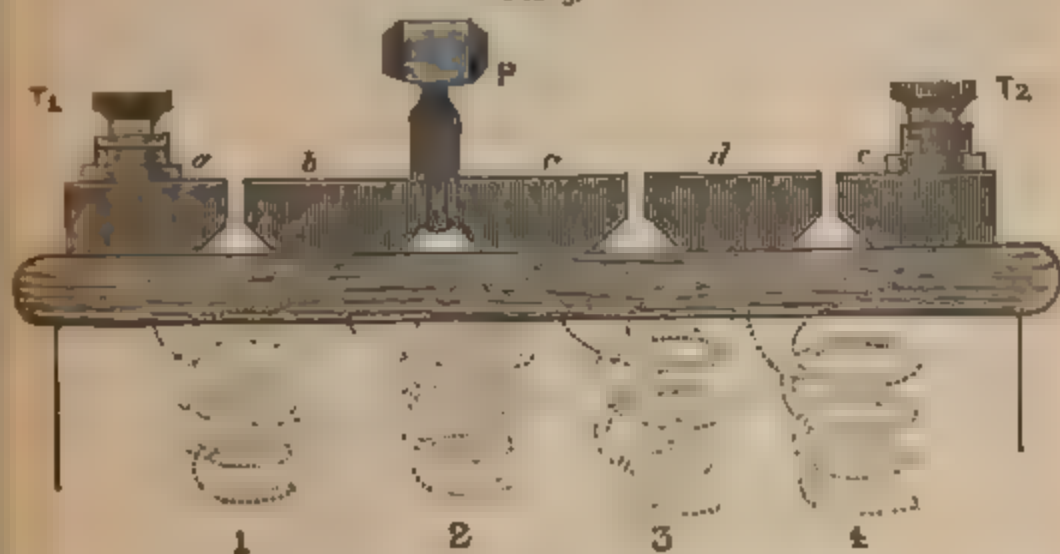
FIG. 3.



should be eschewed, at least for small wires readily bent with the fingers. A much better terminal is that shown in fig. 4, where the wire is held in a fixed base and a screw nut. In tightening the nut, a wedging effect is produced, which assists in removing the wire either on the wire or on the terminal, and so

into any particular circuit can be varied at will from the zero to the maximum, special devices have to be employed to obtain this result with the smallest possible waste of time. Fig. 5 shows the

FIG. 5.



best method of casing a number of coils of various resistances ; all the coils are joined in series, and the junction of each pair is soldered to the bottom of a brass block, as shown in the figure, great care being taken in winding to ensure the absence of contact or leakage between one portion of the wire and another. The bobbins are fixed to the under side of the ebonite top of the case, the wires being connected to the brass blocks *a*, *b*, *c*, *d*, *e*, which are firmly fixed to the upper side of the ebonite, the adjacent ends of the various blocks being turned out to receive a slightly tapered or conical brass plug. The end blocks are fitted with terminal screws, *T*<sub>1</sub> and *T*<sub>2</sub>, to which any extraneous wires can be connected. Now, if a wire leading from the copper pole of a battery is joined to a terminal, *T*<sub>1</sub>, and another from the zinc pole to *T*<sub>2</sub>, a current will flow through the resistance box, starting from the left hand block *a* and passing through the resistance coil No. 1 to the second brass block *b*. Here it has two paths open to it ; one through the coil No. 2, of comparatively high resistance, the other through the brass plug *p*, which has, practically, no resistance at all. All the current will therefore pass by the latter path, and none through the coil, which is said under these circumstances to be 'short-circuited' by the plug *p*. The



current must pass through the coils 3 and 4 before it reaches the terminal  $T_2$ .

The brass plug, which should be furnished with an ebonite cap or top, must be carefully tapered to fit the hole *exactly*. Should there be the slightest shake, or should there be any dirt on the blocks or on the plug itself, the contact will be uncertain and the resistance variable. When properly made, the plug on being inserted with some pressure and a slight twist—say to the right—should fit so thoroughly that on raising it the resistance box should be lifted with it. To remove the plug it should be necessary to first loosen it by giving a slight twist to the left. The lower and the two vertical edges or corners of the blocks should also be filed away to give a larger ebonite insulating surface between the blocks and to allow this surface to be kept clean. This arrangement is necessary in order to prevent, as far as possible, any short-circuit being caused by the accumulation of dust and dirt.

Resistance coils fitted in this way can easily be put in or taken out of the circuit, by withdrawing or inserting plugs between the brass blocks to which the ends of the various coils are soldered. It is hardly necessary to remark that the surfaces of contact should not be lacquered, but should be kept bright and clean.

Resistance coils are frequently used in conjunction with ammeters in the immediate vicinity of delicate measuring apparatus in which a sensitive magnetised needle is employed. If, in such cases, the coils are wound continuously on the bobbin, or in the same manner as a solenoid, an electro-magnetic field of force will be set up immediately a current is sent through the coils, which may be sufficiently strong to impart motion to the needle. If the instrument is being employed to measure the current passing through the resistance, or any effect of that current, serious error may therefore be introduced by the direct effect of the coils upon the needle. Again, as we shall see later on, it is impossible to start or stop a current in a solenoid suddenly, because work is done and time occupied in establishing, and again in disestablishing, the electro-magnetic field. These are serious defects, and it is fortunate, therefore, that the remedy is simple.

To obviate the difficulty it is only necessary that the

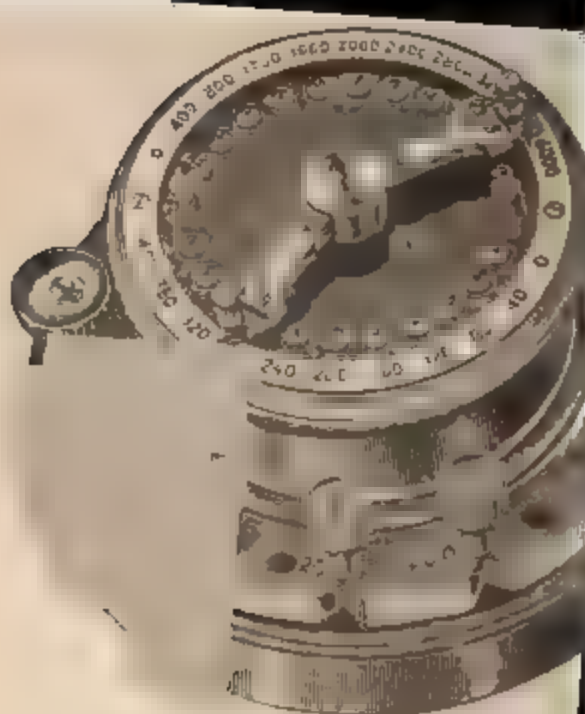
could be wound 'double' that is to say, the required length could be measured off and then doubled in the middle, the two wires being wound on together. The meaning of this will perhaps be more apparent on referring to the illustration (fig. 5). The double winding is more easily managed, especially with long coils, by winding the two halves off two separate spools or bobbins and soldering the inner ends together. In either case the two extremities of each coil are brought out together. We have thus two similar helices or solenoids carrying currents equal in strength but opposite in direction. The consequence is that the disturbing effect which would be produced by one solenoid is counteracted and neutralised by the opposite effect which would be due to the other.

When the coils to be enclosed in a box are numerous, it is convenient to place them in one long row and thus make a long narrow box. It is preferable to arrange them in two, three, or more parallel rows, connecting these rows together by brass blocks and plugs, as indicated in fig. 6. The centre of each block should

FIG. 6



be provided with a tapered hole of the same size as those between the blocks, in order that the plugs may be placed in them when not in use for short-circuiting the coils. It is most important that all the holes and all the plugs should be of exactly the same dimensions, so that the plugs may be interchangeable, that any one plug may be used for any of the holes. Failing this, considerable inconvenience and risk of error would speedily ensue, for then there would be a particular plug for each hole,



or box provided with an ebonite top and metal base. Ten coils, each of 40 ohms resistance, are connected to eleven rounded steel points projecting through the instrument. Ten other coils, each of 40 ohms resistance, are connected to the steel points on the other side of the ebonite. A number of other coils are connected to brass blocks fixed on the base of the instrument. These are those already described; when not required

pass through the 40 ohm coils until it reaches the steel spring held by the front brass arm, which is movable over these coils and studs. Passing along this arm, which is metallic throughout, it enter the other movable arm and thence pass to the 400 ohm coils. Leaving at the zero stud of these 400-ohm coils on the left-hand side, it will pass by a thick wire direct to the left-terminal and so to the other part of the circuit. The two arms can be readily moved round over the steel studs or points, so that the range of one arm is from 0 to 400 ohms, and that of the other from 0 to 4,000 ohms. The total resistance in circuit with the arms as shown, and all three plugs in, is 3,880 ohms. Though it is a great advantage that the resistance can be very easily varied, the instrument is somewhat objectionable for precise measuring purposes, as the springs are apt to get weak and the contact unreliable, the resistance then becoming variable. Another method of casing and joining up resistance coils is shown in figs. 8 and 9. A (fig. 8) is a circular brass plate; *b*, *c*, *d*

FIG. 8.

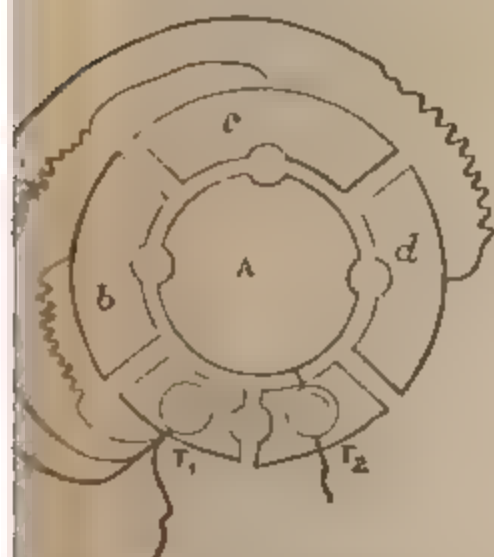


FIG. 9.



pass blocks. A tapered hole is provided between each of the outer plates and the plate A for the usual conical plug. These are the terminal screws, the latter of which is permanently connected to the brass plate A. One end of each of the three coils is soldered to terminal  $T_1$ , and the other end of each to one of the outer brass blocks. When it is desired to insert a coil in the circuit one of the resistance coils, the plug is placed in the

hole which is between the block connected to that coil and the plate A.

Thus the action is the reverse of that described in the last method, for here we insert a plug to insert resistance, removing it to cut out the resistance. Only one coil can, however, be used at a time; and if the plug is placed between terminals  $T_1$  and  $T_2$  the whole box is short-circuited. Fig. 9 shows a box of coils connected according to this method. It is designed for use with a galvanometer as a set of 'shunt coils,' having respectively  $\frac{1}{10}$ ,  $\frac{1}{20}$ , and  $\frac{1}{50}$  of the resistance of the galvanometer. (The nature and applicability of shunt coils will be dealt with in Chapter IV.)

For general use as well as for accurate measurements, the form of resistance-box shown in figs. 5 and 6 should be used. But where a means of rapidly varying the resistance is necessary, the form shown in fig. 7 is often employed. As we have already remarked, resistance varies considerably with temperature, whence every set of coils should have marked on the case the temperature at which they were measured. Then for very accurate tests they may either be brought to that temperature or a correction made in the reading, but in any case it is known whether any great error is likely to be caused by using them at any particular temperature.

It sometimes happens, however, that sets of resistance coils are required merely for the purpose of dissipating a certain amount of electrical energy. For instance, it becomes necessary, when employing some dynamo electric machines, to reduce the electrical output in response to a correspondingly reduced demand made upon it by the external circuit; and this can be done by joining extra resistance in series with the magnet coils, and allowing some of the power to be expended in heating this extra resistance. In such cases it is not necessary to know exactly the value of the resistance in ohms, but it must be divided into a number of approximately uniform sections, so that its value can be changed gradually. As the currents employed are, in such cases, very powerful, it is important that the coils should be able to withstand a considerable rise in temperature without being in any way injured. The wire must therefore be left bare, so that the heat generated can be dissipated by radiation and convection. Were the wire to be covered with any insulating material, the dissipation



by both these processes would be impeded, and there would be the further disadvantage that this sheathing would be sooner or later damaged, if not destroyed. The wire should be of a metal which has a fairly high specific resistance and fusing point, and should not be liable to deterioration by combining with atmospheric oxygen. For these reasons, German silver and tinned or galvanised iron are usually employed, but in special cases platinoid is resorted to. It is essential to select for the supporting frame a material which, while strong, is also non-inflammable and

FIG. 10.



a good insulator, with the smallest possible power of condensing atmospheric moisture upon its surface. In fig. 10 is shown such a set of resistances, constructed by Messrs. Goolden & Co., and



suitable for carrying very heavy currents. There are two cast iron end frames, which are hollow and have slate slabs fitted into them, these slabs being held in position by bolts which pass through both the slate and iron frame. The slabs, projecting inwards from the frames, carry a series of brass bolts and nuts, on to which are fixed the ends of spirals of bare German silver wire. Slate is an effective insulator for the purpose, and the device of passing the connecting bolts right through it and securing them with nuts, instead of trusting to a screw-thread cut in the material, renders it mechanically satisfactory. The frame is completed and made rigid by a pair of iron rods which are secured to the cast iron ends. The whole of the spirals are joined in series, the terminals for connection to the external circuit being fixed on to the slate through holes in the bottom end-frame. The left hand terminal is joined to the bottom of the left-hand spiral, while the right hand terminal is connected to the lever of a switch which passes over two contact pillars rising from the slate bed through an opening in the frame. These pillars are connected to the lower junctions of the spirals, and by altering the position of the switch the spirals can be cut in or out of circuit, in pairs, as desired. The iron frames are 12 inches in width, the length being varied up to about 2 feet 6 inches by the employment of connecting rods of different lengths. A set of resistances similar to that illustrated is capable of dissipating about 1,000 watts without undue heating.

We have seen that whenever a current of electricity flows, a certain amount of energy is expended; and it is necessary to be able to measure exactly, the amount of energy so expended in any circuit or in any part thereof. The quantity of work performed in raising a mass of one pound through a difference of level of one foot against the force of gravity, is generally taken as the unit of mechanical energy and is known as the foot-pound. The work done in raising any mass through any height, is found by simply multiplying together the number of pounds in that mass by the number of feet through which it is lifted. Somewhat similarly we can take as the practical unit of electrical energy, the amount expended in transferring a unit quantity of electricity (one coulomb) through a difference of potential of one volt. And by multiplying the number of coulombs which have flowed from one

point to another by the difference of potential in volts between those points, we obtain the number of units of electrical energy expended during the passage of the current. The unit of electrical energy, or one coulomb multiplied by one volt, is called the joule. As a simple numerical example we may suppose a current of 10 amperes to flow for 5 seconds, then the quantity of electricity passing through the circuit would be 50 coulombs, and if the current were maintained by a potential difference of 1 volt the amount of energy expended in that time would be  $1 \times 50 = 50$  joules.

As a rule we wish to know the *rate* at which work is being done in any circuit, rather than the amount which is done in a given time. It is evident that this rate can always be found by dividing the amount of work by the number of seconds taken for its performance, but the same result can be arrived at by multiplying together the potential difference and the rate of transformation of flow of electricity, instead of the quantity actually transformed in a given time. Now the rate of flow of electricity is what we call the current strength, which is measured in amperes. Therefore, if the difference of potential in volts between two points is multiplied by the resulting current in amperes, the result will be the rate at which energy is being expended at the rate of flow between those two points. The unit rate of working, or the rate of *power* is called the watt—that is to say, 1 ampere multiplied by 1 volt is 1 watt. Therefore, if a difference of potential of 30 volts is maintained between the ends of a wire maintaining a current of 2 amperes, the rate of working is  $3 \times 20 = 60$  watts.

It is desirable that the relation between mechanical and electrical rates of working should be understood. The mechanical unit is termed the horse-power, and is equal to the rate of working which, if continued for one hour, would expend 3,600,000 foot-pounds of energy, or raise 33,000 pounds one foot. One horse-power is equal to 746 watts, and to find the number of watts absorbed in any electrical circuit, we divide this number by 746 to get the number of horse-power. The loss of energy, expressed in this respect, is the power of the circuit, and is, therefore, frequently referred to as the *horse-power of the circuit*.

Subsequent to the passing by Parliament of the Electricity

Act of 1888, the

the Board of Trade the arbiters of the destinies of electric lighting concerns, a larger unit of electrical power has come into use. It is sometimes called the Board of Trade unit of power (but see p. 615), and is equal to 1,000 watts, or the power expended by 1,000 amperes at a potential difference of 1 volt. A convenient name for this unit is the kilowatt.

The units described in this chapter are those which are, and which will continue to be, employed in practice by the electric lighting engineer. No effort should therefore be spared to master the simple relation existing between the ampere, volt, ohm, horse-power, &c.

But it is advisable to know the method by which the various electrical units have been evolved, for they have not been selected arbitrarily, like the pound, yard, and gallon, but are built up on the fundamental conceptions of length, time, and quantity of matter, and are inseparably linked together. Perhaps the simplest measurable quantity which we can conceive is that of length, and in deciding upon a unit of length an effort was made to select some unalterable natural distance. The length of an earth quadrant—that is, the distance from the equator to the pole along a meridian—was agreed upon, and one ten-millionth part of this taken as the practical standard of length, and called a metre. The original measurement of the earth quadrant proved to be considerably in error, and consequently the simple relation between it and the metre was upset. But the metre thus determined was retained as the standard of length, and one hundredth part of the length, called one centimetre, is taken as the basis of the unit upon which the system now to be briefly described has been reared. A square centimetre is the area contained in a square each of whose sides is one centimetre, and a cubic centimetre is the volume contained in a cube each of whose edges is one centimetre in length.

The next unit required is that of mass, or quantity of matter, and it should be remembered that the force of gravity acts upon every body in exact proportion to its mass, or the quantity of matter in it, independently of its size; therefore, what we know as the weight of any substance is exactly proportional to its mass. The unit of mass is called the gramme. It is equal to the mass

contained in a cubic centimetre of pure water at its maximum density, i.e. at  $4^{\circ}$  Centigrade.

The third unit, that of time, is called the second. It is the length of time known in England by that name, and is the 86,400th part of a mean solar day.

The great value of a system built upon such units as those described is that it is always possible to recover any one of them, and so reconstruct or verify the system if necessary, although the process is no doubt difficult and tedious. The term 'absolute' has been applied to such a system, but it is not easy to see the precise application of the word here. It is usual, and certainly far better, to refer to it as the centimetre-gramme-second, or the C.G.S., system.

The next conception in order of simplicity, is that of the rate at which a mass of matter changes its relative position, or the velocity with which it moves. Velocity is estimated by dividing the distance in centimetres through which a body moves by the time in seconds taken to travel that distance. The unit is a velocity of one centimetre per second.

A mass of matter cannot, by any property belonging to it, change its position or its state of rest or motion, by itself. That which is competent to move, stop, or vary the motion of a mass of matter is called force, and the greater the force, and the longer the time during which it acts, the greater will be the increase or decrease in the velocity of a given mass. The unit of force is called the dyne; one dyne is that force which, by acting upon a mass of one gramme during one second, can impart to it a velocity of one centimetre per second.

When the position of a body is changed in opposition to any resisting force, work is done or energy expended, the amount being estimated by multiplying together the force overcome and the distance through which it is overcome. The unit of work is called the 'erg,' and is that work done when a force of one dyne is overcome through a distance of one centimetre; the energy expended is in every case equal to the work done, therefore the erg is also the unit of energy. We have seen that the practical unit of work, or expenditure of energy, is the joule; and one joule is equal to ten million ergs. Consequently, the practical unit of power, or

rate of doing work, called the watt, is equivalent to ten million ergs per second.

Current strength is measured by the quantity of electricity which flows past any point in a circuit per second. The unit is that current strength which, when one centimetre of its path—that is to say, one centimetre of the conductor carrying the current—is curved into an arc of one centimetre radius, exerts a force of one dyne upon a unit magnet pole placed at its centre. The conditions of this unit will, however, be better understood after studying Chapter IV. The practical unit which is called the 'ampere' is equal to one-tenth of this so-called 'absolute' unit.

The unit quantity of electricity is that quantity conveyed by unit current in unit time. The practical unit, the coulomb, is therefore also one tenth of the absolute unit.

The unit difference of potential between two points exists when one erg of work has to be performed in urging one unit of electricity against the electric force, or when one erg is expended by the flow of one unit of electricity from one point to the other. The volt or practical unit is 100,000,000 times the absolute unit.

Unit resistance exists when unit difference of potential causes unit current strength to flow through it. It follows, therefore, that the ohm is equal to 1,000,000,000 absolute units. The units which chiefly claim our attention are those of current, quantity, potential difference, and resistance. It is not possible to provide an invariable physical standard of either of these except resistance, which fact to a certain extent increases the importance attached to the unit of resistance. As has been pointed out, a reliable physical standard, in the form of a column of mercury of certain dimensions, has been selected to represent the ohm.



## CHAPTER III.

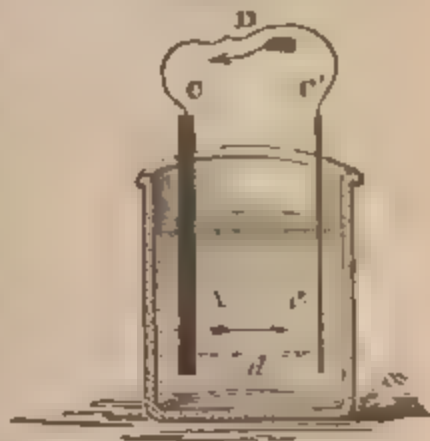
## PRIMARY BATTERIES.

A CURRENT of electricity can be maintained in a number of ways. One of these is by means of primary cells. A primary cell consists of a vessel containing a saline or acidulated solution, in which are immersed two solid conducting bodies, one of which is more available than the other by the liquid. When two or more cells are joined together to increase the effect, the combination is known as a battery.

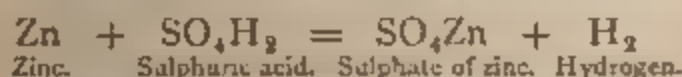
Primary cells can be divided into two classes, viz. (a) single-fluid, or those in which only one solution is used, and (b) double-fluid, or those in which two solutions are employed.

The single-fluid cells are typified by the 'simple cell,' which was referred to on page 2, and which consists of a glass or earthenware vessel (fig. 11) nearly filled with water acidulated with a small proportion of, say, sulphuric acid, and containing a piece of zinc, A, and a piece of copper, B. On connecting the plates by a piece of wire, c c, and thereby causing the current to flow, the surface of the zinc is attacked and sulphate of zinc is formed, hydrogen gas being liberated at the surface of the plate B.

FIG. 11.



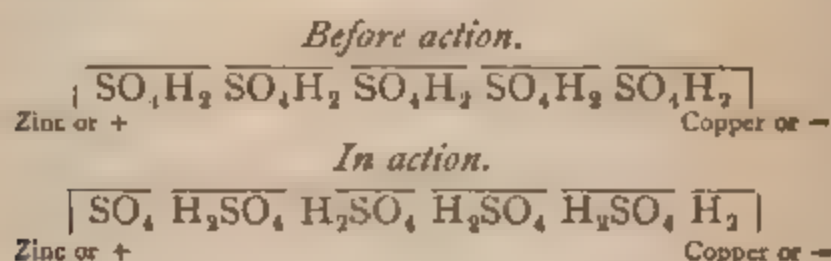
This reaction may be represented by an equation, thus :—



No chemical effect whatever is produced on the surface of the plate B, and it may here be noticed that the plate which is more



or less dissolved, is called the positive plate, the other being called the negative plate. Chemical action may be supposed to take place throughout the entire length of the liquid or the distance between the plates, but it is not manifest except at the surfaces of the plates, and, for convenience' sake, it may be said to commence at the positive plate—that is to say, the acid particles, or, more correctly speaking, molecules in contact with the zinc plate may be assumed to be the first decomposed, the hydrogen thus liberated attacking the next succeeding acid molecules in a similar manner. Hydrogen is again liberated, which again in its turn decomposes the adjacent acid molecules. A series of decompositions and recompositions is thus propagated throughout the entire liquid by a process of repetition, molecule for molecule, resulting finally in the deposition of the free hydrogen on the copper or negative plate. As the hydrogen thus deposited does not enter directly into chemical union with any of the simple metals, it remains in the gaseous state. The resultant changes present the appearance of the acid alone being affected, while the water remains constant and unchanged. The action may be expressed in chemical formulæ, thus :—



The hydrogen is here released in a definite ratio to the amount of zinc dissolved. In fact, we may take it as an established law that the ratio between the weight of zinc dissolved and that of the hydrogen, &c., released by the passage of the current, is invariable, and that this ratio is dependent upon their respective electro-chemical equivalents.

We see by the above equation that for every atom or equivalent of zinc dissolved or converted into sulphate of zinc, two atoms of hydrogen are liberated. An atom may be defined as the smallest possible quantity of any substance capable of entering or passing out of combination ; and it will be seen, on

referring to the accompanying table of atomic weights, or of the relative weights of individual atoms of some of the more important substances, that an atom of hydrogen weighs less than one of any other substance :—

TABLE OF ATOMIC WEIGHTS AND EQUIVALENTS.

Elements	Symbol and Valency	Atomic Weight	Chemical Equivalent	Electro-chemical Equivalent (Milligrammes per Coulomb)
<b>ELECTRO POSITIVE.</b>				
Hydrogen . . . .	H <sup>1</sup>	1	1	0.010384
Potassium . . . .	K <sup>1</sup>	39.04	39.04	0.40539
Sodium . . . . .	Na <sup>1</sup>	23.99	23.99	0.23873
Aluminium . . . .	Al <sup>3</sup>	27.3	9.1	0.09449
Magnesium . . . .	Mg <sup>2</sup>	23.94	11.97	0.12430
Gold . . . . .	Au <sup>1</sup>	196.2	65.4	0.67911
Silver . . . . .	Ag <sup>1</sup>	107.66	107.66	1.11800
Copper (Cortic) . .	Cu <sup>1</sup>	63	31.5	0.32709
„ (Cuprous) . . .	Cu <sup>1</sup>	63	63	0.65419
Mercury (Mercuric) .	Hg <sup>1</sup>	199.8	99.9	1.03740
„ (Mercurous) . .	Hg <sup>1</sup>	199.8	199.8	2.07470
Tin (Stannic) . . .	Sn <sup>4</sup>	117.8	29.45	0.30581
„ (Stannous) . . .	Sn <sup>2</sup>	117.8	58.9	0.61162
Iron (Ferric) . . .	Fe <sup>3</sup>	55.9	18.64	0.19356
„ (Ferrous) . . .	Fe <sup>2</sup>	55.9	27.95	0.29035
Nickel . . . . .	Ni <sup>2</sup>	58.6	29.3	0.30425
Zinc . . . . .	Zn <sup>2</sup>	65	32.5	0.33696
Lead . . . . .	Pb <sup>2</sup>	206.4	103.2	1.07160
<b>ELECTRO-NEGATIVE.</b>				
Oxygen . . . . .	O <sup>2</sup>	15.96	7.98	0.08286
Chlorine . . . . .	Cl <sup>1</sup>	35.37	35.37	0.36728
Iodine . . . . .	I <sup>1</sup>	126.53	126.53	1.31390
Bromine . . . . .	Br <sup>1</sup>	79.75	79.75	0.82812
Nitrogen . . . . .	N <sup>3</sup>	14.01	4.67	0.4749

It is in consequence of this fact that hydrogen is taken as the standard in calculating the atomic weights of the various simple or elementary bodies. It will also be observed that an atom of zinc weighs sixty-five times as much as an atom of hydrogen. The meaning of the equation, therefore, is that for every sixty-five parts by weight of zinc dissolved, two parts by weight of hydrogen are liberated ; consequently, if we again regard the relative deposition of hydrogen as the standard, the weight of zinc dissolved will be 32.5 times as much, or, in other words, the electro-chemical equivalent of hydrogen being unity, that of zinc is 32.5. The equi-

values of the other electrolytic bodies enumerated in the table have been calculated in a similar way.

The hydrogen, in consequence of its low specific gravity, exhibits a tendency to rise through the water and escape into the air. Only a portion, however, of the gas escapes in this way, a large proportion adhering to the copper plate and forming as it were, a gaseous film over the metallic surface. This accumulation, due to a variety of causes, is facilitated by the opposite polarities or electrical conditions of the copper and hydrogen which cause a mutual attraction to set in. There is a double effect of the accumulation which soon becomes apparent, for a gradual diminution in the current sets in, consequent first on the decrease in the copper surface exposed to the liquid (which involves a proportional increase in the internal resistance of the cell), and, secondly, on the tendency on the part of the positively electrified hydrogen film to set up a contrary current. Free hydrogen is, in fact, more positive than the zinc itself. When this condition is arrived at, the cell is said to be polarised. The effect

FIG. 12.



of the passage of a current being, therefore, a reduction of the electro-motive force of the cell, such a combination is manifestly useless for purposes requiring a continuous and uniform current.

To overcome this really strong objection, Smee constructed a cell (fig. 12), the peculiarity of which consisted in the nature of the surface of the negative plate. It had been ascertained that a smooth surface engenders a much more rapid accumulation of hydrogen than does a roughened surface. Accordingly, he used for his negative plate a thin sheet of silver covered with platinum in a state of very fine division, so that an irregular surface was produced. So treated the plate is known as *platinised silver*. There are two zinc plates connected to the same terminal, but placed one on each side of the silver, the solution being 1 of acid to 10 of water. This cell, which is still largely used, is considerably more lasting than the simple cell; the unevenness of the negative surface facilitates the ascension of the hydrogen

particles more nearly in proportion to the rate of production. It has also a higher electro-motive force because of the substitution for copper of a more electro-negative plate. This form of battery is useful where currents are required for brief periods, but it is far from being a constant cell, that is, one which yields a *continuous and uniform* current. When, however, the cell is put together of abnormally large proportions, it approximates more nearly to the condition of a constant cell, and is used as such by many electro-platers.

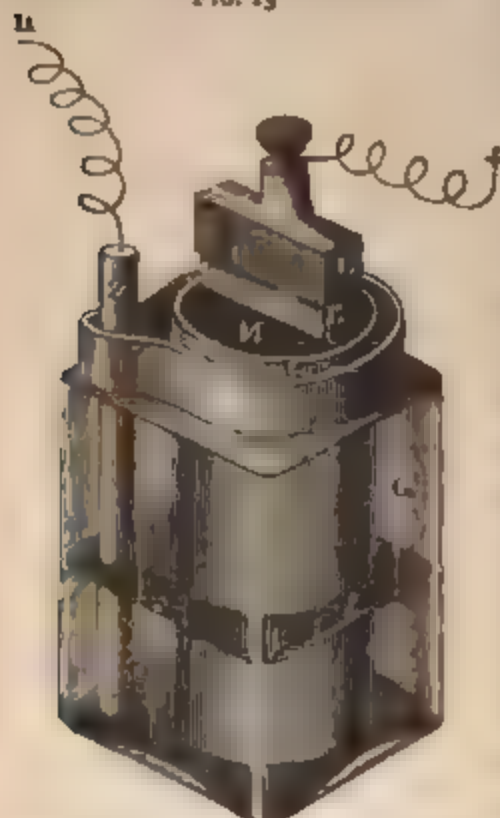
The Smee cell is capable of being manufactured in a very compact form. The silver foil is fixed in a frame made by fastening together four pieces of wood about half an inch square in section, the upper edge of the foil being connected to a brass terminal on the top of the frame. The plates of zinc, a trifle larger than the foil, are placed against the two sides of the frame and all three are then clamped together by a strong brass terminal or clamp which is placed in contact with the zincs. The advantage gained by this form of construction is that the internal resistance of the cell is very low ; first, because the two zinc plates are opposite to the two sides of the foil, and, secondly, because the distance between the foil and the zincs is very small. The wooden frame is necessary, to support the thin silver foil and to prevent it touching either of the zinc plates. Were there any other simple means of preventing this contact, the frame might be dispensed with.

There is in use at the Royal Observatory at Greenwich a remarkably simple and useful modification of the Smee cell. It consists of a plate of zinc and a plate of platinized carbon, the upper portion of which is rendered non-porous by immersion in hot paraffin wax. The solution is one of dilute sulphuric acid, the acid being, however, very pure. The hydrogen bubbles can be seen rising freely through the solution, instead of adhering to the uneven surface of the negative plate. The resistance of the cell is very low, and its electro-motive force, after a few minutes, remains steady at about half a volt.

A far more important cell than the Smee is the Leclanché (fig. 13), in which a zinc rod, *z*, is used as the positive plate, while the negative plate *c* takes the form of a rod or slab of gas carbon, or

of prepared carbon. The gas carbon is one of the by-products in the manufacture of gas, and is formed by the condensation of a portion of the carbon in the cooler portions of the retort. The

FIG. 13



prepared carbon is made by subjecting to considerable pressure, at a high temperature, a mixture of powdered carbon and some treacly substance which is employed for cementing the carbon particles. The carbon plate is placed inside a vessel of porous (unglazed) earthenware, which is then filled with a mixture of crushed, but not powdered, carbon and black oxide of manganese. The latter should be of the 'needle' or granular form, care being taken to exclude powder or dust. The outer vessel, G, is generally of glass, which enables the condition of the cell to be observed without removing any of the parts. The liquid

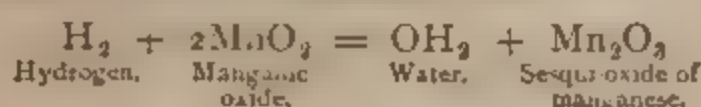
consists of a saturated solution of sal ammoniac, or chloride of ammonium, the porosity of the inner jar allowing the solution to diffuse itself somewhat freely, and so to moisten the mixture of carbon and black oxide.

The zinc combines with the chlorine of the sal ammoniac, forming zinc chloride, simultaneously releasing hydrogen and ammonia, which latter dissolves in the water until a saturated solution is obtained—that is to say, until the solution holds as much as it can support after which it escapes as a gas readily recognised by its characteristic odour. It may, however, be remarked that water is not saturated with ammonia until it has absorbed 727 times its volume of the gas at a temperature of  $15.5^{\circ}\text{C}$ . or  $60^{\circ}\text{F}$ . The hydrogen, so far, remains free, as shown by the equation :—





It is, however, ultimately released inside the inner vessel, and there it deprives the manganic oxide of some of its oxygen, forming water and sesqui-oxide of manganese, thus :—



The entire action may be represented by a single equation, thus :—



The action so represented is, of course, similar to that of the simple cell or the Smee, in so far as concerns the propagation of the series of decompositions and recompositions. There is, however, a subsequent or secondary reaction between the zinc chloride and the other constituents of the solution, resulting in the formation of what are called double salts, which tend to impede the efficient working of the cell.

One great advantage this battery has over most, if not all other forms, is that it does not in any way deteriorate by inactivity, unless the evaporation of the water can be regarded in this light, but even that may be prevented. It is no unusual experience for these cells to remain in work for upwards of a year without the necessity for any attention whatever, and even then it is probable that a jug of water is all that is required. It will be seen, from a study of the equations given above, that the working of the battery results in the gradual absorption of the zinc, and the decomposition of the sal ammoniac, &c., which accordingly require replenishing at times. A whitish yellow turbidity in the solution indicates the presence of an excessive amount of zinc chloride in proportion to the amount of sal-ammoniac, which latter should then be increased, although it would be as well to remove a portion of the solution and then fill up with water before adding the sal ammoniac.

Considerable care is taken in the construction of this cell. As both sal ammoniac and ammonia are corrosive and attack copper, brass, &c., all the exposed metallic surfaces should be well served with gutta percha, pitch, paraffin wax, or some other non-corrosive and impervious material.



Where the batteries are made in very large quantities, it is the practice to drill two small holes through the upper extremities of the carbons, and, after raising these ends to a high temperature, to dip them into melted paraffin wax. They are subsequently placed into a mould containing molten lead, a terminal or binding-screw being cast into this leaden cap at the same time. The function of the wax is to close the pores in the upper portion of the carbon, and so to prevent the ammoniacal solution from creeping up to the terminal or leaden cap. Lead is interposed between the waxed carbon and the brass terminal because it is the least assailable of the ordinary metals. Pitch is run over the carbon-manganese mixture to keep the mixture and the carbon rod in position, and to form an impervious covering, holes being made in it, however, to permit any hydrogen or other gases that may be formed to escape. The upper parts of the porous pot, and the zinc rod and the connections, are likewise coated with pitch. Sometimes an india rubber cover is made to fit over the top of the battery, so as to hold the porous pot and the zinc permanently in position, and to prevent the evaporation of the water.

The electro-motive force of this battery is nearly twice that of the Smee, while, owing to the large surface exposed, more particularly at the negative plate, the internal resistance is also low. The cell is, however, only useful for sending occasional or intermittent currents, such as are required in electric-bell work. In fact, the chief objection to this battery is the great rapidity with which it polarises and so becomes temporarily useless, owing probably to the fact that hydrogen is liberated faster than the manganic oxide can be decomposed. Consequently, a more or less perfect film of hydrogen is deposited over the surface of the carbon. That this is the case is in a measure demonstrated by the fact that if the cell is allowed to stand idle for a brief interval of time it will again yield its full current. This intermittent action obviously limits very materially the cell's sphere of usefulness. The defect, although very marked when the resistance of the circuit is very low, is reduced to a minimum when the resistance is high, because the current is then feeble and the chemical reactions proportionately less. The fact that the constituents of the cell remain inactive when the cell is idle, is a point

of very considerable importance, and is a very useful feature, for it means that there is no wasteful action in the battery, such as we shall find there is in practically every other type of battery at least, in every battery in which an acid plays a part. Cleanliness is, however, absolutely necessary in dealing with the Leclanché, or, indeed, with any other form of battery, and it is essential that the containing vessel, whether of glass or earthenware, should be kept dry externally. The latter desideratum is usually accomplished by coating the upper portion of the outer surface of the vessel with pitch or some other such substance as will not permit the liquid to 'creep' over its surface, for the salt (sal ammoniac) has a strong tendency to crystallise out. Should the solution be allowed to creep, we have to contend not only with the waste of salt so occasioned, but also with the 'leakage' of electricity that would take place over the moistened external surface.

There is a modification of the Leclanché which is of some importance and which is known as the 'agglomerate' Leclanché. The negative element consists of a carbon plate or block, having in contact with it blocks of agglomerated carbon and manganese. The latter are prepared by intimately mixing 40 parts of manganic oxide, 55 parts of gas carbon, and 5 parts of gum lac resin, and submitting the mixture, placed in a steel mould, to a temperature of  $100^{\circ}$  C., applying at the same time considerable hydraulic pressure. The result is a solid compact mass, and, as the chief function of the porous pot in the older type is to support the mixture of crushed carbon and manganic oxide, it is apparent that that vessel, which materially increases the internal resistance of the cell, can be dispensed with. India-rubber bands placed round the agglomerated blocks (which in their turn embrace the carbon block), keep the whole of the compound negative element together. In the earlier forms of agglomerate cell, rectangular blocks of agglomerated manganic oxide and carbon were held against the two faces of a flat plate or block of carbon, and the india rubber bands holding the three blocks together were specially made so as to hold also the zinc rod, which was of the usual type.

But a much better form is that known as the 6-block agglomerate (see fig. 14), which is very extensively used. The negative element consists of a block of carbon with six fluted sides,

which is capped with lead and fitted with a terminal after the top of it has been steeped in hot paraffin wax. In each of the sides is laid a round stick of the agglomerated carbon and manganic

FIG. 14.



oxide, the whole being wrapped round with a piece of coarse canvas, and held in position by a couple of stout india rubber bands. The canvas does not, of course, prevent intimate contact between the rods and the solution, nor does it appreciably increase the internal resistance of the cell, its function being simply to prevent pieces of the agglomerate rods falling out and 'short-circuiting' the cell, by joining the positive and negative elements together. Instead of employing a zinc rod for the positive element, a large piece of sheet zinc (about  $\frac{1}{8}$  inch thick) is rolled into a cylinder, the approaching edges being, however,

kept a quarter of an inch or so apart to allow of the free circulation of the solution. In consequence of the very large increase in the amount of surface thus exposed to the liquid, the internal resistance is very considerably reduced, polarisation being also to a great extent prevented or at least impeded. The current produced is much more uniform than that from the old type *le clanché*. As a matter of fact, when employed upon circuits offering high resistance, an almost constant current is produced, and, as the cell is pre-eminently a clean one, as the cost of maintenance is very low, and as there is a total absence of wasteful action when the cell is idle, it is rapidly gaining ground and driving out of the market many other types of cell, such as the Daniell and the Bichromate (to be presently described). In fact, for ordinary work on circuits of high resistance, or even for hard but intermittent work on circuits of low resistance, we know of few, if any,

series of experiments to be made, and the importance of the results.

The following is a description of the apparatus used in the experiments. It is an important one, and is described in detail. The apparatus consists of a small glass vessel, the bottom of which is test-tube, a layer of water, and a layer of mercury. A. being any metal or alloy, which covers the bottom of the vessel to a depth of half an inch. B. is placed on the surface of the water, and consists of a thin plate of metal, the thickness depending on the nature of the metal. The plate is made of zinc sulphate. The plate is connected to a rod of pure distilled metal, which is placed in the paste. The rod is connected to the means of passing water, and is connected to the connection. A metal wire is connected to the end of a copper wire, which is connected to the end of the rod. The wire is connected to the end of the rod. A platinum wire is connected to the end of the rod, and is connected to the end of the rod.

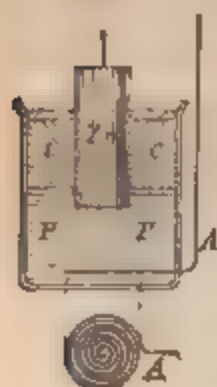
It is highly probable that the metal is absolutely pure, better than the metal of mercury. The metal is connected to the pure mercury, placed in a test-tube, and sulphate is an acid, and a variety of other with distilled water, before it is used, to remove any trace of the mercury. The metal contains a layer of pure metal, and is covered with mercuric sulphate, and is the substance of a yellowish tinge.

The chemical action which takes place when a current is to decompose the metal, and the mercury released to that metal, and the metal of zinc being dissolved on the positive side.

The electro-motive force of this is 1.10 volts.

ceedingly uniform, providing only a high external resistance, not less than 1,000 ohms, is employed. If the resistance of the circuit is low, the current becomes proportionally strong. The mercury salt is not then capable of being decomposed at a corresponding rate, whence polarisation sets in and the electro-motive

FIG. 16.



force falls in consequence. The electro motive force also decreases with an increase of temperature, the rate being about 0.08 per cent. per degree Centigrade.

The commercial form of Clark cell constructed after the plan of Dr. Muirhead is illustrated in fig. 16. Instead of using a layer of mercury, the platinum electrode A, fused through the glass-containing vessel, is made of a long piece of wire which is coiled into a close flat spiral and coated with mercury, either by heating and then immersing it in a mercury bath, or by heating the mercury and the platinum together. The spiral is then embedded in the paste, composed of pure mercurous sulphate and a saturated solution of pure zinc sulphate, *p*.

FIG. 17.



The pure zinc rod, *z*, is dipped into the paste, and a cement stopper, *c*, holds the whole firmly together, so that the cell is made more portable than that shown in fig. 15, which has the disadvantage that the constituents of the cell are liable to become mixed if it is not used very carefully. The mercury deposited on the platinum spiral is sufficient to form the negative element or 'plate,' so that a layer of mercury is not really necessary.

Fig. 17 shows the method employed for casing in. A cylindrical brass case with an ebonite cover is used, and contains two cells which can be balanced one

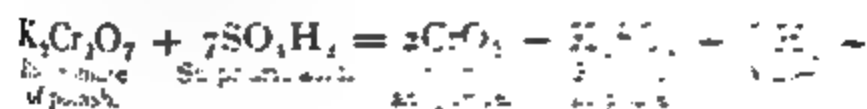


against the other to test their relative power as the former may be used together and give a better result. The thermometer is likewise provided the bulb of which is in the tube bent so as to be over the same in the solution. This is an important, though simple, expedient to avoid the influence of an error due to a varying temperature.

The only other form of electrochemical element which we notice is that in which a solution of potassium dichromate is employed, and which is generally made in the form of a cell as shown in the diagram (fig. 18). It consists of an arrangement of zinc and carbon plates (always one more of carbon than of zinc) which are placed in a glass vessel containing the solution. The carbons are all connected with the terminal so as to give a large negative surface and all the zincs with another to oppose a large positive surface to the solution. In most cases the zincs are attached to a metal rod which passes through a hole in the cover, so that by raising the rod the plates can be readily removed from the solution and the wasteful consumption of the potassium dichromate of potash which would otherwise take place when the cell is left unprotected.



The solution consists of 1 part of water of bichromate of potash, 2 parts of sulphuric acid (of 1.8 sp. gr.) and 1 part of chromic acid. The bichromate of potash is first dissolved in water, and then the sulphuric acid is added slowly to the acid, stirring all the time. The bichromate of potash is then added to the solution, which precipitates in a beautiful orange-red color. The chemical reactions being indicated by the equation—

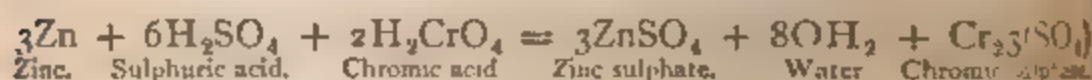


Water is then added slowly, when the chromic anhydride is converted into chromic acid ( $\text{H}_2\text{CrO}_4$ ) by the absorption of water, a quantity being taken up, with the usual result of the reaction of sulphuric acid and water—viz. the evolution of a



amount of heat. The energy with which the acid unites with the water is very great, and it is this that necessitates the slow addition of the latter. If poured on too abruptly there is considerable danger of the mixture being ejected from the vessel and scattered about the person or on anything that may be near. As the acid is exceedingly corrosive, it is impossible to take too much precaution when adding the water. In ordinary cases where the acid and water are to be mixed it is by far the safer plan to add the acid to the water, as the former will then find plenty of the latter to satisfy its almost insatiable thirst.

When the solution of the crystals is completed and when the liquid has cooled down to the ordinary temperature, it is ready for use. On completing the circuit and allowing the current to flow, the zinc is dissolved, forming zinc sulphate, and the chromic acid is converted into chromic sulphate, water being liberated. The reaction may be expressed by the equation :—



This battery has a high electro-motive force, while its resistance is very low. It yields, therefore, a considerable current, which does not, however, last long, rarely more than an hour or so, because of the rapidity with which the cell becomes polarised. On the other hand, when only used occasionally, the same solution will last for a very long time. As there is a tendency, by secondary chemical reactions taking place between the various constituents of the cell, to form hard crystals of a double salt (known as chrome alum) which at times cause a fracture of the jar, it is advisable to avoid square or flat cells for this battery. As we shall presently see, a modification is extensively used on account of its high electro motive force, its low internal resistance, and its approximation to constancy.

We come now to consider the double liquid batteries, the great aim of which is to obtain constancy, even if at the loss of a little power. The chief obstacle to constancy, we have seen, is the accumulation of hydrogen on the negative surface, which hydrogen must therefore be absorbed. Daniell, in 1836, was the first to achieve this object, which he did by using a metallic salt in the

copper, which forms itself into nuggets in the pores of the earthenware and frequently chip or even completely fracture it.

The zinc should be pure, or as nearly so as it can be obtained. Chemically pure zinc, however, is manufactured with great difficulty, and is consequently very expensive. The presence of foreign matter is, nevertheless, a very great deterrent to the good working of the cell, for it must be remembered that the presence in a solution of two metals in contact or otherwise electrically connected, always results in the production of electrical currents. If, therefore, there are particles of foreign metals mixed up with the zinc, there necessarily occurs local currents which act disadvantageously in at least two ways—first by wasting the zinc, and secondly by weakening the main current. As zinc is positive to every available substance (the only metals positive to it being potassium and sodium, which, on account of their extreme affinity for water, are never employed for battery purposes), the admixture of particles, say, of iron, tin, or arsenic, causes small currents to travel from the zinc to these particles, and while the impurities remain to a great extent unaffected (because of their being the negative element), the zinc is constantly suffering a loss by consumption or conversion into a salt. These minute currents are furthermore produced on the surface of the zinc, and must, as already mentioned, interfere considerably with the production of the primary current. The difficulties arising from the presence of impurities are also increased if the zinc is imperfectly or improperly manufactured. The molecular arrangement (or the relative position of the molecules) must be homogeneous throughout the surfaces of each plate, otherwise currents will be set up between the softer and harder parts of the zinc—in a word, they possess opposite electrical properties, so that even if chemically pure zinc were procured, it would not follow as a matter of course that we should be secured against this source of wasteful local action. Concentrated sulphuric acid has, it may be mentioned, no effect on pure zinc provided it is properly annealed—that is to say, that the surfaces have been softened and made molecularly homogeneous. The acid can, therefore, furnish us with a tolerably reliable test for the degree of purity and equable texture possessed by the metal. So important, indeed, is this question of uniformity that

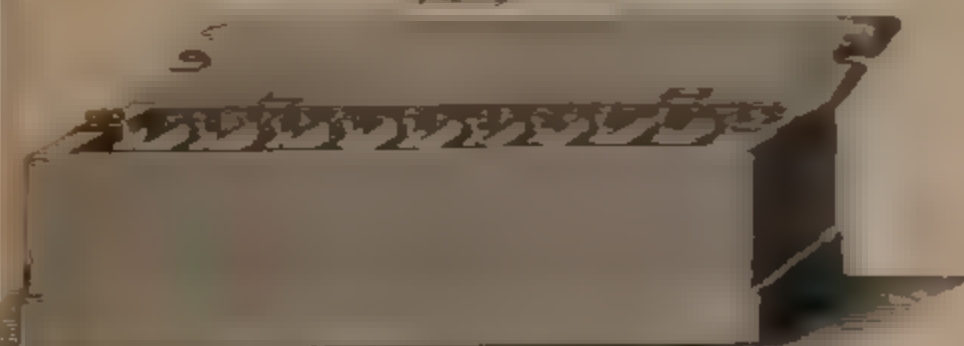
a difference of temperature will frequently determine a difference of potential, and therefore cause a current to flow.

The effect both of the presence of any impurity and of unequal hardness can, however, be effectually overcome, at least for a time, by the process known as 'amalgamation.' This process consists in first thoroughly cleansing the surfaces of the metal by immersing it for a time in a dilute sulphuric or hydrochloric acid solution, and subsequently (but while still wet with the acid) coating the surfaces with mercury. This operation is generally recommended to be performed by rubbing the mercury on with a sponge or piece of cloth at the end of a stick; but this is a very irksome and tedious operation, more especially when the zincs are cylindrical, and it is quite as, if not more, efficacious to pour the mercury (which should afterwards be used for no other purpose) into a flat vessel and lay or roll the zincs in it. This may be thought a wasteful process, but the superabundant mercury can be easily removed by wiping the surfaces over and then standing them on a dish, to allow any mercury that may be still free to fall off. This method is much to be preferred when it is required to amalgamate a large number of plates. A very little mercury deposited at the bottom of the zinc division in the battery will suffice to keep the plate well amalgamated for a long time.

By adopting the process of amalgamation the commonest zinc can be rendered thoroughly serviceable for a greater or less period according to the degree of effectiveness with which the process has been carried out. As to its rationale, it appears evident that the function of the mercury is to homogenise the molecular arrangement by uniformly softening the zinc and forming with it a regular amalgam unassailable by pure sulphuric acid. The amalgam in an almost liquid state glides over and covers up all impure particles that have not been dissolved off by the washing process; as the zinc wears away these particles fall out and drop to the bottom of the cell to do no further harm.

The mercury does not enter into action with the acid or in any other way interfere with the efficient working of the cell, but on joining up the battery the acid attacks and dissolves the zinc more or less uniformly, the mercury eating its way inwards as the superficial zinc particles enter into the solution.

The circular form of battery is very convenient for itself or floor space, while the square form is more easily superseded the circular form, and the latter are for that reason to be avoided. The square form is usually introduced by Dr. Muirhead. It is a box or trough, into which the plates of zinc and white glazed porcelain or chloride are placed, when a number



of and compact appearance, as shown in Fig. 19. The section of one of the single cells is shown in Fig. 20.

FIG. 20.



comparing the double cell form. The latter is a more convenient. There is a little ridge along the bottom of the cell, as shown in Fig. 20, to keep the flat porous vessel in position. The vessel containing the copper plate is fixed by a screw



sulphate crystals, the zinc, which should be not less than  $\frac{1}{4}$  in. thick (to allow for waste by local action), being suspended in a zinc sulphate solution. It will be noticed that the copper plate is attached to the zinc of the next adjacent cell. It is usual practice to rivet one end of a copper strap on to the copper plate, the zinc being cast on to the other end of the strap. In this expensive binding screws or terminals are dispensed with, and good and substantial contact is ensured. The last zinc and last copper are connected to brass terminals, which become respectively the negative and positive poles of the battery.

Nothing but clean water (hard water should, if possible, be avoided) is poured into the zinc division, but sufficient is added to bring it up to within about a quarter of an inch of the top of the zinc plate. The battery at the end of about twenty-four hours will be found to be in working order, the sulphate having dissolved in the copper division and enough passed through the porous partition to start the chemical action. Under these circumstances then, a portion of the cupric sulphate that would otherwise be wasted is utilised to convert the water into a solution of zinc sulphate. If the battery is wanted for immediate use, the zinc cell must be filled with a weak solution of sulphate of zinc (or sulphuric acid), and the copper cell with a saturated solution of sulphate of copper; action then commences at once. It is often more convenient to dispense with the trough or box and place the cells side by side on a shelf. The advantage of this in an extensive battery room is apparent.

All porous pots should be dipped, top and bottom, in melted paraffin wax, so as by filling up the pores to prevent the solution mingling too freely or rising to the top above the level of the liquids, and so allowing the water to evaporate and the salt to crystallise out. One side of the flat porous pots may also be paraffined with advantage viz. the side which is remote from the zinc.

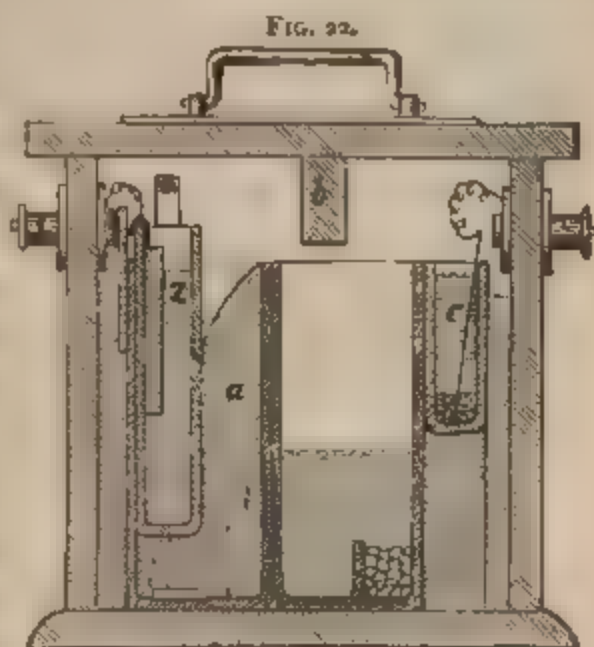
A porous pot which has been once used should not be allowed to get dry, as the crystals which form on drying chip it, and soon render it useless.

The Daniell cell, when in good condition, can be employed as a standard of electro motive force, and owing to the ease



When the copper salt is decomposed, the cell possesses one great advantage over the Clark standard cell, in that it does not polarise when joined on short circuit, even when it is giving a more or less continuous current. It has, however, the disadvantage that for accurate measurement it requires a certain amount of attention which must be particularly directed to the zinc division, to keep it free from copper. A very handy and convenient form of Standard Daniell is that shown in fig. 22. In a square wooden box, pro-

vided with two terminals for connection, are three water-tight chambers. When the cell is not in use, the copper plate *c* is removed to the right-hand chamber containing copper sulphate solution, the zinc plate *z* and the porous pot containing it being transferred to the left-hand chamber. This porous pot is supplied with a semi-saturated solution of zinc sulphate, the copper sulphate solution and its reserve of

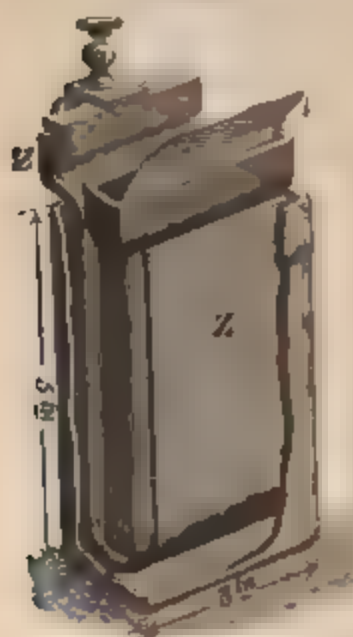


metals being placed in the middle chamber. All that is then necessary to place the cell in working order is to remove the copper plate and the porous pot into the centre division. The stud *b* attached to the lid, prevents it being shut down unless the porous pot has been removed to the outer chamber. Such a cell will maintain an electro-motive force of 1.07 to 1.079 volts for a considerable time, providing that the copper and porous pot are removed to their respective idle chambers, between the tests.

We have seen that Daniell absorbed the freed hydrogen by using it to reduce a metallic salt: Grove and Bunsen in their series oxidised the liberated hydrogen by means of an acid, water being produced by this hydrogen instead of sulphuric acid, in the Daniell. In the negative division concentrated nitric acid is used, into which Grove dipped platinum foil, while Bunsen adopted gas-carbon. Zinc, as usual, constituted the positive plate

in each case, the liquid placed with it being a solution of sulphuric acid. The diagram (fig. 23) shows the construction of the Grove cell. It is usually contained in a flat rectangular glass, porcelain,

FIG. 23.

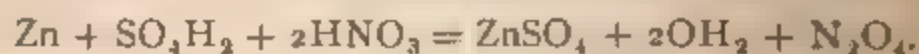


ebonite vessel, porcelain being perhaps the best. The amalgamated zinc plate, *z*, is bent into a U shape, and supports the flat porous pot which contains the platinum foil, *p*. By this arrangement each surface of the platinum has opposed to it a surface of zinc, the internal resistance being consequently very low. A strong solution of sulphuric acid (about 1 of acid to 7 or 8 of water) is poured into the outer cell and strong nitric acid having a specific gravity 1.420 is placed in the inner cell with the platinum. The copper or brass connections or terminals should be kept covered except upon those surfaces which

take part in the electrical circuit, to protect them as much as possible from the gases which are evolved during the working of the cell.

The action is in the first stage similar to that in the Daniell cell, but there is some diversity of opinion as to what actually transpires in the platinum division. Zinc sulphate is formed by the action of the sulphuric acid on the zinc, and the hydrogen which is thereby released reduces the nitric acid ( $\text{HNO}_3$ ) to water and nitric peroxide ( $\text{N}_2\text{O}_4$ ), which ascends as a gas into the air. The gas is distinguishable from all others by its dense brown appearance and its extremely pungent odour.

The chemical reactions may be represented by the equation



It will be noticed that the acid, which, to give the maximum strength of current, should be concentrated, must be seriously weakened as the current is produced. This results, in the first place, from the fact that every atom of hydrogen set free from the sulphuric acid decomposes a portion of the nitric acid, while

the water with a limited quantity of sulphuric acid. The acid which is used is not the same as the one used in the Grove cell, but it is probably better.

The cell, which is made of glass, is in the form of a cylinder. The acid is contained in the glass, and con-

tain of sulphuric acid, the proportion of 1 or 8 of water, as in the Grove cell. Into this is placed a zinc cylinder, and inside this cell, containing a porous cup, immersed in acid. The porosity enables it to pre-vent a very extended contact with the acid. The Grove cell.

in the battery is the same as in the Grove cell, and the carbon and zinc chemically un-



and the Grove cells are the representations of two types of battery. Daniell's has attracted its popularity on account of its cheapness and its simplicity. It is constant than either of those we have seen. The Grove, on the other hand, is very powerful. In its operation, it runs down very rapidly, and is not more than three to four hours at a time. It is, however, not to remember that if the negative plate and the zinc are removed from the cell separately and allowed to stand, they can be used again and the cell will give as good as before. The same acid can be used before it is so reduced in strength as to be spent, a state which, as already mentioned,

by the greenish hue imparted to the acid. The chief use of the Grove cell in England is for experimental purposes. It has the advantage that it is very compact and portable. The Bunsen has a slightly higher electro motive force, and it is somewhat cheaper than the Grove. As, however, it is generally constructed in the cylindrical form, it is much less convenient.

There are many forms of double fluid bichromate batteries. In nearly all of them zinc and carbon are employed for the positive and negative elements respectively, the difference being, generally speaking, confined to the depolarising solution surrounding the carbon plate. In one of them, however, a great feature is made of the means adopted for keeping the zinc well amalgamated. This cell is known as the 'Fuller,' and it is usually put up in a

FIG. 25.

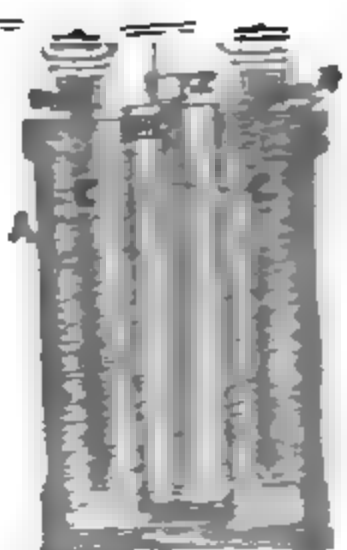


round earthenware jar, in which is placed a comparatively small porous pot containing a zinc rod of peculiar shape, as shown in fig 25. The zinc is cast on to a stout copper wire which passes almost to the bottom of the rod and helps to keep it intact. Two or three ounces of mercury are placed in the porous pot, which, on the addition of the solution (dilute sulphuric acid), creeps up the surface of the zinc by the force of capillary attraction and so keeps it uniformly and automatically amalgamated. A small carbon plate is placed in the outer vessel in a solution of bichromate of potash, derived, however, from a stiff paste, of which a quantity is placed in the bottom of the cell, and which

contains, probably, a quantity of free chromic acid, soda nitrate, &c. An unusually large quantity of this solution is generally provided in order to maintain its strength for a longer period of time than would be the case were the more usual proportions adopted. The chemical action is practically the same as that in the single-fluid bichromate cell. What is true of the nitric acid cells of Bunsen and Grove is also true, although, perhaps, to a less degree, with each and every form of bichromate of potash or of chromic acid cell—viz. that polarisation and the accompanying

the electro-motive force, and therefore, as the length, sets in after the battery has been in use for a more or less. The electro-motive force of the cell is high, ranging from 1.9 to 2.15 volts. Its internal resistance is very low, whence it finds considerable use in the most ingenious battery yet constructed for the purpose, probably that of Mr. A. B. Upward, the principle of which is gathered from figs. 26 and 27. The positive element is zinc immersed in water, and towards becomes zinc chloride.

The negative element consists of two carbon plates joined together and placed in a vessel, A, of glazed earthenware. Between A and B being packed with crushed carbon and with a layer of cement. A gas, which has considerable zinc, is led into the water tube, D (fig. 27), and passing through small pieces of carbon leads to the zinc discs in, where it



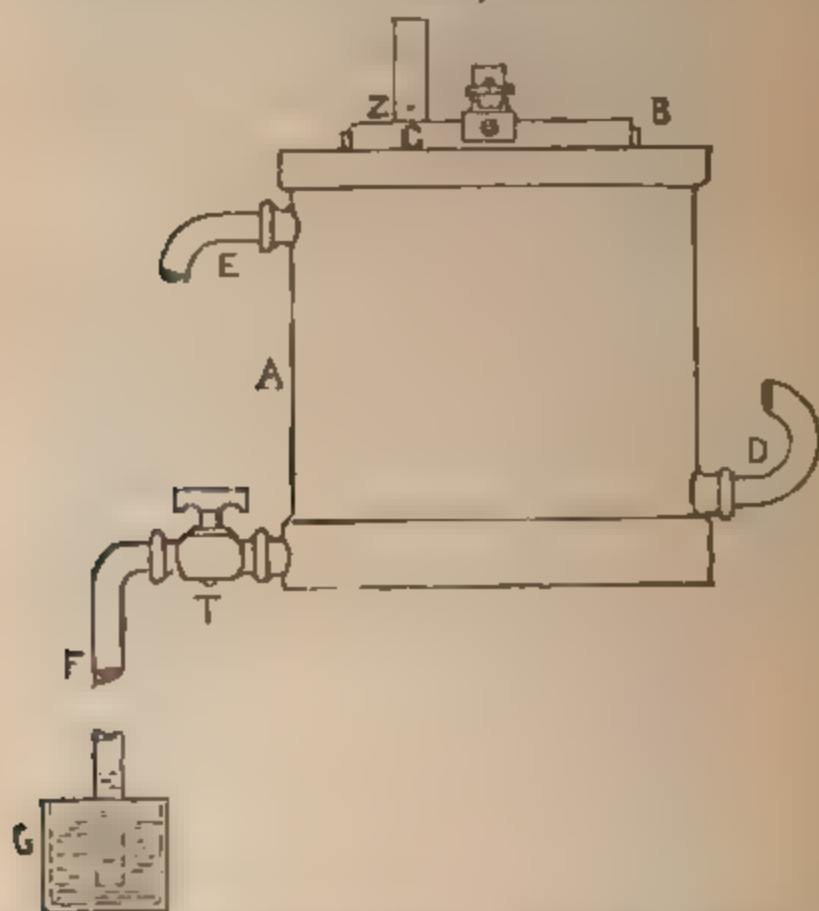
enters into chemical action with the zinc, and thus  $Zn + Cl_2 = ZnCl_2$ . The reaction of the zinc with the one cell passes through the porous partition to the next cell. As the reaction of the zinc with the porous partition is slow, water is led into the bottom of the outer vessel, and thence through a tube flows through the tube, F, and the water level is kept always above the water level in the inner vessel. The tube F is to prevent a stoppage of water in the cell, measuring 1.9 to 2.15 volts, and its internal resistance is very low, and its electro-motive force of 2.15 volts.

After forming each cell, the battery is formed of 25 as to give a large positive element, the length of eight carbon plates. The outer vessel is shown in figs. 26 and 27. The inner vessel is



direct to the apparatus in which the chlorine gas is generated, the outlet tube being connected to the inlet of the next cell, the outlet of which is in its turn connected to the bottom of the first of a series of vertical columns, made by carefully sealing together a number

FIG. 27.



of ordinary earthenware drain pipes.<sup>1</sup> The top of the first of these columns is connected to the bottom of the second, and so on, the top of the last of the series being provided with an outlet tube extending into the outer air. Chlorine gas is rather more than twice as heavy as air, so that as the gas first enters at the bottom of the cells it drives out the superincumbent air by ordinary displacement. Similarly with the reservoir columns, the first being filled with chlorine before any enters the second column, and so on. The connecting tubes are of lead, which is the most

<sup>1</sup> In the earlier form of the battery, a very pretty and ingenious aspirator was connected to the battery which served the purpose of drawing the gas through required.

ble material available, as it has only a feeble affinity for chlorine at ordinary temperatures. A piece of glass tubing is let into each of the lead pipes connecting the reservoir columns, and, the back of the glass being painted white, the presence of the chlorine is easily recognised by its distinguishing greenish-yellow

There are various ways of generating chlorine, the method employed by Mr. Upward being that of heating a mixture of manganic oxide, sulphuric acid, and brine (sodic chloride). The reaction is represented by the equation :—



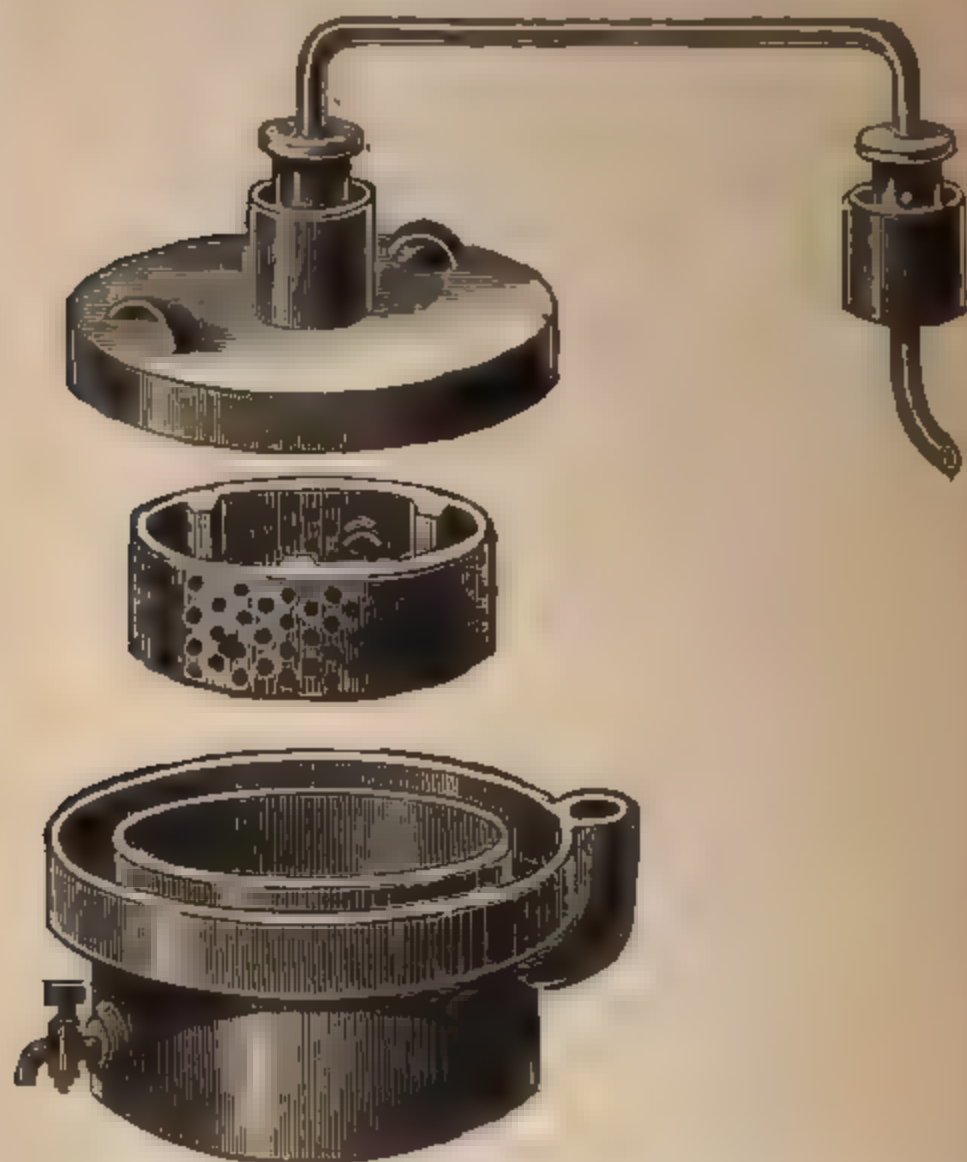
The whole of the chlorine contained in the salt is thus reduced to the gaseous state.

The apparatus employed for the generation of the gas is illustrated in fig. 28. In a round earthenware pan is placed the perforated earthenware tray previously filled with the black manganic oxide, sufficient for two or three weeks' run. The cover is then put in position and sealed with water run into the groove formed in the pan. The brine and acid, which are stored in jars, are supplied daily through the inlet tube shown on the right of the pan, the spent liquid being drawn off at the tap on the left, which is connected directly with the drain by means of a sealed pipe. The whole being placed in a sand bath, sufficient heat is applied by a small gas jet or oil flame to bring about the required chemical changes. The gas is conveyed by the tube shown at the top to the first of the battery cells. When it is required to charge the retort with manganic oxide, it is flushed out with air (entering at the same aperture as the acid) to remove any trace of the chlorine gas. The lid and tray of spent oxide are then taken out and a spare tray filled with fresh oxide inserted, the lid replaced.

These cells might be joined up in a sufficiently long series to light a number of incandescent lamps directly, but that number would be limited owing to the comparatively high internal resistance of the battery. It is suggested, therefore, to employ a number of cells, and with them to charge, one by one

of secondary cells (see Chapter XIV.), the primary current being automatically switched from one cell to the next, after it has been charging it for a certain time. Clever in conception as this battery

FIG. 28.



undoubtedly is, it is scarcely one that could be placed in the hands of inexperienced people, or be relied upon to maintain an electric light installation for any length of time. Chlorine gas, again, is very insidious, and its occasional escape in greater or less quantities could hardly be prevented. Were it perfect, however, there would only be a limited field open for its employment, and that on a very small scale. Its expense would prevent it ever entering

to competition with the dynamo machine for work on a large scale.

There are, of course, a vast number of cells which we have not considered it necessary to describe here, but they may generally be placed under one or other of the typical heads, viz. the Daniell with a metallic salt, or the Grove with an acid, in the negative division. The general difference is that the latter polarises more or less rapidly, while the former does not polarise, but is kept constant by the metallic deposit upon the negative plate.

Primary batteries are of but little service in electric lighting. They are, of course, valuable for testing purposes, but as sources of current for the electric light they are altogether out of place, except for small isolated work, owing to the fact that zinc, which is in every case used as the positive plate, and which, being consumed in the generation of the current, corresponds to the coal consumed in an engine, is very many times dearer than coal. Even were expense a question of minor importance, there still remains the fact that primary batteries are very troublesome to maintain, and more often than not give off noxious fumes, which are also as a rule highly corrosive. What is really wanted, putting aside altogether the question of expense, is some simple form of cell, of which the constituents can be easily obtained and replaced; from which no injurious fumes can arise; which shall have a high electro-motive force and a low internal resistance, and be fairly constant withal.

There are three considerations that have to be taken into account when determining what kind and what number of cells it would be most advisable to employ for any particular purpose—viz. the relative constancy and electro-motive force, and the ratio between the internal resistance of the cell and the external resistance, or the resistance of the connecting wires and apparatus. It will have been gathered that there is in this matter of electro-motive force and constancy considerable variation. We will not enter here into the matter of expense, for in the end that which is the best cell for any particular purpose generally proves to be also the cheapest. The internal resistance is, however, an important factor. If it were negligible, it would, for example, be possible to maintain a current of one ampere by one Daniell cell

through an external resistance of one ohm, for as (see Chapter II.)

$$C = \frac{E}{R}, \text{ then } \frac{1 \text{ volt}}{1 \text{ ohm}} = 1 \text{ ampere.}$$

But the average Daniell cell offers four ohms resistance, so that the current, where  $R$  is the external resistance of one ohm, and  $r$  the internal resistance, would be

$$\frac{E}{R + r} = \frac{1}{1 + 4} = .2 \text{ ampere ;}$$

and if we were to attempt to increase this current materially by the addition of, say, nine other similar cells, we should fail, for then

$$\frac{10E}{R + 10r} = \frac{10}{1 + 40} = .25 \text{ ampere nearly.}$$

Similarly, with 100 such cells through this unit resistance--

$$\frac{100E}{R + 100r} = \frac{100}{1 + 400} = .25 \text{ nearly.}$$

We see, then, that increasing the number of cells in this way, when the external resistance is low, produces no correspondingly good effect, for the simple reason that, although we might proportionally increase the electro-motive force by so doing, we should at the same rate increase the circuit resistance. As a matter of fact, no ordinary Daniell cell or battery can possibly develop a current of one ampere, its internal resistance being too high.

On the other hand, were we to employ Grove cells (which for simplicity we will assume to have an electro-motive force of 2 volts per cell), the advantage of increasing the number of cells on a low resistance circuit soon becomes apparent. For example, with an external resistance of 1 ohm and an internal resistance of .2 ohm per cell, one cell would give us,

$$\frac{E}{R + r} = \frac{2}{1 + .2} = 1.6 \text{ amperes.}$$

Two such cells would produce

$$\frac{2E}{R + 2r} = \frac{4}{1 + .4} = 2.85 \text{ amperes.}$$



And three cells

$$\frac{3E}{R + 3r} = \frac{6}{1 + .6} = 3.8 \text{ amperes nearly.}$$

Similarly, four cells would give 4.4 amperes and five cells would yield 5.0 amperes. But from ten cells we should only get

$$\frac{10E}{R + 10r} = \frac{20}{1 + 2} = 6.6 \text{ amperes.}$$

While with 100 such cells the current would be

$$\frac{100E}{R + 100r} = \frac{200}{1 + 20} = 9.5 \text{ amperes,}$$

showing again that as the internal resistance approaches or exceeds the external, the proportional current from the battery is reduced. When, however, the external resistance is relatively high, say 1,000 ohms, the battery resistance becomes proportionally low, and, therefore, to a certain extent, negligible. The current from one Daniell cell would be

$$C = \frac{E}{R + r} = \frac{1}{1000 + 4} = .000996 \text{ ampere.}$$

With ten cells we should get,

$$\frac{10E}{R + 10r} = \frac{10}{1000 + 40} = .00961 \text{ ampere,}$$

or, practically, a current of tenfold strength.

Similarly, with a battery of 100 cells, we should get

$$\frac{100E}{R + 100r} = \frac{100}{1000 + 400} = .0714 \text{ ampere.}$$

Again, one Grove cell would give through 1000 ohms

$$C = \frac{E}{R + r} = \frac{2}{1000 + .2} = .002 \text{ ampere,}$$

and ten cells would give

$$\frac{10E}{R + 10r} = \frac{20}{1000 + 2} = .0199 \text{ ampere.}$$

From 100 cells we should get—

$$\frac{100E}{R + 100r} = \frac{200}{1000 + 20} = .196 \text{ ampere.}$$

With either the Daniell or the Grove the strength of the current increases in almost the same ratio as the number of cells when the external resistance is high. But as the Grove is vastly inferior to the Daniell in constancy, and as it is a very expensive form of battery, the deduction is that Daniell cells should be used for circuits of high resistance, compensating for their lower electro-motive force by a corresponding increase in numbers. On the other hand, the Grove, in consequence of its low internal resistance, is better adapted for circuits of low resistance.

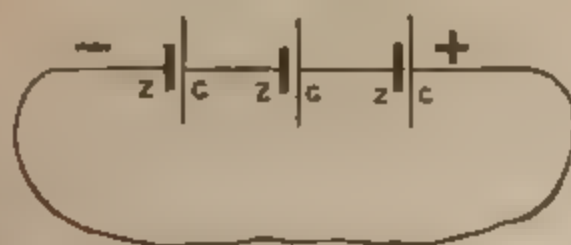
The internal resistance, however, of different cells of any particular type varies inversely as the size of the plates (counting only the active or opposed surfaces). It also varies directly as the distance between them (making due allowance for the resistance of the porous pot, which would, of course, have a constant value unless varied in size or thickness). The meaning of this is plain, for if we were to double the size of the plates we should halve the resistance and proportionally increase the current strength.

The same object is attained by joining cells in 'parallel.' So far we have only considered them as joined in series, that is to say, the copper of one cell joined to the zinc of the next and so on. Under such circumstances the electro-motive force of the battery is equal to the sum of the electro-motive forces of the various cells. If the coppers of two cells are joined together, and likewise the zincs, and the two junction wires connected to the external circuit, a current will be developed by an electro-motive force equal to that of one cell, the joint resistance of the two equal cells being half that of one of them used separately. The arrangement is, in fact, equivalent to doubling the size of the plates.

This will, perhaps, be made clearer by a reference to the diagrams, figs. 29, 30, and 31. Fig. 29 represents a battery of three cells joined in series, the short thick strokes representing the zinc or positive plates, and the long thin ones the copper or negative plates. Fig. 30 shows two cells joined up in parallel. If they are both of exactly the same electro-motive force, no current can

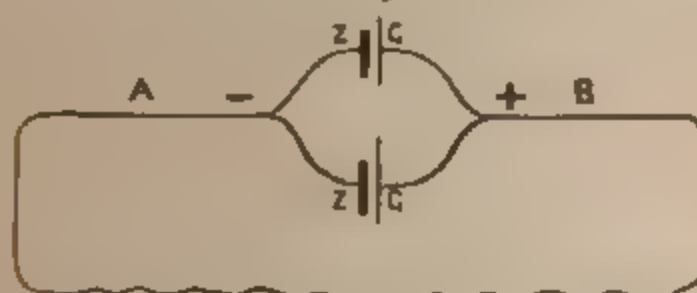
flow from *c* to *c* or from *z* to *z*, but on joining the external wires *A* and *B* together, a current would be generated by each cell and

FIG. 29.



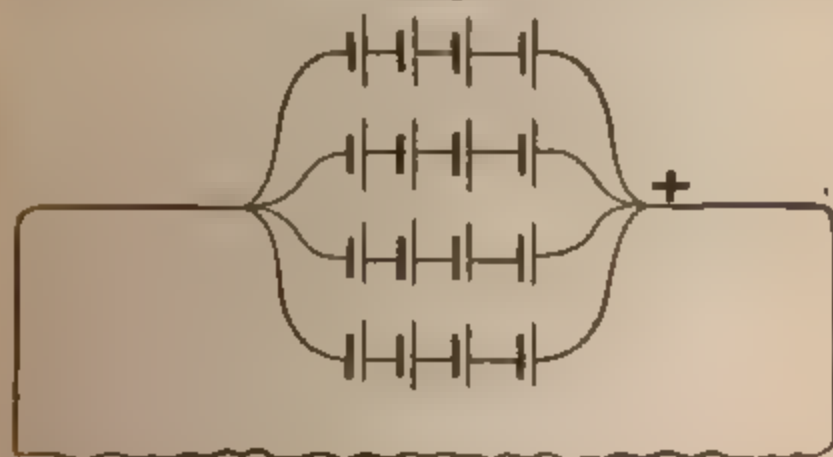
pass through the external circuit from *B* to *A*. As already stated, the joint resistance of these two cells would be half that of one

FIG. 30.



of them. With a low external resistance the current strength would be increased proportionally. In fig. 31 are shown sixteen

FIG. 31.



cells divided into four sets of four cells each, the sets being joined up in parallel. On completing the external circuit a current will flow, having an electro-motive force equal to that of four cells,

but the battery resistance will be only one fourth of that of four cells.

The joint resistance of any number of parallel batteries is equal to  $\frac{rs}{B}$ , where  $r$  is the resistance per cell,  $s$  the number of such cells joined up in series in each individual battery, and  $B$  the number of such batteries joined together in parallel. This is simply an application of the law that with a number of conductors,  $N$ , of uniform resistance,  $R$ , joined together in parallel, their joint resistance is equal to  $\frac{R}{N}$ . For  $rs$  is the total resistance of each of the batteries joined together in parallel. This arrangement is sometimes very advantageous; for example, if sixteen Daniell cells, each of 1 volt electro-motive force and 4 ohms internal resistance, are employed in series for a circuit of 4 ohms external resistance, the current will be

$$\frac{16}{4 + 64} = \cdot 235 \text{ ampere} . \quad (1).$$

By dividing the cells into two sets of eight cells each and joining these in parallel, the current is increased, thus

$$\frac{8}{4 + 16} = \cdot 400 \text{ ampere} . \quad (2).$$

On rearranging the cells, as shown in fig. 31, the current becomes

$$\frac{4}{4 + 4} = \cdot 500 \text{ ampere} \quad (3).$$

Pursuing this plan any further, however, results in a diminution of the current; for example, if eight sets of two cells each are joined in parallel, we get

$$\frac{2}{4 + 1} = \cdot 400 \text{ ampere} . \quad (4).$$

While with the whole of the sixteen cells joined in parallel we get only

$$\frac{1}{4 + \cdot 25} = \cdot 235 \text{ ampere} . \quad (5).$$

With circuits of comparatively low external resistance there is, therefore, a best possible arrangement of the cells to give the

strongest possible current, and with any given number of cells this arrangement is arrived at when the internal resistance is equal to the external, or when  $R = \frac{rs}{B}$ .

Such an arrangement is not, however, economical; nor, indeed, is any arrangement, unless the external resistance is considerably in excess of the internal. As has been already stated, the strength of the current is the same in all parts of the circuit, consequently in (1) sixteen times as much zinc, &c., is consumed in the sixteen cells as would be consumed in a single cell capable of maintaining an equal current. In (3), however, each set of four cells must be considered as a separate or branch circuit, and only one-fourth of the current flowing in the external circuit would flow through each of these separate sets. The external current is approximately twice as strong as in (1). Therefore the individual current in each cell and the consequent consumption of zinc is only half as great. In (5), where there are sixteen cells in parallel, a current is produced equal to that resulting from a battery of sixteen cells in series, but, the cells being joined up in parallel, only one sixteenth of this current flows through each cell, so that the total consumption of zinc in the sixteen cells is equal to that in but a single cell in (1), clearly demonstrating the advantage, from an economical point of view, of using batteries much lower in resistance than the wire or apparatus through which the current has to flow.

One important feature concerning the proportion between the gross electro motive force of the battery and the difference of potential it can maintain in any given external circuit requires careful consideration, for it is a feature that is frequently lost sight of. It was pointed out in Chapter II. that in any given circuit the fall of potential varies directly as the resistance, so that in (1), where the internal bears to the external resistance the proportion of 16 to 1, only one-seventeenth of the 16 volts developed by the battery is available in the external circuit, the remaining sixteen-seventeenths being absorbed in overcoming the resistance of the battery. In (3) the resistances outside the battery being equal to that inside, the electro-motive force of 4 volts developed is halved, 2 volts being available for the external circuit. Similarly in (5), the available electro motive force for the external circuit is sixteen-



seventeenths of a volt (the gross electro-motive force developed being 1 volt), or equal to that produced by the sixteen cells joined up in series, as in (1), where, as already shown, the consumption of materials is sixteen times as great, and, speaking generally, we may say that

$$P = E \frac{R}{R + r}.$$

Where  $E$  is the electro-motive force developed by the battery,  $R$  is the external resistance,  $r$  is the internal resistance, and  $P$  the available potential difference at the terminals of the battery. For example, with a battery, as in (4), whose internal resistance is 1 ohm working through an external resistance of 4 ohms, and having an electro-motive force of 2 volts, the available potential difference will be

$$P = 2 \frac{4}{4 + 1} = 1.6 \text{ volts.}$$

The available potential difference can also be ascertained in another way which does not involve the necessity for ascertaining the external resistance. Ohm's law declares  $C = \frac{E}{R}$  or,  $E = CR$ .

And this is true either of a complete circuit or simply of a part of a circuit. If, for instance, in a circuit of known or unknown resistance the current strength is found to be, say, 1.5 amperes, and that a portion of the circuit offers a resistance of 3 ohms, then the fall of potential, or the electro-motive force absorbed, in that portion of the circuit will be

$$E = CR = 1.5 \times 3 = 4.5 \text{ volts.}$$

If the known resistance is that of the battery ( $r$ ), it follows that 4.5 volts will be the electro-motive force absorbed by the battery, and if that is deducted from the total electro-motive force developed (say, 20 volts), the remainder will be the available potential difference for the external circuit, or

$$P = E - Cr = 20 - (1.5 \times 3) = 15.5 \text{ volts.}$$

Occasion sometimes arises for substituting one form of battery for another without making any appreciable change in the current strength. If the internal resistance were negligible, this would, of

course, be a matter of no difficulty ; but even when it is requisite to make allowance for the battery resistance, a simple formula can be employed to ascertain the number of cells necessary to develop a given current strength. For example, suppose that a battery of 100 cells, with an electro-motive force of 1 volt and an internal resistance of 4 ohms per cell, sends a current through an external resistance of 400 ohms, then the current will be

$$\frac{100E}{100r + R} = \frac{100}{400 + 400} = .125 \text{ ampere.}$$

Substituting some other form of battery with an electro-motive force of 2 volts and an internal resistance of 1 ohm, and letting  $n$  be the number of such cells necessary to develop 0.125 ampere, then

$$\frac{n2}{n \times 1 + 400} = .125 = \frac{1}{8} \text{ ampere,}$$

that is to say,

$$\frac{2n}{n + 400} = \frac{1}{8},$$

or,

$$16n = n + 400$$

$$15n = 400$$

$$n = \frac{400}{15} = 26.6.$$

Twenty-seven of these 2-volt cells would maintain in the circuit a current of

$$\frac{27E}{27r + 400} = \frac{54}{27 + 400} = .126 \text{ ampere.}$$

Twenty-six cells would be insufficient for the purpose. This formula also possesses the advantage of providing the same potential difference at the terminals of the battery, as well as that of furnishing the number of cells necessary to develop an equally strong current.

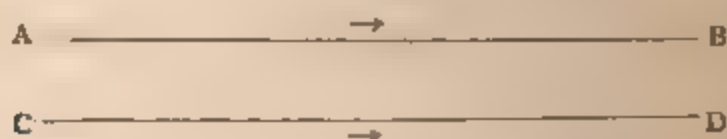
## CHAPTER IV.

## MEASUREMENT OF CURRENT STRENGTH.

HAVING in the preceding chapters shown how a current of electricity can be generated and maintained, and having also explained the various units by which we can measure that current, as well as the resistance, and the pressure or electro-motive force which maintains the current, it behoves us now to turn our attention to the methods of making such measurements and the consideration of the laws involved. In order to make the student's progress at this difficult stage as easy as possible, we will approach the subject experimentally.

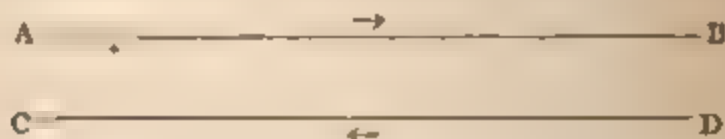
If a wire, *AB* (fig. 32), carrying a current is brought near another wire, *CD*, also carrying a current, it is found that there is

FIG. 32.



a decided action between the two wires. If the currents are flowing in the same direction, as shown by the arrow-heads in fig. 32, the wires are attracted one to the other. On the other hand, if the currents travel in opposite directions, as in fig. 33, repulsion ensues.

FIG. 33.



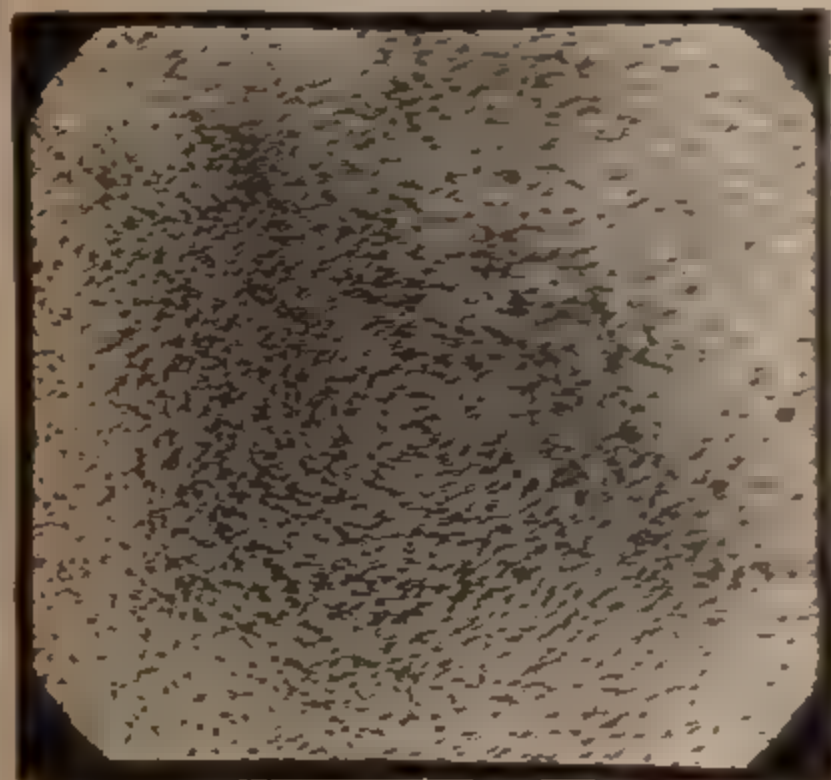
The force of this attraction or repulsion depends, among other considerations, upon the strength of the current. It would be

of continuing to use your credit account for a year or more. If you do not, we will be forced to close it.

Now it is necessary to say that the electric field is not uniform in the wires without the aid of a magnetic field which is produced by the current. This magnetic field acts in the opposite direction to the mechanical stresses in the conductor which tend to separate the wires. With a body affected by it is that of a magnetic field, or rather, electricity, and as in all instances the laws of physics

though it is difficult to understand the nature of the  
it is easy to show that the nature of the  
is.

Take thread & wire which is necessary to construct the machine & make  
inboard, and separate the fibres of the cord from the rest.



34. This arrangement is caused when, as the wire may be observed at any part of the wire. The line

marked out, which show the direction in which the force due to the current acts, are called 'lines of force.'

As in the case of the imaginary lines considered in Chapter I, it is necessary to assume for them a certain direction. That direction along a line of force, indicated by the arrows in fig. 35, is called the 'positive' direction. The direction can be impressed



upon the memory by thinking of the act of using a corkscrew. If the longitudinal direction of the screw, either *into* or *out* of the cork, be taken to represent the direction of the current, then the positive direction of the lines of force will be that in which the handle rotates, so that if in fig. 35 the downward direction of the current were reversed, the positive direction of the lines of force would be in the opposite direction to that indicated by the arrow-heads. The space around the wire in which the effect of the current is perceptible is called an 'electromagnetic field,' and it is important to remember that the strength of this field is exactly pro-

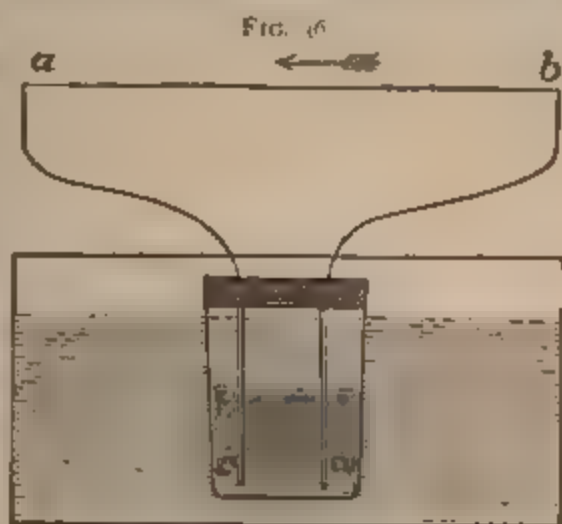
portional to the strength of the current producing it. It extends from the axis of the wire as a centre throughout the surrounding space, but as the distance from the wire increases, the effect is weakened until it at last becomes so feeble as to be imperceptible. The lines of force traversing this field obey precisely the same laws as those laid down for the lines due to a static charge, and the interaction between two sets of lines of force can always be predicted by remembering that their universal tendency is to coincide in direction and to shorten themselves.

Reverting to the experiment with the two wires carrying the currents, it may be said that the force exerted between them always tends to move them so that they shall take up such a position that the currents flow in the same common direction (as in fig. 32) and that the wires as nearly as possible coincide. To prove this, it is necessary to allow at least one of the wires to be free of moving freely and with as little restraint or friction as possible. This can be done by means of a simple device for supporting a movable or floating battery cell. Let a cork be



placed in a small glass beaker partly filled with diluted sulphuric acid, and through the cork pass wires carrying thin strips of zinc and copper or silver, completing the circuit externally by means of a stiff but not too heavy piece of wire, as shown in fig. 36.

The small beaker cell can then be placed in a larger beaker, or any other convenient vessel full of water, and, unless too much acid solution has been placed in the smaller beaker or the solid portions are made unnecessarily heavy, the cell will float readily upon the water. If a wire carrying a strong current is placed parallel to the



straight part of the wire,  $a\ b$ , so that the currents flow in opposite directions, the wire  $a\ b$  will be repelled, and, the cell floating away, will turn completely round, so that the currents flow in the same direction; it will then be attracted until  $a\ b$  lies as near as possible to the other wire.

These effects may be increased by increasing the length of the wires, but very long straight wires would be cumbersome and, in fact, impracticable. It is, therefore, more convenient to coil them up into flat spirals (fig. 37), covering the wire with silk, cotton, or some insulating material, to prevent adjacent convolutions getting into contact.

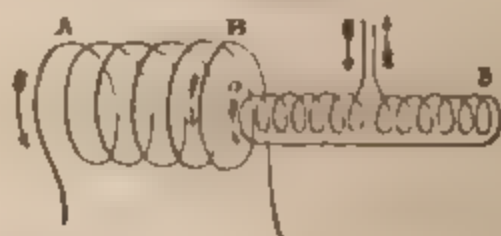


The effect between the spirals will be identically similar to that between the same two wires straightened out. For many purposes, however, it is preferable to coil the wire into a long spiral or helix. In fig. 38 one of the helices,  $A\ B$ , is floated in a manner similar to that adopted in fig. 36, the other helix,  $a\ b$ , being placed near it. The action between two such helices is very decided, and, being of exactly the same character as that between the straight wires

or flat spirals, may be predicted by remembering the laws we have just stated.

If the currents are flowing in opposite directions round adjacent ends of the spirals or helices, repulsion will take place, and the floating helix, moving more easily than the other, will recede, and, turning completely round on its vertical axis, will approach with its opposite end to the fixed spiral, as in fig. 38. The currents

FIG. 38.



will then be flowing in the same direction, and the floating helix being comparatively large and its movements not restricted, it will not come to rest until it has threaded itself on to or over the other spiral. Such a spiral or helix of wire acts as if the force resided at its extremities, which are termed its 'poles,' and it is for this reason that this form of spiral is called a solenoid.

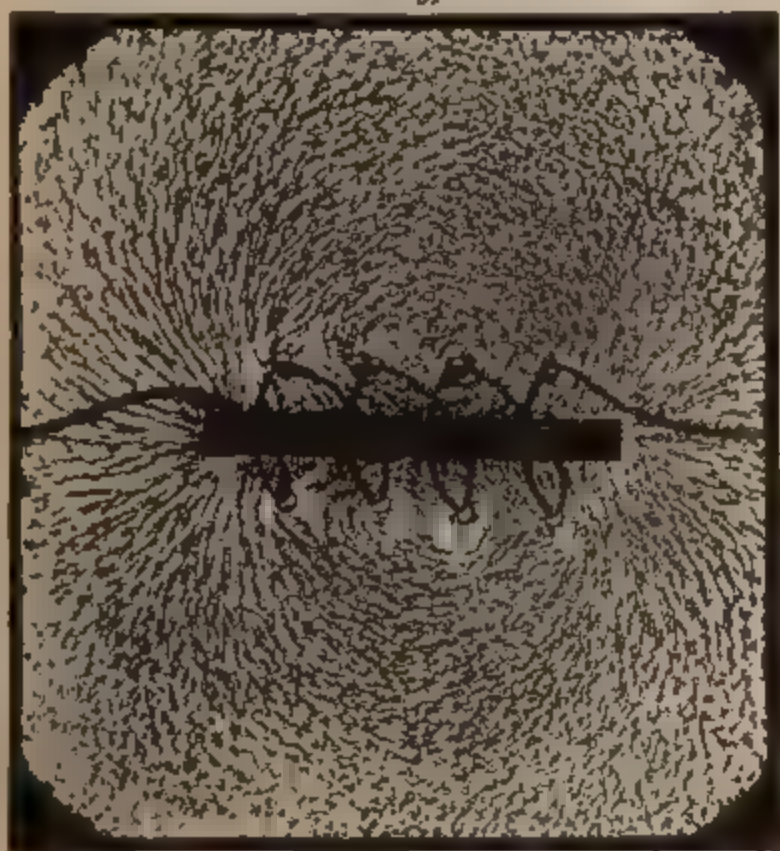
Now the strength of an electro-magnetic field may be measured by the density of its lines of force or the number contained in a given area. From the experiment shown in fig. 34, it is clear that the lines are much denser near the wire than at a distance from it. This is also the case when the wire is coiled up into a helix. The greater part of them there form little circles, closely embracing the wire from which they are generated, and comparatively few of these circles of force pass through the space at the ends or poles of the solenoid, where the force, generally speaking, appears to be concentrated. It will be evident that if we can by any means divert the circles of force so as to compel more of them to pass through the ends of the solenoid, then its effective strength will be greatly increased.

Experiment has demonstrated that iron offers a far easier path for these lines of force than the air does—so much easier, in fact, that they will alter their circular shape and extend a considerable distance from their respective portions of the wire in order to pass

through a piece of iron. This affords us a ready means of leading the lines to, and concentrating them at almost any point we please. It may be mentioned that the relative facility with which the lines of force are propagated by good soft iron, or the electromagnetic conductivity of the iron as compared with that of air, may be as high as 20,000 to 1.

If, then, we place a bar of iron inside a solenoid, a large percentage of the lines of force lose their circular form, and, passing

FIG. 39.



through this iron 'core' (as it is called), they leave it at its ends to complete their excursion round the wire from which they were generated. An example of this action of iron is shown in fig. 39,<sup>1</sup> which illustrates the field developed by a powerful current travelling through a solenoid of a few turns, having a core of compara-

<sup>1</sup> We are indebted to the proprietors of *Engineering* for permission to reproduce figs. 39 to 42.

tively small dimensions. Were a larger or more massive core to be introduced, even more of the lines of force would extend themselves through the iron instead of circulating in the immediate vicinity of the wire.

Fitted with these iron cores, the strength of the action between two solenoids is enormously increased. But here we must issue a word of warning. It must not be supposed that because we thus increase the polar strength of the solenoid, we have even in the slightest degree augmented the electro-magnetic force itself. With a given current and a given length of wire, that force is a constant quantity, the sum total of which cannot, in any sense of the word, be increased by the addition of a mass of iron, or even by any variation in the disposition of the wire, whether we wind it into a spiral, a solenoid, or use any other device. Were we able to augment the total force by any of these means, there would be an end to the law of the conservation of energy, which, as has already been pointed out, declares that when any one force is produced or developed it can only be at the expense of an equal amount of energy previously existing in another or a similar form. Force is indestructible; neither can we create it. The doctrine, therefore, so frequently laid down that the introduction of an iron core increases the electro-magnetic strength of a coil of wire, is misleading. The only means of increasing that strength or force is by increasing the current, or, what amounts to the same thing, by increasing the length of wire and increasing the battery power in sufficient proportion to maintain the same current strength. Let us state positively, even at the expense of a little reiteration, that what we really do, by the introduction of the iron core, is to concentrate a much larger proportion of the available force at those points where it acts at the greatest advantage, namely, at the poles of the solenoid. We would impress upon the student the necessity for ever keeping these facts clearly in mind.

The amount of attraction or repulsion exhibited by the solenoids furnished with their iron cores might be used as a means of measuring current strength, but the arrangement is not a convenient one, owing chiefly to the difficulty in obtaining perfect freedom of motion, the liability of variation in the current strength, and the varying properties of the iron.



Were it not for these disadvantages we could keep the electro-magnetic force of one of the solenoids constant, and send the currents to be compared and measured through the other. But here Nature comes in to aid us, for it is found that if a piece of *hard* iron or steel is used as a core for the solenoid, it retains more or less permanently a large portion of the electro magnetic properties originally produced by the current. The power or ability of retaining such effects or properties is known as the 'retentivity' of the iron or steel, and depends entirely upon its chemical composition and mechanical or molecular structure. This retentivity is the same property as that hitherto known as 'coercive force,' which was certainly a misnomer and a libel upon the metal. If retentivity corresponds to anything at all, it is to *inertia* rather than to anything that can fairly be described as coercive. The similarity to mechanical inertia is seen in the fact that those samples which transmit the lines of force freely, retain scarcely any of the influences producible by them, while, on the other hand, hard iron and steel, which resist the propagation of the lines of force, resist equally well the vanishing of these lines after the cessation of the current which called them into existence.

A piece of iron or steel which acquires and so retains the power of acting as a solenoid, is called a permanent magnet, or simply a magnet, and its extremities are also called poles. The lines of force still enter and leave the steel as they did before it

FIG. 40.



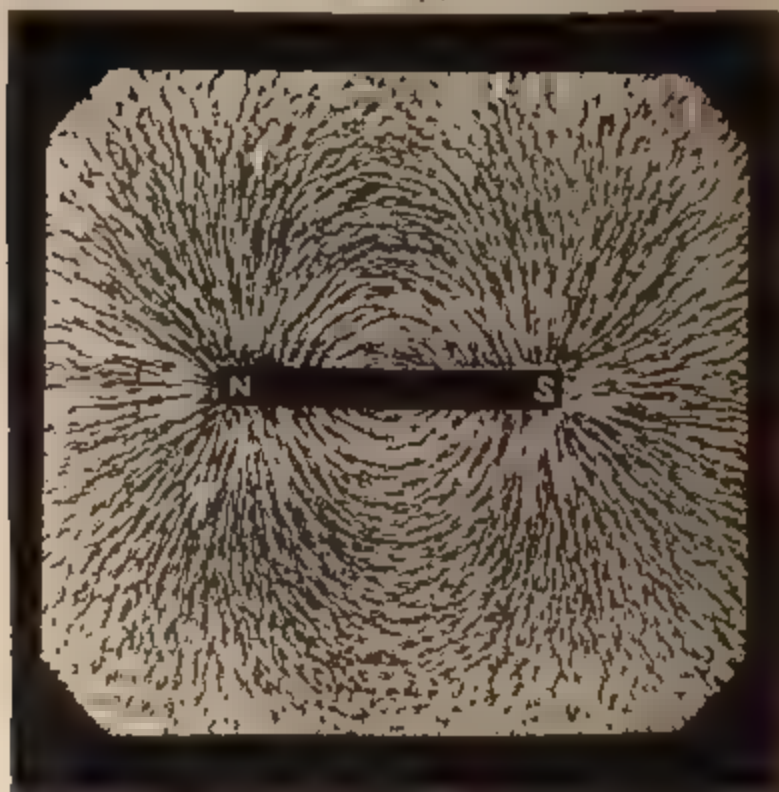
was removed from the helix, the direction being shown in fig. 40. The end, *s*, at which they enter is called the south-seeking pole of the magnet, and the other its north-seeking pole.

The actual arrangement imparted to iron filings sprinkled on a



sheet of paper placed over a permanent steel magnet is beautifully illustrated in fig. 41. Such a distribution of the filings would take place in any plane parallel to the axis of the magnet, for the lines of force radiate from the poles similarly in all directions. The

FIG. 41.



distribution observed when the paper is placed on the end of the magnet and at right angles to its axis is shown in fig. 42.

If we know the direction in which the current passes round a piece of iron or steel, it is easy to predict the direction of its polarity; for if we look at the end of the bar and the current is then flowing round it in a right-handed direction, as in fig. 43, that end will be a south-seeking pole; but if the current flow in a left-handed direction, as in fig. 44, that end will be a north-seeking pole.

It is the practice to enter into a detailed description of the difference between right- and left-handed helices with a view to facilitating a recollection of the electro-magnetic polarity. Thus a left-handed helix (fig. 45) is one in which, from whichever end the current enters, it will travel in the opposite direction to that

by the hands of a clock, and will develop north-seeking polarity at the end at which it enters and south-seeking polarity

FIG. 42.

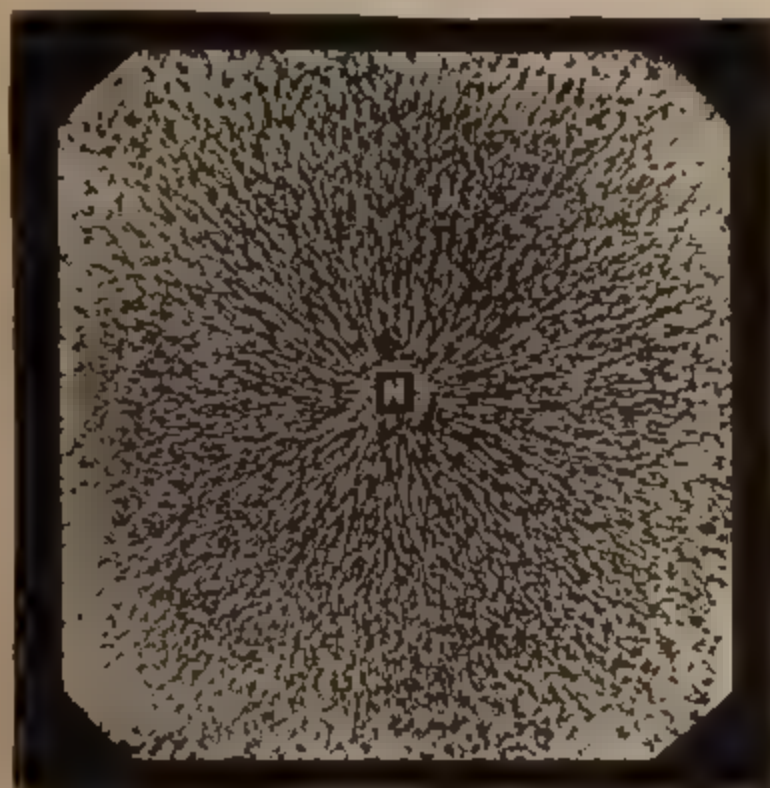


FIG. 43.

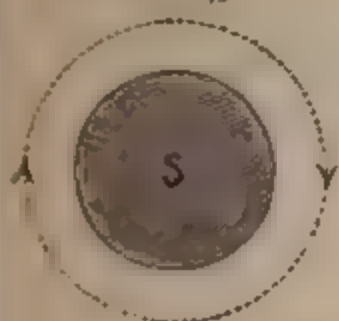


FIG. 44.

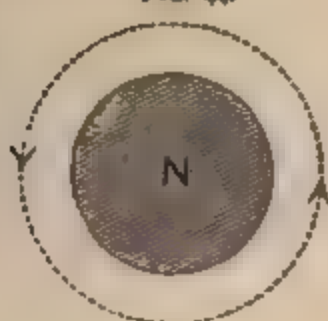


FIG. 45.



end of emergence. Conversely, a right-handed helix (fig. 45) is one in which the current will travel round in the same direction as the clock hands. In this, the entering end becomes

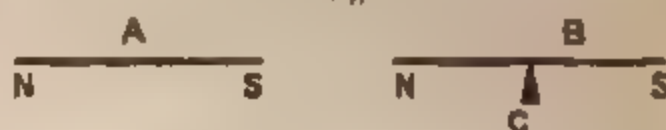
a south pole and the other a north pole. But all this is superfluous. It is sufficient to regard the cause and effect in the way indicated in the preceding paragraph.

FIG. 46.



It is noteworthy that two magnets act one upon the other in precisely the same manner as two helices or a helix and a magnet, for in every case the movement or motion imparted is such as will tend to make the lines of force coincide. Thus, if one magnet, A (fig. 47), is brought near another, B, which is suspended

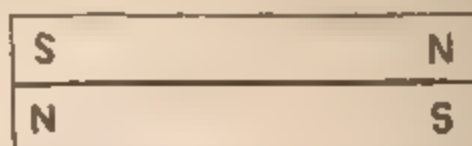
FIG. 47.



by a thread or pivoted on a needle-point at C, so that it can turn freely about its centre, the force exerted between them will endeavour to make the suspended needle take up such a position as to allow the lines of force due to both magnets to pass through them in the same direction. This will happen when the magnets are in line and when their opposite poles are adjacent, as shown in fig. 47. In other words, there will be repulsion between similar magnetic poles and attraction between dissimilar ones.

If, however, both magnets are allowed perfect freedom of motion, their ultimate position will be that shown in fig. 48, the

FIG. 48.



magnets then lying side by side with their dissimilar poles adjacent. In this position the coincidence of the lines of force is at a maximum, that is, the lines due to each magnet turn round at the ends and pass through the other, and in so doing assume the easiest path for their completion. If pieces of soft iron, called armature

keepers were placed at the extremities of the bar, the ends of the lines of force would be attracted towards the ends of the bar, and the bar would be attracted towards the ends of the lines of force. These attractions are caused by the fact that the lines of force are attracted towards the ends of the bar, and the bar is attracted towards the ends of the lines of force. It is plain we will find that the bar is attracted towards the ends of the lines of force.

The strength of a magnetic pole is defined as the force with which it attracts a unit of force placed at a distance equal to the product of the pole strength and the distance presents the strength of the pole and the distance of the pole, similarly designated the force of the pole is  $\frac{1}{2} \times M$ . This force of repulsion is the same for all distances, but varies inversely as the square of the distance. That we might express the force of repulsion in a simple formula

$$F = \frac{1}{2} \frac{M^2}{d^2}$$

where  $d$  equals the distance in centimetres between the poles. It is important to bear in mind that the force of repulsion between the poles of each magnet should be a force of repulsion. In other words, that the magnets should be of the same polarity. The error that would be produced by the force of repulsion between the remote poles is an error of the second order.

We have already defined the unit of the strength of a magnet pole of unit strength is that which repels a unit of force at a distance of one centimetre from a similar unit of force. The force of repulsion with a force of one dyne. Consequently the strength of a point in any field can be determined by the force of repulsion at that point of a magnet pole of unit strength. In every case, then, the force acting upon a magnet pole is equal to multiplying the strength of the pole by the strength of the field in which it is placed. In order to determine the strength of magnetic fields by the relative densities of the lines of force, it is assumed that a field of unit strength contains one line of force per square centimetre.

The earth itself is practically a large magnet, and behaves as such, acting as if it had poles of unit strength.

relatively near, but actually at some distance from, the geographical poles. If a magnet needle were suspended so that it could turn freely in a *vertical* plane, it would, with a plane of rotation east and west, point vertically downwards with its north pole; but if the plane of rotation were north and south, the needle would, in London, come to rest with the north-seeking pole dipping downwards, and making an angle known as the angle of inclination or dip—of about  $67\frac{1}{2}^\circ$  with the horizon. If another magnet were suspended or balanced on a pivot in a horizontal plane, the needle would set itself approximately north and south, the north-seeking pole pointing to the north magnetic pole of the earth. The axis of the magnet—that is, the straight line joining its two poles—would actually make an angle—known as the angle of declination—of about  $18^\circ$ , with the geographical meridian passing through its centre. It will be observed that there is here a case of attraction between the north pole of the earth and the north seeking pole of the magnet; but this is no contradiction of the law that similar poles repel and dissimilar attract, inasmuch as the magnetic properties of the north pole of the earth are in all respects the same as those of the south seeking pole of a magnet. The earth's total magnetic force can be resolved into two components

FIG. 49.



at right angles to each other, one acting in a vertical direction, tending to depress the north-seeking pole of the needle, the other acting in a horizontal direction and striving to make it point north and south. Their relative values may be found by the familiar parallelogram of forces (see fig. 49). The line *AB* is drawn making an angle  $\theta$  with the horizontal equal to the angle of inclination, and the right-angled parallelogram which has *AB* for a diagonal completed with its sides horizontal and vertical. Then, if *AB* represents in length the magnitude of the total magnetic force, *AC* and *AD* will be proportional to the horizontal and vertical components respectively.

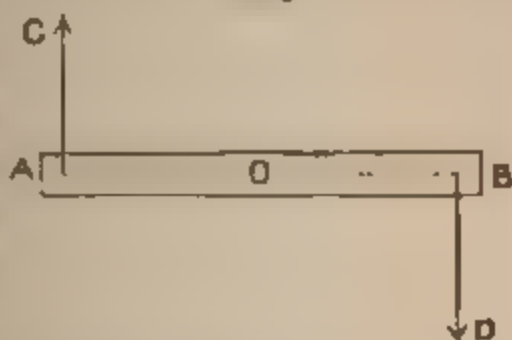
When the magnet is so balanced that it can only move in a horizontal plane, then a large proportion of the force—viz. the vertical component—is simply exerted in pressing the magnet on its support. The remainder, or the horizontal component only, is



effective in making the magnet point towards the magnetic north and south. On the other hand, when the plane of a dipping needle is at right angles to the magnetic meridian, or to the direction of the earth's lines of force, the vertical component only is active, and the magnet points vertically downwards, the horizontal component spending its force in pressing the pivots against their bearings, vainly striving to urge the needle round into the direction of the dip. A horizontally balanced magnetic needle is useful in pointing out the direction of these north and south magnetic poles of the earth.

In consequence of the immensity of the earth as a magnet, its magnetic field is practically uniform over any small space—that is, its lines of force are *parallel* and *equidistant*. It follows, therefore,

FIG. 50.



that the poles of a needle floating in water are attracted or repelled with equal force in any position, and, as a consequence of this, the needle does not move bodily towards the north pole of the earth, but is simply directed so as to point north and south. It may be stated that it is a well-known law in mechanics that when two equal forces, parallel but opposite in direction, act at the ends of a rigid bar, they tend to turn it round its centre. The turning effect is greatest when the forces act at right angles to the bar, as do C and D in fig. 50, AB being the rigid bar. The amount of this turning effect M is equal to the sum of each of the two forces multiplied by its distance from the centre—that is,

$$M = (C \times OA) + (D \times OB),$$

hence, C being equal to D,

$$M = C(OA + OB) \quad \text{that is, } M = C \times AB,$$

or the product of one of the equal forces into the perpendicular distance between them.

Such a pair of equal forces is called a couple, the perpendicular distance between their direction being called the arm of the couple, and the turning effect, M, as measured by the product

of one of the forces into the arm, is the moment of the couple. As the bar turns round or rotates, the moment  $M$  is decreased, the forces being the same but acting at less advantage—in other words, the *leverage* is reduced. This will be more evident from a consideration of fig. 51, where the moment of the couple is  $C \times A F$ , the new perpendicular between the forces.

Reverting once more to the experiment with the floating needle, if we call the strength of one of the poles of the needle  $m$ ,

FIG. 51.



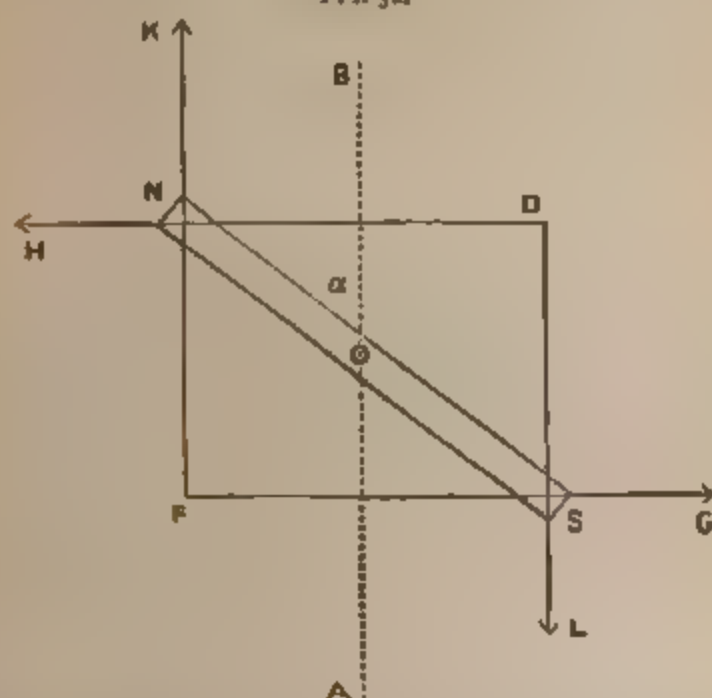
and let  $H$  represent the horizontal component of the earth's magnetic field, then the force acting on each end of the needle is  $m \times H$ . If we place the needle so as to point east and west, the arm of the couple is equal to the full length  $l$  of the needle, whence the moment is  $m \times H \times l$ . This moment decreases as the needle moves round towards zero, or that position in which it is pointing north and south. The moment is then reduced to nothing, it becoming  $m \times H \times 0$ , because the length of the arm is nothing; consequently, the needle remains at rest.

Now, we can cause any current, the strength of which we may desire to measure, to develop a field of strength  $f$ , at right angles to the earth's directive force—that is to say, we can cause the current to travel north and south, and by so doing deflect a magnetic needle from its zero position. Then the new force acting on each end of the needle will be  $m \times f$ , where  $m$  is the strength of the magnet pole; and, the length of the arm being calculated as before, the moment will be  $m \times f$  multiplied by that arm. Manifestly, the needle will come to rest when the moment of the couple due to the current is equal to that due to the earth.

Let the needle  $NS$  (fig. 52) be so deflected by a current, and make an angle,  $NOB$ , called the angle of deflection, with the magnetic meridian  $AB$ . This angle  $NOB$  is, of course, equal to angle  $NSD$ . Let this angle be called  $\alpha^\circ$ , and let  $f$  be the strength of the field due to the current, the direction of the action

of which is indicated by the arrows  $DH$  and  $FG$ .  $DS$  is then the perpendicular distance between these directions, whence the moment of the couple due to the current is  $m \times f \times DS$ .

FIG. 52.



By similar reasoning it will be seen that the moment of the couple due to the earth is  $m \times H \times ND$ . Now, if the needle has assumed a state of rest, showing that the moments of these two couples are equal, it follows, as a matter of course, that

$$m \times f \times DS = m \times H \times ND,$$

and (by cancelling and dividing)

$$f = H \frac{ND}{DS}.$$

The ratio  $\frac{ND}{DS}$  is called the tangent of the angle  $NSD$ , which, again, is equal to the angle of deflection  $\alpha^\circ$  that is to say,

$$f = H \tan \alpha^\circ.$$

This strength of field,  $f$ , is proportional to the current producing it; therefore the current,  $C_1$ , is likewise proportional to  $H \tan \alpha^\circ$ .

And this will be true of all currents and all deflections, so that if we let a second current,  $C_2$ , cause the needle to be deflected through the angle  $\beta^\circ$ , then  $C_2$  must be proportional to  $H \tan \beta^\circ$ .

Consequently,  $C_1 : C_2 :: H \tan a^\circ : H \tan b^\circ$ ,  
that is,  $C_1 : C_2 :: \tan a^\circ : \tan b^\circ$ ,

or the two currents are directly proportional to the tangents of the angles through which they deflect the needle. By referring to a table such as is here given, we can find the numerical value of the

TABLE OF NATURAL SINES AND TANGENTS.

Deg.	Sine	Tangent	Deg.	Sine	Tangent	Deg.	Sine	Tangent
1	017	017	31	515	601	61	874	1.80
2	035	035	32	530	625	62	883	1.83
3	052	052	33	544	649	63	891	1.86
4	070	070	34	559	674	64	899	2.05
5	087	087	35	573	700	65	906	2.14
6	104	105	36	588	726	66	913	2.24
7	122	123	37	602	753	67	920	2.35
8	139	140	38	615	781	68	927	2.47
9	157	158	39	629	810	69	933	2.59
10	173	175	40	643	839	70	939	2.75
11	191	194	41	656	869	71	945	2.90
12	208	212	42	669	900	72	951	3.08
13	225	231	43	682	931	73	956	3.27
14	242	249	44	694	965	74	961	3.49
15	259	268	45	707	1.000	75	966	3.73
16	275	287	46	719	1.03	76	970	4.01
17	292	306	47	731	1.07	77	974	4.33
18	309	325	48	743	1.11	78	978	4.70
19	325	344	49	755	1.15	79	981	5.14
20	342	364	50	766	1.19	80	985	5.67
21	358	384	51	777	1.23	81	987	6.31
22	374	404	52	788	1.28	82	990	7.11
23	391	424	53	798	1.33	83	993	8.13
24	407	445	54	809	1.37	84	994	9.41
25	422	465	55	819	1.43	85	997	11.43
26	438	488	56	829	1.48	86	997	14.31
27	454	509	57	838	1.54	87	998	17.8
28	469	532	58	848	1.60	88	999	23.63
29	485	554	59	857	1.66	89	1.000	32.2
30	500	577	60	866	1.73	90	1.000	Infinite

tangents of these or other angles, and so can easily compare the strength of the currents.

An instrument which will enable us to make these comparisons is called a tangent galvanometer; but in order to obtain accurate results one important point must be carefully attended to in designing the instrument, for the foregoing proof only holds good when the two forces forming a pair act parallel to each other in

and every position of the needle. This means, in short, that the field due to the earth, and that due to the current, must be uniform throughout the entire space in which the needle can be moved. Fortunately, we can, by using a very short needle, make this space proportionally small, and thereby render the problem easier. The earth's field, as has been already stated, is uniform, but that due to a current is far from uniform, more particularly

FIG. 53



in the immediate vicinity of the wire, consequent on the very rapid curvature of the lines of force. However, as we get further away from the wire, these lines approximate more and more to straight lines, and if we bend the wire into a ring of large diameter we shall find a small space at its centre where the lines of force are, to all intents and purposes, straight and parallel. In FIG. 53 is shown a horizontal view of the ring and of the distribution of the lines of force in the field. The two ellipses repre-



purpose of obtaining a sensible deflection with comparatively weak currents. But this difficulty can be easily overcome, for we can increase the length of the wire, without increasing the distance from the needle, by the simple device of coiling it round the needle a number of times. Since the effect on the needle varies directly as the length of a wire, and the length of a wire of two turns is double that of one turn, the effect on the needle is doubled also; in other words, the effect on the needle varies directly as the number of turns of wire in the coil. It follows that, with equal currents, a 6-inch coil of one turn will give the same deflection as a 12 inch coil of two turns.

It must be remembered, however, that if the number of convolutions is increased to any great extent the resistance becomes considerable, and the very act of inserting the galvanometer in a circuit may decrease the current we desire to measure.

Bearing all these points in mind, we will now consider a really practical instrument for the measurement of current strength, selecting for description the pattern which is undoubtedly the best yet constructed—viz. the Post-Office tangent galvanometer. A general view of the instrument is shown in fig. 54.

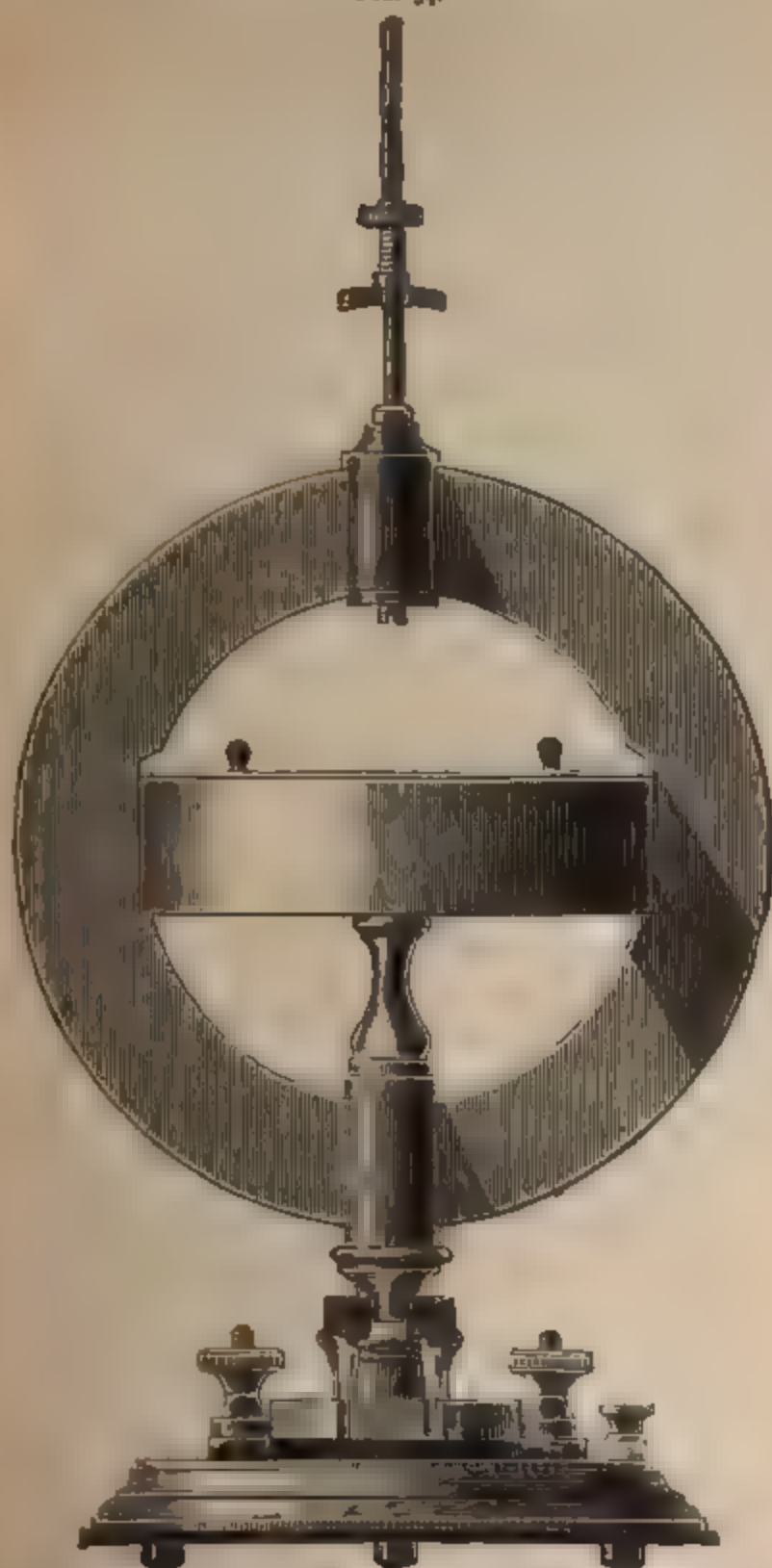
The casing is of brass. The mean diameter of the coil is  $6\frac{1}{2}$  inches; the width of the channel in the brass ring which contains the wire is  $\frac{5}{8}$  inch, and its depth  $\frac{7}{8}$  inch. The length of the needle, which is carefully pivoted with agate on an iridium point, is  $\frac{3}{4}$  inch.

As this needle is too short to indicate its own deflections, it carries a light pointer of gilt copper wire, about 5 inches in length, fastened to it at right angles. This pointer moves over an engraved circular scale plate, one half of which is divided in degrees, the other half into divisions corresponding to the tangents of those degrees, as shown in fig. 55.

It may be of service to some if we refer here to the manner in which this tangent scale is constructed.

Let the quadrant *OL* (fig. 56), represent a portion of the circle along which the scale is to be marked, and let *CO* be the radius along which the index needle is to point when at rest and when no current is circulating through the coil of the instrument. Then draw the tangent line, *OD*, that is to say, a line at right angles to

FIG. 54.



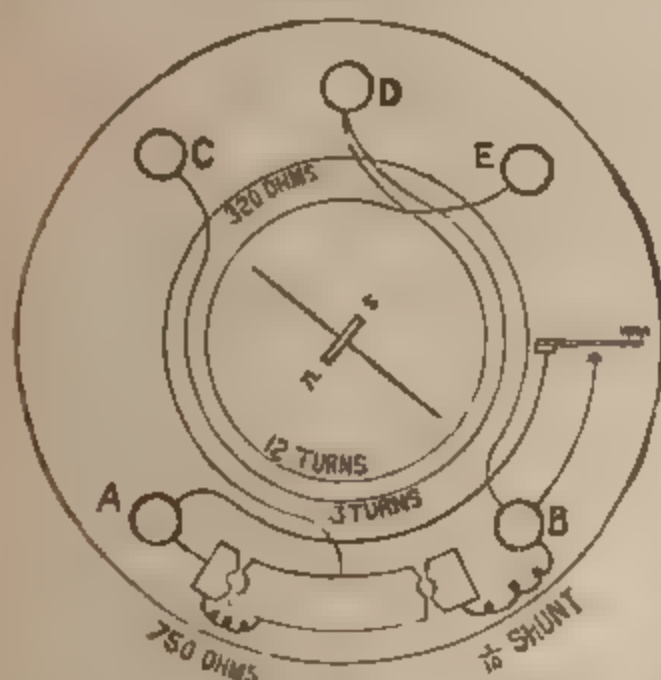
Comparatively strong currents can affect the needle, and, as we have seen, we are prohibited from reducing this diameter for the

reading the observer may let the pointer cover its own reflection when he will be assured that he is looking vertically down upon it, avoiding thereby any error due to parallax—that is to say, any inaccuracy in reading caused by looking at the pointer sideways. A lever, operated by a small switch extending through the box which carries the needle and scales, is provided for lifting the needle off its pivot when not in use. There is also a small adjustable magnet which slides on a brass rod over the needle, and is used for varying the sensibility of the instrument. This may appear to be a step backwards from the beautifully simple thesis upon which the instrument is constructed. If there were no good reason for introducing this 'controlling' magnet to vary the sensibility of the instrument, the wisdom of its introduction would be questionable. But it must be remembered that there are several hundreds of these instruments in use throughout the country, and if it is known that a reading of twenty-five divisions corresponds in every case to a current of 1 milliampere, the direct value of any other reading can be confidently estimated. The controlling magnet, when placed with its S. pole over the N. pole of the needle, assists the directive force of the earth's magnetism and reduces the sensibility, and *vice versa*. Either effect may be varied by sliding the magnet up or down the rod. For instance, the needle will move from zero with the weakest current when the magnet is placed at the bottom of the rod with its poles opposing the earth's magnetism.

A reference to fig. 57 will make the conception of the electrical portion of the instrument easier. There are three separate coils of wire in the brass ring, or bobbin, the ends of each being brought down through the hollow pillar and connected under the base of the instrument to their respective terminal screws, as shown in plan on the figure. Between the terminals c and d is a coil consisting of three turns of thick wire; between d and e are twelve turns of similar wire, wound in the opposite direction. If the current be sent from c to e, we get nine turns acting on the needle, for three of the twelve turns are neutralised by the three in the opposite direction between c and d. The resistance of these coils is negligibly low, so that we are able to get the effect from three, nine, or twelve turns without vary

length of the current. The other coil consists of a great many turns of fine silk covered wire. Its resistance is exactly 100 ohms. One end of it is joined to terminal B, and the other to the middle brass block. By inserting a brass plug in the

FIG. 57.



and hole, the end of the coil attached to the middle block is connected to terminal A direct. If, however, this plug is removed, current in travelling, say, from B, has to pass through an additional resistance coil of 750 ohms (which is fixed under the top of the instrument) before it reaches terminal A. Under these circumstances the total resistance between A and B is 1,070 ohms. Suppose now a single Daniell cell, whose resistance is comparatively low, to be joined to terminals A and B. By Ohm's law the current is equal to  $\frac{1.07 \text{ volts}}{1,070 \text{ ohms}}$ , or .001 ampere—that is, 1 milliampere.

These resistances are, in fact, calculated for use with a single Daniell cell as a standard. We can always immediately produce a deflection which we know to be that due to 1 milliampere current, and find the value of any other current by observing the deflection under similar conditions. A small key is fixed on the side of the instrument; when depressed it connects A and B



as will be seen from fig. 57, or, in the usual language, it short-circuits the coils. It is used for checking the oscillations of the needle and bringing it quickly to rest.

It is sometimes required to measure a current so strong that the deflection is inconveniently high. In this case a part of the current may be 'shunted,' or provided with an alternative path, or, more correctly speaking, a by path, so that only a portion of the current shall go through the galvanometer, the rest going through the shunt. It is necessary, however, to know exactly what fraction of the total current is passing through the instrument and what through the shunt. If we join the ends of the coil by a shunt equal to it in resistance, then the current will divide equally between the two paths, and only half of the total current will be measured. If the resistance of the shunt be  $\frac{1}{9}$  that of the galvanometer, then  $\frac{1}{10}$  of the current will pass through the shunt and the other tenth through the galvanometer. In this case, therefore, the total current will be ten times that measured by the deflection of the needle.

The instrument we are now describing is provided with such a shunt; its resistance is  $\frac{1}{9}$  ohms, and fig. 57 clearly shows how it may be brought into play by inserting a plug in the right-hand hole, thus connecting together the middle and right-hand blocks. Suppose, when the adjustment is such that 1 milliampere gives twenty seven tangent divisions, that we insert this tenth shunt, and then with a current of unknown strength obtain eighty one divisions. The current flowing round the galvanometer is manifestly 3 milliamperes, but this is only  $\frac{1}{10}$  of the whole, consequently the total current is 30 milliamperes.

In order to reduce the current flowing through a galvanometer to any fraction of its full value, say, to  $\frac{1}{n}$ , the resistance of the shunt

necessary to produce that result must be  $\frac{1}{n-1}$  that of the galvanometer. A moment's reflection, however, will make it evident that the introduction of a shunt reduces the resistance of the circuit, and may, therefore, cause a considerable and material increase in current strength. Where this increase of strength is appreciable, the introduction of extra resistance sufficient to compensate



for the fall caused by the shunting becomes necessary, the problem being to ascertain exactly how much compensating resistance is required. By the laws of the joint resistance of two parallel wires, explained in Chapter II, the joint resistance of the galvanometer,  $G$ , and the shunt,  $s$ , will be equal to  $\frac{Gs}{G+s}$ . Now, the resistance

of  $s$  has just been shown to be  $\frac{1}{n-1}$  part of  $G$ , or  $\frac{G}{n-1}$ , that is, if only a tenth of the current is to pass through the galvanometer, the shunt resistance should be  $\frac{1}{10-1}$  part of the galvanometer resistance  $G$ . That is to say,  $s = \frac{G}{n-1}$ , and inserting this value we get—

$$\frac{Gs}{G+s} = \frac{G \frac{G}{n-1}}{G + \frac{G}{n-1}},$$

which is equal to  $\frac{G}{n}$ .

So that the joint resistance of a galvanometer coil of 320 ohms and its tenth shunt will be  $\frac{G}{n} = \frac{320}{10} = 32$ , whence it follows that the reduction in resistance due to the use of the shunt amounts to  $G - \frac{G}{n}$ , or  $320 - 32 = 288$ . 288 ohms is, therefore, in this case the resistance that it would become necessary to introduce in order to restore the resistance of the circuit to the same value that it had prior to the introduction of the shunt. And, generally, it may be said that the introduction of a shunt reduces the resistance of the circuit to the extent of  $\frac{n-1}{n} G$ , and that amount of resistance will need to be inserted to re-establish the conditions of the circuit. In short, this compensating resistance is equal to the difference between the resistance of the galvanometer alone and of the galvanometer shunted.

When great accuracy is desired, all the readings on the tangent galvanometer should be taken with the needle deflected as nearly

as possible through an angle of  $45^\circ$ . The reason for this is, that any given variation in the strength of the current will produce a greater effect on the needle when it is in that position than when in any other, or, in other words, the sensitiveness of the instrument is then at its maximum. For instance, if, when the needle were deflected through  $45^\circ$ , an increase of the current by one-twentieth gave an increase of half a degree in the deflection, a similar increase in the current when the needle stood at  $10^\circ$  or  $80^\circ$  would not be indicated at all, or rather, the deviation would not be discernible.

Every galvanometer has a definite *angle of maximum sensitiveness*, or such an angle of deflection that with a small accretion of current there will be a larger divergence than when the needle is at any other point on the scale. The mathematical demonstration of the existence of this angle would be somewhat beside the scope of this work, but we may repeat that for every tangent galvanometer the angle of maximum sensitiveness is  $45^\circ$ . We should always endeavour, therefore, when using this instrument to get the deflection as near  $45^\circ$  as possible, or when comparing two currents get the deflections at equal distances on either side of this point. It has already been pointed out that it is very convenient, we would say more, it is necessary, in practice to be able to determine immediately the value in amperes or milliamperes, to which some particular deflection of the needle corresponds, and it will be remembered that with a Daniell cell as a standard a current of 1 milliampere may be immediately produced.

The Latimer-Clark cell is less liable to variation and is much more trustworthy than the Daniell when used with a very high external resistance. Although, in order to obtain the most accurate results, this cell should only be employed in those tests where it is not allowed to send any current at all, its portability and the fact that it is always ready and in good order are such important advantages that it is frequently used in such a test as the preceding, under conditions which, perhaps, render it no more accurate than the Daniell. Its resistance, which is as a rule considerable, should be known, and, by using an extra coil, the resistance in circuit can then be made 1,435 ohms. The electromotive force of one of these cells being 1.435 volt, it follows

that through the resistance of 1,435 ohms it will yield a current of exactly 1 milliampere, or,

$$\frac{1.435}{1,435} = .001 \text{ ampere.}$$

The foregoing applies to a galvanometer with a tangent scale constructed so that its zero point is in the centre, as is the case with the *inner* scale on the tangent divisions side in fig. 55. But it will be seen that in this figure there is an outer scale also of tangent divisions, but with the zero point at the extreme left-hand, where the pointer is shown resting. This outer scale is known as the 'skew scale,' from the position of the needle when at zero, and its great advantage lies in the fact that the range of measurement is double that of the ordinary scale. For a comparatively high reading, also, the deflection can be read with greater ease as the pointer is not in the part of the scale where the divisions are close together. It is true that a small deflection cannot easily be read, but the ordinary scale can be employed for this if necessary.

Unfortunately, the tangent galvanometer is but little suited for the measurement of very powerful currents such as those generally employed in electric lighting. We must, therefore, now direct attention to an instrument which will answer this purpose, and one which is beautifully simple in its conception, and at the same time remarkably accurate and free from error. It is based upon the simple experiment mentioned at the commencement of this chapter, viz., the attraction or repulsion which takes place between two wires carrying currents. It may now be stated that the force of this attraction or repulsion is readily measurable, being, in fact, proportional to the strength of one current multiplied by the strength of the other, provided that the distance between the two wires remains constant. If we suppose the currents in each of the wires to be exactly equal, say 2 amperes, then the force may be represented by the number  $2 \times 2 = 4$ . Now if we double the current strength in each wire, the force of attraction or repulsion will be  $4 \times 4 = 16$ ; in other words, when the current strength in each is doubled, the force between them is quadrupled. Similarly, if we treble the current in each wire, or make it 6 amperes, then the mutual force will be  $6 \times 6 = 36$ , or nine

ampere and the torsion applied 16 divisions. Then if a current of unknown strength be sent through the same coil, and it is necessary to apply 64 divisions of torsion to bring the rectangle back to zero, the latter current will be 2 amperes strength; for

$$c_1 : c_2 :: \sqrt{16} : \sqrt{64},$$

that is as 4 is to 8, or as 1 is to 2.

In practice such calculations would be exceedingly inconvenient; the makers, therefore, calibrate the instrument, or determine what strength of current corresponds to the various angles of torsion, both for the thin- and thick-wire coils. These results are tabulated in a convenient form and supplied with the instrument.

On referring to fig. 59 it will be observed that, if the current is reversed, the rectangle will still be deflected in the same direction, because, the direction of the current in *all* the sections being altered, attraction or repulsion will take place between the same limbs as before.

The instrument can therefore be used to compare either positive or negative direct currents, or even alternating currents—*i.e.* those whose direction is rapidly reversed. The pointer attached to the screw-head should always stand at zero when the instrument is not in use, otherwise the spiral spring will take up a *set* and will not bring the rectangle to zero when the pointer is brought there. The spring will, however, gradually recover from any such set if it be not excessive.

The Siemens dynamometer is a very accurate instrument when used with ordinary care, but every measurement occupies a certain amount of time, for in every case the rectangle has to be brought back exactly to zero, the amount of torsion noted, and then the table referred to, to ascertain the current strength to which the torsion corresponds. It is evident that an instrument which immediately indicates in amperes the strength of the current flowing is far more convenient to use, although, unfortunately, a *direct-reading* instrument has not yet been designed which may be relied upon for any length of time to be as accurate as the Siemens dynamometer.

For portability and the rapidity with which measurements may



Ayrton and Perry's ammeter (or ampere-meter) stands first rank.

It is based upon the fact, that a piece of soft iron placed in a magnetic field which is not uniform, will be urged from a comparatively weak into the strongest part of the field. One way of regarding the action is to consider the iron, *M* (fig. 60), as a magnet

at the time being, and

if the field be generated

by a current circulating

round a helix of wire,

and the iron is placed

inside the helix, it

is sucked down until

it reaches the middle of

the helix, which is the

strongest part of the field.

This action will be

proportional to the pro-

duct of the strength of the

field and the strength of

the temporary magnet; as

the latter varies with the

square of the field, but

according to any regula-

tion, the readings will

be proportional to the

strength unless by some means the strength of this temporary

magnet is kept constant. Experiment shows that although the

lines of force pass readily through a piece of iron when

there are very few lines already there, yet, when a great many are

present, any further addition to their number becomes very

difficult. When in this latter condition the iron is said to be

'saturated.' A piece of *very thin* soft iron tubing becomes

saturated even in a weak field, that is, in a field traversed by but

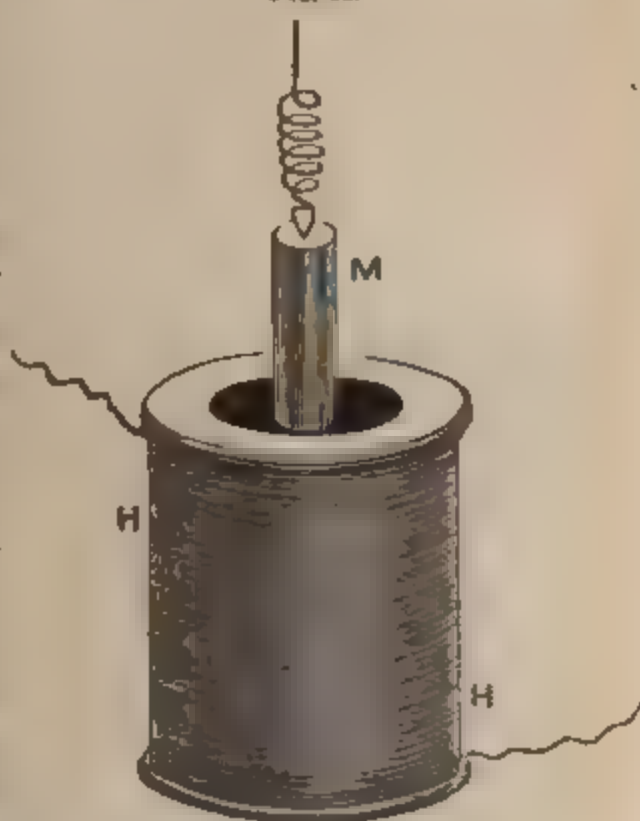
a few lines of force; so that beyond a certain stage, although the

strength of the field is increased, the number of lines of force

passing through the iron tubing, that is, its strength considered as

saturation, remains practically the same. Therefore, if we use a

FIG. 60.





very thin tube of soft iron, the force with which it is sucked into the helix will, for all fields above a certain strength, depend simply upon the strength of the field and will be proportional thereto, and consequently, also proportional to the strength of the current producing the field.

Except for weak currents, then, we may estimate the strength of a current by measuring the pull on such a thin tube of iron placed partly inside a helix. It must not be placed exactly in the middle of the coil, as that, being the strongest part of the field, is the position of rest for the iron.

In the instrument under consideration the method of measuring the pull is unique. It depends upon a peculiar property

FIG. 61.

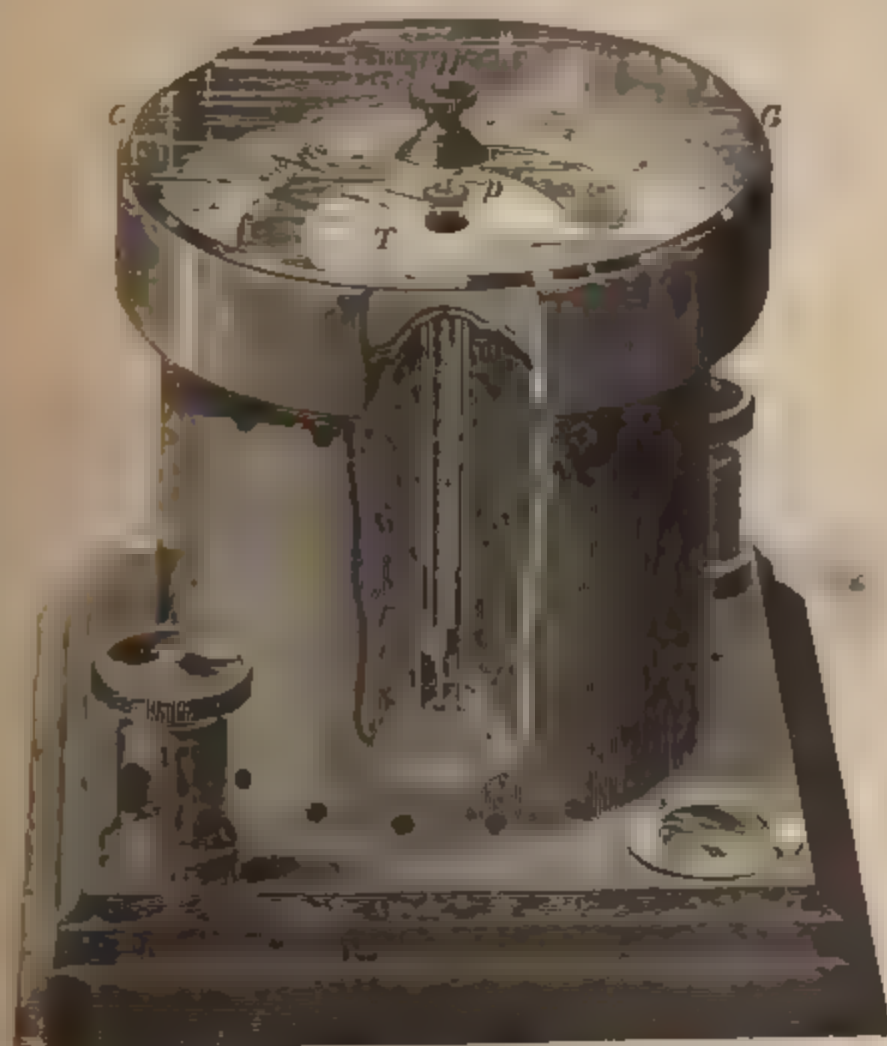


possessed by a flat spiral spring shaped like a curled-up shaving, as illustrated in fig. 61. If such a spring be stretched while one end of it is fixed, the other end will rotate, and the angle of rotation will be exactly proportional to the amount of stretching, the angle being considerable for a small extension of the spring. A reference to fig. 62 will show how these principles are combined in the actual instrument.

The helix fills the space marked *ww*, and is composed of stout wire offering little resistance, so that its introduction into a circuit does not diminish the current flowing therein. *T* is the thin tube of soft iron which is sucked down more or less by the current, its lateral movement being prevented by two small brass pins, *p* and *p*. The former is fixed to a small piece of brass, *c*, which is fastened to the bottom of the soft iron tube. The spiral spring is placed inside this tube, its lower end being rigidly fixed to *c* and its upper end to the brass pin *p*. As *p* is also rigidly connected to the screw head, *H*, the upper end of the spring cannot rotate, therefore when the tube *T* is sucked down the lower end of the spring rotates, carrying with it the tube. The upper end of the tube which projects out of the coil carries a

pointer which moves over a graduated scale, and so indicates the angle of rotation, the usual horizontal mirror being provided to avoid parallax. The scale is divided into equal divisions representing amperes and fractions of an ampere, but as the iron does not become saturated until the current has attained a certain strength, the first portion of the scale is never used, and is, in fact, not graduated, for, as has been explained, the indications at this

FIG 61.



stage are not proportional to the current strength. It is clear that if the iron tube moved through any considerable distance so as to get into a part of the field of different strength, the readings would not be proportional; but it will be remembered that the peculiarity of the spring is that the angle of rotation is great for a very small extension in length, consequently the pointer traverses the whole

shall not affect the reading, the main leads are connected to two long pieces of wire which are twisted together for a considerable distance as shown in the figure, so that each neutralises the tendency of the other.

We come now to the consideration of a class of ammeter, simple in construction and action, independent to a great extent of the proximity of extraneous electro-magnetic fields, and, being direct-reading instruments, they are exceedingly useful as dynamo-room indicators, telling the attendant at a glance whether or no his current is being maintained at its proper value. A number of these instruments depend upon the power of a coil alone, to raise

FIG. 64.



FIG. 65.



a more or less weighty piece of iron against the force of gravity, while others have a solenoid and core to perform a similar operation. They all require to be calibrated, but, under the circumstances, that is not objectionable providing the calibration is correctly performed.

The first instrument of this class to which we will refer is that constructed by Schuckert. A general view of this ammeter shown in fig. 64, and a view of the moving portion of it in fig. 65. It will be seen that the instrument is made to be fixed

against a wall with its base in a vertical position, the working parts being protected by a circular metal case with a glass front. From the two terminal clamps below the instrument case, stout metal bands are led to the solenoid, which is placed with its axis horizontal, and consists of single copper casting, with helical saw-cuts, so as to lead the current a few times round the 'needle.' With such a solenoid, which is designed for very heavy currents, no insulating material is employed other than the air; but in the case of instruments constructed for the measurement of weaker currents, the solenoid is made of a number of turns of ordinary stout insulated wire. A light steel arbor or spindle is pivoted so as to lie parallel to, and a little to the left of, the axis of the coil. It has attached to it a thin curved plate of soft iron shaped as shown in fig. 65. This piece of iron is nearly equal in length to the arbor, and extends through the length of the solenoid. A light aluminium pointer is also fixed to the arbor at right angles, and the movable parts are so weighted that, in the absence of a current, the pointer is held in the zero position by the force of gravity.

When a piece of iron is placed in a solenoid, but out of centre, the effect of a current is to bring the iron towards the centre. Therefore a current passing through the coil of the Schuckert instrument, in endeavouring to rotate the curved piece into the centre, raises it against the force of gravity, through a distance depending upon the strength of the current. The index attached to the arbor travels, therefore, over the scale which is placed behind it, and thus indicates the strength of the current passing through the instrument. As may be imagined, the divisions of the scale are unequal, but the scales of all instruments of the same range are exactly alike, the centre of gravity of the moving parts in each case being adjusted to suit the scale. The adjustment is made by bending a small piece of copper wire (see fig. 65) fixed at one end to the upper side of the arbor, but this operation is a matter of some difficulty when it is desired to reproduce a previous calibration. It is an interesting fact that the gross weight of the moving part is but  $\frac{1}{30}$  of an ounce. The amount of friction is therefore very slight, and, there being very little in the instrument which is liable to vary with ordinary workshop usage, it is a useful and practical piece of apparatus.



The instrument known as the 'Gravity' ammeter is the invention of Mr. S. Evershed; it is manufactured by Messrs. W. T. Goolden & Co., and is for practical work an excellent and reliable measuring instrument.

In this case also the magnetising coil is placed with its axis horizontal, and in the middle of it there lies a small cylindrical piece of soft iron, *a* (fig. 66), which is fixed, by means of a

FIG. 66.



piece of brass, to a brass arbor, this arbor being pivoted at its extremities, and weighted so as to keep the small iron rod in the position shown. *F* and *P* are two small soft iron slabs, placed end to end, but just sufficiently far apart for the

small iron rod, *a*, to swing freely between them.

The coil encircles these slabs, the arbor, and its attachments; and when a current passes through it, the lines of force gather up into the slabs, and pass lengthways along them, say from *P* to *F*, with the result that there is a very dense field just between their opposing ends.

In its normal position the small iron rod, *a*, lies almost outside this dense field, and we have seen that a piece of iron so situated is always urged from a weak part towards the strongest part of the field. Consequently, the iron piece, *a*, is drawn down against the restraining force of gravity which acts on the counterbalancing weight, and, as an increase in the current strength will add to the number of lines and to the force of attraction, the distance through which the iron piece is moved may be made to indicate the current strength. But the depression of the iron rod is not proportional to the increase in the current, consequently an ordinary degree scale, or any other equally divided scale, cannot be employed. Reverting for a moment to the construction of the instrument, it should be explained that, as shown in fig. 67, the two iron slabs (*P*, *F*, fig. 66) are fixed upon a stout brass strip, the remote end of which carries a brass disc forming one bearing for the arbor. At the near end of the strip is a larger disc, provided with a hole through which the spindle freely passes, having also



and thence round the coil again to the beginning of the third convolution, at the right of, and underneath, the drilled hole. After again going round the coil the current leaves by the bar B. It thus takes about  $2\frac{1}{2}$  complete turns round the coil, which, with a current of 300 amperes, would give 750 ampere turns.

It will be evident that such a coil has very little resistance, and that therefore the power absorbed and the amount of heat developed in it will be correspondingly small. The instrument may consequently be kept continuously in circuit without any risk of damage or serious waste of energy. The bars by which connection is made are long and straight, to prevent the current in the leading wires affecting the 'needle,' for without these precautions a considerable error might, owing to the small number of convolutions, be introduced. In an instrument for measuring 1,000 amperes the 'coil' consists of a massive cylinder divided on one side by a radial saw cut, with the straight connecting bars placed in a line with each other. In this case the current makes but  $\frac{3}{4}$  of a turn round the needle, thus again giving, with 1,000 amperes, 750 ampere turns.

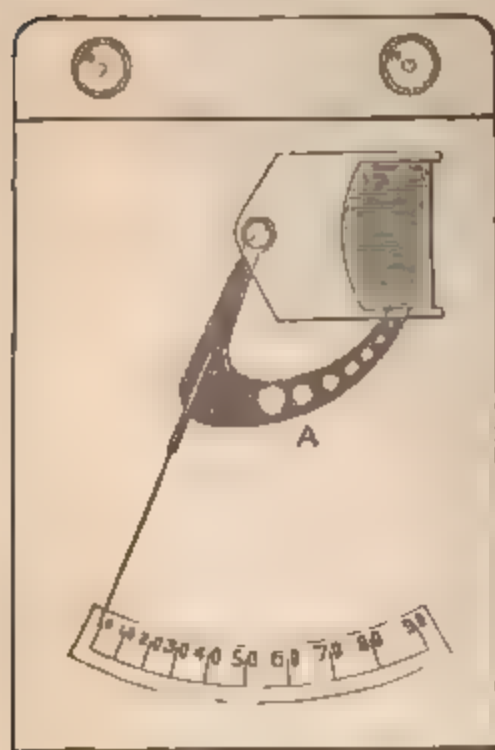
There is one possible source of error with instruments of this description due to the retentivity of the iron, but by exercising great care in the selection and treatment of the metal, this error has been practically eliminated. The iron, in fact, is not touched by a tool after it has been annealed, the film of oxide formed during that operation being simply dissolved by immersion in an acid. Perhaps the best way of testing for inaccuracy due to this cause is to take two sets of readings, one with ascending values of the current from zero to the maximum, and the other with corresponding descending values. Any retentivity of the iron would cause the latter set of readings to be higher than the former, but in these instruments the results are practically identical.

It is not so easy to accurately measure a current of several hundred amperes as it is to measure a few amperes or a fraction of an ampere, but all these ammeters are calibrated by having their full current passed through them, and its effect, as indicated by the pointer, carefully observed.

The required current strength is obtained by means of

secondary batteries, which are charged in series and joined up in parallel for discharging, and in order to ensure greater accuracy a definite fraction only of the whole current is measured. For example, if it is desired to calibrate an ammeter which is capable of measuring from 40 to 400 amperes, it is joined up with the secondary battery, and a set of 100 rather stout iron wire resistances, these wires being all joined up in parallel, and placed so as to have equal facilities for cooling. A standard ammeter is joined up in circuit with one of these iron wire resistances, and a length of the iron wire equal in resistance to that of the ammeter is removed, so that this compound branch, formed of a portion of iron wire and the ammeter, is equal in resistance to each of the other 99 branches consisting only of iron wire. This standard

FIG. 69.



ammeter is calibrated with extreme care, and as the main current divides equally among the 100 branches, the ammeter accurately measures one-hundredth of it, so that for the maximum current of 400 amperes it is only necessary to measure 4 amperes—a comparatively easy matter. For 1,000 amperes it would thus be necessary to measure only 10; but an ammeter designed to measure such a high current is conveniently calibrated by joining in series with it two 500-ampere meters which are themselves connected together in parallel.

The absence of a portable instrument which will stand a little rough usage has hitherto restricted the measurement of alternating currents to such rather inconvenient instruments as the Siemens dynamometer, but it has recently been discovered that by slightly altering the proportions of the iron parts, these gravity ammeters answer admirably in measuring alternating currents, the difference in the readings caused by any variation in the rate of alternation within the limits

which obtain in electric lighting (that is, from about 50 to 120 alternations per second) being practically *nil*.

A simple form of gravity ammeter is that shown in fig. 69, and made by the Société des Téléphones de Zurich. The indicating needle is attached to a peculiarly shaped tongue of very thin soft sheet iron, A, which is furnished at intervals with a number of holes. These holes afford a means of adjusting the sensibility of the instrument and making the scale open near any desired reading. As the current passing through the coil increases in strength the tongue is drawn up into the bobbin and the needle made to pass over the scale on the face of the instrument.

The 'Steel-yard' ammeter, made by the Electrical Power Storage Company and illustrated in fig. 70, is a useful and in-

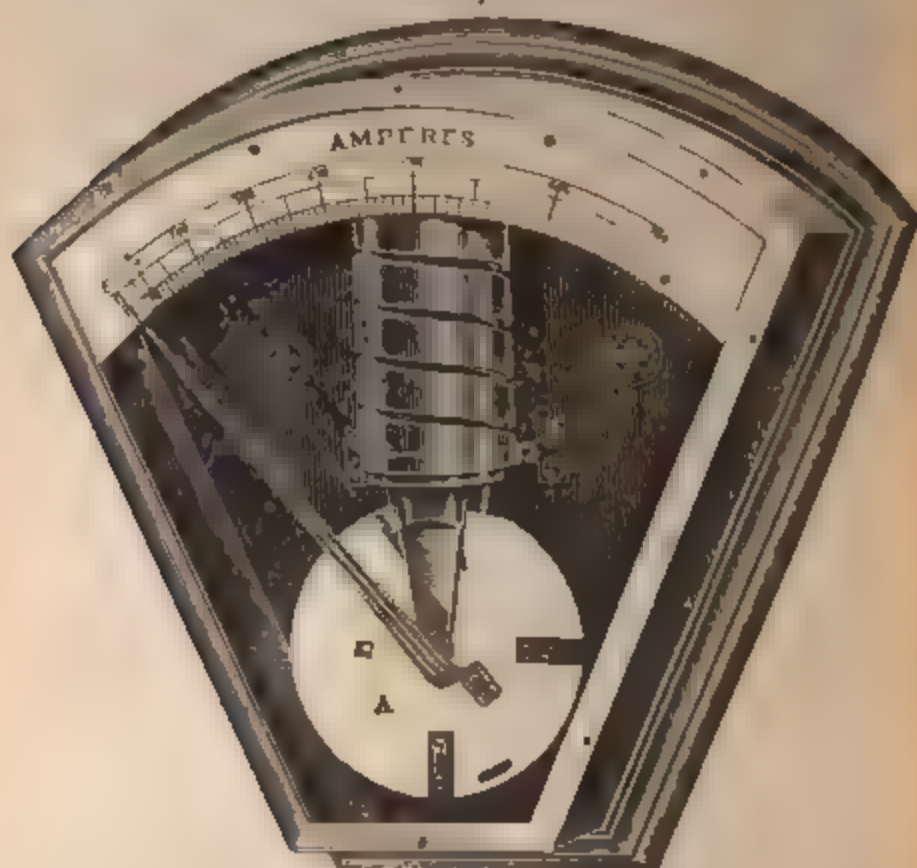
FIG. 70.



teresting piece of apparatus. It consists of a coil of thick wire, which, for heavy currents, is simply a copper rod bent into a spiral and enclosing a soft iron core, which, on being magnetised, attracts a soft iron armature attached to one end of the steel-yard lever. A sliding weight is suspended from the other arm of the lever, its position being adjusted until it just balances the force of attraction between the core and its armature. This instrument is very convenient from the fact that its sensitiveness can be varied in several ways, such as varying the weights, &c. The range can also be varied by varying the length of the lever. The range of each instrument is considerable, the one illustrated being designed to indicate from 50 to 250 amperes.

The 'Disc' ammeter of Messrs. Drake and Gorham (fig. 71) is another useful and simple instrument. It consists of a spiral of copper ribbon enclosing a soft iron core, having for its armature a soft iron disc A. When the pointer stands at zero, as shown in the figure, the centre of gravity of the disc is just below the suspending pivots, which are carried by two pieces of brass attached to the core, the disc rotating between them. A small segment of the disc is cut off so as to form a slight prominence, which serves

FIG. 71.



as a means of, to some extent, concentrating the magnetic lines of force at a definite point. As the strength of the current increases the attraction of this portion of the disc causes the heavier section to be raised against the force of gravity. A light non-magnetic index needle is fixed to the disc, and as the latter rotates the needle travels over a clear open scale.

The lineman's detector (figs. 72 and 73) is a very handy instrument when used for tracing circuits and localising faults, but it must not be regarded as a measuring instrument. It consists of

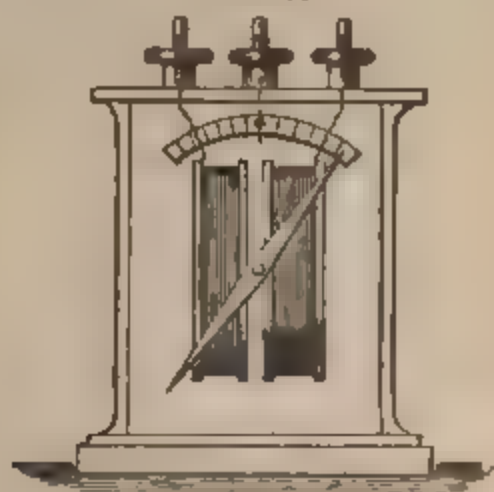


ordinary instrument bobbins, mounted vertically, and each with two coils of wire, one consisting of a few turns of thick

FIG. 72.



FIG. 73.



and the other of many turns of fine wire. The former is usually wound to 0.2 ohm, and the latter to about 100 ohms. A

FIG. 75.



FIG. 74.



that coil is sometimes added to the thick wire coil to reduce its sensitivity. The magnet is about an inch long, and is mounted



on a horizontal axis (see fig. 74), so that it can turn freely inside the coils, a long non-magnetic indicating needle being also fixed on the front end of the spindle and moving over a graduated dial. Sometimes a soft iron needle is substituted for the magnetised steel one, it being magnetised by the induction of two powerful steel magnets fixed to the bobbins, one of which is shown at *m* in fig. 75. These magnets can be curved so as to fit into a case of ordinary dimensions.

One end of each of the coils is connected to one or other of the outer terminals on the top of the case, the other two ends being both joined to the centre terminal. Constructed as described, the needle should be deflected through  $40^{\circ}$  or  $50^{\circ}$  by a current flowing through the thin wire coil of 9.3 milliamperes—that is to say, by a single Daniell cell having an internal resistance of 7 ohms. The thick wire coil should, with the same cell giving a current of 139 milliamperes, cause a deflection of  $20^{\circ}$  to  $30^{\circ}$ .

## CHAPTER V.

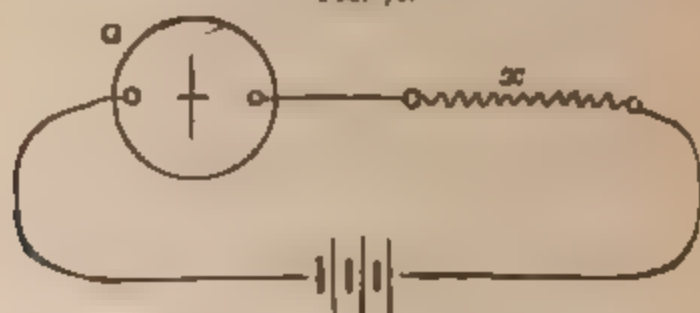
## MEASUREMENT OF RESISTANCE.

WHEN the difference of potential in volts between the two ends of a wire is known, and also the current in amperes which that difference of potential is able to maintain in the wire, then the resistance of that wire in ohms may easily be calculated, for by Ohm's law it is equal to the number of volts divided by the number of amperes, or  $R = \frac{E}{C}$ , where  $R$  stands for the electro-motive force in volts,  $C$  for the current strength in amperes, and  $R$  for the resistance in ohms. If, for instance, a difference of potential or an electro-motive force of 15 volts between the two ends of a wire were able to maintain a current of 2 amperes through it, then its resistance would be  $\frac{15}{2} = 7.5$  ohms. But if the resulting current were only 2 milliamperes, then the resistance would be  $\frac{15}{0.002} = 7500$  ohms. With one of the instruments described in the preceding chapter, the current flowing may be measured, and in the next chapter we shall show how the difference of potential between any two points of a circuit may be measured in volts; and this method is perhaps the very best that can be devised for finding the value of very low resistances. But sometimes we know the maximum difference of potential or electro-motive force which a certain current generator can produce, and this knowledge will enable us in certain cases to calculate resistance after merely measuring current strength.

If we have a battery of which we know the electro-motive force, say 10 volts, and also the internal resistance, say 20", we

may use it to send a current through the tangent galvanometer,  $G$ , and the unknown resistance,  $x$ , by joining them all in series as shown in fig. 76. Suppose the resulting current to be 20 milliamperes as measured by the tangent galvanometer, then we may find the *total* resistance of the whole circuit by dividing the

FIG. 76.



electro-motive force by the current. The total resistance will be  $\frac{10}{.02} = 500\Omega$ . Now, the resistance of the battery and galvanometer is  $340\Omega$ ; if we subtract this from the total resistance we get the value of the unknown resistance,  $x$ , that is,  $500 - 340 = 160$  ohms.

By using the thick wire coils of the galvanometer, and a battery of very low resistance as compared with that of the unknown resistance, no serious error will be made by ignoring the resistance of the battery and galvanometer, and regarding the unknown resistance as the total resistance of the circuit. Under these conditions a number of fairly high resistances may be easily compared, for the same electro-motive force will send through each a current which is inversely proportional to the resistance. Thus, if with three resistances,  $a$ ,  $b$ ,  $c$ , we get deflections of 30, 25, and 60 tangent divisions respectively, then,  $a : b : c :: \frac{1}{30} : \frac{1}{25} : \frac{1}{60}$ ,

that is,

$$a : b : c :: 10 : 12 : 5.$$

Presuming the galvanometer to be so adjusted that a deflection of 30 tangent divisions is obtained when a current of 10 milliamperes is passed through the thick wire coil, and the battery employed to have an electro-motive force of 2 volts, then the resistance of  $a = \frac{2}{0.01} = 200\Omega$ . Therefore, the resistance of  $b =$

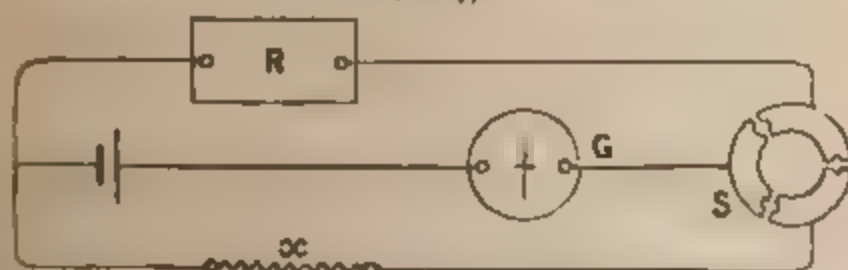
100", and of  $c = 100$ ". As previously stated, however, the resistance of the battery and of the galvanometer must be taken into account, unless they are very low indeed as compared with the unknown resistances.

It should here be observed that in most of the tests to be described it is necessary that a set of resistances whose values are known exactly should be provided. The accuracy of the results obtained depends, in a very great measure, upon the accuracy of the values given to these resistances, so that great care should be exercised in their manufacture, measurement, and use. In Chapter II. some of the principal causes of inaccuracy were enlarged upon, and it was shown how, by avoiding them, a reliable set of resistance coils might be produced.

Assuming such a set of coils to be available, let us now discuss its utility in helping us to ascertain the resistance offered by other conductors.

If a wire, whose resistance we desire to ascertain, is joined up with a battery and galvanometer, the current flowing will deflect

FIG. 77.



the galvanometer needle through a certain angle ; let this angle be accurately noted. Then, if the unknown resistance is removed from the circuit, and a box of coils of known resistance inserted in its place, this same deflection may be reproduced by varying the amount of resistance introduced by means of the plugs or arms, as described in Chapter II. The current then deflecting the needle will manifestly be exactly the same in strength as in the first case, and therefore (since the electro-motive force of the battery is unaltered) the total resistance of the circuit must be the same as before. Hence the resistance in the box is equal to the unknown resistance. A convenient way of taking this test is shown in Fig. 77.  $R$  is the set of resistance coils,  $x$  the unknown resist-

ance, and  $s$  is a three-way plug switch, consisting of three pieces of brass, any two of which may be joined together by inserting a brass plug in the holes provided for the purpose between them. By means of this switch, either  $x$  or  $R$  may be rapidly placed in circuit, and it is advisable to take a second test after  $R$  has been adjusted, to make sure that the electro-motive force of the battery has not been altered by polarisation and so have varied the value of the test. The galvanometer,  $G$ , should be a sensitive one; it should, in fact, under all conditions indicate the alteration in the current strength, caused by the addition or subtraction of the coil of lowest value in the resistance-box. As by this method the same deflection is reproduced, any form of galvanometer will answer the requirements, providing only that it is sufficiently sensitive.

Supposing, however, a tangent galvanometer and a battery, both of very low resistance, to be available, the currents which the battery can send through a known and an unknown resistance can be compared directly by the deflections of the galvanometer needle, for if there are, say, 50 tangent divisions in the first case and 45 in the second, and the known resistance is 32 ohms, then

$$45 : 50 :: 32 : x,$$

because the deflection in each case will be inversely proportional to the resistance in circuit. Hence,  $x = 35\frac{1}{3}$  ohms. The three-way plug switch may be used as in the last test, but both readings should be taken near the 'angle of maximum sensitiveness,' viz.  $45^\circ$ .

When, however, the resistances of the battery and galvanometer are comparatively high, their values must be known or ascertained, and allowed for in accordance with Ohm's law as follows: Let the resistance of the galvanometer,  $G$ , be  $320^\circ$ , that of the battery  $r = 12^\circ$ , and the known resistance  $R = 560^\circ$ ; let the current with  $R$  in circuit ( $C_1$ ) give 50 tangent divisions, and with  $x$  in circuit ( $C_2$ ) give 45 tangent divisions.

Then, in the first case,

$$C_1 = \frac{E}{R + G + r}, \text{ whence } C_1(R + G + r) = E,$$



and in the second case,

$$C_2 = \frac{E}{x + G + r}, \text{ whence, also, } C_2(x + G + r) = E,$$

Therefore  $C_2(x + G + r) = C_1(R + G + r),$

hence  $x = \frac{C_1}{C_2}(R + G + r) - G - r.$

Since  $\frac{C_1}{C_2}$  is merely a ratio, the strength of the currents in milliamperes need not be known, the number of tangent divisions produced by the currents being inserted instead of  $C_1$  and  $C_2$ . Inserting all the values, then, we get

$$x = \frac{50}{45} (560 + 320 + 12) - 320 - 12$$

$$x = 659.1 \text{ ohms.}$$

The resistance of the galvanometer is nearly always known and engraved on the instrument, but it is frequently necessary to measure the resistance of the battery at the time of making the test. To avoid this it is better to use a battery of very low resistance, and this may usually be obtained by joining up several sets in parallel.

The equation will then stand :

$$x = \frac{C_1}{C_2} (R + G) - G.$$

By inserting the values as before we can see the amount of the error caused in this case by ignoring the battery resistance of 12 ohms.

$$x = \frac{50}{45} (560 + 320) - 320$$

$$x = 657.7 \text{ ohms.}$$

The error is thus but 1.3"; and it is not difficult to get a battery of only about 1 ohm resistance to send a sufficiently strong current for the above test, when the error would be negligibly small.

This method also provides us with a means of measuring the resistance of a galvanometer. For, let the second reading be

known resistance  $K = 700$  instead of  $x$ , the deflection being 45 divisions. It follows that, as before,

$$C(x + G) = C_2(K + G)$$

$$Cx + CG = C_2K + C_2G$$

$$C(x - C_2) = C_2K - C_1R$$

$$G = \frac{C_2K - C_1R}{C - C_2}$$

Inserting the values we get

$$G = \frac{45 \times 700 - 50 \times 560}{50 - 45} = 700 \text{ ohms.}$$

With the same apparatus the internal resistance of the battery may be measured. For if the battery is joined up to the resistance coil of the galvanometer (three or twelve turns), practically the only resistance in the circuit will be that of the battery. If possible, the adjustable magnet should be placed so that deflection is, say, 50 tangent divisions. Now, it will be evident that to halve the current flowing, the resistance in the circuit must be doubled. If, therefore, resistance  $R$  is inserted until the deflection falls from 50 to 25 divisions, the resistance  $R$  will be equal to the resistance  $x$  of the battery.

Sometimes, however, the effect of the controlling magnet is insufficient to produce a convenient deflection, and it is necessary to introduce some resistance in the first test, say  $P$ , for this purpose. Then

$$C = \frac{E}{x + P}, \text{ or } C(x + P) = E.$$

If, now,  $P$  is increased to  $R$  in order to halve the deflection and therefore halve the current strength,

$$\text{then } \frac{C}{2} = \frac{E}{x + R}, \text{ or } \frac{C}{2}(x + R) = E,$$

$$\text{therefore } \frac{C}{2}(x + R) = C(x + P),$$

$$\text{whence } x = R - 2P.$$

For instance, if with a low-resistance galvanometer it is necessary to insert 11 ohms in order to bring the deflection to 25 divisions, and to increase this resistance to 31 ohms

order to make the deflection 30 divisions, then the resistance of the battery  $x = 31 - 22 = 9$  ohms.

In some cases the resistance of a cell is so very low that it becomes a difficult matter to measure it with great accuracy. Secondary cells, especially, have not only a low resistance, but also a comparatively high E.M.F., so that some special method is necessary in dealing with them, if great accuracy is desired.

A very pretty method consists in allowing the cell to send a current through a low external resistance of known value, and then measuring the fall of potential which takes place along this resistance. This fall can be easily found by subtracting the external potential difference from the total E.M.F. developed. As the resistance of each portion of the circuit is proportional to the fall of potential taking place along it, the internal resistance of the cell can then be deduced. One of the hot-wire voltmeters (page 189), designed to indicate up to 2.5 volts, is a useful piece of apparatus for this work. The total E.M.F. of the cell can be measured by joining the voltmeter to the cell terminals, because the high resistance of the voltmeter allows only a feeble current to be generated, so feeble, in fact, that the fall of potential inside the cell is exceedingly low; whence the potential difference indicated is practically equal to the E.M.F. developed. If a second external conductor, but of low resistance, is also joined to the terminals of the cell, the total external resistance will be considerably reduced, and the fall of potential inside the battery proportionally increased, and a lower E.M.F. will be indicated by the voltmeter. Consequently, if we denote the total E.M.F. by  $E$ , the fall of potential in the external and internal portions of the circuit by  $P$  and  $p$  respectively, the resistance of the cell by  $r$ , and of the known external resistance by  $R$ , it is evident

$$E - P = p,$$

and

$$P : p :: R : r;$$

from which we get

$$r = \frac{p R}{P}.$$

When a battery of such cells is to be measured—say twenty—it is better to reverse nearly half of them—in this case, nine; when the resistance to be measured is that of twenty cells, while

and  $x$  is a three way plug switch, consisting of three pieces, any two of which may be joined together by inserting a plug in the holes provided for the purpose between them. When at this switch, either  $x$  or  $r$  may be rapidly placed in, and it is advisable to take a second test after  $r$  has been used, to make sure that the electro-motive force of the battery has not been altered by polarisation and so have varied the value of the test. The galvanometer,  $G$ , should be a sensitive one, it should, in fact, under all conditions indicate the alteration in the coil strength, caused by the addition or subtraction of the coil of lowest value in the resistance box. As by this method the deflection is reproduced, any form of galvanometer will answer the requirements, providing only that it is sufficiently sensitive.

Supposing, however, a tangent galvanometer and a battery of very low resistance, to be available, the currents which the battery can send through a known and an unknown resistance may be compared directly by the deflections of the galvanometer. For if there are, say, 50 tangent divisions in the first case, 45 in the second, and the known resistance is 32 ohms,

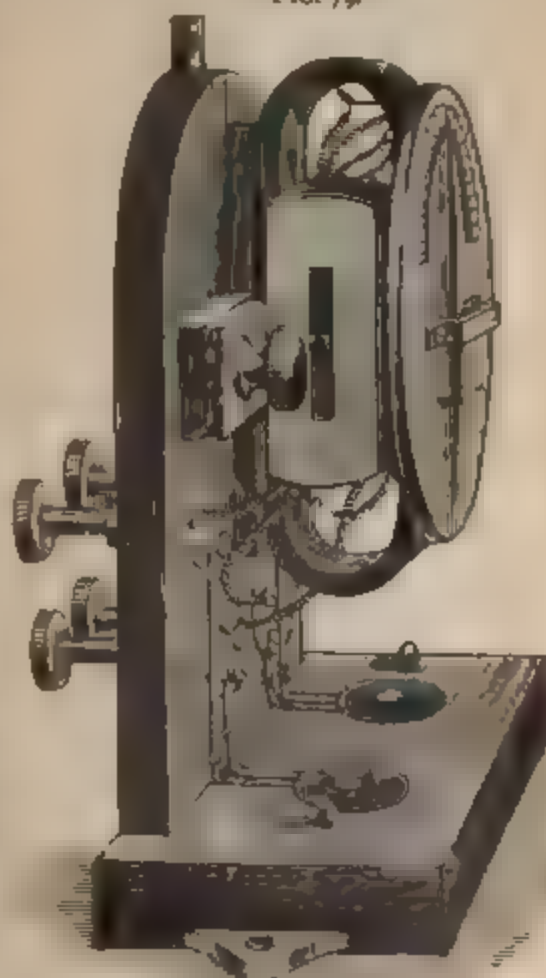
$$45 : 50 :: 32 : x,$$

the deflection in each case will be inversely as the resistance in circuit. Hence,  $x = 35\frac{2}{3}$  ohms. A plug switch may be used as in the foregoing, but the angles should be taken near the 'angle of vision' viz.  $45^\circ$ .

ent, and the whole is embraced by two horse-shoe magnets, placed with their like poles adjacent, as shown in the figure. These magnets form a very strong field in the space in which the spindle lies. A large number of the lines of force pass through the spindle, but when they reach the break in the iron at *cc* they

and upwards through the soft iron needle from the side, and downwards from the other side, the result being that the needle is a powerful magnet with its north pole downwards. On the end of the spindle is fixed a blackened brass pointer, *A*, which, passing over in front of a circular scale divided into degrees, indicates the movements of the needle. The two coils, each offering 50 ohms resistance, are wound side by side over two separate bobbins, so that the corresponding portions of each wire are equally distanced in relation to the needle and exert equal

FIG. 79.

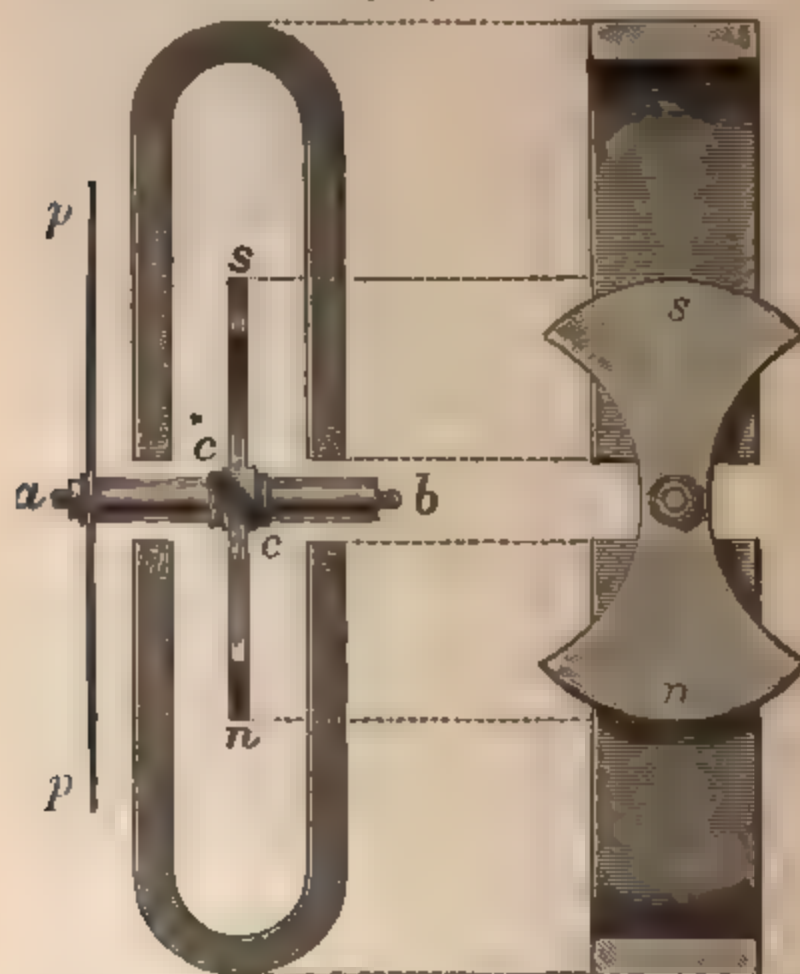


magnetic effects upon it. This method is, of course, far in advance of the old instrument-makers' method of winding one wire alone on one bobbin and the other on another bobbin. The tests for a differential galvanometer are that, if powerful but equal currents be sent in opposite directions through the coils, no effect should be produced upon the needle: each coil used separately should produce equal but opposite deflections with the same current, and the coils should offer exactly the same resistance. The inner ends of the two wires on the bobbins are respectively joined together and the other four ends connected to as many terminals



on the back of the instrument. This allows the current to be sent through the coils in several ways. First through one coil only, resistance  $50\Omega$ . Secondly, through both coils in series in such a direction that they act upon the needle in the same manner, when the resistance will be  $100\Omega$  and the deflective action doubled, provided the increase of resistance does not sensibly reduce the current. Thirdly, through both coils in

FIG. 80



parallel and in the same direction ; the resistance in this case will be  $25\Omega$ , and the deflective action the same as that of *one* coil only. Fourthly, through both in parallel, but in opposite directions, when the needle should, as already stated, be unaffected. Lastly, through both coils in series in opposite directions, when the needle should also be unaffected. This last method of joining up is also useful for proving if the deflective effects of the two coils are

equal, for the same current passes through each irrespective of their resistance.

Although the wires are wound side by side throughout, it is very rarely that they are found to act with equal force on the needle. There are three ways of attaining this result without affecting the resistance. The position on the bobbins of a portion of either or both of the wires may be altered; or a part of the wire which has the greater effect may be unwound and wound back on the bobbin in the opposite direction; or the stronger may be unwound until an exact balance is obtained, when the length so unwound may be coiled up in the base of the instrument, where, if wound 'double,' it will have no effect on the needle.

The lower end of the needle is weighted, to keep it in the vertical position and to restore it to that position on the cessation of the current; and the current acts against this weight when it deflects the needle. The arm at which this weight acts increases with the deflection of the needle, so that the angle of deflection cannot be proportional to the current strength. The relation between the two is, in fact, irregular, because of the peculiar shape of the needle (shown in fig. 80), and because the field due to the current, although almost uniform inside the coil, is far from being so near the edges and just outside.

But at present we shall only consider the use of the instrument with the needle at or near zero, at which point, it may be mentioned, it is most sensitive.

Provided with this instrument, a battery, and a set of resistance coils of sufficient range, we are in a position to rapidly measure unknown resistances.

Fig. 81 shows the best way of making the connections.  $G$  is the galvanometer,  $R$  a set of resistance coils,  $x$  the unknown resistance, and  $K$  a key for closing the battery circuit. On depressing the key, the current will divide at  $a$ , the junction of the two coils of the galvanometer, part passing through the coil  $ab$  and  $R$ , and the remainder through the other coil  $cd$  and  $x$ , back to the battery.

Supposing  $R$  to be of less resistance than  $x$ , then a greater part of the current will pass through  $ab$  and  $R$  than through  $cd$  and  $x$ , consequently the needle will be deflected to one side. By

increasing  $R$  this excess of current will be diminished, and the deflection of the needle also decreased, until the needle again stands at zero. Then the currents flowing through both coils of the galvanometer are equal, and therefore the resistance of both branches must be equal, viz.

$$x + 50^{\circ} = R + 50^{\circ},$$

that is,

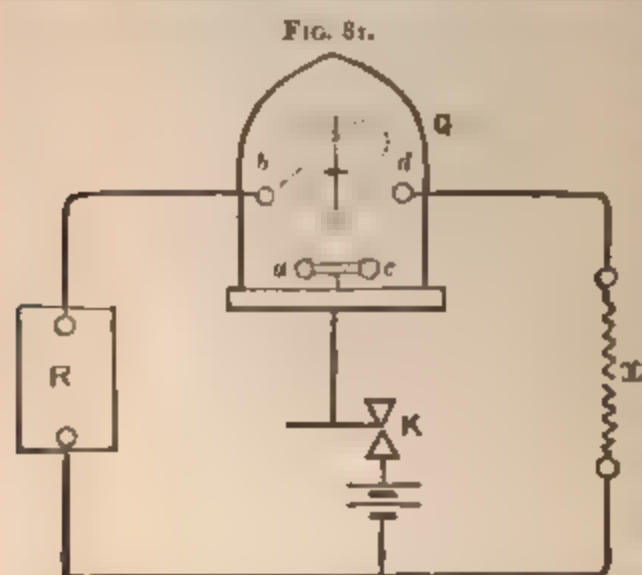
$$x = R.$$

By further increasing  $R$  the needle would be again deflected, but in the opposite direction to that previously obtained.

Before making a test it is advisable to find out and note in which direction the needle is deflected when  $R$  is too large or too small, so that immediately

the needle moves to one side or the other we may know whether it is required to increase or decrease  $R$ .

It may be necessary to measure resistances which are either higher or lower than any which can be inserted in the box  $R$ . The range can then be extended by shunting one coil of the galvanometer — say by a



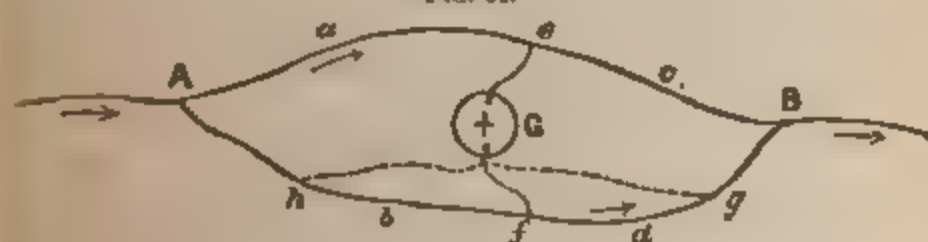
wire one-ninth of the resistance of the coil. Then, as only one-tenth of the current in that branch will pass through the galvanometer coil, a balance will be obtained when the total resistance in that branch is one-tenth of the resistance of the other. For instance, suppose the coil of the galvanometer connected to  $R$  to be so shunted, and a balance to be obtained, when the resistance in  $R$  amounted to 650 ; then the unknown resistance would be 6,500 nearly. We say nearly, because, in order to obtain a perfectly accurate result, compensating resistance must be inserted to make the resistance of the shunted galvanometer coil equal to 50°, as explained in the preceding chapter.

In measuring electro-magnets or any single wound coils, a sudden jerk of the needle, due to self-induction (see Chapter VII.),

It will always be noticed on making and breaking the circuit. In such cases care should be taken to see that the needle rests at zero when no current is flowing, and then the key should be depressed and the adjustments made with a steady uninterrupted current until the needle again comes to zero.

The differential galvanometer, although a first-rate instrument for comparing two resistances by the equalisation method, loses in simplicity and rapidity when shunts have to be used and allowed for. By means, however, of a piece of apparatus known as the 'Wheatstone Bridge,' the value of any resistance can be readily measured. The principle of this invaluable apparatus is very simple, and is explained by the diagram (fig. 82). Let us suppose two wires,  $A c B$  and  $A b d B$ , either equal or unequal in resistance, to be

FIG. 82.



joined up in parallel and a current sent through or divided between them, as shown in the figure. The current will, as already explained, divide itself between the two wires inversely as their resistances, but, for our present purpose, the current strength is a matter of little or no importance.

If, now, one end of a galvanometer coil,  $G$ , is joined to any point,  $c$ , in one wire, and the other end to a point,  $g$ , in the other, very near to the junction  $B$ , a deflection of the galvanometer needle will be observed, indicating a current flowing from  $c$  to  $g$ .

On removing the galvanometer wire from  $g$  and joining it to another point,  $h$ , also in the second wire, but very near to  $A$ , the galvanometer will again indicate a current, but flowing in the reverse direction, viz. from  $h$  to  $c$ . If contact were successively made at points along the wire  $A b d B$  farther from  $A$ , the current would become feebler and feebler until, finally, a point,  $f$ , would be found at which the needle would not be affected at all, showing the absence of a current through the galvanometer.



There can be but one explanation to these experiments. It was clearly laid down and demonstrated in Chapter II. that whenever a current of electricity flows, it does so invariably in virtue of a difference of potential between the extremities of the conductor through which it flows, and, conversely, whenever the extremities of a conductor are at different potentials a current flows through it. These two facts must never be lost sight of, for they constitute the key to a host of electrical phenomena and problems. Inasmuch, then, as it was seen, by the evidence of the galvanometer, *G*, fig. 82, that a current passed through it when its terminals were connected to the points *e* and *g*, and to the points *e* and *h*, the current or currents flowed as a consequence of a difference of potential between those points. And the absence of a current on connecting the points *e* and *f* together is an equally clear proof that those two points were at the same or equal potentials. If we suppose *A* to be at a higher potential than *B*, and connect the galvanometer directly to those points, so that it shall share the current arriving at *A*, the needle will be deflected to one side or the other, the particular deflection being governed by the direction of the current round the needle. Let us suppose the deflection to be to the right. Then, on connecting the galvanometer to *A* and *g*, or even to *e* and *g*, the deflection will also be to the right, and will establish the fact that the potential at *e* is higher than that at *g*. On the other hand, the opposite deflection which is obtained when the galvanometer is connected to *e* and *h* affords ample proof that the potential at *h* is higher than that at *e*. Now, as the ends of the two wires at *A* are always at the same potential, and as the ends at *B* are also at the same potential, although lower than that at *A*, it follows that the fall of potential along *A a c B* must equal that along *A b d B*. It also follows that if we fix upon any one point in either of the wires, there must always be a point somewhere in the other wire which will be at exactly the same potential, and if these two points are connected together no current can possibly flow between them. Herein is the underlying principle of the Wheatstone bridge.

We must now endeavour to discover what relation, if any, exists between the resistances of the four sections into which these wires are divided. Let the resistance of the section between *A* and



denoted by  $a$ , that between  $A$  and  $f$  by  $b$ , between  $e$  and  $B$  by  $c$ , and between  $f$  and  $B$  by  $d$ .

The difference of potential between  $A$  and  $e$  is equal to that between  $A$  and  $f$ ; call this  $P_1$ .

Again, the difference of potential between  $e$  and  $B$  is equal to that between  $f$  and  $B$ ; call this  $P_2$ .

Now we have seen that in every case (since by Ohm's law  $P = RI$ ) the difference of potential between any two points is equal to the current flowing, multiplied by the resistance of the conductor between those points.

Suppose the current flowing in the upper branch,  $AeB$ , to be  $C_1$ , and in the lower branch,  $AfB$ , to be  $C_2$ .

$$P_1 = C_1 \times a;$$

$$P_1 = C_2 \times b;$$

$$\text{Therefore } C_1 \times a = C_2 \times b,$$

$$\frac{a}{b} = \frac{C_2}{C_1}.$$

$$P_2 = C_1 \times c,$$

$$P_2 = C_2 \times d,$$

$$\text{Therefore } C_1 \times c = C_2 \times d,$$

$$\frac{c}{d} = \frac{C_2}{C_1}.$$

$\frac{a}{b}$  is likewise equal to  $\frac{C_2}{C_1}$ ;

$$\text{Hence } \frac{a}{b} = \frac{c}{d}.$$

This is the relation between the resistances which we sought, and we might, in the same way, have shown that it holds in other cases where the resistances have different values. The relation may also be viewed from another standpoint. The difference of potential along a conductor is proportional to its resistance. Hence, the resistance of a conductor is proportional to the difference of potential which takes place along it. Now, the difference of potential along the two branches (see Fig. 82) is equal to the difference of potential at  $e$  and  $B$ , and the fall

The stretched wire must be of considerable resistance so as to make the fall of potential per unit of length appreciable, and it should be of some hard durable metal, otherwise it would become worn by the slider and its uniformity of resistance destroyed. For these reasons the wire should be made of German silver, platinum silver, or platinoid. A key should be inserted in the battery circuit, to prevent the current being kept on longer than necessary, and heating the wires. Extra resistance in the galvanometer or battery circuits introduces no error, merely reducing the sensitiveness of the arrangement. But it is important to secure good clean connections in the other branches, as any resistance introduced there might cause a great error in the result. To obtain the best results the resistance of the battery should be low and its E.M.F. high; the resistances in the arms of the bridge should not differ

FIG. 85.



very greatly, and the galvanometer must, of course, be sufficiently delicate to indicate the difference of potential caused by moving the slider through the shortest measurable distance. But the length of the wire on the galvanometer must not be indefinitely increased to attain this result, otherwise the

resistance so added reduces the current in a greater proportion than the deflection effect is increased.

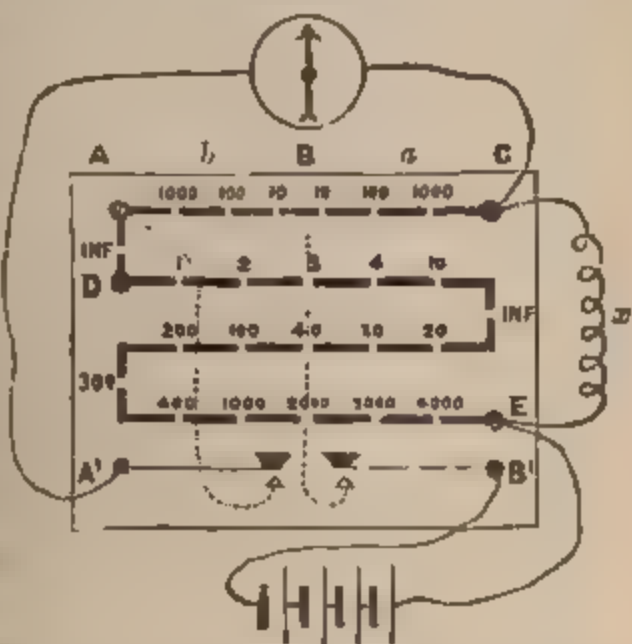
There is, in fact, for every separate test, a certain resistance which it would be best to give the galvanometer. In practice, however, we can do no more than wind the galvanometer in such a manner as will make it best suited to the average conditions under which it will be employed. For an ordinary slide wire bridge the galvanometer resistance should not greatly exceed one ohm.

The slide-wire bridge answers well in a laboratory, and is

exceedingly valuable for measuring low resistances. A more practical form of the Wheatstone bridge and one which is very largely used for general work is shown in fig. 85, and its connections in fig. 86.

There is no exposed stretched wire here, but all the resistances are placed in a mahogany box with an ebonite top, their ends being connected to brass blocks fitted with plugs as in the case of any ordinary resistance-box. These resistance coils are measured with extreme care, and the value of each in ohms is marked (often indistinctly, by the way) upon the ebonite. Double terminal screws are employed to avoid risk of resistance being introduced by the careless connection of two wires on to one terminal. In the general view it will be seen that there are two keys, each, when depressed, making contact with a metal stud; these keys are marked A' B' in fig. 86. A terminal screw is connected to each key,

FIG. 86.



is joined the zinc pole of the testing battery. The stud under this key is connected beneath the ebonite cover to the brass block B in the middle of the back row of resistances, so that the zinc pole of the battery is joined to this block when the right-hand key is depressed. It is at this point then, corresponding to B, the junction of Q and S in fig. 83, that the current divides, and on either side are three coils of 10, 100, and 1,000 ohms respectively, any or all of which can be inserted at pleasure. At each end of this row of coils is a terminal screw, and the galvanometer is joined up to these points. But, as we have seen, it is necessary to have a key in the galvanometer circuit, and it is very convenient to place both keys close together, as shown. One wire from the galvanometer is therefore brought to terminal

A'—that is, to the left-hand key—and the stud under this key is connected to terminal A, as shown by the dotted line. Therefore, when A' is depressed, this side of the galvanometer is joined to terminal A. The other side of the galvanometer goes direct to terminal C. The two 'arms' of the bridge, BA and BC, correspond to S and Q in fig. 83, and the arm marked R in that figure here consists of a number of coils, ranging from 1 ohm to 4,000 ohms, placed between the terminals D and E. We have thus three arms of the bridge of known values, and the fourth, or unknown resistance,  $x$ , is placed between terminals C and E. The copper pole of the battery is brought direct to terminal E, which corresponds to the junction of P and R in fig. 83. Between the arms BA and DE—that is, between the terminals B and D—is a space marked 'infinity.' There is no coil connected to the two blocks at this point, so that the resistance is infinite, that is, the circuit is disconnected when the plug is removed. This arrangement is exceedingly useful, for it is possible to increase the range of measurement considerably, by removing the plug and inserting an extra box of coils in the circuit here; and further, it is often convenient, in some tests, to be able to separate the coils into two independent sets. There is a second 'infinity plug' between the 10 and 20 ohm coils, and when using the apparatus simply as a set of resistance coils these plugs may be used as keys for disconnecting or joining up the circuit.

Now, suppose the bridge to be properly joined up, with an unknown resistance  $x$ , the value of which it is desired to find, between C and E.

It is clear that A and C are the points which we want, by adjusting the various resistances, to bring to the same potential, and the galvanometer is connected to these points so as to indicate when this result is attained. We begin by inserting some resistance in the arms BA and BC, say 100 ohms in each. These resistances are not again altered during the measurement, but the adjustment is made by varying the amount of resistance in the arm DE until the galvanometer shows that a balance has been obtained. When this happens the value of the unknown resistance,  $x$ , is equal to the amount which has been inserted in the arm DE. Much time may be saved and greater accuracy ensured

by taking a test methodically, and the following points should be attended to. Before starting it should be ascertained that the plugs are firmly in their places and that all the connections at the terminals are good, and to ensure this it is advisable to take advantage of the double terminals provided, and place only one wire on each screw. The galvanometer having been placed in a position convenient for the experimenter, some coils in each of the three arms must be put into circuit, the amount in the arms *DE* being made as near the unknown resistance as can be guessed. The right hand key should be depressed and then, a moment afterwards, the left hand key, and the galvanometer observed; probably the latter will indicate the passage of a current, and it should always be found which way the needle moves when the resistance in the arm *DE* is, say, too high. If that is done, one can see, immediately the needle moves, whether it is necessary to increase or reduce the resistance in *DE* in order to get a balance. This is much quicker than obtaining the balance at random. The galvanometer key must only be lightly tapped so as to just indicate in which direction the resistance must be varied, until a balance is nearly obtained, when it may be held down for a longer period. This prevents a heavy current being passed through the galvanometer, and the student will hardly require warning that if the battery is kept on too long the coils will become more or less heated and their resistance varied. It should also be borne in mind that with a very delicately made instrument a suddenly applied heavy current is likely to injure the needle or the pivot.

We considered above the simple case when the resistances of the arms *BA*, *BC* were equal, but the bridge is not always used under these conditions.

If, for instance, the unknown resistance is comparatively low and we desire to measure it to within a fraction of an ohm, it is then necessary to have these arms of unequal resistance; we should, in fact, make *BA* 100 ohms and *BC* 10 ohms. Then, if a balance were obtained with 13 ohms in *DE*, *x* would be equal to 13 ohms. For, by the principle of the bridge,

$$x = \frac{BC \times DE}{BA} = \frac{10 \times 13}{100} = 1.3.$$



And by using 1,000 ohms in B A and 10 in B C, measurements to within  $\frac{1}{100}$  of an ohm might be made.

When the unknown resistance is very high, then the ratio must be reversed, taking, say, 10" in B A, and 1,000- in B C. If, now, a balance is obtained with 1,309 ohms in D E, then

$$x = \frac{1000}{10} \times 1309 = 130900 \text{ ohms.}$$

When using this ratio it is not always possible to obtain a perfect balance and so determine the unknown resistance exactly, because the lowest unit in the arm D E is 1 ohm, and this is equivalent to 100 ohms in the unknown resistance. For instance, if in the last test the unknown resistance were 130,925 ohms, it would be necessary to increase the resistance in D E by a quarter of an ohm in order to get a perfect balance, and this fraction is not at our disposal. A supplementary set of resistances having fractional values may be inserted between the terminals A and D, provided that the arrangement is sufficiently sensitive for the galvanometer to respond to the change produced by these fractions of an ohm ; but for general work it is sufficient to know the value of a very high resistance to within 10 or 20 ohms, and this can always be estimated by observing the movements of the needle when the resistance in D E is less than 1 ohm too high and less than 1 ohm too low.

It may be remarked that the efficiency of the Wheatstone bridge is reduced by the injudicious choice of a battery, more frequently than by any other cause.

The point to be borne in mind is, that a considerable fall of potential is necessary along the arms of the bridge, that is, between the points A and B in fig. 82. The greater the difference of potential between these points, the greater will be the effect on the galvanometer needle for a given change in any of the resistances, and therefore the higher the degree of accuracy to which we can measure. Now, suppose the bridge to be of the slide-wire form, and the resistance of the arms between A and B to be 2 ohms. If we employ a battery of 10 Daniell cells, having a resistance of 1 ohm per cell, the potential difference between A and B will be considerably less than three-quarters of a volt, all the rest of the

all taking place inside the battery. A single Grove cell, having a resistance of  $\cdot 2\Omega$ , could maintain about 1.8 volts under similar conditions, although its E.M.F. is only one-fifth of that of the Daniell battery. This clearly shows the evil effect of resistance in the battery, and it is evident that when the resistances in the bridge are low, the battery employed, while having a sufficiently high E.M.F., *must* have a very low internal resistance. When, however, the resistances are high, resistance in the battery circuit is not so harmful (as the fall of potential in any part of a circuit is directly proportional to the resistance of that part), and a battery of Daniell cells may be employed. The E.M.F. of the battery is often kept unnecessarily low to avoid a strong current heating the coils; there is, of course, a limit, but by a skilful manipulation of the keys provided, the time during which the current need be kept on is so very short that the heating is inappreciable. We have remarked that it is better to depress the battery key first, and allow the current to become steady before tapping the left-hand key and throwing the galvanometer in circuit. A very short time is sufficient for this, but extra care should be taken that it is done when the unknown resistance is an electro-magnet, or any coil which is liable to the phenomenon of 'self induction' (see Chapter VII.), or when it has any 'electrostatic capacity,'<sup>1</sup> as in the case of a telegraph line or cable, otherwise the needle will move violently, although the actual resistance may be truly balanced. To enable the student to understand how the nature of the resistance can cause the potential at any two points to be widely different when the current is starting or stopping, and yet equal when it is steady, we may employ an analogy. Suppose we have two equal iron water pipes joined up as in fig. 82, with some piece of apparatus to indicate a difference or equality of pressure, in the place of the galvanometer, the points *e* and *f* being at equal distances from A or B. Then, the pipes being equal in all respects, the pressure at *e* and *f* will always be equal, no matter how the difference of pressure at A and B may be varied. If, now, one branch, A *f* B, is replaced by a very flexible india-rubber

<sup>1</sup> The scope of this work will not permit us to deal with this branch of the subject; 'electrostatic induction' has seldom to be contended with by the electrician or engineer.

pipe of similar dimensions, this no longer holds good. Suppose the pipes to be empty and then water at a high pressure to be forced in at *A*; the pressure at *e* will rise quicker than at *f* because the flexible pipe expands, and this occupies a short time. When the expansion has reached its limit the pressures at *e* and *f* are equal, but on suddenly stopping the flow at *A*, the pressure at *f* becomes higher than at *e* for a brief moment owing to the contraction of the pipe.

Somewhat similarly, as we shall see later on, a current of electricity can never rise to its full value, nor die away instantaneously; for this reason, the coils of the bridge are so wound that in them the rise or fall is very rapid, and when the unknown resistance is such that the rise or fall takes place at a different rate, the current must be allowed to become steady before the second key is closed.

The peculiar method of winding the bridge coils is also useful in preventing any direct action, which might be caused by the current circulating in them, being produced upon the galvanometer needle. When an electro-magnet is being measured, the galvanometer must be placed far enough away to avoid its being affected when the current is passed through the electro-magnet. When there is any reason to suppose that some such effect as this exists, the battery key should be closed and opened several times, the galvanometer key being left open and the needle watched. If it moves at all, we have proof positive that some portion of the apparatus is producing a disturbing effect upon the galvanometer.

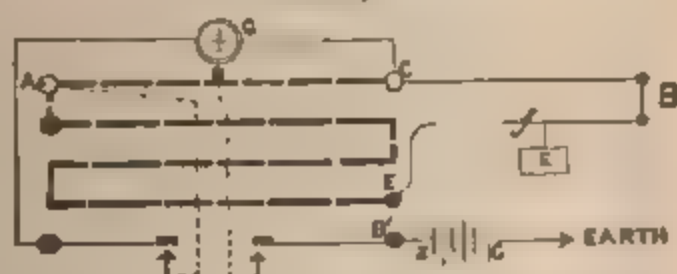
We will describe one other test, known as the 'Loop test,' which is rather interesting, and may prove useful to an electric-light engineer.

When both ends of the unknown resistance are not easily accessible, it may be measured by joining one end to the terminal *C*, and connecting the distant end to earth. The terminal *E*—that is, the junction of the arm *D E*—and the copper pole of the battery are also put to earth, and then the test can be made in the usual manner, because the two earth-connected points are at the same potential, and behave in precisely the same way that they would if they were joined to a common terminal. A leakage sometimes occurs in a covered wire or cable, which allows more

less of the current to escape to earth, provided some other point of the system is also earthed. It is necessary to be able to determine the distance of such a 'fault,' or point of leakage, and this might easily be done by disconnecting the line beyond it, and then, treating the fault as an earth, measuring the resistance of the wire up to this earth as described above.

It rarely happens, however, that any fault develops which does not offer considerable resistance to the passage of the current to earth, and as the amount of this resistance is never known it cannot be allowed for. Further, the resistance frequently varies so rapidly that it is not possible to obtain a balance at all, and some different arrangement of the bridge is necessary. We have seen that in the battery circuit extra resistance, and even variable resistance, causes no error in the result, although it reduces the sensitiveness of the bridge; and if this variable earth fault can be placed in the battery circuit, we can ignore its resistance altogether. This can readily be done if both ends of the wire are accessible; if not, it is necessary to have a second or return wire, and connect the distant ends of the two together. This arrangement is shown in fig. 87. The copper

FIG. 87.



pole of the battery is put to earth, the zinc pole being always joined to line in fault-testing, as the current in that direction — usually by an electrolytic effect decreases the resistance of the fault.  $EB$  is the faulty wire, the fault being shown at  $f$ .  $CB$  is the sound wire by means of which we reach the other end of the faulty wire, the two being looped together at  $B$ . The good wire is joined to terminal  $C$ , and the faulty one to  $E$ . On depressing the battery key the current flows through the bridge and the lines, finding earth at the fault, and a balance can be obtained in the usual way. Let  $R$  be the resistance inserted in  $AE$ , and let  $x$  represent the unknown resistance of the faulty wire from  $E$  to the fault at  $f$ . Then the total resistance of this arm of the bridge is  $R + x$ . The other arm consists of the sound wire,  $CB$ , and that portion of the faulty



wire from B to *f*. Let the total resistance of this arm be called *y*. Let *a* be the resistance in B C, and *b* that in B A, then

$$a : y :: b : R + x,$$

that is,

$$y = \frac{a}{b} \times (R + x) \quad \dots \dots \dots (1).$$

We have here two unknown quantities, *x* and *y*, and must therefore get a second simple equation in order to eliminate one of them. It is clear that the total resistance of the two lines is *x* + *y*, and usually this is known; if not, it can be measured by joining up the bridge in the ordinary way (that is, connecting the copper pole of the battery to terminal E), and measuring the resistance of the loop as if no fault existed; for there will then be no leakage at the fault, as no other part of the system is earthed. Suppose the resistance thus found to be *L* ohms, then

$$x + y = L;$$

therefore

$$y = L - x \quad \dots \dots \dots (2).$$

Therefore, from equation (1),

$$\frac{a}{b} \times (R + x) = L - x;$$

therefore

$$x = \frac{bL - aR}{a + b}.$$

If we make *a* = *b*, as is frequently done in this test, then, evidently,

$$R + x = L - x,$$

and

$$x = \frac{L - R}{2};$$

or, we simply subtract the resistance in A E from that of the two lines, and, dividing by 2, obtain the value of *x*.

Now, *x* is the resistance in ohms from E to the fault; the length of the wire E B is known, and therefore its resistance per mile, or any other unit of length, is known. Thus we can at once ascertain the distance of the fault in miles or yards by dividing *x* by the resistance per mile or per yard.

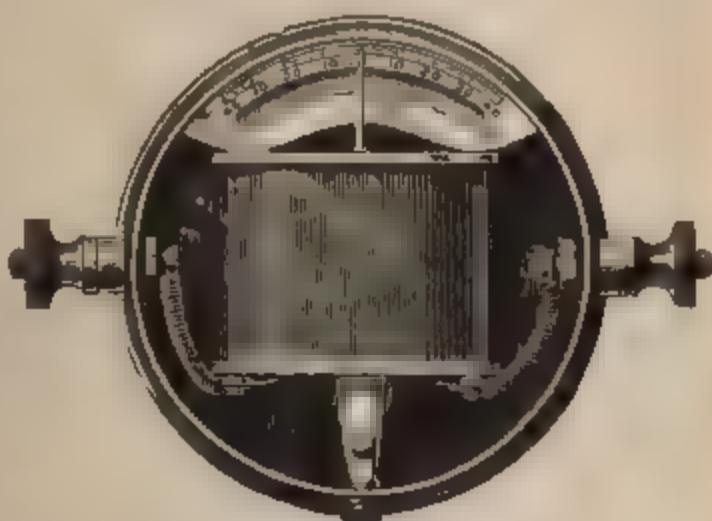
The galvanometer used with the form of bridge above described has a resistance of 800 ohms; it is shown in fig. 88, and is a very good instrument—portable, yet capable of giving evidence of a



very small potential difference. When joined up in circuit with a resistance of 20,000 ohms, and a single Daniell cell (the current then being about one twenty-thousandth of an ampere), it will give a deflection of  $25^{\circ}$ .

The coil consists of many turns of fine silk-covered wire, wound on a single brass bobbin. The needle, which is pivoted, lies exactly in the centre of the coil, and is quite covered by it. At right angles to the needle is fixed a pointer, which projects from the coil, and, passing over a scale and a strip of looking-glass, indicates the slightest movement of the needle. A lever is provided for lifting the needle from its pivot when not in use, and each end of the coil is connected to a terminal which is insulated

FIG. 88.



from the brass casing by ebonite. The features in the design of the instrument which enable it to respond to very feeble currents are the great length of wire employed, the nearness of this wire to the needle, and the lightness and excellent pivoting of the needle, which allow it to move easily.

Another form of Wheatstone bridge is shown in fig. 89. This has a very great range, and some of its coils are joined up differently to those in the apparatus last described.

The two 'ratio arms' each consist of five coils, of 1, 10, 100, 1,000, and 10,000 ohms resistance, and are connected up in the usual manner. The arm which is varied in balancing is divided into four sets of coils, each set consisting of nine *equal* coils. The resistance of each coil in the first set is  $1^{\circ}$ , in the second  $10^{\circ}$ , in the third  $100^{\circ}$ , and in the fourth  $1,000^{\circ}$ . Sometimes a fifth set of  $1^{\circ}$  each is added. In the figure will be seen 10 brass blocks surrounding a circular central one, with which they can be separately connected by a plug. The block partly hidden by the

plug is numbered 0, and this block is connected to the centre of the next dial. Between each of these numbered blocks (except 9 and 0) one of the equal resistance coils is placed, and by means of the plug any number of them can be brought into circuit. For instance, if the block numbered 5 is so joined to the centre plate, the current passes from the plate by means of the plug, and through five of the coils round to the block number 0, which is joined to the next centre plate, or, in the case of the last dial, to a terminal screw. Some tests can be very quickly made with this form of bridge, and the result seen at a glance. Of course, the circuit is disconnected in the variable arm every time a plug is shifted, if only one plug is used for each dial.

FIG. 89



One of the most important uses to which the instruments and methods described in this chapter can be applied, is that of determining the 'insulation resistance' of an electrical circuit, which is accomplished by entirely disconnecting the remote ends of the conductors, and then measuring the resistance offered by the insulating material to the leakage of a current from one conductor to another, or to earth. Should this resistance fall below a certain prearranged standard, evidence will be afforded of the existence of a fault which requires to be localised and removed forthwith. The insulation of the conductors having been proved, the switches and other fittings may then be joined up, when a second careful test should be made, which in most cases will

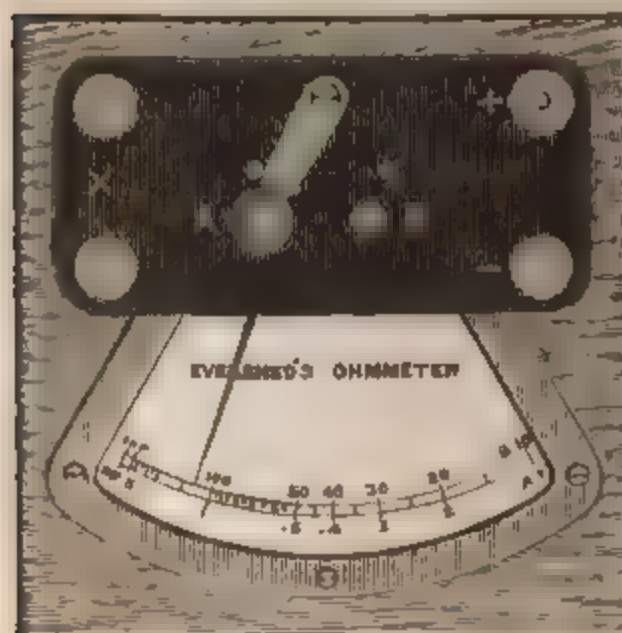
reveal the fact that the insulation resistance has fallen considerably, often as much as 50 per cent, due mainly to surface leakage. By testing the insulation resistance of the conductors separately, a ready means is afforded of determining whether a particular fault is in the covering of the wire, or in the fittings, and it may be observed that a certain amount of leakage at the fittings should be deemed of less importance than an equal or even a smaller leakage in the conductor covering; for whereas in the former case it is mostly due to moisture and therefore not liable to any serious increase, in the latter case it indicates a damaged or inferior insulating material, a fault which will most assuredly develop under the continued electrical stress.

In electric light installations very heavy currents and rather high E.M.F.'s. are frequently employed, which might cause serious damage to life and property should the insulation at any point be allowed to fall below a certain standard or become in any way faulty, and any such fault would, of course, also impair the efficiency of the lighting, to say nothing of the energy wasted. Similar conditions obtain with any system of electrical conductors and fittings for any purpose whatever, and it is necessary that some convenient means should be available for efficiently testing the whole installation, under conditions equally trying to the maximum stress which it will be called upon to sustain in practice. Especially must the source of electrical power employed for the test be able to develop an E.M.F. at least equal to the maximum intended to be used, otherwise there will be considerable risk that small incipient faults will not be shown up during the test, and will only become manifest when the circuit is in practical use, and when, therefore, the greatest inconvenience, and possibly damage also, will result.

As 100 volts is the lowest E.M.F. which generally obtains in practice, it is evident that the employment of batteries for testing would be exceedingly inconvenient, so much so, in fact that an efficient test is frequently shirked. A small magneto machine, such as we shall describe in a subsequent chapter, is far more convenient and portable, but it is hardly suitable for use with the apparatus ordinarily constructed for the measurement of

resistance. Within the last few months an instrument has been introduced by Messrs. Goolden which answers admirably, and, in fact, is designed to work with such a machine. It is called an 'ohmmeter,' from the fact that its pointer indicates directly the number of ohms in the resistance under measurement. In practice, however, one does not actually require to find the exact resistance of an installation within a few ohms more or less. It is, indeed, sufficient if the apparatus can assure us whether, under the stress produced by a sufficiently high E.M.F., the insulation is above or below the standard, which we may here suppose to be fixed at 1 megohm (a million ohms). If below this standard, the

FIG. 90.



circuit should be tested in sections until the fault is localised. The apparatus in question can promptly and decidedly indicate whether a resistance is above one megohm or below it, and supposing it to be above, of course the installation is passed as satisfactory. A top view of the instrument is given in fig. 90. When the small switch is placed as shown on the contact A, the outer scale A is to be used, but by shifting the

switch to the contact B, a coil is shunted, thus enabling the lower resistances to be measured by readings on the inner scale, B. The wires from the source of E.M.F. (the magneto machine) are attached to the terminals marked + and -, while wires leading from the resistance to be measured are attached to the other terminals marked x.

It is not possible to measure the higher resistances with certainty to within 100 ohms or so, but this is immaterial, as, if the insulation is below the standard, it matters little whether it is 700,000 or 700,200 ohms.

Fig. 91 is a view of the interior of the instrument turned



upside down, the working parts there shown being placed under the ebonite slab on which the switch and terminals are fixed.

The scale plate is shown in fig. 90. The inner of the two scales is marked in divisions of 1,000 ohms from ten thousand up to infinity, while the outer reads in megohms from 0.1 megohm to infinity, the scale being fairly open up to 5 megohms.

In the construction of the instrument there are three coils (shown in plan in fig. 92); two of them, *a a*, are placed with their planes parallel and

are joined in series, while the third, *b*, is placed between and with its plane and magnetic axis at right angles to those of the coils *a a*. The inner coil, *b*, is shaped so as to allow the pointer to travel through a comparatively wide range. The figure, which is drawn from the under side, also shows the small steel needle in its zero position. This needle

is then lying in the centre of the coil *b*, and along the common axis of the coils *a a*. In the case underneath it is placed a small weak bar magnet which adjusts itself so as always to neutralise the effect of the earth's magnetism, and, consequently, the only magnetic forces acting upon the needle are those due to the currents in the coils. A current pass-

ing through the coils *a a*, which are of high resistance, tends to keep the magnetic needle in the position shown, that is, at zero, with its length along the common axis of the coils *a a*. But its length is then parallel to the plane of the coil *b*, and any current

FIG. 91.

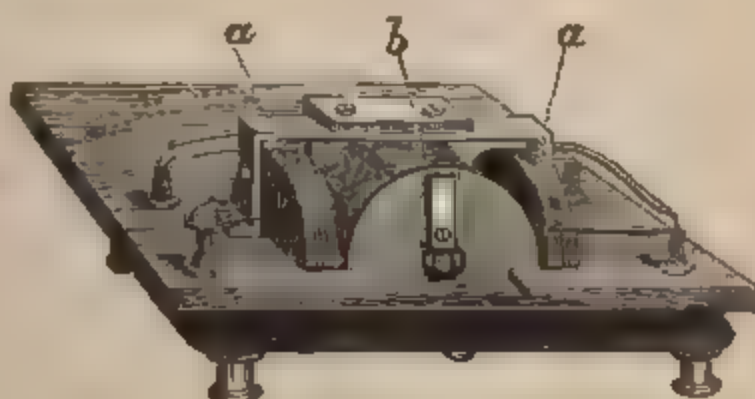
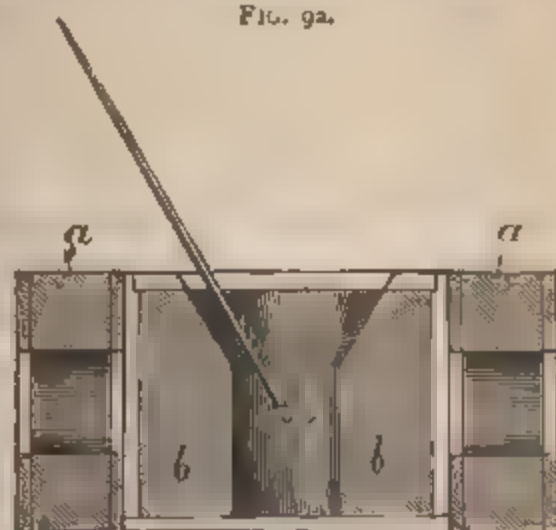


FIG. 92.





which was described in Chapter III. If carefully used it will remain constant for years ; but, as it polarises quickly, it should not be allowed to send so strong a current as even 1 milliampere, and, if possible, should only be used in those tests, to be presently described, in which the batteries are tested when they are not sending any current at all, but simply maintaining a potential difference. A rather serious drawback to this cell is, that its E.M.F. varies with a change of temperature, falling as the temperature rises ; and although, the temperature being known, the variation of E.M.F. can be allowed for, such calculations are very inconvenient and take time. Its E.M.F. at 15° Centigrade is 1·435 volts.

The Daniell cell when in good condition does not polarise, even when developing a strong current, and it has the further advantage that a considerable variation of temperature makes little or no difference in its E.M.F. It is, therefore, a good standard for use in the workshop, and any form of Daniell cell in first-rate order may be employed, especially when the tests are independent of the battery resistance. But it must be remembered that the plates should be bright and clean, the supply of crystals in the copper cell plentiful, and the solution in the zinc cell half saturated. The E.M.F. then is 1·079 volts.

Since the current which a battery can develop is proportional to its E.M.F., it is evident that the E.M.F. of two batteries can be compared by observing the currents which they send through circuits offering *equal* resistances. The Daniell cell should be used as the standard in this case, and if it gives on a tangent galvanometer 25 divisions deflection through a total resistance of, say, 1,000 $\Omega$ , while another cell or battery gives 62·5 divisions through the same resistance, then

$$25 : 62\cdot5 :: E : x,$$

where E is the E.M.F. of the standard cell, and x that of the battery under measurement.

$$\text{Therefore} \quad x = \frac{62\cdot5 \times 1\cdot079}{25} = 2\cdot7 \text{ volts nearly.}$$

One objection to this method is, that it is necessary to know the resistance of the batteries, in order that the total resistance

may be made the same in both cases ; but if the resistance of the internal circuit is comparatively high, then the resistance of the batteries may be ignored.

In this simple method, the resistance is kept constant, while the current varies. The various currents are then measured and the relative E.M.F. deduced therefrom.

But it is also possible to compare electro-motive forces by varying the resistance and keeping the current constant, in which case the electro-motive force is proportional to the resistance ; for, the higher the E.M.F., the greater is the resistance through which it can send a given current. One great advantage in connection with this method is, that any kind of galvanometer which may be available can be employed, because the same deflection is produced in every case. In order, therefore, to compare the E.M.F. of any battery  $x$ , with the standard cell  $E$ , we should join the standard cell in circuit with a rheostat and galvanometer, varying the resistance so as to obtain a convenient deflection of, say,  $45^\circ$ , and noting carefully the total resistance,  $R_1$ , in circuit. The battery to be tested should next be joined up, and the resistance altered, say, to  $R_2$ , so as to reproduce the deflection of  $45^\circ$ .

$$\text{Then} \quad x : E :: R_2 : R_1 \text{ or } x = \frac{E R_2}{R_1}.$$

In this test, too, the resistances of the standard cell, the battery, and the galvanometer must be known and taken into account unless the resistance in the rheostat is comparatively high, when these other resistances may be ignored.

But by a simple extension of this method, it is possible to obtain an accurate result without knowing either of these three resistances. The process consists in first joining up the standard cell,  $E$ , in the same manner as in the previous test, and then adjusting the rheostat until a deflection of, say,  $45^\circ$  is obtained. The resistance should then be increased until the deflection falls to, say,  $35^\circ$ , noting carefully the exact number of ohms,  $p$ , by which the resistance is increased, in order to bring about the reduction in the deflection. The battery, whose electro-motive force,  $x$ , it is desired to measure, must now be substituted for the standard cell, and the resistance again adjusted until the deflection of  $45^\circ$  is reproduced. This resistance should then be increased

by, say,  $Q$  ohms until the deflection is once more  $35^\circ$ . Then, as shown below,

$$x : E :: Q : P, \text{ or } x = E \frac{Q}{P} \text{ volts.}$$

To take an example. If with the Daniell cell as a standard the insertion of 720 ohms reduces the deflection  $10^\circ$ , that is to say, from  $45^\circ$  to  $35^\circ$ , and when the battery is substituted it is found necessary to add 2,300 ohms to reduce the deflection through the same  $10^\circ$ , then

$$x = 1.079 \times \frac{2300}{720} = 3.446 \text{ volts nearly.}$$

This is a very good method, and it is interesting and instructive to observe how the battery and galvanometer resistances are eliminated. This may be shown by Ohm's law as follows.

Let  $G$  be the resistance of the galvanometer,  $r_1$  the internal resistance of the standard cell, and  $R$  the resistance in the rheostat when the needle is deflected through  $45^\circ$  by the current whose strength is indicated by  $C_1$ , then

$$C_1 = \frac{E}{R_1 + r_1 + G}.$$

Also let  $r_2$  be the resistance of the battery whose E.M.F. is to be deduced, and  $R_2$  the resistance in the rheostat necessary to reproduce the deflection of  $45^\circ$ , or when the current strength can again be indicated by  $C_1$ , then

$$C_1 = \frac{x}{R_2 + r_2 + G},$$

therefore

$$\frac{E}{R_1 + r_1 + G} = \frac{x}{R_2 + r_2 + G}$$

$$E(R_2 + r_2 + G) = x(R_1 + r_1 + G) \dots \dots (1)$$

When the resistances  $R_1$  and  $R_2$  are increased by  $P$  and  $Q$  respectively to obtain the deflection of  $35^\circ$  which will correspond to a current strength which can be called  $C_2$ , then

$$C_2 = \frac{E}{R_1 + r_1 + G + P} = \frac{x}{R_2 + r_2 + G + Q},$$

herefore  $E(R_2 + r_2 + G) + EQ = x(R_1 + r_1 + G) + xP \dots (2).$

Substituting equation (1) from (2) we get

$$EQ = xP,$$

hence

$$x = E \frac{Q}{P}.$$

To ensure accurate results it is essential that the galvanometer used in this test should be sufficiently sensitive to detect a small variation in the current strength, and, if possible, the resistance of  $Q$  should be as high as or even higher than the total resistance in the circuit prior to their insertion.

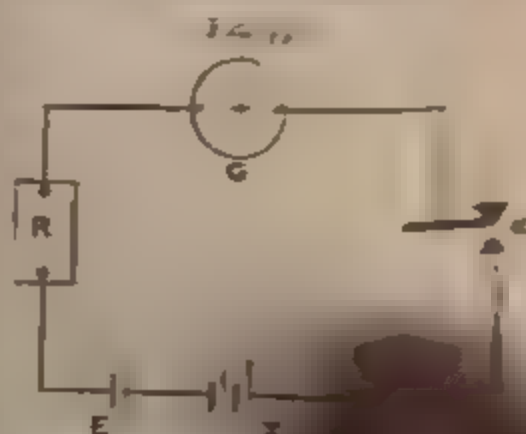
There is another good method which is sometimes very convenient because it is not necessary to know or ascertain the resistance of any portion of the apparatus, whether it be the galvanometer, the rheostat, or the battery, these being the only things required for the test. As in the previous test, we measure the E.M.F. of the standard cell by  $E$ , and that of the unknown by  $x$ . The standard cell  $E$  and unknown  $x$  are connected up in series, so that they assist each other in sending current through a rheostat or set of resistance coils, and a sensitive galvanometer,  $G$  (fig. 93), and the resulting deflection, say, sixty tangent divisions, is obtained.

Now, on reversing the standard cell (supposing it to be of lower E.M.F. than  $x$ ) so that the two cells,  $x$  and  $E$ , are opposed to each other, the resulting current will manifestly be due to the difference between the two E.M.F.'s, as the total resistance remains unaltered, the current and the deflection will be diminished, say, to twenty-five divisions.

If the first deflection (sixty-five divisions) due to the sum of the two E.M.F.'s is denoted by  $D$ , and the second deflection (twenty-five divisions) due to the difference between the two E.M.F.'s by  $d$ , then

$$x : E :: D + d : D - d$$

$$x = E \frac{D + d}{D - d}$$





Inserting the values as above, we get

$$x = 1.079 \times \frac{65 + 25}{65 - 25} = 2.428 \text{ volts nearly.}$$

The object of reversing the battery or cell of lower E.M.F. is to obtain both deflections on the same side of the zero point. Were the battery of higher E.M.F. to be reversed, it would cause the needle to be deflected to the opposite side of the zero, and if the pointer happened to be bent it would cause an incorrect calculation.

If, when joined up in opposition, no deflection is obtained, then the electro motive force of the standard cell will be the same as that of the battery under test, or  $E = x$ . The only objection to the method is that in the first case the weaker battery, which is usually the standard cell, has a rather strong current flowing through it which may lower its E.M.F., while, when joined in opposition, the current is passing in the opposite direction and will almost certainly cause a slight increase in its E.M.F. In order to eliminate as much as possible this source of error, it is advisable to introduce a 'key' or contact maker to open and close the circuit at will, as shown in fig. 93. By the skilful manipulation of this key the needle can be brought to rest immediately without a single oscillation, and the deflection then read before any appreciable alteration of the E.M.F. can take place. As a further precaution, the resistance in circuit should be made as high as possible so as to reduce the strength of the current. By such means the objection becomes almost entirely obviated. To admit of high resistance being placed in the circuit, the 320" coil of the galvanometer should be used unshunted, and the magnet placed rather low down with its north pole pointing northwards, so that it will act in opposition to the earth's magnetism.

That the resistance of batteries and galvanometer need not be known or ascertained is evident from the fact that they form part of the constant total resistance, which is the same in each case and which does not enter into the calculation. This may be shown algebraically, for if we let  $R$  indicate the total resistance in circuit (including batteries and galvanometer),  $C_1$  the current in the first



giving deflection  $D$ , and  $C_2$ , the weaker current, giving deflection  $d$ , then

$$C_1 = \frac{x + E}{R}, \text{ or } R = \frac{x + E}{C_1},$$

$$C_2 = \frac{x - E}{R}, \text{ or } R = \frac{x - E}{C_2}.$$

Therefore  $\frac{x + E}{C_1} = \frac{x - E}{C_2}$ , or, since the currents are proportional

to the deflections in tangent divisions,  $\frac{x + E}{D} = \frac{x - E}{d}$ .

Since  $Dx - DE = dx + dE$ ,

$$x(D - d) = E(D + d),$$

$$x = E \frac{D + d}{D - d}.$$

It will doubtless be remembered that, if the poles of a battery are joined by a short piece of thick wire having practically no resistance, the current flowing through the circuit will depend simply on the E.M.F. of the battery and its internal resistance. Now, the thick wire coils of the tangent galvanometer which we have described are of very low resistance, and may be used for the measurement of the current which a battery can give under these conditions. Thus, supposing a battery of twenty Daniell cells, having a resistance of 5 ohms per cell, were joined up to send current through one of the low resistance coils of the tangent galvanometer, the current flowing would be  $\frac{20}{5 + 0.01} = 2153$  of

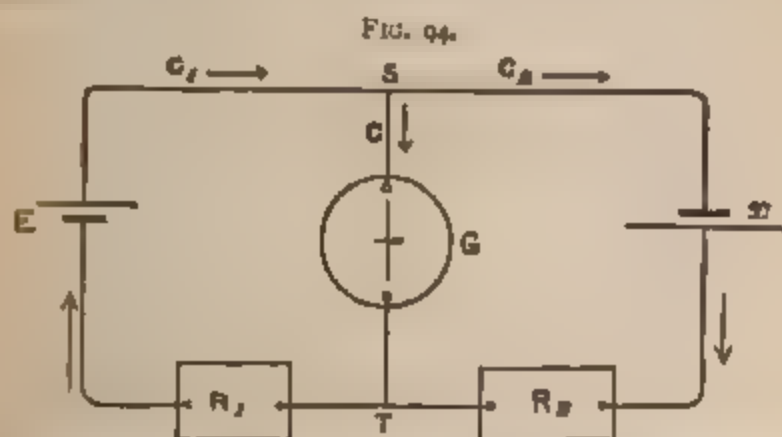
ampere, and the current flowing through the standard coil would be the same, because the resistance of the standard coil is negligible. If the number of cells were increased to 40, the current would be  $\frac{40}{5 + 0.01} = 4296$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 100, the current would be  $\frac{100}{5 + 0.01} = 10489$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 200, the current would be  $\frac{200}{5 + 0.01} = 20978$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 400, the current would be  $\frac{400}{5 + 0.01} = 41956$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 800, the current would be  $\frac{800}{5 + 0.01} = 83912$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 1600, the current would be  $\frac{1600}{5 + 0.01} = 167824$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 3200, the current would be  $\frac{3200}{5 + 0.01} = 335648$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 6400, the current would be  $\frac{6400}{5 + 0.01} = 671296$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 12800, the current would be  $\frac{12800}{5 + 0.01} = 1342592$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 25600, the current would be  $\frac{25600}{5 + 0.01} = 2685184$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 51200, the current would be  $\frac{51200}{5 + 0.01} = 5370368$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 102400, the current would be  $\frac{102400}{5 + 0.01} = 10740736$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 204800, the current would be  $\frac{204800}{5 + 0.01} = 21481472$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 409600, the current would be  $\frac{409600}{5 + 0.01} = 42962944$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 819200, the current would be  $\frac{819200}{5 + 0.01} = 85925888$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 1638400, the current would be  $\frac{1638400}{5 + 0.01} = 171851776$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 3276800, the current would be  $\frac{3276800}{5 + 0.01} = 343703552$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 6553600, the current would be  $\frac{6553600}{5 + 0.01} = 687407104$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 13107200, the current would be  $\frac{13107200}{5 + 0.01} = 1374814208$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 26214400, the current would be  $\frac{26214400}{5 + 0.01} = 2749628416$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 52428800, the current would be  $\frac{52428800}{5 + 0.01} = 5499256832$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 104857600, the current would be  $\frac{104857600}{5 + 0.01} = 10998513664$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 209715200, the current would be  $\frac{209715200}{5 + 0.01} = 21997027328$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 419430400, the current would be  $\frac{419430400}{5 + 0.01} = 43994054656$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 838860800, the current would be  $\frac{838860800}{5 + 0.01} = 87988109312$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 1677721600, the current would be  $\frac{1677721600}{5 + 0.01} = 175976218624$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 3355443200, the current would be  $\frac{3355443200}{5 + 0.01} = 351952437248$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 6710886400, the current would be  $\frac{6710886400}{5 + 0.01} = 703904874496$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 13421772800, the current would be  $\frac{13421772800}{5 + 0.01} = 1407809748992$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 26843545600, the current would be  $\frac{26843545600}{5 + 0.01} = 2815619497984$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 53687091200, the current would be  $\frac{53687091200}{5 + 0.01} = 5631238995968$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 107374182400, the current would be  $\frac{107374182400}{5 + 0.01} = 11262477991936$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 214748364800, the current would be  $\frac{214748364800}{5 + 0.01} = 22524955983872$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 429496729600, the current would be  $\frac{429496729600}{5 + 0.01} = 45049911967744$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 858993459200, the current would be  $\frac{858993459200}{5 + 0.01} = 90099823935488$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 1717986918400, the current would be  $\frac{1717986918400}{5 + 0.01} = 180199647870976$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 3435973836800, the current would be  $\frac{3435973836800}{5 + 0.01} = 360399295741952$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 6871947673600, the current would be  $\frac{6871947673600}{5 + 0.01} = 720798591483904$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 13743895347200, the current would be  $\frac{13743895347200}{5 + 0.01} = 1441597182967808$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 27487790694400, the current would be  $\frac{27487790694400}{5 + 0.01} = 2883194365935616$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 54975581388800, the current would be  $\frac{54975581388800}{5 + 0.01} = 5766388731871232$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 109951162777600, the current would be  $\frac{109951162777600}{5 + 0.01} = 11532777463742464$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 219902325555200, the current would be  $\frac{219902325555200}{5 + 0.01} = 23065554927484928$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 439804651110400, the current would be  $\frac{439804651110400}{5 + 0.01} = 46131109854969856$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 879609302220800, the current would be  $\frac{879609302220800}{5 + 0.01} = 92262219709939712$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 1759218604441600, the current would be  $\frac{1759218604441600}{5 + 0.01} = 184524439419879424$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 3518437208883200, the current would be  $\frac{3518437208883200}{5 + 0.01} = 369048878839758848$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 7036874417766400, the current would be  $\frac{7036874417766400}{5 + 0.01} = 738097757679517696$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 14073748835532800, the current would be  $\frac{14073748835532800}{5 + 0.01} = 1476195515359035392$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 28147497671065600, the current would be  $\frac{28147497671065600}{5 + 0.01} = 2952391030718070784$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 56294995342131200, the current would be  $\frac{56294995342131200}{5 + 0.01} = 5904782061436141568$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 112589990684262400, the current would be  $\frac{112589990684262400}{5 + 0.01} = 11809564122872283136$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 225179981368524800, the current would be  $\frac{225179981368524800}{5 + 0.01} = 23619128245744566272$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 450359962737049600, the current would be  $\frac{450359962737049600}{5 + 0.01} = 47238256491489132544$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 900719925474099200, the current would be  $\frac{900719925474099200}{5 + 0.01} = 94476512982978265088$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 1801439850948198400, the current would be  $\frac{1801439850948198400}{5 + 0.01} = 188953025965956530176$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 3602879701896396800, the current would be  $\frac{3602879701896396800}{5 + 0.01} = 377906051931913060352$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 7205759403792793600, the current would be  $\frac{7205759403792793600}{5 + 0.01} = 755812103863826120704$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 14411518807585587200, the current would be  $\frac{14411518807585587200}{5 + 0.01} = 1511624207727652241408$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 28823037615171174400, the current would be  $\frac{28823037615171174400}{5 + 0.01} = 3023248415455304482816$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 57646075230342348800, the current would be  $\frac{57646075230342348800}{5 + 0.01} = 6046496830910608965632$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 115292150460684697600, the current would be  $\frac{115292150460684697600}{5 + 0.01} = 12092993661821217931264$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 230584300921369395200, the current would be  $\frac{230584300921369395200}{5 + 0.01} = 24185987323642435862528$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 461168601842738790400, the current would be  $\frac{461168601842738790400}{5 + 0.01} = 48371974647284871725056$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 922337203685477580800, the current would be  $\frac{922337203685477580800}{5 + 0.01} = 96743949294569743450112$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 1844674407370955161600, the current would be  $\frac{1844674407370955161600}{5 + 0.01} = 193487898589139486900224$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 3689348814741910323200, the current would be  $\frac{3689348814741910323200}{5 + 0.01} = 386975797178278973800448$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 7378697629483820646400, the current would be  $\frac{7378697629483820646400}{5 + 0.01} = 773951594356557947600896$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 14757395258967641292800, the current would be  $\frac{14757395258967641292800}{5 + 0.01} = 1547903188713115895201792$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 29514790517935282585600, the current would be  $\frac{29514790517935282585600}{5 + 0.01} = 3095806377426231790403584$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 59029581035870565171200, the current would be  $\frac{59029581035870565171200}{5 + 0.01} = 6191612754852463580807168$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 118059162071741130342400, the current would be  $\frac{118059162071741130342400}{5 + 0.01} = 12383225509704927161614336$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 236118324143482260684800, the current would be  $\frac{236118324143482260684800}{5 + 0.01} = 24766451019409854323228672$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 472236648286964521369600, the current would be  $\frac{472236648286964521369600}{5 + 0.01} = 49532902038819708646457344$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 944473296573929042739200, the current would be  $\frac{944473296573929042739200}{5 + 0.01} = 99065804077639417292914688$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 1888946593147858085478400, the current would be  $\frac{1888946593147858085478400}{5 + 0.01} = 198131608155278834585829376$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 3777893186295716170956800, the current would be  $\frac{3777893186295716170956800}{5 + 0.01} = 396263216310557669171658752$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 7555786372591432341913600, the current would be  $\frac{7555786372591432341913600}{5 + 0.01} = 792526432621115338343317504$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 15111572745182864683827200, the current would be  $\frac{15111572745182864683827200}{5 + 0.01} = 1585052865242230676686635008$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 30223145490365729367654400, the current would be  $\frac{30223145490365729367654400}{5 + 0.01} = 3170105730484461353373270016$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 60446290980731458735308800, the current would be  $\frac{60446290980731458735308800}{5 + 0.01} = 6340211460968922706746540032$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 120892581961462917470617600, the current would be  $\frac{120892581961462917470617600}{5 + 0.01} = 12680422921937845413493080064$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 241785163922925834941235200, the current would be  $\frac{241785163922925834941235200}{5 + 0.01} = 25360845843875690826986160128$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 483570327845851669882470400, the current would be  $\frac{483570327845851669882470400}{5 + 0.01} = 50721691687751381653972320256$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 967140655691703339764940800, the current would be  $\frac{967140655691703339764940800}{5 + 0.01} = 101443383375502763307944640512$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 1934281311383406679529881600, the current would be  $\frac{1934281311383406679529881600}{5 + 0.01} = 202886766751005526615889281024$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 3868562622766813359059763200, the current would be  $\frac{3868562622766813359059763200}{5 + 0.01} = 405773533502011053231778562048$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 7737125245533626718119526400, the current would be  $\frac{7737125245533626718119526400}{5 + 0.01} = 811547067004022106463557124096$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 15474250491067253436239052800, the current would be  $\frac{15474250491067253436239052800}{5 + 0.01} = 1623094134008044212927114248192$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 30948500982134506872478105600, the current would be  $\frac{30948500982134506872478105600}{5 + 0.01} = 3246188268016088425854228496384$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 61897001964269013744956211200, the current would be  $\frac{61897001964269013744956211200}{5 + 0.01} = 6492376536032176851708456992768$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 123794003928538027489912422400, the current would be  $\frac{123794003928538027489912422400}{5 + 0.01} = 12984753072064353703416913985536$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 247588007857076054979824844800, the current would be  $\frac{247588007857076054979824844800}{5 + 0.01} = 25969506144128707406833827971072$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 495176015714152109959649689600, the current would be  $\frac{495176015714152109959649689600}{5 + 0.01} = 51939012288257414813667655942144$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 990352031428304219919299379200, the current would be  $\frac{990352031428304219919299379200}{5 + 0.01} = 103878024576514829627335311884288$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 1980704062856608439838598758400, the current would be  $\frac{1980704062856608439838598758400}{5 + 0.01} = 207756049153029659254670623768576$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 3961408125713216879677197516800, the current would be  $\frac{3961408125713216879677197516800}{5 + 0.01} = 415512098306059318509341247537152$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 7922816251426433759354395033600, the current would be  $\frac{7922816251426433759354395033600}{5 + 0.01} = 831024196612118637018682495074304$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 15845632502852867518708790067200, the current would be  $\frac{15845632502852867518708790067200}{5 + 0.01} = 1662048393224237274037364990148608$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 31691265005705735037417580134400, the current would be  $\frac{31691265005705735037417580134400}{5 + 0.01} = 3324096786448474548074729980297216$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 63382530011411470074835160268800, the current would be  $\frac{63382530011411470074835160268800}{5 + 0.01} = 6648193572896949096149459960594432$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 126765060022822940149670320537600, the current would be  $\frac{126765060022822940149670320537600}{5 + 0.01} = 13296387145793898192298919921188864$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 253530120045645880299340641075200, the current would be  $\frac{253530120045645880299340641075200}{5 + 0.01} = 26592774291587796384597839842377728$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 507060240091291760598681282150400, the current would be  $\frac{507060240091291760598681282150400}{5 + 0.01} = 53185548583175592769195679684755456$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 1014120480182583521197362564300800, the current would be  $\frac{1014120480182583521197362564300800}{5 + 0.01} = 106371097166351185538391359369510912$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 2028240960365167042394725128601600, the current would be  $\frac{2028240960365167042394725128601600}{5 + 0.01} = 212742194332702371076782718739021824$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 4056481920730334084789450257203200, the current would be  $\frac{4056481920730334084789450257203200}{5 + 0.01} = 425484388665404742153565437478043648$  of an ampere. In this case the resistance of the standard coil is still negligible. If the number of cells were increased to 81129638414606681695789

of ten cells gives a current equal to that of the standard cell, it may be fairly concluded that the battery is in good condition, but if a second similar battery gives a deflection of seven or eight degrees less, then the conclusion is that there is something wrong with it; its resistance is too high or its E.M.F. too low. The matter may be quickly decided by joining up the faulty battery in opposition with the similar battery known to be good—that is to say, joining their copper or positive poles together and their zinc or negative poles to the galvanometer. If they then give no deflection, we know that their electro motive forces are equal, and the fault is proved to be one of high resistance. If, on the other hand, a current is produced, there must be a difference in E.M.F., and the fact that the suspected battery is the faulty one would be demonstrated if the direction of deflection were such as to prove that the other is urging a current through it.

But galvanometers with short thick wire coils having but a few convolutions are only affected by very powerful currents, and are only used where it is essential that the introduction of the instrument into any circuit should have no appreciable effect upon the strength of the current flowing through it. When this restriction is not imposed increased accuracy can usually be obtained by employing a more delicate instrument, in which a coil of many turns, and generally of fine wire offering a high resistance, is employed; because, although the current through the galvanometer is weakened by the added resistance, the effect is more than balanced by the increased number of times which the current travels round the needle. In fact, the flow of a very feeble current through such an instrument, or the maintenance of a very low difference of potential at its terminals, may suffice to produce a good deflection, while under similar conditions a galvanometer with a thick wire coil would be unaffected. It was observed, when considering the Wheatstone bridge method of measuring resistances (Chapter V.), that one great advantage pertaining to it is, that in making the final adjustment only a very weak current or no current at all passes through the galvanometer. It is therefore practicable in such cases to use a very delicate instrument, and, in order to prevent damage being done to the needle or its pivot, or prevent the coils being fused by the passage of a heavy current,

the coil can be shunted until the adjustments are almost completed.

It will also be remembered that the instrument need not be of any particular design, since the final result is obtained with the needle undeflected; a galvanometer such as this can also be employed in several methods which have been devised for the comparison of electro-motive forces, in which the instrument is simply used to denote the *absence* of a current, and in which, therefore, the consequent advantages are the same as in the case of the Wheatstone bridge. Fig. 94 shows the connections for one such method.



$E$  is the standard cell and  $x$  the battery whose E.M.F. is to be measured.  $R_1, R_2$  are two sets of resistance coils, and  $G$  is a delicate galvanometer. A certain resistance is introduced into the circuit by unplugging the necessary coils in  $R_1$ , and the resistance in  $R_2$  is adjusted until the current ceases to pass through the galvanometer, thus showing that the two points,  $s$  and  $t$ , have been brought to the same potential. This being the case, then

$$x : E :: R_2 : R_1,$$

therefore

$$x = E \frac{R_2}{R_1}.$$

As an example, suppose the Latimer Clark cell to be used as a standard, and  $R_1$  fixed at 1,000 ohms, while the potentials at  $s$  and  $t$  are equalised by making  $R_2$  5,650 ohms, then

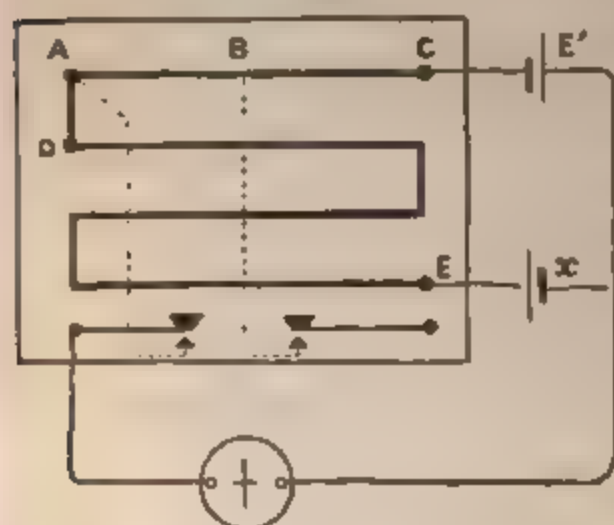
$$x = 1.435 \times \frac{5650}{1000} = 1.435 \times 5.65 = 8.108 \text{ volts.}$$

It will be observed that the working out of this example is

simplified on account of  $R_1$  being made 1,000 ohms. For this reason it is preferable to always make the resistance in the same arm as the standard cell some multiple of 10, and obtain a balance by adjusting the other set of coils.

The horizontal galvanometer designed for use with the Wheatstone bridge answers very well for this test, and, as will be seen

FIG. 95.



from fig. 95, the bridge itself may be used for the two sets of coils and then the usual key can be employed in the galvanometer circuit, while the 'infinity' plug between A and D can be used to break the battery circuit and so minimise any error due to polarisation.

When a delicate galvanometer is not available,  $R_1$  and  $R_2$  must be lower, but

then the battery resistances become important and cannot be ignored. They may, however, be eliminated by increasing one of the resistances, say  $R_1$ , by a certain amount, say  $P$  ohms, and obtaining a balance again by increasing  $R_2$  by  $Q$  ohms. Then

$$x : E :: Q : P,$$

therefore

$$x = E \frac{Q}{P}.$$

The electro-motive forces are, in fact, simply proportional to the increase of the original resistances  $R_1$  and  $R_2$ .

For example, if after one balance had been obtained, we were to increase the resistance  $R_1$  by 500 ohms, and again obtain a balance by adding 2,852 ohms to  $R_2$ ; then  $P = 500$  and  $Q = 2852$ , therefore

$$x = 1.435 \times \frac{2852}{500} = 8.185 \text{ volts.}$$

The proof of the method depends upon two laws demonstrated by Kirchhoff, which we will endeavour to explain.

Let the resistance  $R_1$  be slightly reduced, so that the balance

is upset, then the currents in the three arms will flow in the direction indicated by the arrows in fig. 94.

The first of Kirchhoff's laws (which is almost self-evident in the present simple case), states that the current flowing to the point *s* is equal to the sum of the currents flowing from it, that is,

$$C_1 = C_2 + C \quad \dots \quad (1).$$

The second law declares that in any complete circuit, even when it forms part of a network, as  $R_1 E S T$ , the sum of the products of the current strength in each arm into the resistance of that arm is equal to the sum of all the electro-motive forces in the circuit. That is to say, if in each arm or portion of the circuit the individual resistance of that arm is multiplied by the strength of the current flowing through that resistance, and if all the products so obtained are added together, then the sum so produced will be exactly equal to the sum obtained by adding together all the electro-motive forces in the various arms of the circuit.

The *algebraical* sum must, of course, be taken; for instance, if two currents, or two E.M.F.'s, are opposite in direction, one must be reckoned as *plus* and the other as *minus*.

In the circuit  $R_1 E S T$  the only E.M.F. is that of the standard cell, which we denote by  $E$ , and, neglecting the internal resistance of this cell, we form the second equation thus:

$$E = C_1 R_1 + C G \quad \dots \quad (2).$$

$G$  being the resistance of the galvanometer.

Similarly, in the circuit  $R_2 x S T$ , the only E.M.F. is  $x$ , but the currents in the two arms are in opposite directions. Therefore

$$x = C_2 R_2 - C G \quad \dots \quad (3).$$

By inserting in (2) the value of  $C_1$ , given in (1), we get

$$E = (C_2 + C) R_1 + C G,$$

that is,

$$E = C_2 R_1 + C R_1 + C G \quad \dots \quad (4).$$

From (3),

$$C_2 = \frac{C G + x}{R_2};$$

and, inserting this value for  $C_2$  in (4), we get

$$E = \frac{R_1 (C G + x)}{R_2} + C R_1 + C G;$$

$$R_2 E = C R_1 G + R_1 x + C R_1 R_2 + C G R_2;$$



therefore 
$$C = \frac{R_2 E - R_1 x}{R_1 G + R_1 R_2 + R_2 G} \quad \dots \quad (5).$$

This equation gives us the value of the current flowing in the galvanometer circuit when the balance is upset, in terms of the various electro motive forces and resistances. But in making the test we adjust so that no current flows through the galvanometer; therefore, when a balance has been obtained,  $C = 0$ , and, consequently, the fraction which forms the right-hand side of equation (5) is equal to 0.

Therefore, the numerator of the fraction

$$R_2 E - R_1 x = 0,$$

that is, 
$$R_2 E = R_1 x \quad \dots \quad (6).$$

and 
$$x = E \frac{R_2}{R_1},$$

which proves the case when the battery resistances are so small as to be negligible.

Equation (6) holds good, in fact, so long as  $R_1$  and  $R_2$  represent the total resistance in their respective arms of the system.

When the resistances of the batteries cannot be ignored, they must be added to  $R_1$  and  $R_2$  respectively to make up the total resistance in the arm, and then equation (6) becomes

$$E (R_2 + r_2) = x (R_1 + r_1), \quad \dots \quad (7).$$

where  $r_1$  is the resistance of the standard cell, and  $r_2$  that of the battery under test. Also, when  $R_1$  is increased by  $P$  ohms, and  $R_2$  by  $Q$  ohms,

$$E (R_2 + r_2 + Q) = x (R_1 + r_1 + P),$$

that is, 
$$E (R_2 + r_2) + E Q = x (R_1 + r_1) + x P \quad \dots \quad (8).$$

Subtracting (7) from (8), we obtain

$$E Q = x P;$$

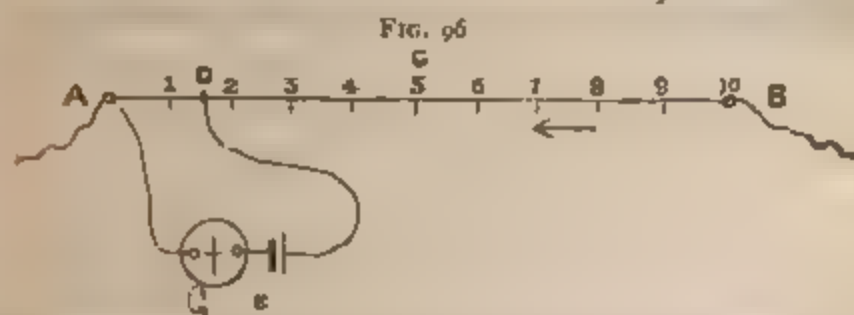
therefore 
$$x = E \frac{Q}{P}.$$

There are a number of very beautiful methods for the comparison of electro-motive forces, somewhat similar in principle to those described. We have selected a few and worked them out at length, not only because they are in themselves interesting, but

so because they involve, in a rather simple form, some very important principles and laws which the student will do well to master.

We will now direct our attention to a method based upon a somewhat different principle. In this case, again, no current passes through the galvanometer when the final adjustment has been made, thus permitting the use of a delicate instrument. But a further very great point in its favour is the fact that the batteries do not send any current while their E.M.F.'s are being actually compared. Consequently, the Latimer Clark cell may be used as a standard to the best advantage, and the true E.M.F. of a battery subject to polarisation, like the Leclanché, can easily be measured; and further, since no current flows through the batteries or the galvanometer in the battery circuit, their resistances have no effect whatever, and therefore need not be known.

It is between the ends A and B (fig. 96) of a uniform German-silver wire one metre (39·37 inches or 1,000 millimetres) in length



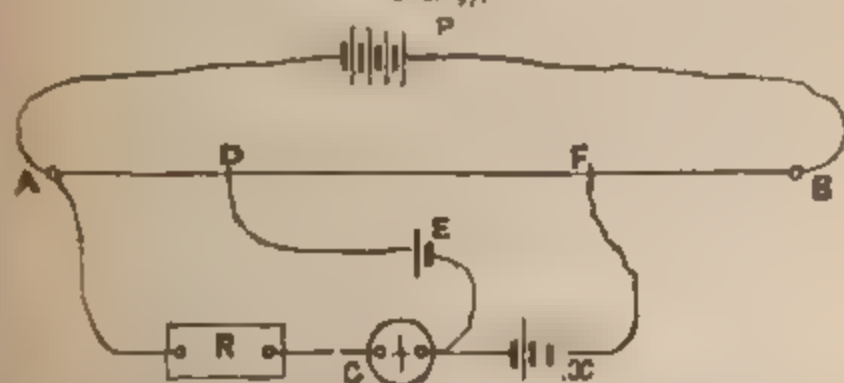
A potential difference of 10 volts is maintained, the fall of potential will be uniform, say, from B to A. Now it must be possible, under such conditions, to find a point in the wire such that the potential difference between that point and the end A shall be any desired fraction of 10 volts. For instance, between A and the middle of the wire, C, the difference is 5 volts. Furthermore, if the negative pole of the Clark standard cell  $\mathcal{E}$  is joined to the point A, it will assume the same potential as that point, while the end of the wire connected to the positive pole will be 1·435 volts above that potential. A galvanometer may be joined up on either side of  $\mathcal{E}$  without affecting the final result, and if the free end of the wire is joined to any point near B a current will flow through the galvanometer  $\mathcal{G}$  in opposition to the standard cell, because the potential at the point near B is more than 1·435 volts above that at A; while,

on the other hand, if contact is made at a point very near to A, where the potential is less than 1.435 volts, the standard cell will be able to maintain a current through the galvanometer and deflect the needle in the direction opposite to that which resulted from making contact at the point near B. Now, between these two positions a point, D, may be found where the needle will be undeflected, showing that no current is passing in either direction through the standard cell and galvanometer, and this point will be such that the difference of potential between it and A is equal to the maximum difference of potential which the standard cell can produce, viz. its E.M.F. of 1.435 volts. Since each of the ten equal parts into which the wire is divided represents a potential difference of one volt, the point D, at which a balance is obtained with the standard cell, should be nearly midway between 1 and 2. If the wire is perfectly uniform in resistance the fall of potential will also be perfectly uniform, and the exact position of the balancing point would then be 143.5 millimetres from A. This shows the advantage of having a wire one metre in length divided into millimetres. As another example, suppose the standard cell were replaced by a battery of unknown E.M.F., we could readily find its E.M.F. by making contact at different points along A B until the absence of a current through the galvanometer indicated that a point had been touched where the E.M.F. is balanced. If this point were 970 millimetres from A, then the E.M.F. of the battery would be 9.7 volts. We have remarked that the resistance of the galvanometer and battery may be high and yet not affect the final result. The only objection to high resistance is that when the balance is nearly, but not quite, obtained, the potential difference tending to send a current through the galvanometer is very small, and if the resistance in the galvanometer circuit is very high the resulting current will be weak and may not be able to affect the galvanometer. This would prevent the balancing point being found exactly, and it is a good plan, in order to avoid such want of sensitiveness, to employ a very delicate galvanometer, and place a set of high resistance coils in circuit with it. At first, all the resistance should be unplugged; it can then be reduced as the adjustment becomes approximately correct, the final adjustment being made with all the resistance out of circuit. Injury to

the galvanometer may thus be avoided, and the greatest possible degree of accuracy attained.

It is clear that if we could with certainty maintain a constant potential difference between the extremities of the graduated wire, no standard cell would be required, and it would be very convenient to be able to measure E.M.F.'s as simply proportional to a certain length of the wire. It is difficult, however, to maintain any given difference of potential between two points for any length of time, and therefore in practice a slightly different arrangement to that just described is adopted. A current is sent through the wire A B (see fig. 97) from some fairly constant generator, P, such

FIG. 97.



as a good low resistance battery or a few of the 'secondary cells' to be described hereafter, sufficient to maintain between A and B a potential difference greater than that of the highest E.M.F. to be measured. The wire is stretched over a scale divided into a thousand parts, and therefore, if of uniform gauge and material, the fall of potential along one of these units is equal to a thousandth part of the fall along the whole wire. The Clark cell, E, and the battery to be measured, X, are joined up with their negative poles connected through a galvanometer, G, and a set of coils, R, to the point A, as shown in fig. 97. Their other poles are connected to sliders, by means of which contact may be quickly made with any point along the wire. The whole of the resistance is put in circuit at first, and the slider connected to the standard battery is shifted along until a point is found where the deflection on the galvanometer is very slight when contact is made with the wire A B. The resistance R is then gradually reduced until the exact point (D) is found. The distance from A to D must be carefully noted, and



then a point, F, at which the E.M.F. of the battery  $x$  is balanced, is found in a similar manner. Now, the potential difference between A and D is equal to the E.M.F. of the standard cell—that is, 1.435 volts—and the potential difference between A and F is equal to the E.M.F. of the battery  $x$ . Therefore

$$AD : AF :: E : x.$$

Suppose AD to be 120, and AF 685, divisions; then

$$120 : 685 :: 1.435 : x;$$

therefore 
$$x = \frac{685 \times 1.435}{120} = 8.19 \text{ volts.}$$

It will thus be seen that it is unnecessary to maintain any particular potential difference per unit of length of the wire, for this can be immediately found by means of the standard cell. But it is advisable, after the adjustments have been made as above, to verify the result by making contact with both sliders at almost the same moment, in order to ascertain whether or not the fall of potential has varied during the test.

In fact, one great feature in favour of this arrangement is that the test may so be made that a slight variation of the potential difference at the ends of the stretched wire need not cause any error; the source of inaccuracy which has most to be guarded against is a want of uniformity in the wire itself. By using a *low* resistance battery a greater proportion of the fall of potential takes place in the external circuit—that is, along the stretched wire—than when a high resistance battery is employed; hence the suitability of secondary cells for this purpose. A greater length of wire may be conveniently obtained by stretching it backwards and forwards several times upon a board. An instrument based upon the foregoing principles for measuring potential differences is commonly called a potentiometer. The wire is sometimes wound in a spiral groove round an ebonite cylinder, and, when made in this form, it can easily be divided into 20,000 parts, but this type is rarely used for practical work.

In all the preceding methods potential difference is measured indirectly or by comparison. Instruments have, however, been devised which indicate directly, in volts, the difference of potential between any two points; such instruments are called voltmeters.



That invented by Major Cardew is very reliable, and it is at the same time simple in principle. If a wire is heated it increases in length. This linear expansion or extension is proportional to the product of the rise in temperature and the coefficient of expansion for the particular wire. The coefficient of linear expansion is defined as the elongation of a body of unit length when its temperature rises from zero to one degree (Centigrade), and this coefficient or proportional extension for platinum is 0.0000088, so that, for an increase in temperature of  $10^{\circ}$  C., a yard of platinum wire would be extended to 1.000088 yards. By measuring the amount of extension produced by heating a wire, the increased temperature can therefore be inferred. Now, when a current of electricity passes through a wire it performs a certain amount of work in overcoming its resistance, and the generation of heat is the result.

The rise in temperature resulting from the generation of a certain amount of heat does not, however, bear a simple ratio to that amount of heat. It depends, in fact, upon the time or duration of the current and the specific heat or calorific capacity of the particular substance. The former of these factors is so exceedingly apparent that we need not further enlarge upon it. The specific heat of a body is defined as that quantity of heat which it absorbs when its temperature rises through a given range—say from zero to  $1^{\circ}$  C.—as compared with the quantity of heat which would be absorbed by an equal mass of water when its temperature is exalted through the same range. If, for example, a pound of mercury at  $100^{\circ}$  C. is mixed with, or placed in, a pound of water at zero, the temperature of the mixture will only be  $3^{\circ}$  C., so that, while the mercury has lost  $97^{\circ}$ , the equal mass of water has only increased  $3^{\circ}$ , or, in simple language, a quantity of water absorbs about thirty-two times as much heat as an equal weight of mercury, in undergoing the same exaltation of temperature. The specific heat of water being taken as unity, that of mercury is therefore 0.03332. Similarly, the specific heat of platinum is 0.03244.

The variation in the temperature of a wire due to an increment or decrement of heat, depends also upon its weight or its sectional area, for it will be evident that if two wires of similar material and of equal resistance, but of different gauge or different weight—

such, for example, as a given length of platinum wire weighing one gramme, and another platinum wire, twice as long, but weighing four grammes (offering, therefore, equal resistances) — have the same current passed through them, they will not be raised to the same temperature, although the amount of heat actually developed will be the same in each case. This follows from the fact that in the one case there is more material to heat than in the other.

When a current of electricity passes through a wire, and performs a certain amount of work in overcoming its resistance, the equivalent of the quantity of energy absorbed in the performance of this work is seen in the development of a definite amount of heat which is imparted to the wire. The heat ( $H$ ) developed in a unit of time is, in fact, directly proportional to the amount of power expended in overcoming the resistance of the conductor—that is to say, it is proportional to the product of the difference of potential,  $E$ , between its extremities, into the strength of the current  $C$ , which is maintained through it, or  $H : E C$ . If the resistance of the wire remains constant, the value of  $C$  varies directly as  $E$ ; by doubling  $E$ ,  $C$  is also doubled, and the heat developed then varies as the square of  $E$ .

Again, the heat unit is defined as that amount of heat which is required to raise 1 gramme of water through  $1^{\circ}$  C. in temperature, and a potential difference of 1 volt maintained through a resistance of 1 ohm develops 0.24 such heat units per second—that is to say, the number of heat units,  $H$ , developed in  $t$  seconds, is

$$H = 0.24 \times E C t.$$

As  $E = C R$ , it follows that  $E C = C^2 R$ , so that the formula may also be expressed by saying that

$$H = 0.24 \times C^2 R t.$$

Collecting all these facts into one simple formula, where  $T^{\circ}$  represents the rise in temperature in Centigrade degrees,  $E$  the potential difference in volts,  $C$  the current strength in amperes,  $t$  the time in seconds,  $h$  the specific heat,  $g$  the weight of the metal in grammes, and 0.24 the constant which, as pointed out above, is necessary to obtain a result on the Centigrade scale, we may say

$$T^{\circ} = 0.24 \times \frac{E C t}{g h} = 0.24 \times \frac{C^2 R t}{g h};$$

so that a current of one ampere, flowing for one second through a gramme of water (whose specific heat is 1.0), and offering 1 ohm resistance, involving, therefore, a potential difference of 1 volt, would, if all the energy expended were devoted to the generation of heat, be raised  $0.24^{\circ}$  C. in temperature.

Similarly, if the same current were maintained through a platinum wire of the same weight and resistance, the increase of temperature would be

$$T^{\circ} = 0.24 \times \frac{E C t}{g h} = 0.24 \times \frac{1 \times 1 \times 1}{1 \times 0.03244} = 0.24 \times \frac{1}{0.03244} \\ = 7.4^{\circ} \text{ C., nearly.}$$

In the Cardew voltmeter a length of very fine platinum silver wire is employed, and is heated by the passage of the currents whose E.M.F. it is desired to test. In each test, therefore,  $g$  and  $h$  retain the same values, and by limiting the increase of temperature to a few degrees, the very slight variation of  $R$  becomes a negligible quantity. Similarly, by employing a fine wire, it speedily rises to such a temperature that, with any given current, the loss of heat due to radiation equals in amount that which is developed by the current. The only really variable quantities, therefore, are  $E$  and  $C$ . But, as already pointed out,  $C$  varies uniformly with  $E$ , and if the facilities for radiation remain the same, the increase of temperature, and with it the elongation, will always be the same for any given value of  $E$ . Hence, the amount of elongation can be made to indicate the potential difference maintained between the extremities of the wire.

Simple as the principle is, the construction of a reliable practical instrument is a matter of some difficulty, and an enormous amount of experimental work has been performed in determining the exact sources of error to which a Cardew voltmeter is liable. Fig. 98 illustrates the form of this instrument adopted by Messrs. Goolden after an exhaustive series of experiments extending over a number of years, and in it the inherent sources of variation and error are practically eliminated. The outer casing is removed to show the essential parts as viewed from the back.

The platinum-silver wire is 0.0025 inch ( $2\frac{1}{2}$  mils) in diameter, and is fixed at one end to the small brass block  $m$ . Thence it

FIG. 98

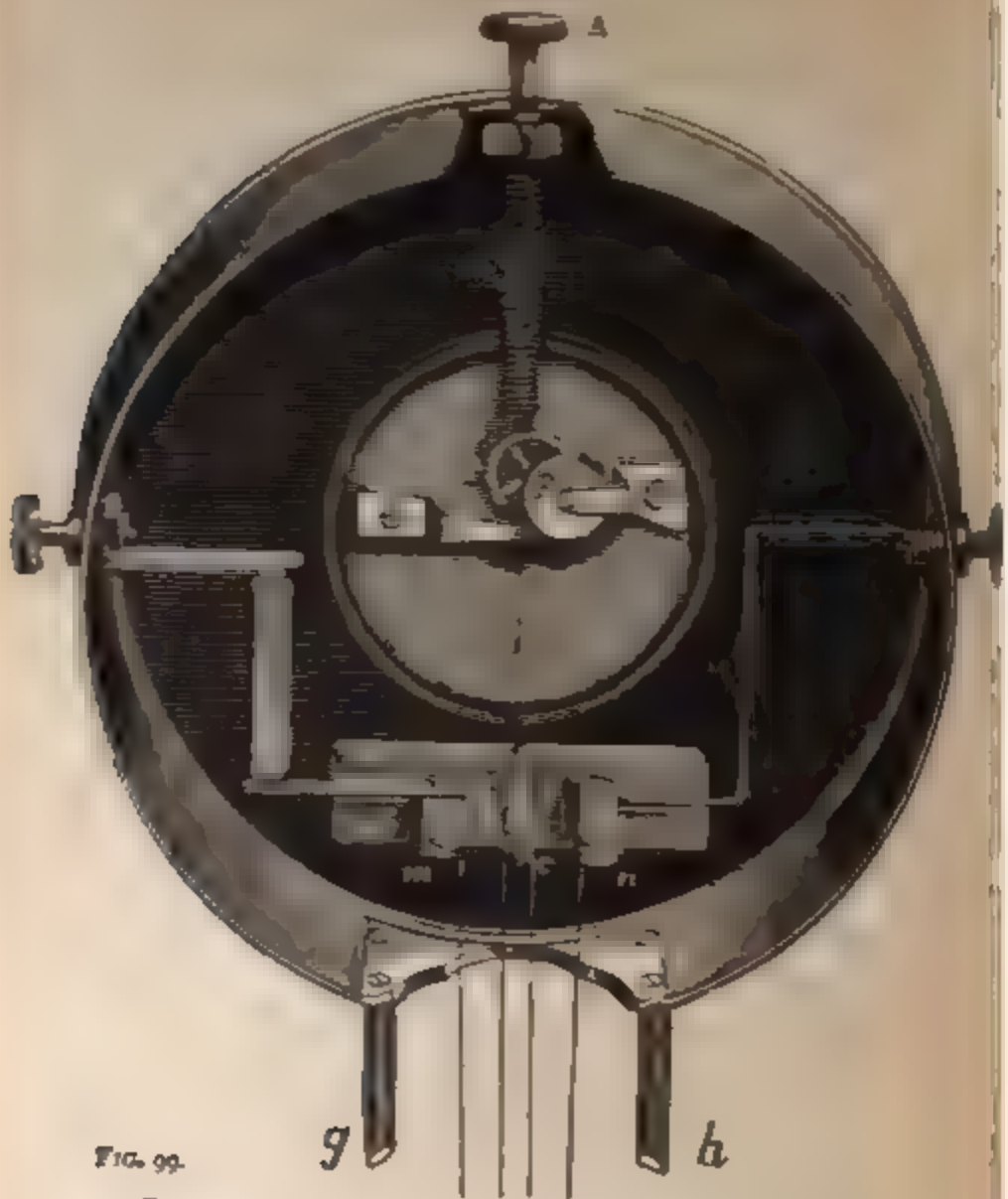


FIG. 99





is led round one of two grooved pulleys supported by a ring at the ends of two metal rods, *g h*, which are about 36 inches long, and are fixed to the brass base plate. From this pulley the wire returns, and is passed round a small pulley, *c*; thence it is led to the second pulley at the top of the rods, and is finally terminated at the small brass block *n*. The brass pieces *m* and *n* are supported by the insulating block of varnished vulcanised fibre, which is securely fastened to the brass base-plate, and *m* and *n* are connected each to one of the main terminals of the instrument, which are insulated by ebonite or fibre collars from the brass casing. The wire should pass round the pulleys at the top of the rods in such a manner that a pull at *c* on the two centre wires would cause both pulleys to rotate in the same direction, and, the spindle being pivoted in jewelled holes, the friction is reduced to a minimum.

The small part, *c*, referred to as a pulley, only acts as such during the wiring of the instrument, as the extension of the wire when the apparatus is subsequently used does not cause it to rotate. It is made of vulcanised fibre, with a small groove round its circumference in which the wire lies, and is fixed by a small screw passing loosely through its centre to one end of the thin brass strip *t*, the other end of which has attached to it a fine platinum silver wire, *w*, connected to the spiral spring *s*. The tension of this spring, which can be varied by means of the adjusting screw *A*, keeps the wires taut, and when the main terminals are connected to points in a circuit at different potentials, a current passes—say to the block *m*—up the wire, and round the first pulley back to the insulating reel, *c*; thence, again, to the top of the instrument, round the second pulley, and back by way of *n* to the other terminal. This current heats the wire, which expands, and the slack is immediately taken up by the spiral spring *s*, so that the small brass strip *t* and the wire *w* are moved through a distance equal to the expansion of *two* lengths of the heated wire. The amount of expansion (and therefore of the potential difference applied) is measured by observing the distance through which the length of wire *w* is moved; but as this distance is, at the most, extremely small, some mechanical multiplying arrangement is necessary, and, since the force producing the movement is also very feeble, great care must be exercised in avoiding the introduc-



and, as the diameter of the wheel is much smaller than the diameter of the pinion, the pointer is turned through a relatively small extension of the wire

The passing of the wire w round the wheel, and at the same time avoid friction, the fine wire, is a more difficult matter to appear, and, like every other detail, has been improved before the method now employed was first used.

The pulley is shown separately in figure 1. It has parallel grooves round its circumference (where it is filed away flat) two set screws to hold it up home. The wire is led from the top round the screw heads, between which it passes over the pulley in which it completes its journey round to the spiral spring.

The wire is so fine that it would not be able to pass over the screw heads, but the arrangement does not come any tendency to slip; and as the wire is turned at a small angle, never making a complete circle, friction is introduced. Insignificant as it may be, as already indicated, very important it applies to the shape of the spiral spring which it is composed. The gradual alteration has been found to be the main cause of the slight

Although there are four straight lengths of wire equally heated, it will be remembered that the expansion measured is only equal to that of two lengths, for, since  $c$  does not rotate, its movement would be the same if one of the wires were rigidly fixed to it and the other removed. But it will be noticed that the tension due to the spiral spring is equally distributed between the two wires leading from  $c$ , and this affords the great advantage that double the tension can be given to the spring, which means that the force with which the pulley  $p$  is turned can be doubled, and any slight error due to friction correspondingly reduced, without, at the same time, necessitating the adoption of a comparatively thick wire. The wheel work is well made, but it is of course impossible to altogether avoid 'back-lash' that is to say, as the teeth of the driving-wheel do not fit tight between the teeth of the pinion, the latter does not begin to move absolutely at the same moment that the driving-wheel does when its motion is reversed. To avoid the slight error which this might cause, a hair spring is fixed to the pinion spindle. This spring is visible in fig. 98, the pinion being immediately behind and therefore hidden by it. It is adjusted so as to maintain sufficient pressure between the teeth of the wheel and pinion to keep them always in contact, so that in either direction the two move simultaneously.

The whole of the casing is of brass, wood, from its liability to warp, being wholly unsuitable; but it is clear that the rods ( $g$  &  $h$ , fig. 98) cannot be made of that metal, as, its coefficient of expansion being higher than that of platinum silver, it would expand more than the wire with any rise of temperature, atmospheric or otherwise, and cause a deflection of the pointer. On account of the expense, platinum silver cannot be employed for this purpose. Iron has, however, a lower coefficient of expansion than the wire, and the rods are therefore made partly of iron and partly of brass, the length of these parts being so proportioned that the greater expansion or contraction of the brass shall be neutralised by the lesser expansion or contraction of the iron, and the whole rod vary in length in exactly the same proportion as the wire itself. The wires are encased throughout their length by a brass tube which can easily be removed, and the arrangement of the pulleys, together with an opening in the supporting ring to which they

are attached, facilitates the re wiring of the instrument. In order to prevent damage to the working wire by the accidental passage of a too powerful current, a safety fuse is inserted in series with it, consisting of a short length of platinum-silver wire, 0.0014 inch ( $1\frac{2}{3}$  mils) in diameter, which fuses and breaks the circuit before the current attains sufficient strength to fuse the thicker working wire. This fuse-wire is placed in a slit along the face of a rectangular strip of vulcanised fibre, each end being terminated at a round-headed brass screw in the end of the block, which is firmly held between two flat springs making contact with the screw-heads, one spring being connected to *m* and the other to the left-hand terminal. Several such fuse wire blocks can be kept at hand, and the replacing of a fuse is then but the work of a moment. Connection between *n* and the other terminal is made by a stout, stiff wire.

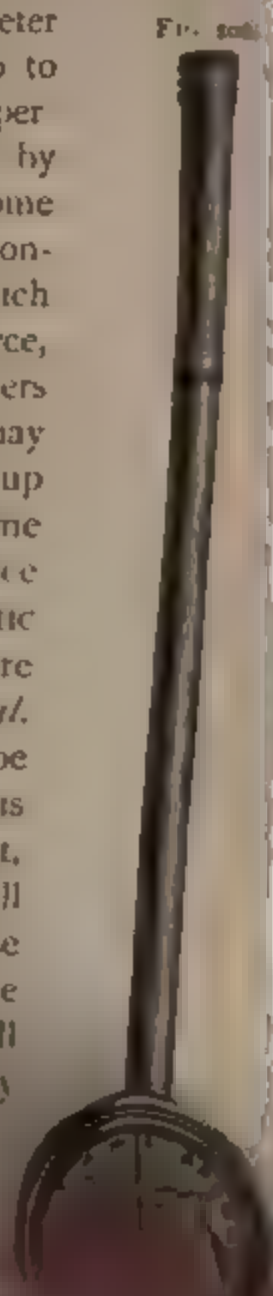
This type of instrument, in which the wires are supported by the two compound rods, and in which the tube slipped over them simply acts as a casing to protect the wires from air currents and damage, is designed for use with the tube in a vertical position, the end at which the pulleys are fixed being placed uppermost. Now, as soon as the wire gets hot, it heats the adjacent air, which, being displaced by colder air, rises, and consequently currents are set circulating in the tube. The result is that when the pointer is deflected a slight oscillation may be observed, sufficient to prevent the value of the potential difference being read with certainty to within half a volt. This oscillation can be entirely eliminated by simply placing the tube in a horizontal position, for the whole length of the wire then lies in a more evenly heated atmosphere, in which such air currents as rise from it are feebler and more uniform in their distribution in relation to the wire.

A more accurate, though more expensive, instrument is made by dispensing with the rods and fixing the jewelled pulley bearings in the end of the tube itself, which, of course, is then compounded, being made of brass and iron in the necessary proportions. Such instruments are pre-eminently adapted for experimental work, on account of their extreme accuracy, and are, of course, always employed in the horizontal position. The rod pattern (which can also be used horizontally) is, however, a first-rate piece of ap-

### Cardew Voltmeter

for the engine-room or workshop, where a possible  
a volt in the reading is a matter of little moment,  
advantage that the working wire can be more  
than in the tube form. The voltmeter  
is capable of measuring from 30 to  
1000 volts. The calibration is carefully per-  
formed, the wire being continually heated by  
the passage of a current, and stretched, for some  
time, to bring it to its normal con-  
dition. As it is the heating of the wire which  
is a measure of the electro motive force,  
the 'aging error' peculiar to most voltmeters  
is entirely absent, and the instrument may  
in fact be kept continually connected up  
for months and weeks together. For the same  
reason the reading is unaffected by the presence  
of local currents or any electro magnetic  
fields, as iron is not employed and the wire  
is insulated, its self-induction is practically nil.  
Alternating potential differences can be  
measured; but it must be remembered that this  
absence of self induction in the instrument,  
which allows a current to rise suddenly to its full  
value, passes through the range through which the fuse  
in the working wire for, although the  
fuse is with certainty if the current rises at all  
by a very sudden application of a very  
high voltage would develop a heavy current in  
the fuse, fuse and wire being melted and  
destroyed.

There is a general view of the Cardiac  
as made by Messrs. Patten  
the internal portion of the apparatus  
from the rear, being shown in the  
a long piece of putty, and  
passing up and down it  
supported by the tube  
other end being open.



which is small, and is kept stretched by means of the wire shown in the lower portion of the figure. The wire, if not stretched, would otherwise sag or slacken on being heated, and so lose its accuracy and reacting with the spring. The spindle which the wire passes is geared on to the axle carrying

FIG. 12.



the indicating needle which travels over the face of the dial ; so that the elongation due to the varying temperature brought about by the different E.M.F.'s can be readily indicated.

A fine platinum-silver wire fuse is introduced between the brass strips on the left of the figure. The long tube which carries the wire is in two parts, one of brass and the other of iron, so as to allow it to expand equally with the wire under atmospheric changes.

The instruments are usually made to register up to 120 volts, but the values of the readings can very easily be increased by inserting in the circuit, in series, resistance coils of various multiplying powers. Thus, if a coil equal in resistance to the wire in the voltmeter were introduced, it would exactly halve the potential difference of the current at the terminals of the voltmeter due to any particular E.M.F. Manifestly, such a coil would have a multiplying power of two, while a coil of three times the resistance would reduce the proportion of potential difference absorbed by the voltmeter to one fourth, and therefore have a multiplying power of four. These resistance coils, however, must not be of the ordinary type. The wire should be of pure silver, of the same gauge as in the voltmeter, and in order to produce exactly equal facilities for radiation it should be



care, and, for convenience, it may be stretched over a kind of rectangular framework made by attaching two rods of slate to a couple of strips of wood, notches being made in the slate to receive the wire and prevent one portion slipping into contact with another. The wire and framework are enclosed by pieces of thin sheet iron.

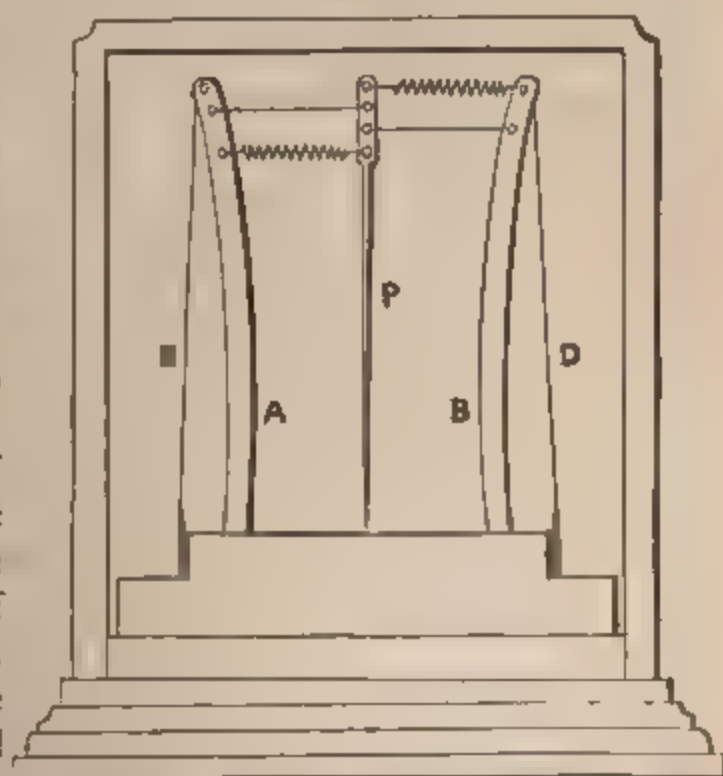
The ordinary Cardew voltmeter, although the best and most useful instrument for the measurement of high voltages, is not available for the estimation of low potential differences, owing to the exceedingly small elongation due to the slight rise in temperature, and the consequent vagueness of the reading which would result therefrom.

Recognising the necessity for the production of an instrument capable of measuring low E.M.F.'s more particularly for testing the voltage

FIG. 102.

of secondary cells - Major Cardew has just designed one, the working parts being shown in fig. 102. The range is from 0.5 to 2.5 volts, the scale, as shown in fig. 103, being divided into tenths of a volt.

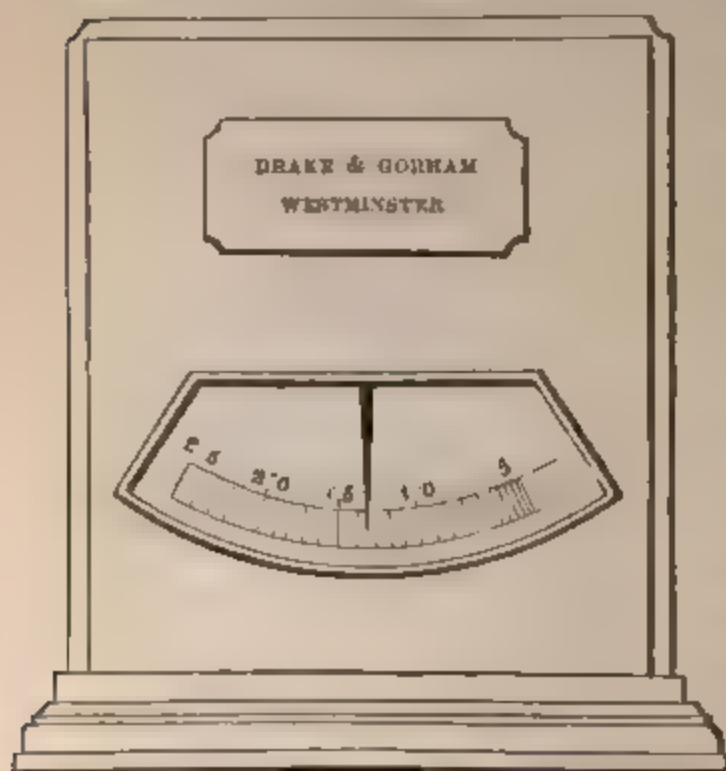
Two pieces of platinum-silver wire, C and D (fig. 102), are kept taut by means of the upright bows, A B. The indicating needle P is supported and held in position by two



horizontal pieces of wire and a couple of spiral springs. The lower ends of the wires C D are connected to terminals on the case of the instrument, so that when a current passes through the instrument it travels up one wire and across, by way of the thicker part of the needle, to the other wire. This current raises the temperature of the wires C and D, which, by their consequent ex-

tension, allow the upper ends of the bows to approach each other. This motion is transmitted by means of the stiff horizontal wires to the needle, which therefore travels over the scale from right to left. In the figures the needle is shown over the centre of the

FIG. 103.



scale as if deflected by the application of an E.M.F. of 1.33 volts. It will be observed that there is absolutely no friction—a most important feature, which, as a matter of fact, renders the instrument a possibility. It is also an inexpensive piece of apparatus.

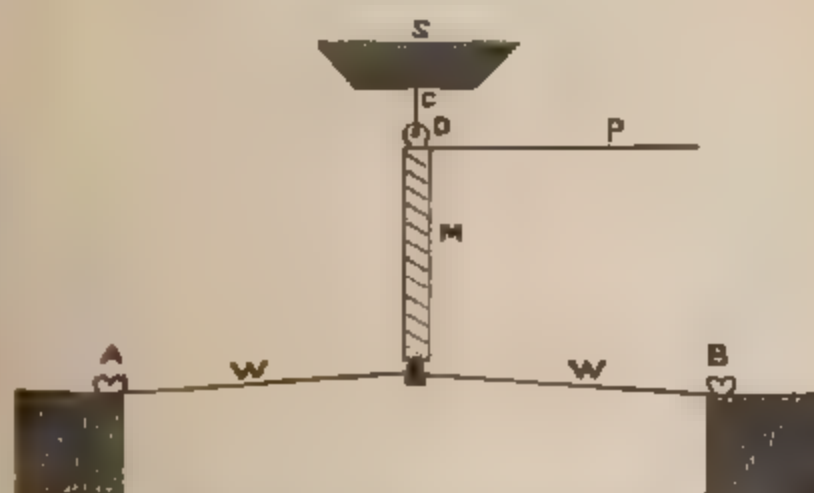
Professors Ayrton and Perry have introduced another, but somewhat more complicated, modification of the Cardew voltmeter, which is capa-

ble of accurately measuring low potential differences, and indicating small fractions of a volt. The principle upon which this apparatus is constructed will be easily understood by a reference to the diagram, fig. 104. *W W* is a short piece of platinum-silver wire, 0.0014 inch in diameter. The ends of this wire are held rigidly by the terminal screws *A* and *B*. The centre of the wire rests in a stirrup supported by the magnifying spring *M*, which is similar to that illustrated in fig. 61. The upper end of the spring carries a pointer *P*, and is kept in position by a piece of fine wire, *C N*, fixed, at its upper extremity, to the support *S*. On a comparatively feeble current—that is to say a current caused by a small difference of potential—passing through the wire *W*, it is elongated and the sag is increased. The tension on the spring is thereby reduced, and, the lower end being fixed, the upper end revolves and carries the pointer with it. The pointer

oves over a dial, and indicates directly the amount of coiling to which the spring is subjected by the sag on the wire. So sensitive is this arrangement that when the initial sag on the wire is comparatively small—that is to say, when the wire is stretched almost a straight line between the terminals—sufficient change in the sag results from the application of a potential difference of eight or ten volts at the extremities of a wire eight inches long, to produce, when magnified by the spring, a complete rotation of the pointer.

If, in a voltmeter of this kind, the wire is further shortened,

FIG. 104.

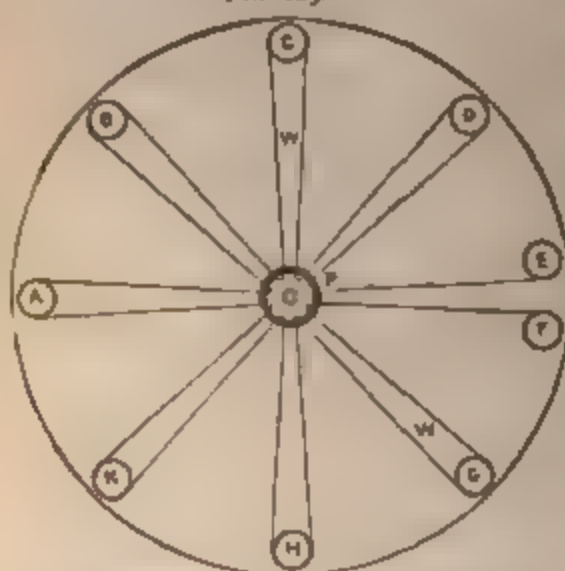


the instrument will indicate a still lower potential difference, because the shortening decreases the resistance, and so augments the current resulting from a given potential difference, and also because, the mass of the wire being reduced, its temperature rises higher with a given quantity of heat. But the wire cannot be shortened indefinitely, as it is so fine that the temperature beyond which it is unsafe to work is quickly reached. It is, however, possible to obtain the first-mentioned effect without the second. For instance, in the case of what may be called the bicycle-wheel form of instrument (fig. 105), the whole of the wires can be joined in series, or grouped variously in parallel. In the latter case, the resistance being much decreased, the stronger current develops a greater amount of heat in the spokes, thus affording a means by which an instrument may be used for much lower potential differences than it can be with the spokes in series. The mass

of metal affected by the heat is, however, the same in case.

The design of this form of the instrument is ingenious. By a ring of metal a number of non-conducting studs, A B C, &c. are fixed. There is also a small non-conducting central piece,

FIG. 105.



which a magnifying spring is attached, at right angles to the plane of the ring. One end of the wire is attached to stud E, and passes to stud F, and passes to stud G between the hub or central piece P and the various studs. The other end being fixed to the stud F. This device has the advantage that even the motion of the wire is affected by the current, so that there is no need to introduce any coils into the external

to indicate the higher voltages, all that is necessary is already indicated, to join the 'spokes' in series.

Fig. 106 is a general view of one of these hot wire voltmeters constructed to measure the alternating potential difference terminals of a coil used in electrical welding, which ranges from 1 and 2 volts. The scale is 6 inches in diameter and divided into hundredths of a volt.

In the original instruments, the principle of which is shown in fig. 104, the pull of the magnifying spring M was counterbalanced by the pull of the platinum silver wire W W attached to terminal blocks; but in the recent form, of which fig. 107 is a horizontal section, both these pulls act, in order to economize in the same direction, and are counterbalanced by the flat spring S. Hence, as the wire stretches, the magnifying spring M is stretched and the pointer P (provided with a number of fine hairs for indicating without any great inertia) rotates in front of the dial. The flat spring S has therefore the effect of reducing the dimensions of the instrument, and it also allows of the adoption of a fuse arrangement for a fuse, to protect the wire from an over



ment. In the ordinary Cardew voltmeter, with a wire two yards length, the introduction of a short fuse which will melt with a current just too small to damage the instrument does not seriously increase the resistance or diminish the sensibility; but in this

FIG. 106.

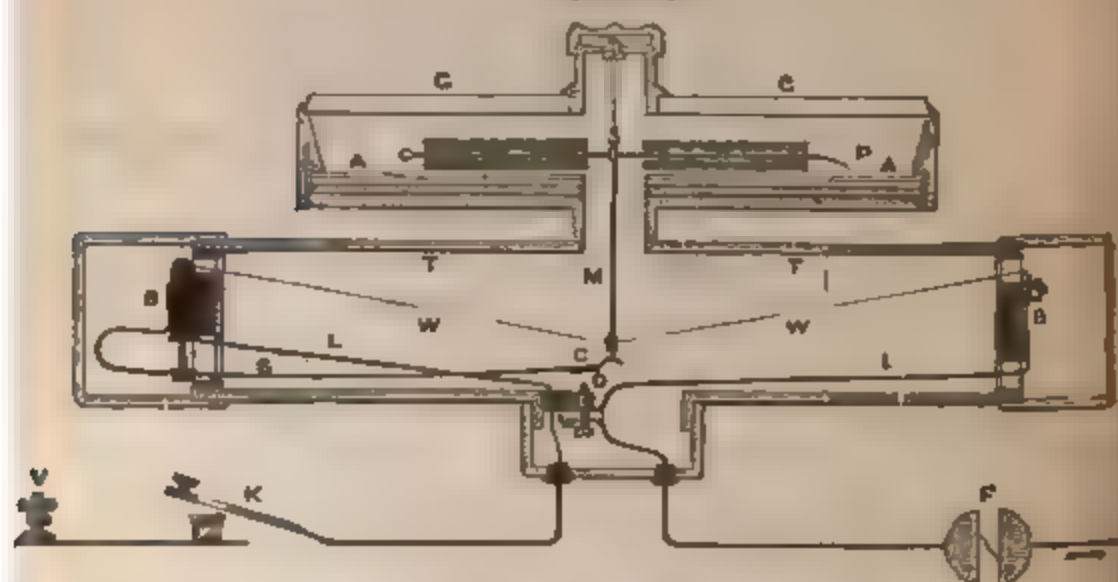


modification, which sometimes contains only 8 inches of wire, the introduction of such a fuse would considerably diminish the sensibility, and it is practically impossible to diminish the length of the



fuse in proportion to the length of the working wire, in consequence of the fact that the metallic blocks to which the fuse wire would have to be attached would conduct the heat away so rapidly as to prevent an extremely short piece of wire from melting. To overcome this difficulty a fuse, *F*, is employed, of such a diameter that it would require a far larger current to melt it than would suffice to damage the instrument. A small platinum tipped screw *D*, electrically connected with the wire *L*, passes through a small insulating block, so that when the wire *W W* stretches by any pre-arranged percentage beyond the amount it stretches for the maximum safe potential difference, the platinum contact *C* on the flat

FIG. 107.



spring *S* makes contact with the screw *D*, and the working wire is consequently short-circuited. The circuit is then temporarily completed through the screw *D*, a portion of the wire *L*, and the fuse *F*, when the current proportionally increases and the fuse is melted without any risk of damage to the instrument. It follows that by this arrangement a thick fuse-wire can be employed, offering but a small resistance compared with that of the working wire, while the sudden application of a potential difference five or six times as great as the maximum potential difference the voltmeter is intended to measure, melts the fuse readily. The fuse *F*, key *K*, and terminals *V V* are shown, for simplicity sake, detached from the instrument, their actual position being, of course, on the instrument.

it may be added that the resistance of the connections in a good measure makes the work as good as impossible; great care is therefore exercised in the use of the ammeter.

We come now to a consideration of the means by which the instruments which we described in Chapter IV are available for the measurement of current strength and voltage and ammeters, so that they may be employed as such. An ammeter measures directly the strength of the current flowing through its coils and the current is proportional to the difference of potential at the terminals of the instrument. It therefore, at first sight appears that an ammeter might be used to measure the potential difference between any two points simply joining it up to them, measuring the strength of the current flowing, and from that inferring the difference of potential which maintains it. But the very act of connecting the ammeter in circuit by the low resistance ammeter wire lowers the potential difference considerably, because an important portion of a circuit is usually applied as a source. Consequently, although the ammeter is joined to the terminals of the potential difference between the two points, and so joined, it would give no information as to that difference. For instance, if a piece of German-silver wire of resistance of 5 ohms, forms part of a circuit through which a current of 4 amperes is flowing, we know that the difference of potential between its terminals is  $4 \times 5 = 20$  volts since  $E = CR$ . If we proceed to measure these volts, by connecting an ammeter having a fraction of an ohm resistance to the ends of the wire, we shall get much less than 20 volts, for the resistance and therefore the fall of potential, in that portion of the circuit will have been considerably lowered. Although the total current in the circuit will be increased by this lowering of the total resistance, the ammeter resistance is so low that it shunts the wire, and so the current from the German-silver wire; and so in consequence, only half an ampere flows through the ammeter. The potential difference at its ends will be  $C \times R = .5 \times 5 = 2.5$  volts instead of 20.

In order that the introduction of the instrument should make absolutely no alteration, no current at all should flow through it, and although there are instruments which satisfy this condition, the majority are only suitable for use in the laboratory. If, however, we take any ordinary ammeter and wind it with a large number of turns of fine wire, so that it has a very high resistance, it can be used as a voltmeter; for its resistance will be too great, and the current which passes through it will be too small, to make any sensible alteration in the potential difference which it is measuring; while, on the other hand, the large number of turns of wire will allow the feeble current so flowing to produce a sufficiently strong magnetic field to actuate the movable part of the apparatus. For instance, one of the ammeters, described in Chapter IV, when wound with fine wire to a resistance of about 2,000 ohms, will serve to measure potential differences of from 60 to 120 volts. Of course, it can and must be 'calibrated' for reading in volts in the same way that the ammeter was calibrated for reading amperes.

One important source of error must, however, be guarded against; it is due to the fact that a current, in passing through the coils of a voltmeter, heats the wire and increases its resistance, and consequently a given difference of potential will send a weaker current through the coils after they are heated than before. The instrument will therefore indicate a lower difference of potential than that which actually exists, in consequence of the fact that it measures the potential difference by the strength of the current set up by that difference. For this reason great care must be exercised to prevent the coils of a voltmeter being heated to any appreciable extent by the current, and in order to secure this condition a key should always be supplied with such an instrument. The reading can then be taken immediately the circuit through the coils is completed by the depression of the key, and before the resistance rises. In the case of an ammeter the resistance of the coils is so very low that but little heat is generated there, and, the size of the wire being comparatively great, the temperature, and therefore the resistance, varies but slightly. Further, an ammeter is not used as a shunt, but is placed directly in the circuit, it is virtually free from this 'heating error,' because, in

In circumstances, the strength of the current flowing through it and measured by it is the same as that in the rest of the circuit.

The Shuckert, the Steelyard, and the Eccentric-iron-disc meters, and many others of a similar character which we have not described, can be converted into voltmeters by the simple substitution of a long-wire coil of high resistance for the short-wire coil of low resistance, and this, apart from the calibration, being the only essential difference between these types of instruments, there is no need to further enlarge upon them. An exception may perhaps be made in the case of Evershed's Gravity voltmeter, a general view of which is given in fig. 108. Its moving parts are exactly similar to those of the Gravity ammeter shown in fig. 67, but, of course, thin wire, offering high resistance, is employed. Only a portion of this wire forms the actual magnetising coil, this being of copper, while the remainder, which is of German silver, is wound round a large metallic cylinder inside the casing. In an instrument indicating up to 110 volts the total resistance would be rather over 2,000 ohms, that of the actual

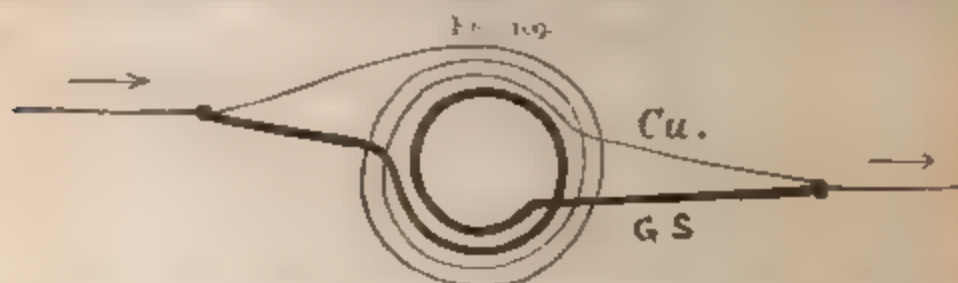
FIG. 108



magnetising coil being about 200 ohms, so that, with the maximum potential difference, the power absorbed is only 6 watts; and, as the temperature coefficient of German silver is low, as also the disposition of the wire gives fairly good facilities for radiation, its temperature does not rise appreciably. Consequently, the instrument may be left continually on the circuit without causing any error worth noticing under ordinary working conditions.

For cases where it is imperative that the indications should be entirely free from heating error, Mr. Evershed has suggested a very ingenious method of compensating which may be applied to this or any similar voltmeter. It is based upon the observed fact that the temperature coefficients of metals are different—that is to say, a given rise of temperature causes a greater increase per cent. in the resistance of some metals than of others, the difference in certain cases, such as copper and German silver, being considerable. The

magnetising coil proper consists of German silver wire, and a higher resistance coil of copper wire is wound round it in the reverse direction, as indicated in fig. 109, the two being connected in parallel, so that the copper coil not only forms a shunt to, but opposes the magnetic effect of the other coil, the resultant force acting on the needle being due to the excess of the magnetic effect of the German silver over that of the copper coil. The wire of the latter is made very thin, to enable the necessary resistance to be obtained while keeping the ampere turns sufficiently low, the number of ampere-turns in the German silver coil being several times greater than in the copper. When the current or atmo-



spheric changes cause a rise in temperature, and therefore also in resistance, the current in the German-silver coil decreases slightly, but that in the copper coil decreases in a much faster ratio, because the temperature coefficient of copper is so much greater; and if the resistances and diameters of the two wires are made such that the current in the copper coil decreases just fast enough to keep the difference between the magnetic effects of the two coils constant, the instrument will compensate itself for any variation in temperature. Unfortunately, the calculations required are somewhat difficult, and the copper wire must be extremely thin, so that this extremely ingenious method has not yet made much headway.

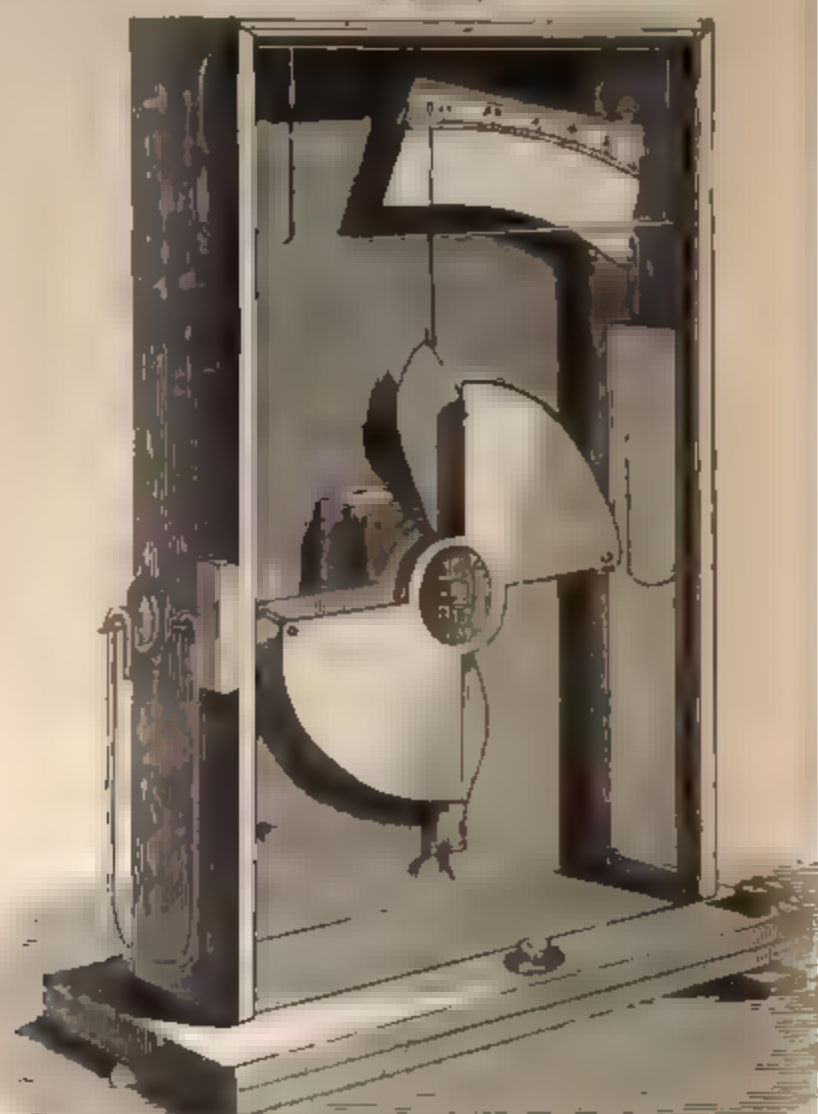
In the recent development of electric lighting the tendency is towards the use of very great differences of potential, much greater than any we have hitherto dealt with. In one case, for instance, it is proposed to work at a potential difference of 10,000 volts. This potential difference is alternating, thus excluding at once a large number of measuring instruments; and it will readily be perceived that those which we have described as capable of measuring alternating potential differences could not well be



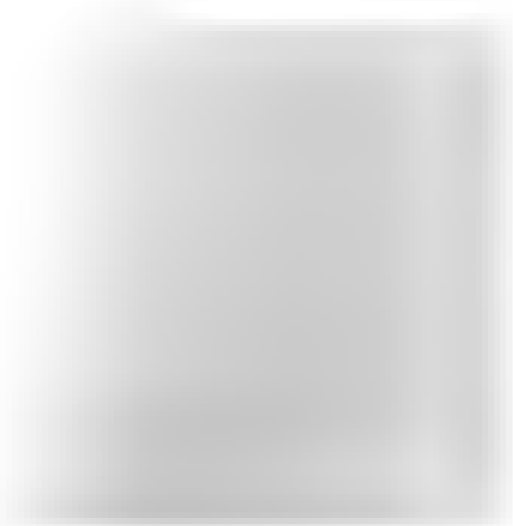
modified so as to measure up to 10,000 volts. A voltmeter has been introduced by Sir William Thomson, based upon the well-known elementary fact that two adjacent bodies at different potentials mutually attract each other. We have seen that a simple way of establishing this difference of potential is to rub two dissimilar substances, such as a piece of flannel and a piece of sealing-wax, together; they will then mutually attract each other, and the force of this attraction might serve to estimate the potential difference between them. But there is a difference of potential between the two poles of a battery; if these two poles are connected one to each of two insulated metal conductors (say brass spheres), the spheres will be at different potentials and will attract each other, the force of attraction is, however, too feeble to cause any perceptible movement, unless very delicate refinements, unsuitable for workshop use, are resorted to. But for this latter effect, such a method of measuring potential difference would be perfect in one respect, for, as the two conductors are insulated, no current whatever would flow from the battery, and we might therefore measure the potential difference without altering it during the act of measurement. The use of this 'electrostatic' method, however, becomes practicable in the case of several hundred volts, and fig. 110 shows Sir William Thomson's voltmeter, which is based upon it.

One conductor is fixed and the other movable; the fixed one consists of two butterfly-shaped sheets of brass, parallel to each other, and metallically connected, but carefully insulated from the rest of the instrument. The movable conductor is a thin aluminium strip, supported at its centre on a knife edge, and moving freely in a vertical plane exactly midway between the two fixed brass plates. When at rest the movable plate or strip is kept in a vertical position by very small weights placed on a knife-edge at a lower extremity. If a difference of potential is established between the fixed plates and the movable strip, mutual attraction results, and the aluminium tends to set itself in a position, as far as possible, inside the fixed plates, this tendency being counteracted by the weights which it carries. The force of attraction is proportional to the square of the potential difference, the movable conductor, of course, comes to rest when the forces due to the

electrostatic attraction and to gravity balance, and this point of rest is indicated by a light pointer moving over a graduated scale. This scale has 60 divisions, which represent equal differences of potential, and a large range is obtained by varying the weights. When a weight of 32.5 milligrammes is used, the



moves through one division for a potential difference of 100 volts. With 130 milligrammes one division corresponds to 100 volts, with 520 milligrammes to 200 volts. But with 10,000 milligrammes upwards there is danger of sparking between the plates of the particular instrument, it is, however, possible to increase the distance between them, and then to measure much higher



## CHAPTER VII.

## ELECTRO-MAGNETISM—ELECTRO-MAGNETIC INDUCTION

It has been observed that the air space in the neighbourhood of a wire, in which the effect of a current travelling in the wire is perceptible, is called an electro magnetic field, and that the action in which the force in this field acts can be made evident by means of iron filings, which, if sprinkled upon a sheet of paper with the wire passing through it, arrange themselves in concentric circles along the lines of force round the wire. And it will be remembered that some substances offer greater resistance than others for the propagation of these lines of force, and it is possible to alter their circular form by bringing near the substance through which they pass with either more or less resistance than through the air. The relative capability possessed by a substance for conducting these lines of force is known as its 'permeability,' and it is obviously desirable that some method of determining and comparing this property in various bodies should be adopted. The permeability of air<sup>1</sup> can be taken as the standard, and the permeability of all other substances measured by comparison with it.

If a piece of hard steel is placed in any magnetic field, some of the adjacent lines of force are bent out of their previous course and converge into the steel. More lines of force, therefore, pass through the space occupied by the steel than passed through the same space when occupied by air alone. Hence we conclude that the lines of force pass through steel more readily than through air, or the permeability of steel is greater than that of air. Again, the steel is replaced by a piece of soft iron of similar shape and size, even more lines of force will now pass through it.

<sup>1</sup> The permeability of a vacuum is taken as unity; that of air is almost the same, and is a more convenient standard.

ce, showing that the permeability of soft iron is still greater than that of steel. In fact, the permeability of any substance can be measured by dividing the number of lines of force which pass through it, by the number which pass through the same space when the substance is removed, the strength of the magnetising field being the same in both cases. There is, however, no method available for determining the actual number of lines of force passing through any particular space or substance. The nearest approach to such a desideratum would be to measure the magnetic induction of any electro-magnetic field, or of any given portion of it. Induction might be supposed, the strength of the field being directly as the number of lines of force pervading it. But here again we are met with practical difficulties, for, except in comparatively simple cases, even this is not ascertainable directly, and can only be deduced from other effects.

It is, however, possible to compare the strength of fields by measuring the magnitude of various phenomena which can be made to take place in them; one such method is briefly described at the end of this chapter.

We can thus measure the strength of a field due to any magnetising force—that is, the number of lines of force passing through any given air space—and then, filling that same space with a piece of iron, measure the relative number now passing through the iron. The number of lines of force passing through a unit area of one square centimetre taken at right angles to the field is called the amount of magnetic induction; the magnetic induction through the air space is equal to the strength of the field (since the permeability of air is 1), and the magnetic induction through the iron, divided by the strength of the magnetising field, gives the permeability of the iron.

By experimenting in this way it has been proved beyond doubt that not only do different substances possess various degrees of permeability, but also that this property may vary considerably in the same substance under certain conditions; and it is also possible to arrange the various substances in the order of their degrees of permeability. The most permeable material known is soft iron, and it is found that, generally speaking, the purity and impurity of the iron increase, so its permeability



decreases; that of hard steel, nickel, and manganese being comparatively low. The vast majority of substances, including most of the other metals, are very nearly equal to air in this respect, while the permeability of a few metals, including bismuth and copper, is less than that of air. To take the two extreme cases, the permeability of iron has been known to reach as high as 19,000—that is to say, 19,000 times as many lines of force have been known to pass through a certain piece of iron than passed through the equivalent air space when the iron was absent, while that of bismuth has not been found to be much below 0.999968.

This property is very important in some practical operations, and (especially in the case of iron) it is useful to know the conditions under which it varies in the same material. We have already touched upon a practical application in the case of a helix or solenoid, and are now in a position to further consider the matter. We observed that the electro-magnetic effect of a helix carrying a current can be increased in two ways—either by increasing the strength of the current and so increasing the actual number of lines of force produced, whatever that number may be, or by increasing the effect of the available lines of force by making as many of them as possible pass through that space near the ends, where they will be able to act to the greatest advantage. The permeability of bismuth and copper being less than that of air, either of these substances, when placed in an electro-magnetic field, will *decrease* the number of lines of force passing through the space which it occupies; but even in the case of the most effective substance known, viz. bismuth, the difference is so very slight that it is difficult to perceive or measure it. If, however, any substance were to be discovered with a permeability very much less than that of air, one way of leading the lines of force through the desired space would be to place this substance in that part of the field from which it is wished to exclude those lines—that is to say, to make all paths but the right one, or the one desired, as difficult as possible. But the permeability even of bismuth being so little inferior to that of air, the only available method of attaining the desired end is to make the path which it is desired the lines of force should take as easy as possible. In the case of the solenoid described in Chapter IV. we wished to increase its effect

by leading as many as possible of the lines of force through the ends of the coil, instead of allowing them to leak out at the sides, and for this purpose fitted it with a soft iron core, which had the desired effect. Since the permeability of different qualities of iron varies so much, too great care cannot be exercised in its selection; and, experiment having shown that soft annealed Swedish iron is superior to all other kinds, this should, when the question of expense does not forbid, be used in all cases where it is desired to concentrate the lines of force at any particular point.

It will be remembered that a helix of wire fitted with an iron core is called an electro-magnet, and electro-magnets differ in shape and arrangement according to the work they are intended to perform. Thus, if it were wished with one pole of an electro-magnet to repel a similar pole of another electro-magnet, or of a permanent steel magnet, with as much force as possible, it should be made long and straight, so that its opposite pole might be as far away as possible. It frequently happens, however, that an electro-magnet is required either to support a heavy weight or to attract another magnet or a piece of iron as powerfully as possible. It is then more advantageous to allow both poles of the electro magnet to act together, and this can be accomplished by making it somewhat similar in shape to a horse-shoe, and so bringing the poles close together, as is the case in fig. III, winding the wire only over the 'legs' of the iron core.

FIG. III.



In designing an electro-magnet, therefore, the object to which it is intended to apply the apparatus must be kept clearly in view, and it is necessary that the general principles underlying the science of electro magnetic construction should be now considered, although, under the most favourable circumstances, these laws and principles are somewhat complicated and involved, and, to a great extent, indeterminate.

In the generation of an electro-magnetic field by means of a solenoid there are two prime features to be taken into considera-

tion—viz. the strength of the current and the number of convolutions of wire constituting the coil. It can readily be seen that the electro-magnetic effect produced by a current varies directly as the strength of that current, so that to double the intensity of the field developed by any particular coil it will suffice to double the current strength. There is, therefore, no need to take into account the resistance of the wire, except in so far as it may modify the current strength, the resistance varying, of course, directly as the length, and inversely as the square of the diameter, of the wire.

As the current strength in any circuit is the same in all parts, or at all points, of that circuit, the electro-magnetic field developed by any unit length—say one inch of the wire—is exactly equal to that developed by any other portion of the circuit of equal length. It follows, therefore, that two convolutions or turns of wire close together will generate a field twice as strong as that which can be developed by either of the turns taken separately; and, speaking generally, it can be said that the field developed by a solenoid varies in strength, directly as the number of convolutions. And this will be true whatever the nature of the material forming the conductor, or whatever its resistance. Nor does the diameter of the circle described by the wire when coiled into a long helix materially affect the strength of the field developed at its centre, unless the diameter exceeds about one half the length of the coil. The dimensions of the iron forming the core have also to be taken into account, but that topic will be considered presently.

Placing these two factors together, then, the field developed by an electro magnet can be said to vary directly as the current strength, and directly as the number of convolutions of wire, or

$$M : cn,$$

where  $M$  is the strength of the field,  $c$  the strength of the current, and  $n$  the number of turns.

Since  $c$  is measured in amperes, this simple formula is frequently expressed by saying that the field varies as, or is equal to, the 'ampere turns.' As the number of lines of force is proportional to the length of the wire and the current flowing through it, it would be more correct to speak of the magnetic effect as being proportional to the ampere feet or ampere-yards, but as

an ampere-turns is generally adopted, we also make use

stated just now that the diameter of the coil was, with a reservation, immaterial; but it must be remembered that, being the number of cells in the battery to be a fixed quantity, an increase or decrease in the diameter of the coil must proportionately increase or decrease the length of the wire and its resistance, and thereby a decrease or increase in the current strength, this variation in the length of wire is accompanied by a corresponding variation in its cross-section, so as to keep the resistance constant. The all important Ohm's law must always be kept in view in making any changes of this sort, or serious errors will arise. Let us suppose that a wire offering 5 ohms resistance is coiled into a solenoid composed of, say, 10 turns, forming one single layer, and that a current from 5 cells of electro-motive force and 1 ohm resistance per cell passes through the coil. The current strength, supposing the connecting wires to be short and thick, and to have therefore no appreciable resistance, will be

$$C = \frac{10}{5+5} = 1 \text{ ampere,}$$

the field will be proportional to

$$C \times N = 1 \times 10 = 10.$$

Now, to produce an increased field, another similar layer of wire wound over the first, the number of turns will be doubled, the resistance of the coil will be more than doubled, for the length of the outer layer will be greater than that of the inner. Assuming, however, the difference in diameter to be so small as to make no material difference in the length of the wire, the current

will be 
$$\frac{10}{10+5} = .66,$$

the electro-magnetic field

$$0.66 \times 20 = 13.2.$$

Finally, with a third layer, the current becomes

$$\frac{10}{15+5} = .5,$$



and the field

$$0.5 \times 30 = 15.0.$$

The multiplication of the layers, therefore, does not proportionally increase the strength of the field. On the other hand, the consumption of materials necessary to the generation of the current is reduced, and the economy of the system proportionally increased. If, therefore, a coil of 99 layers were employed, and supposing for the moment all the turns to be of uniform length and resistance, the arrangement would be very economical, for the current would be only

$$\frac{10}{495 + 5} = .02,$$

while the field would be

$$0.02 \times 990 = 19.8.$$

But, of course, the length of wire composing the ninety-ninth layer would be considerably greater than that forming the first. Now, the circumference of a circle varies directly as its diameter, and is equal to  $2 \pi r$ , where  $\pi$  is the ratio between the circumference of a circle and its diameter, or 3.1416, and  $r$  is the radius of the circle. If, therefore, the diameter of the outside layer is actually twice that of the inside, the length of the wire in each of the larger turns, and consequently in the whole layer, will be exactly doubled, and its resistance doubled also; and the intermediate layers will vary proportionally. But the actual resistance of the whole coil can be easily calculated, for if the radius of the inside layer is half an inch and of the outside layer one inch, the mean or average radius will be three-quarters of an inch—that is to say, the length of wire in the fiftieth layer will be half as long again as that in the first. Its resistance will therefore be 7.5 ohms. Similarly, the resistance of the first and last layers together will be 15 ohms, or an average of 7.5 ohms per layer, and this will be true of every similarly situated pair of layers, so that the total resistance of a number of layers is equal to the resistance of the middle or average layer multiplied by the number of layers. In the coil under consideration the resistance will be

$$R = 7.5 \times 99 = 742.5,$$



and the current strength

$$\frac{10}{742.5 + 5} = .0133,$$

and the electro-magnetic field

$$0.0133 \times 990 = 13.167.$$

If, now, we suppose the number of layers to be again doubled, and the mean radius increased thereby to 1 inch, the mean or average resistance will be 10 ohms per layer, and the total resistance of the 198 layers 1,980 ohms. The current then becomes

$$\frac{10}{1980 + 5} = .005,$$

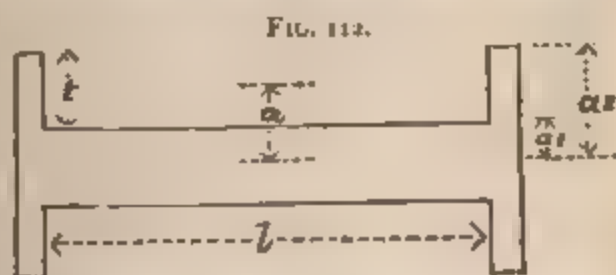
and the electro-magnetic field becomes

$$0.005 \times 1980 = 9.9.$$

The addition of layers of wire after a certain point has been reached has the result, therefore, of so increasing the proportional resistance as to reduce the effect which can be developed by any given battery, and this limit of usefulness or efficiency is reached when the maximum radius is twice that of the bottom or first layer.

When the field due to a certain coil, with inside and outside layers having resistances of 1 : 2, is insufficient for a given purpose, it may become advantageous to re-wind the bobbin with wire of a smaller gauge, so as to get

a greater number of turns in the same compass. A reference to the diagram, fig 112, will simplify the small difficulties involved in a consideration of this



matter. Let us suppose the figure to represent a wooden or ebonite bobbin, and that the length,  $L$ , of the space occupied by the coil or the distance between the 'cheeks' of the bobbin, is 5 inches, while the radius,  $a_1$ , of the bottom layer to be wound is a quarter of an inch, and the extreme radius,  $a_2$ , of the coil three-quarters of an inch. The mean radius  $a$  will be half an inch, or

$$a = \frac{a_1 + a_2}{2} = .5.$$

thus only three quantities known, viz. the dimensions of the bobbin, the resistance which the coil is to offer, and the specific resistance of the copper; while the length of the wire and its diameter are unknown and require to be ascertained. The space in which the wire is to be wound can be calculated from the given dimensions, for,  $v$  being this space or volume,

$$v = \pi l (a_1^2 - a_2^2), \quad \dots \dots \dots (1)$$

$$\text{or } v = 3.1416 \times 3 (.75^2 - .25^2)$$

$$= 4.7124 \text{ cubic inches.}$$

But supposing, as will be actually the case, that the wire, whose diameter is  $d$ , occupies the same space that it would take were it to be square instead of round, then, manifestly,

$$v = L \times d^2. \quad \dots \dots \dots (2)$$

As, also, the total resistance of the wire varies directly as length, directly as its specific resistance  $s$  (which, in this case, take as the resistance per cubic inch), and inversely as the area of cross-section of the wire,

$$R = \frac{L \times s}{\text{area}}.$$

But the area of the insulated wire is equal to  $\pi r^2$ , or  $\pi \left(\frac{d}{2}\right)^2$ , that is,  $\pi \frac{d^2}{4}$ .

Therefore

$$R = \frac{L \times s}{\pi \frac{d^2}{4}},$$

that is,

$$R \pi \frac{d^2}{4} = L s,$$

or

$$R \pi d^2 = 4 L s,$$

and

$$d^2 = \frac{4 L s}{R \pi} \quad \dots \dots \dots$$

But from (2) it will also be seen that

$$d^2 = \frac{v}{L} \quad \dots \dots \dots$$

Consequently

$$\frac{4 L s}{R \pi} = \frac{v}{L} \quad \dots \dots \dots$$

and

$$4 L^2 s = \pi R v.$$

Therefore

$$L^2 = \frac{\pi R v}{4 s},$$

and, finally,

$$L = \sqrt{\frac{\pi R v}{4 s}} \dots \dots \dots (6).$$

By inserting the numerical values on the right-hand side of this equation, the length  $L$ , having the required resistance, can therefore be found, after which we can, by equation (4), determine also the gauge of the wire. It must, however, be noted that, for simplicity,  $d$  is taken as the diameter of the bare wire in equation (2), thus rendering the result only approximate; but when the thickness of the wire is great as compared with that of the insulation, the formulæ approach very closely to the truth.

It is frequently useful to know the exact length of any particular wire which can be wound on any particular bobbin, and, knowing  $v$  and  $d$ , this can be easily ascertained, for, if  $d_1$  represents the outer diameter of the wire and its covering,  $v$  the volume of the wire-space, and  $L$  the required length, then

$$L = \frac{v}{d_1^2}.$$

So far, very little has been said concerning the dimensions and nature of the core, beyond the fact that it should have the highest possible degree of permeability, and be constructed, therefore, of the best annealed iron, and that there is a limit to the number of lines of force which can easily be passed through an iron core. These considerations render necessary the employment of a relatively massive core, having, for the best electro-magnetic effect, a diameter equal, at least, to the thickness of the coil with which it is to be surrounded—that is to say, its diameter should correspond to the thickness  $t$  in the ideal coil illustrated in fig. 112. It is here that the question of relative permeability has to be taken into consideration, for it has been experimentally demonstrated that there is a limit to the number of lines of force that can be transmitted by a given mass of iron, and that this limit is soon exceeded when the diameter of the core of an electro-magnet is small as compared with that of the coil which surrounds it. The permeability of a rod of iron decreases as the lines of force passing through it

portional to the current flowing through it. The third curve  $oc$  is particularly interesting. Suppose the magnetic effect due to the coil alone, and represented by the distance  $DP$ , to be deducted from the joint effect produced with the same current by the core and coil combined, and represented by the distance  $DA$ , then the remainder  $DC$  will represent the effect produced by the core alone. And if this subtracting process is carried out along each of the ordinates, the curve  $oc$ , known as the curve of magnetisation, will be produced. Now, it will be observed that, after a certain point has been reached, this curve becomes a nearly horizontal straight line, indicating that the saturation point of the iron has been reached, and that any further increase in the current strength does not add appreciably to the magnetisation of the core, the increase in the strength of the field developed being that due to the coil itself. The two curves  $oc$ ,  $ob$ , would, if the experiments were carried far enough, intersect, at a point where the permeability of the air equals that of the saturated iron.

Pure soft iron has another property which recommends its adoption for the cores of electro magnets, and that is its low 'retentivity,' for, as a rule, electro-magnets are required to develop as strong a field as possible at some particular point directly the current commences to flow, and to lose or be deprived of all traces of magnetisation on the cessation of the current. Steel, as we have already seen, always retains a large proportion of the magnetic state impressed upon it by the projection of an electro-magnetic field through it, or, in ordinary language, it retains the magnetism imparted to it. Hard and impure iron have similar properties, inferior only to steel itself. There is no doubt that these properties of permeability and retentivity are very largely governed by the molecular structure of the iron or steel, and by the greater or less rigidity obtaining among the particles of the metal. In fact, the two properties go together; for all qualities of iron or steel through which it is difficult to urge the lines of force, or to magnetise, are found to be correspondingly obdurate when it is sought to demagnetise them, or deprive them of magnetisation. There is, therefore, a double gain in employing pure soft iron, for not only is its permeability greater, but its retentivity is also less than of impure or hard iron.



On the other hand, in selecting a material for permanent magnets, the principal thing to be considered is the retentivity, which, of course, should be as high as possible. No substance has yet been found which is, in this respect, superior to good hard steel. Some specimens of steel have been made so hard that efforts to magnetise them have proved futile. One of the most remarkable features to be observed in this matter is the extraordinary effect produced by the admixture of a small—one might almost say a minute—proportion of other, or foreign, substances with the iron. Just as a fractional proportion of iron or other metal added to copper causes a large increase in its electrical resistance, so the addition of carbon, tungsten, phosphorus, sulphur, arsenic, &c., to iron, reduces its permeability and also increases its retentivity. This reduced permeability corresponds, in many respects, to increased electrical resistance in a conductor, and is, in fact, sometimes referred to as increased magnetic resistance. In the case of ordinary steel the retentivity is evidently due, in a great measure, to the presence of carbon, and, with a bar of good magnet steel, the permeability is so feeble, and the retentivity so great, that it is impossible, by electro magnetic induction, to upset the molecular arrangement in the interior of the bar, so that the magnetisation is in reality only skin-deep. This can be easily proved by magnetising a small piece of very hard steel and then immersing it in dilute sulphuric or hydrochloric acid. In a few moments the surface of the metal will have been dissolved, and on withdrawing it from the liquid all trace of magnetisation will have disappeared. Consequently, it is preferable, in making a large permanent magnet, to build up a number of thin strips of steel to size and then magnetised separately. On fastening them together, the built-up, or 'laminated,' magnet will be found capable of producing a far stronger field than can be obtained with any solid magnet of similar dimensions. It should, however, be added that in building up a compound magnet, or 'magnetic battery,' there is no advantage in employing *brass* screws or bolts to fasten the individual magnets together as is usually done. In fact, this cannot but disperse the lines of force passing through the magnets, and therefore weaken, more or less, the polar strength. Iron screws or bolts are mechanically and magnetically preferable.



It is interesting to notice that specimens of steel have been made, containing 12 per cent. of manganese, which it has been found practically impossible to magnetise even under the influence of a very powerful field. Probably, the magnetic reluctance, molecular rigidity, magnetic inertia, or whatever else we may choose to call that property of steel which our forefathers knew as coercive force, is so great, that to overcome it is impossible. Similar results follow when the proportion of carbon, phosphorus, sulphur, &c. mixed with the iron exceeds a certain small limit, while the addition of even the smallest percentage of antimony suffices, it is alleged, to destroy all trace of magnetic properties. There is certainly a large field of practical utility open to the economical manufacture of unmagnetisable iron. For example, the bed-plates of dynamos are sometimes—and used to be even more extensively than now—separated from the field-magnets by huge slabs of cast iron, because, otherwise, they would form what may be called a magnetic short-circuit between the poles of the field-magnets. Zinc is mechanically much weaker than iron, and this, added to its much higher price, renders its use highly objectionable. To overcome this difficulty, dynamos are rarely designed now with their bed-plates downwards, but are turned about so that the bed-plate is connected to the yokes or magnetically neutral portions of the field-magnets. Under such circumstances only a very few lines of magnetic flux are wasted by passing through the bed plate. Reverting to the question of magnetic inertia, it may be mentioned that the cause which may operate to set up molecular vibrations in a mass of iron or steel facilitates either magnetisation or demagnetisation—that is to say, if the metal is placed in a magnetic field and vibrations set up in it, it will be more readily and more powerfully magnetised than would be the case were the vibrations not set up; and, conversely, a magnet loses its magnetisation by being subjected to vibration, due to the fact that facilities are thereby afforded to individual particles, which are themselves magnets, to partially rearrange and form little closed magnetic circuits in the mass of the metal. These vibrations can be caused by heating, hammering, twisting, or any other similar violent treatment. Hence, steel magnets should always be placed down gently, and never dropped or thrown down, otherwise the magnetisation will be more or less destroyed.

magnet raised to a red-heat loses its magnetisation entirely, this can easily be demonstrated by heating a magnetised sewing-needle in a gas flame.

By adopting the precautions referred to, magnets can be capable of sustaining considerably more than thirty times their own weight, but a description of the method practically used for the manufacture of permanent steel magnets capable some years of supporting about twenty-five to twenty-eight times their own weight may prove serviceable. In this case, the best tool-steel is employed. It is heated gently to a dull red heat and worked into the required shape, care being taken not to raise the temperature too high, or the tungsten will be volatilised. A magnet may therefore require to be placed in the fire several times before the necessary shape has been obtained. This process being completed, the steel is then hardened by being first heated in a close fire out of contact with air, so as to ensure uniform heating and to prevent the formation of a hard scale of iron oxide.

It is then dipped into a water bath. This latter process must be carefully attended to, or the metal will be twisted or otherwise distorted. It should be held vertically, and, if of the shoe pattern, its extremities should be dipped in first, the magnet being steadily lowered into the water. The next process is one of polishing, after which it is passed a few times over the face of a large and powerful permanent magnet, the steel being turned over once or twice so as to magnetise both faces. Of course, a large electro-magnet, with a powerful current circulating through its coils, can be employed, but the other form is quite sufficient and certainly much less troublesome.

We have not yet, however, said all that requires to be said on the subject of electro-magnets. One important detail, so far neglected, is the length of the coil and of the core, as compared with the diameter. It has already been laid down that the inside, or outside, diameter of the coil should not exceed three times the diameter of the core; but although it is often stated that the best result is obtained when the length of the core is six times its diameter, we have failed to discover any universal reason for such a proportion. As a matter of fact, with a bar-magnet, if we desire to employ only one pole, and wish to mask or get

not of the effect of the other, there is a decided advantage in using a core of much greater proportional length, and if we are restricted as to the quantity of wire to be employed, we can then wind fewer turns over a long piece of iron than would be wound over a shorter piece. By so doing we should reduce the distance between the iron and the wire, and therefore, with the same number of lines of force passing through the core would be correspondingly increased. Supposing, however, the same proportion to be maintained between the respective diameters of the lengthened core and its coil, and the gauge of the wire increased so as to maintain a constant resistance and constant number of turns, the polar strength developed close to one end of the core will vary as the square of the length of the core, providing, however, that the core is not so extensively lengthened as to cause many of the lines of force to 'leak out' at the sides of the coil. This limit will, of course, vary with different qualities of iron, as the question is mainly one of relative permeability. Sometimes there is an advantage in using very short electro-magnets, as, for example, when it is desired to obtain one which shall respond promptly to variations or reversals of the magnetising current.

So far, we have only considered electro-magnets in which the wire is wound evenly throughout their length, but, for some purposes, it is preferable to vary the method of winding. If, for example, it is desired to construct a bar magnet which shall develop a very powerful field close to its extremities, but which is not wanted to exert any force at a comparatively greater distance, then the best form to give to the piece of apparatus is that in which the wire is 'coned up' near the ends—that is to say, where a large number of layers is wound over the ends, the number decreasing towards the middle, few or none being wound over the central portion of the core, although at no point should the wire, as a rule, be wound to more than three times the diameter of the core. The lines of force in such an electro-magnet will be powerfully developed near the ends, and there will be little tendency for them to leak out. On the other hand, they will make much smaller air-curves than would result from an equal length of wire wound evenly along the entire length of the core.

The horse-shoe form is only adopted when it is desired to

exert the maximum attraction upon a piece of iron placed near it. If it were placed at any considerable distance compared with the distance between the magnet poles, most of the lines of force would pass across the air space from one pole to the other without entering the iron. But such a magnet obeys the same law that holds good for bar magnets so far as the relative strength of the magnet, when traversed by various currents, is concerned. That is to say, if we have an electro magnet developing a field, at a given distance the strength of the field will vary directly as the strength of the current producing it. When, however, a piece of soft iron is placed in the field, the lines of force are diverted, and, passing through it, endow it with magnetic polarity, and the polarity developed varies directly as the number of lines passing through it, or as the strength of the current. Such a piece of iron is called an armature, but we may regard it for the time being as another magnet, and when we have two magnets mutually attracting one another, the force of attraction is proportional to the product of their magnetic strengths, or the force

$$f : m \times m_1,$$

where  $m$  is the strength of one magnet, and  $m_1$  that of the other (or of the armature).

If, now, we suppose the strength of the current to be doubled, and consequently the magnetic field developed to be also doubled, then (assuming the iron to be far from saturated) twice the number of the lines of force will pass through the armature, the magnetisation of which will therefore also be doubled, that is

$$f_1 : 2m \times 2m_1 = 4mm_1,$$

or, doubling the current strength, quadruples the magnetic attraction. Hence this attraction at any given distance varies directly as the square of the strength of the current flowing through the coil. When, however, the iron approaches saturation, the alteration in its permeability prevents any definite law being formulated.

This law is sometimes mis-stated by saying that  $m = m_1$ , hence  $m \times m_1 = m^2$ . But this is only true when the whole of the lines of force emanating from the poles of the electro-magnet pass through the armature, and this rarely or never happens.



To ensure that the armature shall be capable of transmitting a large percentage of the number of lines of force which pass through the core, it is evident that it must at least be equal in permeability and correspondingly massive. It should certainly be equal in section to the core.

One of the best forms of the horse shoe magnet is that illustrated in fig. 111. It will be seen that the coil is divided into two sections, placed one on each limb or leg of the core, the winding being such that, were the core straightened out and the coils pushed together so that their ends meet, they would form one continuous coil or helix. Otherwise similar instead of dissimilar poles would be developed at the extremities of the core. The iron should be the best and softest procurable, and should be bent round so that the poles are close together; a comparatively very large number of the lines of force will then pass through the space between the poles when the armature is removed. The surfaces in contact should fit as perfectly true as possible, so that there is the minimum air space between them. Sharp corners or edges should be avoided, and, since the natural shape of the lines of force is circular, the whole should approximate to the circular form, when there will be little tendency for the lines of force to 'leak out' of the iron and complete their circuit through the air space.

Horse-shoe electro-magnets are frequently constructed to sustain a weight. The sustaining power must not, however, be confounded with the strength of the field or the magnetic strength, as this power depends upon a number of secondary considerations, such as the shape and smoothness of the pole pieces or extremities of the core, the dimensions and surface of the armature, the method of applying the weight to be sustained, &c., which do not require to be taken into account when estimating the electro-magnetic field itself. The weight can be suspended from a hook fixed to the middle of the armature, so that the pull upon the two poles is equal, the sustaining power being measured by the weight which can be supported by the armature without causing its separation from the magnet.

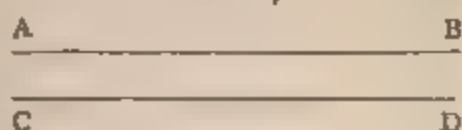
It is, however, frequently preferable, for convenience of construction, as in the case of most forms of dynamo-electric



machines, as well as in telegraphic and other similar apparatus, to build up an electro-magnet in which two straight cores are yoked together by a piece of soft iron which is screwed or bolted to them. The yoke must naturally be massive, and the surfaces fit closely to avoid as far as possible the introduction of a magnetically resisting air space.

We have stated frequently—so frequently, in fact, that we almost feel it necessary to apologise for repeating the statement—that when a current of electricity is set up in a wire, an electro-magnetic field is almost immediately generated in the region surrounding that wire. But the converse of this is also true—viz. that when an electro-magnetic field is suddenly set up around a wire, there is a tendency for a current to be generated in that wire during the setting up of the field, and if the wire forms part of a complete circuit a current will flow along it. The source of the field is immaterial: it may be a permanent magnet, a straight wire or a helix carrying a current; all that is essential being that the lines of force should be thrust across the wire, or that the wire should be moved in such a manner as to cut the lines of force transversely. As an instance, let *AB*, *CD* (fig. 114) be two wires running side by side for a certain

FIG. 114.

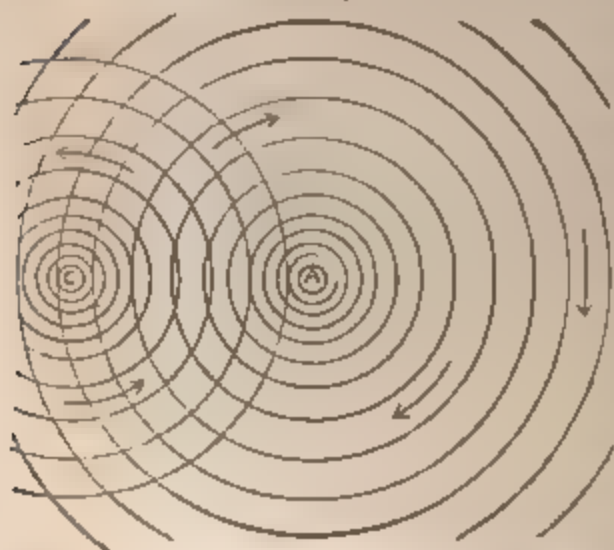


distance, each forming part of a complete circuit. If a current is started in *AB*, lines of force will immediately start from its centre, or axis, in the form of widening circles, and, cutting the second wire, *CD*, set up an electro-motive force therein and, in consequence, generate an electric current. It is only, however, while the lines of force are actually cutting the second wire that the E.M.F. is developed, and as this cutting ceases immediately the current in *AB* arrives at its full strength, the induced current lasts but for a moment. In direction it is opposite to the current in the wire *AB*. While the original current is steady many of the lines of force due to it are embracing the adjacent wire *CD*, though, being relatively at rest, they have no effect thereon.

But when the current in *AB* is stopped, all the lines of force collapse upon it, and those which extended beyond the wire *CD* again cut it, and thereby induce in it another momentary current.

But, since the lines now cut the wire *CD* in the opposite sense (for they approach it from the opposite side), the resulting current is in the opposite direction to the previous one—that is, it is now in the same direction as the inducing current which was flowing in the wire *AB*. By noting the direction of the lines of force due to the inducing current, and the direction in which they must coil round the wire *CD* during the time they are passing it, we might predict the *direction* of the induced current in either case. It is somewhat difficult to make this clear by diagrams, but an analogy may

FIG. 115.



assist us to a great extent. When any small body is dropped on the surface of still water it breaks that surface into a series of ripples which take the form of ever-widening concentric circles, as in fig. 115, where *A* is the point of generation. In such a manner do the lines of force spring into existence from a wire, only with far greater rapidity, and it is difficult in either

case to fix a limit to their extent if the medium (the water or the ether) is not limited.

Now, if these water ripples meet any obstruction, for instance, a post at the point *c*, they set up around it a series of circular ripples, feebler, perhaps, but precisely similar in character to themselves. It is difficult at present to say with certainty exactly what happens in the case of the electro-magnetic lines of force, but we can safely use the analogy for the purpose of demonstrating that the direction of the lines of force round the wire in which the current is induced is opposite to their direction round the inducing wire. For, suppose, as in the case of the lines of force, the original ripples round *A* to have what is called a positive direction—that is to say, that they circulate in a right-handed direction after the manner of the hands of a clock, as indicated by the arrows; then, since that direction would not be altered by



wires were then suddenly moved, retreating lines of force, just as the dying away of the primary current would therefore be the

These induced currents bear producing them. The E.M.F. induced is proportional to the number of lines of force cut at which they cut it. Now, the effect is increased by increasing the strength of the wire, or by adding to the length of the wire, however, more convenient to wind the wires in helices, when the effect will be the same as from two long straight wires.

The helices should be as close together as possible, the force very near the primary wire, and the secondary wire at all, and would, therefore,

In some cases when it is desired to have a strong current, the primary and secondary wires are of concentric helices, and an iron core is used to increase the number of lines of force which are cut by such means made the number of lines of force cut the only other thing to be done is

it stop suddenly ; time is taken for the lines of force to spring into existence and to die away, and under certain conditions this time may be considerable. To understand the principal cause of this sluggishness let us refer again to fig. 115 and further study the case of the water ripples. A little thought or experiment will make it evident that the secondary ripples round *c* will quickly reach the point *A*, and if the body which caused the disturbance is still there, will set up around it ripples in the opposite sense to the original ones. Now, suppose two wooden balls, *A* and *B*, were dropped into the water at the same moment close together and equidistant from *c*, they would set up ripples round *c*, each to the same extent and in the same sense ; in fact, the number round *c* would be doubled. But still stronger is the effect of *A* and *B* round each other, and (still assuming a positive direction just as we do for lines of force) the direction of the ripples so set up round each will be opposite to those which it generates. In the same way if a primary wire is looped into two convolutions, *A* and *B*, they will generate round an equidistant loop of the secondary just double the number of lines of force which one will ; but they also react upon each other, each setting up round the other, lines of force which would generate a current tending to stop the primary one, the result being that this primary current does not rise so rapidly to its full strength. This retardation increases as we increase the number of convolutions ; in fact, it varies directly as the square of the number of convolutions, because each one acts upon all the others and they in their turn act upon it. Therefore the retardation in a coil of 100 turns would be 100 times as great as in a coil of 10 turns.

In a precisely similar manner the reaction of adjacent convolutions prevents the instantaneous *stoppage* of a current ; for, at the moment of disconnecting the battery or other current-generator, lines of force collapse upon each convolution, and in so doing they cut the other convolutions and generate a direct induced current which will also vary as the square of the number of turns, and tend to prolong, or retard the disappearance of, the primary current.

The electro-motive force resulting from this collapsing of the lines of force may be, and usually is, much higher than that which maintains the original current. For, supposing the battery



used consists of ten Daniell cells, then if the poles are connected by a short piece of wire, no spark, or, at the most, a very feeble one, is observable when the circuit is closed or opened quickly. If this same battery is made to send a current through a coil of many turns of wire, although its resistance may be high and cause the current to be comparatively weak, yet, on breaking the circuit, a spark will be observed. This is due to the fact that the lines of force fall back so quickly upon their respective convolutions in the coil, that they cut the adjacent convolutions with sufficient rapidity to generate a momentary E.M.F. high enough to produce a current sufficiently strong to volatilise a portion of the metal, and to maintain the current across the vapour-filled space for a brief interval, even after the wires are moved asunder. This effect is even more striking if in a dark room contact is broken between a wire and a mercury surface, when a little of the mercury is volatilised; and, since the effect of iron placed in the vicinity is to increase the number of lines of force which are active, the spark can be increased enormously by placing a core inside the coil.

The term 'self-induction' has been given to this action, which prevents the instantaneous rise and fall of a current, and it will be evident, from what has been said, that, in the case of a simple straight wire, this phenomenon is almost imperceptible, and that, in order to make the self-induction of any circuit a maximum, the wire should be wound into as many convolutions as possible, and be provided with plenty of iron.

In some cases it is desired to design electro-magnets which shall be affected as little as possible by brief, sudden fluctuations of the magnetising current. It is manifest that in such a case the electro magnetic inertia—that is, the self-induction—must be made high by using a long and massive core and a great number of turns of wire; for, as we have seen, self-induction prevents a rapid rise or fall of the current, in just the same way as the 'inertia' of matter prevents any instantaneous change in its motion. If, on the other hand, an electro-magnet is required to be quick acting or to be very sensitive to any variation in the current, self-induction should be as low as possible, and, in order to obtain this, the coil should consist of as few turns of wire as possible, and the core

should be very short, or the turns of wire should be confined to one end or ends.

The measurement of the intensity of an electro-magnetic field, as already mentioned, a matter of great practical difficulty. However, as the movement of a wire in any magnetic field tends to set up a current in the wire, and as the field may be that of a permanent magnet, or even that of the earth, and since, also, the strength of any field is proportional to the number of its lines of force per unit area, while the current generated in a wire is also proportional to the number of lines of force cut by it, and to the rate of cutting, we may compare the strength of different fields by observing the current resulting from the cutting of them by a wire at equal speeds. It is advantageous to wind the wire into a small coil, and place it in the field with its plane perpendicular to the direction of the lines of force, and then suddenly turn it through a right angle, when its plane will be parallel to the lines of force, and none will be passing through the coil. The E.M.F. resulting will be proportional to the number of convolutions, the strength of field and the area of the coil (that is, to the number of lines of force passing through the coil), and to the speed with which the lines are removed. Special galvanometers are constructed to give the values of such sudden momentary currents, by comparing which the strengths of the various fields can be measured.

## CHAPTER VIII

## DYNAMO-ELECTRIC MACHINES (ALTERNATE CURRENT).

IN the preceding chapters we have dealt with some of the principal laws of electric currents, and the most striking phenomena connected with them. The student will not have failed to notice two important facts : (1) That when a wire through which a current is passing is placed in a certain position in any electro-magnetic field, it has impressed upon it a definite mechanical force tending to move it into another part or out of the field ; and (2) when a conductor is mechanically moved in a field transverse to the lines of force traversing that field, a certain electromotive force is determined, which sets up a current in the wire if its two ends are connected. Extensive use is made of both these effects in practice, and on a very large scale. Machines which are constructed to transform energy which exists in the form of electric currents into energy in the form of mechanical motion, and, conversely, machines which are able to transform energy in the form of mechanical motion into energy in the form of electric currents, can be included under the generic head of 'dynamo-electric machinery.'

We shall first consider machines of the latter class, which are commonly known by the shorter name of 'dynamos,' deferring consideration of the other class until an opportunity offers in dealing with such apparatus under the head of 'motors.'

In every machine for the conversion of energy, there is always a certain amount of loss attending the conversion ; in other words less energy appears in the new than existed in the original form. The more perfect the machine, the less does this loss become, so that a theoretically perfect machine would be one in which there is actually no loss at all. It is absolutely impossible to construct

ach a machine, but in every case the chief aim of the engineer should be to make the loss as small as possible, or to make the machine as 'efficient' as possible. The proper way of doing this is to start with the fact established in accordance with the doctrine of the 'conservation of energy,' that energy can never pass out of existence or be destroyed; that, therefore, the whole of the energy put into the machine reappears in some shape or form, although only a part appears in the exact state in which it is desired. Steps should then be taken to ascertain exactly what form the other part takes, and the designer of the machine should study how to reduce that same part, which may be called 'waste,' to a minimum. In all machines which have moving parts, a certain percentage of the energy takes the form of heat, due to friction at the bearings and at other surfaces which come into contact. Every dynamo has moving parts, and is therefore subject to loss from this cause, and the well-known methods of reducing friction by good workmanship and design, and by the judicious use of oil or other lubricant, are taken advantage of to minimise the loss. But there are many other causes besides mechanical friction which operate to reduce the efficiency of a dynamo; they are mainly due to electro-magnetic phenomena, and careful study is required in discovering how to eliminate or minimise them, although in some instances the loss may be readily localised, because, like friction, these phenomena convert a certain amount of the original energy of mechanical motion into heat. One of the principal features, then, by which a dynamo is judged is its efficiency, or by the ratio of the energy reappearing as electric currents to the total amount given mechanically to the machine.

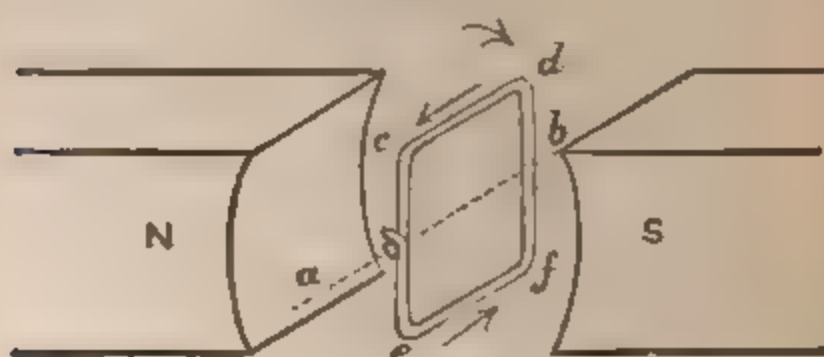
We will start with the consideration of the simplest type of dynamo electric machine, and, observing its weak points, endeavour to trace its development into a practical and highly efficient piece of apparatus.

Now, it is only during the time that the lines of force of a field are being cut by a conductor that an E.M.F. is induced in that conductor; therefore, in order to obtain a continuous current, or, better, rapid succession of currents, it is evident that either the conductor or the field must be kept continually in motion. Let us first study the case of a fixed field and a moving wire, assuming,



for the moment, that we have a strong and fairly uniform field produced by the opposite poles of two large permanent bar-magnets placed near to each other, or by any other convenient means. A uniform field has been already defined to be one in which the lines of force are straight, parallel, and equidistant. It is not easy to obtain a strong uniform field of any great extent, so that the most convenient way of continually cutting lines of force is to cause the conductor to move in a circular path, within the limits of a powerful field of comparatively small area. For instance, the wire is bent into a single rectangular coil, as shown in fig. 117.

FIG. 117



it may be placed in the field with its plane at right angles to the direction of the lines of force, so that as many as possible of the lines are made to pass through it. If, now, this coil is turned suddenly through an angle of  $90^\circ$  about the axis  $ab$ , its plane is parallel to the lines of force, and it is obvious that none of the lines now pass through the coil. In the act of turning, both the top and the bottom limbs,  $cd$  and  $ef$ , cut a certain number of lines, setting up thereby an electro-motive force in the wire; but these two horizontal limbs of the rectangle cut the lines in opposite sides, the direction of the resulting currents in them is opposite. In the lower limb,  $ef$ , the direction is from front to back, and in the upper one,  $cd$ , from back to front. Both currents therefore, pass round the coil in the same direction. The vertical limbs of the rectangle—that is,  $ce$  and  $df$ —simply slide, or move through the lines of force, and do not cut them; they, therefore, have no current induced in them, and, while adding to the resistance of the loop, are useless, except for the purpose of completing the electrical circuit. The student may now, with advantage,



read the paragraph in Chapter IV. which indicates how the direction of an induced current can in every case be predicted. In the present case the lines of force go from left to right, and the number cut by each limb, so far, is half the total number originally passing through the rectangle.

When the rectangle is turned through another  $90^\circ$ , so that the limb which was at first uppermost is now at the bottom, it has the maximum number of lines of force suddenly thrust through it again; another induced current is the result, and as, during the movement, both the horizontal limbs cut the lines from the same side as they did in the first movement—that is to say, one limb cuts downwards and the other still cuts upwards—the direction of the current is the same as that developed during the first half of a revolution. Further, as the number of lines of force cut is in each case the same, the induced E.M.F. is also the same, provided the rates of moving are equal.

If, therefore, the rectangle is rapidly turned at one sweep from its original position in fig. 117 through  $180^\circ$ , a current will be induced, in the direction shown by the arrows, during the whole of that movement. If the rotation is continued, on passing the  $180^\circ$  the horizontal limbs again begin to cut the lines of force, but they cut them from their opposite sides, or in the opposite direction to that during the first half revolution. The resulting current is therefore in the opposite direction to the previous one, but of precisely the same strength if the motion is uniform. A continuous rapid rotation of the rectangle then, will give rise to a series of currents alternating in direction, two distinct currents being generated during each complete revolution, the reversal taking place every time the rectangle passes the points at which its plane is at right angles to the lines of force.

Supposing both the field and the speed of rotation to be uniform, the question arises whether the E.M.F. is also uniform during, say, the whole time of a half revolution. As the induced E.M.F. is proportional to the rate at which the lines of force are cut it is only necessary, in order to decide this question, to ascertain whether the rate of cutting is, under the circumstances, also uniform. A little reflection will show that just when the rectangle has to move from its position in fig. 117 it is cutting hardly

THE UNIVERSITY OF CHICAGO PRESS



THE UNIVERSITY OF CHICAGO PRESS  
1207 EAST 58TH STREET  
CHICAGO, ILL. 60637  
U.S.A.  
LONDON: ROUTLEDGE Kegan Paul  
27, AVONDALE AVENUE  
PORTLAND, OREGON 97201  
U.S.A.  
MELBOURNE: MONASH UNIVERSITY PRESS  
246 CLYDE STREET  
CLYDE, VIC. 3206  
AUSTRALIA  
SINGAPORE: FRANKLIN & ARNOTT  
115 ROBINSON ROAD  
SINGAPORE 06  
MALAYSIA: FRANKLIN & ARNOTT  
115 ROBINSON ROAD  
SINGAPORE 06  
HONG KONG: FRANKLIN & ARNOTT  
115 ROBINSON ROAD  
HONG KONG

If the field is uniform, the coil cuts a much greater number of lines of force by moving through  $30^\circ$  when its plane is nearly parallel to the direction of the lines than it does by moving through an equal angle while it is nearly perpendicular to them. But as the speed of rotation is uniform, it takes precisely the same time to pass through these equal angles, therefore the rate of cutting, and consequently the E.M.F., must be much greater in the former than in the latter case. In fact, the rate at any moment is proportional to the *sine* of the angle through which the coil has then moved from the vertical position.

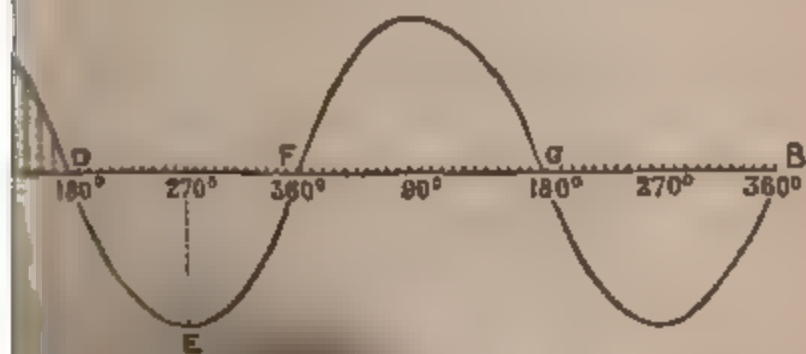
We have defined a magnetic field of unit strength to be one containing one C.G.S. line of force per square centimetre, and if a conductor one centimetre in length is moved transversely through this field at a velocity of one centimetre per second, it will cut one line of force per second, and thereby develop one C.G.S. unit of electromotive force. If either the strength of field, the velocity, or the length of wire be doubled, the resulting E.M.F. will be doubled, the number of lines cut per second being increased two-fold. If we simply know the number of lines of force cut per second, the E.M.F. can be calculated without any consideration as to the length of conductor or strength of field. If the field is not uniform, however, or if the wire moves at a varying speed, the rate of cutting, and therefore the E.M.F., will fluctuate. But the average of this fluctuating E.M.F. will be equal to the average rate of cutting, that is to say, it can be found by dividing the whole number of lines cut by a conductor, by the time in seconds occupied in the cutting. If, therefore, the rectangle in fig. 117 makes one revolution per second, and the maximum number of lines of force embraced by it in the zero position is denoted by  $N$ , then each limb will cut  $2N$  lines per second, because it cuts the whole number  $N$  during the downward sweep, and again during the upward movement. Consequently each limb develops an average E.M.F. of  $2N$  C.G.S. units, and as both limbs are connected in series the total E.M.F. becomes  $4N$  units. Further, if the rectangle makes  $n$  revolutions per second instead of only one, then  $n$  times as many lines will be cut per second, and the average E.M.F. will be  $4Nn$  units. But since the C.G.S. unit of electromotive force is so very small, a much greater practical unit, called the



minator, as will be the case if it forms the radius of equal circles, as  $FX$  and  $AX$ , and let it be equal to the sine is simply measured by the numerator  $ER$  or the length of the perpendicular. When the angle is small, the perpendicular, and therefore the value of the sine, becomes very small; in the case of the imaginary perpendicular disappears, the sine of  $0^\circ$  being 0. When the angle is  $90^\circ$  the perpendicular coincides with and is equal to the radius. The sine of  $90^\circ$  is therefore 1, and this is the maximum value of the sine. It decreases as the angle increases, until, at  $180^\circ$ , its value is again 0. From here it becomes negative, the sine of  $270^\circ$  being  $-1$ . By referring to the table on p. 98 the value of the sine of any angle can be found, and we can, therefore, calculate the relative E.M.F. at any position of the rectangle, and also show how the E.M.F. should rise and fall in a perfectly

The portion  $AF$  of the horizontal line  $AB$  represents the angle turned out, each of the four equal parts into which it

FIG. 110



being equivalent to  $90^\circ$ , that is, a quarter of a circle. This line  $AF$  might be subdivided into four equal parts to represent  $360^\circ$  degrees, and any point on it might be taken to represent the position of the rectangle through a given angle from zero. Now we know that the E.M.F. is proportional to the length which is then turned from zero; we take a rectangle of constant length, and we make it rotate in a circle proportional in length to



the sine of the angle which that particular point represents. Letting the sine of the angle in which the sines are reckoned as unity, the perpendiculars should be drawn below the line, showing the reverse direction of the E.M.F. and current. For instance, at  $0^\circ$  the sine will have the greatest value, viz. unity, while at  $45^\circ$  the perpendicular will be only 0.707 of that at  $0^\circ$ , because the sine of  $45^\circ$  is 0.707; at  $270^\circ$  the sine is  $-1$ , and therefore the perpendicular equal in length to unity is drawn below the line.

By joining the extremities of these perpendiculars we obtain a curve known as a sine curve, which at a glance indicates the manner in which the E.M.F. rises and falls during one complete revolution of a simple coil; and the whole of the curve from A to B shows the fluctuation of the E.M.F. during two revolutions.

If in fig. 119, EX is taken as unity, it may represent the height of C or E, the highest points on the sine curve, and then EG will be the length of the perpendicular representing the electro-motive force at  $60^\circ$ , for EG is the sine of the angle EXG, which is the angle ( $60^\circ$ ) through which the coil has turned from the vertical position. Similarly, A<sub>1</sub>C (fig. 118) will represent the E.M.F. developed when the coil has turned through  $30^\circ$ , for A<sub>1</sub>C is the sine of that angle.

The curve (fig. 120) shows that the E.M.F. at  $90^\circ$  is equal to that at  $270^\circ$ , but that it is positive in the one case and negative in the other.

Referring again to figs. 118 and 119, we observe that the 'effective area' of the coil, with respect to the lines of force which it embraces in the position A<sub>1</sub>B<sub>1</sub>, is proportional to A<sub>1</sub>L, and in the position EF to EK—that is, A<sub>1</sub>L and EK are proportional to the number of lines of force passing through the coil in the two positions. Now,  $\frac{A_1 L}{A_1 B_1}$  is the cosine of the angle through which the coil has already rotated, for the angles A<sub>1</sub>XA and PA<sub>1</sub>X are equal, or it is the sine of the angle which the coil makes with the direction of the lines of force; as is also  $\frac{EK}{EF}$ . Taking, for simplicity, the equal lengths A<sub>1</sub>B<sub>1</sub> and EF as unity, we see that the number of lines of force passing through the coil in any position

in a uniform field is proportional to the cosine of the angle through which it has been turned from its position at right angles to those lines, and also to the sine of the angle which it makes with the lines of force.

These variable alternating currents, depicted in fig 120, being thus developed by the rotation of the wire rectangle, some device is required to enable us to lead them away to an external circuit and there make use of them. The rectangle might, for this purpose, be mounted on a wooden spindle (fig. 121), and its ends

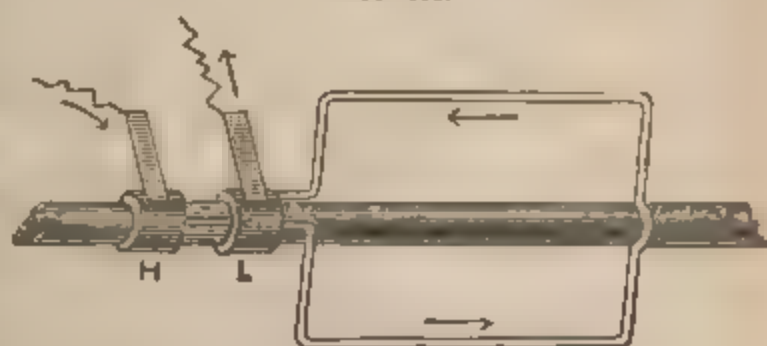
connected to two flat metal rings, *u* & *l*, fixed a little distance apart on the spindle, contact being then made by means of a flat spring, or a wire brush, pressing against each of

the rings. By attaching wires to these contact brushes the currents can be conducted away to any desired point.

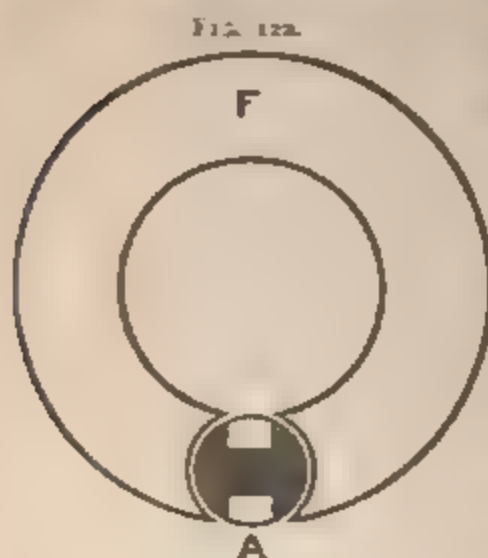
It remains now to show to what extent, in practice, we can comply with the conditions which theory teaches us will tend to make the E.M.F. high.

For a small machine, permanent magnets may be used to supply the field, and for this purpose a horse shoe magnet is found to be very convenient, but it should be bored out or fitted with soft iron cheeks, of such a shape that there is just sufficient room for the wire coil to rotate between them. The steel should be strongly magnetised, and, if of considerable size, it should be laminated, or built up, of a number of thin magnets with their like poles adjacent. A circular magnet (fig 122), divided at one part of the circle, and with just sufficient space bored out for the coil to rotate, is better than one of the ordinary horse-shoe pattern, although not so easy to make. Having obtained the magnetic field, the next thing is to get as many as possible of the lines of force to pass through the coil of wire. Iron here comes to our assistance once more, for, by winding the rectangle round a core

FIG 121.



of pure soft iron, we concentrate those lines which would otherwise stray, and the number passing through the wire is greatly increased. It is almost superfluous to add that the actual area of the rectangle should be as great as possible, provided that it is kept within the limits of the field, and since, as we have seen, the induced E.M.F. is proportional to the number of active conductors joined in series, the wire may be wound into a coil consisting of a number of turns



instead of only one. Now, a coil in which currents are induced by its movement within a magnetic field is generally called an 'armature.' The core of one of the earliest forms of armature is shown in section at A, between the poles of the circular magnet F, in fig. 122, and although, when criticised in the light of our present knowledge, the design proves to be very faulty, it will serve very well to illustrate the principle. A view of this armature

is also shown in fig. 123. It consists of a considerable length of silk- or cotton-covered copper wire, wound in the grooves of a shuttle-shaped piece of soft iron, A B, which is usually about twice as long as its greatest width. It is provided at one end with a driving pulley, *p*, and at the other end by a device for communi-



cating the current to the external circuit. Good effects can be obtained by rotating such an armature in a strong field. The speed of rotation must be high, but this can readily be obtained by any mechanical multiplying device, such as a pulley of large diameter driving a smaller one on the armature spindle. Although the E.M.F. increases with the number of turns of wire on the armature, it is found that this increase is not by any means proportional,

*[The page contains several lines of extremely faint, illegible text.]*

This image is a high-contrast, black-and-white scan of a document page. It features a dense, repeating pattern of horizontal lines, which appear to be the result of a scanning artifact or a heavily textured surface. The lines are slightly irregular and vary in thickness, creating a rhythmic, almost abstract visual effect. The overall appearance is that of a corrupted or heavily degraded scan of a text-heavy document.

In the case in question, the best method is to 'lamine' the armature, or to build it up with a number of small discs cut to the required shape and bolted together, instead of using a solid piece of iron. The iron must be continuous in the direction in which the lines of force have to pass through it, otherwise the efficacy of its action in concentrating these lines would be seriously impaired, while it must be discontinuous in the direction in which the eddy currents tend to flow, viz. at right angles to the lines of force. To meet these requirements the discs threaded on the spindle must be well insulated one from another, although, on account of the low E.M.F., a sheet of thin paper or a layer of varnish is, as a rule, sufficient. It is hardly necessary to adopt this precaution in the kind of machine we have been considering, which is very small, and only made to be driven by hand power, but it becomes absolutely necessary, as well as economical, in the larger machines driven by steam power. At first sight it would appear, remembering that the E.M.F. developed in the armature coil varies as the rate at which the lines of force are cut, that the E.M.F. of a magneto-electric machine should be simply proportional to the speed of rotation, the strength of the field being invariable. But there are several causes which tend to prevent the increase of the E.M.F. developed by the augmentation of speed attaining this proportion, the principal being the eddy currents produced in the core, the electro-magnetic reaction of the current in the armature upon the field produced by the field magnets, and the self induction of the armature. It is important to notice that when a current is flowing round the armature coil the whole armature is in reality an electro-magnet, and it acts as such upon the poles of the permanent horse-shoe magnet which supplies the field, this reaction, as in every similar case, tending to stop the motion of the armature. If, however, the armature is forcibly rotated against this tendency, the result is that the magnetic field is distorted and dragged somewhat out of its true position, and, as the current in the armature rapidly alternates from zero to a maximum, this dragging effect will also vary considerably, with the result that the field will be kept in a state of oscillation and its uniformity destroyed. The maximum current in the armature becomes higher as the speed is increased, and the distortion of the field is then greater, the result



a tendency to prevent the E.M.F. rising in proportion to the

Furthermore, as the iron core has a greater number of lines of force passing through it when the current increases, its permeability may also become appreciably lower.

Besides the waste due to eddy currents, which increases very rapidly with the speed, the effect of the self induction of the armature also becomes strongly marked, this latter not only preventing a high E.M.F. being attained, but, in addition, retarding the rise and fall of the current. In fact, were we able to plot a curve showing the rise and fall of a current in this shuttle armature, we should find it somewhat similar to that given in fig. 120, but with an important difference that it would be shifted more or less to the right, its maxima and minima being less in value and occurring later than would be the case if the armature had little or no self-induction. Owing to the fact that it is not possible to construct a practical armature with as little self-induction as the simple rectangular, or to make its active limbs cut the lines of force of a uniform field in such a regular manner as is done by our experimental rectangle, we do not in practice obtain a perfect sine curve for the curve of potentials of any armature, but only an approximation thereto.

We shall presently be better able to consider the reaction on the field in connection with a different type of armature, but we must here remark that it is one of the most important points to be borne in mind in deciding how a more powerful and efficient machine can be obtained. Now, the electro-motive force may be varied in several ways.

1. By increasing the speed of rotation.

2. By increasing the number of turns of wire in the armature, or by increasing the number of active limbs joined in series, which increases the number of lines of force. This method, as already pointed out, adds to the resistance, but also to the self induction of the armature.

3. By increasing the area of the armature coils, or by making the iron core more massive, for in either case the number of lines of force passing through the coil is, within certain limits, increased, thus increasing the strength of the field.

The last method is the most objectionable, and it



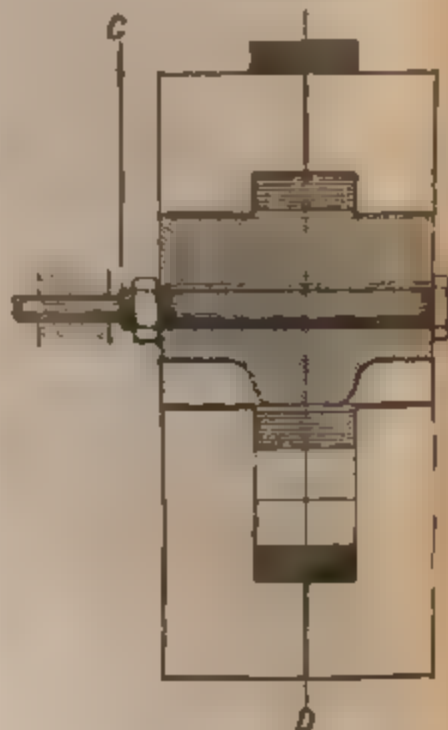
of it, however, the keeper completes the various magnetic circuits in such a manner that most of the lines of force extend round both coils. These two alternate conditions succeed one another rapidly as the keeper continuously revolves. As the lines of force are rapidly carried backward and forward past the armature coil, they generate therein the desired currents, but they also give rise to eddy currents in the masses of iron through which

FIG. 138.



Section through C D.

FIG. 139.



Section through A B.

they are projected. The direction in which these eddy currents would be set up is parallel to the currents in the armature coil, and therefore the masses of iron should be laminated so as to give a discontinuity in this direction, while continuity is retained in the path of the lines of force. Consequently the iron is built up of a number of thin U-shaped sheets, insulated and bolted together.

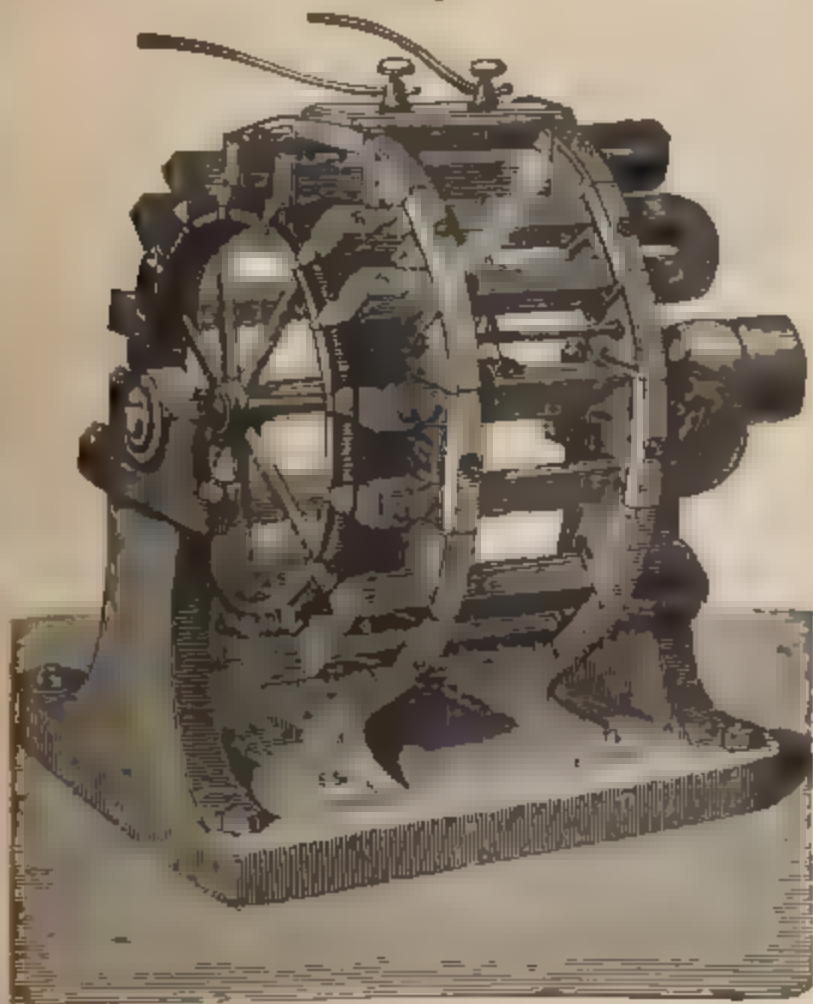
Machines in which steel magnets are employed for producing the field are often called magneto electric generators, and are sometimes regarded as a class altogether distinct from machines in which the field is developed by one or more electro-magnets, but such a distinction is altogether arbitrary.

The best and most useful form of so-called magneto dynamos

of De Meritens, which is extensively employed for lighthouse uses. A general view of a simple form of this machine is in fig. 130.

The armature consists of a series of sixteen coils fixed round periphery of a wheel of brass or other non-magnetic material.

FIG. 130.

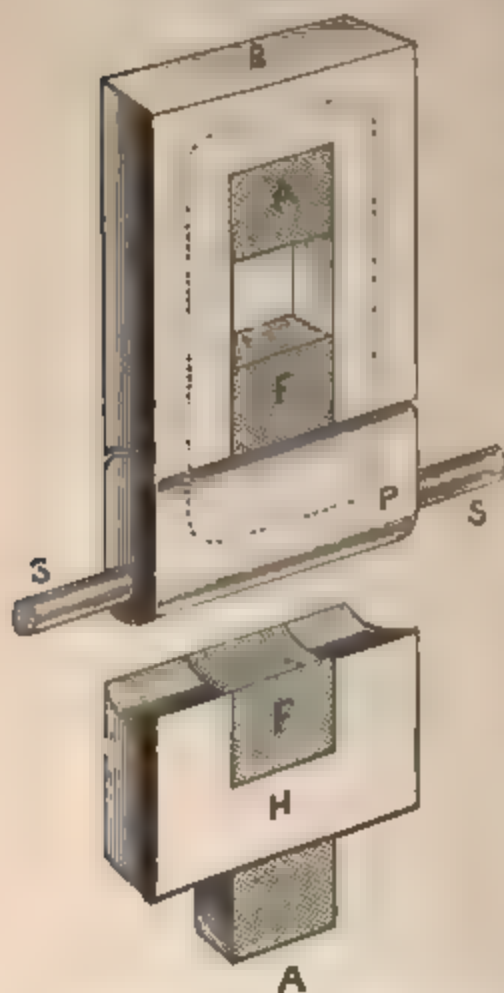


method of constructing and fixing the coils is shown in fig. 131, one coil and a portion of the rim of the wheel being in section. A flat core of soft iron (composed in the more recently made machines of eighty pieces of soft sheet iron one millimetre thick and stamped out to shape) is provided with rather large pieces, and has wound over it about  $1\frac{1}{2}$  pounds of copper wire. Each coil is distinct from the others, the cores of two adjacent coils being magnetically insulated (at x v, fig. 132) by a strip of copper. The wheel or frame to which the coils

causes many of the lines of force at one moment to embrace the armature and field coils, and at the next moment to embrace the field coil only; and as, during their movement from one position to the other, they cut the armature coil, alternating currents are induced in that coil.

The principle may be more easily grasped by a consideration of the arrangement illustrated in fig. 127, in which *FF* shows

FIG. 127.



coil in section at two opposite extremities of the armature, and *AA* show section through two similar points of the armature. *B* is a mass of iron which embraces both the armature and field coils, while *H* is a mass of iron of equal in cross-section to the armature, which embraces the field coil only, the armature being placed outside. *P* is a keeper carried by the shaft *S*, which can be rotated about the shaft being at the center of the two circular coils, *F*. If a powerful current is sent through the field coils, a large number of lines of force will be developed, and their arrangement will largely depend upon the relative positions of the pieces, *H* and *B*, but especially upon the position of the keeper *P* with respect to the armature.

When *P* is situated as shown in the figure it forms an almost complete magnetic circuit of low permeability embracing the field coils *A* and *F*, and nearly the whole of the lines generated by the field coil in the vicinity will embrace the armature. In moving the armature into this position (shown by the dotted line), the lines of force cut the armature coil transversely from the inner side, and give rise to an induced current, depending in E.M.F. upon the number of lines of force cut, and the rapidity with which their position is changed. When the armature is moved to the other position, the lines of force cut the armature coil transversely from the outer side, and give rise to an induced current of opposite polarity.



oved away there is a considerable air gap, offering a high magnetic resistance at the ends of the limbs of B, and consequently of the lines of force collapse upon the coil F, cutting the flux from the outside and generating an E.M.F. in the opposite direction. Not only is the magnetic resistance of the path round the coils made greater, but as P rotates it reaches a position where it acts as a keeper to the iron piece H, which embraces the field coil, so that an almost complete magnetic circuit is then formed round the field coil, and nearly the whole of the lines of force pass through H and P and very few extend round A. Therefore, if the keeper P is rapidly rotated the armature coil will be cut by a number of lines of force as they take up new positions, first outside and then inside it. It is evident, however, that it would not be possible to make all the lines of force developed by the field take either the one path or the other, many of those surrounding the coil at a distance from the iron being but little affected by movement of the keeper, but in designing an actual machine would be taken to so dispose the iron that most of the lines of force would be influenced.

In Mr. Mordey's machine there are four iron pieces similar to H embracing both armature and field coils, placed  $90^\circ$  from each other as shown in fig. 128. Between these are placed four shorter pieces similar to H, outside the field but inside the armature wire. The lower half of fig. 128 is shown in section; fig. 129 is also in section, the upper half from A to the centre of the shaft, and the lower half from the centre of the shaft to B, so as to obtain a section through a short and a long iron limb. The mass of cast-iron which plays the part of a keeper may be described as a cross having four deep sector-shaped notches cut at each end. Viewed end-on, a section near one extremity would be in the shape of a cross, while a section through the middle would be circular. In the figures each arm of the cross is shown as forming a keeper to one of the smaller iron pieces embracing the inner or outer coil only, and consequently few of the lines developed by the field coil extend round the armature coil. In the lower part of fig. 129 the deep notches are opposite the iron pieces which embrace both coils, forming a great break in the magnetic circuit, this is also shown in fig. 128. On rotating through an angle

current in the external circuit. The whole of the coils in fig. 130 being joined together in series, the total E.M.F. developed is sixteen times that developed in one of the coils. In the more recent form of this machine there are five armature rings, each with its sixteen coils and eight compound magnets. The latter are, for very apparent mechanical reasons, fixed radially instead of longitudinally, and they have a total weight of about one ton. The eighty coils are divided into two circuits which are brought to four collecting rings mounted in pairs on an insulating bush fixed on the principal shaft of the machine and, therefore, revolving with it. This type is almost exclusively employed for lighthouse purposes, and its E.M.F. varies almost directly with the speed of rotation. It is unusually strong in design, the parts being also fixed together in such a manner as to permit of their being, when defective or injured, very easily removed for renewal or repair.

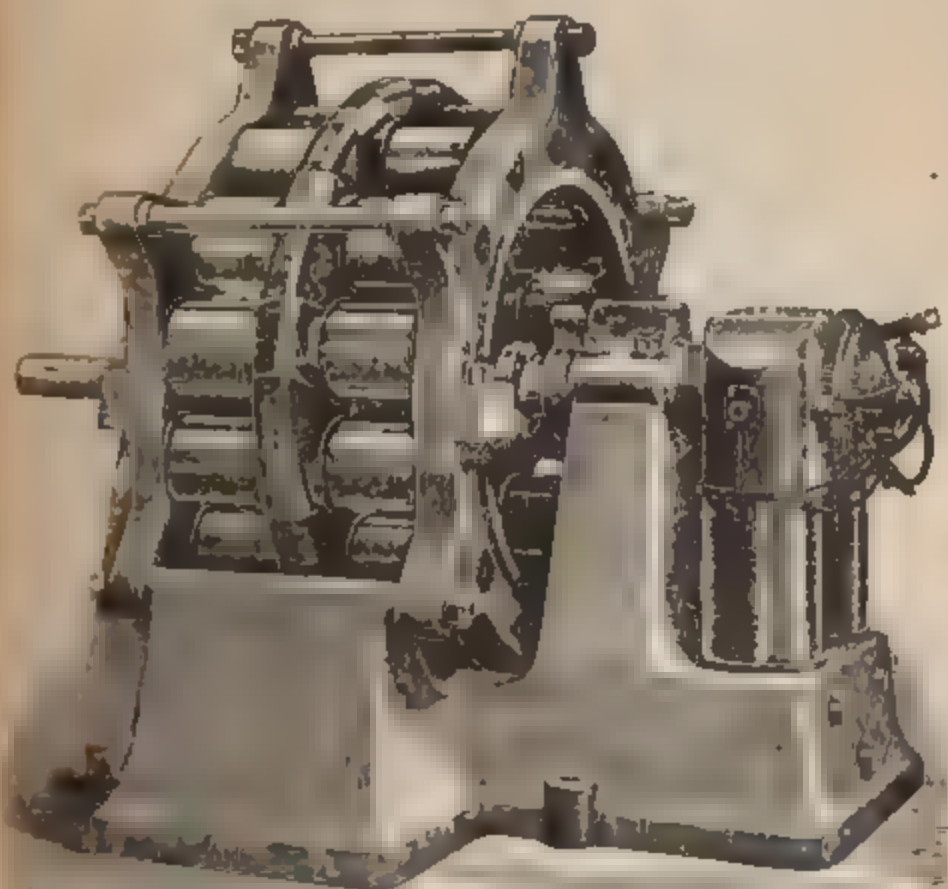
It has been pointed out that the best means available for increasing the E.M.F. and therefore, also, the strength of the current yielded by a machine, is to increase the strength of the field. Now there is a limit, which is soon reached, to the field obtainable with permanent steel magnets even if built up of thin sections, because the maximum number of lines of force which can be urged through steel is comparatively low, and even then only a portion of this number can be permanently retained, whereas with good soft iron a far greater number can be forced through. If the lines of force are produced by a current circulating in a coil of wire enveloping the iron, the question of retentivity does not arise. Consequently, to develop a given amount of power, a machine in which the field is produced by electro-magnets is considerably smaller than one in which steel magnets are employed.

Primary batteries might be, and in fact were at one time, used to furnish the current for the purpose of exciting the field-magnets, but it is far more economical and advantageous to obtain this current by means of a small dynamo. This auxiliary machine, which we will for the present refer to as the exciter, must be able to excite itself and to yield a current continuous in direction. Descriptions of many such dynamos will be found in the following chapters.

We can scarcely do better, in commencing a study of the

modern forms of alternating machines, than describe one which would appear to follow as a natural evolution of the De Meritens. Such a machine, excellent alike in its mechanical and its electrical details, is the one designed by Mr. Gisbert Kapp, and illustrated in fig. 134, which also shows the small exciter mounted on an extension of the main bed-plate, its armature being also fixed on

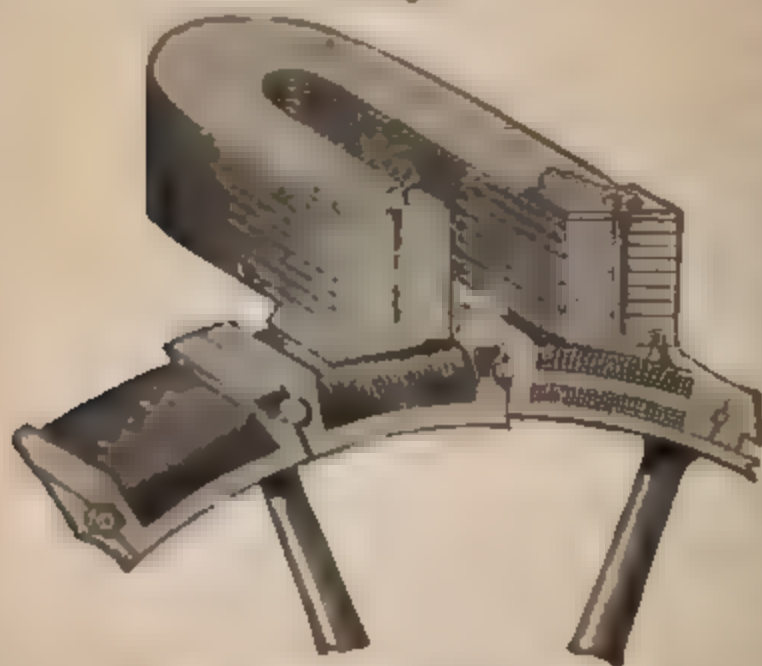
FIG. 134.



the main shaft. The field is produced by two crowns of short cylindrical electro-magnets, the cores of which are of wrought iron 4 inches in diameter, fixed at one end into cast-iron yoke rings, and provided at their inner ends with rectangular pole-faces, between which the armature revolves. There are twenty-eight of these magnets, fourteen in each crown. Each magnet is wound with 186 turns of thick insulated copper wire, the whole of the

are attached is furnished with a number of small coils. The ends of the pole pieces of the cores are polished smooth and, being provided with semi-cylindrical projections of equal dimensions, the whole are firmly fastened together. It is important to notice that the extensions of the cores leave an air space between the poles of the permanent magnets.

FIG. 134.



cores are  
and the  
duce the  
tion of  
possible  
of lines  
through  
consequ  
generat  
maxim  
E.M.F.

The  
duced  
of eight  
steel re  
horizon

the armature ring, by means of a brass framework. The surfaces of the magnets are provided with small steel pieces, so that the coils in revolving pass as close to the magnets as possible. The magnets are disposed around the ring, the coils passing, therefore, north and south alternately.

The distance between the limbs of each magnet is equal to the distance between the opposite poles of the adjacent magnets, so that the length of the air gap is the same throughout the whole of the machine. The armature is mounted on a shaft supported by two bearings. The entire assembly is housed within a frame.



bolting the yoke-rings to it and to each other is clearly shown in the illustration.

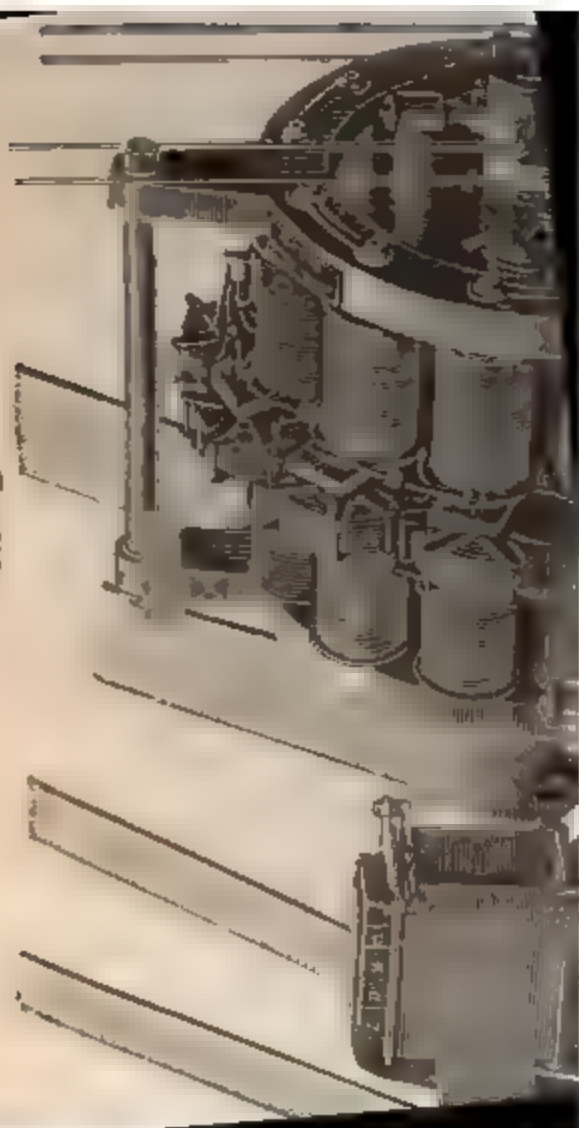
When all the coils are joined in series, the total E.M.F. at the collecting brushes is equal to that developed by one coil multiplied by the number of coils, but occasionally, in such machines, a lower E.M.F. with a heavier current is desired, and then the coils are joined in parallel, either in two sets, or as may be required. An equal E.M.F. might, of course, be obtained with fewer coils and pole-pieces, provided the number of lines cut in the same time and the number of convolutions in series is made the same; but the great advantage accruing to the use of a large number of pole-pieces and coils is that a rapidly alternating current can be obtained without rotating the armature at an enormous speed, and so introducing mechanical difficulties.

It ought perhaps to be explained here that the current, or rather currents, resulting from one complete rotation of a coil in a simple field, which may be represented by the curve *ACEF* in fig. 120, is called an 'alternation,' and any similar pair of currents developed by any armature with any field is also called an alternation. In estimating the rapidity with which a current is reversed, it is better to speak of the number of such alternations which take place in a second, rather than the number of reversals. The majority of the machines at present in use work at from 80 to 100 alternations per second, and to obtain the latter number a single coil in a single field would have to be driven at 6,000 revolutions a minute. But although a rapidly alternating current can be easily obtained with a large number of pole pieces, a disadvantage results from the fact that these pole-pieces alternate in polarity all round each crown. Each pole-piece is flanked on either side by others of opposite polarity, and a very large percentage of the lines of force leak across between adjacent limbs, instead of passing through the armature core, and are wasted, since they cannot be cut by the conductor. This defect also exists in the two machines next to be described, where the armature contains no iron.

The form of alternating current dynamo constructed by Siemens is illustrated, together with its exciter, which is driven, independently, from the main shaft, in fig. 135. The field magnets present an appearance similar to that of those in the Kapp machine, consist-

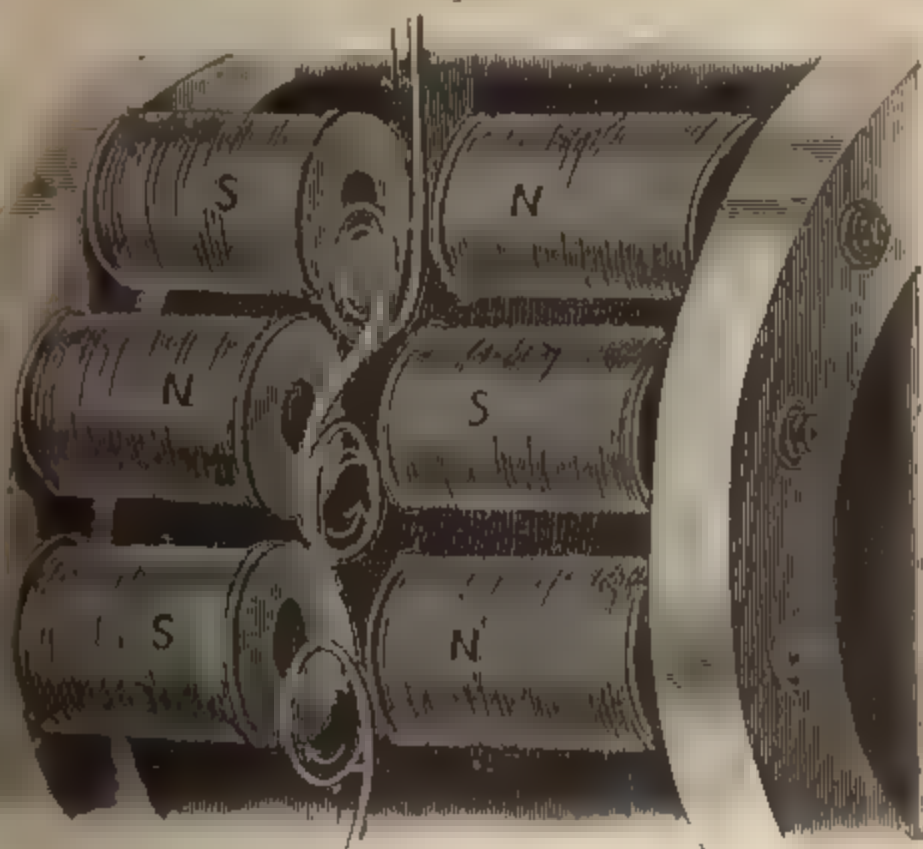


FIG. 125



clarity. The arrangement is clearly indicated in fig. 136, which shows three pairs of magnets and three ideal armature coils, and it will be evident that, with this disposition, the lines of force pass from pole to pole, straight across the armature space. The plane of the armature coils is coincident with the plane of rotation, so that the coils, in rotating, cut through a series of powerful fields with the lines of force alternating in direction. As through any adjacent pair of coils the direction of the lines of force is opposite, it is

FIG. 136.



necessary, in order to prevent the current induced in one coil neutralizing that induced in the other, either to make the connections as in the case of the De Meritens (fig. 133), or to wind the bobbins as right and left handed helices alternately, after the manner shown in fig. 136. The number of armature coils being the same as the number of fields, it follows that all these coils are, at any particular moment, equally active. Referring to fig. 136, in which the direction of rotation is left handed, it will be seen that the coils are just leaving the pole pieces, and currents are being gene-

rated in the directions indicated by the small arrows. The *E.M.F.* increases until the coils arrive at positions midway between the pole pieces, where it is a maximum, because at that moment the forward half of each coil is cutting lines of force in one direction and the rear half in the other direction. And the induced currents, flowing outwards in one half and inwards in the other, coincide in direction round the coil. Every line of force then cut by the coil is being usefully employed. When this middle position is passed, the number of lines cut by the front half increases, while the number cut by the rear half decreases, and this continues until both halves of the coil are cutting lines of force which are all in one direction. Consequently, an opposing *F.M.F.* is induced in the rear half, the value of which increases until the coil is exactly opposite the pole pieces, when both halves will be cutting an equal number of lines of force, which are all in the same direction; whence equal and opposite *E.M.F.*'s will be induced in the two halves of the coil, thus neutralising each other. At this point, then, the reversal in the direction of the current takes place, for, on passing forward, the front half of each coil is cutting less, instead of more, lines of force than the rear half. The number of alternations in each revolution corresponds, therefore, with the number of coils, or, what is the same thing, with the number of fields.

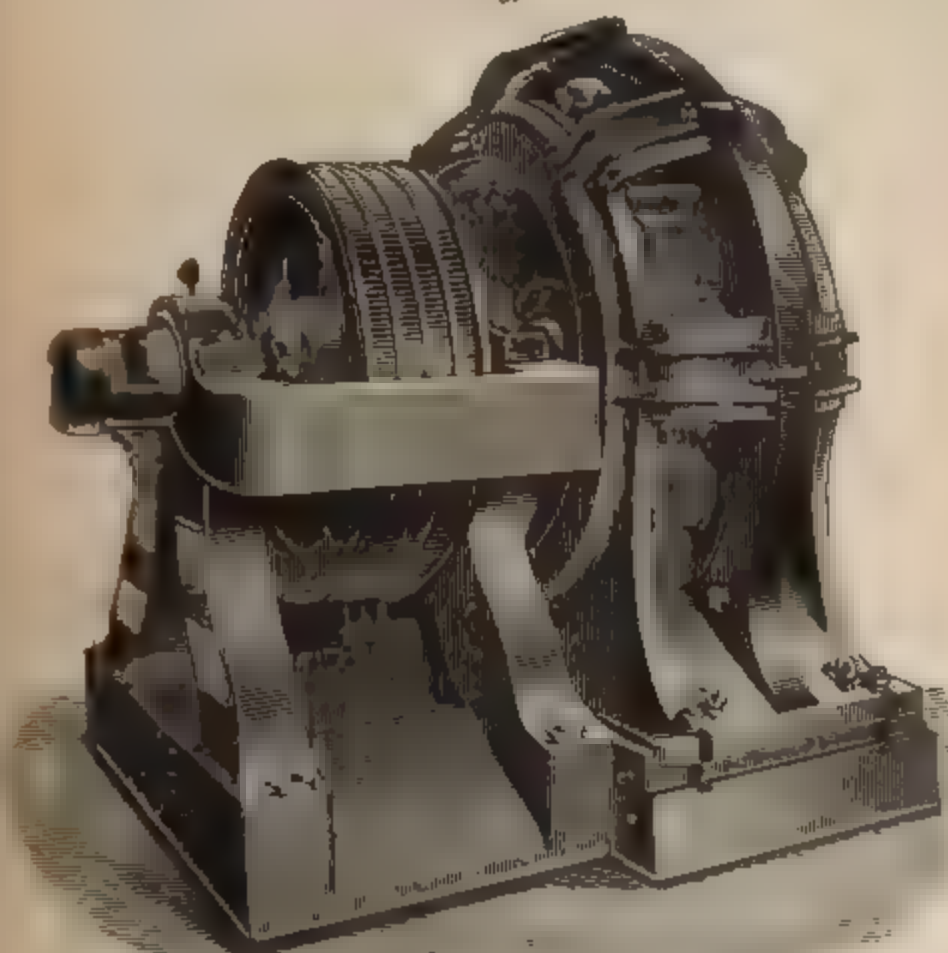
In practice, the machine is built up on a cast-iron bed-plate, to which are securely fixed two circular frames, united and held in position by a stout iron stay. An equal and even number of electro-magnets is fixed to each frame, the cores being turned down so as to fit into holes drilled through the frames. These ends are likewise tapped, and, nuts being screwed on on the outside, the electro-magnets are fixed firmly in position. The inner ends of the cores are furnished with radial pole-pieces, to concentrate the fields and increase the number of lines of force passing through the rotating armature coils.

The armature is fitted up by attaching the coils, which are wound over wooden cores, round the circumference of a disc or wheel which is mounted on the shaft. The coils, instead of being circular, like those in fig. 136, are pear shaped.

A general view of the latest form of machine designed by Mr.

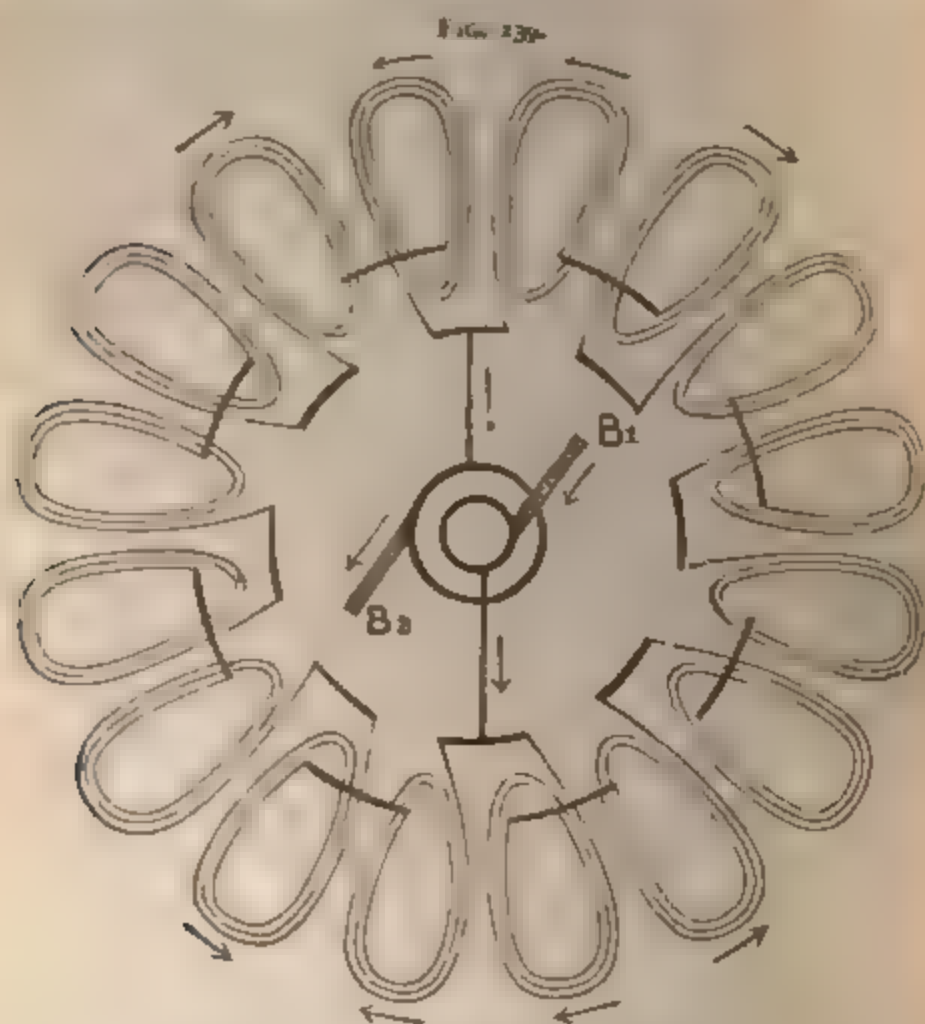
S. Z. de Ferranti, is given in fig. 137, the particular one illustrated being constructed to develop 150 electrical horse power. The field-magnets are similar in principle to those in the Siemens Alternator, and consist of two sets of electro-magnets, attached to massive iron rings forming the yokes, the magnetisation of the pole-pieces round each ring being alternately north and south, and the facing pole-pieces also of opposite polarity, so as to develop a series of very power-

FIG. 137



ful fields, alternating in direction. The framework carrying each crown, or ring, of field-magnets is divided vertically into two halves, which, on being unbolted, can be slid out of position in a direction at right angles to the shaft, and so afford access to the interior for cleaning or repair. It may be mentioned that in larger machines at Deptford a small steam engine is specially provided for the purpose of withdrawing the field magnets when necessary.

them will be instructive. The mean diameter of the armature is 7 feet, and it comprises 40 coils, joined up in two sets of 20. The copper ribbon is 12.5 millimetres wide, and 0.75 millimetre in thickness, twenty-five turns being wound over a core of brass (insulated with asbestos) to form each coil, the convolutions being insulated by means of a continuous strip of fibre, 0.5 millimetre thick, wound on with the copper. The inner end of each coil is



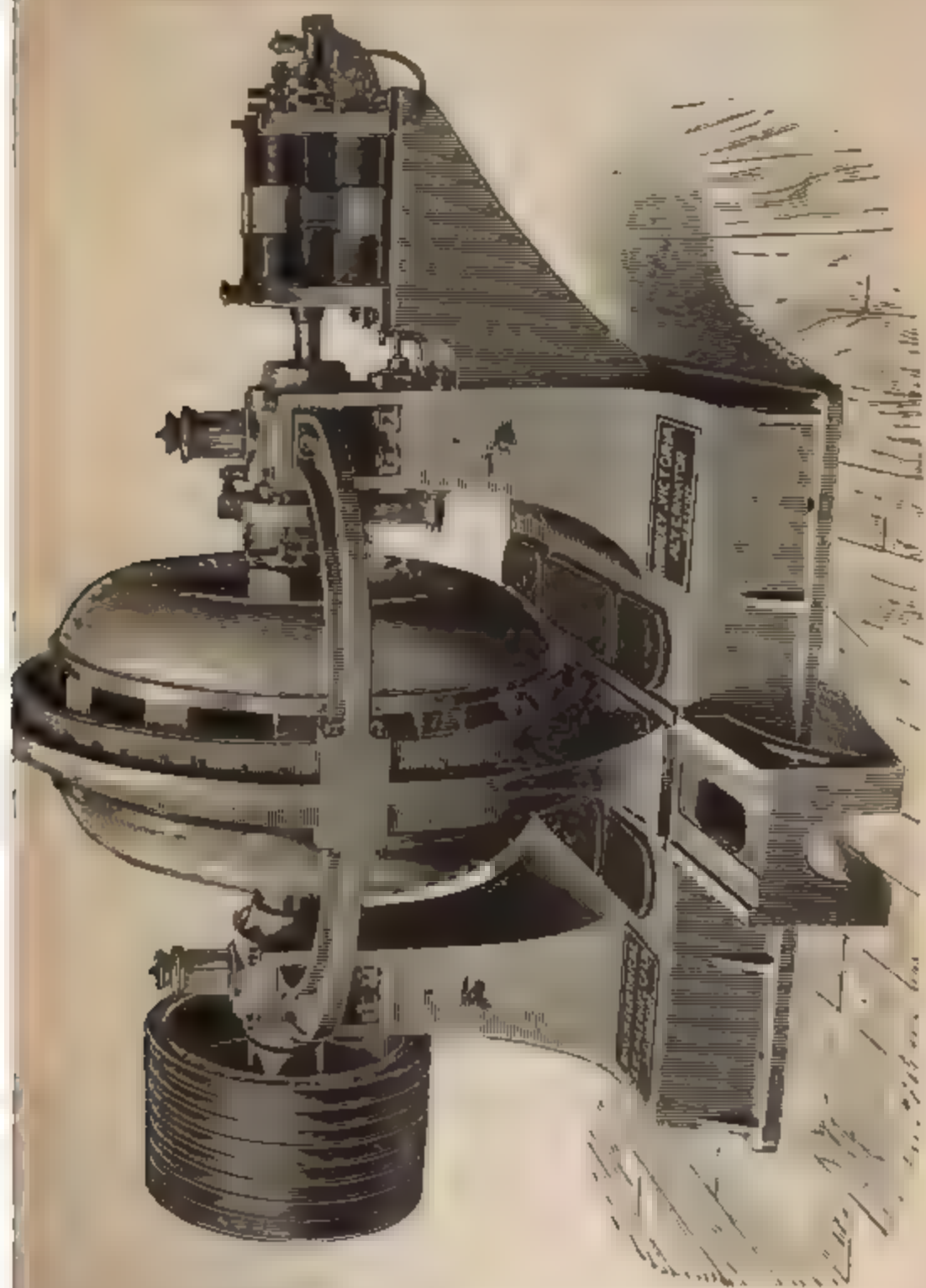
connected to the brass core, these cores being also electrically connected together in pairs, as indicated in fig. 139. In a somewhat similar manner the outer ends of the coils are connected together in pairs through the supporting framework.

The peripheral velocity of the armature is 6,050 feet per minute, and, manifestly, special attention has to be paid to the method of fixing the coils to prevent their flying out.

The external potential difference developed is 2,400 volts, but



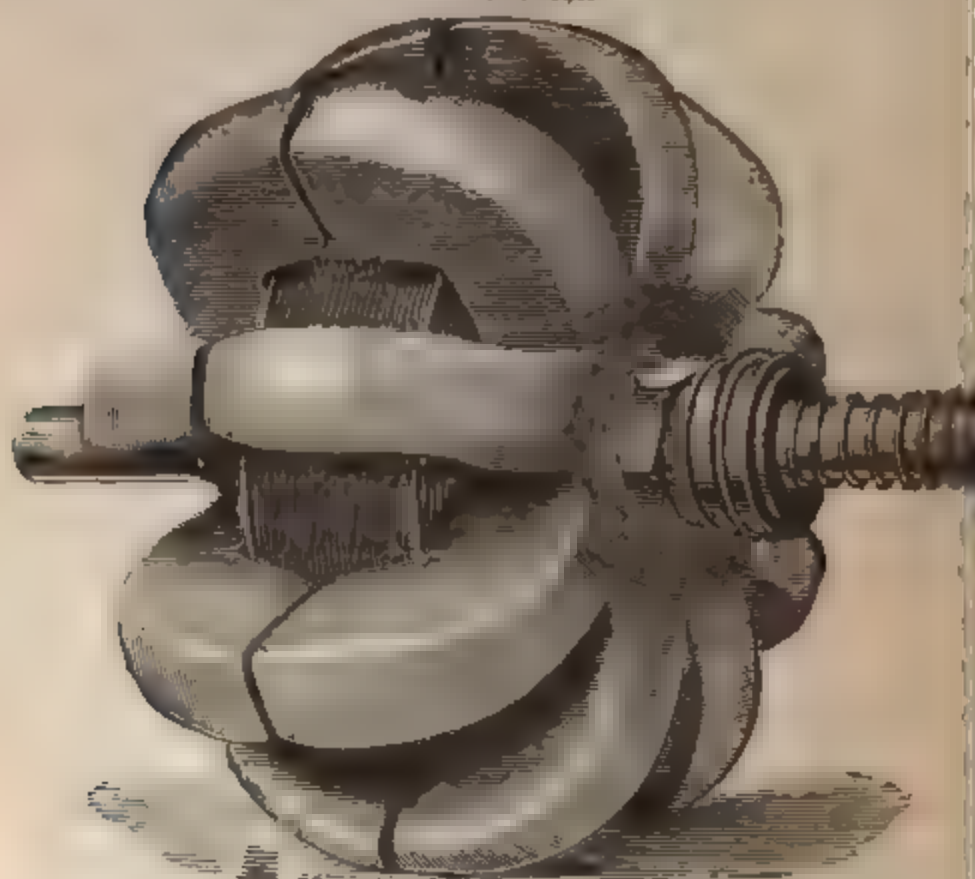
the adoption of the device shown in fig. 139 the maximum potential difference between the wires on neighbouring coils is re-



duced to 120 volts. The resistance of the armature from brush to brush is 0.176 ohm.

dispensed with, and the exciting coil, as well as the armature, might be made stationary. The core and its pole pieces then be the only portions revolving, and the electrical effect would be the same, but serious mechanical difficulties would attend fixing the coil. Hence, it is far preferable to attach it to a rotating cylinder. The simplicity of this form of field magnet is one of its great features, as a single exciting coil suffices for a machine of any size, speed, or number of alternations. The rotating field-magnet acts very efficiently as a fly-wheel

FIG. 142.



ensures safety and steadiness of running, effectually neutralizing, within certain wide limits, any pulsations due to irregularity of stroke of the engine. Further, as the parts revolving at the high velocity are simply solid masses of iron of the strongest description, the electrical and mechanical considerations which render low speed advisable do not apply here. The insulation of the armature coils is also simplified, and being stationary need only to be supported with a view to resisting the drag

The machine illustrated in fig. 140 is the latest pattern of the Mordey Alternator. In the earlier machines, copper dishes were attached outside the cast-iron claws of the field magnets, for the purpose of reducing the amount of air churning which would otherwise occasion loss of energy. The claws, in fig. 142, are shown without these dishes; in the newer form of the machine they are dispensed with, the claws being simply webbed together in the casting, when they present the appearance shown in fig. 140.

The field-magnet is excited by the current from a small Victoria direct-current dynamo, which is mounted on a bracket projecting from the main bed-plate, its shaft being coupled direct to the alternator shaft, so that the two machines are driven together.

A long thrust bearing is employed to prevent end play, and the space between the pole-faces and armature is very small and it is adjustable longitudinally, for the purpose of enabling the field magnet to be symmetrically disposed with regard to the armature. The armature terminals are placed on the upper portion of the gun metal supporting ring.

The machine, when driven at 500 revolutions per minute, is capable of developing 75,000 watts, or 100 electrical horse-power, at an E.M.F. of 2,000 volts. 900 watts are required for the purpose of exciting the field-magnets. On account of there being no iron in the armature, and the attention devoted to small details such as the use of German silver for the coil fittings, the waste of power due to eddy currents is very small; and this loss, added to that due to friction, which, owing to good mechanical construction, is also very low, amounts to but 5 horse-power, that being the power required to drive the machine at full speed on open circuit (or when the armature is disconnected), the field-magnets being excited to their maximum.

In many cases the output demanded from a dynamo varies considerably at different times. For instance, twice as much power may be required to supply lamps at one time as at another.

It is not economical to use one large machine, capable of meeting the maximum demand, and run it to give a small output at other times, but, fortunately, it is possible to join up two (or even more) alternating current dynamos so as to feed the same

circuit simultaneously when required, switching out and stopping one when the other is able to meet the low demand.

The armatures must not be joined up in series, but in parallel, and the machines may be driven by belts from the same shafting, or, if necessary, from independent engines running at about equal speeds. In practice the latter course is usually adopted, since it is a bad economy to employ a large engine to develop the power required by a small machine.

But parallel working is only practicable when in both machines the rates of alternation are equal, and the alternations 'co-phasal'—that is, when their maximum and likewise their minimum currents occur simultaneously. It is most remarkable that well-designed machines can correct each other and maintain this synchronism; but, as a most important part of the interaction depends upon the 'motor' properties of a dynamo, further consideration of the question must be deferred until electric motors have been dealt with.

## CHAPTER IX.

## DYNAMO-ELECTRIC MACHINES (DIRECT CURRENT).

ALTHOUGH the sphere of usefulness for alternating-current dynamos has largely increased of late years, there is still a vast amount of work which such machines are, and always will be, wholly incompetent to perform. This is notably the case in connection with the deposition of metals by electricity, and in the 'charging' of secondary batteries. For these, and several other important purposes, it is essential that the current should be continuous, and flow in one direction only. It is possible to arrange matters so that all the currents generated by a dynamo shall be made to flow in one direction in the external circuit, the process being known as 'commutation,' and the part of the machine by which the alteration is effected is termed the 'commutator.' Directly this has been successfully performed, the dynamo is capable of a new and important development, for it is then possible to use a portion of the current which is generated in the armature, for the purpose of magnetising the field magnets. The smaller auxiliary machine, which, in most of the dynamos previously described, has been employed to excite the field-magnets, can therefore be dispensed with, and the machine made 'self-exciting.'

We come then to the consideration of the means to be employed in order that the currents which are generated in alternating directions can be commutated so as to flow in one direction in the external circuit. Referring again to fig. 120, we remember that the *direction* of the current is unaltered (although it varies in E.M.F., and therefore also in strength) during the first half-revolution of the rectangle, and that, at the end of that half-revolution, the reversal in direction takes place. Now, a moment's reflection will show that if, just at the end of this first half-revolution, the



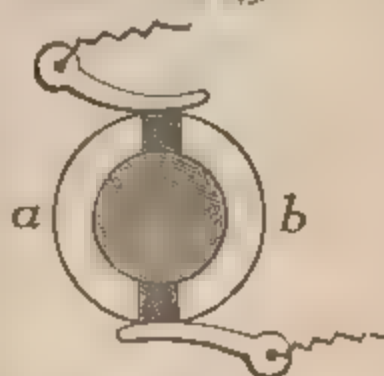
tions of the two brushes on their respective rings were interchanged, the current generated during the second half of the rotation would flow in the same direction round the external circuit as the preceding current did, because, although really generated in the reverse direction, it is entering the external circuit at the other end. This is the fundamental principle of commutation; only, instead of shifting the brushes, the change is effected at the right moment by a modification of the ring or rings against which they press.

The simplest possible form of commutator is shown in section fig. 143. Instead of two brass rings, a single brass ring or tube is employed, but with the difference that it is split lengthways into two halves or segments, *a b*, insulated one from the other. Each end of the coil of wire is connected to one of these segments, and brushes or flat springs are so situated that they press upon the divisions between segments at the moment that the coil is in the vertical position—that is to say, the position where the reversal of the current takes place. Just at that moment, then, the ends of the coil in contact with the respective brushes are also reversed, and the result is that when the coil is rotated uniformly, a succession of short currents passes through the external circuit, each current rising and falling similarly, but all impelled through the external circuit in the same direction.

The length of the wire can easily be increased by winding it in a number of convolutions, instead of in a single rectangle, when, of course, the E.M.F. will be increased proportionately. The variation in the E.M.F. developed by an ideal alternating-current dynamo is shown in fig. 120, where the line *AB* represents normal or zero potential, the curves above it indicating the gradual rise and fall of, say, the positive potential, and those below it the opposite, or negative potential.

Fig. 144 exhibits, in a simple manner, the result of replacing the two metal rings by a split tube, or simple two part commutator. Again indicates the zero potential, and the curve *ACD* the

FIG. 143.



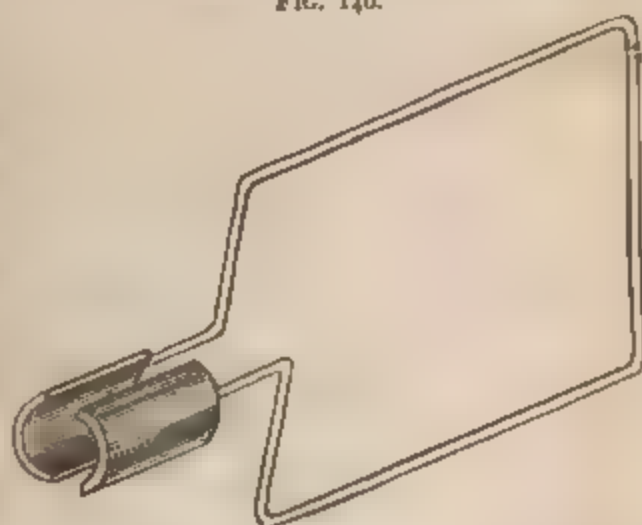


The axis of rotation, and  $p q r s$  a single loop of wire which travels round the circular path indicated by the dotted line. If we suppose the lines of force of the field to be in the direction of  $ef$ , along, or parallel to, a diameter of this circular path, then they will be cut by the coil in a manner somewhat similar to that of the rectangular coil which we have just been considering.

The movement from the vertical position through the first half-revolution produces a current which rises to a maximum when the coil has turned through an angle of  $90^\circ$ , and falls to zero again when the coil reaches  $180^\circ$ , while the current generated in the next half-revolution is exactly equal in strength, at corresponding positions, though opposite in direction; but it can be commutated in precisely the same way as in the case of the rectangular coil. The ends of the coil are connected to the metallic segments (equivalent to  $a b$  in fig. 143) of a simple two-part commutator.

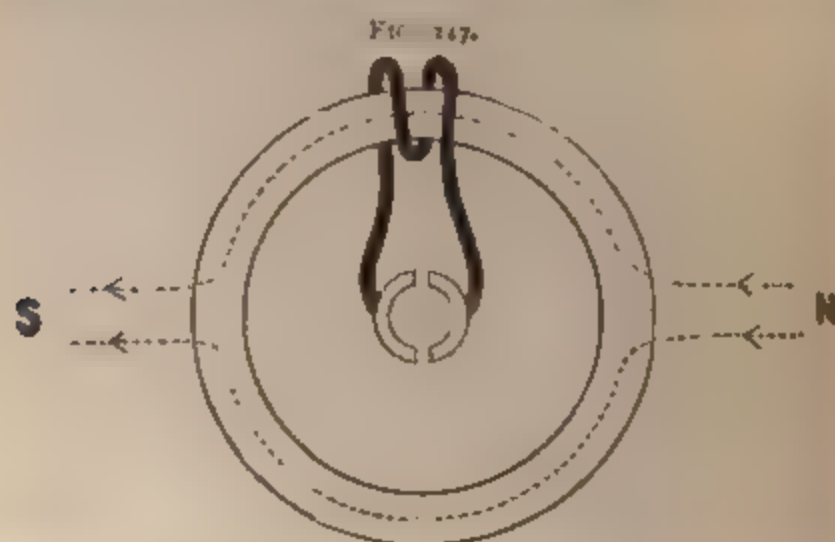
There is, however, one great difference between the two methods. No portion of the coil shown in fig. 146 acts prejudicially, although the portions connecting the horizontal limbs are

FIG. 146.



always idle, inasmuch as they do not cut, but only slide, through the lines of force. But with the coil shown in fig. 145 the case is different. There are still two idle connecting lengths,  $p r$  and  $q s$ , but the E.M.F. induced in the two horizontal limbs  $p q$  and  $r s$  is in the same direction in each—say from  $p$  to  $q$  and from  $r$  to  $s$ —because they always cut the lines in a similar sense, although at different rates; they therefore act in opposition to each other. But the outer limb  $p q$  traverses a greater portion of the field and moves at a greater linear velocity than does  $r s$ , and consequently, as it cuts more lines of force, and at a greater speed, than  $r s$ , the E.M.F. generated by it is the greater, the resulting current round the coil being therefore that due to the preponderance of the E.M.F.

of the limb  $pq$  over that of  $rs$ . Now, the lines of force which the outer limb cuts in excess of those cut by the inner limb are simply those which pass through the coil when it is in the zero position, as in fig. 145, and it is evident that if the field is uniform and the coil comparatively small the lines thus embraced will be very few indeed, and the use of iron to increase their number immediately



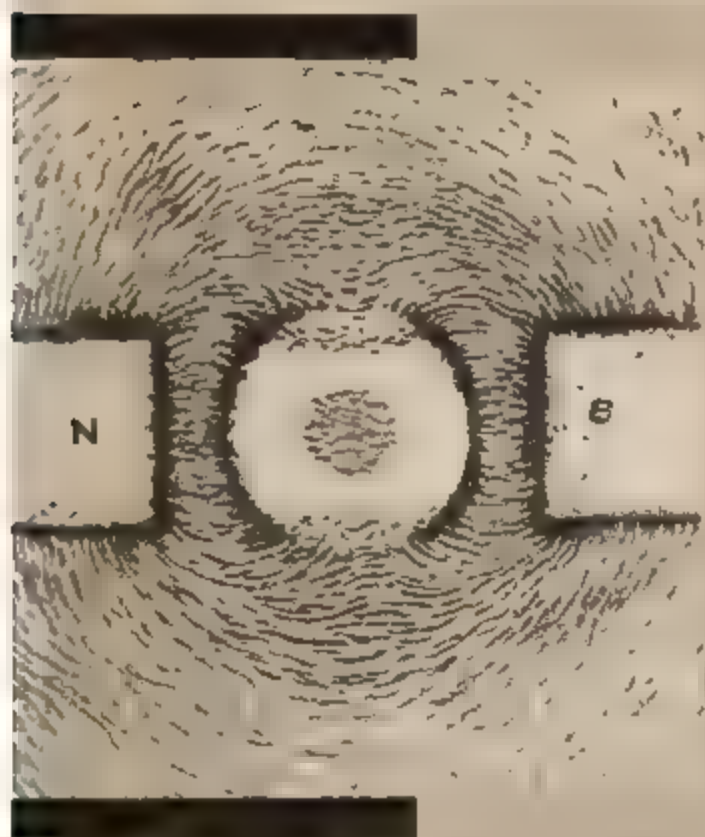
suggests itself. It is most advantageous to make the iron in the form of a ring, as shown in fig. 147, and cause it to rotate with the coil.

In fig. 148 is illustrated the effect of placing a ring of iron in a magnetic field. The apparatus employed to obtain this figure consisted of a quantity of thin soft iron wire wound into a ring, and placed between the opposite poles of two powerful bar magnets, a sheet of paper being laid over them, and iron filings sprinkled upon it. The spaces free from filings represent those places where the permeability of the iron is sufficiently high to prevent any appreciable number of lines of force extending above the paper so as to give direction to the filings. The manner in which the lines converge into the ring should be noted, and it will also be observed that at two places, on a diameter at right angles with the lines, the magnetic effect above the paper is considerable. The reason for this is that the greatest number of lines pass through the iron at these points, and the permeability is sufficiently reduced to allow some lines to leak above the paper. Comparatively few lines pass diametrically across the ring, about half of them going

upper and half through the lower part of it, and the inner limb of the coil (fig. 147) cuts but very few of the resulting E.M.F. is practically that developed by the outer one.

As illustrated in fig. 147 only one-half of the total lines of force urged through the iron can, at any one time, pass through the coil, and some device is therefore necessary

FIG. 147

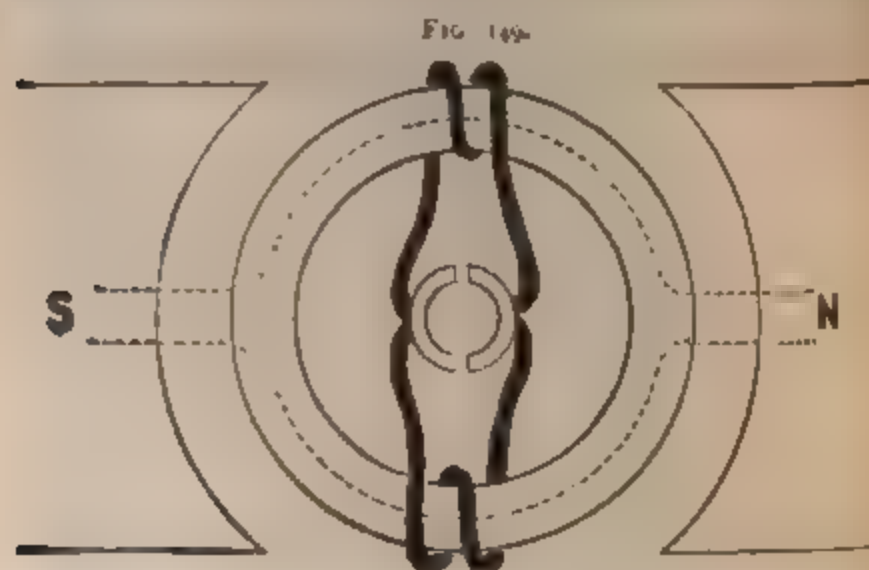


the other half to be utilised. Now, since the induced E.M.F. is the same in any given position after the coil has passed the cutout as it was in the corresponding position after it had passed the other cutout, it is clear that a second coil might with advantage be wound on the opposite extremity of a diameter of the circular core cut by the coil. We will assume that the limbs on the left alone are active, and it will be seen that if the current flows from front to back in the outer limb of the left coil, it will flow from back to front in the outer limb of the right coil. Hence these limbs always cut the lines from opposite



sides, viz. one from above and the other from below. The E.M.F. is, however, at any moment equal in each, and, by joining the ends which are at a positive potential to one segment and the ends which are at a negative potential to the other segment, both coils are made to deliver their currents in the same direction to the external circuit.

Fig 149 illustrates the arrangement for employing two such coils; they are similarly wound (right-handedly in this case), and

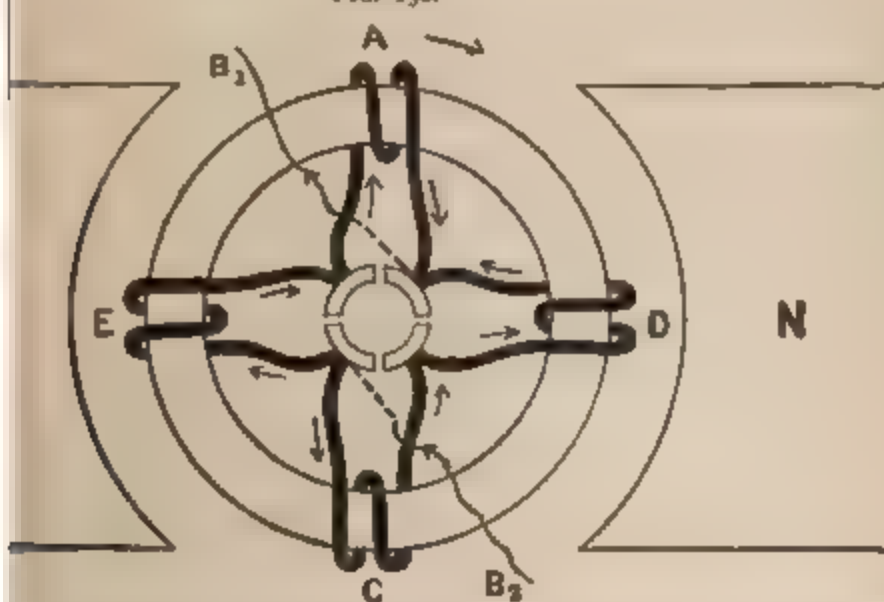


their *adjacent* ends are joined to the same section of the commutator. Now, as they are at opposite extremities of a diameter they pass at every moment through parts of the field where they act with equal effect, and therefore, as already pointed out, the E.M.F. will be the same at the extremities of each coil. Since the ends of the two coils, which are at the same E.M.F., are joined to the same segment of the commutator, the E.M.F. due to both coils is only the same as that produced by one of them. It is, in fact, an exactly analogous case to that of joining two primary coils of equal E.M.F., in parallel. There is also the similar advantage here that because the coils are joined in parallel the internal resistance between the two segments is only half that of one coil, and, as we have seen, any arrangement that so reduces the internal resistance of a current generator is sometimes very valuable. Increasing the number of turns in the coils we increase the E.M.F. because a greater number of conductors in series, round the per-

usefully cutting lines of force; but, of course, the must be exactly the same in each coil. In figs. 147 and are two active conductors to each coil.

now in a position to proceed with the consideration of for making the short fluctuating currents depicted in approach more nearly to a continuous steady current. At currents are at a minimum when the coils are at right the lines of force, or at that point where the reversal of d current takes place, and it is evident that if a second ls be placed at right angles to this existing pair, as in they will always lie parallel to the lines of force, or be in

FIG. 150.



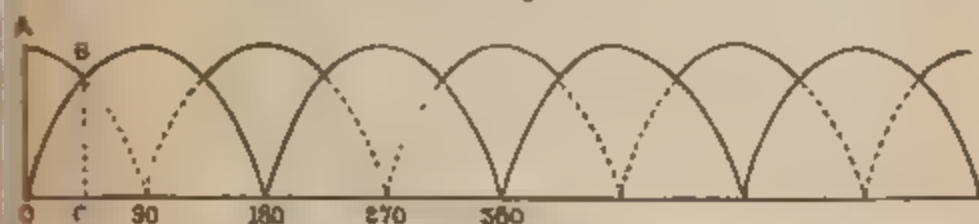
of best action, just at the moment when the first pair is idle. But it now becomes necessary to divide the into four parts, all the coils being, of course, similarly and the adjacent ends of adjacent pairs connected to the segments of the commutator. When only two segments are the brushes, as we have observed, are placed so that the segments of the commutator pass them just at the moment the coils are at right angles to the lines of force, and when they are most idle. In the present case, with four coils, the brushes must also be placed so that the division between each pair of segments on the commutator passes a brush when the coil of that pair of segments is in the position of least

coils would be in the direction in which the resulting current could be led from the circuit by the upper brush  $B_1$ , entering the lower brush  $B_2$ . The two horizontal segments are of greatest activity, while the vertical segments are idle, and merely serve to conduct the active coils to that segment of the commutator. A moment later  $A$  and  $B$  will have current in the opposite direction to that in which they had it, but as by that time they will have passed the other side ends will be in contact with the commutator, and the direction of the current in the external circuit will be the same. When the plane of each coil makes an angle of  $45^\circ$  with the field of force, they are equally active, and the total activity is twice that which is at that moment.

The resulting E.M.F., due to the two coils, instead of the single pair of coils, is the same as before, we must determine at what angle it is at a maximum and where it becomes zero. (fig. 144) illustrates the variation of the E.M.F. of one pair of coils, and as, when this pair is at its lowest position, the second pair of coils is lowest, and

brushes is at its lowest value, and the length of this line  $OA$  determines the lowest point on the curve which we desire to construct. Immediately after this point is passed both pairs are acting together, the activity of one increasing and that of the other

FIG. 151.



increasing. At a certain stage they will be acting with exactly equal effect, and this stage is indicated by the intersection in  $B$  of the two curves; it occurs when each coil makes an angle of  $45^\circ$  with the lines of force. To obtain, therefore, the resulting E.M.F. at the brushes, we must add together these two equal E.M.F.'s; consequently, twice the length of the line  $CB$  must be taken as the height of this the highest point in the new curve. When the coils have rotated through another  $45^\circ$ , one pair is again idle and the other at its maximum activity, so that we again reach the lowest point of the curve. The curve so constructed is shown in fig. 152, and indicates the manner in which the total

FIG. 152.



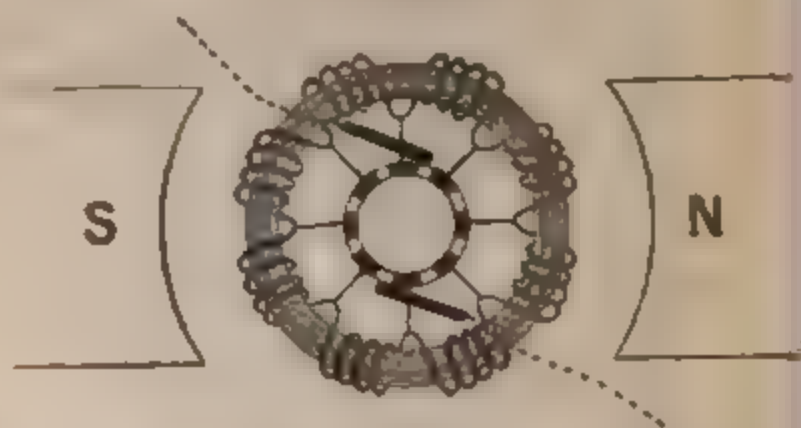
E.M.F. at the commutator brushes fluctuates when the armature consists of two pairs of coils arranged as in fig. 150. The resulting current will also fluctuate similarly, depending in strength upon the gross resistance in the circuit.

A little reflection will make it obvious that the variation in the E.M.F. can be further diminished by the employment of a yet greater number of pairs of coils in the armature, providing that

they are placed so that they each come into the position of maximum action at the moment when the resulting E.M.F., without individual aid, would be at a minimum.

For instance, a coil might be placed exactly midway between each of those wound on the armature shown in fig. 153. This armature would then consist of eight coils in four pairs, and the commutator of eight bars or segments (fig. 153). The

FIG. 153.



armature from such an armature would be far more steady than that of the four coil armature; in fact, it may be stated generally that the greater the number of coils composing the armature, the less the fluctuation of the current. Of course there is a practical limit to the number of coils; for instance, the commutator with its segments of armature must have as many segments as the armature has single coils, and its construction and the making of the connections would be difficult and expensive if the number of segments excessively increased.

It will be observed that in fig. 153 the whole armature is wound continuously round the core; it is divided into eight sections having four convolutions each, and a connection is made from the junction of every two adjacent sections to a segment of the commutator. The result is of course that if the ends of each section were brought direct to the commutator segment, while the actual length of the armature conductor is the same, therefore the resistance, is slightly reduced. The black lines of the circle represent the metallic segments, the white spaces between them indicating the insulating material.

In order to increase the E.M.F. developed in a given



speed, we must increase the number of conductors on the periphery of the armature, which can be done by adding to number of convolutions, although this also increases the in-resistance. In the armature illustrated there are thirty-two portions of the wire round the whole external periphery, but they are joined up in two sets in parallel, the total E.M.F. is sixteen times that of one active portion.

We know the number of active conductors joined in series and the number of lines of force which they cut per second, it is to calculate the resulting E.M.F. The E.M.F. developed by particular conductor moving circularly in a uniform field varies with its position, and is, as we have seen (Chapter VIII.), proportional to the cosine of the angle which the plane of the coil of which it forms a part makes with the lines of force; or to the sine of the angle through which the coil has turned from its position at right angles to the lines of force. But we need not now trouble ourselves with this consideration, for, in a symmetrically constructed armature of many convolutions, the place of each conductor as it moves to a position of greater or less activity is immediately filled by another, and the total E.M.F. remains uniform. Since each active length undergoes precisely the same effects, the average E.M.F. induced in each is the same, and the total E.M.F. will be equal to the number of active conductors round one-half of the armature multiplied by the average E.M.F. developed by one of them during half a revolution.

Supposing the armature to consist of forty-eight convolutions and the E.M.F. developed by one of the active limbs to be 2 volts, the whole E.M.F. would be  $2 \times 24 = 48$  volts.

The average E.M.F. developed by each active conductor depends upon the speed at which it moves, and the number of lines of force it cuts; in fact, we have seen that if a wire, one centimetre long, is moved at a velocity of one centimetre per second transversely through a field of unit strength (that is, a field having one line of force per square centimetre), then the resulting E.M.F. will be equal to one C.G.S. unit. This unit being so very small, the volt is used for practical use, having a value  $10^8$  or 100,000,000 times the C.G.S. unit. So that after calculating E.M.F. in C.G.S. the result must be divided by  $10^8$  to obtain the E.M.F. in volts.

cut 32,000 lines per second and generate an E.M.F. of force of 32,000 C.G.S. units. And in series, the total average E.M.F. will be  $16 \times 32,000 = 512,000$  C.G.S. units.

$$\frac{512,000}{10^8} = .005$$

If the armature made ten revolutions per second, the E.M.F. would be ten times greater (i.e. 0.05) and the armature would now cut ten times the number of lines.

In fact we may say that the average E.M.F. of an armature of this description is equal to

$$N \times \frac{P}{2} \times 2\pi, \text{ that is, } \pi N P$$

or average E =  $\pi N P$

where N is the total number of lines in the armature core; P the total number of poles round the periphery, and  $\frac{P}{2}$ , therefore, the number of revolutions per second or the number of times per second which each conductor cuts the lines.

The E.M.F. obtained in the above formula is low because we have assumed that the armature is a simple bar of iron.

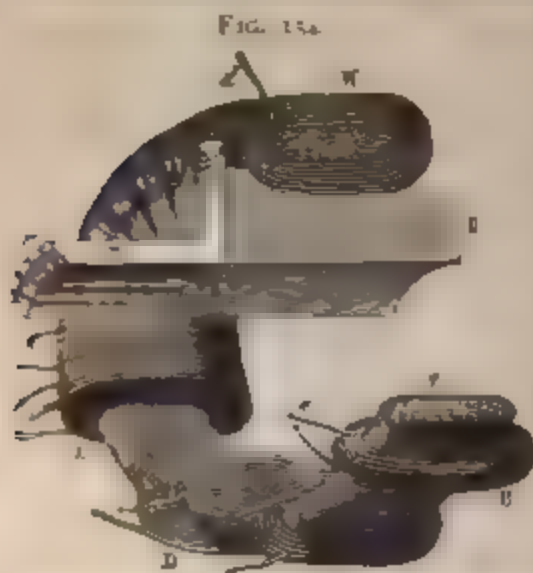
The above is a fair example of what obtains in actual practice, and the student will readily perceive that it is necessary for the quantity of iron in the armature core to be considerable, otherwise with such a large number of lines of force the magnetic induction through it (that is, the number of lines per square centimetre) would be abnormally high. We know that the permeability of iron decreases rapidly when the induction through it exceeds a certain amount, and then a large number of the lines leak diametrically across the ring instead of taking the path indicated in fig. 149, many of them passing across the steel driving shaft, the permeability of which may be nearly equal to that of the 'saturated' iron.

Now, as these lines of force thus leaking across the ring are cut by the inner portions of the conductor (equivalent to  $r_s$  in fig. 145) and act prejudicially, inasmuch as the E.M.F. generated by the inner wires in cutting them is reverse to the main E.M.F., it is evidently inadvisable to endeavour to push the induction too far. As a rule the limit is from 16,000 to 18,000 lines per square centimetre, and if more lines through the core are needed, either the area must be increased or iron of higher permeability employed. The former necessarily entails a greater length of conductor. It is evident that in an armature of the type we are considering, the iron of which the core is made should be of the highest possible permeability, while the quantity of iron or steel used inside the ring should be as small as possible to minimise the tendency to cross-leakage. This latter consideration implies that iron should not be used for the purpose of mechanically connecting the segments, but that a non-metal or some other non-

The principle was constructed by ... until the essential features ... form by G ... programme ... coils ... quantity ... own ... led ...

the same, and their adjacent ends connected together. The commutator segments consist of a corresponding number of brass angle-pieces,  $m n$ , which are fixed against the wooden boss,  $a$ , carried on the driving shaft.

The junction of every two adjacent coils is connected to one of the commutator segments, as shown, and two flat brushes of copper



wire are pressed against the projecting ends of the segments, and serve to deliver the current to the external circuit. The latest forms of this armature, although identical in principle, are far superior from a mechanical point of view; in fact, the armature here illustrated would fly to pieces if subjected to the stresses which occur in a modern machine.

It is necessary that the commutator bars should be firmly held

in position, that the wire should be bound or by some means fixed so as to prevent its being shifted, and that the core and with it the coils should be firmly secured to the driving shaft. As far as possible it will be shown, in describing the best types of machines, how well these points are attended to in practice. Especial care must be taken to prevent the generation of eddy currents in the core, and this was the reason why Gramme used rather fine wire instead of a solid ring. We have previously remarked that the E.M.F. which gives rise to these eddy currents is very low (although the current strength may be considerable, because a large mass of metal offers little resistance), and that, therefore, the merest film of insulation between neighbouring wires of the core is sufficient. Except in special cases a coating of shellac varnish, or even a coating of rust, is all that is required, and it should be borne in mind that the space occupied by insulation should always be as small as possible, so as to allow the maximum amount of iron to be used. If the armature is rotated in a simple field between two pole pieces, it is not necessary to subdivide the core to the extent adopted in the earlier Gramme

machines, for since the direction of the eddy currents is at right angles to the lines of force and to the direction in which the core moves, there will be no tendency for them to flow in a radial direction, but only along lines parallel to the driving shaft. Therefore the core may be simply laminated, or built up of a number of thin discs of soft iron, thus giving better facilities for mechanical connection with the shaft, and also reducing the magnetic resistance considerably. In entering or leaving the interior of the wire core, the lines of force have to leap across numerous little spaces of low permeability, while in the case of a core built up of discs, not only is the mass of iron greater, but it is also continuous in the direction of the lines, and discontinuous only in the path which would be taken by the eddy currents.

Returning now to a consideration of the phenomena developed by the actual rotation of the armature, we may repeat that the brushes must be so placed that every division between the segments of the commutator passes a brush just at that moment when the coil, the ends of which are connected to those segments, is at right angles to the lines of force, so that if the lines of force always retained their regular straight direction between the poles of the field magnet, it would be easy to fix the correct position for the brushes. But, unfortunately, the field is considerably distorted immediately the armature is caused to rotate and the current established. This distortion is due to the fact that the armature itself becomes a powerful electromagnet, the lines of force of which are not coincident with those of the field magnets.

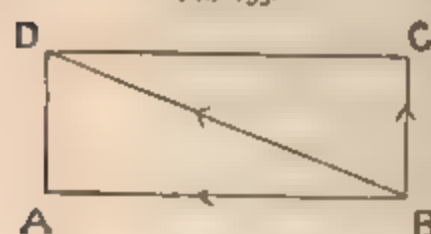
The two halves of the coil, being in opposite directions, magnetised in opposite directions, and in a manner that the poles of the armature are situated at the points where the two currents enter the external circuit. If the semicircular magnets are placed so close to the coil as to come into contact with them, the magnetic circuit is completed, and the iron or steel of the magnet will be attracted with a force of 100 lbs. per square inch of the surface of the magnet.



ination. The circle acts, indeed, as if it were a single magnet, the distance between its poles being the length of the diameter. Some of the lines of force find their way back across the diameter to the opposite pole, while others pass round outside the circle, a much larger proportion taking this course when, as in the case of the dynamo, there are large masses of iron in the vicinity. The position of the brushes determines the position of the poles of the armature, and when the brushes are placed on a diameter at right angles to the lines of force of the field, these poles are also at right angles to those lines of force.

It is manifest that as the tendency is for the armature to generate a magnetic field in one direction, while the field magnets strive to maintain one in another, the direction of the resultant field must lie between the two, the exact position depending to a great extent upon the relative magnetising forces of the armature and field magnets. Were these relative forces known, the direction of the field might be determined approximately by the well-known 'parallelogram of forces' (see fig. 155). In this case the

FIG. 155.

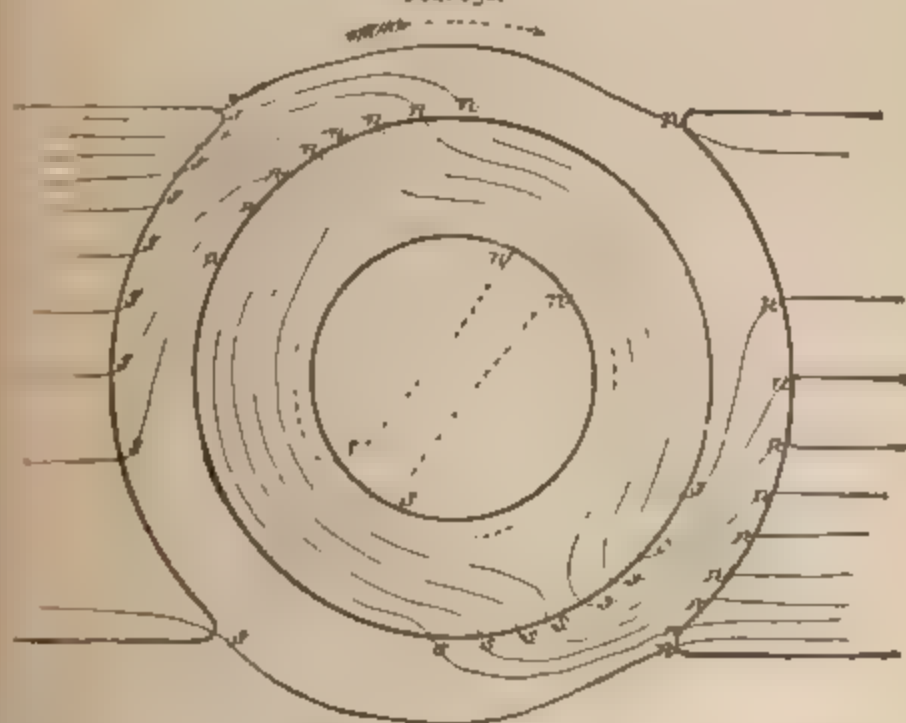


line  $AB$  represents by its position the direction, and by its length the magnitude of the magnetising force due to the field magnets alone, while the line  $BC$ , drawn at right angles to  $AB$ , represents the direction and force of the field due to the armature. Then the diagonal  $BD$  of the completed parallelogram represents both in magnitude and direction the resulting magnetic field. Now the brushes must be set on a diameter at right angles to the resulting lines of force. Hence this shifting of the field due to the reaction of the armature necessitates also the shifting of the brushes through a corresponding angle, equal, in fact, to the angle  $DBA$ .

This altered position of the brushes is commonly known as the *lead* given to them, and the angle through which they are moved is known as the angle of lead. In every dynamo the lead is forward, or in the direction of the rotation of the armature. But the parallelogram of forces referred to above does not exactly indicate the true angle, because immediately a lead is given to the

ces, the polarity of the armature is shifted through a corresponding angle, the result being to still further distort the field and again increase the angle of lead. It will be evident that if we wish to reduce the angle  $DBA$  (fig. 155) it can be done by decreasing  $BC$  or increasing  $AB$ , which in either case would result from making the magnetising force of the field magnets great as compared with that of the armature. Practice dictates, for this and for other reasons, that the magnetic field in which the armature revolves should be as strong as possible, and always very much stronger than that developed by the armature itself. In fig. 156 is illustrated the direction of the

FIG. 156.



stant field of a dynamo when the armature is revolving in the direction indicated by the arrow, and is generating a current. It can be observed that the lines of force  $ns, ns$  are considerably distorted or dragged out of their normal position, and that this distortion takes place in the direction of rotation. The lines which cross the space inside the armature ring indicate the direction of leakage, corresponding to that illustrated in fig. 148.

When the external resistance through which a dynamo is running is varied, the current in the armature, and therefore the

field produced by it, also varies; the same cause may also affect the field produced by the field magnets if the machine is 'self-exciting,' and consequently in practice the angle of lead sometimes varies considerably. If the effective fields produced by the field magnets and the armature were varied in the same proportion, the angle of lead would remain constant; but we shall see presently that because the induction through and the permeability of the field magnet and armature cores do not vary together, as we do for other reasons, this proportion is not maintained, although the currents producing those fields may be equally increased or diminished. Too much stress cannot be laid upon the necessity for setting the brushes in the proper position, and to facilitate matters they are usually mounted on an insulating rocker so that they may be shifted together through a considerable angle until the correct position is found. When the field is a simple one, such as that between the two poles of a magnet, and provided it is also uniform, the brushes are placed at opposite extremities of a diameter of the commutator.

When the brushes are not properly adjusted, the coils are short-circuited while they are more or less active, and considerable sparking occurs at the commutator, injuring that important part of the machine, and giving evidence of wasted energy.

Practically the best position of the brushes can be found by shifting them while the machine is running (the external circuit being at the time completed) until there is very little or no sparking observable; and it is found that they must be set even a little further ahead than the point where they are at right angles to the direction of the resultant lines of force. This slight advance is necessitated by the rather peculiar and important phenomenon which takes place in a coil as it passes a brush. The brush must have a sufficiently wide bearing on the commutator to bridge the interval between the two segments and so to short-circuit the coils attached to them for a brief interval of time. This short-circuiting may take place when the coil is in itself almost inactive, it must be remembered that the coil consists of wire wrapped round a comparatively large iron core. We have considered at length the

current being suddenly started or stopped in any circuit which has an appreciable amount of self induction, from which it is evident that although the coil itself may not be actually generating any current, yet it is carrying the whole of the current generated by the other coils in the same half of the ring, and when short-circuited by the brush this current will not immediately die out, but will become even stronger for a moment and then expire. Independently of this it is impossible in practice to absolutely attain the theoretical condition of each coil being idle even for the briefest possible interval during which the coil might be short-circuited; and although the E.M.F. generated when the coil is active may be very small, yet its resistance is as a rule so extremely low, being but a small fraction of an ohm, that the current strength becomes perforce considerable. The energy of currents so circulating round the coils while they are in turn short-circuited, is expended in heating the wire, which heat represents much energy lost to the external circuit where it might have been usefully employed, and this effect must be remembered as one of the many causes which necessitate special attention being paid to *ventilation* in designing a dynamo armature. To insure the entire stoppage of the current, and also even to allow sufficient time for a current in the opposite direction to be just started in the coil before it is actually thrown into circuit again by the other half of the armature, it is advantageous to have the brushes rather thick and to give them the slight extra lead above stated to

But much can be done to reduce sparking by the use of the armature and the modern method of construction, and at the same time the magnets being used are of the

of the

of the

of the

of the

of the

increase the angle of lead and

strong and construct-

of few convolutions.

consists of but one con-

observed, while, the

lead is very small.

of the

of the

of the

of the

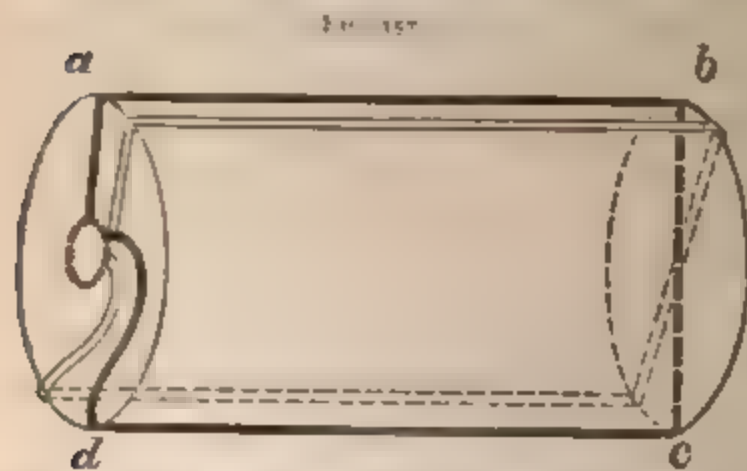
of the

of the



tures, commonly known as 'drum' armatures, are constructed upon the principle of the rectangular coil first mentioned. The earliest drum armature was devised by Von Hefner Alteneck, and was really a natural development of the shuttle armature so much used in small magneto machines. This shuttle armature, consisting, as it does, of one coil of many turns, gives a current fluctuating from maximum to zero twice in each revolution, and greater steadiness was aimed at and obtained by placing a number of coils symmetrically round the core, in just the same way that a considerable number of coils wound on the Gramme principle yields a more nearly constant current than would result from a single coil. A drum armature is somewhat more difficult to construct and to illustrate, and although the fundamental principle is in all cases that just indicated, there are many ways of making the necessary connections, some of which will be described when dealing with actual machines.

The general principle may be gathered from fig. 157, where only two adjacent sections are shown, each having one turn. The core is shaped like a cylinder, or drum; a commutator, similar



to those already described, being placed at one end in a line with its axis. From one segment the first coil ascends up the face of the drum to *a*, thence lengthways along the cylinder to *b*, whence it passes across a dia-

meter to *c*, and along the length of the cylinder to *d*. From *d* it is brought round the face and connected to the segment next to that one to which the other end of the coil is joined. The second coil, shown by open lines for distinction, starts from the segment at which the first coil terminates, and is wound similarly to that coil, being placed a little further round the drum as shown. Its two ends are connected to adjacent segments, and, in a similar manner, coils would be placed all round



is only one quarter of that of the whole armature in series, and in calculating E.M.F., the formula,  $E = \frac{N P \pi}{10^8}$ , holds good,  $P$  being the number of active conductors, such as  $a b$ , round the periphery of the drum.

The drum armature is far more efficient than any other form, and we may briefly compare the relative advantages of the drum and ring type by supposing that we have two armatures of equal diameter, and having conductors arranged round them equal in number and length. The magnetic resistance offered by the drum armature will be the smaller, because the quantity of iron in the core is greater, and therefore a given 'magneto-motive force' will urge more lines of force through it than through the ring armature.

Further, the whole of the lines passing through the drum armature are usefully cut by the conductors, while, in the case of the ring, some leak across to the shaft and are cut by the end portions of the wire in such a manner as to reduce the main E.M.F. Therefore, with a given magneto-motive force to maintain the field, the drum armature will give a much higher E.M.F. than the ring when they are driven at equal speeds. Equal E.M.F.'s may be obtained by reducing  $N$ , the number of lines of force, or by reducing the number of active conductors; but the factor which it is usually sought to keep as low as possible is  $\pi$ , the number of revolutions per second. One great practical advantage of a drum armature is that it enables slow speed machines of comparatively moderate proportions to be constructed, and it will be observed that the slow-speed dynamos have ring armatures; indeed, the drum type having recently lapsed, very few simple ring armatures are now used in any but small machines. Since the proportion of idle wire is slightly less in the drum than in the ring type, its conductor resistance is rather lower, while, on the other hand, it has the disadvantages that it is difficult to make it as strong mechanically as the ring, the cross-connections are somewhat troublesome, and, as a rule, special arrangements are needed to ensure sufficient ventilation.

Having discussed some of the theoretical points involved in the construction and action of direct current dynamo armatures,

will now consider the methods of maintaining the field, which, it will be remembered, must be as strong as possible. As in the case of the more powerful of the machines described in the preceding chapter, electro-magnets (called the field magnets) are employed for this purpose, and great care should be exercised in their design. Practical difficulties and economy in construction somewhat influence the shape, but in every case the great object should be borne in mind, viz. the necessity for leading as many lines of force as possible through the space between the poles, in which the armature is made to revolve.

The actual magnetising force, consisting of a current passing through a coil of wire, is proportional to the amperes of current passing and the number of turns of wire in the coil, and, as has already been fully explained (Chapter VII.), the quantity represented by the product of these two factors is referred to as the 'ampere-turns.'

Now, for any given machine, the number of lines of force which must be urged through the armature is usually determined beforehand, but as with every electro-magnet, of whatever design, there is a certain amount of 'leakage,' only a portion of the lines generated by the ampere-turns pass through the armature.

But power is expended in the generation and maintenance of these lines of force, and those which are rendered useless by leakage represent so much power wasted. It is obviously imperative that this waste should be reduced to a minimum, and the greatest possible proportion of the lines developed led through the armature. This may be accomplished by making the magnetic resistance of the path very low. The whole magnetic circuit should, preferably, approximate to the circular form, and whether good soft iron or cast-iron is employed, its sectional area must be sufficient to prevent the saturation point being readily reached.

The spaces between the pole pieces of the field-magnet and the core of the armature offer considerable magnetic resistance, which may roughly be taken as nearly proportional to the distance between the iron surfaces, the permeability of the copper wire and insulation being about the same as that of air. The only way of overcoming this serious difficulty is to reduce the distance between the iron surfaces as much as safety will permit, and, since

the minimum distance is nearly the same in machines of all sizes, we see one reason to account for the observed fact that small dynamos are less efficient than larger ones.

It must not be forgotten that while the permeability of iron decreases with an increase of the magnetic induction through it, that of air remains constant, and the difference between the permeability of the nearly saturated iron of the field magnets, and that of the air space, is never anything like the difference usually given for unsaturated soft iron and air.

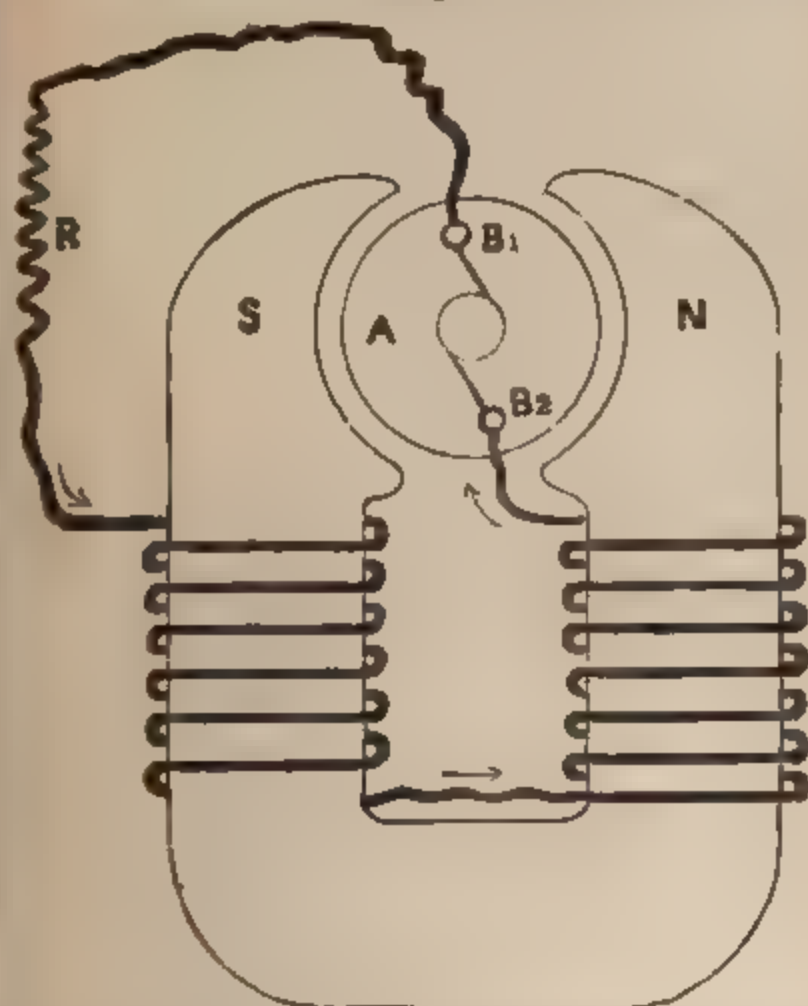
Two very important considerations influencing the construction of field magnets are economy and mechanical strength, and in practice, as we shall see, it is often considered advisable where the weight is unimportant to use cast-iron for part or all of the field magnet core. It is preferable to forge or cast the core in one piece, as joints break the molecular continuity and increase the magnetic resistance considerably; this disadvantage is minimised by making the surfaces in contact fit truly. The principal practical objection to the use of cast iron is that, since its sectional area must be at least twice that of wrought-iron, a much greater amount of copper is required to form the field-magnet coils. Copper, even now, is expensive, while cast iron cores are far less costly than equivalent ones of wrought iron, and the student should observe how different makers aim at true economy in this matter. Even leaving out the question of cost and weight, it does not by any means follow (as is sometimes supposed) that a dynamo properly designed to perform certain work, and having cast-iron in its construction, is inferior to one built wholly of wrought iron to perform the same work.

The composition of the 'ampere-turns'—that is, the proportion of current strength to the number of convolutions—will depend largely upon the manner in which the exciting current is obtained; for it is sometimes necessary to have considerable resistance in the coils, and then the number of convolutions may be made great and the current correspondingly weak; while in other cases a high resistance is inadmissible, when only a few turns can be employed, and the necessary magneto motive force must then be obtained by the aid of a heavy current.

At the beginning of this chapter we referred to a very impor-

benefit following the commutation of the current, viz. the ability of using all or part of the current generated in the armature for the purpose of magnetising the field-magnets, and the simplest method of doing this, in which the whole of the current is so employed, is exemplified in fig. 158. A machine

FIG. 158.



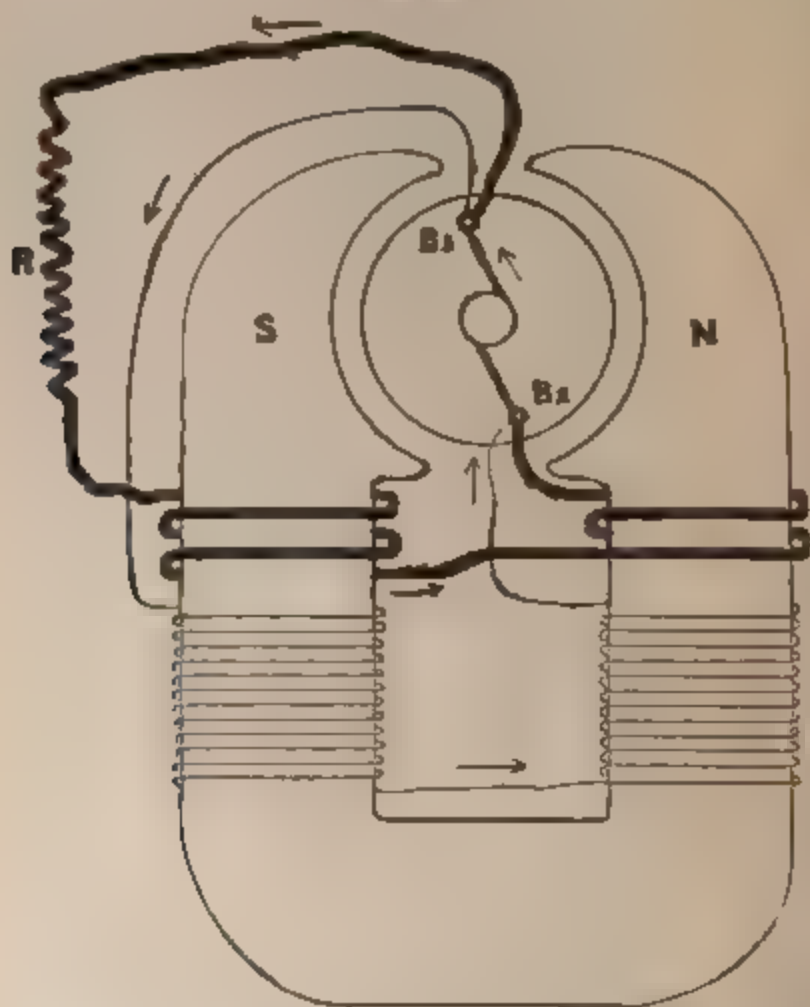
by its connections made in the manner there shown is known as a 'Series Dynamo.'

The magnet is composed of the pole-pieces of a massive horse-shoe electro-magnet; the armature A revolves in the space between them, B<sub>1</sub> B<sub>2</sub> are the brushes which press against the commutator, and by means of which the current generated in the armature can be led to any desired point. In this case, one end of the wire forming the field of the electro magnet is connected directly to the brush B<sub>2</sub>, the other end being joined through the external circuit R to

manner just described is only self-regulating at a given speed for at any other speed the two windings do not compensate each other.

In the case of a series machine, if, for instance, the speed were doubled and the external resistance increased sufficiently to keep the current the same, the strength of field would remain unaltered and the E.M.F. would be increased almost, but not quite, two-fold

FIG. 157.



by the doubled speed. On the other hand, if, with a shunt dynamo, by increasing the external resistance we maintain the external current constant when the speed is doubled, the current in the shunt coil, and therefore the strength of the field, increases instead of remaining the same as does that of a series dynamo.

If, at the doubled speed the resistance were reduced to make the current in the shunt coil the same as at the lower speed the current would be greatly increased in strength. Therefore



number of watts of power developed therein, or  $w = Ec$ ,  $w$  being the number of watts.

As the E.M.F. is equal to the product of current strength and resistance (that is,  $E = CR$ ), we may write  $w = CR \times C = C^2 R$ . — This is, the power in watts developed is equal to the resistance in ohms multiplied by the square of the current strength in amperes. As the resistance of the dynamo armature and magnet coils is always known, only one measurement, that of current strength, need be taken, which can be done by any ammeter of negligibly small resistance.

Supposing, for example, the resistance of the armature to be 5 ohms, and that of the field-magnets to be 2 ohms, then the total resistance is 5 ohms. When a current of 10 amperes is generated without any external resistance, the electrical power appearing in the circuit is equal to  $C^2 R = 100 \times 5 = 500$  watts, and if the current is increased to 20 amperes, then  $C^2 R = 400 \times 5 = 2,000$  watts.

Now, in both cases at least as much mechanical power is required to turn the armature as appears in the circuit as electrical power. A certain amount in excess is necessary (depending upon the efficiency of the machine), because some energy must be expended in overcoming the mechanical friction of the bearings, &c., and still more by various electrical causes, such as eddy currents and the currents which flow in the coils during the period of re-circuiting.

The main point, however, upon which we desire at present to stress is that the increase in the current is not, and never can be obtained without a corresponding increase in the power expended in turning the armature; in fact, from the above reasoning it is clear that in a series dynamo such as the one described, the mechanical power expended varies as the *square* of the strength of the current obtained in the external circuit, ignoring the mechanical power lost in the machine during conversion.

The ultimate strength of the current is, then, limited not only by the saturation of the field-magnets, but also by the amount of power at our disposal to drive the armature round. The engine, or other source from which the power is derived, must at least be able to furnish power equal to the maximum electrical power it is

desired to obtain, to which must also be added that which is wasted in friction, &c.

With regard to the residual magnetism which is relied upon to start the current, it may be remarked that if the field-magnets are once strongly magnetised by a current passing in the direction in which it is desired the currents shall afterwards be generated, the cores will rarely lose all traces of magnetism, especially if of cast iron. This sometimes happens, however, when the dynamo is moved, and the magnetism may even be reversed; but matters can easily be righted by passing a current, say, from a few cells for a moment in the proper direction through the field-magnet coils.

Hitherto, the dynamo has been considered as only working as a 'short circuit' that is, with the circuit completed without the introduction of any appreciable external resistance. In practice we require the current to do a greater or less amount of work in an external circuit, such as developing light in electric lamps or driving an electro-motor. In such a case, part only of the power is expended in overcoming the internal resistance (that is, the resistance of the armature and field-magnets) and maintaining the field, the remainder being employed in the external circuit. It is easy to find the relative amount of power absorbed in the two parts of the circuit. Thus, suppose the strength of the current to be 40 amperes, and the total E.M.F. to be 80 volts, then the total electrical power is  $40 \times 80 = 3,200$  watts. If, now, the difference of potential between the two extremities of the external circuit is found to be 60 volts, the power absorbed therein is  $40 \times 60 = 2,400$  watts, for the strength of the current is the same in all parts of the same circuit. The remaining difference of potential is  $80 - 60 = 20$  volts, which is the fall along the internal circuit, and which absorbs, therefore,  $40 \times 20 = 800$  watts. In this way the ratio between the power spent in the external and internal portions of the circuit can in every case be measured. The two ends of the external circuit above referred to are called the 'dynamo terminals,' and the potential difference thereat can be measured by any convenient voltmeter. Since, also, the power spent in either portion can be calculated by multiplying the square of the current strength by the resistance of the respective portions of the circuit, and as the current is the same in each, it follows that the energy

## Absorption of Power

297

number of watts of power developed therein, or  $w = EC$ ,  $w$  being the number of watts. If the E.M.F. is equal to the product of current strength and resistance (that is,  $E = CR$ ), we may write  $w = CR \times C = C^2 R$ —the power in watts developed is equal to the resistance in ohms multiplied by the square of the current strength in amperes. If the resistance of the dynamo armature and magnet coils is known, only one measurement, that of current strength, can be taken, which can be done by any ammeter of negligibly small resistance.

Supposing, for example, the resistance of the armature to be 2 ohms and that of the field-magnets to be 2 ohms, then the total resistance is 5 ohms. When a current of 10 amperes is generated in any external resistance, the electrical power appearing in the circuit is equal to  $C^2 R = 100 \times 5 = 500$  watts, and if the current is increased to 20 amperes, then  $C^2 R = 400 \times 5 = 2,000$  watts.

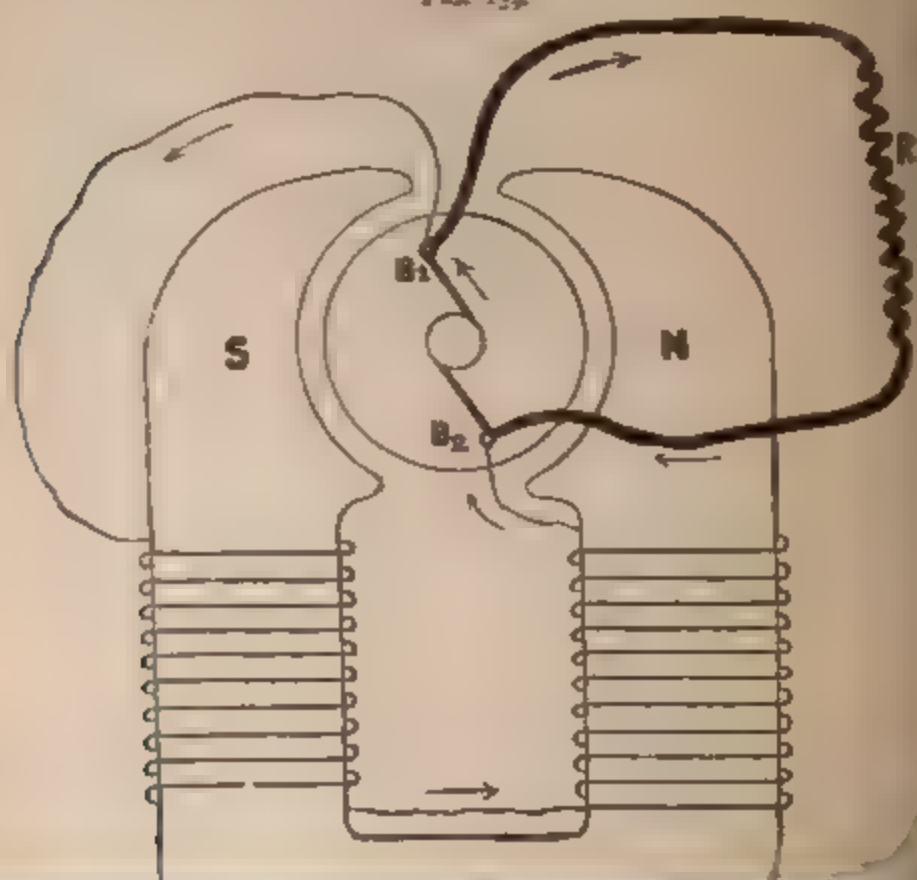
In both cases at least as much mechanical power is required to turn the armature as appears in the circuit as electrical power. A certain amount in excess is necessary (depending upon efficiency of the machine), because some energy must be expended in overcoming the mechanical friction of the bearings, &c., and more by various electrical causes, such as eddy currents and currents which flow in the coils during the period of commutation.

No point, however, upon which we desire at present to dwell, is that the increase in the current is not, and never can be, without a corresponding increase in the power expended in the armature; in fact, from the above reasoning, the power required is proportional to the square of the strength of the current in the armature circuit, ignoring the mechanical losses.

Thus, if the current is, then, the power required is not only increased in the same ratio, but also the amount of mechanical power required to turn the armature, and the engine, must be increased in the same ratio. At least be it said, the power it is

In the shunt dynamo the field-magnet coils, instead of being joined up in series with the armature and external circuit, are connected that they form a 'shunt' to the external circuit. Therefore, only a part of the current generated in the armature, the proportion depending upon the relative resistances, is diverted to the field coils. Fig. 159 shows the manner in which the connections are made.

FIG. 159.



of the latter. But wrought iron is employed for the actual round which the field-magnet coils are wound, each core, consisting of a slab of special soft hammered scrap-iron; giving the advantage, previously referred to, of economising wire, by obtaining the requisite magnetic conductivity at the minimum sectional area. The pole-pieces are of grey iron, and the sectional area of all the cast-iron portions is

FIG. 170.



greatly increased to compensate for the lower permeability as compared with that of the excellent iron forming the core. It is, however, evident that as the lines of force begin to pass into the iron from the bottom of the pole-pieces, fewer lines pass through the upper part of it than through the lower, and consequently there is no advantage in having the iron of the same thickness throughout. The pole pieces, P P, are in this case so



tained by multiplying together the voltage across the armature by its current. The power developed is 21,024 watts. If 1,000 watts are absorbed in maintaining the field resistance, the remaining 20,024 watts are available in the external circuit.

The ratio of the power actually delivered to the power developed is commonly known as the efficiency of the dynamo, and in the case just considered the electrical efficiency is slightly less than 100 per cent. It is necessary to point out that a dynamo with a large armature resistance would considerably reduce its efficiency.

Ignoring for the moment the effect of armature reaction, it will be observed that in a series dynamo, if the field becomes demagnetised immediately the dynamo stops, because the whole of the current is carried by the armature, viz. round the armature circuit. In a shunt dynamo, however, if the field circuit is broken, there is an alternative path for the current by the armature, viz. round the armature circuit. If only a portion of it, the strength of the field magnet is always at its maximum when the dynamo is connected; exactly opposite to the case in a series dynamo.

changes in the external circuit than the series dynamo, neither is, for many purposes, sufficiently 'self regulating,' or able to accommodate itself to these external variations. We may require a dynamo to do one of two things: either (a) to regulate itself to send a *constant current* or a current of uniform strength through the external circuit, although the resistance may be considerably varied; or (b) we may require it to maintain a *constant potential* at the extremities of the external circuit—that is, at the terminals—under like variations of resistance. A machine cannot be constructed to fulfil both these requirements, and we will first consider the best of the many methods of maintaining a constant potential. This consists in the combination, in one machine, of series and the shunt methods of winding. The simplest way, perhaps, of viewing the arrangement, is to consider the machine as a shunt-wound one, having added to it, round the magnet, a few turns of wire in series with the external circuit. When the external resistance is made very low, and, as a consequence, the current in the shunt coils reduced to almost nothing, the magnetic effect of the series coils becomes a maximum, so that the opposite variations in these two sets of coils tend to keep the field more or less constant. It is clear that the results attending this combination will depend largely upon the proportions being given to the shunt and series coils, and in order to ascertain what these proportions are or should be for a particular case, we will now introduce a convenient method by which the variation of the E.M.F. developed by a dynamo under varying conditions can be studied.

Let us start with the case of a series machine, driven through the experiments at a constant speed, and joined up to a set of the known resistances which can be varied as desired. The circuit current can be measured by any suitable ammeter, and, the resistance of the machine and of the external circuit being known, the whole of the E.M.F. developed can be calculated as the product of amperes and ohms. We thus obtain the values of current flowing and the whole of the volts of E.M.F. developed, and these two quantities may be similarly found for a number of values which we choose to give the external resistance.

The speed of the machine is 1,050 revolutions per minute, when it is capable of giving a current of 75 amperes, with an E.M.F. of 100 volts.

The brushes consist of flat tough copper strips, fixed in adjustable holders, which are carried by the horizontal arms projecting from the moving lever, as shown in fig. 160. This lever is provided with an insulating handle, by means of which it can be rotated in either direction round the axis of the shaft, thus affording facilities for altering the lead of the brushes to suit the requirements. It is carried on a projection from the standard supporting the bearing, and is made in two pieces bolted together, so that it can be readily tightened up on its bearing, or, if necessary, removed. The horizontal arms are insulated from the lever by hard fibre coils; and spiral springs, with adjusting screws, are provided for varying the pressure of the brushes on the commutator, the pressure being always as light as is consistent with reliable contact.

The brushes are shown lifted from the commutator; and it will be observed that they can be adjusted along the bars, so as to press upon different parts when the machine is running, and thereby distribute the wear. The commutator is turned up perfectly true in a lathe with a fine tool which cuts the copper cleanly and does not drag or burr it over the mica strips.

The shaft-bearings are of phosphor bronze, and the rim of the pulley is perforated to afford a better grip for the belt.

Most machines are, however, now made of the drum type, and fig. 172 illustrates a drum-armature dynamo constructed by the same makers. The general proportions of the field magnets are somewhat similar to those of the machine already described, but the method of fixing the parts together differs. The two vertical bolts passing through each of the pole-pieces extend only about half-way into the wrought-iron cores. Each core is lengthened a little, and, fitting into a slot in the cast iron bed-plate, is held firmly in position by two horizontal bolts passing through the solid parts of the casting. The core is built up in a manner somewhat similar to that adopted for the ring machine, but the radial depth of the discs is somewhat greater, and the driving-spider is made of iron instead of gun-metal. The armature conductor is composed of

section of corresponding ordinates and abscissae in the curve. The length of the side of a square in the presents 10 volts or 10 amperes, but in practice it is better larger sheet of paper divided into a greater number of one side of each square representing 1 volt or 1 ampere as may be. One of the experiments with this machine that 70.6 volts were developed when 18.2 amperes were and the point A on the curve is the result of this particular. It is the point of intersection of the two straight and DA, drawn at right angles to OY and OX respectively A being 18.2 units and DA 70.6 units, in length (the unit is one-tenth of the side of one of the squares). Another experiment, which determined the position of the point B, showed that 87.4 amperes were flowing when 42 volts were developed, therefore since EB is made equal to 42 units, and FB to 87.4 units. Points were fixed by similar experiments, and by joining the points together the curve was obtained. Considerable care is exercised in performing the necessary experiments to obtain one of these curves, and in the region of any decided curvature the number of experiments must be increased. Notwithstanding, however, the exercise of the greatest possible care, some points are usually placed a little out of position, owing to total error. But experience and theory teach us that variations never appear in the curves of dynamo machines when the points do not lie exactly on a regular curve, we may, to a certain extent, correct experimental errors, by taking the mean as an average, with the aid of a flexible ruler. If the amperes and volts to increase in the same proportion, the 'curve' would be a straight line; but with every series dynamo we get a curve somewhat similar to the one given - that is to say, with the first part ascending rapidly, followed by a bend, followed by a straight portion making an angle with the horizon. The curve has already been pointed out in the case of the rise of the current flowing round the magnet as the field increases. The current does not rise in the same proportion as the field, but when the

iron in the field magnets becomes saturated, and it is at this stage that the decided bend in the characteristic curve shows that the amperes are increasing faster than the volts.

It sometimes happens that by merely glancing at a curve we can criticise the design of a machine in some important respects; for instance, the effect of having too little iron in a machine would be to make the bend occur earlier than it really should do. Other points of criticism will manifest themselves presently.

Reverting to fig. 161, it will be seen that the curve commences not exactly at the point O, but at a point a little way up the vertical line, thus apparently indicating the existence of a small E.M.F. before the current commences to flow. This actually is the case, and results from the existence, in the field-magnets, of residual magnetism, which provides a weak field and produces a small E.M.F. at the terminals before the circuit is completed.

The two quantities—current and E.M.F.—plotted in this curve, are those which, when multiplied together, enable us to estimate the amount of power being developed in the whole circuit, for the product of one volt and one ampere is one watt, which is the electrical unit of power, or rate of expenditure of energy, and 746 watts correspond to one horse-power. It follows that we can select any point on the curve and readily calculate what power was being developed in the circuit at the particular moment that the point was determined; for instance, during the experiment which determined the position of the point A, the power developed was  $70.6 \times 18.2 = 1,284.92$  watts.

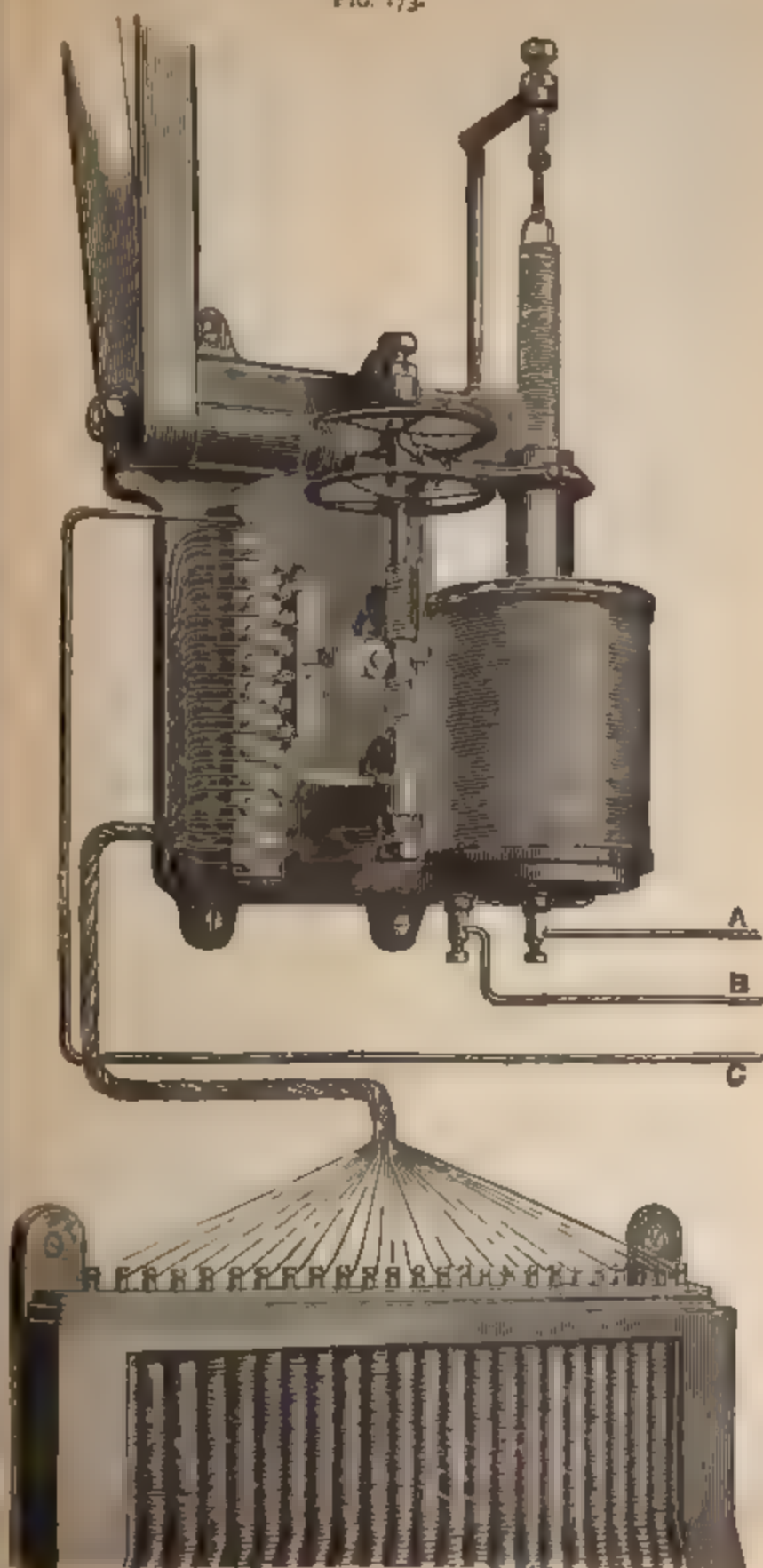
Such calculations can, in a measure, be avoided by the addition of another set of curves cutting the characteristic at points which correspond to a certain horse-power or fraction of a horse-power. Fig. 162 is a copy of fig. 161, with a number of these horse-power curves added in dotted lines. At the point M, where the characteristic cuts the 1 horse-power line, the product of volts and amperes is equal to 746 watts, while at K it is equal to  $2 \times 746 = 1,492$  watts. Now, if the dynamo is driven at a higher speed, the E.M.F. for a given current will be greater—that is, the vertical distances will be relatively greater than the horizontal ones as the speed is increased, and a curve somewhat similar in shape but shifted above the existing one, will be obtained. Several curves



*Goolden Regulator*

325

FIG. 173.



such that the motion imparted to the spindle, due to an increase of E.M.F., moves the flat spring in the direction which throws more resistance in series with the field-magnet coils, while if the core is moved upwards, the lower wheel engages with the friction disc and rotates the spindle in the reverse direction, reducing the resistance in the field-magnet circuit.

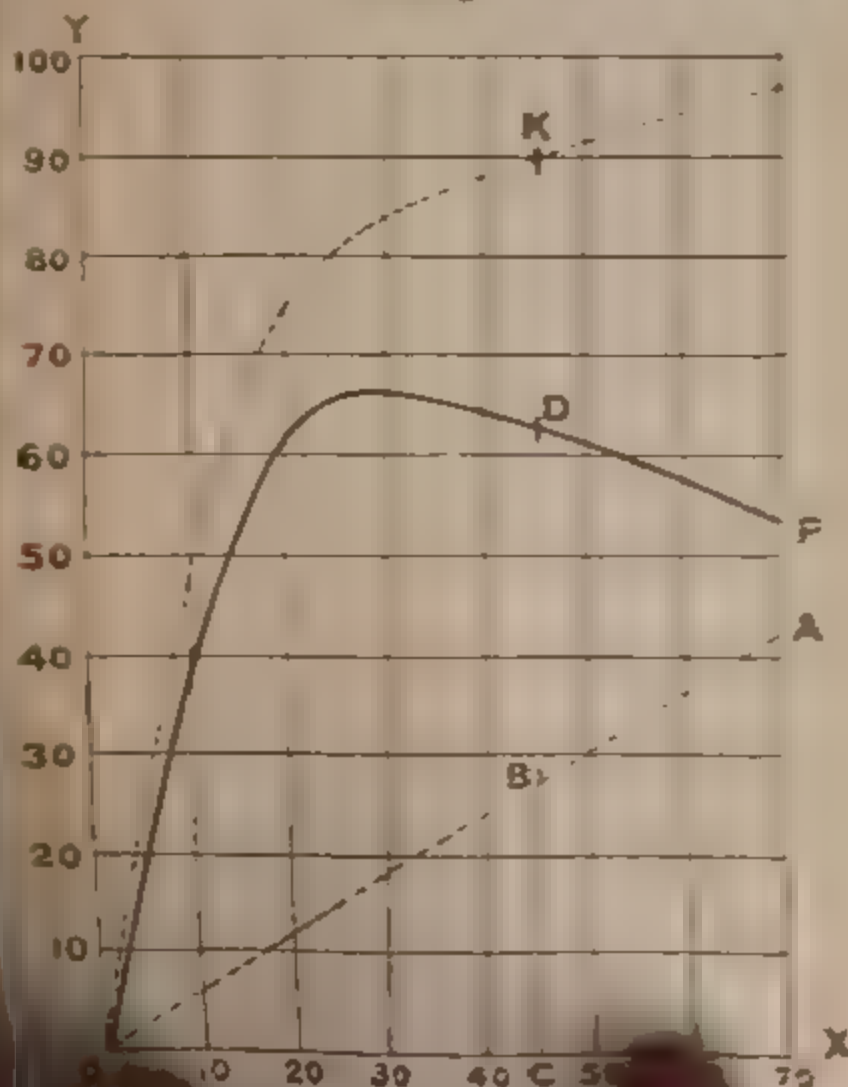
The solenoid is subject to the same heating error as a voltmeter, and to minimise this it is more frequently wound with fairly thick wire, the temperature of which rises but little, and the necessary resistance is obtained by joining in series with it German silver coils, which have a lower temperature coefficient, and being left bare, dissipate heat readily. When the apparatus is required to maintain a constant current, the solenoid is wound with thick wire, and is joined up directly in the main circuit, the rise and fall of the main current which passes through it acting in the same way as a rise and fall of potential at its ends. The small horizontal shaft is driven at about 400 revolutions per minute, and the nut carrying the contact spring can then travel over the whole range in about ten or twelve seconds. The flat spring is so broad that the circuit is never broken during the movement of the spring, and a large number of coils is employed in order that the increase or decrease of the resistance shall take place gradually. The weak point about the apparatus, as depicted in fig. 173, is the means adopted for imparting circular motion to the light wheels; for, although the friction between the rubber disc and the wheel run is at first quite sufficient, it becomes uncertain and unreliable if the rubber gets dirty or covered with oil. To overcome this difficulty an entirely different gearing has been adopted in the later apparatus, the essential parts of which are shown in fig. 174. R is the contact spring, carried by the nut N, working upon the screw shaft G, up and down which the nut travels according to the direction in which the screw is turned. The screw forms the lower part of the vertical spindle F G, upon the upper part of which is fixed a pin-wheel A, that is, a flat disc having a number of pins fixed parallel to its axis at equal distances round its circumference. Behind the spindle and parallel to the plane of the disc are two endless screws D, E, the upper one being at the end of the shaft, which is driven by a belt on the pulley P. By means

## External Characteristics

209

Characteristic curve, is the total power of the cell for a particular external potential difference. In fig. 104 the curve AC is the external characteristic of the same cell as in the previous case, namely of the

FIG. 104



and is now even more

the potential differ

able to be

tion of the

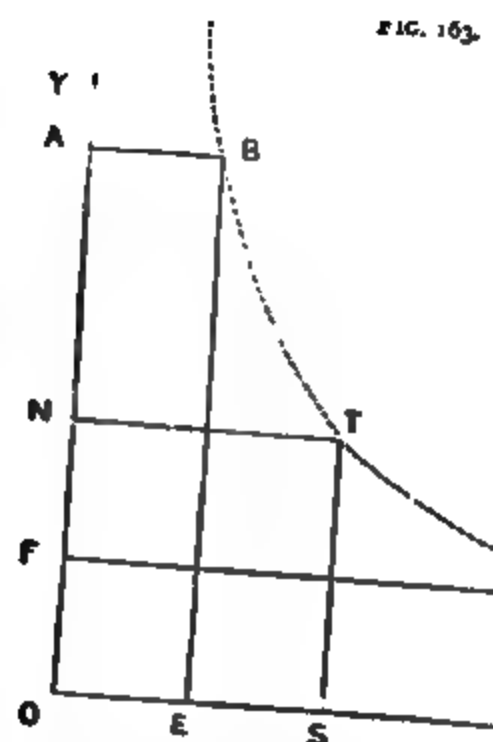
in the area

of a

the

of

FIG. 163.

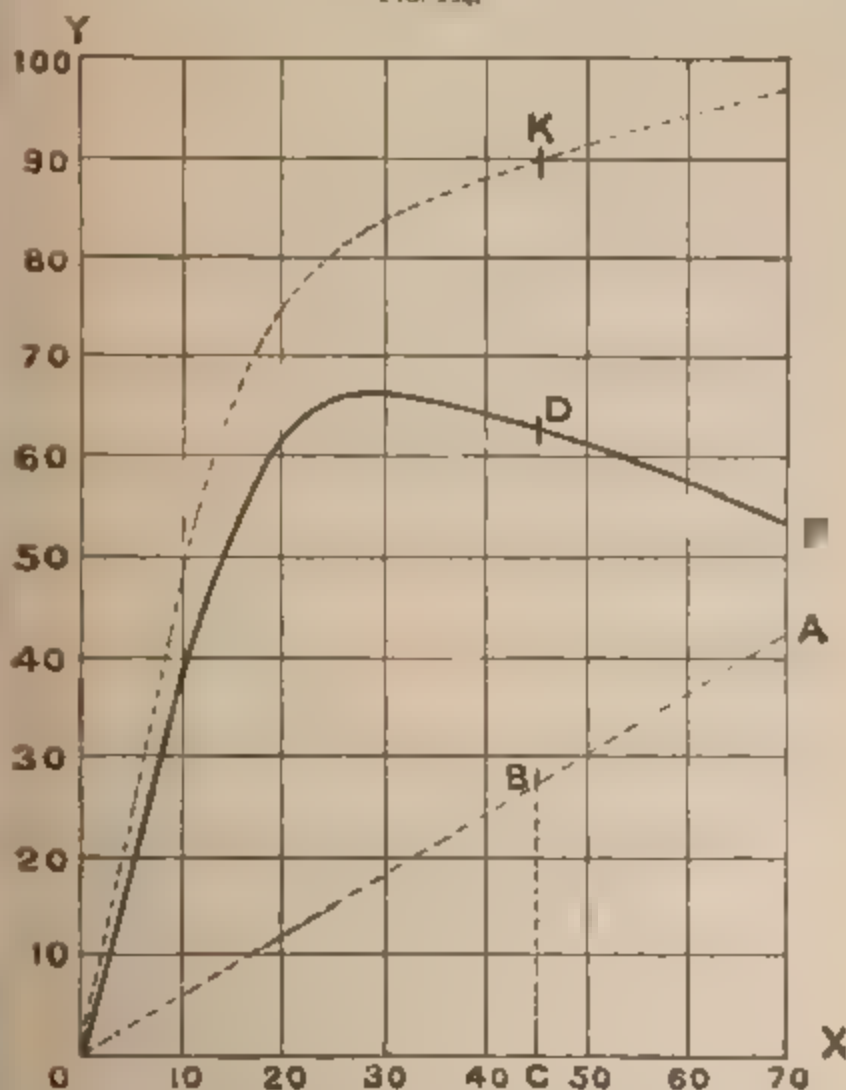


O E being half that length). T  
 are each equal to 746, B and  
 method illustrates the principle  
 methods of finding pairs of I  
 suggest themselves (Euclid, I  
 determining the first point or  
 $\sqrt{(2 \times 746)} = \sqrt{1492}$ , conseque  
 in the case

characteristic curve, is the more useful of the two, for in practice we are concerned with the external potential difference which concerns us most.

In fig. 164 the curve O P is the *external* characteristic, obtained from the same machine as the previous curve, running at the same speed.

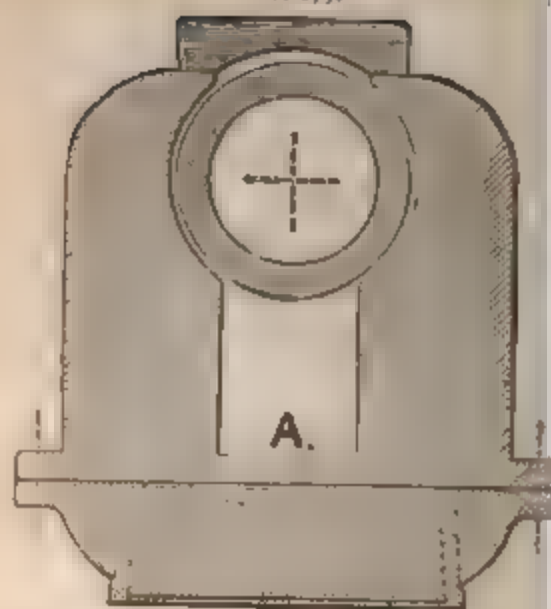
FIG. 164.



speed. The bend is now even more clearly defined; in fact, at a certain point, the potential difference falls as the current is increased. One reason for this bending down is, as we have seen, the magnetic saturation of the iron, and it is also partly due to the heavy current in the armature distorting the field. The curve shows us then, at a glance, the particular current at which we can get the maximum external potential difference at a given speed, and, of course, by inserting the horse-



FIG. 177.



viously described, but the armature brackets bolted to the bed plate pulley is grooved for rope gearing.

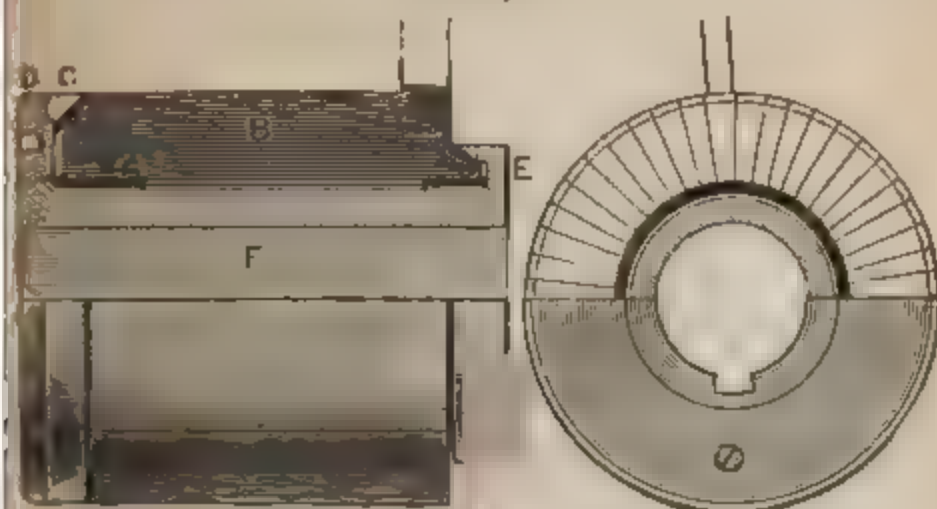
The brushes are made of soft iron machine each brush is composed of adjustable sections, the holder rod is of gun-metal bracket.

The commutator consists of 1 drawn copper or gun-metal casting gives two views of the

by means of mica, and from the bush *e* and ring *c* by sheets of fibre, indicated by the thick lines in the figure.

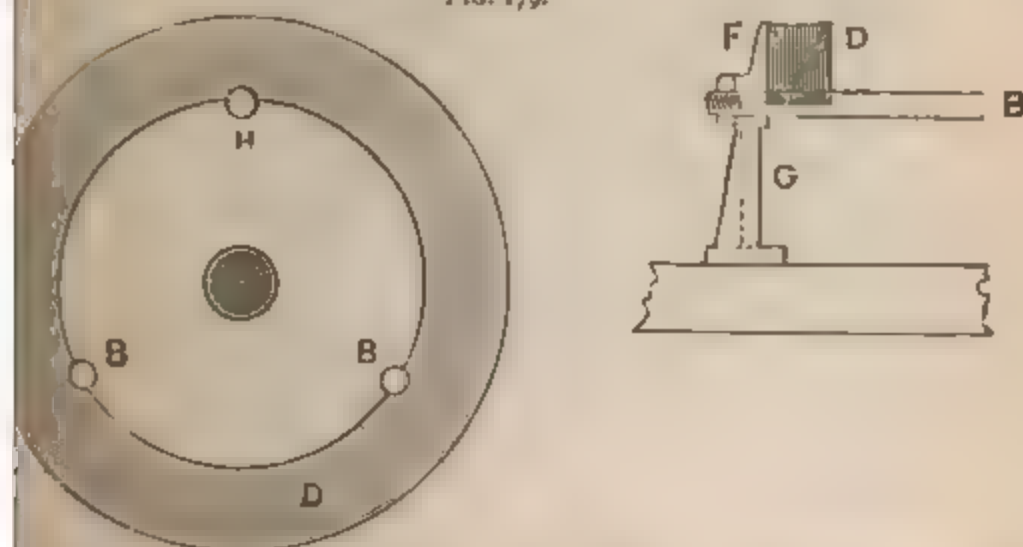
The armature is of the ring type, and its core is built up of a series of thin soft iron rings (*d*, fig. 179), insulated by paraffined

FIG. 178.



oil, and the whole firmly clamped together between two end plates by three delta metal bolts, the semicircular pieces being shaped out of the iron rings to fit these bolts. A gun-metal

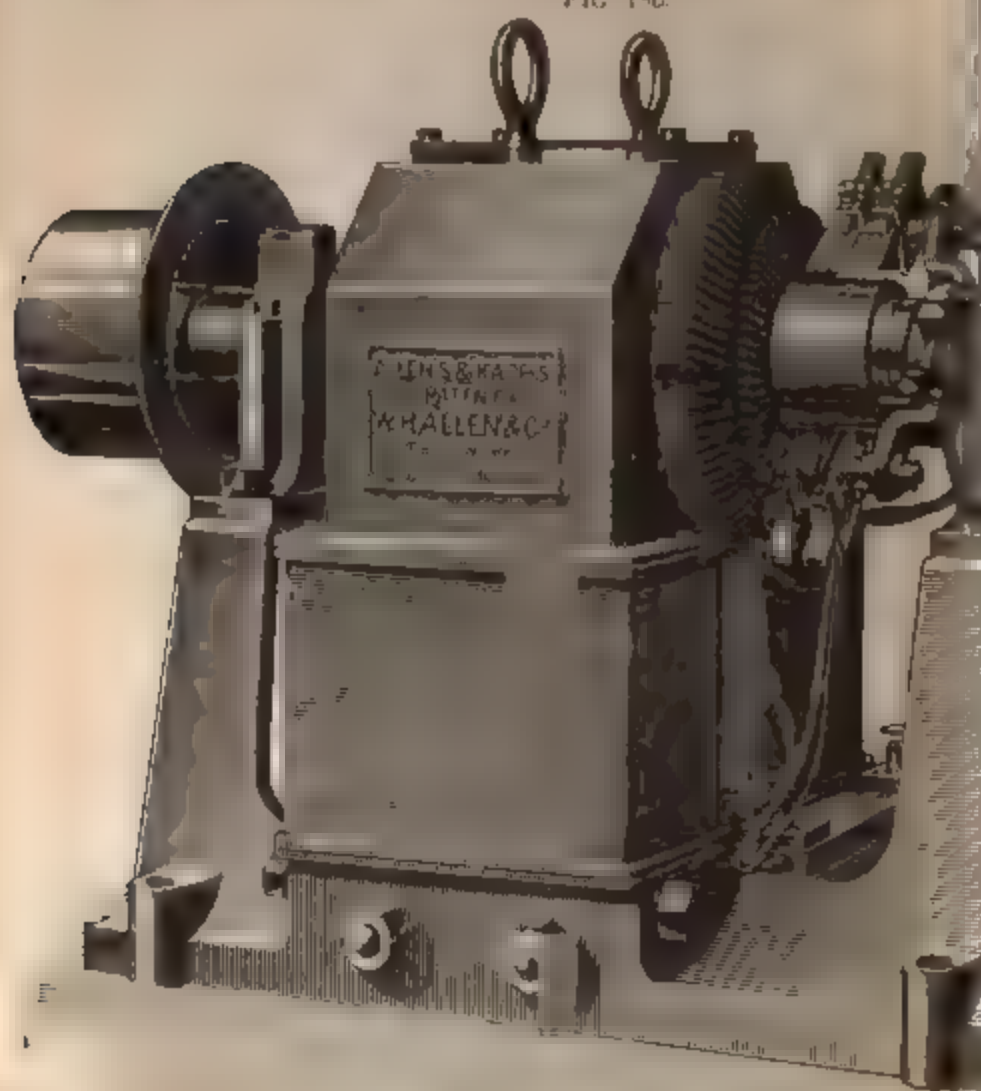
FIG. 179.



with three radial arms, *c*, is keyed on to the shaft at each end of the core, the bolts passing through their extremities as at *F*. One size of the machine illustrated in fig. 176 has an output of 1,500 watts at 100 volts (65 amperes) when driven at 1,300

revolutions per minute. It is compound wound. The resistance of the armature is  $0.03$  ohm, and of the shunt coil and the series turns being wound inside the shunt coil a resistance of  $0.018$  ohm. From these figures they calculate the power spent in the various portions of the machine when the maximum current of 65 amperes is flowing.

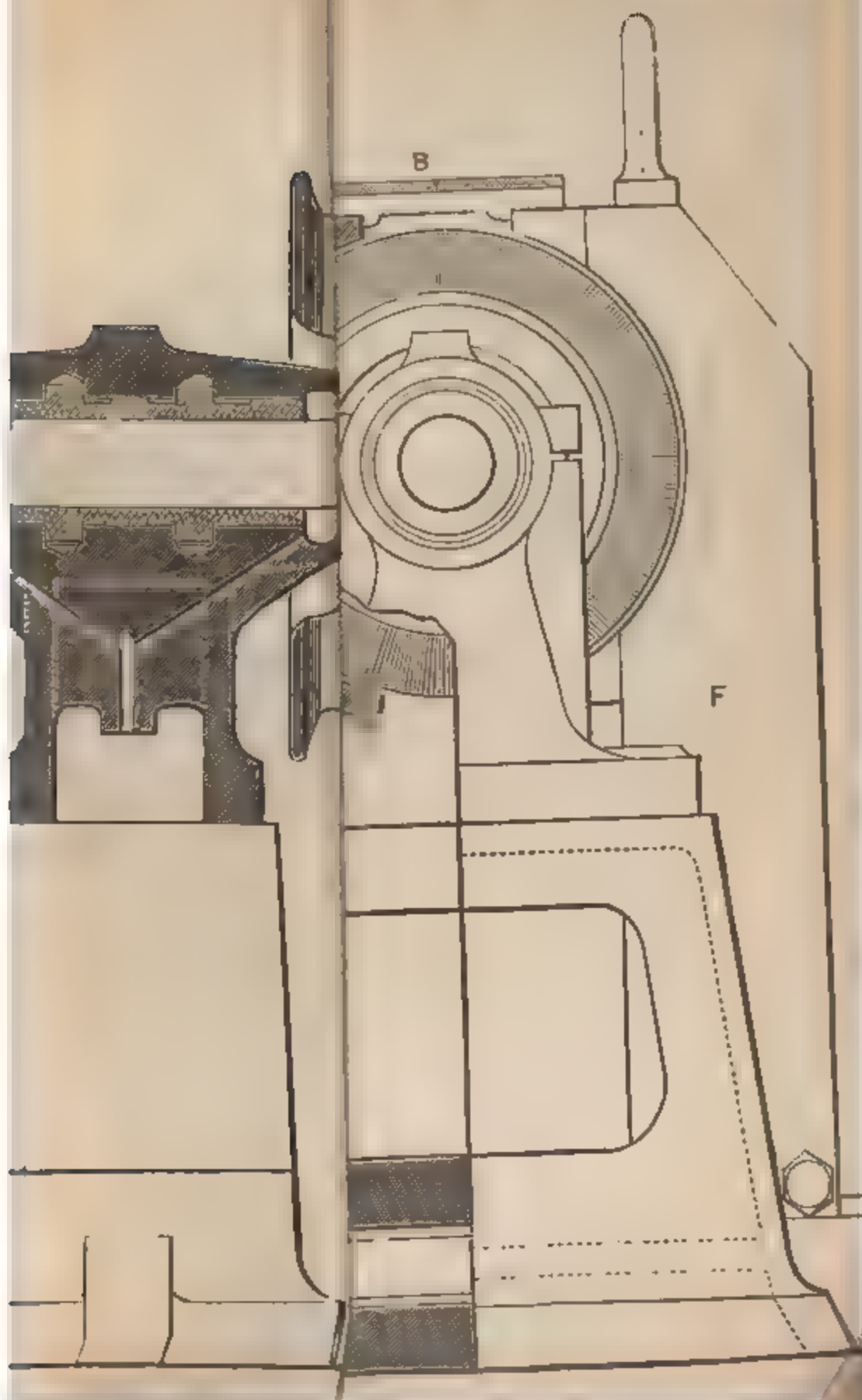
FIG. 150.



A general view of the dynamo designed by Mr. G. B. Allen and constructed by Messrs. W. H. Allen & Co. is given in Fig. 150. The field magnets are also of the inverted horse-shoe type, which, it should be mentioned, Mr. Kapp was the first

FIG. 182.

*In face page 332.*



THE NEW YORK  
PUBLIC LIBRARY

ASTOR, LENOX AND  
TILDEN FOUNDATIONS.



Object being to minimise, as far as possible, the magnetic leakage, as will be further explained presently. The armature in the machine illustrated is of the ring or cylinder type, but very few Kapp machines are now made with this class of armature. The drum and ring types are, however, very similar in external appearance, the chief difference being that due to the greater projection of the drum armature on account of the space taken up by the cross-connections.

Figs. 181 and 182 illustrate many details of a recently-constructed drum machine, the former being a longitudinal section, and the latter an end view, half in section.

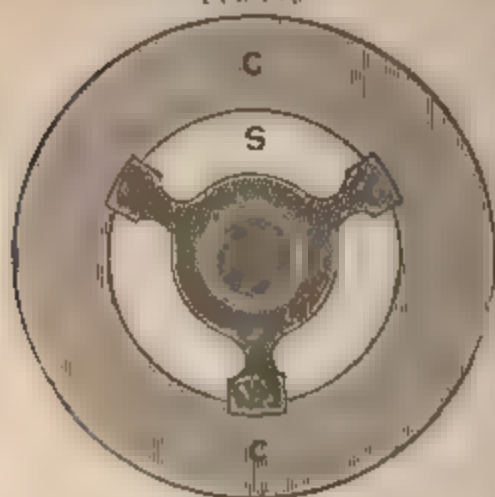
Each field-magnet limb, *f*, consists of a single slab of wrought-iron, the lower end of which fits into a slot in the cast iron bed-plate. The bed-plate is solid at this part, and the vertical limbs are secured in position by two large bolts passing through, as shown in fig. 182. The pole-pieces are bored out circularly to form the space in which the armature is to revolve, and the horns are securely pinned on. Upon the upper horns is fixed a board *B*, which acts as a cover to protect the armature. The field-magnet coils are of cotton-covered copper wire and are wound on frames or bobbins of thin sheet steel, *b b*, insulated with varnished paper, the bobbins being slipped over the cores after the wire has been wound.

The construction of the armature, which is well-designed and built with extreme care, is shown in fig. 181. *H* is a cast iron hub, having three radial arms, *w*; it is securely keyed on to the steel shaft, its length along the shaft being equal to the length of the finished core. The extremities of the arms are planed to fit into notches in the core plates, *C*, as shown in fig. 182, which is a section through the armature core and hub taken at right angles to the shaft. The core plates are of thin charcoal iron, and between them at equal intervals are placed three painted plates, which are kept a little distance apart by fibre, thus affording spaces for the circulation of air. The plates are separately well varnished, and while under high pressure between them the core is slotted to receive the arms, *w*, of the shaft of figs. 181 and 183 corresponds. In the 4

is shown directly below the shaft, while above it is the air-space, *s*, between the other two arms.

At one end of the shaft is provided a solid boss, *κ*, and against this bears a cast-iron plate, *P*, in which are inlets, *D D*, for the passage of air. The core is held between *P* and a similar end plate, *R*, which is secured by a steel nut, *N*, screwed on to the shaft.

FIG. 183.



The ventilation is thus most efficient, for the air can enter through each end-plate by openings similar to *D*, and find its way along the spaces, *s*, between the hub and core plates, leaving by the openings between the rigid plates previously referred to.

Before being wound the core is turned in a lathe to obtain a perfectly cylindrical and smooth surface. At intervals round the thickness of the plates there are projections, which serve to drive the conductor and prevent its being stripped. These projections are shown on the middle pair of plates in fig. 181, and, in addition to these horns, the completed armature is bound round in several places with thin strong wire which effectually overcomes any tendency towards bulging or stripping.

There are 204 active conductors round the periphery of the armature, each consisting of a straight strip or bar of copper, 0.0215 sq. in. in sectional area, insulated with a double cotton covering. They project to different distances over the edge of the core, and are soldered to the ends of peculiarly shaped copper strips which form the cross connections.

One of these connecting strips is shown in fig. 184. It is a stamping of sheet copper and forms almost, but not quite, a semi-circle, because it is required to extend round the end of the armature just far enough to connect two bars which are almost at opposite extremities of a diameter. The connector is placed with its plane parallel to the plane of the core discs, and the two small end pieces or tags, *ee*, are bent round at the part shown by the dotted lines until they are at right angles to the other portion of the

ends of the two conductors which are to be joined together to these pieces (*ee*). In fig. 181 the conductor is soldered to the tag *e*. Each section of the armature consists of four sections, that is, four active conductors, and the cross-connectors occupy a comparatively small space, a section through them being shown at L.L. Over the shoulder of each

is fixed a cast iron ring, *r*, with a wide deep groove in which the cross-connectors are placed, each well being being over-wound with tape

and shellac varnish. There are four sections in the commutator, and the method of holding them in position is shown in a longitudinal section. They have two grooves, into which fit rings of hard rubber, the sections through which are shown in the figure, and it will be seen that there is a deep groove on the inner surface of each ring. A gun-metal sleeve is fitted to the shaft, one end fitting over one of the insulating rings, while the other end round the other end for a distance of one inch when screwed up home, presses the rubber ring into the groove of the commutator ring. The commutator bars are insulated from each other by mica, and the commutator is divided into two independent parts, this being a better

method than one wide brush, which would probably wear unevenly, in consequence, cause a considerable variation in the surface contact. The sectional view also shows the position of the rocking bar which the rocking bar is carried round a groove at the top of the cast-iron standard, and the fixing of the horizontal bars, which are insulated from the rocking bar by hard rubber. Various other mechanical details are set forth in the drawings. It perhaps it should be mentioned that the radial lines at the outer edge of the armature in fig. 182 indicate the edges of the pieces, *ee*, of the connectors.

The machine is shunt-wound, and, when driven at 680

FIG. 184.



lines.

The unit of magnetic induction proposed by Mr. Kapp, who considered it superior to that based on the C.G.S. unit, is equal to 6,000 C.G.S. lines, and is based on the square inch instead of the square centimetre. Perhaps, in some respects, it may never probably survive, as it is already in use by manufacturers. The conversion from the C.G.S. unit, of course, be accomplished with the knowledge that one square inch contains about 6,000 C.G.S. units.

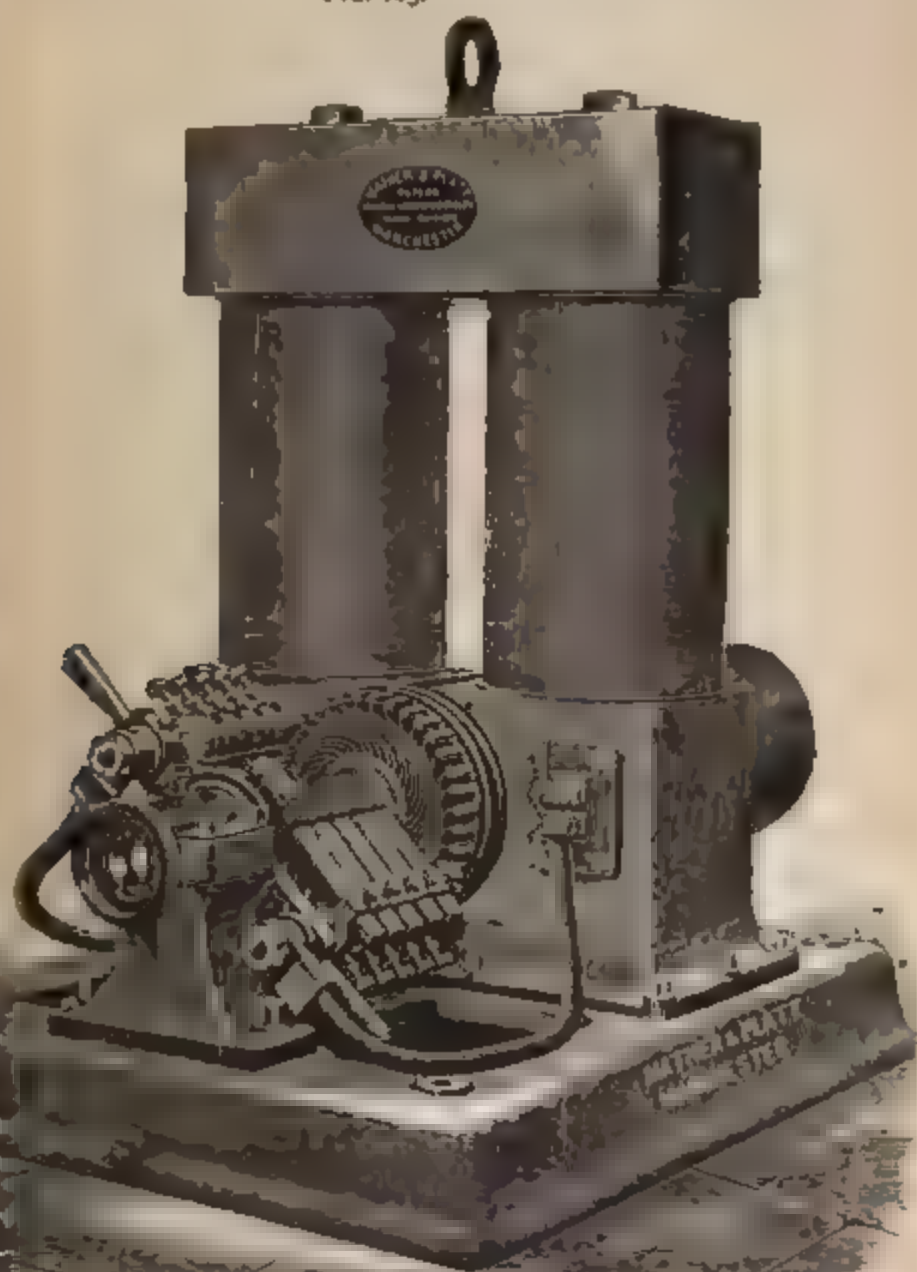
Therefore the magnetic induction of the above referred to is about 18,000 C.G.S. units. magnet 11,100 C.G.S. units.

Many forms of dynamo machines were used by Mr. Edison. In some of the earliest designs consisted of a number of straight coils of wire divided into two sets, terminating in brushes between which the armature revolved. This was essentially bad, on account of the sparking required as compared with the most economical form in this respect.

Since the laws which govern the action of the field better understood, Edison's field

ally short-circuits the pole-pieces, and affords a path which some of the lines of force leak, instead of passing the armature. On the other hand, there is the advantage centre of gravity of the moving parts is kept low, thus

FIG. 185.



to the stability of the machine, and also in some cases facilities for driving direct from a steam engine fixed upon bed-plate. In the machine under notice this leakage is



revolutions per minute, develops an E.M.F. maximum output being 12,000 watts. The resistance when cold is 0.045 ohm and of the short

The sectional area of the main or the armature in., and the maximum magnetic induction through the lines, while the sectional area of each armature of 67.5 sq. in. and the magnetic induction through the lines.

The unit of magnetic induction here referred to by Mr. Kapp, who considered it more suitable than that based on the C.G.S. system, equal to 10,000 C.G.S. lines, and the unit of area square inch instead of the square centimetre, perhaps, in some respects, unfortunate, but probably survive, as it is a unit used by the manufacturers. The conversion from one system of course, be accomplished without much trouble, that one square inch contains about 0.45 square

Therefore the magnetic induction through the lines above referred to is about 18,000, and that of the magnet 11,100 C.G.S. units.

Many forms of dynamo machines have been devised by Mr. Edison. In some of the earlier ones the field consisted of a number of straight electro-magnets divided into two sets, terminating in a pair of poles between which the armature revolved. This was essentially bad, on account of the large space required as compared with the most economical form in this respect.

Since the laws which govern electricity and magnetism are better understood, Edison's field magnets have been replaced with single massive cores, and the improvement made in the machine was illustrated in fig. 185 is a sketch of the latest form of dynamo. It is a vertical machine, the armature is at the lower end, and an arrangement of brushes and commutator is at the top. The machine has a

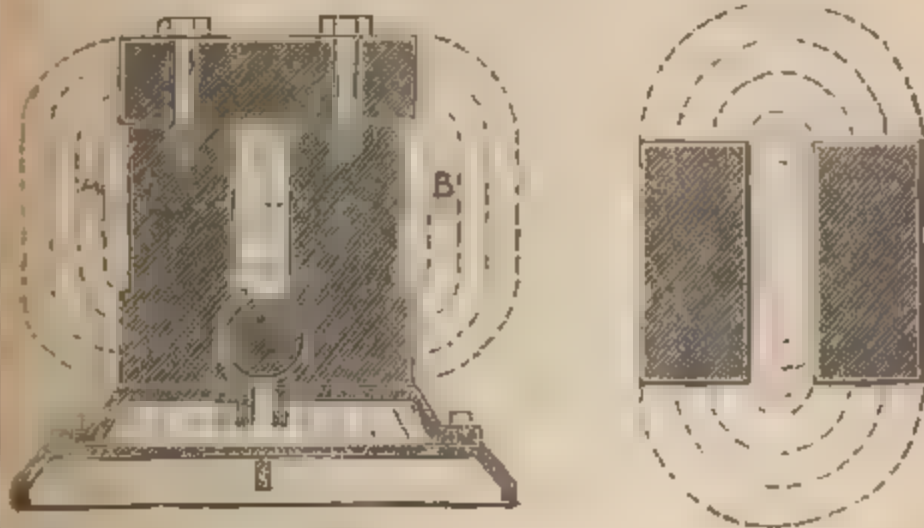
This type of dynamo is additionally interesting from the fact that it has been carefully studied and tested by the Drs. Hopkinson, the results having been published in various papers. The object was (a) to endeavour to gain such information as would enable the performance of a dynamo to be predicted, when its configuration and the various dimensions and qualities of the material employed (especially the iron) are known; and therefore to enable any machine desired to give certain results at a given speed, to be designed with the greatest accuracy.

We know that in every machine the magnetising force required to develop the field in which the armature rotates is always in excess of that usefully employed; or, in other words, more lines of force are generated than actually pass through the armature core, the difference being caused by leakage at various points.

We will briefly describe one portion of the experiments with a view of enabling the student to better judge of the amount and locality of such leakage in any given machine.

The portion of the experiments referred to consisted in the place of determining exactly the ratio of lines of force actually

FIG. 186.



generated, to the lines passing through the armature core. This ratio will of course always be greater than unity, and may be denoted by  $\nu$ .

In fig. 186, a machine with rectangular cores is shown in section, and lines of force are sketched to roughly indicate the

principal paths of the leakage. Some of the lines from one limb to the other, others leak out of the pole pieces, while many pass through the arches (on which the pole pieces rest), down into the iron.

We have previously mentioned that it is possible to determine the number of lines of force cutting or cut by a coil, by passing a current through two or more given fields, by placing a galvanometer with the coil and observing the deflections. As the E.M.F. is usually comparatively low, the galvanometer is a delicate one, and it is usual to employ one in which a strongly magnetised needle is suspended by a silk thread. A coil of many turns, the deflections of the needle being dependent by the movement of a beam of light reflected by a small mirror fixed to the magnet. But it is not necessary that the needle shall not begin to move until the whole of the brief current has passed through the coil, and it is preferable to make the coil somewhat heavy, avoiding as far as possible the effect of any damping effect. The number of divisions travelled over by the beam of light may then be taken as proportional to the E.M.F. developed, and therefore to the number of lines of force cut.

In the experiments under notice a current of electricity was maintained through the field-magnet coils, from a battery, the armature being disconnected. A single convolute of wire was then wound round the middle of one limb as at A, the wire being joined to an instrument such as a galvanometer, and known as a ballistic galvanometer. Then the field-magnet coils were short-circuited, stopping the current in them, and the lines of force of the single turn of wire are induced by the current passing through the galvanometer, deflected a moment. The needle of the galvanometer, the short-circuiting commencing, the current suddenly passing the current of force in springing outwards, the current which deflected the needle in the opposite direction to

The mean of the two deflections was 264 divisions, which, after allowing for the small amount of residual magnetism, may be taken as proportional to the induction in, or the number of lines of force passing through, the field-magnet limb. The next step was to determine what proportion of these lines passed through the armature, which was of the drum type, each coil consisting of one turn only.

Wires leading from the galvanometer were soldered one to each of two adjacent commutator bars, and the armature placed so that one of the coil connected to those bars lay at right angles to the lines of force.

The field-magnets were excited as before by a current of 5 amperes, and the deflection noticed first when the current was stopped by short-circuiting, and again when the current was turned on and then to thrust them through the armature core. The mean of these two deflections was 200 divisions, and therefore

$$\frac{\text{Deflection through field magnets}}{\text{Deflection through armature}} = \frac{264}{200} = 1.32 = \nu.$$

To say, 24.24 per cent. of the total number of lines of force generated failed to reach the armature core owing to leakage. This method does not give us the actual number of lines of force in C.G.S. units, it nevertheless gives the proportion correct. In these experiments the number passing through the armature was estimated in C.G.S. units by running the machine at normal speed and measuring the resulting E.M.F. without allowing any current to pass through the armature and distort the field. Then the actual number of lines in any other part of the circuit could be found by simple proportion. Having found that 24.24 per cent. of the lines of force were lost by leakage, the next step was to localise that leakage, that is, to determine at what points it occurred. This time the galvanometer, sensitively adjusted, gave a mean deflection of 115 divisions with one turn round the middle of one limb, when a current of 5.6 amperes through the field-magnets was suddenly stopped as before. Four convolutions were then wound round the bed-plate directly under the armature shaft, and,

the current being stopped and started in the field magnets, the galvanometer indicated a mean deflection of 50.25 divisions, due to the lines of force which leaked through the bed plate and cut the four convolutions wound round it. Four turns were employed in order to get a fairly high deflection. The induced E.M.F. being, however, four times that which would be obtained with one turn, it becomes necessary, to enable this result to be compared with the previous one, to reduce it to the value of one convolution, thus :

$$\frac{50.25}{4} = 12.6 \text{ divisions, nearly.}$$

The leakage through the space between the field magnet limbs was measured with a coil of ten turns wound on a square frame, and by a similar calculation was found to be proportional to eight divisions with one convolution.

The horns of the opposite pole pieces approach each other both above and below the armature to within 12.7 centimetres, the depth of each being 8 centimetres. The leakage across each of these gaps was found to be 1.6 divisions, or 3.2 divisions in the two. Reducing these losses to percentages of the total induction, we have

The leakage through the zinc plate and iron base	}	= 10.3 per cent.
The gaps between the horns account for	2.8	"
And the area between the limbs	7.0	"
Making a total loss accounted for	20.1	"
Out of an observed loss of	24.24	"

The leakage through the shaft and from pole piece to yoke, and one pole piece to the other by exterior lines will account for the remainder.

This ratio,  $\eta$ , will, of course, vary slightly with different exciting currents in the field magnet coils, especially when the iron approaches the saturation point, because, the permeability of the iron decreasing with the induction through it, while that of the air remains constant, the proportion of leakage will be greater.

These experiments constituted the first definite attempt to discover the extent and the locality of the leakage of lines of force



generated by the current in the field-magnet coils, and it will be seen that almost a quarter of the power spent for the purpose of developing the field in this particular case was wasted. The large proportion of the leakage for which the bed-plate accounts shows the great advantage pertaining to the inverted horse-shoe form of field-magnet. It is to be regretted that the other types of field-magnet which are now extensively employed have not been subjected to similar experimental examination, but a study of these experiments, together with those made in connection with the machine next to be described, should enable the student to make a very fair estimation in any ordinary case.

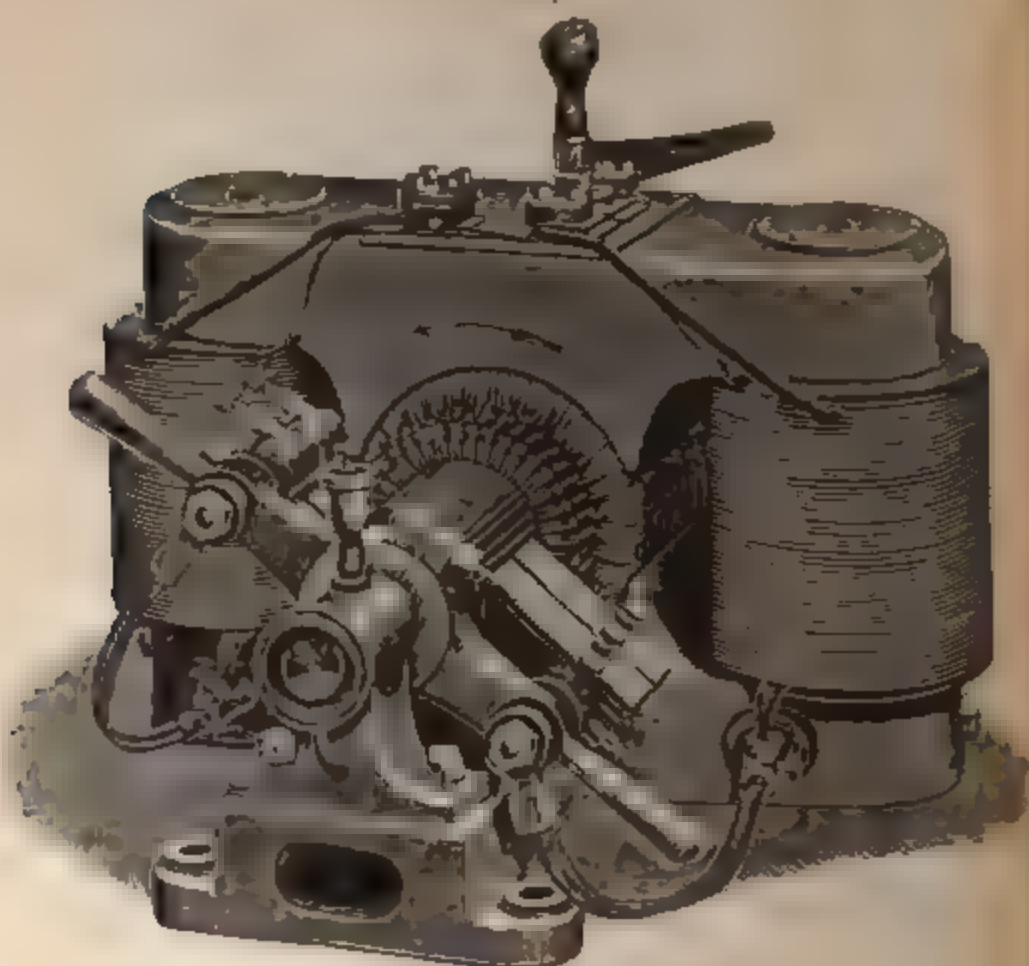
It would, for instance, be safe to predict that for a given magnetic saturation of the iron, comparatively little magnetic leakage would take place with the machine depicted in fig. 175, for the brackets are made of gun metal, and, excepting the shaft, there is practically no magnetic metal employed which would tend to increase the leakage. In this respect this machine is probably the best of any we are acquainted with; but we may again remark that the amount of leakage also depends largely upon the degree of saturation of the iron, and upon the magnetic resistance of the whole magnetic circuit. On the other hand, it would be false economy to make the leakage extremely low, if the extra expense incurred in so doing were out of proportion to the cost of the power which would otherwise be wasted in the generation of the field.

The 'Manchester' dynamo, made by Messrs. Mather & Platt, is illustrated in fig. 187. The arrangement of the field-magnets differs somewhat from that in the machines hitherto described. Two electro-magnets are fixed vertically with their like poles uppermost, the similar poles being in each case joined together by massive iron yokes, shaped as shown, so as to form the pole-pieces between which the armature rotates. The lines of force due to the field-magnet coils are thereby provided with an easy path for completing their respective circuits, and an intense field is projected through the armature. The vertical members of the field-magnets are of wrought iron, let into the horizontal yokes, which, being of cast iron, have about twice the sectional area of the cores. The lower casting is extended on both sides so as to form the bed-plate of the machine, and the centre of gravity of the moving

parts being low, it is comparatively easy to rigidly fix the machine in order to obtain great steadiness in running.

The shaft carrying the armature is made of Bessemer steel, the bearings being of gun-metal, and a free space along the shaft is provided to admit air for ventilating the armature. When driven at 1,100 revolutions per minute, the machine illustrated, which is

FIG. 187.



compound-wound to maintain a potential difference of 100 volts, is capable of generating a current of 80 amperes or a maximum output of 8,000 watts.

The commutator in all dynamos of this type consists of forty bars of hard drawn copper insulated with mica. Each arm of the rocking-bar carries two brushes, each brush being independently adjustable for the reasons already explained. The diameter of commutation with machines of this class, in which the direction of the lines of force through the armature is vertical, approximates

the horizontal, and this position in the Manchester machine is more nearly approached in consequence of a peculiarity in the curvature of the pole-pieces. Instead of the polar surfaces being made concentric with the armature, they are struck from a radius greater than that from the centre of the shaft, so that the pole-pieces are brought slightly nearer the armature at points opposite the extremities of its vertical diameter. The lines of force are therefore more concentrated at these places, which reduces the distortion, and, increasing the activity of the most active or vertical coils, decreases that of those near the neutral point.

The armature is of the ring type, the core consisting of the small thin iron discs clamped between the ends of a gun-metal frame. The arms of this frame, which fit into slots in the discs, are free of the shaft, so that a clear space for ventilation is retained. The end-plate nearest the commutator is keyed to the shaft, while the other is held up tight against the plates by means of a nut. The wire is wound in forty pairs of coils, the resistance from brush to brush being 0.084 ohm.

The shunt coils on the field-magnet have a resistance of 0.5 ohms, and the series coils, which are wound outside the shunt coils, have a resistance of 0.049 ohm.

The gross weight of the machine is 10½ cwt.

The brothers Hopkinson also made on this machine some experiments similar to those already described, and we may briefly refer to the simpler of the experiments which show the percentage and the locality of the leakage of the lines of force. Fig. 188 gives an outline of the machine, and shows the various positions of the testing-coils. As in the other experiments, the armature was disconnected, and a constant current obtained from an independent source to magnetise the field-magnets, the lines of force being made to cut the testing-coil by suddenly starting and stopping the current in the field-magnets, and the mean of the two observed deflections of the ballistic galvanometer calculated as before. In the first experiment four turns were taken round the middle of the limb at A A, and the mean deflection was observed to be 214 divisions. But as with a single turn of wire only one-fourth of this would have been obtained,  $\frac{214}{4} = 53.5$  represents the total in-

# Electrical Engineering

... between each of  
... derived by  
... teeth  
... type of arm



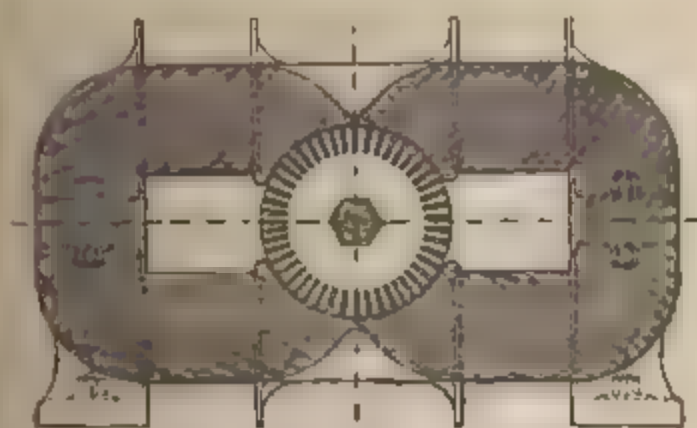
...  
...  
...  
... In



obviated by employing a large number of teeth and making the space between them very small, so that the oscillation of the current is very slight—indeed, practically imperceptible. One section of the armature is wound in each slot, which is just wide enough to hold a single insulated wire, and deep enough to hold the ends of the wires in each section.

The armature shown in fig. 190 each section consists of six wires, so that there are six wires in each slot. If the slots were too deep, some of the lines of force would not be cut by the inner wires; in the present case, the number thus missed is small, practically none being lost in armatures having but six wires in each section. The core is built up of thin discs of iron, of the shape shown in the sectional figure. The

FIG. 190.



plates are hexagonal, and the plates or discs are threaded on the hexagonal steel shaft, so that each one is driven directly. This, added to the fact already mentioned, that the wire is in deep and narrow slots, makes the armature as a whole mechanically strong, there being little risk of a sudden stress on the core or stripping the conductor from its place. There is usually a large proportion of iron in the core; in fact, the whole space, except the small amount taken up by the insulation, is occupied by the iron plates and steel shaft, no allowance whatever being made for ventilation. It will be observed, that a large amount of the iron core (the edges of the plates) is in direct contact with the air, and as the armature rotates



the heat is carried off by convection, thus preventing any rise in temperature. The facility afforded in this way for dissipation of the heat generated in the core, gives the Pacinotti ring one very important advantage. The commutator sections or bars are insulated with mica, rings of asbestos fibre being employed at the ends of the bars to insulate them from the clamping-nut and washer by which they are held in position.

When the machine is compound wound, the series turns are usually wound on the top magnet cores. Should the series winding not occupy the whole of the wire space, it is filled up with a portion of the shunt wire, which also occupies the whole of the space on the lower magnet cores.

For large machines, sheet copper, insulated with strips of mica, is used for the series winding.

The following details concerning one of these machines recently constructed to give 12,000 watts at an E.M.F. of 100 volts when driven at 710 revolutions, will be of service.

The armature is wound in fifty-two sections, each of 100 revolutions, so that there are fifty-two bars in the commutator, two wires in each slot. The sectional area of the cast iron magnet cores is considerably greater than that of the armature core, the former being 98 and the latter 29.7 square inches. The maximum magnetic induction through the armature core is 23 Kapp lines per square inch, or about 21,000 C.G.S. lines per square centimetre.

The armature conductor is of braided wire, very thick, insulated from the core and from the adjacent wire in the slot, and the current density in the conductor, with 120 amperes, is 3,210 amperes per square inch.

The series winding on each of the top limbs consists of eight turns of sheet copper, 4.5 inches wide and 0.025 inch thick, having a resistance of 0.0124 ohms, and giving, with the maximum current, 3,360 ampere turns.

The resistance of the shunt coils is 32.4 ohms, the ampere-turns being the potential difference of 100 volts, being 6,468.

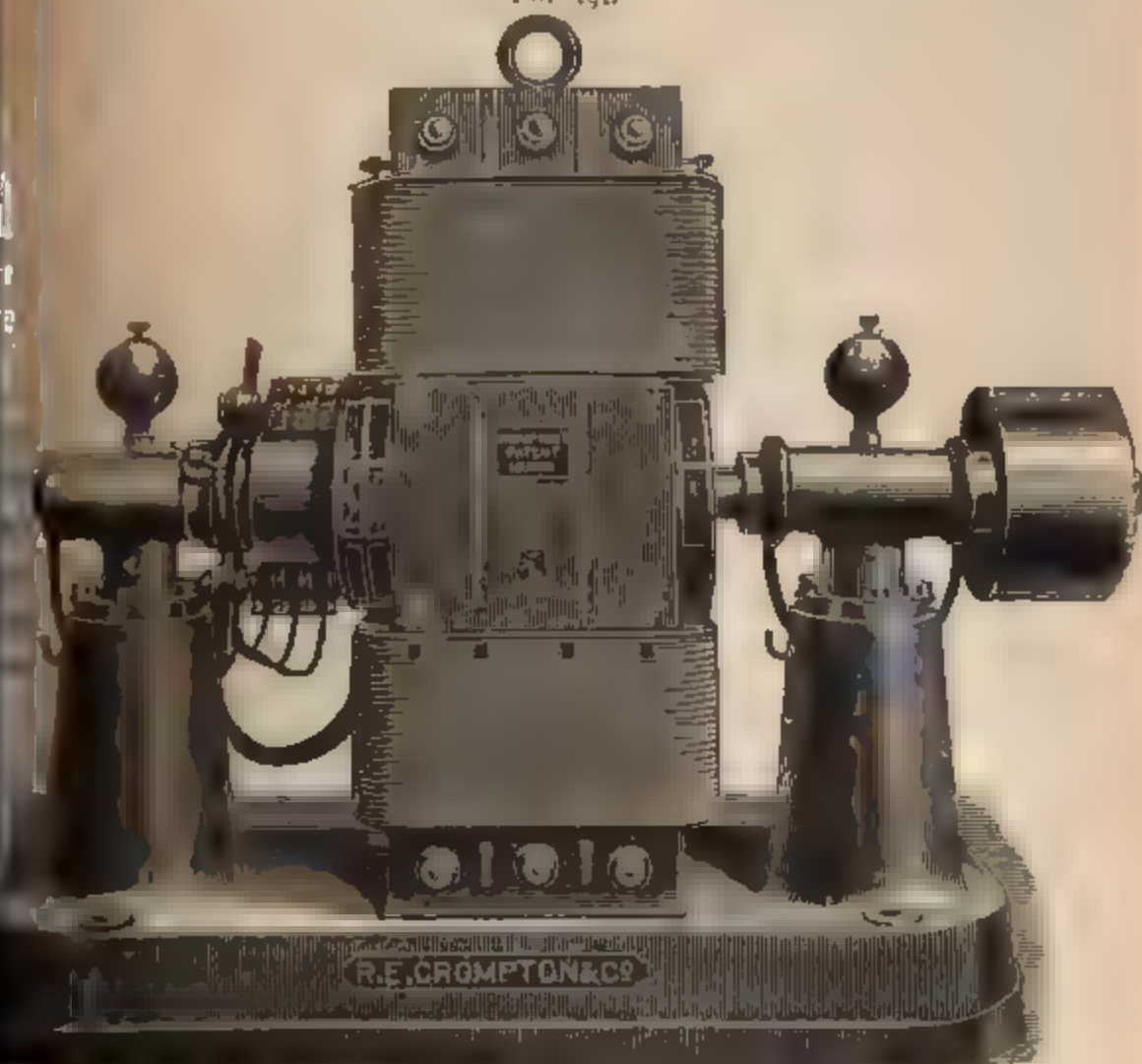
It may from the above easily determine the number of turns required in the various parts of the circuit, remembering that

mount developed in the external circuit when the maximum current is being obtained will be  $EC = 100 \times 120 = 12,000$  watts. Thus,

Shunt coils	32'4",	watts lost with 100 volts	= 308
Series „	0'0124",	„ „ 120 amperes	= 178
Armature „	0'045",	„ „ 120 „	= 648

Fig. 191 illustrates the 'Trade' dynamo of Messrs. Crompton Co. It is somewhat similar to the Manchester dynamo, and to



Fig. 191.



that just described, in that it consists of a double electro-magnet, the difference being that it is fixed vertically instead of horizontally. The field-magnet cores are of annealed wrought-iron, and are

## Exam 2 Summary

The first of these is the fact that the beds are all  
of the same age and composition, and in such a manner  
that the whole system may have their common origin  
in the one side having their north pole at the  
same time and place as a point, so that the  
stratification between the structure from and to  
is of the same kind, between the coals, which are

[illegible]

tain the greatest difference of potential. From the negative to the positive brush either way round the commutator, the potential gradually increases in value, and if the negative brush were shifted, say, 20° forward, it would touch at a point of higher potential, and consequently the *difference* between the two brushes would be reduced. A like reduction would follow if the positive brush were moved forward, because it would then make contact at a point of lower potential; and in the third case the difference of potential between the two might be decreased by giving them simultaneously a greater angle of lead, until they would be at nearly the same potential when moved through an angle of 90°.

It follows that by merely shifting the brushes the potential difference at the terminals may be made what we please from the maximum downwards, and this method might be employed to vary the pressure, and therefore the current, to suit the requirements of the circuit. Thus the brushes might be set 20° ahead of their normal position of no sparking—that is, where the difference of potential between them is at a maximum—and then, if the current became too strong, the brushes could be shifted yet further ahead, thus reducing the potential difference and also the current; while by moving the brushes back towards their normal position, the current could be increased in strength, should it fall below the desired value.

This would, however, be impracticable in an ordinary dynamo, on account of the terrific sparking which would ensue; and one of the principal features in Mr. Statter's machine is the method by which he renders it possible to vary the lead of the brushes through a considerable angle, without causing this sparking.

Confining our attention at present to the case of ring armatures, it will be remembered that when a coil which is carrying the whole of the current generated in one half of the armature is short circuited by the brush, the electro-magnetic inertia of the coil, due to its self-induction, prevents the instantaneous cessation of the current; and that even if the coil is commutated at the moment when its plane is exactly at right angles to the field and therefore in itself inactive, yet there will be a considerable spark caused by what we may term the self induction current in the coil. For this reason it is found to be necessary to give the brushes a slight extra lead so that the coil may begin to cut lines of force,



and the induced  $E.M.F.$  is an opposing  $E.M.F.$  sufficiently strong to counteract the self-inductive effect, and stop the current in the coil before the coil leaves its commutator bars. Now the greater the field the greater is the extra lead required to counteract the opposing  $E.M.F.$  The extra lead also increases with the self-induction of each individual coil, while in the case of some machines having but one or two convolutions in each section, it is practically nil.

It must be remembered that this extra lead is not due to the distortion of the field, but is simply required to prevent the current which would otherwise result from the self-induction of the coil. Neither must it be forgotten that if the current is kept constant in strength, the  $E.M.F.$  thus required to be counterbalanced is the same whether the coil is short-circuited at  $10^\circ$ ,  $20^\circ$ , or  $30^\circ$  ahead of the normal position. In an ordinary field the action of the coil increases with such rapidity as it leaves the normal position, that the self-inductive effect is more than balanced, and there is a remaining  $E.M.F.$  opposite in direction induced by the field on the coil, which is then competent to cause sparking.

But if the field were made uniform and of such strength that for a certain distance beyond the neutral point—say through an angle of  $40^\circ$ —the number of lines cut by the coil at any position in that angular space was just sufficient to counterbalance the  $E.M.F.$  of self-induction, then the potential difference at the ends of the coil throughout that range would be nil, and no sparking would ensue if it were short-circuited.

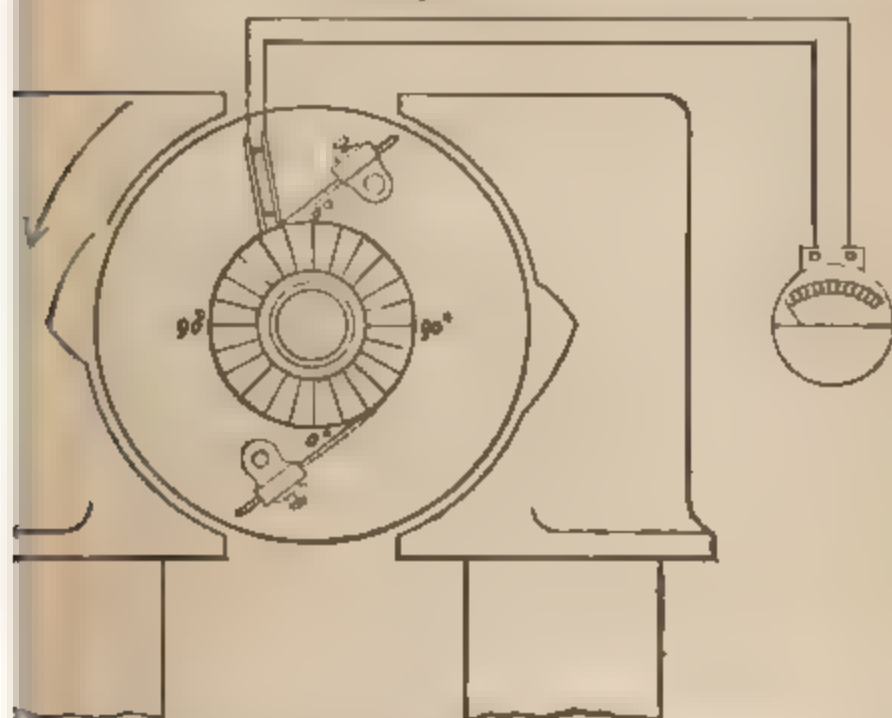
This is Mr. Statter's method, and in order to allow a strong field to be employed, each coil contains an unusually large number of convolutions, there being also plenty of iron in the armature, so that a strong field is required to counterbalance the resulting high self-inductive effect. Portions of the pole pieces are cut away at such points as will make the density of the lines of force entering the armature over a given angle equal; and the best places where the field has to be increased or reduced in strength are ascertained by experimenting in the following manner.

A series machine is constructed in the ordinary way, with pole faces concentric with the armature, but with a rather small number of convolutions than usual in each armature section. The



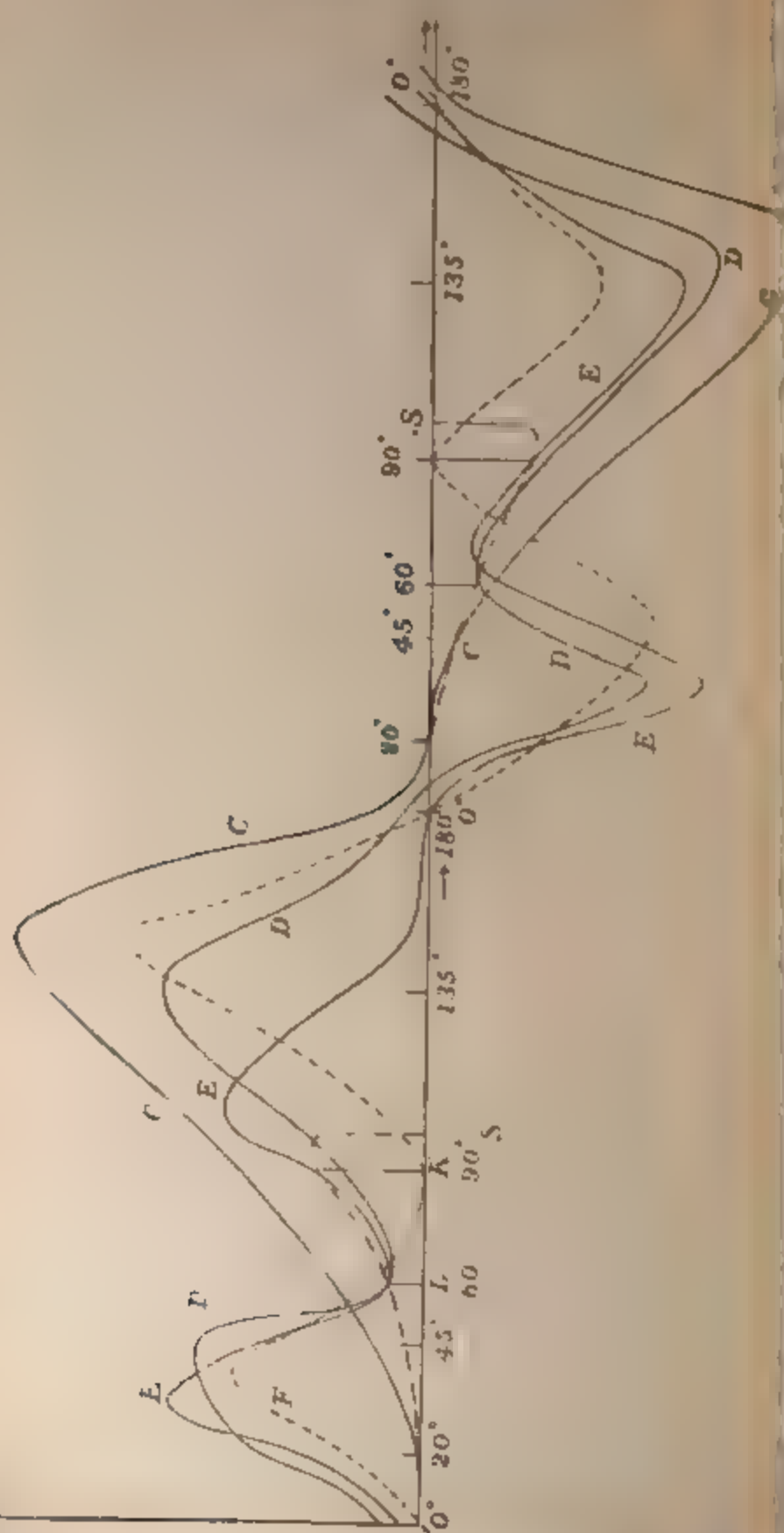
which it is driven is kept constant, and also the current, amperes, when the effect of self-induction, which has to be considered, but not over-balanced, will be constant also. The object is to find out what is the activity of a single coil at the various stages of its circular path, and, in order to decide this, use of a set of apparatus which has been employed for similar objects by other experimenters with good results. It consists of a voltmeter of the requisite range, having its terminals connected by flexible wires to two copper strips, which are fixed at a certain distance apart by pieces of insulating material, so that

FIG. 192



a bridge over the width of a commutator segment. The principle of this simple apparatus and the method of using it are illustrated in fig 192. While the machine is running, and a current flows through an external resistance, the exploring brushes, as we may term them, are held against the commutator, as shown in the figure, and each coil as it passes the point where the brushes are placed is connected up for a moment to the voltmeter, which indicates the electromotive force developed in the coil while passing that position. The exploring brushes are placed at suitable stages round the whole of the commutator, and

FIG. 100.



The deflection of the voltmeter noted for each position. The results are plotted in the form of a curve (see fig. 193), the distances along the horizontal line being taken to represent the angular distance of the coil from the zero position on the commutator, while the vertical distances represent the E.M.F. in volts developed by one coil in the various positions.

The curve *c c* was obtained in this manner when the main brushes were placed in the normal position, the lead being about  $20^\circ$ . The results obtained in passing *down* the commutator in the direction of rotation are plotted above, while those obtained in passing *up* are plotted below the line; and it will be observed that the E.M.F. at the extremities of each coil becomes *nil* at  $20^\circ$  from zero, while it is a maximum at about  $150^\circ$  from zero.

To facilitate comparison, both the point vertically above and that vertically below the centre of the shaft are regarded as zero points.

This curve having been obtained, the brushes were shifted forward to a position  $60^\circ$  from zero, and, regardless of sparking, the potential difference at the extremities of a coil in all the various positions was again measured. Another curve, *DD D*, was obtained by plotting these results, and it will be observed that, at the moment a coil is passing under the main brushes, the potential difference at its ends is considerable. This potential difference, which gives rise to the sparking, is in fact proportional to the height of the ordinate *L*, and it is equal to the excess of the E.M.F. induced in the coil by the powerful field at this point over that momentary E.M.F. due to the self-induction of the coil at the moment it is short-circuited. It is clear, then, that to eliminate the sparking when the main brushes are given a forward lead of  $60^\circ$ , the strength of the field must be reduced by just so many lines of force as would develop an E.M.F. proportional to the ordinate *L*, and then the E.M.F. of self-induction and that being induced in the coil would exactly balance. The length and number of active conductors in each coil, and also the speed of rotation being known, this number of lines of force can readily be determined.

The main brushes were next given a lead of  $90^\circ$ , when, as might be expected, the sparking became even more severe, but by means of the exploring brushes and voltmeter the curve *E E E* was

rapidly obtained. The E.M.F. in excess, which at this position of the brushes causes the sparking, is represented by the ordinate  $g$ , which gives a means of estimating the extent to which it is here necessary to reduce the strength of the field. About ten such curves were obtained with the brushes in various positions between  $20^\circ$  and  $100^\circ$ ; but we have only given three of them in order to avoid a complex figure. From each point on the horizontal line corresponding to the angular distance of the main brushes from zero, a perpendicular is erected to cut the curve which was obtained with those brushes in that particular position (as we have observed,  $l$  and  $k$  are such ordinates), and by joining the tops of the waves of the ten ordinates the dotted curves starting at  $20^\circ$  and terminating at  $s$  are obtained.

The area contained between one of these curves and the horizontal line affords an indication of the amount of iron which should be removed from the corresponding pole face in order to weaken the field to the desired extent.

But since the very act of increasing the distance between the pole-face and the armature core at one point increases the density of the lines of force at another adjacent point, the areas  $cn$  approximately represent the shape of the cavity required in the pole-face. For this reason the curves are, in practice, simply used as a guide to indicate to what extent the field requires reduction at various parts, and the iron is removed to a rather less extent than is sufficient, so as to allow a margin for any error. Other curves are then obtained by means of the exploring apparatus, and a second approximation to the final result is arrived at, the process being again repeated if necessary. The dotted curve  $f$  was obtained with the brushes at  $90^\circ$  after the pole-face had been shaped and shows by its coincidence with the horizontal line at  $90$  that no sparking took place with the brushes in that position.

One method of modifying the field is to cut a groove in the pole face parallel to the shaft, after the manner shown in fig. 192, and it will be seen that the outline of the groove approximates somewhat to the dotted shaping curves in fig. 193.

The desired result may, however, be obtained by removing the iron in a variety of ways, such as boring holes in the pole pieces, or even by using iron of different permeability.

have here considered the case of a ring armature machine, in which the maximum number of lines which each coil can at any time embrace is only half the total number passing through the field. But in the case of a drum armature the whole of the field can at once be embraced and cut by a coil during half a revolution; it is therefore only necessary to 'explore' through the field and the commutator, and plot the curves, say above the zero line, to obtain one shaping curve. This will indicate approximately the amount by which the whole field must be reduced, and the amount of the iron may be removed from one pole-piece, or from each, as in fig. 192.

In this manner, then, is it rendered possible for the brushes to be lifted through a considerable angle in order to vary the field difference, and consequently the current strength, without any sparking. It now remains to show the method by which the brushes are automatically moved to the proper position as the current varies. A view of the machine, with its auto-regulator, is given in fig. 194. In this particular case, two brushes are cut in each pole face, but they do not extend to the cheek, so that, in external appearance, it is similar to an ordinary ring armature machine. The solenoid shown in the front of the figure is wound with thick wire, and is joined up in the main circuit, so that the whole current passes through it. Inside it is a core which is free to have a small vertical movement, its centre being below that of the solenoid. When the main current rises above its proper value the core is sucked up, and throws into gear a simple mechanism which increases the lead of the brushes and so reduces the current; similarly, a reduction in the current strength allows the core to fall, when the mechanism is reversed, and the brushes move towards the zero or maximum potential position.

A horizontal bar which carries the brush-holders is placed, as usual, on top of the bearing next the commutator, the collar, however, being adjusted and the bearing oiled so that the bar can move vertically. On the upper part of the collar is fixed a toothed wheel which gears with a pinion on a spindle parallel to the axis of the machine; the other end of this spindle carries two ratchet wheels, each  $5\frac{1}{2}$  inches in diameter, but with their teeth set in opposite directions. The nearer of these ratchet wheels can be



power available in the external circuit is 12,900 watts. It is series wound, the resistances, measured when the wires were hot, being: armature, 8.79 ohms; field-magnets, 3.3 ohms; regulating solenoid, 0.57 ohm. There are sixty commutator bars, and the number of convolutions in each section of the armature is fifty-four. The magnetic induction through the armature is 17 Kapp lines, or rather over 17,000 C.G.S. lines.

An interesting machine of this class is in use for generating the current for the Northfleet Tramway, where the motors on the various cars are placed in series, and the power required varies rapidly and considerably, while the current must be kept constant at 50 amperes. The maximum E.M.F. at the terminals is 450 volts, and the brushes are continually travelling backwards and forwards, the sparking being hardly noticeable.

Another type of dynamo, manufactured by the same firm, is illustrated in section in fig. 195, the section being taken vertically through the spindle. The machine is designed to be driven direct by a steam engine, which is built upon the same bed plate with it, and it is, consequently, calculated to develop the requisite E.M.F. at a low speed.

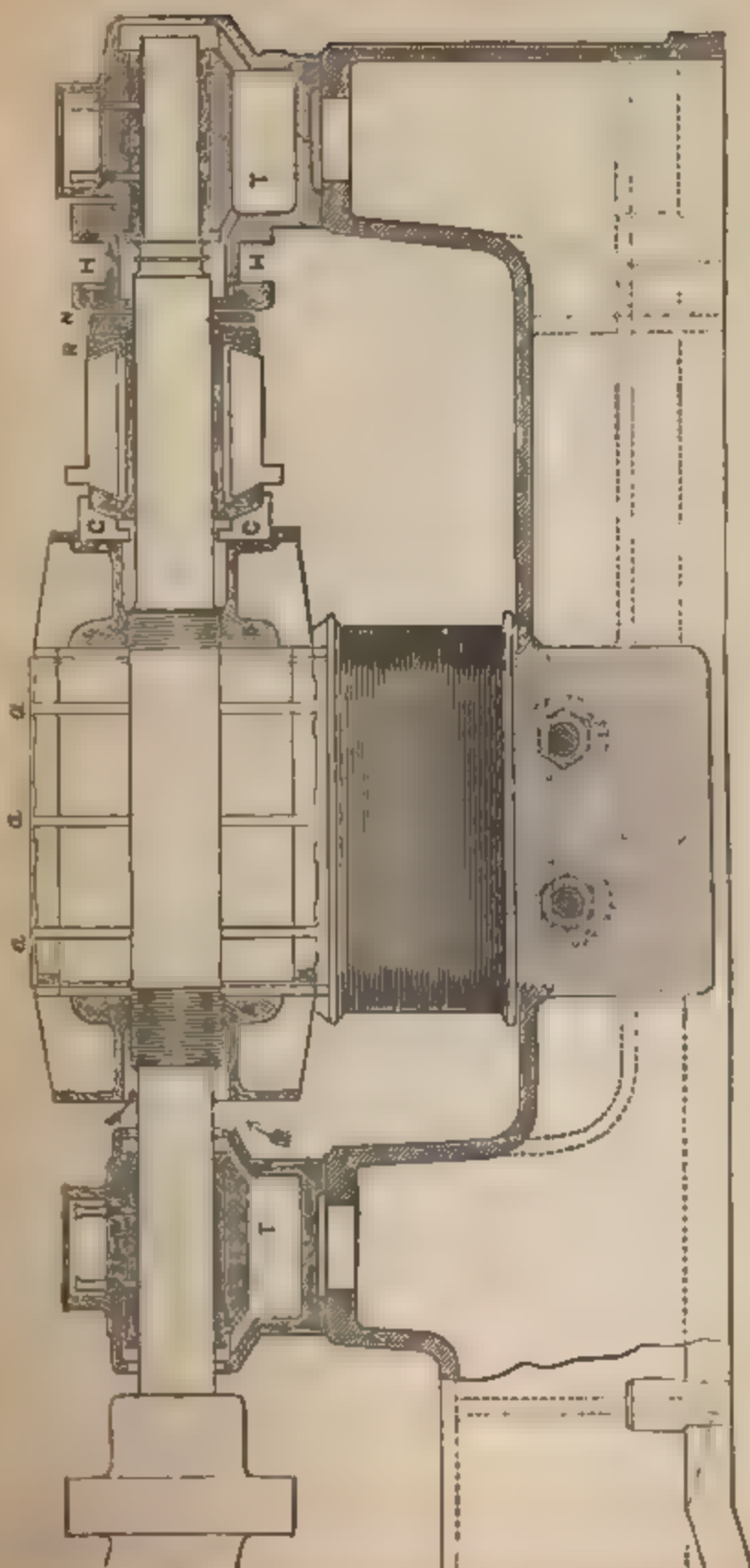
The framework is a hollow casting, well stayed with cross ribs, and cast solid at one part to form the yoke. The slabs forming the limbs of the field magnet are of wrought-iron, of the brand known as 'Kirkstall scrap,' carefully annealed, each finished and weighing 8 cwt.; they are fixed on to the framework by two bolts passing horizontally through the solid part of the casting.

The armature is drum wound, having Pacinotti teeth, the core being made of thin discs of Swedish iron, punched out to the required shape, and effectually insulated one from another by thin asbestos tissue and shellac varnish.

A number of keyways are planed in the shaft, and corresponding horns or projections are stamped out on the inner edges of the discs, to fit accurately into these keyways, the shaft being also fluted between them so as to afford air passages under the discs.

To form the Pacinotti teeth, the outer periphery of each disc is punched symmetrically with respect to the inner horns, so that, when the discs are threaded on to the shaft, rectangular grooves

FIG. 135



angles where it is best found.

the discs upon the spindle, then them. Fan-blades are set in the plates are clamped together by which are screwed upon the at the end remote from the commu- municating with the flutings, pe and when the armature is rotate the arrows under the end plate, edges of the discs, and is forced thus giving most efficient ventila-

Fan-blades, c c, are also fixed commutator, at the back of which and prevent the accumulation of sixty bars in the commutator, an connection with the armature coil these bars is also clearly illustrated for separating the bars from each other from the bush and cone. The bush, which is keyed on to order to obtain a higher pressure made of wrought-iron instead of with copper to prevent oil creep each journal at T T, small tanks in groove in which the collar of the



in regard both to the armature and the field, is illustrated in fig. 196. It is known as the 'Victoria' dynamo, and is a development by Mr W. M. Mordey of a machine originally designed by Schuckert. In the earlier days of practical dynamo-building, engineers were much exercised by the comparatively large proportion of wire on ring armatures which cuts few or none of the lines of force, and which, therefore, is called idle wire. The Schuckert machine was designed to minimise this as much as possible, by flattening the armature ring, and extending the pole-pieces so as to make them embrace more of the wire on the flattened sides of the coils. The arrangement did not, however, altogether answer the anticipations, for by merely extending the pole-pieces, the density of the lines of force was diminished, and, with a magnet developing a certain strength of field, it matters little whether that field is spread out and the lines of force cut by a long piece of wire, or whether the field is more concentrated and only cut by a portion of the same wire.

This form of armature, even when the best shape is given to the pole pieces, is in reality slightly less efficient than either the ordinary ring or the drum form, but it is, nevertheless, a favourite, chiefly because it offers good facilities for ventilation, is very light in construction, and (owing to the sectional shape of the armature coils) there is but little tendency for the wires to fly out when driven at a high speed. Flat ring armatures are also usually set to rotate in a 'multiple field,' that is to say, the field is generated by four, six, or sometimes eight poles.

Fig. 196 illustrates a four pole machine, four being the number most frequently employed. Each cast-iron pole piece which partly embraces the armature has connected to it two cylindrical wrought-iron cores, the outer ends of these cores being bolted to the cast-iron standards forming the yokes.

The two coils on each pair of cores are so wound that their similar poles are adjacent to the cast-iron pole piece between them, thus developing a strong field from the pole piece. These pole-pieces are magnetised in this way alternately north and south, the arrangement of the entire field being that shown in fig. 197, where the direction of the lines of force through the armature-core when it is at rest and the field undistorted, is shown by the



heads. The lines of force enter at the outer circumference also at both sides of the armature.

As the diameter of commutation is at right angles to the direction of force, and as in this multiple field there are two such diameters, A B and C D, two sets of brushes would appear to be necessary. This will be more apparent if we consider the induced effects upon a single coil during a complete revolution. Supposing the coil to start from A, where its plane is at right angles

to the lines of force, its

induced portion will, in ap-

proaching the pole-piece, N,

cut the lines of force from

below, and in passing from

below to above it will cut other lines,

in the opposite direction, from

above to below, the result being that

the induced current is in one

direction only during the

first journey from A to D.

At the reversal takes

place for the coil, in ap-

proaching S, cuts these lines

from above, and, passing S,

cuts opposite lines from below, whence another continuous cur-

rent is generated while the coil is travelling from D to B, where a

second reversal takes place; and similarly with the other quad-

rants, the third reversal occurring at C, and the fourth at A. Or,

regarding the matter from another standpoint, since the reversal of

current takes place at that moment when the maximum number

of lines of force is projected through a coil, and as this maximum

occurs at the point midway between each pair of pole-pieces (the

lines being still undistorted), it will be evident that the current

must be reversed as the coil passes the points A, B, C, and D.

Therefore, were the armature joined up in the ordinary way, one

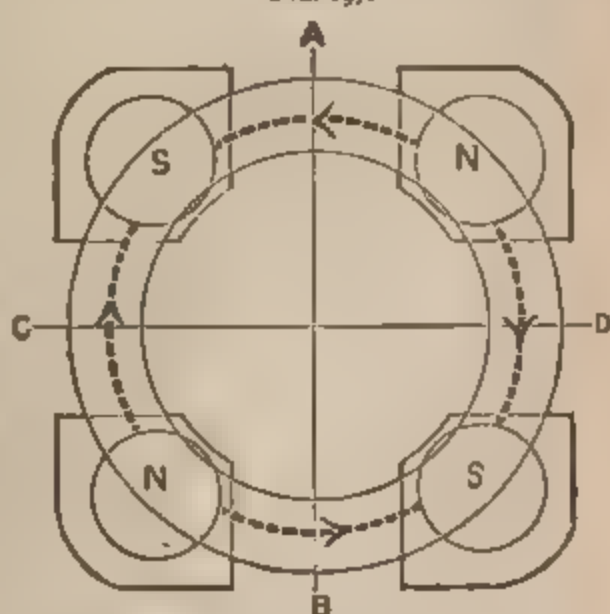
set of brushes must be placed on the diameter A B and another

on the diameter C D, to collect the current from all the coils.

To avoid this inconvenient arrangement a simple modification

is made in the winding. As every pair of diametrically opposite

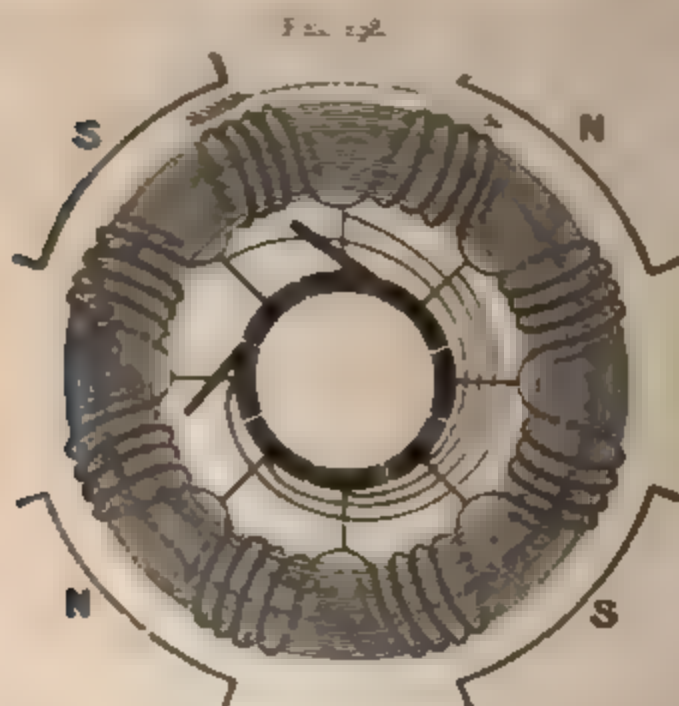
FIG. 197.



coil is at every stage undergoing precisely the same inductive effect as the part of coil *b* situated at right angles to it, it follows that every two such parts of coils can be permanently joined together in pairs, for they are at every moment developing equal E.M.F.s. In this device, then, two brushes are necessary, one being set  $90^\circ$  ahead of the other.

The method by which this 'cross-connecting' is effected in the Gramme machine practically consists in joining together the diametrically opposite commutator bars, as illustrated in fig. 198.

In this machine, as in every other, the reaction of the armature distorts the field and necessitates a forward lead being given to



the brushes, which, however, are always separated by the same angle, viz.  $90^\circ$ . It must also be pointed out that there are always four paths open to the current through the armature, and that therefore the resistance from brush to brush is but one-sixteenth of what it would be were the whole of the coils joined in series. The low resistance thus obtained is an important

feature in favour of multiple pole machines, for, in order to get with the ordinary ring or drum winding an equally low resistance, the conductor would have to be so massive that mechanical construction would be far less easy, and eddy currents would be generated in the conductor itself unless prevented by lamination.

In the case of a six-pole machine constructed on similar lines, either six brushes must be used, or, as is actually done, the commutator segments  $120^\circ$  apart, joined together in threes, two brushes being then employed with an angle of  $60^\circ$  between them.

In this class of machine, however, the adjacent pole pieces, being of opposite polarity, must not approach each other too

otherwise an unduly large proportion of the lines of force pass across the air-space instead of passing through the armature. In any case the armature must be provided with sufficient thickness to make the magnetic resistance low. Special care must also be taken with the lamination of the armature core. It will be remembered that the eddy currents induced in a rotating core, as in any other moving conductor, are at right angles to the lines of force of the field, and also to the direction in which the conductor is moving. In the case of the ordinary simple-field dynamo, the lamination of the armature presents little difficulty as the lines of force enter it from the outside circumference only. In a dynamo where the pole-piece embraces a flat-ring armature, and the lines of force enter at the sides as well as at the circumference, and it is necessary to laminate the core in two directions, so as to prevent eddy currents being induced either radially or in a direction tangential to the shaft.

For this reason an unusually large proportion of the space between the coils of a flat ring armature is occupied by insulating material instead of iron.

Returning again to fig. 197, it will be seen that the direction of the lines of force through the armature is, as it rotates, frequently reversed, and that the number of reversals per revolution would be increased by increasing the number of poles. Such changes in the direction of the lines of force, if too rapid, would heat the core considerably, impair the efficiency of the machine, and this is one reason why more than six poles are rarely employed.

Fig. 199 is a sectional side-elevation, showing the construction of the Victoria dynamo, fig. 200 being an end elevation, half in section of the same machine.

The core is built up by winding iron tape, 0.012 in. thick and about half an inch wide (with thin paper insulation), round a cast-iron foundation ring, which is of the same width as the inner core, and is slotted on both edges at four equi-distant points.

The four-armed gun-metal spider *s* (fig. 200) is made in two parts, held tightly together by hexagonal nuts screwing on to the ends, to which also the hub is keyed. A bolt likewise passes through each of the arms, and when this divided spider is thus held in position, a little projection from the outer extremity

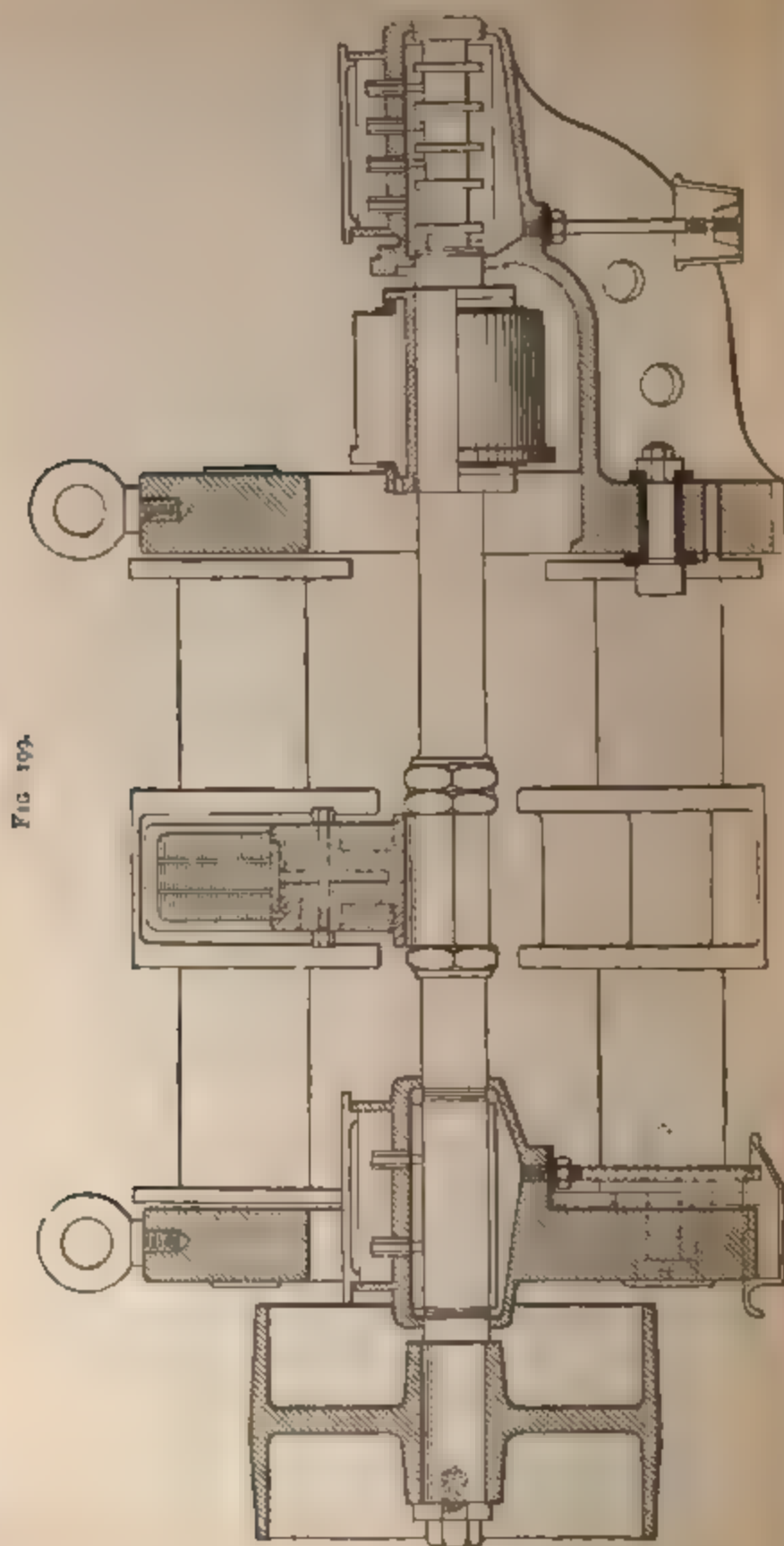
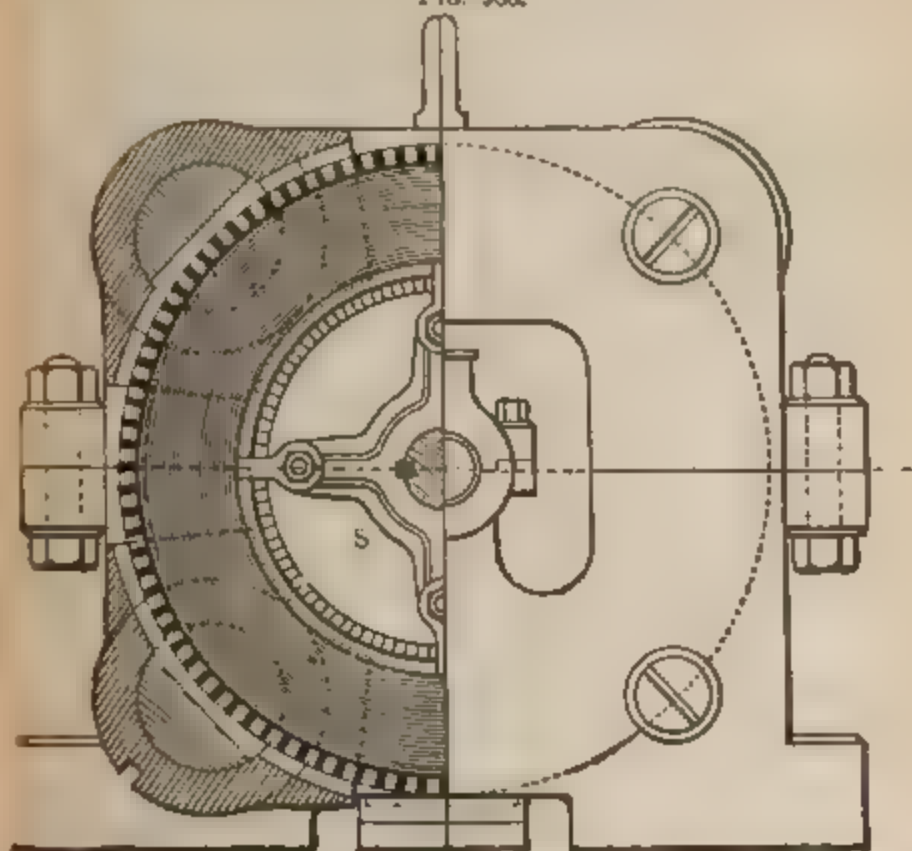


FIG. 109.

each arm fits tightly into one slot of the wrought-iron foundation ring, and also extends a short distance into the core, a few of the outer layers being slotted for the purpose.

The section of the core is rectangular, and its radial depth is considerably less in proportion than that of the early flat ring armatures. Comparatively few of those lines of force which enter at the outer circumference penetrate through the whole depth of the

FIG. 200.



and consequently the lamination near the foundation ring need be carried to a very great extent to prevent the flow of currents in a direction parallel to the shaft. In some recent Victoria machines, the strips are, for this reason, narrower and more numerous towards the outer circumference than near the inside.

The armature conductor is rectangular in section, insulated with tape, and is wound in one continuous spiral round the core, the connections from the commutator bars being soldered on at proper points on the inside of the ring.

The armatures of the smaller machines are, however, wound with ordinary circular wire, cotton-covered and well varnished.



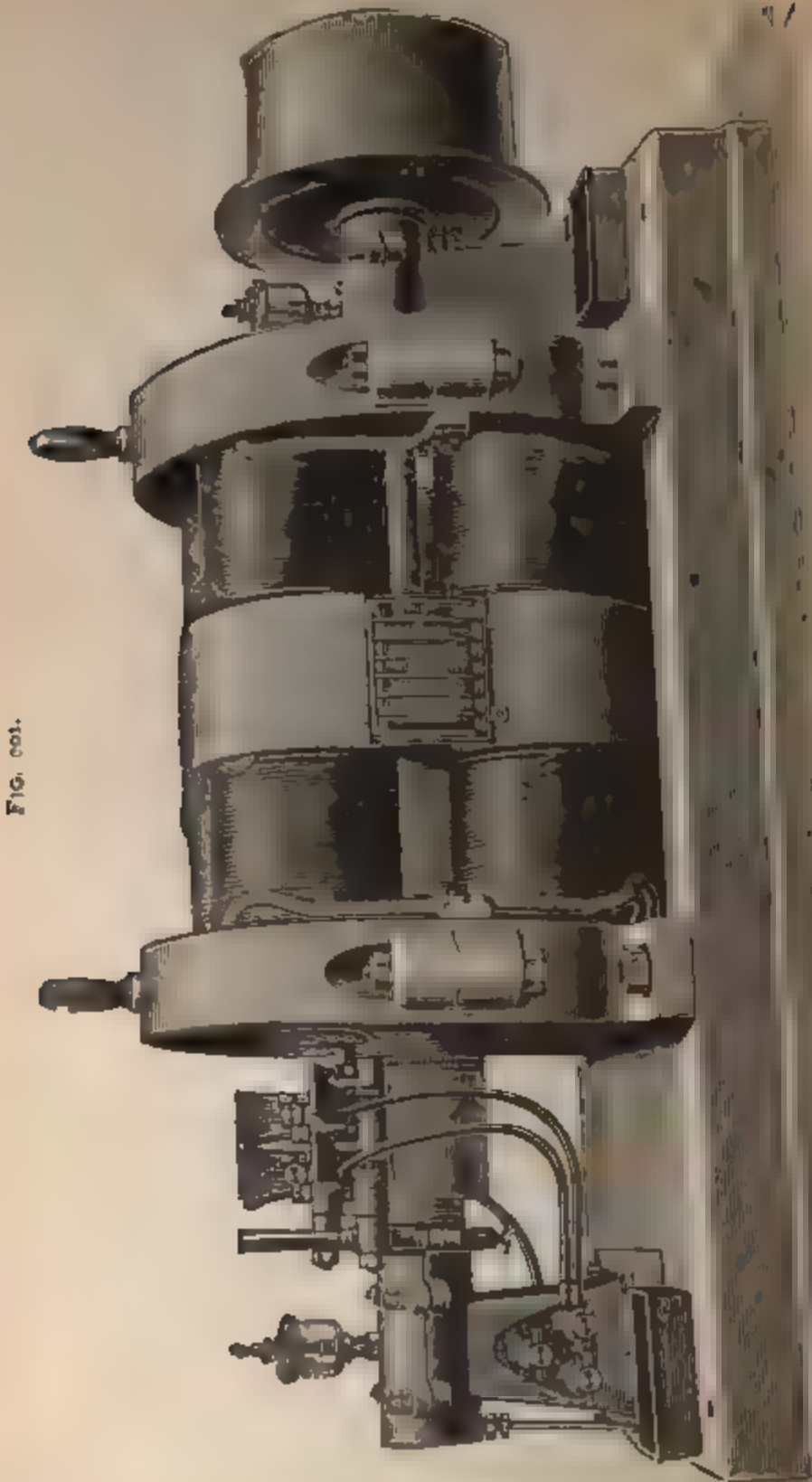


FIG. 101.

Each of the vertical standards forming the yokes is cast in two pieces, which are bolted together, so that the upper portion of each, with the two upper field magnets, can be removed to afford access to the armature. This arrangement is shown in the figures, from which it will further be seen that the upper part of the bearings can also be detached, thus enabling the armature to be easily lifted out of its position when necessary for examination or repair.

As in all other machines, it is necessary for the space between the field-magnet and the armature to be as small as possible, and since the pole-pieces extend over the sides of the latter, it is clear that there must be no end play, or shifting of the shaft lengthways; this is effectually prevented by the long-grooved bearing shown to the right in fig. 199.

These machines are series, shunt, or compound wound, as required. One built for the authors for educational purposes can, by means of a switch fixed on the top of the framework, be connected up for any one of these systems at pleasure.

The machine illustrated is intended to be driven at 1,000 revolutions per minute, and is then capable of developing 15,000 watts in the external circuit, at a terminal potential difference of 250 volts.

A multipolar flat ring machine is also manufactured by the Sulcher Company, and the latest type of this, known as the 'Battersea' dynamo (fig. 201), is worthy of special notice. As has been remarked, such machines, while slightly less efficient than other forms, present in some respects fewer difficulties in construction, and the Battersea dynamo is, from a mechanical point of view, as well as electrically, an exceptionally good specimen of its class.

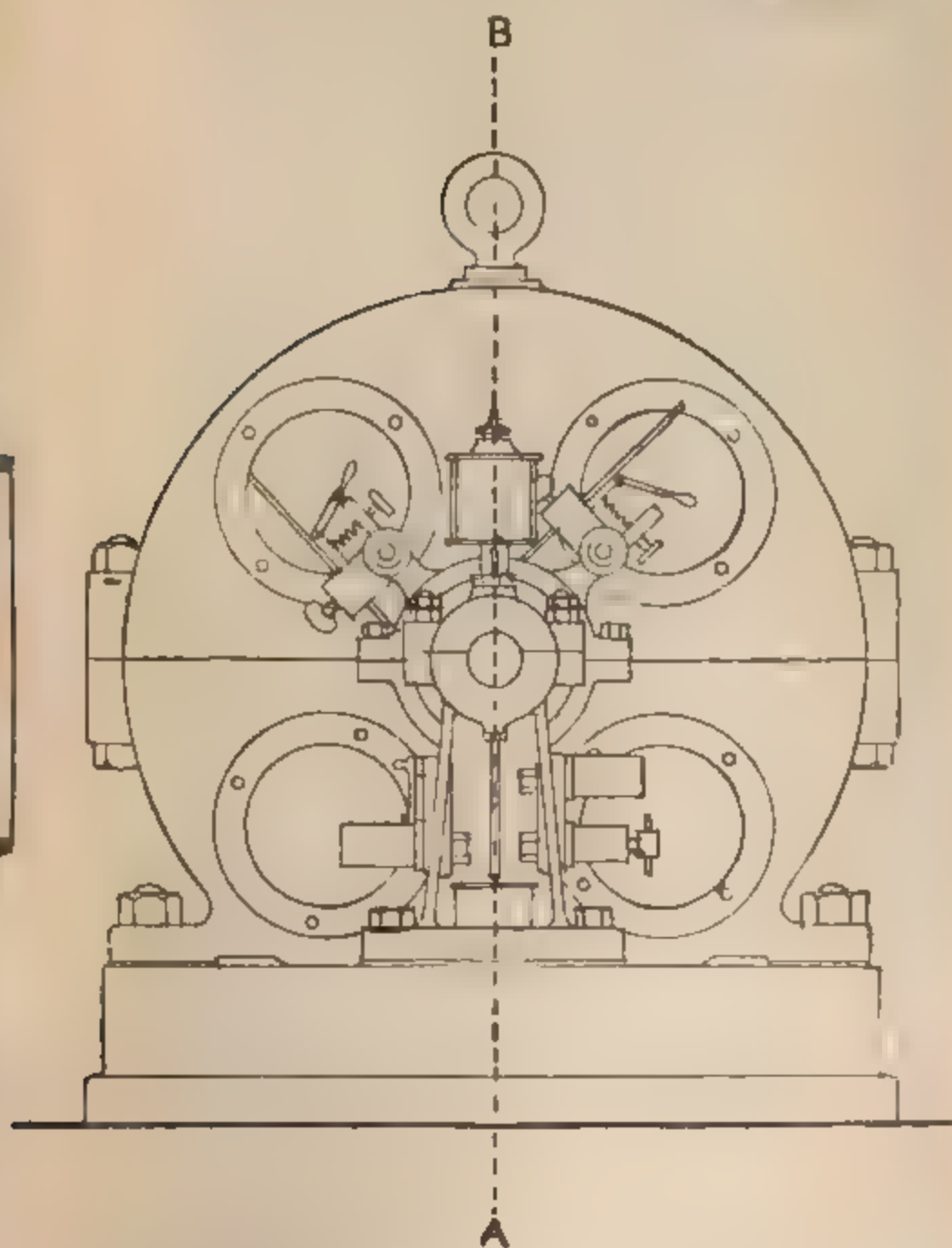
Fig. 202 gives a longitudinal section through a machine of recent construction, a side elevation being shown in fig. 203. It is a four pole machine, having an output of 12,000 watts.

The foundation of the armature core is the rim of a strong gun-metal wheel, which has four radial arms. The hub of the wheel bears on one side against a collar on the steel shaft, as shown to the right in fig. 202; it is held tightly in position on the other side by a steel nut which screws on to the shaft. The core itself



FIG. 203.

*To face page 374.*



consists of soft iron wire rectangular in cross-section, and insulated with cotton. It is wound round the foundation-ring under high tension, the core thus built up being very strong and rigid.

We have referred to the necessity for lamination in two directions ; and the smallness of the wire, and the efficiency of its insulation practically eliminate eddy currents, while the thinness of the insulation and the tightness of the winding reduce the waste of space to the lowest possible limit.

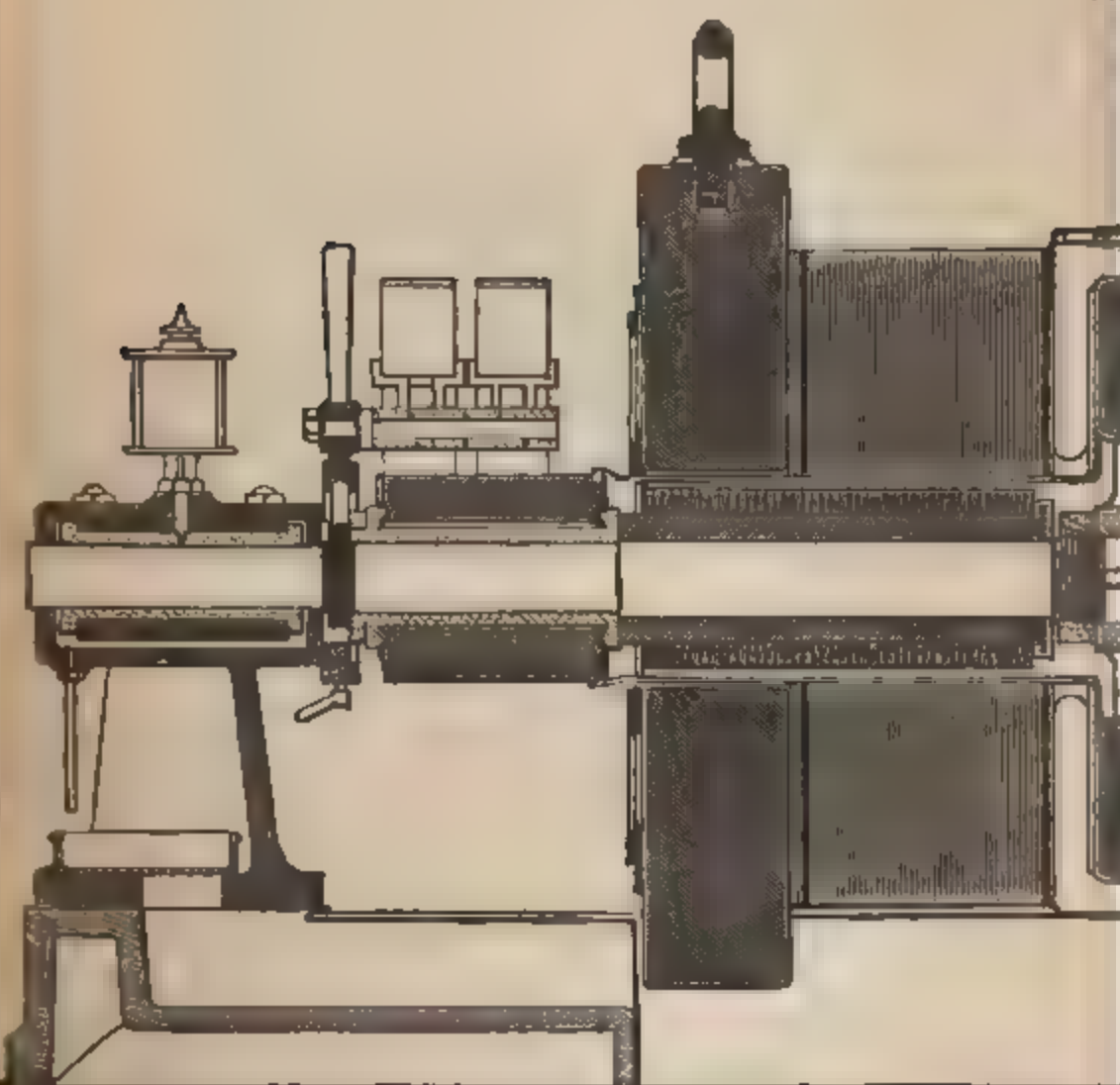
The armature conductor, which is a copper strip, is wound over this core (embracing also the rim of the supporting wheel) in a single layer ; the strip is rectangular in section, its dimensions being calculated so as to just occupy the allotted space round the circumference, and thus the distance between the pole faces and the core is made a minimum. By the device of cross connecting, the current is collected from a single pair of brushes, placed 90° apart. The method of connecting diametrically opposite pairs of coils in parallel is unique. On the shaft between the armature and commutator is fixed a wooden sleeve, over which a number of flat copper rings are slipped. These rings are carefully insulated, and each has two lugs projecting at opposite extremities of a diameter ; a radial saw cut is made in each lug, just large enough for a copper conductor strip to be pressed in and soldered. The rings are so arranged that their lugs form a spiral round the shaft, and those connecting strips which lead from diametrically opposite coils of the armature to the commutator, are soldered to the lugs of the same ring. In this way diametrically opposite bars of the commutator are joined together ; one such connection is shown at the ring nearest the commutator in fig. 202.

The circular cast-iron end frames forming the yokes to the field magnets are in two halves bolted together, the lower half being also bolted to the bed plate, as shown in the illustrations. These yoke pieces are very massive, and, as the surfaces of contact between them and the wrought iron cores are large and close-fitting, the magnetic resistance is low, and a large proportion of the lines of force are led into the armature.

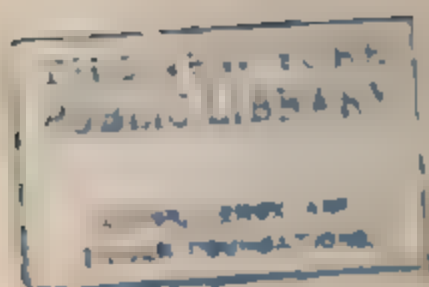
The whole armature conductor offers but little resistance, and as, by the cross-connecting, this is reduced to one-sixteenth of the resistance which would be offered were all the coils joined in



FIG. 2



— Sect



THE NEW YORK  
PUBLIC LIBRARY

ASTOR, LENOX AND  
TILDEN FOUNDATIONS

THE NEW YORK  
PUBLIC LIBRARY

ASTOR, LENOX AND  
TILDEN FOUNDATIONS

series, but little power is absorbed in the armature, and the machine is self-regulating through a considerable range.

The commutator consists of eighty copper bars, with mica insulation, fixed, as shown in the drawing, by a gun-metal nut and washer, over a gun-metal sleeve.

In smaller machines, circular copper wire, instead of rectangular strip, is employed for the conductor, and the magnetic resistance of the core is even further reduced by covering the iron wire with silk instead of cotton, the former occupying much less space than the latter.

In concluding this chapter, we may with advantage pass a few further remarks concerning the losses which reduce the efficiency of a dynamo. Omitting the power absorbed in overcoming the conductor resistance, which can easily be calculated, the losses may be classified under three general heads: (a) Mechanical friction; (b) Eddies in conductor; (c) Losses in armature core. The friction occurs principally at the bearings—for the commutator brushes should exert only just sufficient pressure to insure reliable contact—and the loss due to this cause increases regularly with the speed at which the machine is driven. When the conductor is massive, as in the case of a bar armature, the eddy currents in it may be sufficiently important to absorb a considerable amount of power, and, as we have seen, such conductors are frequently laminated, or sometimes braided wire is employed, to prevent the circulation of the currents. Lamination of the iron core, properly performed, also reduces to a minimum the eddies in the iron; but there is another source of loss which arises when lines of force passing through iron are rapidly reversed or altered in direction, due to a phenomenon known as hysteresis. This loss appears to be the result of a kind of internal friction between the molecules of the iron, when they change their position, as we believe they do, under the influence of the magnetising force. At any rate, it is not possible to project lines of force through iron or alter their position, without a small amount of work being performed independently of that resulting in eddies.

With one particular specimen of iron, through which the magnetic induction was 18,000, Dr. Hopkinson estimated that 3,000 ergs were expended in twice completely reversing the



## CHAPTER XI.

## DIRECT CURRENT DYNAMOS (OPEN COIL).

IN the armatures of the direct-current machines hitherto described all the coils are connected together, and the junction of each adjacent pair is joined to a bar of the commutator. But there is another method of constructing an armature, in which the coils are kept quite separate, each having in the simplest form a separate two-part commutator. The former are known as 'closed-coil' and the latter as 'open-coil' armatures. Machines for developing very high electro-motive force are usually built with open-coil armatures, an E.M.F. of 2,000 volts being not uncommon, hence such machines are used for electric lighting in cases where the type of the lamps and their disposition are such as to require the transmission of the current through a high resistance. In a closed-coil armature the E.M.F. generated by every coil in any and every position, excepting at the moment when it is short circuited by the brush, forms a part of the total E.M.F. of the machine. On the contrary, in an open-coil armature the current is collected from a coil while it is in the position of greatest activity only, or while the E.M.F. induced in it is at its maximum, the coil being thrown out of circuit during the time that it passes through the period of least activity. At the beginning of this latter period another coil enters the best position, and commences to feed the circuit. The coils may be wound either on the ring or drum principle, but in the former case the two coils at opposite extremities of a diameter are joined together in series and may be treated as one coil.

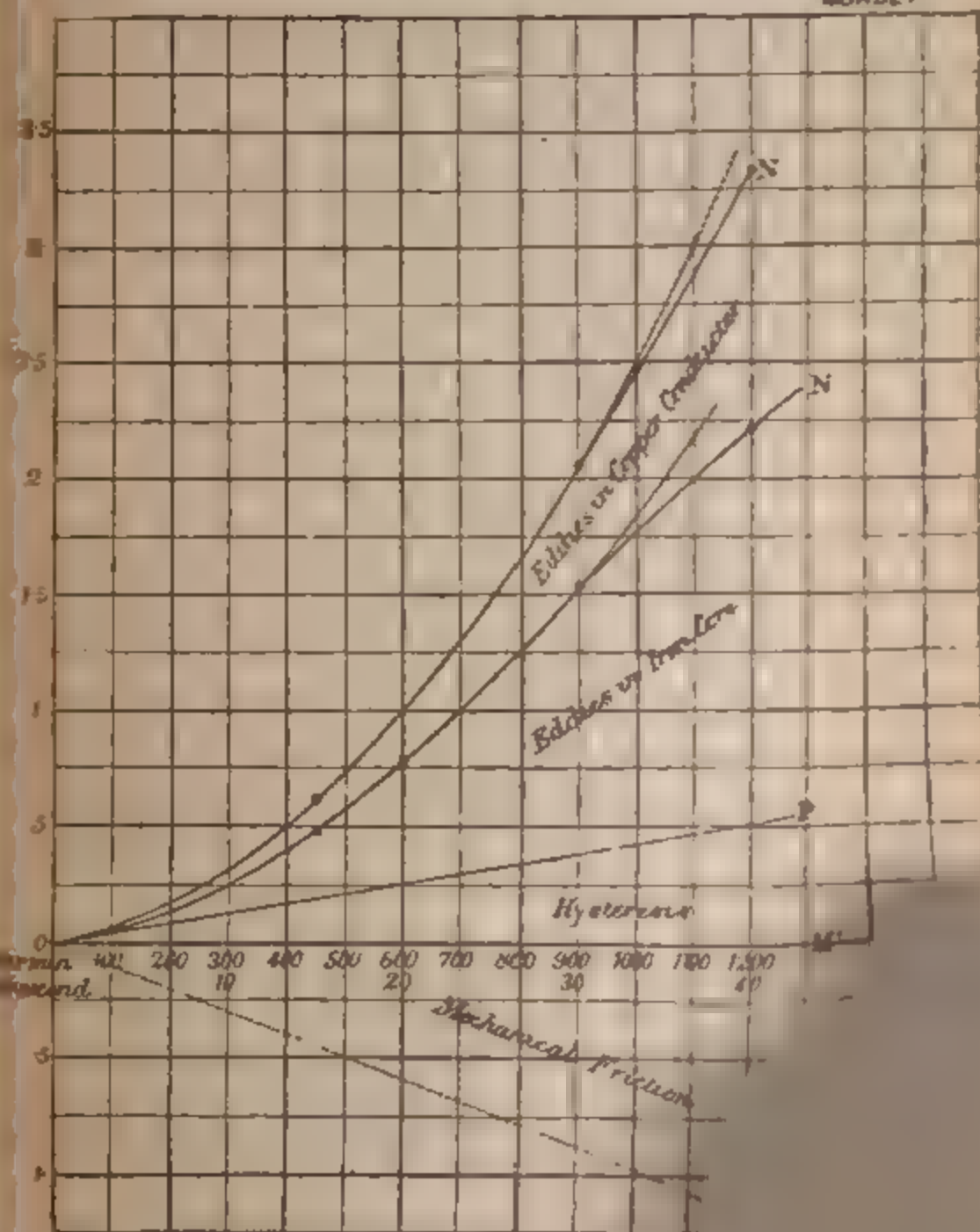
Many of the elementary principles examined in connection with the machines already described, hold equally well for those with open-coil armatures, and while it is unnecessary to again

On winding the armature and repeating the experiments, the curve  $ON'$  is obtained, and the difference between the ordinates

FIG. 224

*Determination of Losses in Dynamo Armature*

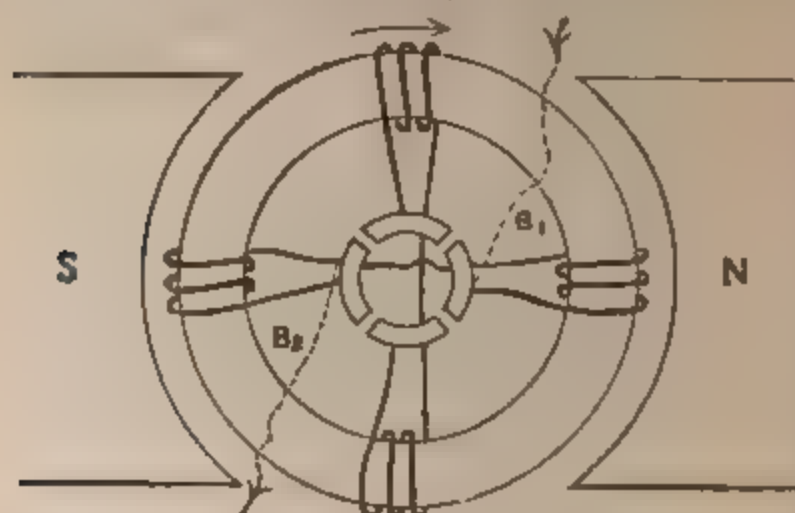
MORSEY



$ON$  and  $ON'$  represents the loss due to eddies in the conductor.

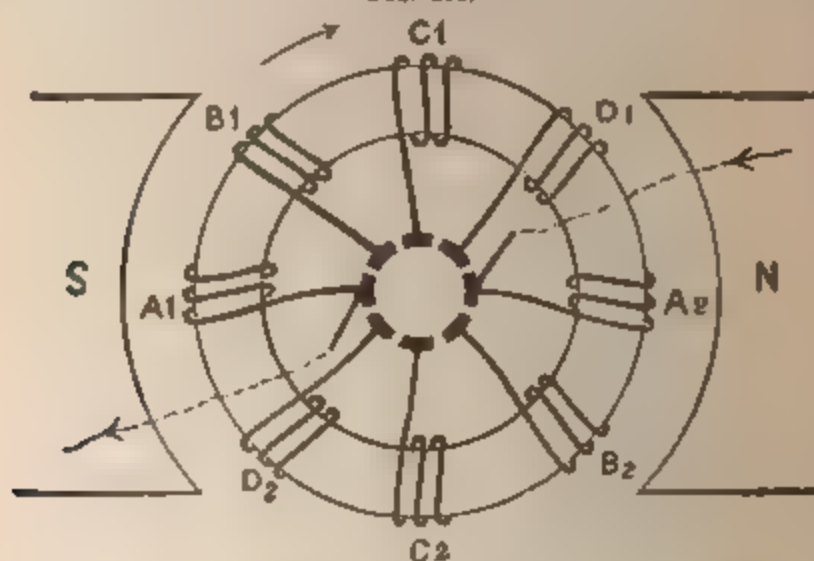
while the vertical ones, being comparatively idle, are entirely disconnected. The activity of the horizontal pair decreases from this point, and when the armature has revolved through another

FIG. 205.



$45^\circ$  they are thrown out and the other coils begin to feed the circuit. Each pair is thus joined up and disconnected alternately for a period equal to a quarter of a revolution, and an ammeter placed in the external circuit would indicate a current, continuous

FIG. 206.

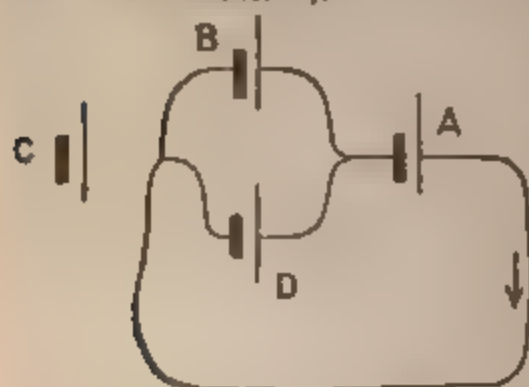


in direction, but fluctuating considerably in strength. Greater steadiness, that is to say, a nearer approach to constancy, can be obtained by increasing the number of coils, although it is not

possible to get a current so nearly constant as that which a good closed-coil dynamo can generate. In fig. 206 the number of coils is increased to eight, that is, four pairs. The two coils at opposite extremities of a diameter,  $A_1 A_2$ , for instance, are joined together to form a pair as before, but to avoid a complicated diagram this connection is not shown and the distortion of the field is again ignored. Each pair has its commutator, the segments of which are (including the insulating space between the adjacent segments) one-eighth of a circle, or  $45^\circ$  in length, and therefore each pair of coils is connected to the brushes for one-eighth of a revolution only. The maximum E.M.F. is the same as in the last case, and as the minimum does not fall so low, the resulting current is more nearly uniform. It will probably occur to the student that the coils  $D_1 D_2$  and  $B_1 B_2$ , although far less active than  $A_1 A_2$ , are yet in a position where they can generate a considerable E.M.F. and that they might with advantage be allowed to assist. But they must not be joined up in *parallel* with  $A_1 A_2$ , since their E.M.F. is so much less. Otherwise we should get a result similar to that obtained when a Grove cell and a Daniell cell are joined up in parallel, that is, the Grove cell urges a backward current through the Daniell because it has a higher E.M.F., and the external circuit gets actually less current than if the latter cell were removed altogether. But if the two are joined up in *series* then the external circuit gets the whole current resulting from the sum of their two E.M.F.'s. In the same way, if the effect of the coils in positions of less activity is to be utilised, they must be joined up in series and not in parallel with those developing the higher E.M.F. We will explain how this matter is arranged in what is perhaps the best open-coil machine, viz. the 'Brush' dynamo. Now in the case of a set of four pairs of coils rotating in a uniform field, as in fig. 206, it is clear that at one time, only one pair of coils can be in the best, and only one pair in the worst, position for generating a current. On the other hand, it is possible for two pairs to be equally active in an intermediate position, and this will happen when they make an angle of  $45^\circ$  with the lines of force, that is, in the position occupied by  $B_1 B_2$  and  $D_1 D_2$ . In the Brush dynamo, when the armature consists of eight coils, two pairs of brushes are employed, one collecting the

current from the coils in the best position only,  $A_1 A_2$ , the other joins up the two pairs of coils in the intermediate position,  $B_1 B_2, D_1 D_2$ , in *parallel*, and collects the current from the two pairs of brushes are joined in series, and thus the current from the intermediate coils is *added* to that of the coils in

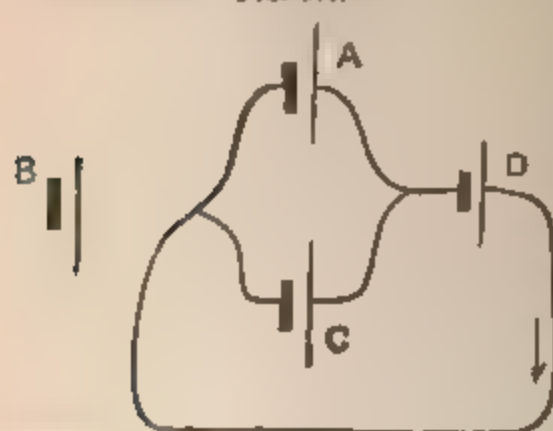
FIG. 207.



position, only one pair, being thrown idle at a time. As the intermediate coils are placed in parallel their resistance is the same as that of one of the pairs, the resistance being halved. In order to make quite clear we may represent a pair of coils as we do a cell, and then show the arrangement, as in fig. 207, where A represents the most active, the least active pair of coils, B and D being those in the intermediate stage. When the armature has turned through  $45^\circ$ , the B coils are idle, the D are at the maximum, and C in parallel, as shown in fig. 208.

The commutator, by means of which these changes are effected, is illustrated in fig. 209. It is divided into two portions

FIG. 208.



complete in itself, and consisting of four thick T-shaped pieces of brass separated from the shaft by rings of insulating material, E G; the T-shaped sections being insulated from each other by air-spaces. Brushes, P Q R S, are four flat copper strips, and, as shown by the dotted lines, are sufficiently wide to cover the width of the commutator rings. The ends of a pair of coils are joined to diametrically opposite segments or sections as indicated in the figure, the lettering in this illustration corresponding to that in fig. 206. One of the commutator rings is fixed to the shaft  $45^\circ$  in advance of the other, the consequence of which

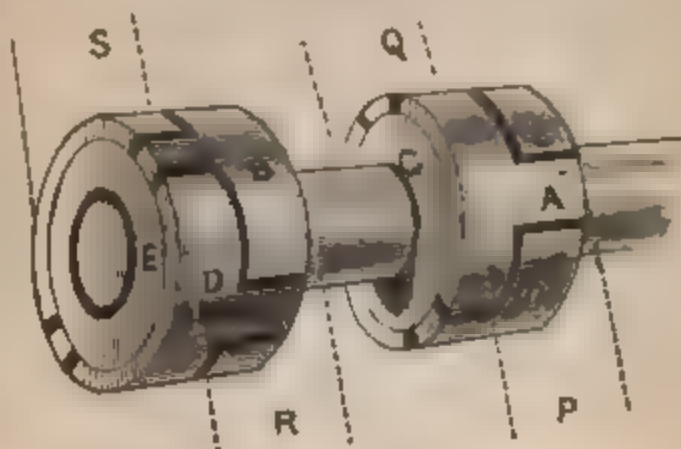
position, only one pair, being thrown idle at a time. As the intermediate coils are placed in parallel their resistance is the same as that of one of the pairs, the resistance being halved. In order to make quite clear we may represent a pair of coils as we do a cell, and then show the arrangement, as in fig. 207, where A represents the most active, the least active pair of coils, B and D being those in the intermediate stage. When the armature has turned through  $45^\circ$ , the B coils are idle, the D are at the maximum, and C in parallel, as shown in fig. 208.

complete in itself, and consisting of four thick T-shaped pieces of brass separated from the shaft by rings of insulating material, E G; the T-shaped sections being insulated from each other by air-spaces. Brushes, P Q R S, are four flat copper strips, and, as shown by the dotted lines, are sufficiently wide to cover the



one ring, each of the brushes is resting on one section at A, then each brush on the other ring is in contact with two sections, as at B, D. The student will perceive that in the left-hand commutator ring the sections of the left-hand commutator ring have been placed in the right-hand commutator ring which is joined to the left-hand commutator ring in position and which, therefore, is dis-

FIG. 209.

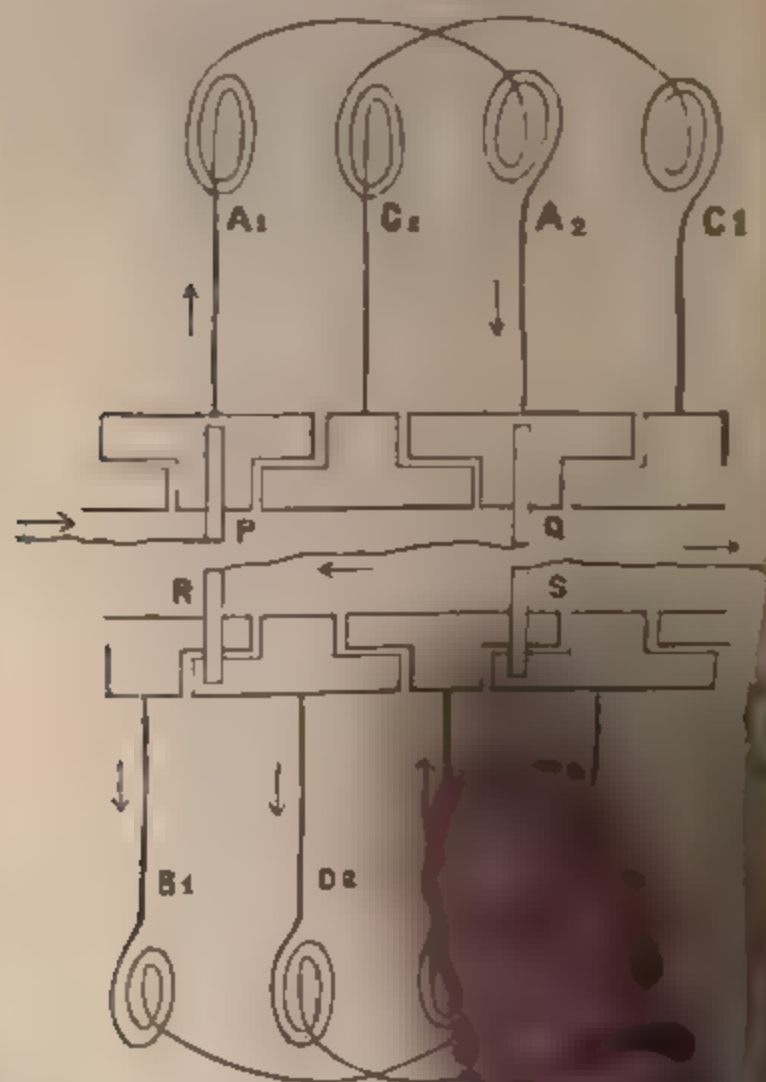


to the two double commutators are developed or side by side, to make the matter clearer, the lettering being the same as in fig. 206. The path of the current is traced. It passes round the pair of coils, A, A<sub>2</sub>, and Q (by which it enters and leaves), each resting on only one, because those coils are in the best position. It then passes direct to the brush R (on the left-hand commutator), which, resting on two sections, affords a parallel path, B<sub>2</sub> and D<sub>2</sub>, in parallel. The brush S, by which the dynamo is connected to one end of the field magnet coils, C, are disconnected. Such is the action of a brush dynamo having four pairs of coils in

as depicted in figs. 210 and 212, the latter showing the commutator and the cores. The cores are oblong in section and are securely fastened to the commutator. These two cores are placed in their similar position round the commutator in the position in the commutator. The loss

The method of building up this core is illustrated in Fig. 410. A thin soft iron ribbon is wound in a continuous spiral on a cast-iron foundation ring  $A^1$ . Between the successive turns of the ribbon, and held by them as the process is carried out, are placed U-shaped iron stampings  $S$  of the same thickness as the ribbon. The connecting portion of the

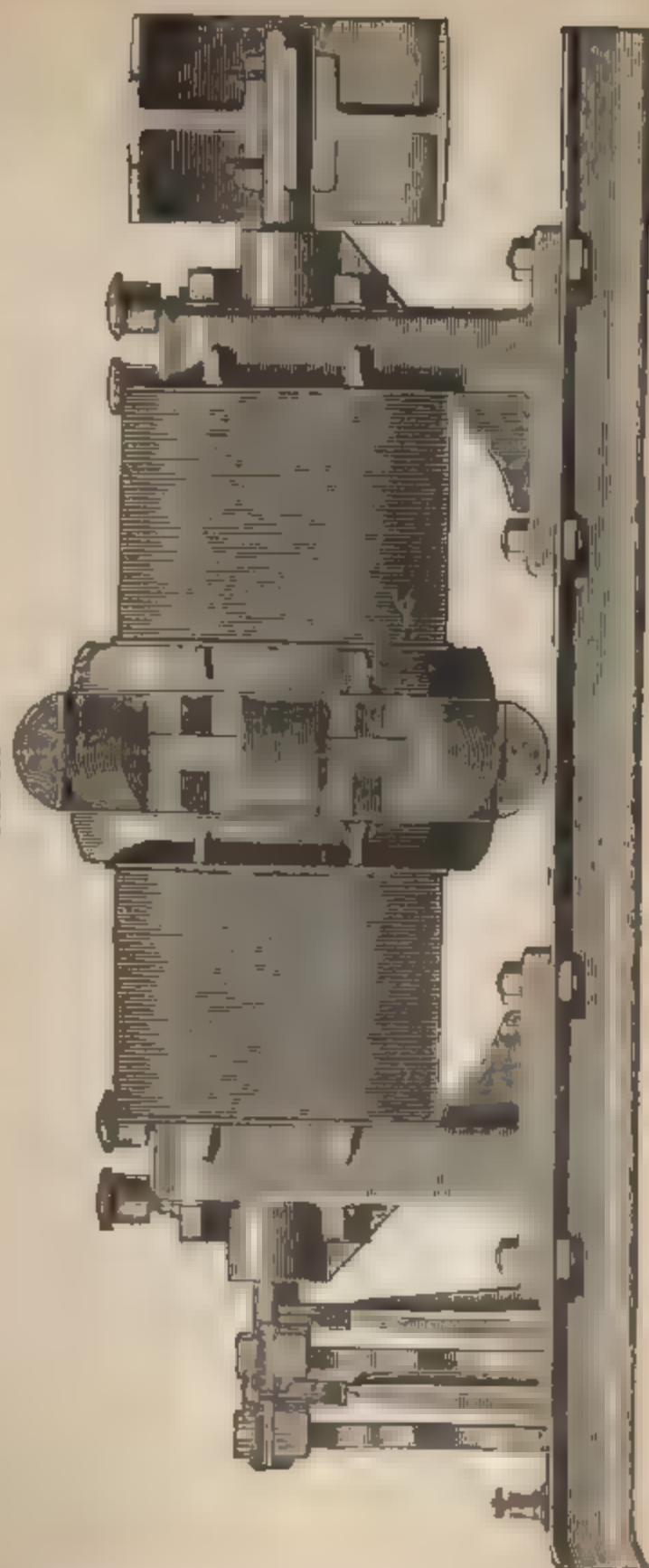
FIG. 410.



lies wholly within the turns of the ribbon, and forming spaces, as at B, within the turns. The stampings are all of one size, so that the connecting portions are nearer to each other than the ends of the channels. The stampings are rigidly

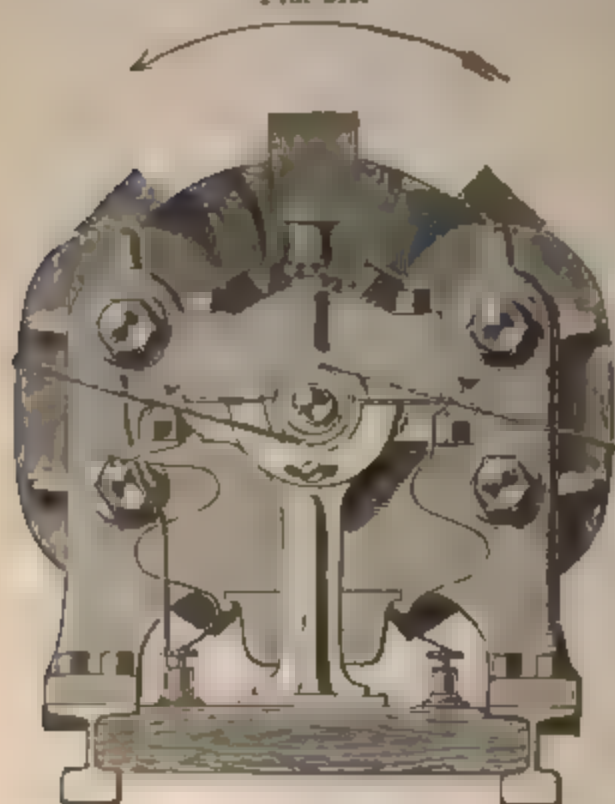
led bolts, *b*,  
 and radially  
 in the pieces,  
 and ribbon and  
 insulation ring,  
 shown in the  
 side view. The  
 rings and rib-  
 bone, however,  
 tionally much  
 r, and the  
 r of turns is  
 more nume-  
 can shown in  
 ure. The loss  
 ed by eddy  
 s is thus re-  
 a minimum.  
 e armature  
 re insulated  
 he core by  
 of canvas and  
 treated freely  
 ellac varnish,  
 ers of wire  
 insulated by  
 cloth. The  
 of each pair  
 are carried  
 the shaft to  
 ope sections  
 ommutator.  
 field magnet  
 e also care-  
 ulated from  
 es by vul-  
 fibre and  
 paper, the

FIG. 211



different layers being separated as in the case of the armature by cotton-cloth. These coils are joined up in series, and as the current generated by the machine fluctuates more or less, there

FIG. 212.



is a tendency for eddy currents to be induced in their unlaminated cores. This is overcome by the simple device of interposing between the coils and the iron a thin tube of copper, in which the currents are induced instead of in the iron. These induced currents tend to reduce the fluctuations of the primary current.

The pole pieces are extended so as to enclose an unusually large portion of the armature, and the opposite pole pieces are similarly magnetized.

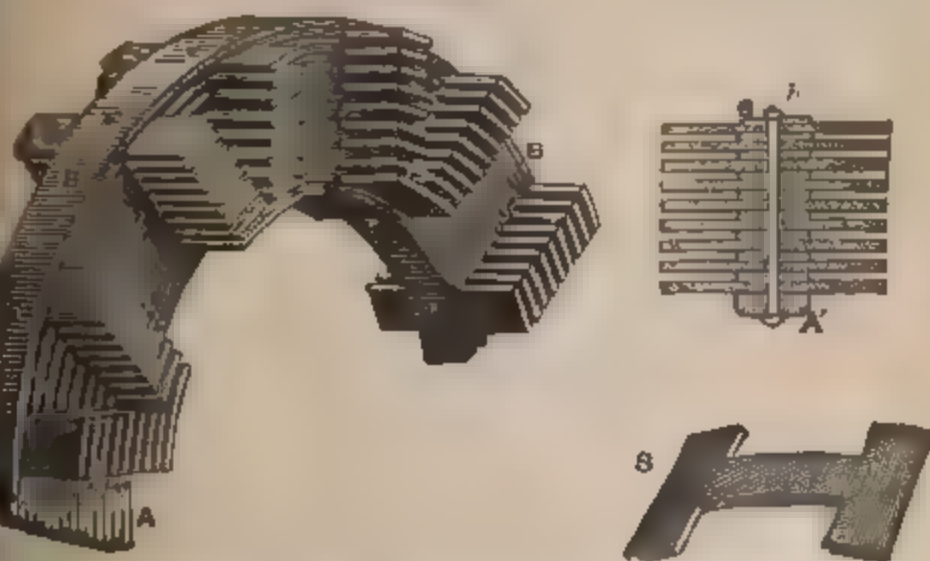
The diameter of greatest activity is approximately in a line with the upper horn of the right-hand pole piece, and the lower of the left hand pole-piece (fig. 212), as will be gathered from the position of the brushes, the direction of rotation being left as viewed from the commutator end. As the machine is designed to give a nearly constant current, the reaction of the armature on the field, and therefore also the lead of the brushes, varies very slightly under ordinary changes in the load.

The machine illustrated is designed to supply 55 arc lamps in series, with a current of 10 amperes. The figures are

to scale, the principal dimensions being: length of bed-plate 10 in., width 2 ft. 5 in., height of highest point 3 ft.  $1\frac{1}{2}$  in., diameter of armature 2 ft. 9 in. The diameter of the shaft is 1 in., its centre being 1 ft.  $9\frac{1}{4}$  in. above the ground line. The machine measures 18 in. by  $12\frac{1}{2}$  in.

The brush-holders are connected to terminals on the bed-plate by means of flexible copper strips, the method for adjusting the brush-press being shown in fig. 212. Each pair is carried by a lever

FIG. 213.



can be turned round the shaft, its range being, however, limited by the length of the slot in the semicircular collar directly above the shaft. One end of the lever is furnished with a small roller riding over a curved guiding-fork, the position on the shaft being fixed by means of a set screw.

Though this machine is capable of driving as many as 55 arc-lamps in series as its maximum load, the number of lamps connected in circuit may vary considerably from time to time. When switching out a lamp reduces the external resistance of the machine being series connected, the current strength is increased. It is nevertheless essential that under all circumstances the current strength should not exceed 10 amperes. The brush-press is ingenious, and the brush is ingeniously supported by a series of vertical columns of thin partitions. These



columns are joined in series between the two terminal screws at the top, connection being made between the two inner columns

FIG. 214.



the top, and between the pairs of columns at the bottom means of sliding contact. Wires led from the top terminals connect the ends of the field magnet across which carbon columns form a shunt whose resistance can be varied by altering the pressure upon the plates. This pressure is automatically increased when the current rises above its normal value, the resistance of the shunt is thus reduced, a larger proportion of the current is abstracted from the field-magnet, and the strength of the field current keeps at its proper value.

The method of accomplishing this is illustrated in the figure. The two solenoids are joined up in the main circuit by

is shown at the bottom. Projecting partly into the soft iron cores, permanently fixed to a common yoke-centre of which carries a brass rod attached at its lower end to one end of a lever, whose fulcrum is a knife-edge at left end. When by the switching out of lamps, or from cause, the main current passing through the solenoids the cores are sucked upwards with greater force, and the which the four columns rest is raised through a short distance by a lever, thus compressing the carbon plates and reducing resistance, with the result that the current in the field is proportionally reduced. A dash-pot is attached to the lever to prevent sudden or jerky movements, the adjustment being obtained by means of a spiral spring and weights slipped over a vertical pin.

Dynamos are made in a great variety of sizes and forms, for various classes of work, the armature being sometimes with twelve coils, in which three sets of commutator brushes are required. A very remarkable machine constructed for the purpose of smelting aluminium, the rated being 3,200 amperes with an electro-motive force

Its actual speed when developing its maximum little over 400 revolutions per minute. The cores of magnets are of cast-iron and cylindrical in shape, with a diameter of 11 inches and a length of 16 inches, the total weight of iron with which they are wound amounting to 542 lbs. The armature contains 825 lbs. of copper wire, and has an iron core weighing 1,600 lbs. The machine measures about 15 feet in diameter, and stands 5 feet high.

Another form of open-coil dynamo in general use is the Weston, of which a general view is shown in fig. 215. It is distinguished by itself, having many peculiar features, altogether different from those of any other with which we have dealt. The field-magnets are placed horizontally, with their opposite poles facing each other. The armature has comparatively little iron in it, and consists of a cast-iron tube flanged at both ends. The armature is mounted on a shaft with a spherical cavity to fit the shape of the shaft. The armature itself is that of a simple coil, and is somewhat like a fan, and it revolves

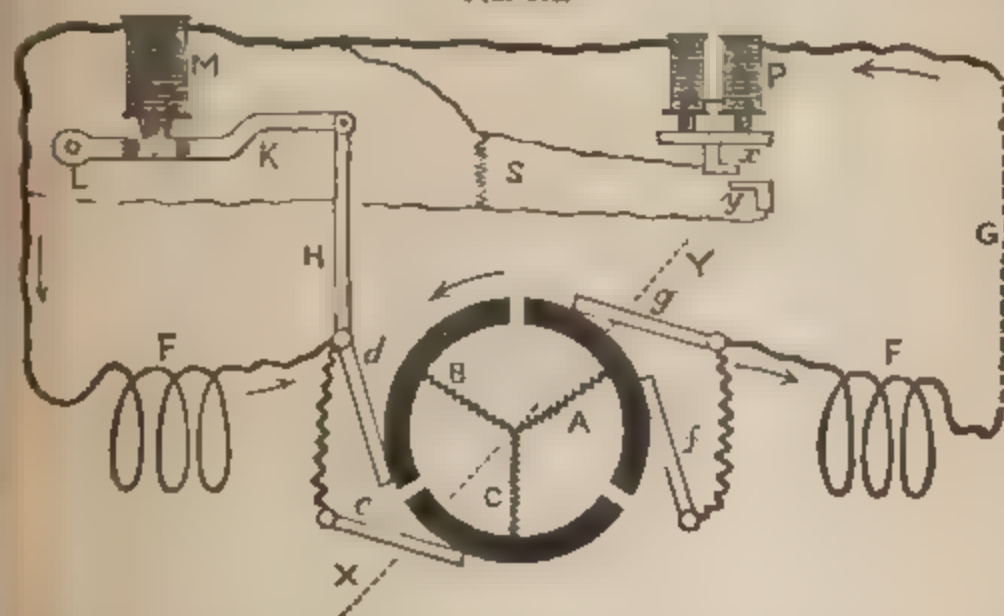


other  $120^\circ$ , and the *whole* of the half of the second coil is then finally, the remainder of the *fi* sponding first portion.

When the armature is rotated are induced in each of the coi place in each case when the pla the lines in the resultant field. course, distorts the field somew certain angle in the direction of line *x y* in the lower part of *fi*

port of the other. The consequence of this arrangement is that the most active coil is joined up in series with the remaining two less active coils, which are joined together in parallel. In the case shown in fig. 218, the coil *a* is approaching the best position; while *b* and *c* are in the intermediate stage, and are therefore joined up in parallel. The resulting E.M.F. is, consequently, that due to the mean E.M.F. of *b* and *c*, added to the separate E.M.F. of *a*. As the armature rotates, *b* approaches the best position, and its commutator segment alone is then in contact with the brushes *e* and *f*, while *c* and *a*, which are brought to the intermediate positions, are joined in parallel. These changes are continually repeated as the coils pass through the different portions of the field.

FIG. 218.



As in the case of the Brush dynamo, this machine being series wound and used on a circuit of high resistance for driving a large number of arc-lamps joined in series, the switching out of any of the lamps tends to cause an increase in the current strength, while, conversely, the switching in of lamps causes a diminution. Hence, in order to keep the current at a nearly constant strength, some regulating device is necessary. The method adopted consists in simply altering the position on the commutator of the two brushes forming each pair. It will be observed, from the commutator in fig. 218, that, the brushes being 60° apart, no coil is thrown out of circuit at any part of the revolution, and this is what

we may call the normal state of affairs. When, however, the current falls in strength, each pair of brushes is closed up automatically, so that all the coils are, in turn, disconnected for a moment when they are passing the neutral position, and are therefore nearly idle. The E.M.F. of the two coils in parallel is the mean of their individual E.M.F.s, and is, obviously, weakened by a comparatively idle coil, so that, at the moment when the idle coil is thrown out, the E.M.F. resulting from the other of the two coils in question is greater than it would be were they both in parallel. If this closing up of the brushes were to take place, then, when the armature is in the position shown in the figure the comparatively inactive coil B would be disconnected, and A would be joined to the external circuit in series. The maximum E.M.F. would be developed when each pair of brushes is so closed up as to form practically one brush, in which case the least active coil would be always out of circuit and the other two joined up in series. From this point any opening of the brushes puts two of the coils in parallel for a greater or less interval of time, and reduces the E.M.F. actually developed; therefore when the current becomes abnormally strong, the brushes are opened until the E.M.F., and, consequently also, the current, are reduced to the normal value. The motion given to the brush holders by the regulator is such that the following brush of each pair travels three times as fast as the leading brush.

The brushes *d*, *e*, *f*, *g*, are mounted on a double lever, having a scissors like movement about a common centre. The end of the lever carrying the brushes *d* and *f* is connected by the bar *h* to the armature *k*, under the electro-magnet *s*. This armature is hinged at *i*, and when the current in the main circuit becomes excessive, *k* is attracted, *d* and *f* are drawn back over the commutator, while *e* and *g* are pushed forward by a simple combination of levers not shown in the figure. The electro-magnet *m* and the double solenoid *p* are both in the main circuit with the field magnets *r r* and the lamps, and normally *m* is short-circuited by wires whose circuit may be broken at *x y*. The contact *x* is attached to the yoke of the two cores of the solenoids, and the first effect of an increase in the current is to raise the cores, break the contact at *x y*, and so cause the whole



current to pass through M, which then attracts K and opens the switch. A high resistance carbon shunt is inserted at S to prevent the spark at X.Y. It will be noticed that the end of the armature is shaped somewhat peculiarly and fits into a corresponding cavity in the armature; this shape is calculated to diminish the force of attraction uniformly as the armature recedes from the core. The regulating apparatus is shown in position in Fig. 219.

The small cylinder to the right of the electro magnet is a pot for steadying the movements of the lever.

There is one other device pertaining to the Thomson-Houston dynamo, to which a reference is necessary, and which is employed to prevent the excess

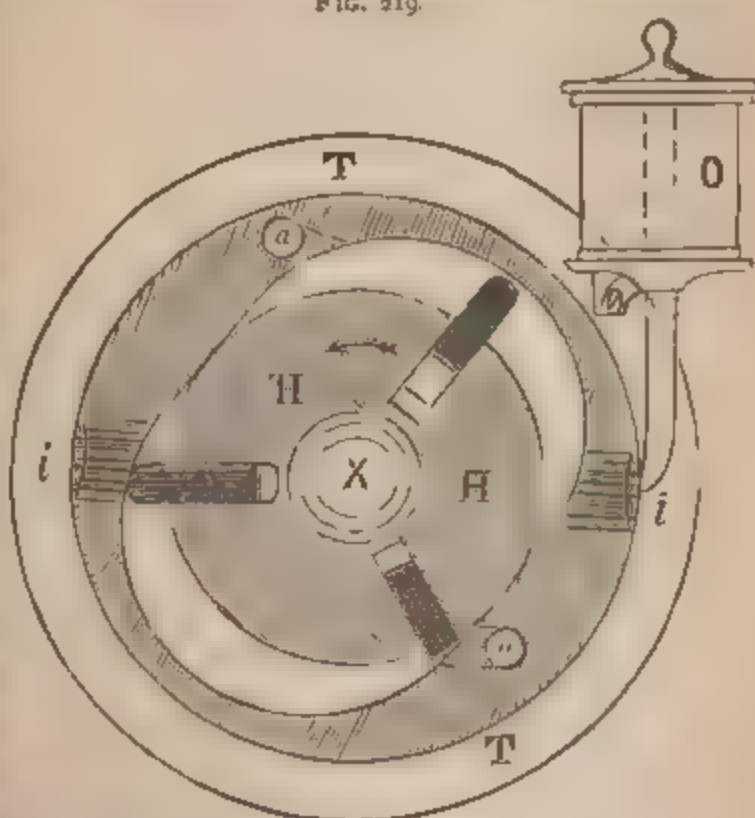
FIG. 219.

sparking caused by the armature coming out the brush when fairly worn, and which

otherwise would destroy the commutator. The brushes are separated by air spaces, and in front of each leading brush is a nozzle

which delivers a blast of air at the moment that the brush breaks contact, and so accomplishes the

blowing out the



The automatic 'blower' by which these timely puffs are delivered is shown in section in fig. 219. A circular steel hub, keyed on to the shaft, X, and revolves left handedly in an air chamber in the fixed frame, T. Air enters this chamber

through a pipe, and is protected by wire gauze. The hub has three radial slots, in and out of which the slides can slide freely. As the hub revolves by centrifugal force, and,

pressing continually against the walls of the chamber, forced in front of them and out at the holes *a a*, to each of which is connected one of the two nozzles above referred to. The *c* is fixed to the framework of the machine in the necessary position for the maximum force of the blast to take place at the moment. *o* is a vessel from which oil passes into the chamber through the aperture *i*.

The machine illustrated is designed to supply a current about  $9\frac{1}{2}$  amperes to 34 arc lamps in series. The armature is 2 feet in diameter, over all, and the resistance of the field-magnets and of the armature is in each case 10½ ohms.

In addition to the dynamos which have been described in the preceding chapters, there are many others to which the scope of this work has not permitted us to refer, although many of them are well worthy of study. We believe, however, that enough has been said to give the student a good insight into the science of dynamo building as it is now practised. Where we have given sectional views or working drawings, they have in most part been specially prepared for this work and represent machines manufactured since the summer of 1889.

A comparison of these chapters with works of a similar character published a few years ago, will show that the modern tendency in dynamo design is towards simplification and uniformity of detail. As an example of the latter, we may cite the construction of commutators, in which the materials now employed are always exactly alike, while in the manner of building up the commutator so as to prevent the sections flying out, there is very little difference to be found. This similarity is what might be anticipated, for if the vast number of experiments which have been performed by the various manufacturers to determine which is the best appliance to perform a given kind of work, have produced equally exhaustive and accurate, an almost identical result must have been arrived at. Thus, no metal has been found superior to hard-drawn copper for the bars of a commutator, while the extremely difficult task of satisfactorily insulating these bars in the case of a closed coil commutator, nothing has been discovered which approaches mica; indeed, were this mineral not available it is probable that some alteration would have had to be made in the general design.

Great things were at one time expected of asbestos for insulating purposes, but it proved to be a good absorbent of oil and was charred by the sparking, while the adhesion of metallic particles abraded from the bars and brushes soon developed a more or less amount of short-circuiting with its concomitant

A somewhat similar result attended the use of simple air-spaces for insulating the bars, for the metallic dust or scrapings accumulated sooner or later at the bottom of the spaces, which, being numerous, were necessarily narrow. Occasionally a special commutator is given to a commutator; for instance, that of the small machine shown in fig. 134 is built against the end of the armature, the individual bars being disposed radially. The object here is to save the length of the machine. A special commutator is also employed with the machine illustrated in fig. 221, the object of which is explained in the description.

Again, the lamination of the core of an ordinary cylinder or of an armature is a matter upon which little doubt now exists, for it is as certain as it well can be that the magnetic resistance should be kept as low as practicable, a result only to be arrived at by securing metallic continuity in the direction of the lines of force by using extremely thin insulation; while, on the other hand, the insulation must be carried far enough to sufficiently reduce the eddy currents. Nothing better, therefore, can be devised than a core of thin iron plates of high permeability, separated by the thinnest possible layer of insulating material, the only doubtful point being the thickness of the plates. Such experiments as are referred to at the end of the preceding chapter may help to settle this point, and it is just possible that by this means some of the advantages eventually be gained which will enable the magnetic resistance to be minimised.

As regards the design of the armatures it is probable that the drum type will in the future be even less frequently used than the drum type in a simple field, and the salient-pole type, having proved to possess many advantages. It is also probable that the salient-pole type will be the only type to one or two poles, and almost every machine will be of the salient-pole type, similar to itself. The salient-pole type is also the only type in the con-

struction of dynamos is in the form and arrangement of the field-magnets, and these matters are frequently determined by local circumstances. For example, one maker may have tools capable of doing a class of work altogether out of the question at another factory. Or, again, the question of weight may have to be taken into account, dictating the use of wrought-iron where otherwise cast iron would be the more economical.

The theoretical form of field magnet, circular in section (so as to require the minimum amount of wire), and made of soft iron without molecular discontinuity, is too expensive and inconvenient to be rigidly followed, especially in large machines. Equally powerful fields can be produced with rather more copper wire and a greater expenditure of power in the field magnet coils by the use, partially or entirely, of cast iron, with close fitting joints.

The great variety in the form of field-magnets is also largely due to the difference in the views of the various makers as to the method of obtaining the most economical construction. Very few now manufacture dynamos with the armature at the lower extremities of a pair of vertical field magnets, where slabs of zinc or frames of gun metal have to be interposed between the pole pieces and the iron bed plate, to reduce the magnetic leakage. Sometimes this type is adopted in order to economise space and make the machine as squat or short as possible, three coils being then wound on the field magnet, one on each leg and the third on what we are accustomed to call the yoke.

The purpose for which dynamos are most frequently designed is to light a number of incandescent lamps joined up in parallel circuit. It is necessary to maintain a constant potential difference at the terminals of these lamps, say of 110 volts, and consequently the machine employed should be shunt wound, with a very low resistance in the armature; or, if the number of lamps is likely to be subject to considerable variation, the machine must be compound wound. For the important work of charging secondary batteries, a simple shunt-wound machine is the most suitable. A series dynamo is, of course, capable of performing this work, but it requires to be used with extreme care, because as the electro-motive force of the cells rises, its opposition to that of the machine becomes more pronounced and the current falls.



value. The polarity of the field-magnets may, indeed, be actually reversed, when the current from the cells will drive the machine as a motor. On the other hand, when using the shunt-machine the electro-motive force of the cells tends to increase the current passing through the field coils, whence the danger of reversal is diminished.

Many dynamos are now employed for the deposition of metals, electroplating, &c., and for this purpose they are required to furnish very heavy currents at a low potential difference. They are frequently series-wound and it is necessary that the internal resistance should be extremely low, otherwise considerable power would be wasted by the passage of the currents, which sometimes exceed 1,000 amperes. To obtain this low resistance a drum armature may be constructed with very massive bars for the active conductors, the field-magnet coils consisting of a few convolutions of massive copper band. An electro-motive force of from ten to eight volts is usually ample, and this, notwithstanding that there are but comparatively few active conductors round the armature, can be obtained without the necessity for driving at a high speed. But it is not an easy matter to secure these massive bars, and consequently many machines are made with a number of fairly thick wires joined up in parallel to form one conductor. In order to reduce as far as possible the loss of energy at the commutator it is essential that the brushes should be large, and the amount of contact surface considerable. A large machine, somewhat similar in appearance to that depicted in fig. 185, has been constructed for electro-deposition work; it develops the comparatively high E.M.F. of 50 volts, and can yield 1,000 amperes at a speed of 350 revolutions.

Shunt-polar machines, as has already been indicated, afford a means of easily securing mechanical strength with extremely low resistance.

In supplying current to a number of pieces of apparatus connected in series, whether arc-lamps, low-resistance incandescent lamps, or motors, it is necessary to maintain a constant current under all conditions. The two open coil machines described in the preceding chapter, and the dynamo illustrated in fig. 194, are suitable for this class of work.



## CHAPTER XII.

## MOTORS AND THEIR APPLICATIONS.

WE must now give some attention to the important class of dynamo electric machines employed for the purpose of converting at any desired point, energy supplied to the machine in the form of electricity, into energy in the form of mechanical motion.

In its widest sense this conversion rests upon the fact that whenever any of the lines of force forming part of two separate generated magnetic fields traverse a common space, there is a decided action between the two sets of lines, the tendency being to so alter their paths that as many lines as possible shall coincide in direction. By bearing in mind this simple general rule, no difficulty should be experienced in predicting the results of the action which will follow, even in complicated cases. This mutual action takes place independently of the means by which the fields are developed, whether by currents in two wires (straight or coiled, with or without cores), or by permanent magnets; or, the one field may be a current in a wire and the other by a magnet. In the effort to make the coincidence a maximum, both fields are distorted from the configuration which they would independently have received, and this configuration is again assumed immediately they are removed from each other's influence. Consequently, when the lines of force pertaining to two fields approach each other, the mutual action sets up a stress, the effect of which is a tendency to impart such a motion to the material substances (whether a bar or a conducting wire), employed in generating the fields, as to make them take up positions in which the lines of force of both fields coincide to the greatest possible extent. The stronger the fields, the greater is the force thus acting, and, if sufficiently strong, mechanical motion is imparted to that body which

For instance, suppose one field to be a simple one between the two pole-pieces of a powerful field-magnet, as has been described, and the other field to be a current in a circular loop of wire. If the loop is placed with its edges towards the pole-pieces, that is, parallel to the lines of force of the field-magnet, the lines of its own field will be projected at right angles to the other, and the field-magnets being too massive to move, if freely suspended, immediately turn round through 180° until the lines of force of the other field thread through it in the same direction as its own lines. If free to move in any direction, its position of rest will be in the densest portion of the field, where the number of lines passing through it, and coinciding with its own lines, is a maximum. If the current in the loop is then reversed in direction, it will turn round until the lines of both fields again coincide. This is thus a means of imparting mechanical motion to a body, in this case a loop of wire; and a continual motion can be maintained by reversing the current in the loop at the proper moment, viz. just when its momentum has carried it past the point which, in the absence of this reversal, would be its position of rest. It remains to be seen how the principle, when practically applied, on a scale such that the force with which the body is urged into a new position may amount to considerable power.

In the simple case of a closed-coil armature with a commutator, as illustrated in fig. 149, it will be observed that the current is sent through the two coils in parallel, while in this position, no movement results when the direction of the field is reversed, so that the lines of force due to it coincide in direction with those of the fixed field. This is the position of rest. If the current is reversed, it will continue to revolve until the coincidence again occurs. This can be supplied by brushes pressing on the commutator, and so placed that each segment slides under a brush. The position of rest is again reached when the current is reversed, and a continuous motion is maintained. When the current is reversed, the armature

might come to rest suddenly at a dead point, and would not start again from such a position, but the number of coils can be increased with advantage until we have, practically, an armature similar to those used in generators. On a current being sent through such an armature, each coil strives to set itself with its plane at right angles to the field, in which position the coincidence of the two sets of lines is at a maximum. Immediately the coil arrives at this point, the current in it is reversed, causing it to exert a similar force in the same circular direction, during another half revolution.

The armature may be of the ring, drum, or flat disc type, and it fortunately happens that most of the principles underlying the design and construction of a good generating dynamo, hold equally well for a motor. The fixed field is usually supplied by powerful electro-magnets as in the case of generators, these being excited by a current from the same source as that which supplies the armature. Many of the troubles which in dynamos are avoided or reduced by the employment of a fixed field sufficiently strong to overpower that developed by the armature, are also inherent in a motor, and may be avoided by the same arrangement. In a motor the question of weight is frequently of considerable importance. For instance, the machine may be employed for the purpose of propelling a vehicle, and in such cases the weight of the motor is added to that of the vehicle, and involves a proportionally increased expenditure of power in moving it. Again, in constructing a motor, even more care must be exercised than with a dynamo, in rendering the armature able to resist sudden shocks without risk of damage, the reason for which will be more apparent presently.

We have already learned that when a conductor moves through a magnetic field in such a manner that it cuts the lines of force transversely, an E.M.F. is induced in the wire, this E.M.F. depending upon the density of the field and the velocity of the wire, the cause which sets the wire in motion being quite immaterial. And if an independent current is already flowing in the wire, the electro-motive force induced by the motion, will either tend to increase or decrease this current, according to its direction. Now when a wire, free to move, is placed in a certain position in a

etic field, and a current is sent through it, it quickly moves to a new position. But in the very act of moving across the field the wire cuts the lines of force, and an electro-motive force is consequently induced in it. As such reactions always tend to oppose the motion of the moving body, and as any reduction in the current must necessarily reduce the force with which the wire is acted on (by the mutual action between the fields), the induced current must oppose and reduce the current which is flowing.

As a consequence of this 'counter electromotive force,' the current which a given external source of E.M.F. can send through a motor, is limited by the speed at which the wire of the movable part of the machine is at the moment cutting the lines of force of the field. If the revolving part is forcibly restrained from moving, the current is at its maximum, being simply the quotient of the E.M.F. divided by the resistance. But when it is allowed to move, the current immediately falls in value, and the higher the speed, the lower is the strength of the current. This may be observed experimentally by placing an ammeter in circuit with a battery and a motor, and then varying the speed of the latter.

Now, any one of the dynamos hitherto described can be used as a motor. For instance, we may take a direct current series-wound machine, and, by simply passing a current through it from a battery or secondary cells, can cause the armature to rotate freely. The force with which the armature moves, depends upon the strength of the fields produced by it and by the field-magnet, these in their turn depend upon the strength of the current.

As the internal resistance of a secondary battery is very low, and that of the machine is also low, an enormous current will pass through the armature if it is at rest; sufficiently strong, if maintained any length of time, to damage it. But immediately the armature begins to move, this enormous current falls, until presently the speed of rotation and the counter electromotive force become so high that only a very small current can flow, the torque with which the armature turns, or the torque, being, of course, also considerably reduced. This variation is extremely

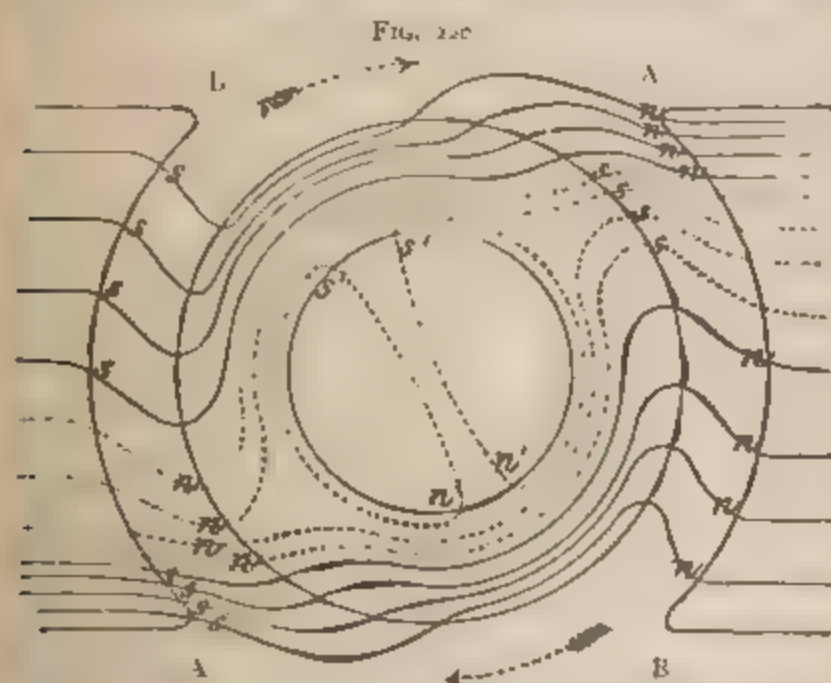
The 'torque' is the moment of the force which tends to cause rotation. In a direct current machine it is equal to the length of the arm, that is, the radius of the armature, multiplied by the pull at the circumference on the conductor.

effected, and before any danger of over-heating. The necessity of sudden heavy stresses as the heavy load, requires exceptional mechanical construction of which is here directed to the machine armature conductor lies in the plate of which bears directly the action being such as to render enormous torque without injury.

Supposing the field to be reversed, the current in the armature of the generator must be the reverse to its normal value, if the direction of rotation is the same case ; indeed, we have just seen that the torque is opposite to that which produces the motion, before, if the direction of the field is reversed, the torque which would be developed by the armature or of the field must be reversed ; or if a rotation in the opposite direction the connections should be left round to suit the reversed motion. On the other hand, will, without any change, if an E.M.F. opposite to the applied voltage is



The distortion of the field observed when a machine is used as a generator also occurs when it is employed as a motor, because, when the brushes are at zero, the lines of force of the armature are at right angles to those of the field-magnets. But the direction of the current, and therefore of the lines of force, being reversed in the case of a motor armature, the direction of the resultant field is also different. The amount of the distortion depends, obviously, upon the relative strengths of the two fields. It is very slight when the field-magnets overpower the armature, but in all cases the direction of the resultant field is such that the brushes must be shifted *backward* to place them on a diameter at right angles to the lines of force, and so to avoid sparking. The distortion of the field of a motor is illustrated in fig. 220, and should be compared with the corresponding figure (156) for



generator. The density of the lines of force is greater at the points A A which the armature is approaching, and, as a consequence, any irregular distribution of iron in the armature core produces stronger eddy currents and develops more heat at these points, than at the horns B B from which the armature is receding, in the case of a dynamo. With an ordinary armature, however, heating is not very great, and in all cases it is influenced to a great extent by the fact that a current of cold air is drawn in at

A A and ejected somewhat warmer at B B. In the case of a motor, therefore, this air current tends to reduce, and in the case of a generator to increase, the difference of temperature between the two horns of each pole piece.

The current through the armature of a motor frequently varies considerably, and this may cause a shifting of the resultant field, and therefore also necessitate an alteration in the position of the brushes, but in all cases a reduction in the angle of lead, and immunity from sparking with a variation of the armature current, may be obtained by employing a very powerful field relative to that produced by the armature. But this necessitates considerable weight, especially in the field magnet cores. Hence, the superiority of wrought-iron of high permeability is apparent, although even when this is used the weight of a motor built upon this principle is still considerable. As we shall see presently, the most effective plan of constructing a light but efficient machine is to arrange that the armature field shall be very powerful and reinforced by that of the field magnets, special precautions being taken to prevent the sparking which would otherwise ensue. But at the same time it must be remembered that the advantages accruing to the use of powerful field magnets, even at the expense of extra weight, are not lightly to be thrown away, and that in ordinary cases it is truly true economy to sacrifice much in order to save a little weight.

The electrical power may be supplied either at a constant pressure, or constant current; in the former case regulation is comparatively easy, while in the latter greater economy in the distribution of power can sometimes be effected. Supposing a constant potential to be maintained at the terminals of a shunt-wound motor; the current through the field magnet coils will always be the same, and therefore the strength of the field remains constant, but the current through the armature depends upon the speed of rotation, being, in fact, determined by the excess of the applied electro-motive force over the counter electro-motive force. Supposing the machine to be employed in driving a tram car, then, for example, when the car commences to mount an incline, the armature shaft is called upon to perform additional work, which tends to reduce the speed of rotation; this, however, by reducing the counter-electro-motive force, immediately allows a strong

current to pass through the armature, and affords the necessary electrical power to perform the extra work. On the other hand, should the car be allowed to attain a high speed in descending an incline, the counter-E.M.F. would reach a high value, so high in fact that very little current would pass through the armature, whence very little electrical power would be expended. The demand upon the source of the electrical power is thus to a certain extent automatically regulated in a very simple manner according to the requirements, and this effect of the counter electro motive force obtains, whatever the purpose may be for which the machine is employed.

If the armature resistance is extremely low and that of the shunt-coils high, and if the field-magnet develops a much greater field than the armature, the variation of lead will be but slight, and further, the machine will to a great extent be self regulating as regards speed. But since these conditions are not always obtained in a motor to the same extent as in a dynamo, chiefly on account of the anxiety to reduce the weight, few shunt motors are sufficiently self regulating to meet all requirements. We have seen that when an additional load is thrown on the motor, the resulting reduction in speed immediately allows the passage of a stronger current through the armature; but if the speed is to be kept constant, the counter electro-motive force also will be constant, and then the current through the armature can hardly vary at all, so that the two conditions are opposed to each other. But by reducing the strength of the field developed by the field-magnets, the counter E.M.F. can also be reduced, and therefore a stronger current can be passed through the armature when rotating at a given speed. It is necessary, then, to devise some means of reducing the strength of the field when the load is increased and the current in the armature rises. The simplest way of accomplishing this is to place a few turns of thick wire round the limbs of the field magnet, in series with the armature, but wound in such a manner as to magnetically oppose the shunt-coils instead of assisting them, as in the case of a compound-wound generator. The effect of these series-turns in weakening the field becomes greatest when the armature current is strongest, and *vice versa*; but it should be observed that since the strongest

current which can pass through the armature does so when it is at rest, the armature may start in either direction as determined by the shunt-coil field, or the field produced by the heavy current in the series-windings. To avoid any uncertainty, it is usual to lead the ends of the two windings and of the armature separately to the switch board, and to reverse the current through the series-windings, so that both shunt- and series coils act together in developing a strong field at the moment of starting, the series turns being joined up in the normal manner when the speed rises above a certain value.

The field of a shunt motor may also be weakened by inserting resistance-coils as required, either by hand or automatically, or by altering the ampere-turns in any other manner. It appears at first sight somewhat paradoxical that the speed of a motor can be increased by reducing the strength of the field, but the reduction of the counter electro motive force of the armature, as mentioned above, satisfactorily explains the matter. The case for a series motor fed with a constant current is different, and the distinction must be clearly borne in mind. If the load is decreased, the speed increases, and so gives rise to a higher counter E.M.F., but the generator responds to this and maintains the current constant. Consequently the speed of the machine increases enormously when the load is lightened to a great extent, and it is then that unless care is taken considerable damage may be done. The weakening of the field of a series motor reduces the power given out, and therefore, also, reduces the speed if the load and the current through the armature are unaltered. The alteration in the strength of the field is conveniently effected by shunting the field-magnet with a variable resistance, and the application of one such method will be considered presently. We shall also refer to the manner in which highly successful results have been achieved by means of series motors supplied at a constant potential.

Only a portion of the power given electrically to a motor is converted usefully into mechanical power, a part being spent in heating the armature, field-magnet coils, &c. When the armature is at rest the whole of the electrical power absorbed by the motor is so converted into heat, and the efficiency of the machine, that is, the ratio of the useful power obtained on the shaft to the total



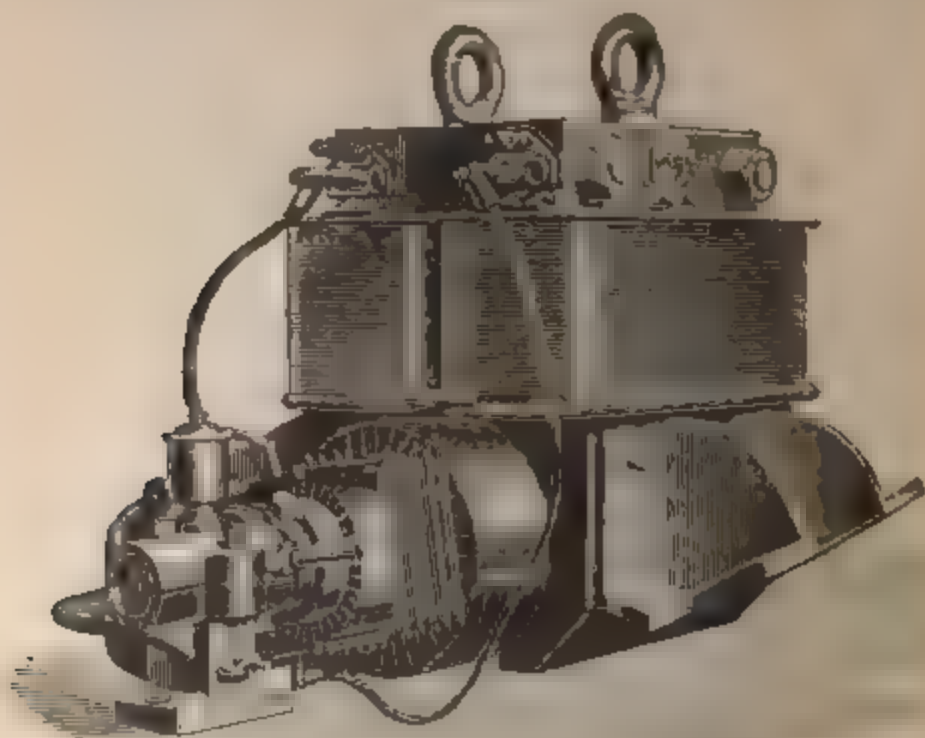
power supplied, is at its lowest value, viz. nought. When the armature is moved, the useful performance of work begins, and as the current also falls in strength, the power wasted in heating decreases. The higher the speed of rotation, the higher becomes the counter-E.M.F., and the less becomes the power wasted as heat in the conductors; in fact, the ratio of the power usefully absorbed by the motor to the whole power supplied, is very nearly proportional to the ratio of the counter E.M.F., to the E.M.F. applied at the terminals of the machine. The efficiency of the machine is therefore highest when the load is a minimum, that is, when it is doing least work per revolution, while the torque, or the force with which the armature tends to rotate, is greatest when the load is sufficiently great to prevent the armature turning, and when, therefore, it is doing no external work at all. Now when a motor is running at a high speed it performs very little work indeed during one revolution, although, the number of revolutions being great, a considerable amount of work may be performed during a given interval of time, say one minute. On the other hand, when the speed is very low, the amount of work per revolution is comparatively great, but the small number of revolutions per minute prevents the quantity of work reaching during that interval a very high value. By considering these two extreme cases, it might be supposed that there is a certain intermediate speed of rotation at which the work performed by any given motor is a maximum. This is the case, and the speed of a motor at which it can perform the maximum amount of work per minute is that speed at which the counter-electro-motive force becomes equal to the electro-motive force applied at the terminals. This result is quite independent of the efficiency of the conversion, which, as we have seen, increases with the speed of rotation.

In fig. 221 is illustrated a motor which was constructed by Messrs. Goolden for an electric launch. The field magnet is of a single horse shoe shape, the cores being of wrought iron, secured by a wrought-iron yoke-piece by two horizontal bolts. On the outer side of each pole-piece is a gun-metal supporting bracket with two flanges, shaped to fit the ribs of the boat. One bracket (at the back in the figure) is extended on either side to form bearings for the armature shaft.



The machine is shunt wound, the field magnet coils consisting of 2,680 convolutions of No. 14 s.w.g., having a resistance of 6.96 ohms. The armature is of the drum type, and is wound with two No. 14 s.w.g. wires in parallel, there being 216 convolutions of this double wire, giving a resistance from brush to brush of 0.2 ohm. Each section has six turns, so that there are thirty-six bars in the commutator, which is insulated throughout with mica. The adjacent end of the armature is covered by radial extensions of the commutator bars, the mica insulation being also extended

FIG. 221.



to the periphery. The other end of the armature is covered by a metal plate of an equal diameter, the rest of the armature being enveloped by a waterproof material securely banded on, so that the whole is rendered completely watertight. The armature shaft is, at the end remote from the commutator, coupled direct on to the shaft of the propeller. The armature brushes and field-magnet coils are connected to separate terminals leading to the controlling switch, and the motor is reversed by simply reversing the direction of the current through the armature. To render this practicable, the brushes are of a special type (see fig. 227).

isting of steel springs placed flat against the commutator, and aided with solid carbon blocks for making contact, the requisite pressure being given by india-rubber bands passing round hooks at the ends of the springs. This motor develops five horse-power when running at 500 revolutions per minute; the current is supplied by secondary cells, the machine being designed to carry 70 amperes at 95 volts, but the margin is such that it can safely run up to 70 amperes for several hours without risk of damage from over-heating.

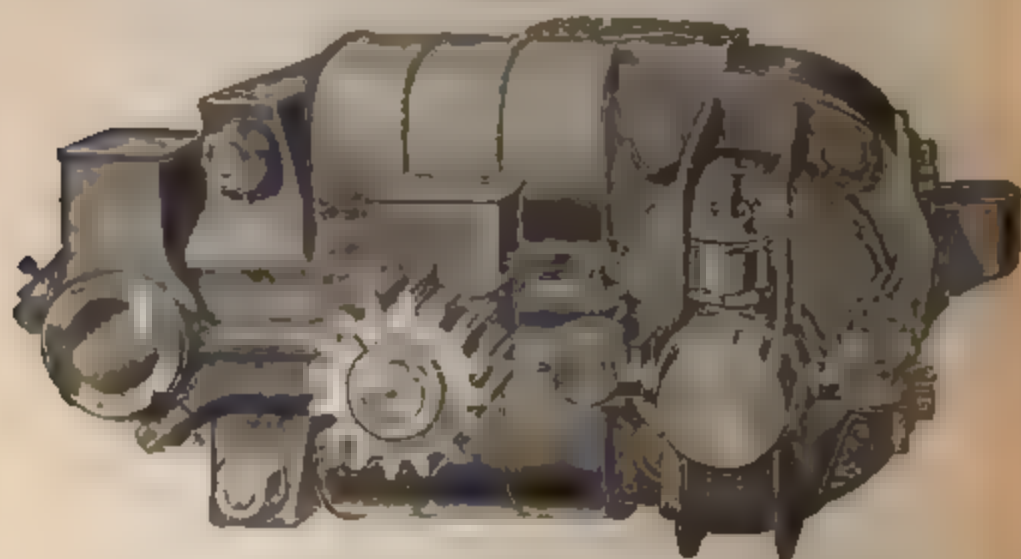
The efficiency of this motor is about 85 per cent., which is not for so comparatively low a speed as 500 revolutions per minute. In most cases the difficulty of obtaining a machine of reasonable efficiency at a low speed, without abnormal proportions and correspondingly heavy weight, renders it necessary to run at a high speed, and to effect the reduction required, by suitable gearing. Thus, for example, the wheel of an ordinary motor-car travelling at seven miles per hour does not revolve at so low a speed as eighty revolutions per minute, and it would be impossible to construct a practical motor to run at this low rate. A motor running at 720 revolutions might be employed, by introducing gearing which would reduce this speed to about one tenth. The selection of suitable gearing is not, however, an easy matter, the gear must be light, strong, and durable, and should produce little or no noise nor vibration in working; and, while absorbing little power in friction, it must be capable of withstanding dust and dirt, and of being easily protected. Some very good devices, depending on friction to transmit the power from a small wheel on the rotating armature shaft to a larger pulley on the axle, have been employed with fair success on lines where the gradients are not too steep, but where the power required to be transmitted is at times very heavy, this method is not to be relied on. By means of a pinion and gear wheel, with or without an intermediate counter-shaft, the necessary power can be transmitted. One principal objection to this method is that it is noisy; the teeth of the pinion on the counter-shaft also rapidly show signs of wear.

The necessary reduction in speed can also be obtained, and in a satisfactory manner, by means of a screw and worm-wheel; the screw, driven by the motor shaft, gearing into the

teeth of a worm-wheel on the axle of the car or on a counter-shaft. Chain gearing is also employed; in this case an endless chain passes over a small toothed wheel on the motor shaft and a larger one on the axle, the teeth of the wheels fitting into the links of the chain. The chain is, however, liable to stretch, and then the teeth no longer fit accurately, and slipping is likely to take place.

In figs. 222 and 223 a good example of spur gearing is illustrated. The motor, designed by Lieut. Sprague, is intended for use on a tram car, the field-magnet being of the single horse shoe type, and of wrought-iron throughout. At the yoke end, the motor is swung from the axle of the car, this bearing being shown on

FIG. 222.

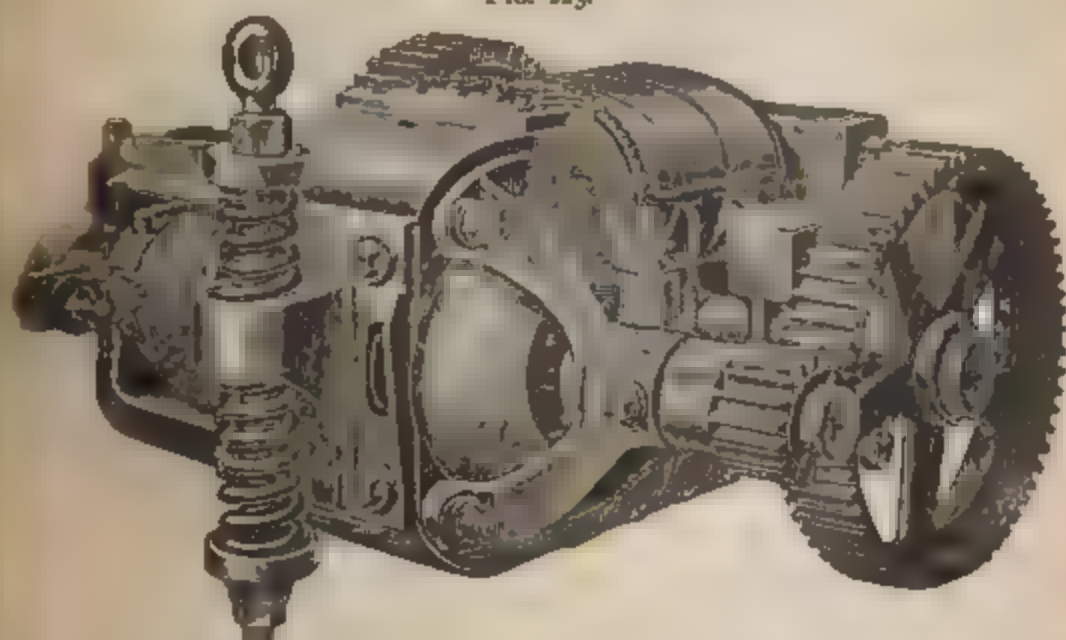


the left of fig. 222, while at the other or armature end, it is flexibly supported, being attached to the body of the car by means of the spring shown in fig. 223. Bronze brackets, fixed to the pole cheeks, support the armature bearings, and a pinion on the armature shaft, as indicated in fig. 223, gears with a spur-wheel carried on a counter-shaft which passes between the limbs of the field magnet. At the other end of the counter-shaft is the pinion visible in fig. 222, which gears into a spur-wheel keyed on to the axle of the car, the number of teeth being so proportioned, that the speed of rotation of the axle is about one-twelfth of that of the armature.

The pinion on the armature shaft is sometimes made of

hard vulcanised fibre. The wear is, of course, greatest at the teeth of this pinion, while the greatest power is transmitted by the teeth at the other end of the train. The teeth are, however, strong enough to resist a *steady* pressure far greater than can be given by the machine; were the full power suddenly applied with a jerk, the strain would be enormously increased, but a most important function of the supporting spring is to prevent this taking place, by yielding slightly when the pressure is suddenly applied. But the advantage gained in this way entails the disadvantage that the distance between the centres of the engaging wheels is liable to variation. Consequently, involute teeth are

FIG. 223.



employed, that is to say, the form of the rubbing surfaces of the teeth is the involute of a circle, such teeth being the only ones which are independent of an alteration in the distance between the centres of the wheels.

The armature is entirely covered with a waterproof material, and the field-magnets being also protected by an impervious covering, the machine is but little liable to injury from moisture.

The covering of the field magnets consists of sheet copper, the joints being carefully sealed. An advantage attending this arrangement is, that the heavy current induced in the low resistance copper sheathing reduces to a very great extent the magni-

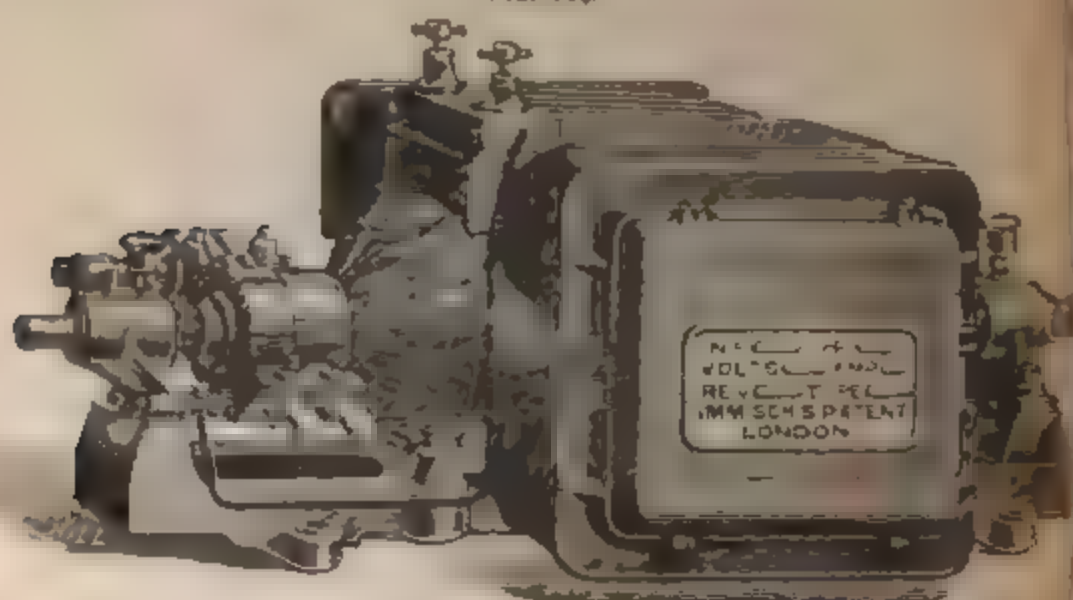


tude of the extra current developed in the coils on suddenly breaking the circuit.

Carbon brushes are employed, the commutator being of the usual form, viz. copper bars insulated with mica.

In fig. 224 is illustrated the Immisch motor, a type which is in extensive use, and possesses some important peculiarities. The field magnets are of the double horse shoe form, the coils being wound in four sections on the horizontal portions of the core, although in a few instances two coils are employed, wound on the vertical limbs, as in the case of the Manchester dynamo.

FIG. 224.

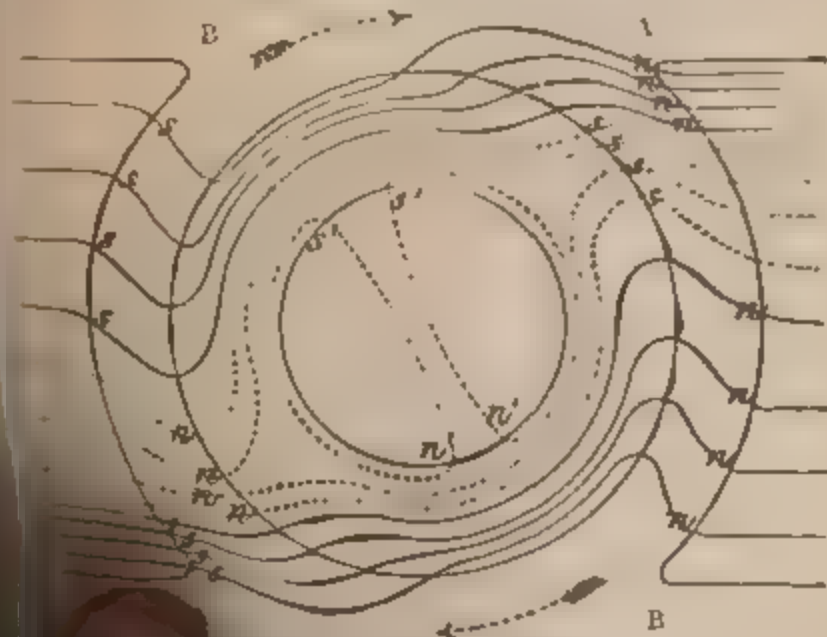


In these machines the magnetic field developed by the armature is comparatively powerful, being equal to, or even greater than, that developed by the field magnet, the object being to effect a great reduction in weight. As has been already remarked, it is possible, since the two fields reinforce each other, to employ a weak fixed field and yet obtain the necessary force on the armature, provided the armature field is correspondingly increased in strength; but this entails some special device to avoid the necessity for altering the lead of the brushes to suit the variations of the current caused by a varying load. The actual requirement is, of course, to keep the direction of the resultant field unaltered, so that the brushes shall always be on a diameter at right angles to this field, and in the Immisch machine the arma-



the distortion of the field observed when a machine is used as a generator also occurs when it is employed as a motor, because, when the brushes are at zero, the lines of force of the armature are at right angles to those of the field-magnets. But the direction of the current, and therefore of the lines of force, being reversed in the case of a motor armature, the direction of the resultant field is also different. The amount of the distortion is, obviously, upon the relative strengths of the two fields, very slight when the field-magnets overpower the armature, but in all cases the direction of the resultant field is such that the brushes must be shifted *backward* to place them on a diameter at right angles to the lines of force, and so to avoid sparking. The distortion of the field of a motor is illustrated in fig. 220, and should be compared with the corresponding figure (156) for

FIG. 220



density of the lines of force is greater at the armature is approaching, and, as a consequence, the distribution of the armature core currents and density of heat at these points from which the armature is receding. With an armature, however, and in a motor, is influenced to a certain extent, and air is drawn in at

at intervals, and having projections above the surface of the rest of the core, which act as driving horns.

The machines are usually series-wound, and are made in a variety of sizes for different purposes. One, designed for driving a tram-car, weighs  $5\frac{1}{2}$  cwt., and is intended to run at 1,000 revolutions with a current of 40 amperes at 60 volts. The gearing consists of two steel chains with a counter-shaft, the reduction of speed being 10 to 1; the velocity of the chain on the armature shaft is, at times, as high as 2,000 feet per minute, the high speed of the motor allowing a considerable reduction in the weight of the machine. The current is supplied by eighty secondary cells carried on the car, a switch being provided for connecting these all in series, or forty in series and two in parallel, so as to vary the power given to the machine. The same switch can also be used to throw resistance in circuit, when the motor is being started, to prevent the passage of a too heavy current. The direction of rotation is reversed by reversing the current through the armature, two sets of brushes being provided, operated by a suitable lever, one set adjusted with a slight negative lead in one direction, and the other set with a corresponding lead in the reverse direction.

One of the earliest and most successful applications of the electric motor was made by Mr. M. Holroyd Smith, on the Blackpool Electric Tramway. This venture was made in the experimental days of electric traction, and great difficulties have been contended with and overcome. The working has been so successful under somewhat trying local conditions as to prove that the system is sound, and we shall accordingly briefly describe the main features. The line is two miles in length, and consists chiefly of a single track with a number of pass-byes. It runs along the sea-coast in such an exposed position that the road is occasionally flooded during the winter months, and at all times the sea-deposit, which is always prevalent near the coast, considerably enhances the difficulty in insulating the conductors.

The conductors are laid underground in a channel midway between the two rails on which the car wheels run, the current being taken from them to the motor, by means of a collector trailing through a narrow opening in the top of the channel.

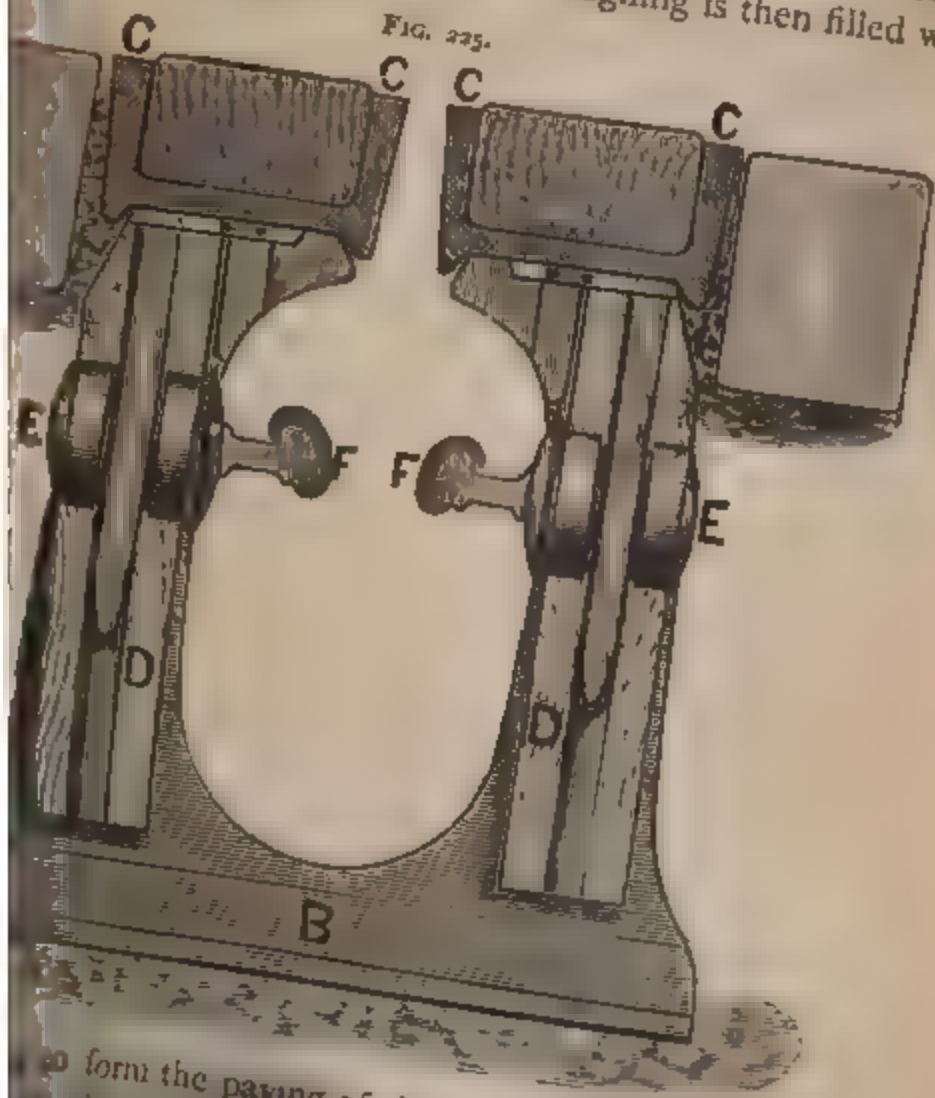
In fig. 225 a transverse section of this channel is shown, the

# Holroyd Smith System

413

Support being afforded by cast-iron chairs which are fixed at  
 s of a yard. One of these chairs, B, is shown in the  
 its height is 11 inches, base  $12\frac{1}{2}$  inches, and internal width  
 es; it has vertical slots cast in it, on each side, and into these  
 fitted stout creosoted boards, D D, which form the sides  
 hannel. Steel troughing C C, runs along and is bolted to  
 of the cast-iron chairs. This troughing is then filled with

FIG. 225.



to form the paving of the road; the remainder of  
 also of wood. The sides of the steel troughs  
 that the opening between them widens from half  
 to one inch at the bottom, in order that a stone  
 ed in. The conductors  
 nipe shown at F F; the  
 d rod, 0.575 inch in  
 L L 2

hole is also bored in the wall into this a wooden peg is driven into the groove, locks the insulation cemented into a porcelain tube.

The conducting tubes are made of drawn brass (not shown) which, when put together, exactly fit the inside of the porcelain tube, being wrapped with wire to prevent expansion and contraction, while the connecting wedges cannot expand due to the difference in temperature would crack the solder. The positive lead, and the collector lead, one terminal of the motor, and the wheels of the car, the rails, or, rather, through the rails, connected at every hundred feet with a sheathed copper wire, placed on the bottom of the channel. The voltage to be taken as that of the two terminals, a good earth there will be no trouble, negative terminal of the motor, rarely or never happen, and

Also, the E.M.F. device...  
The maximum E.M.F. is...  
The two...  
parallel.

The maximum...  
line, is about...  
extremities. The...  
sometimes so great as to...  
been standing...  
leakage has been...  
the heavy current rapidly...  
men have since been...  
soun does not, under...  
A good idea of the...

gathered from fig. 226. The...  
equally well in either...  
ploughs of tempered steel...  
plate to a centre-pole. The...  
iron cheek, bearing...  
having fixed vertically...  
insulated and protected...  
through the slot. The...  
to it a short horizontal...  
curved hard metal wings...  
partly embracing one of the...  
combination which is flexible...  
as those at crossing points, is...  
any slight obstruction, and ensures...  
comb. Each of the steel...  
to which is hooked a hauling rope...  
car, but a loop of weaker cord is...  
meets with a serious obstruction...  
can, and can be quickly brought to a...  
brakes. The loop slips off the train...  
electrical connection is also provided...  
to have a heart shaped terminal, which...  
requires a rather sharp jerk to release it.

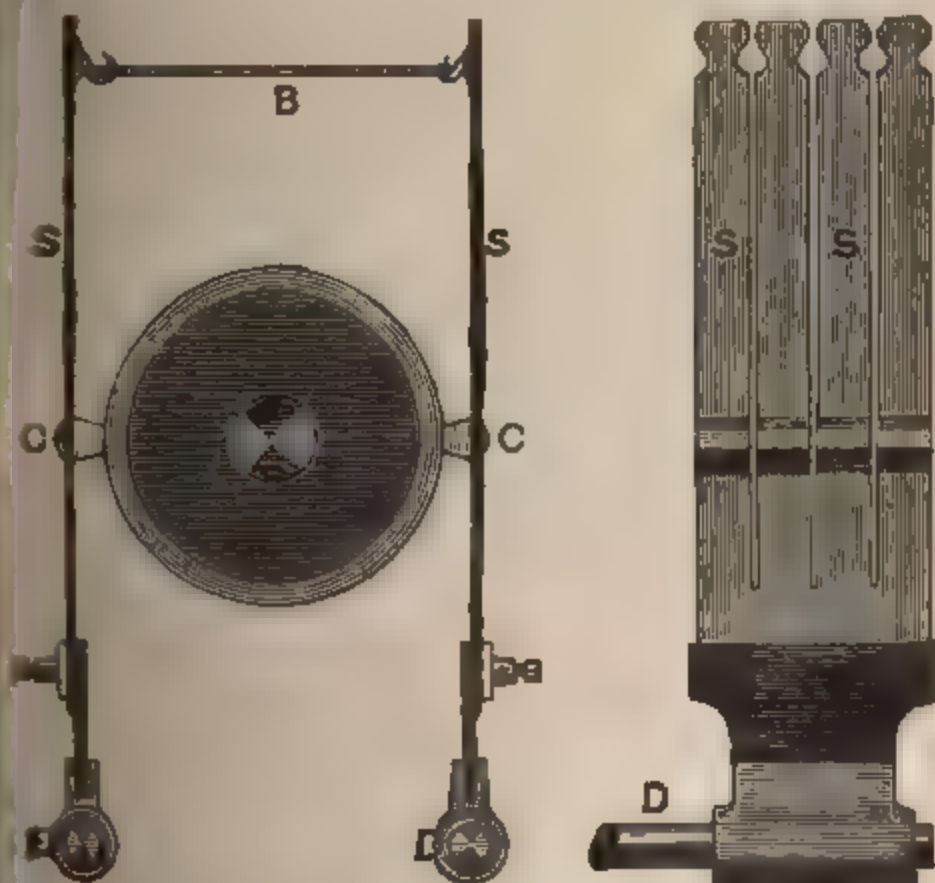


FIG. 328.



nection with motors, motor regulation and gearing. He has, in most cases, to work with series motors supplied at an approximately constant potential, and those employed on the trolley line have proved very successful. Good wrought-iron is employed, but no practical advantages have been sacrificed for sake of obtaining an extremely light and electrically efficient motor. The field magnets develop a very powerful field, and the contact between the iron of the armature core and the pole-faces is

FIG. 227.



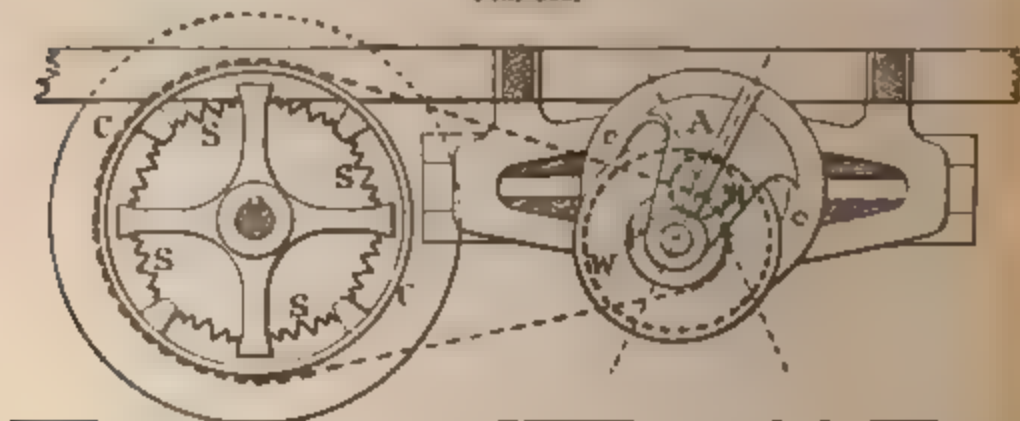
small, the armature conductor consisting of one layer of silk-wound wire; consequently a comparatively weak armature field may be employed, and the distortion is practically nothing. In the brushes can be allowed to make contact at the same place in either direction of rotation, without any appreciable sparking. It admits of the employment of an extremely simple and effective type of brush, which was invented by Mr. Smith for the purpose of enabling the armature to be run in either direction without

any alteration of the brushes, and to avoid the jolting of the commutator breaking contact.

Two views of these brushes are given in fig. 227. *DD* are the spindles passing through the holders to which electrical connection is made, *ss* being a thin flat steel spring, divided into four strips. The extremities of the springs are connected and drawn together by india rubber bands *B*, and a small block of a special metal, *C*, is fixed to the middle of each strip, forming the contact with the commutator. This type of brush is, perhaps, the simplest and most effective that can be devised for the purpose; the wear takes place at the hard metal contact-pieces, which are so fixed that they can easily be taken out and replaced.

Fig. 226 illustrates the system as applied to a line in France, and an important feature is the worm-gearing. An endless screw gear

FIG. 228.



with a wheel keyed on the axle, and the screw is connected to the armature spindle by a flexible joint, a certain amount of play longitudinally being also provided for. The screw and wheel are effectively protected by a casing, part of which is, in the figure, removed to show the interior. This gearing is now usually employed by Mr. Smith, but that devised by him for the Blackpool line is remarkably good, and is still in use there.

The latter arrangement is clearly shown by the diagram in fig. 228, for permission to reproduce which we are indebted to the Council of the Institution of Mechanical Engineers.

A side view of the motor is shown, and *M* is a pinion at the end of the armature shaft, gearing into an internal toothed wheel, *w*, that is, a wheel having teeth on its inner periphery. The

pitch-circles of *m* and *w* are indicated by the dotted circles. On the outside of *w*, that is, on the side remote from the motor, is fixed a chain pinion, *p*, gearing by a chain with a chain-wheel, *c*, which is carried on the car axle.

The chief objection to the use of chain gearing is that the chain always gets slack after a time, but a very simple and effective arrangement is introduced to take up the slack and so overcome this objection. The wheel *w* is carried by an adjustable bracket or arm, *A*, which is centred on the motor shaft, that is to say, the arm is capable of being rotated about a centre which exactly coincides with the centre of the shaft. Consequently, the pinion *m* and the wheel *w* remain in gear for every position of the arm, because the distance between their centres remains unaltered. The arm is locked in position by bolts passing through slots, and it is an easy matter to loosen these, rotate the arm through a small angle, and fix it in the new position if the chain becomes slack. The placing of a new chain in position also becomes a very easy matter.

A special device is also introduced to avoid a jerk at starting, which, as has been remarked, throws a severe strain on the gearing. The connection between the chain-wheel and the axle is not rigid, but is made through several stout spiral springs which yield and take the jolt off the chain when great pressure is suddenly applied. The chain-wheel *c c* consists of a loose annular rim, having four outwardly projecting pieces placed midway between the arms radiating from the hub which is keyed on to the axle. The ends of the arms are connected to the wheel *c* by spiral springs *s s*, as shown in the figure, and these springs extending allow the pressure to be applied more gradually.

The motors are series wound, and supplied at an approximately constant potential, and the speed is regulated by the alteration of resistance joined in series with the motor ; for, supposing the load to be constant, any increase of resistance reduces the current flowing through the armature and field-magnet coils, and so reduces the speed of rotation ; while a reduction of resistance allows the current to increase, and therefore also the speed. The same resistances can also be used to regulate the strength of the current required in starting. The aim has been to make the



arrangement thoroughly practical and workable without risk of error or damage by an inexperienced driver, and also to allow the variation of resistance to be made gradually, without employing a large number of coils. It is also necessary to provide a large surface for radiation in the case of the lowest resistances, because they have to carry a heavy current, and the heat generated is considerable. All these points are effectually provided for without introducing any complication whatever. The switch is in the form of a wooden cylinder with brass strips of various lengths on its circumference, which make reliable rubbing contact with steel flat springs, when the cylinder is rotated by an ordinary lever. Only four coils of about 1 ohm resistance each are employed, and by moving the switch lever the following nine changes can be made in the motor circuit, either rapidly, or slowly, step by step, as desired. The coils are denoted by A, B, C, D.

1. Circuit disconnected.
2. A, B, C, D in series.
3. A, B, C            "
4. A, B               "
5. A
6. A, B           in parallel.
7. A, B, C           "
8. A, B, C, D       "
9. Resistance coils short-circuited.

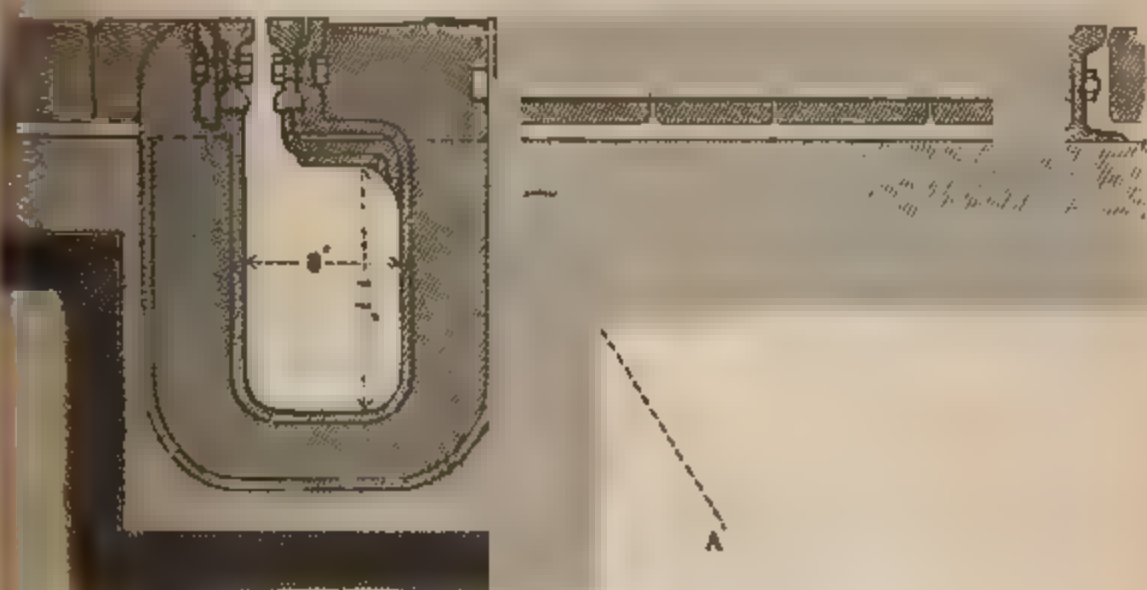
It will thus be seen that not only are the lower resistances obtained without employing extra coils, but when the heaviest current is passing the heat generated is being spent upon the whole of the mass of the metal employed.

It is very significant that probably the best practical work in connection with electrical traction should have been accomplished by a man who is primarily a mechanical engineer. His success is chiefly due to the practical nature of his work, everything being designed to suit the conditions under which it is intended to be employed, and the capacity of the people who are to make use of it. He has also devised an 'overhead' system, in which the current is led to the motor by a flexible conductor, attached to a collector which slides over two parallel overhead conductors. Such



are placed cast iron yokes or chairs, to the tops of which the two rails are bolted, the walls of the conduit between these yokes being formed of Portland concrete cement. An earthenware tube, 3 in. in diameter, is embedded in the concrete, as shown at A, and in this are placed cables forming the main conductors, the

FIG. 229.



cables employed being insulated with ozokerised rubber, and having an insulation resistance of 7,500 megohms per mile. One cable, marked 'line' in fig. 230, is unbroken for the whole length of the road, while the other is divided into lengths of about 21 ft. The rails also are 21 ft. in length, and on both sides of the joint

FIG. 230.



are placed yokes, 1 ft. 5 in. apart, a chamber being formed in the space between them. In each of these conduit chambers is placed an arrangement known as the 'spring-jack' (illustrated in fig. 231), consisting of a pair of glazed earthenware blocks, supported by brackets, cast on to the joint yokes, the blocks facing

each other on opposite sides of the tube. To each block is attached, by means of a double spiral spring, a gun-metal casting curved at the ends, but flat in the centre, the springs being of sufficient strength to press the two castings together with a force of 6 lb. Two terminals are fixed on the outside of the left-hand block, each being electrically connected to one of the gun-metal strips as shown. The ends of that cable which is divided into 21 ft. lengths are connected to these terminals, so that throughout the whole of the line the gun-metal strips are in series with, and form part of, the circuit of the divided cable (see fig. 330). The current passes from one strip to the other, then by a length

FIG. 331.



of cable to the next spring-jack, and so on ; it is led to the motor by forcing two conductors between the strips, these conductors being insulated from each other and joined each to one of the motor terminals.

This collector, or 'arrow,' as it is termed, is suspended under the car, and extends for its full length. It consists of two thicknesses of india-rubber belting, each having a broad brass strip riveted to it for nearly its entire length, and the nose at each end is shod with wrought-iron brought to a knife-edge, so as to easily force its way in between the two faces of the spring jack. The maximum thickness of the arrow is 1 in., which is consequently the extent to which the gun-metal cheeks are separated. The conductor on each side of the arrow is lapped round one end, and an insulated space is left, slightly greater than the surface of

contact of the spring-jack, near the extreme ends on opposite sides, as will be seen by the diagram in fig. 230, where *a* is the arrow, and *b b* the insulated spaces. In the position there indicated, the current passes from one contact strip of the spring-jack *B<sup>2</sup>*, through the motor, to the opposite strip of the next spring-jack *B*, the strips *B<sup>1</sup> B<sup>1</sup>*, together with the connecting length of cable between them, being cut out of circuit.

A moment later the collector will have left the spring-jack *B<sup>1</sup> B<sup>2</sup>*, and the contact strips will fly together and complete the circuit, while the current will pass from the other strip *B<sup>1</sup>* through the motor to *B*, so that the current is never cut off, nor is the motor short-circuited.

The contact surfaces of the spring-jacks are placed in the middle of the conduit, and the collector arm is bent round, so that the collector also travels along the middle of the conduit; consequently the contact surfaces, not being directly under the slot, are fairly well protected from dirt or water entering from the roadway. Suitable outlets are provided for the escape of water and for the removal of any sand, stones, &c., which may accumulate, this latter operation being made easier by the fact that the conduit is empty except at the spring-jack chambers. The constant rubbing of the surfaces of the opposing gun-metal strips keeps them bright and ensures good contact when they are pressed together by the springs.

The motors are supported at one end by two bearings on the axle, and suspended at the other end by a spiral spring attached to a stout beam across the frame of the car. The speed of the motors is unusually low, viz. 400 revolutions per minute, the object being to avoid the use of a countershaft.

Worm-gearing is employed, reducing the speed in the proportion of 9 to 2; a double helical pinion on the armature shaft gears with a worm-wheel keyed on the axle, so that this wheel advances one tooth for every two complete revolutions of the armature.

The machines are series wound, and the regulation is controlled by two massive switches placed on the driving platform. In order to reverse the direction of rotation, the connections of the field-magnet are reversed by means of one switch; while the other varies

the value of a set of resistance coils, which are joined up as a shunt to the field-magnet coils, and afford a means of weakening or strengthening the field according to the power and speed required.

The current through the armature being kept constant, the maximum power is obtained when the field-magnets are unshunted and take the whole of the current, and this arrangement would be adopted for mounting an incline, while, if less power is desired, the field can be weakened by shunting the field magnets. The shunts are arranged to provide for three speeds, and, in order to stop the car, the field-magnet is short-circuited, the current still passing through the armature.

In starting a motor worked on the parallel system, there is sometimes a risk of the armature being damaged by the passage of a heavy current; for there is a constant potential difference maintained at the terminals sufficient to determine a dangerous current, should the armature fail to quickly get up speed and develop an opposing electro-motive force. No such danger exists in the series system, the current strength being constant under all conditions.

In the case under notice a Statter constant-current dynamo is employed for the purpose of generating the current. The method by which the regulation of this machine is effected has already been fully described.

The pressure at the terminals varies from a small value up to nearly 500 volts, according to the demand made by the motors; and a considerable difference is made in the power expended by reversing the field magnet connections on the car, when it is running down hill and when no power is required. The effect of this is to turn the machine into a generator for the time being, its E.M.F. *assisting* that of the main generator and reducing the demand made upon the latter; so that a large amount of the energy stored in the car during its journey up hill may be usefully employed, instead of all being wasted as heat at the brakes, and when a large number of cars is employed on an undulating line, this becomes an important advantage. It should be observed that although a motor supplied at constant potential, in parallel circuit with others, may dam back the current when the speed



in running down-hill, and so absorb less power, yet it cannot assist the source of supply in feeding the circuit, until the  $E.M.F.$  becomes sufficient for the machine to develop an  $E.M.F.$  greater than that maintained by the generator.

An important operation in connection with a dynamo-machine is the determination of its commercial efficiency; that is, in the case of a generator, the ratio of the electrical power appearing in the external circuit and available for useful work, to the total mechanical power spent in driving the machine; and, in the case of a motor, the ratio of the useful mechanical power obtained on the shaft to the total electrical power absorbed. The accurate measurement of the mechanical power in either case presents some difficulty. The usual method is to employ a transmission dynamometer, or a friction brake, to determine the horse-power expended or obtained, as the case may be, but it is not possible with either class of apparatus to be certain of obtaining any but an approximately correct result. The electrical power, on the other hand, can be measured with extreme accuracy, it being only necessary to find the current strength in, and the potential difference at the extremities of, the external circuit of a generator; or the current passing through a motor, together with the  $E.M.F.$  at its terminals; the product of the two quantities in either case, giving the power in watts.

If it were possible to arrange matters so that it would become feasible to measure, by a mechanical process, only a small fraction of the total mechanical power given to a generator, say one tenth (the other nine-tenths being measured electrically), then a much more accurate result might be obtained; for any error made in measuring this fraction, when distributed over the whole amount, would have but one-tenth the value of that which would otherwise accrue. And, further, it is far easier to accurately determine the value of a small, than of a fairly large amount of mechanical power.

An important departure, rendering such a method possible, was made some time since by Dr. Hopkinson. He takes two approximately equal machines, and, driving one as a generator, connects its terminals from it to the other, so connected that the current produced by the first machine drives the second as a motor.



Now, the power appearing on the motor shaft is less than that spent on the generator, by an amount equal to the power absorbed by friction, by the heating of the various conductors, armatures, cores, &c., in the two machines.

But the power which does appear on the motor shaft might be employed to assist in driving the generator; and this is effected by the simple process of rigidly coupling the shafts of the two machines together; so that, then, the only mechanical power required to be supplied and measured, is an amount equal to that just referred to as being wasted in the various parts during double conversion.

This fraction, thus supplied, is conveniently measured by a dynamometer of the Hefner Alteneck type, which measures directly in pounds the difference between the pull on the tight and slack sides of the belt, that is, the actual pull causing the rotation of the pulley. This number, multiplied by the number of feet travelled by the belt per minute, gives the number of foot-pounds of work performed in one minute, which, divided by 33,000, gives us the horse-power supplied by the belt; since one horse-power is a rate of working equal to 33,000 foot-pounds per minute. With the particular dynamometer employed in one test made by Dr. Hopkinson, the pointer moved over one division of the scale for a pull of 2.705 lb. on the tight side of the belt in excess of that on the slack side, and the radius of the pulley was such that one revolution corresponded to an advance of the belt through 3.63 feet; in this case, then, the work done per revolution was  $2.705 \times 3.63$  foot-pounds, for one scale-division.

From this it will be seen that if  $T$  represents the number of scale divisions traversed by the pointer, and  $n$  the number of revolutions per minute, then the power applied =  $\frac{2.705 \times 3.63}{33,000} \times n \times T$

$\times n \times T = 0.000298 \times n \times T$  horse-power.

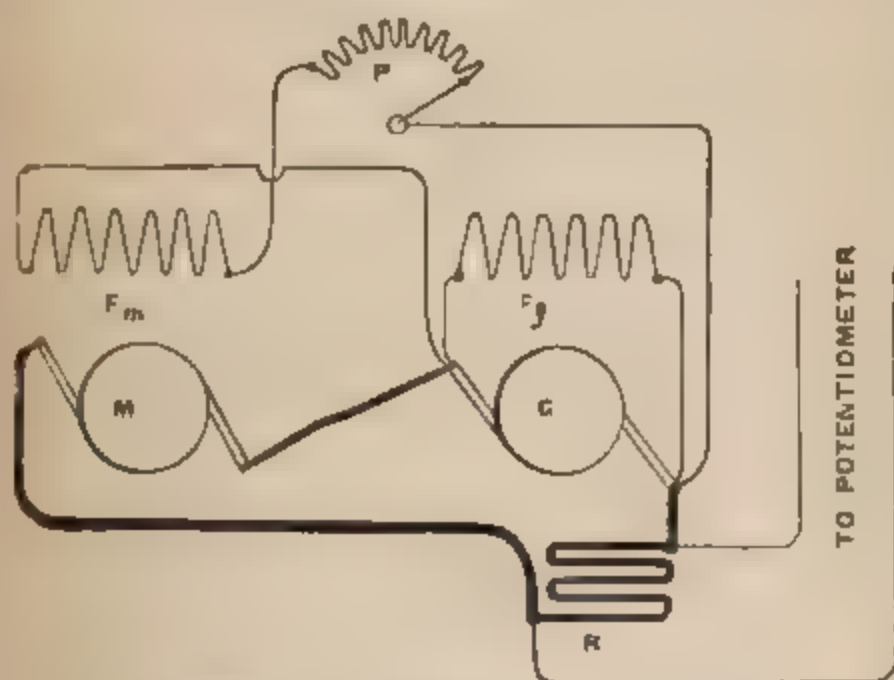
A number of experiments were made with the machines in the case under notice, and, as they are interesting, the full results of one test, as furnished by the experimenter, are appended.

The electrical connections were made as in fig. 232, where  $Eg$  and  $Fg$  represent the armature and field-magnet of the generator, and  $M$  and  $Fm$  those of the motor. The heavy lines indicate the

main connections between the two machines, and, in order to measure the current, a small accurately known resistance,  $R$ , is placed in the main circuit; to the extremities of  $R$ , are connected wires leading from a potentiometer, by means of which, with a Clark standard cell, the potential difference between the ends of the resistance can be accurately measured.

This potential difference, divided by the resistance (which was in this case 0.0058 ohm), would give the current flowing through

FIG. 232.



the main wire. The potential difference between the terminals of the generator was measured by a Thomson graded voltmeter, previously standardised by a Clark cell.

Now, the two machines were exactly alike, and, consequently, if joined in opposition (as two shunt machines must be, when one is required to drive the other), and then driven at equal speeds, no current would flow from one armature to the other, for they would generate equal E.M.F.'s, or, in other words, the counter-electro-motive force of the motor would be equal to the electro-motive force of the generator. For this reason, it is necessary to weaken the strength of the motor field, and this was effected by placing a set of variable resistances,  $P$ , in series with the motor field magnet coils; and, by altering this resistance, the current

passing through the motor armature could be varied at pleasure. The motor field magnet coils, together with  $P$ , form a shunt to the generator terminals; the motor armature thus receiving the whole of the current passing through  $R$ . And, since the resistances of the two field magnet circuits are known, the current in each can readily be calculated after the potential difference at the generator terminals has been measured.

The resistances of the armatures and field magnet coils of the two machines were :—

Generator . . .	Armature . . .	0.009947 ohm.
	Field-magnets . .	16.93 "
Motor . . . . .	Armature . . .	0.009947 "
	Field-magnets . .	16.44 "

1. The two dynamos were run with brushes removed and with the fields unexcited.

Scale reading	= 21.6 divisions.
Revs. per minute	= 808.
Horse-power	= 5.2.

2. The two fields were separately excited, and the dynamos driven, still with the brushes off, when

Scale reading . . . . .	= 30 divisions.
Revolutions . . . . .	= 802.
Shunt current in field of generator	= 6.9 amperes.
" " " motor	= 6.7 "
Horse power . . . . .	= 7.16.

3. The connections were made as in fig. 232, and the following results were obtained :—

E.M.F. at terminals of generator	= 110.12 volts.
Main current . . . . .	= 358 amperes.
Current through generator magnets	= 6.50 "
Current through motor magnets	= 5.36 "
E.M.F. at terminals of motor	= 107.33 volts.
Speed of machines . . . . .	= 764 revs. per minute
Power transmitted by belt	= 6602 watts = 8.85 h. p.

## Efficiency Tests

Hence—

power given to generator	= 42917 watts = 57.53 h.p.
lost in armature core	= 831 " = 1.11 "
lost in generator magnets	= 716 " = 0.96 "
lost in generator armature	= 1360 " = 1.823 "

and therefore—

Commercial efficiency	= 93.23 per cent.
loss in core	= 1.94 "
" magnets	= 1.66 "
" armature	= 3.17 "

Similarly for the motor—

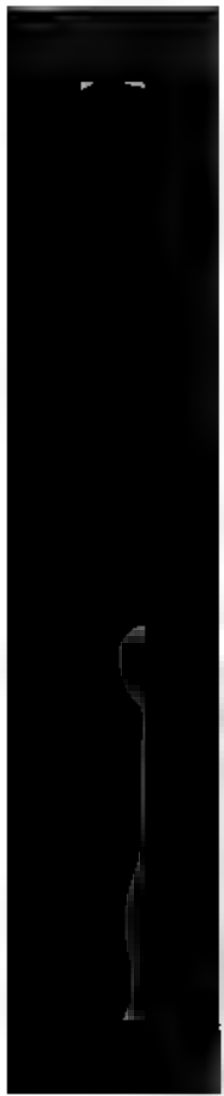
power given to motor	= 38886 watts = 52.13 h.p.
lost in internal friction of	= 831 " = 1.11 "
lost in motor magnets	= 472 " = 0.63 "
" armature	= 1275 " = 1.70 "

Therefore—

Commercial efficiency of motor	= 93.37 per cent.
lost in core	= 2.14 "
magnets	= 1.22 "
armature	= 3.27 "

Due to friction of the bearings and one or two un-  
causes, has then to be determined and deducted, to  
real commercial efficiency, which, after this deduction,  
to be: motor 92.6 per cent., and generator 92.5 per

Efficiencies are phenomenal, but would seem to indicate  
measurement; but the student, being a good  
careful attention on the stage of the original  
estimate of the original machine, that it is necessary  
sometimes inconvenient to perform  
measurements, however, be the number of modifi-  
cations of the power measured in some





is used to excite the field magnets. This is done by a coupled circuit in which the field magnets are connected through and through a small circuit. When the machine is to be started the current from the field magnets is the exciter and a current of the same frequency is induced in the armature which puts the machine into the same state as a synchronous motor. The field magnets are then connected to the external circuit, and the former is switched into the external circuit. The extremely good results have been obtained with alternators when used as motors, proving that it is all right for classes of work in which the speed does not require to be varied, or where frequent stoppages are not required.

From these motor properties of an alternator follows the very important fact that two independent alternators can be run in parallel, that is to say, they can be connected in parallel so that the two machines can deliver current to the external circuit. It is obvious, however, that the two machines shall give the same rate of alternation and also be in phase, that is to say, the induced electromotive force, and also the maximum current, must be the same. The resultant E.M.F. is the same as that of one, while the current to the power developed, will be doubled. Now the remarkable fact is, that the two machines will make great efforts to keep in phase, and will do so, even if the mechanical power supplied to them is increased or diminished within a reasonable limit. To this extremely important mutual action we may remember the reaction between the armature and field magnets of a current dynamo is such as to tend to stop the rotation, and this tendency becomes stronger as the current in the armature increases, while a weakening of the current of course reduces the tendency to rotation.

It might therefore be diminished by the current through the armature. Now the current is increased by opposing the current, and the current should be increased and if the current is increased by the current, the current is reversed, and the current is

Now, these effects can be obtained with an alternator dynamo. That is to say, if the brief currents generated increased in strength, the tendency will be for the machine to run down, while if an opposing alternating E.M.F. acts in such a way as to reduce these currents, the machine will quicken up and it will run as a motor, doing work for the moment only. However, if the opposing E.M.F. is sufficient to determine the machine to run in the reverse direction.

Now when two alternators are driven independently but coupled in parallel, and one begins to lag behind the other, the maximum E.M.F. of the leading machine occurs a moment earlier than that of the other, and consequently a heavy current flows from the leading to the lagging machine for a very brief time. This current being opposite in direction to that which is then being generated by the lagging machine, tends to drive it as a motor and to accelerate its speed; or if the difference is not sufficient to set up a reverse current, it weakens the lagging one with the effect of allowing the lagging machine to catch up as already explained. On the other hand, the later maximum E.M.F. of the lagging machine will tend to increase the current in the leading one and so pull it up. These reactions commence immediately the alternators tend to get out of phase. In well-designed machines the effect is so prompt and forceful that they run together perfectly in spite of inequalities in the E.M.F. It becomes very important, therefore, to decide what properties and peculiarities a machine should possess to fit it for working in parallel. Until recently it had been supposed that it was absolutely necessary for such a machine to have considerable self-induction, but even then the performance was admitted to be somewhat difficult and uncertain. Consequently, an alternator without an iron core, and with few convolutions, was deemed undesirable; but these views have been somewhat shaken to a great extent, entirely reversed, by the recent researches of Mr. Mordey. That gentleman starts with the assumption that the maintenance of synchronism depends upon the motor properties of the two alternators, the machine best fitted for parallel work must be one which possesses these properties to a high degree.

Consequently, the armature should have little resistance

little self induction, and then the transfer of power by means of brief currents from one machine to the other, which serves to start or retard as required, takes place much more suddenly, and the regulating action is much more prompt and forcible. Of course, the armature will have some self-induction and some resistance, but it is satisfactory to know that neither of these undesirable factors need be made abnormally high, merely for the sake of rendering parallel working practicable. It is probable, however, that there is a limit depending upon other conditions, (such as the rate of alternation,) below which it is inadvisable to increase the self-induction, and that some definite relationship between self induction and resistance should exist for any given speed; but, on the other hand, it is possible that this limit is very low, and that the working rule will be to make the two factors concerned as low as is practicable.

In the Mordey alternator, which has no iron in the armature, the self-induction has a low value, so low, in fact, as to unfit the machine for parallel working if the old theory were correct. In order to support his views on the subject, the inventor made an exhaustive series of tests with two of these machines, each being similar in appearance to that depicted in fig. 140, but having an output of 10 horse-power, with a maximum E.M.F. of 2,000 volts, at a speed of 1,800 revolutions per minute. The details of one set of tests are given below. It should be noted that the machines were driven by two independent engines, not connected in any way, and provided with heavy fly-wheels; each engine also drove a heavy set of countershafts, fitted with a number of belts, &c., so that the momentum was considerable.

1. The alternators were run up to full speed, and each excited to give 2,000 volts. When in phase they were switched in parallel without any external load, and without the insertion of any self-induction coils or resistance between the machines. They ran in parallel perfectly.

2. A considerable induction coil was inserted, and the load varied, and taken off. They ran equally well.

3. They were uncoupled from the mains, they were switched in parallel and on to the

4. One alternator was excited giving 2,000 volts. They were then into step perfectly, giving a terminal 1,500 volts. No extra self-induction in this or in any other case. A load showing their behaviour.

5. With one machine at 1,000 volts they were switched in parallel when they went into step. A large current for a fraction of a second, but not it to be measured or to do any harm.

6. They were then left running connected from the engine, by its belt to a loose pulley. It continued to run. A load of lamps was at the same time.

7. The two machines were then at 2,000 volts. They were then switched and without any external load, and they went into step.

8. Whilst running as in 7, the engine was shut off one engine. The alternator acting as a motor and driving the countershafting and belts. It was the top of the belt becoming the machine was the motor.

To find the power exerted by the motor in 8, a direct current motor was required to drive the engine at 1 horse-power.

The above results speak for themselves. A planation may be given with respect to the excess, of 500 volts, which is an enormous current through the windings, the low self-induction notwithstanding it is only applied in the moment. No such dangerous current must evidently be some other cause. A rather interesting point has been pointed out by William Thomson, who points

crease of the current at any instant through the two armatures, in direction determined by the excess of E.M.F. of the more powerful machine, is to tend to increase the strength of the field the weaker, and to decrease that of the stronger machine. So although a strong current would be started round the two armatures, its effect would be to immediately strengthen the field of the 1,000-volt and oppose that of the 2000-volt machine, until the E.M.F. developed by each would have nearly the same value, 1,500 volts. This brief equalising current would pass twice every complete alternation.



## CHAPTER XIII.

## TRANSFORMERS.

WHEN it is desired to convey energy to a distance by means of electricity, either for the purpose of producing light or mechanical motion, the chief problem to be faced is, how to reduce to a minimum the waste of energy during the transmission. We have seen that when a wire is used to convey a current, the amount of energy which is lost in that wire can be measured by multiplying together the current strength in amperes and the difference of potential between the ends of the wire in volts, the result being the number of watts so expended. And since the electro-motive force is equal to the product of the resistance of the wire and the current flowing, the loss in watts may also be calculated as the product of the resistance and the *square* of the current strength. That is to say, in the first place the power expended in any part of a circuit is proportional to the resistance of that part. For example, if a dynamo were employed to furnish current to a number of lamps arranged in parallel, their joint resistance being 10 ohms; then if the resistance of the machine and of the connecting wires were also 10 ohms, exactly as much power would be wasted, as would be usefully expended in the lamps. In this state of affairs which manifestly could not be tolerated, if the resistance of the machine and leads were reduced to 1 ohm, the power wasted would be one-tenth of that usefully employed, and so on.

The resistance of the combination to which power has been supplied is, as a rule, extremely low; and when the lamps or other appliances are joined in parallel, the current carried by the mains is equal to the sum of that required by the whole of them. Consequently the resistance of these mains must be kept extremely low, a small

tion of an ohm in fact, otherwise the proportion which the power wasted bears to the total quantity of power developed becomes excessive. To keep the resistance low copper of high conductivity must always be employed, but the practical limit as regards sectional area is quickly reached on account of the high price of metal.

Speaking generally, it may be said that transmission of energy to any distance by electricity is not economical, if we depend upon reducing waste merely by increasing the conductivity of the leads. Again stating the case as :

$$\text{Watts lost} = C^2 R,$$

where  $R$  is the combined resistance of the leads and generator. We see that the only other way out of the difficulty is to reduce the current strength.

If this can be done the advantage is very decided, for, halving the current, the power wasted in any portion of the circuit is reduced to one-fourth. It may not, however, be evident at first sight, how with this reduced current the same amount of energy can be transmitted in an equal time.

Digressing for a moment, in order to introduce an analogy, the student will probably be aware that in transmitting power mechanically to a distance by a slowly moving cable, it is imperative that the cable and the rest of the moving parts shall be very strong and massive, and consequently the power lost by friction, &c. becomes enormous. But the energy transmitted per minute is equal to the pull on the cable in pounds, multiplied by the distance in feet through which the cable moves in a minute; so that, by increasing the velocity of the cable, the strength and size of it and of the other moving parts can be correspondingly reduced with a reduction of the amount of energy transmitted per minute. It is in fact possible to transmit enormous power by means of a light cable, if it travels with sufficient rapidity; and the loss due to friction is obviously reduced with the reduction in size and weight of the moving parts. Even if it is essential for the power transmitted, to be taken, say, from a slowly rotating wheel, it is economical to transmit it at a high velocity, and effect the necessary reduction in speed by suitable gearing.

Somewhat similarly, very great power can be conveyed electrically by a comparatively small current traversing a thin wire, only the electric pressure or potential difference is sufficiently high for the power in watts may be calculated as the product of the two factors, and no difference in the amount is made by reducing one of them, if the other is increased in like proportion.

But unfortunately it rarely happens that electrical power can be utilised at a high pressure; for instance, 110 volts is usually the maximum pressure required by a set of incandescent lamps joined up in parallel, and consequently it becomes necessary to employ, if possible, some arrangement which shall perform the same function as does mechanical gearing in reducing speed. That is to say, we require some apparatus competent to receive electrical power in the form of a small current at a high potential difference and again give out that power in the form of a heavy current, and at a correspondingly lower potential difference.

It is possible to construct such apparatus; and before proceeding further we may notice the two chief points to be borne in mind in designing it:—

1. The proportions of the parts must be so calculated that the reduction is effected in the desired ratio; or, the value of the resulting potential difference must be the required fraction of that applied to the apparatus.

2. The loss in power during the conversion must be kept as low as practicable; that is to say, the design must be such that the efficiency of the apparatus is high.

The conversion from a high to a lower potential is rendered possible by the fact already fully explained, that by starting or stopping a current in a circuit, a brief current can be induced in a neighbouring wire. The circuit in which the original current is started or stopped is called the 'primary' circuit, while that in which the currents are induced is called the 'secondary' circuit.

In order to obtain the maximum effect, it is necessary to arrange that the secondary circuit is cut by as many as possible of the lines of force generated by the primary. The best method is to wind the wire in two coils, and placing them close together to provide plenty of iron in the vicinity in order to make the primary lines of force extend out beyond the secondary coil. The result

ould in fact form a closed magnetic circuit of low resistance, embracing both coils. But since the rapid reversals of the current create eddies, the iron must be carefully laminated ; in any case, certain amount of power is wasted by hysteresis.

Suppose the number of convolutions in the two coils to be equal ; then by sending a rapidly alternating current through the primary, an alternating current of about the same strength might be obtained in the secondary. Again, the secondary might consist of a great length of wire in many convolutions, thin wire being employed to enable it to be kept near to the primary. In this case the primary lines of force would cut the secondary circuit many times, and the induced E.M.F. would be much greater than that urging the current through the primary. But since the power obtained from the apparatus cannot be greater than or even equal to that given to it, a corresponding reduction in the other factor would be observed ; in other words, while the E.M.F. had enormously increased, the current would have been far smaller than that in the primary.

The student is probably familiar with a piece of apparatus known as an 'induction coil,' in which a rapidly interrupted heavy current of low E.M.F. is passed through a few turns of wire, adjacent to an enormous number of turns of finer wire. A bundle of thin varnished iron wires serves as a core, and a very feeble current of extremely high E.M.F. can be obtained in the secondary circuit. Such apparatus has proved of extreme value in experimental researches, but it can hardly be said to have any very great importance from a commercial point of view.

We are far more concerned with the effects obtained by proceeding in the reverse order, viz. by making the length of the primary much greater than that of the secondary.

Supposing, for instance, we use the fine wire coil of an ordinary induction coil as the primary, and the thick wire coil as the secondary ; the former offers considerable resistance, and it will require a high E.M.F. to send an alternating current of even feeble strength through it. But on measuring the resulting current in the thick wire coil (now being used as the secondary), it will be found that while the E.M.F. is low, the current passing through the low resistance circuit is comparatively very heavy. It is a most



important fact that by constructing such an induction coil so that nearly all the primary lines of force can effectively cut the secondary, the secondary E.M.F. can be made to bear nearly the same ratio to the primary E.M.F. that the number of convolutions in the one coil bears to the number in the other. Therefore, by making the resistance of the magnetic circuit, and the electrical resistance of the secondary circuit, both very low indeed, we can obtain at the terminals of the latter, an alternating potential difference whose average value is almost equal to a definite fraction of the average of the alternating potential difference maintained at the primary terminals.

For instance, if the primary consists of 1,000 turns and the secondary of 10, and a current of 1 ampere passes through the primary coil while the potential difference is 500 volts, then the secondary current may be 100 amperes, and the induced E.M.F. rather less than 5 volts. This is the important case with which we have to deal, for it thus becomes possible to effect the much desired object of transmitting electrical power at a high electrical pressure, and employing it at the required point at a lower pressure. A piece of apparatus which is capable of effecting this transformation from high to low E.M.F., is called a 'transformer'.

The first transformer was constructed in 1831 by the immortal Faraday. The principles which he then discovered, of the remarkable action of a varying current upon an adjacent circuit, are of almost inconceivable importance, while the method of constructing his original transformer, which we shall briefly describe, was well abreast of the then existing practice.

Faraday procured a welded ring of soft round bar iron,  $\frac{3}{4}$  inch thick, the external diameter of the ring being 6 inches. Round one part of this ring he wound about 72 feet of copper wire,  $\frac{1}{16}$  inch in diameter, in three superposed helices, the distance round the ring thus covered being about 9 inches. The wire was bare, the first helix being insulated from the iron by a layer of calico, and twine was wound side by side with the wire, to prevent contact between adjacent convolutions. Then followed another layer of calico, over which was wound the second helix, insulated with twine similarly to the first, then another layer of calico followed by the third helix, the whole being covered by calico. The ends



of each helix were brought out so that the three coils could be used separately, or conjointly, in series or in parallel.

On the other half of the ring a length of 60 feet of copper wire was wound in two equal helices and insulated in precisely the same manner as before. These two coils were joined in series and connected to a galvanometer. The other three helices were also joined in series, and a battery connected up to them. The immediate effect of making this latter connection was seen in a violent deflection of the needle of the galvanometer placed in the 'secondary' circuit. The needle quickly came to rest at zero, but was deflected momentarily in the opposite direction on the battery being disconnected from the primary circuit.

The lines of force of the current in the primary coil were, of course, conducted by the iron ring round through the secondary coil, and the sudden cutting of this coil by them gave rise to the observed currents. As might be expected, however, a great many of the lines of force did not reach the secondary coil, and Faraday obtained a more violent deflection with the same primary current and shorter lengths of wire, by so arranging the two circuits that nearly all the lines of force generated were able to cut the secondary circuit. He disconnected the two helices which in the previous experiment were used as a secondary circuit, and in their place took two of the three superposed helices on the other half of the ring, joining them in series and to the galvanometer. The battery was then joined to the third helix, which formed the primary circuit, and although the lengths of wire were so much shorter, rather better effects were obtained, because of the increase in the percentage of the lines of force usefully employed. Had Faraday supplied the primary circuit with a rapidly alternating current, he might have obtained an alternating current of half the strength, and of corresponding higher electro motive force in the secondary circuit; but his galvanometer would not have indicated the presence of this current if the reversals were too rapid to give the needle time enough to move with each pulsation. By using one helix for the secondary and two for the primary, the secondary current might have had twice the strength of the primary.

We may repeat that a transformer should be so designed that it can effect the required reduction from high to low E.M.F. with

secondary, while the primary coil of thinner wire, P, P, lies outside it, and it will be observed that the depth of the layer of iron wire is about equal to the diameter of the compound coil of copper wire. Such a transformer gives fairly good results, for nearly all the primary lines of force extend out to the massive iron shell, and in so doing cut the secondary. But it is an extremely tedious and expensive piece of apparatus to make on a large scale, on account of the slow process of winding the enormous length of iron wire. Further, if a fault should occur, and faults *will* occur, it becomes necessary to remove the whole of the iron wire before the coils can be got at, to remove the fault.

Consequently large transformers are not made in the manner illustrated, although in most cases the principle is the same. The apparatus usually consists of two coils of wire, nearly oblong in shape, lying side by side, with an easily fixed, and easily removable laminated iron covering.

About thirty-three years ago a first-rate method of constructing a large transformer was patented by C. F. Varley, which may be regarded as a combination of the two types mentioned. He took a bundle of iron wires of approximately equal lengths, and over this bundle wound the primary and secondary coils. These coils were placed in the middle of the bundle, and extended along it for a distance equal to one third of its length, so that the iron wires protruded from each end to a distance equal to the length of the coil. The ends of the iron wires were then bent round over the coils, so as to meet and overlap each other, thus completely encasing the coils with iron, except at one place through which the connecting wires were led.

But the necessity for large transformers did not then exist, and the method was scarcely at all employed. It is, however, somewhat extensively used at the present time, because of the ease with which the iron shell can be fixed or removed. The highest practical development of this type is seen in the Ferranti transformer, which is now doing heavy work in London. A general view of a Ferranti transformer, designed to receive about fifteen electrical horse-power at a high potential difference, and yield a large percentage thereof at a lower potential difference, is given in fig. 234. A quantity of hoop-iron, divided into six bundles form

and is handled, every precaution must be taken to insulate it from the primary. For this reason the two are never interlaced, but are wound separately, with effective insulation between them.

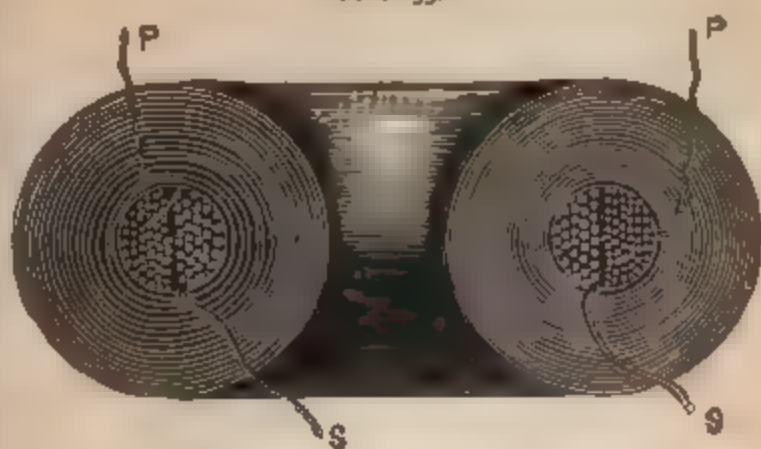
The simplest way of laminating the iron core, is to build it up of thin wire, in exactly the same manner as the core of a ring. In fact, a Gramme ring armature having a large number of convolutions can be readily turned into a very fair transformer, by using two or three equidistant sections for the secondary coil, and the remainder in series for the primary. Transformers are sometimes so constructed in sections, but the best is to wind the wires spirally in two continuous coils.

rapid reversals of magnetisation which take place, quickly heat the iron core, however well it is laminated. This heat must be removed since

the iron is encased in copper, must be cooled to the point before it reaches the external temperature. This is the consequence of the very uneven distribution of heat and for several reasons it is preferable to place the iron outside instead of the wire, the position of the iron being quite immaterial, it can act effectively in leading the lines of force through the paths.

FIG. 233 is illustrated one method of constructing such a transformer. Its external appearance is that of a massive ring of iron of small diameter, and in the center is shown a section taken at right angles to the plane of the ring. The primary and secondary coils are wound in a single coil, and are concentrically placed round with an iron core, and over the iron spirally an enormous coil of wire. The iron core is thick wire, S S, is the

FIG. 233.



The magnetic circuit of many transformers is now built up of

FIG. 235.



a number of flat plates of sheet iron, placed so that the plane of the sheet shall be as far as possible parallel to the direction in which the lines of force are thrust through the iron. They are usually insulated by a thin coating of varnish, or by paper, or sometimes calico, and the devices by which such plates may be cheaply made and placed in position are very numerous. As they differ but little in principle, we need select only two patterns for description.

Two general views of the Mordey type of transformer are given in fig. 235. The thin iron plates are oblong stampings, and an oblong strip is stamped out of the middle of each,

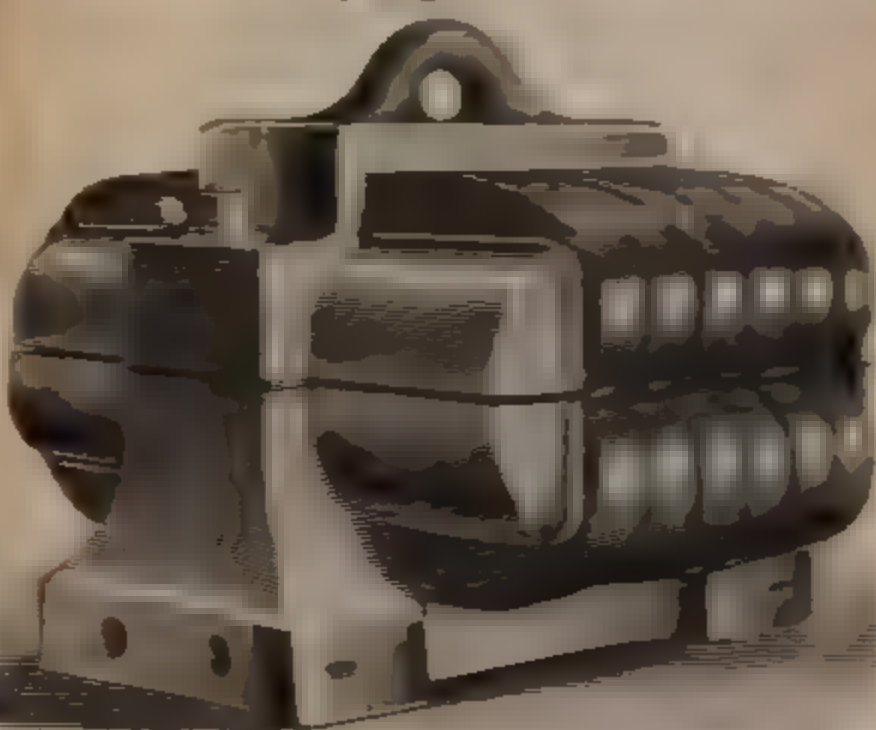
exactly equal in length to the breadth of the original plate. When



## FURNACE LAMINATE

27

plates which are heated in the furnace, and then the machine is used to press the plates together to form the laminate. The first step in the process is to heat the plates in a furnace to a temperature of about 1000 degrees Fahrenheit. The plates are then slipped over the machine and pressed together from the inside. The pressure is then released and the plates are then pressed together from the outside, as shown in the diagram.



for a short distance. The whole is then pressed in a hot network, made in two pieces and securely fastened together. The ends of the coils are not enveloped by the laminate, but are covered, mainly for purposes of protection, by large sleeves cast with the frames.

The termination is, of course, moved, or as if the lines are left in the middle of the

not so effective as if two wires were placed edge on. The construction is very easy, and the coils of hoop-iron greatly

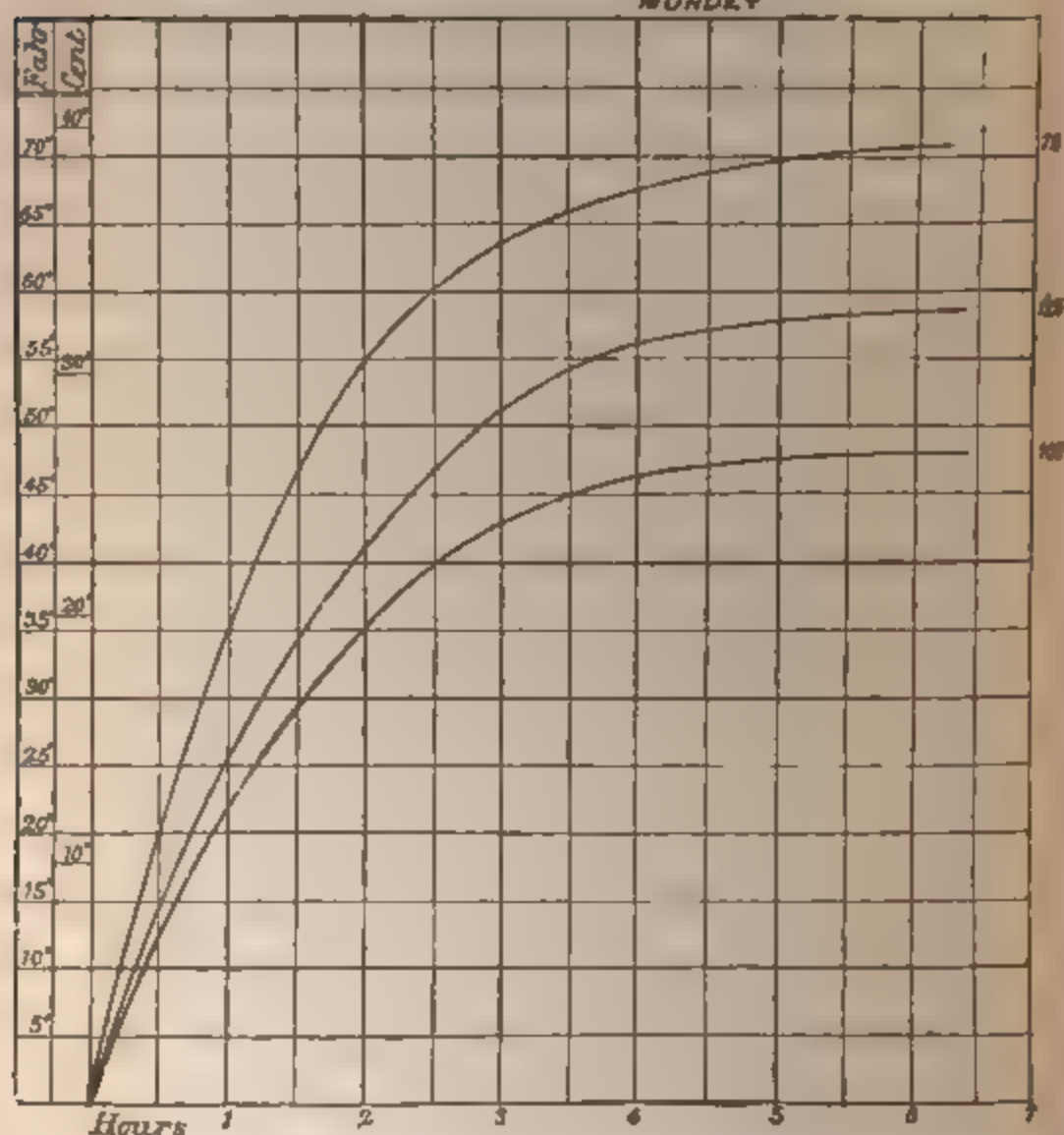


Mr. Mordey has recently performed a lengthy series of experiments to determine the rate of alternation best suited to his own transformer, the method adopted being to discover at what rate the least heat was developed in the apparatus. The rise in tem-

FIG. 236.

*Rise of Temperature of Transformers at various periodicities.*

MORDEY



perature was measured by means of a sensitive thermometer, the bulb of which was placed on the iron, and protected from external influence by a covering of cotton waste. A similar thermometer placed a short distance away, indicated the temperature of the room, which, however, varied but slightly. Each test was con-

for six and a half hours the rate of temperature rise was during that time. While the results were not uniform differences, and the loss of power was not uniform. The loss of a number of inches of water was not uniform.

The readings obtained during these tests are shown in the curves in fig. 236, and the results are shown in the following. The best curve was that obtained with the rate of 25 alternations per second, the loss of power being probably the greater. This is probably due to the fact that it was found that the loss was not uniform at the rate of 25 alternations per second.

The best curve represents the results obtained with this rate. So that even there is a best rate for every transformer, any increase or decrease in the rate of alternations would entail an increase or decrease in the loss of power by heat. For the rate of 25 alternations per second Mr. Mordey has decided that the rate of 25 alternations per second is the best. There is little doubt that these results are highly reliable, for it is in practice that an increase in temperature quickly reduces the normal rate of alternations to be considerably increased.

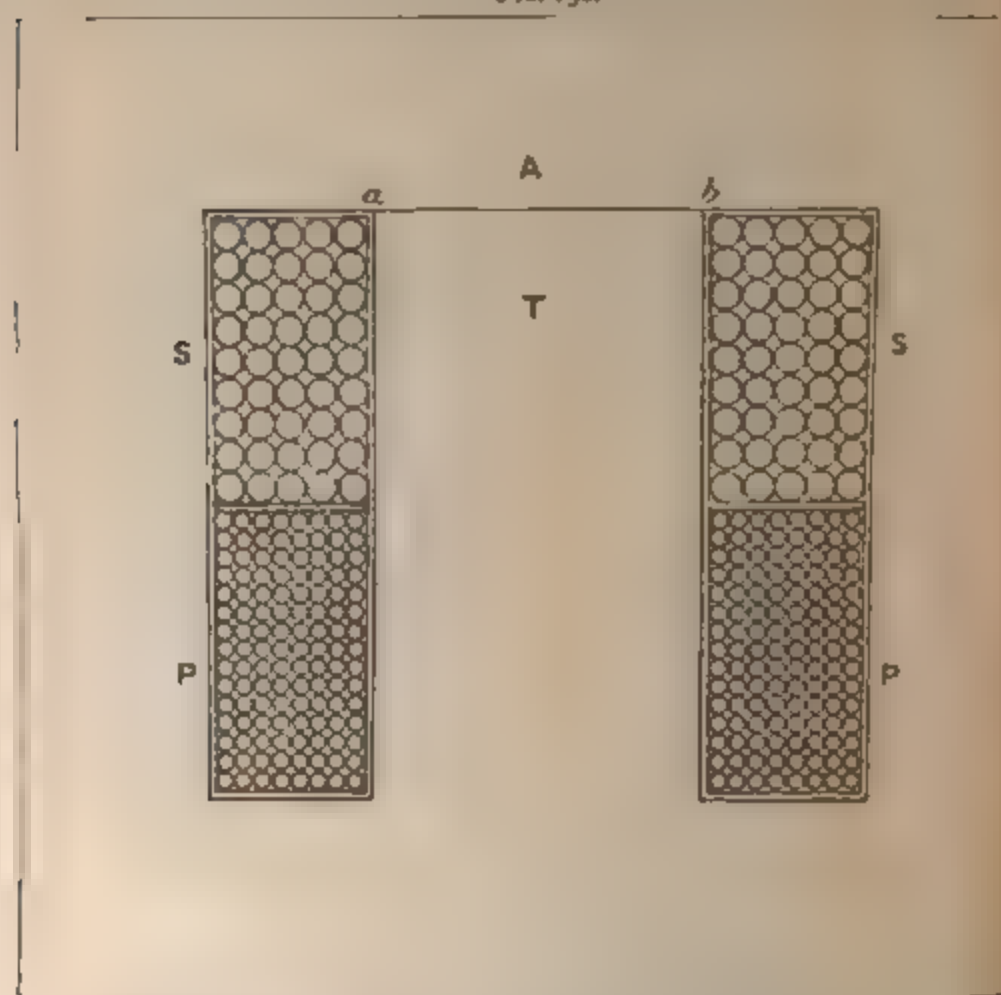
The explanation suggested by Mr. Mordey is probably correct, that at a rate above the normal rate the loss is principally due to the fact that the rate of alternations is too high for the eddy currents to produce the same amount of heat as the normal rate.



The following is illustrated in the curves in fig. 236, and the results are shown in the following. The best curve was that obtained with the rate of 25 alternations per second, the loss of power being probably the greater. This is probably due to the fact that it was found that the loss was not uniform at the rate of 25 alternations per second.

PP is the primary, and these two coils are wound to the proper shape on a suitable mould or frame, and placed one over the other as indicated in the figure. The strip *r* of each stamping is divided from the plate at one end, along the line *ab*. In building up the transformer the tongue *r* thus formed is bent at right angles to the plate, which can then be slipped over the coils, and the tongue bent back into its proper position. A large number of plates being similarly slipped on, the wire is surrounded on all sides by iron.

FIG. 236.



Two strong cast iron plates, and four bolts, hold the plates in position, the plates forming a protective covering to the otherwise exposed ends of the coils. They are also provided with lugs and bolt-holes for fixing the transformer in any required position. The end-plates are frequently fitted with an extra flange, as indicated by the dotted lines, to which is screwed a wooden case.

a glass front, providing accommodation for a safety fuse, and a double-pole switch, by means of which both wires leading to the primary coil can be simultaneously disconnected.

These transformers are made in a variety of sizes, but the most frequent are those capable of transforming down from 2,000 to 100 volts, 2,000 to 50, 1,000 to 100, and 1,000 to 50.

Transformers have been put to a novel and interesting use by

Elihu Thomson, who employs them for the purpose of making the very heavy currents, which are required in his method of electric welding. This method consists in placing the pieces of metal required to be welded end to end, and subjecting them to moderate pressure against each other. A very heavy current is then passed through them, and as they make imperfect contact at their opposing surfaces, considerable resistance is there offered to the passage of the current, and a very great heat is consequently developed at the point where it is desired to make the weld. If the current is sufficiently strong, the opposing surfaces get white hot, and being pressed together unite perfectly, bulging out, however, round the edges. It is necessary that the surfaces should be perfectly clean, and a flux, the composition of which depends upon the nature of the metals to be welded, is usually employed to prevent the oxidation of the surfaces and so render the weld more perfect. In the case of steel a little borax is sprinkled over the ends of the rods.

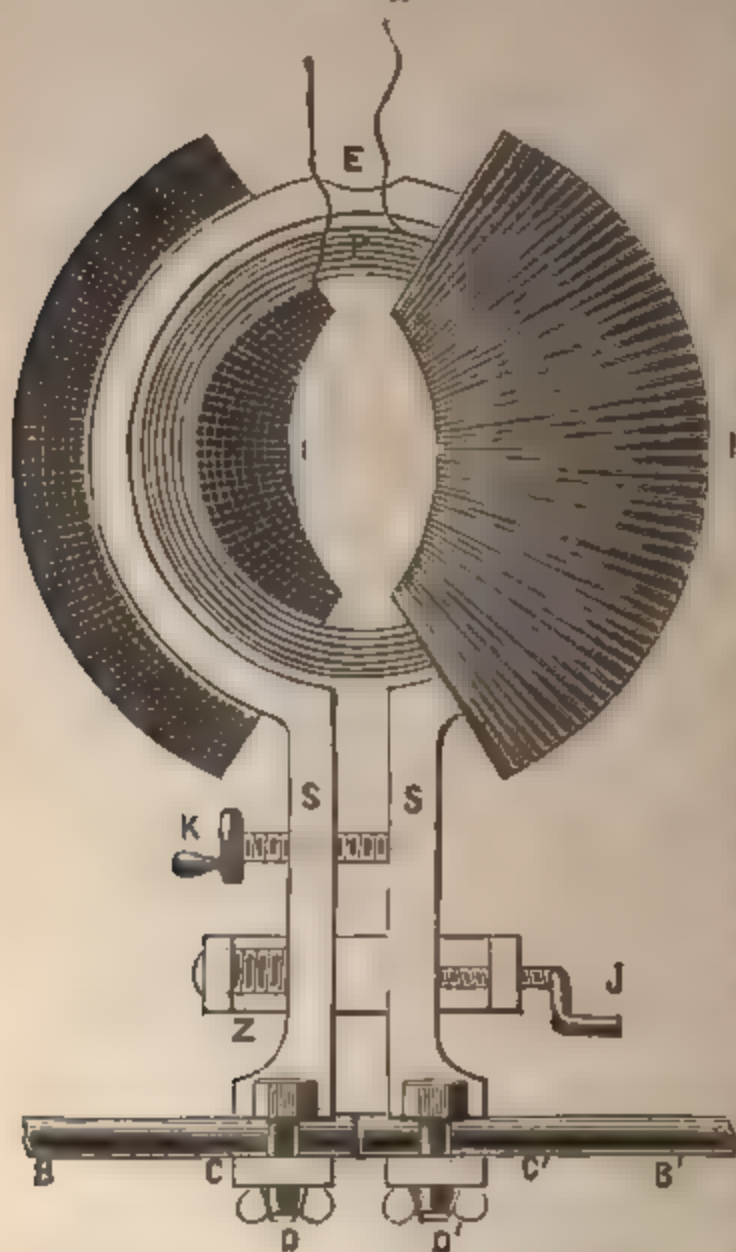
But in order to sufficiently raise the temperature of thick rods of metal, enormous currents are required; for instance, a current of about 20,000 amperes would be required to weld a steel rod three-eighths of an inch thick. It will readily be understood that in such a case the resistance of the current generator must be very small, otherwise the power absorbed in it would amount to many horse-power.

Secondary batteries might be employed for the smaller currents, but the most economical method is to generate an alternating current by means of a dynamo, at a fairly high E.M.F., and reducing this to a lower E.M.F. by means of a transformer, and at the same time an increase in the current strength.

Various types of transformer have been employed for the purpose, one form being illustrated by the diagram in fig. 239. The

primary coil, *P*, is composed of a number of turns of wire in a circular coil, the secondary consists of a single copper strip, *SS*, bent into a circular form, and placed coaxially with the primary coil. Over the two coils is wound a coil of iron wire, *II*, in two masses, space being left between

FIG. 239.



on one side, passage of the leading to the primary coil, and on the other side, out the straight bars, the ends of the primary coil. They can be held in place by means of the at *K*, their ends being held with massive pieces to be at *B B'*, are fastened by spiral springs, which presses the together, the being regulated by means of the at *J*.

For ordinary use, a current of 20 amperes is the maximum required in such a case, and the power is used

applied to the primary at an E.M.F. of about 600 volts, the current being twenty amperes. A certain amount of this power is, of course, lost during the conversion; but a current of 12,000 amperes at an E.M.F. of nearly one volt can be obtained in the secondary.



stant to observe the reason for most of the heat being at the proper point. When the current is started in the circuit, the resistance at the junction is far greater than the rest of the whole of the remainder of the circuit; consequently the fall of potential there is comparatively very great, and by the whole of the power appearing in the secondary is in overcoming the resistance at the opposing surfaces. The surfaces get hot, and being pressed together, they then make contact. The rise in temperature, however, considerably increases the resistance, and consequently the expenditure of electricity at this point is still proportionally great. The case with the arc can be confined to any particular locality constituting a great advantage of the method. It is usual to quickly weld the pieces, and hammer the joint into shape on an anvil. The clamps make contact with a large surface, to avoid, as far as possible, the introduction of resistance, and they are so designed that the oval of the welded rods can be speedily effected. The meter illustrated in fig. 106 was specially constructed for one of these transformers, the potential difference in the secondary circuit ranging up to about 2.5 volts.

There are two distinct methods of distributing power to a number of transformers, each of which has several important advantages and I recommend it. First, the whole of the transformers may be connected in series, and a constant current sent through the primary coils. Secondly, they may all be connected in parallel between two main leads, which are kept at a constant potential difference, so that the difference of potential between the ends of all the primary coils is always the same.

The first method is in some cases the more economical as regards the number of transformers, for the maximum current in them is only equal to that applied to one transformer, and is the same when the same amount of work is being done as it is during any smaller amount. But a generator is required which will supply a constant current, under all variations in the external circuit; and as such a machine does not at present exist, it becomes necessary to employ somewhat unsatisfactory hand regulating devices. Difficulties also arise with regard to the regulation in the secondary circuit.

The E.M.F. appearing in the secondary circuit varies with the strength of the primary current. It also depends upon the number of convolutions in the two coils, and the geometry of the magnetic circuit (that is, upon the mutual induction between the two coils), and also upon the rate of alternation. But these quantities are usually fixed for any given transformer, and we may say that the secondary E.M.F. varies simply with the current through the primary. The strength of the secondary current, however, will depend largely upon the resistance of the secondary circuit. Now in the case of a series transformer the primary current is kept constant, therefore the secondary E.M.F. is constant, and manifestly we cannot maintain a constant potential difference at the secondary terminals, nor a constant secondary current, if the secondary resistance is in any way varied. If the lamps joined up in parallel it would be necessary to remove any one of them out to substitute an equal resistance, which would of course be wasteful.

The mutual induction might be, and in fact has been varied, to suit altering conditions by providing an adjustable core, but this is also unsatisfactory.

A better plan is to join either arc or low resistance incandescent lamps in series, and on removing one to replace it by a resistance coil, or, preferably, by a choking coil, that is to say, by a coil of wire provided with an iron core, and having considerable self-induction. Its apparent resistance should be equal to that of the lamp which it replaces.

In such a series transformer the number of turns in the secondary is, as a rule, equal to that in the primary, through which a current of 10 amperes is maintained.

But if the transformers are joined up in parallel, and a constant (alternating) potential difference is maintained between the mains across which their primary coils are connected, then an almost constant potential difference can be obtained in the secondary circuit, even though the resistance therein be considerably varied. The lamps can be joined in parallel, and if the transformer is properly designed it will be almost self-regulating: for the current passing through the primary, and therefore also the secondary E.M.F., will be almost proportional to the number of lamps through

A circuit, that is, inversely proportional to the secondary resistance.

The reactions which cause this self regulation are very important and interesting, and in order to better understand them the student may, with advantage, again read some of the remarks concerning self induction, &c., in Chapter VII.

On considering the construction of either of the parallel transformers just described, it will be apparent that since the primary coil consists of many convolutions, and is almost completely surrounded by a mass of soft iron, the conditions for enormous self-induction exist. In fact, supposing the secondary circuit for the moment to be absent, or disconnected, the self-induction is so great that an appreciable interval of time elapses, before a current in the primary rises to its full value, although the potential difference may be high. And if the potential difference be rapidly alternated, it will not remain constant in one direction long enough to allow any sensible current to be forced through the coil. But supposing the secondary circuit is completed through a rather low resistance, so that it is possible for fairly strong currents to flow therein, then the conditions are altered. For directly a current *commences* to flow in the primary coil, the lines of force springing out from the core, not only cut the neighbouring convolutions of that coil tending to give the effect known as self-induction, but also cut, and set up an opposite current in the secondary. The lines of force due to this secondary current react on the primary coil (see fig. 116) in just the opposite sense to its own lines of force, tending thereby to neutralise the self-inductive effect, and allowing the primary current to rise rapidly. Although the length of the secondary is less than that of the primary, the current flowing through it is much greater, which may be expressed by saying that the lines of force per unit of length are more numerous. Consequently, if the secondary resistance is very low, allowing strong currents to flow, this reaction is competent to reduce the apparent primary self-induction to a very small value.

If then a number of lamps are joined in parallel in the secondary circuit, an increase in the number switched in means an increase in the secondary current, and a corresponding increase in the reaction on the primary, which allows a greater current strength

to be attained therein. While when all the lamps are cut the primary self induction is sufficient to throttle or choke the current almost entirely. On account of these self regulating properties, nearly all distribution is performed by a bank of transformers joined in parallel. Although the size of the transformer is somewhat larger than on the other system, the advantages more than counterbalance this objection, and it is a comparatively easy matter to obtain an alternating generator which can maintain a constant potential.

By regarding the action of the primary upon the secondary coil in the manner developed in Chapter VII, it will be apparent that the currents in the two coils are always in phase; in fact, in an ordinary transformer, the secondary maximum occurs almost simultaneously with the primary maximum and *vice versa*.

In all cases great care must be taken to avoid a leakage from the primary to the secondary circuit, for a potential difference of several thousand volts, such as is frequently employed, could cause a fatal accident in the actual lamp circuit should any point in the primary circuit be making earth at the same time. Many safety devices have been suggested, one being the interposition of an earth connected metal sheathing between the two coils; so that any breakdown in the insulation would cause a sufficiently strong current to flow to earth, to melt a safety switch in the primary, and thus disconnect that particular transformer without interfering with others working in parallel with it.

Such a fuse would also act if by any means the apparatus were short circuited; and something of the kind is essential, for otherwise not only would all the transformers be deprived of power, but the heavy current which would result might cause serious damage.

The metal sheathing referred to should be insulated with extreme care, and must not form a closed metallic circuit round the inner coil, otherwise powerful eddy currents would be induced.

Another safety device is due to Major Cardew. Between two horizontal stout brass plates is placed a strip of aluminium, one end of which is free while the other is attached to the upper brass plate, which is in its turn connected to earth. The other end of the plate is connected to the secondary coil, so that should

the assume a much higher potential than the earth, the foil  
would be raised by electrostatic attraction, and, touching the upper  
plate, would short-circuit the secondary coil. This would allow  
a sufficiently strong current to pass through the primary to melt a  
fuse placed in the circuit, and in that way cut out the transformer.  
If the primary circuit is making earth at any point, and any leak-  
age occurs between the primary and the secondary, the upper  
plate is immediately raised to a sufficiently high potential  
to attract the foil, and cut out the transformer in the manner  
described.



## CHAPTER XIV.

## SECONDARY BATTERIES.

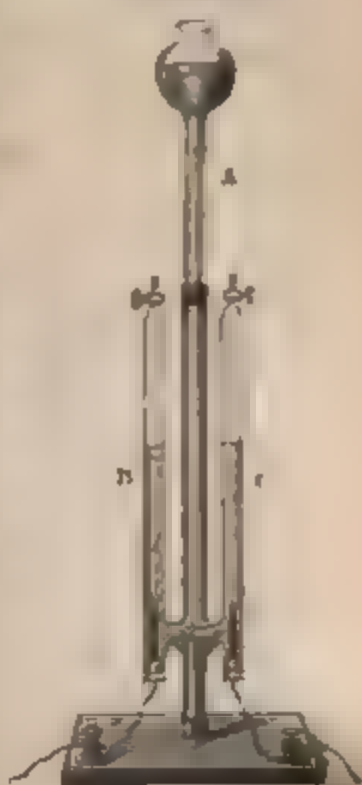
It was stated when describing the simple cell, that its great drawback, so far as concerned its general utility, was its comparatively rapid polarisation, a phenomenon which consisted in, or rather resulted from, the development of a film of hydrogen gas upon the surface of the negative plate. This hydrogen being electro-positive to zinc, having, that is to say, a higher potential than zinc, a counter electro-motive force was set up, and the conditions for the flow of a counter current thereby determined. But chemical reactions, similar to those which take place inside a battery cell, may be repeated in any part of the circuit by causing the current to pass through suitably arranged metals and liquids. The usual method of performing electro-chemical experiments is to place the ends of the wires connected to the poles of the battery in a vessel containing the liquid upon which the current is to act. Thus if the ends of two copper wires terminating in copper plates, are connected to the copper and zinc poles respectively of the battery, and placed in a vessel containing acidulated water, then the passage of a current will cause a quantity of that water to be decomposed, and the constituent gases, oxygen and hydrogen, to be released from their state of combination. The hydrogen will accumulate on the surface of the plate connected with the zinc pole, while the oxygen will combine with the other plate, just as it happened with the zinc plate in the simple cell. If, however, we substitute a strip of platinum for the copper plate connected with the copper pole of the battery, the liberated oxygen will not enter into any combination, but remain in a gaseous state, a large portion of it rising into the air, and the remainder adhering to the surface of the platinum or entering its pores and becoming in a measure occluded or absorbed.

the absence of chemical combination between the platinum and hydrogen is due to the weak chemical affinity existing between simple bodies. By observing proper precautions the two gases may be collected separately, the apparatus for the purpose being the decomposition and collecting the products being a voltameter. Fig. 240 is an illustration of a serviceable instrument of this class of instrument. There

are three glass tubes, all in communication at their lower extremities, the middle one, A, being taller than the others and terminating at the top in a small reservoir, to receive the two outer tubes, B C, supplied with water, and to prevent the liquid overflowing when driven from B and C. Platinum electrodes are fused through the glass and extend inside in strips of platinum foil, their extremities being connected with terminals fixed on the wooden base. The tubes are ground into the upper portions of the tubes B, C, affording facilities for the removal when required, of the confined gas. On sending a current through the tubes, the decomposition of the water takes place, the oxygen collecting in one tube and the hydrogen in the other, according to the direction of the current. The graduations on the tubes show readily that the quantity of hydrogen evolved is always double that of the oxygen, in consequence of the fact that the two gases are in that proportion when combined to form water.

When the platinum electrodes are now disconnected from the circuit and connected up to a galvanometer, it will be seen that a secondary current is produced by the voltameter, but the direction of the counter or secondary current is opposite to the primary current which caused the decomposition. A series of four voltameters constructed in the same manner as Grove's gas battery, is shown in Fig. 241. It consists of two tubes, A B, closed at the top by a stopper, M. A platinum wire is fused

Fig. 240.



The difference of potential or electro-motive force between the hydrogen and oxygen is 1.47 volts, and that is a measure of the force of chemical combination between these gases, whence it follows that, in order to overcome this force of combination, and therefore to decompose the water, we must employ for each secondary cell a primary current whose electro-motive force exceeds 1.47 volts.

Cells in which the energy of chemical change can be thus stored up, to be given out again when required in the form of an electric current, are frequently called electrical accumulators or electrical storage cells. It is not, however, electricity which is stored or accumulated, but rather a quantity of the active constituents of a cell, and it is the subsequent chemical action between these constituents which causes the flow of electricity. It is therefore preferable to style them secondary cells. This will be more apparent when it is remembered that a primary cell can have a current sent through it in the opposite direction to that in which the current generated by it would flow, and this current will cause the usual negative plate to be more or less dissolved and the positive plate replenished, setting up the conditions necessary to the re-establishment of a primary current. If, for example, we suppose a powerful reverse current to be urged through a Daniell cell in which the copper sulphate has been exhausted, the copper plate will be partially dissolved and copper sulphate reformed, while zinc will be deposited upon what remains of the zinc plate. The cell is then able to again generate a current of its own.

Although the water cell is exceedingly interesting, as a secondary generator it is not a practical piece of apparatus, for it is only able to maintain a current for a very short space of time.

Many experiments have therefore been performed to determine the best liquid and electrodes (the metal plates immersed in the liquid), for a practical form of secondary battery. The most assiduous worker in this field was Planté, and the result of his labours was the discovery that lead electrodes in a solution of sulphuric acid give the best results. He found that a large portion of the oxygen combined with the plate at which it was released, forming an insoluble compound, which when opposed to a clean metallic lead plate developed a potential difference of from

2 to 2.5 volts. In Plante's method the lead plates employed were comparatively very large with a view to increasing the amount of active material and reducing as far as possible the resistance of the cell. They were first laid one over the other, but separated by strips of non-conducting material, and then rolled up together in a kind of double spiral. In this way an enormous surface was presented to the liquid. On sending a primary battery current through the cell, from plate to plate, the water was decomposed, the oxygen combining with the metal at the positive electrode to form peroxide of lead,  $PbO_2$ , while the hydrogen was precipitated upon the negative electrode in the gaseous form, without in any way attacking the metal. The cell so acted upon became a secondary cell in which the negative electrode acted as the positive plate, being a sheet of lead with a more or less complete film of gaseous hydrogen, the other plate or positive electrode with its film of insoluble lead peroxide behaving as the negative plate. It will thus be seen that the pole of the secondary, which is connected to the positive pole of the primary generator, whether a battery or a dynamo machine, becomes the positive pole of the secondary, the other extremity becoming perforce the negative pole.

On permitting the reverse or secondary current to flow, what remained of the hydrogen was oxidised and converted into water, some of the subjacent lead being also oxidised at the expense of the water. On the other hand, the peroxide on the other plate was deoxidised or reduced to metallic lead in a 'spongy' form. These experiments can be very easily performed by sending for a short time a current from three or four good-sized Daniell cells through a vessel containing two pieces of sheet lead immersed in sulphuric acid solution. The piece connected to the copper pole of the battery will, after the passage of the current, be discoloured, and assume a brownish tint, owing to the partial oxidation of the surface of the metal. The amount of chemical change taking place during these reactions is, however, very small, too small to answer any practical purpose, and this is due in a great measure to the comparatively small amount of surface exposed, and to the fact that the greater part of the hydrogen escapes instead of adhering to the plate.



next step taken by Planté in the development of the form of secondary cell was an important one, and that adoption of a method for increasing the available surface of metal electrodes. It was found that after sending the current through the secondary cell for some time, and so reversing the surface of the positive electrode with a film of oxide, the oxygen released from the water, instead of combining with the lead, formed into bubbles and escaped into the air, thus thus for a given metallic surface a limit to the amount of oxide that could be formed.

When the current was consequently reversed, that is to say, the cell was allowed to discharge itself almost completely, so that the positive lead plate became oxidised, and the other deoxidised and returned in its turn to the condition of spongy lead, with a proportionately increased surface. A fresh direct or charging current sent on through the cell again oxidised this extended lead surface and reduced once more the negative surface to the spongy condition. These reversing operations being continued for some time, the positive and negative surfaces were eventually very considerably increased and rendered more or less porous, one of them being always in a state of oxidation. After a few days, however, a period of rest was allowed between the reversals with a view to the most useful effect due to local action. The lead did not form a continuous impervious coating over the surface, but allowed the solution to pass between its particles and to come in contact with the metallic lead. The peroxide being at direct contact with the lead, a simple voltaic pair was established with the lead for the positive and peroxide for the negative elements. The acid attacked the lead and formed lead sulphate ( $\text{PbSO}_4$ ), which is, however, but a poor conductor of electricity. As sulphate became available for the subsequent electrolytic action, the amount of lead actually affected or made active was thus considerably increased and the porosity of the plate gradually made more complete. The process of 'forming' the plates has since been continued until the whole became porous by its conversion into spongy lead, but there is a practical limit to the extent if pursued too far, the plate would fall to pieces simply on account of its inability to mechanically support itself.



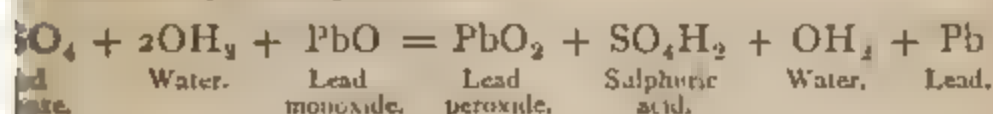
The cell being once formed, no further reversal takes place excepting for the purpose of discharging it to perform useful work.

This method of forming the plate is, however, very tedious and very expensive, and many efforts have been made to overcome the objection. One method is to subject the lead to a nitro-sulphuric acid solution which rapidly eats into the metal and increases its surface correspondingly. Another method is to fill a vessel with molten lead, and, as it is on the point of solidification, to make an opening in the bottom, and allow such of the metal as remains in the liquid state to flow out, leaving behind it a spongy porous mass. This is cut up into plates of the required dimensions.

Lead plates pure and simple, often known as *Plante plates*, are now only occasionally used, the cell more generally employed being that based upon the idea of Faure, which was to coat the plates with a paste of lead oxide, and so to more easily extend the lead surface. A mixture of sulphuric acid and minium or red lead ( $Pb_3O_4$ ) was made, which resulted in the formation of lead sulphate ( $PbSO_4$ ). This was applied to both the positive and negative plates, that on the plate in connection with the positive pole of the primary battery being by the current converted into peroxide of lead, by the absorption of oxygen, while the paste on the other plate was reduced more or less to the condition of spongy lead. It will thus be seen that the great value of Faure's invention is to minimise the amount of energy required to be expended in 'forming' the plates.

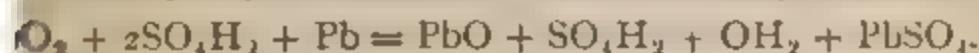
It is now the practice to use a paste of litharge ( $PbO$ ) and acid for the plate connected to the negative pole, although makers vary the pastes considerably. In some cases minium only is employed. In others a mixture of litharge and lead sulphate; and in others, again, all three substances, viz. minium, litharge, and lead sulphate enter into the constitution of the paste. In all cases, however, the ultimate result of the initial charging current is the same, viz. the conversion of the paste on the positive plate into peroxide, and of the paste on the negative plate into spongy lead. Assuming the plates to be in the state of lead sulphate

and monoxide (or litharge) respectively, the initial action may be summarised by the equation :—



It will be seen in this case that the positive plate exchanges  $\text{PbO}_2$  for two atoms of oxygen, that the negative plate loses its  $\text{PbO}$ , and that one of the water molecules is converted into sulphuric acid, so that the quantity of acid in the solution gradually increases, while the quantity of water as steadily diminishes.

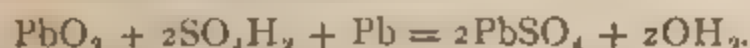
The secondary current, during the process of discharge, reverses the state of affairs, the two plates being converted into lead peroxide. The process is doubtless brought about in several ways, but they may be represented by the following equations:—



The lead monoxide then reacts with the sulphuric acid and the lead sulphate and water thus:—



By combining the two equations:—



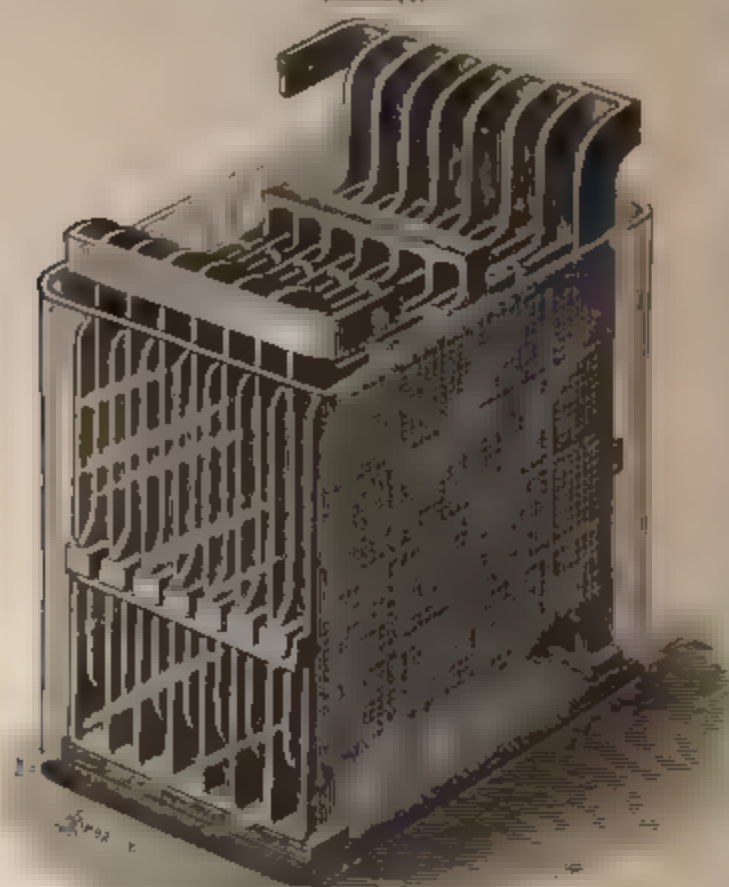
These reactions, however, affect only a small portion of the plates; that is to say, the active portion of the cell is far less than which remains passive.

The pastes, one and all, adhere very feebly to the lead, and many devices have been attempted to secure better adhesion. One of the earliest plans was to score or scratch the lead surface. Then it was indented, the indentations developing subsequently into perforations. The paste, on being pressed into the holes, certainly kept its position much better when simply smeared over the surface of the lead, but the quantity of paste exposed to the liquid was reduced. Even so, leaden grids were cast containing sufficient metal to bear the weight of the plate, the holes being square and somewhat circular, that is, smaller in the middle of the plate than on the edges, so as to prevent, as far as possible, the peroxide from

falling out. An illustration of the latest type of cell, constructed by the Electrical Power Storage Co., is given in Fig. 242. A number of grids of lead, or of a hard lead alloy (lead with a small proportion of antimony), are filled with the negative plate in excess of the number of positive plates, the number varying with the size of the cell, but always with negative plate in excess of the number of positive plates.

The cells are usually provided with 15 or 23 plates, of which 7 and 11 respectively are intended for the positive, and

FIG. 242.



remainder for the negative surface. The object of having a large number of plates, is, of course, to increase the capacity of the cell and to reduce its internal resistance without resorting to the use of inconveniently large plates. Each grid measures about 8 inches, and is  $\frac{3}{8}$  inch thick, the weight being about 5 lbs.

The lead grids are provided with lugs for the purpose of connection, the lugs of the positive plates being all melted on to one leaden strip or band, the lugs of the negative plates similarly secured to another strip. The plates are placed

alternately, the distance between two adjacent plates being about a quarter of an inch, which is sufficient to allow pieces of plates or paste that may become detached to fall to the bottom of the cell. Bent strips or forks of ebonite, celluloid, or other suitable material are placed between the plates to keep them apart and prevent internal contact. The negative plates in each cell are held rigidly together by means of two stout strips of lead melted on to solid extensions from the lower edges, two others being also secured to the sides of the plates about half-way up. These connecting strips, one of which is shown at the left-hand side of the figure, serve as a further means of keeping the negative plates in position. The bottom strips rest on slabs or strips of unrefined or varnished wood so as to support them at a height of about  $1\frac{1}{2}$  inch above the bottom of the containing cell, affording thereby plenty of room for any scales or pellets that may fall to the bottom to be clear of the plates. Lugs cast on to the sides of the positive plates rest in small ebonite shoes, which are supported by the side strips of lead attached to the negative plates. The positives are also connected together across the top by the substantial lead strip shown a little to the right of the middle of the upper edges of the plates. The connecting strip to be seen at the left is melted on to projections from the corners of the plates, consequently they can be readily lifted out of the cell, without necessitating the removal of the negative plates. The containing vessels are best made of stout glass, an opportunity being thus afforded for the proper inspection of the cell without taking it to pieces or removing the plates. The upper portion of the outer surface of the glass vessel should be coated with wax, vaseline, or some such material, to prevent 'creeping' and escape of the current by way of the moisture that would otherwise condense over the whole of the external surface. To further ensure good insulation, the cell should be placed on a varnished wooden tray or on two triangular pieces of wood supported by insulators of the so-called mushroom pattern illustrated in fig. 243. A sectional view of the insulator is also given in fig. 244. The channel in the lower cup contains a quantity of resin oil or of some other non evaporating oil, in which the upper cup, coated with shellac varnish, rests. Sometimes, however, the cells are simply supported on shelving made



of three or four strips of triangular wood. The cells should not be quite in contact, but tolerably close together, and the connections made by clamping the lead strips of adjacent cells firmly together—the positive pole of one cell to the negative of the

FIG. 243



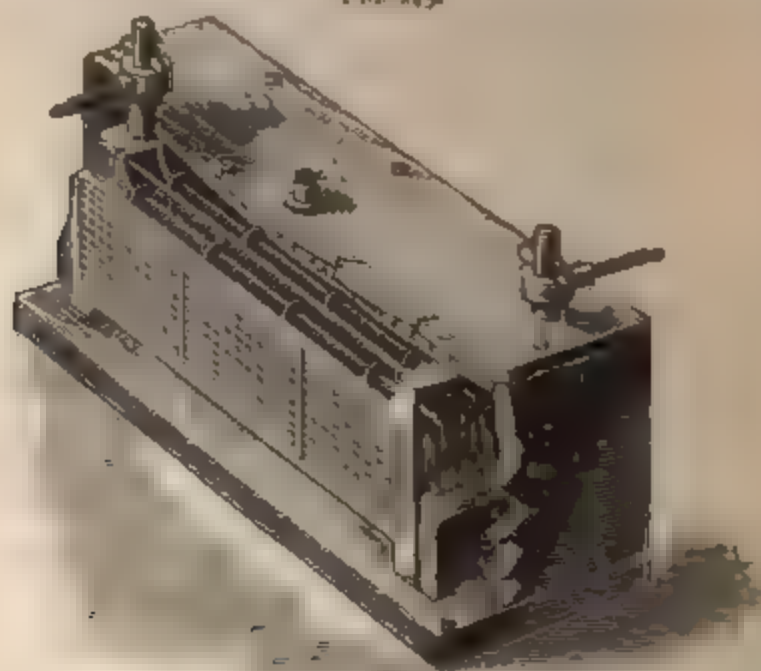
FIG. 244



next, and so on. The positive poles should be painted red for the purpose of distinction. All leading wires should be as short and of as low resistance as possible, so as to avoid unnecessary waste of energy in overcoming the resistance of the connections.

Fig. 245 illustrates a very useful form of cell specially con-

FIG. 245



structed for train lighting. It is enclosed, like other classes of cells intended for ship lighting, carriage lighting, &c., in a teak box, and contains, to suit different requirements, either nine or fifteen plates separated by celluloid forks. Sometimes, in order to further avoid the risk of contact and short circuiting between adjacent



thin perforated celluloid sheets are interposed between

Connection between adjacent cells is of course made exactly, rods attached to the connecting strips passing through rivets for the purpose. Connecting rings fit on to these rods, with slots in which wedges are driven to secure good electrical contact, the rings being joined together by stout wires or rods, indicated in the figure. Cells are also made specially for tram-traveling, these being constructed as light as they practically can and enclosed in teak or ebonite boxes. They are made in different sizes containing as many different numbers of plates.

A few details concerning some of these various types of cells doubtless prove of service. In the subjoined table, L indicates intended for general, C for railway carriage, and T for tramcar use.

DESCRIPTION OF CELL	Material of Box	Acid sp. g. for each Cell	WORKING RATE		CAPACITY Amperes-Hours	APPROXIMATE EXTERNAL DIMENSIONS				Weight of Cell complete with acid
			Charge Amperes	Dis-charge Amperes		Length	Width	Height	Height over all	
		lbs.				ins.	ins.	ins.	ins.	lbs.
L	Teak	35	25 to 30	1 to 30	330	9 $\frac{1}{2}$	13	17 $\frac{1}{2}$	19 $\frac{1}{2}$	143
L	Glass	47	25 " 30	1 " 30	330	9 $\frac{1}{2}$	11 $\frac{1}{2}$	13 $\frac{1}{2}$	15 $\frac{1}{2}$	128
L	Teak	53	38 " 46	1 " 46	500	14 $\frac{1}{2}$	13	17 $\frac{1}{2}$	19 $\frac{1}{2}$	228
L	Glass	67	38 " 46	1 " 46	500	14	11 $\frac{1}{2}$	13 $\frac{1}{2}$	15 $\frac{1}{2}$	211
L	Teak	8 $\frac{1}{4}$	6 " 8	1 " 8	72	6	13 $\frac{1}{2}$	6 $\frac{1}{2}$	7 $\frac{1}{2}$	38
L	Teak	14	12 " 14	1 " 14	130	9 $\frac{1}{2}$	14 $\frac{1}{2}$	6 $\frac{1}{2}$	7 $\frac{1}{2}$	62
L	Teak	14	24 " 28	1 " 30	95	8 $\frac{1}{2}$	8 $\frac{1}{2}$	11 $\frac{1}{2}$	13 $\frac{1}{2}$	53
L	Ebonite	14	24 " 28	1 " 30	95	8	7 $\frac{1}{2}$	11	12 $\frac{1}{2}$	42
L	Teak	22	38 " 42	1 " 50	135	13 $\frac{1}{2}$	8 $\frac{1}{2}$	11 $\frac{1}{2}$	13 $\frac{1}{2}$	80
L	Ebonite	22	38 " 42	1 " 50	145	12 $\frac{1}{2}$	7 $\frac{1}{2}$	11	12 $\frac{1}{2}$	66

Messrs. Elwell Parker also manufacture a very useful form of primary cell, the main principles of which, however, are similar to those involved in the construction of the cell just described. Some of these cells are shown in fig. 246. The distinguishing features consist in the construction of the grids, and the method of supporting the plates. The grids are made of an alloy which is said to be considerably stronger than the material formerly employed, and to be practically inoxidisable in the sulphuric acid solution. The holes in the grids are 'burred' over, by a process

patented by Messrs. Drake and Gorham, so as to form 'lips' which assist in keeping the pellets of oxide in their places. The plates are ingeniously supported and kept in position by means of round projections which fit into parallel rows of holes perforated in slabs of ebonite, as shown in the figure. This is a detail, but it is a feature of some importance. In an earlier form of cell, the leaden pins were all in one line, so that should any conducting material fall into the cell it might drop across them and cause short circuiting. To effectually prevent contact between adjacent plates, small ebonite 'forks' are placed between them, and the set of plates is

FIG. 246-



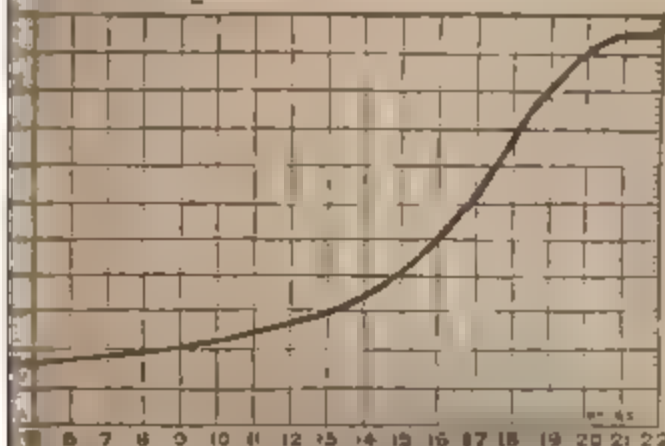
supported on blocks of paraffined wood to keep them clear of the bottom of the cell.

While it is essential that great care should be exercised in the manufacture of secondary cells, the treatment to which they are subjected is also a matter of great importance.

The charging current should be proportional to the number of plates, and, for the size of cell used for lighting purposes, should be equal to about 4 amperes per positive plate, so that the 15-plate cell requires 24 to 30 amperes. When the current exceeds this amount, it cannot increase the reduction of the sulphate of lead in proportion to the extra amount of current, and the surplus current is therefore wasted in the decomposition of water and the premature evolution of bubbles of oxygen gas from the positive surface, a phenomenon which is technically known as boiling. There

the too powerful current will cause burning of plates, which being very close together, stand a striking contact one with the other, and so short-circuit. Precaution has also to be taken that the rate of the charging current should not exceed that of the discharging current by about 20 per cent., or be more than 2.5 volts per cell, being, however, a little less than when approaching the completion of the charging should be continued until the evolution of free gas ceases, consequent on the evolution of free gas the plates having then absorbed as much of the charge as they can take up. The E.M.F. of a secondary cell rises rapidly, with the continuance of the charging. In some of the important experiments, performed by Messrs. Siemens & Co. with a battery of 15 cells, a current of 22 amperes was used, by which the E.M.F. was raised from 2.02 to 2.17 volts. The variations in the rate of increase are shown in the following table, in which it will be seen that after 220 amperes-

Fig. 147.  
E



that is to say, after a charging current of 22 amperes maintained for a period of 10 hours, the E.M.F. rose to 2.13 volts. At the end of 14 hours it was 2.17 volts, and at the end of 16 hours it was 2.18 volts, a sudden rise which was caused by the fact that the plates were now fully charged. The E.M.F. was then 2.5 volts, and the current was freely evolved. The charging was continued for 33 hours, and the E.M.F. was 2.25 volts.

considered to be very injurious to charge the battery to an E.M.F. exceeding about 2.25 volts per cell, it being thought that charging beyond this point, or overcharging as it was called, was responsible for the remarkable tendency of the plates to buckle or twist out of shape, and so to loosen and detach the pellets. This it was supposed, was brought about by the freed oxygen destroying the grid. It has, however, been conclusively proved that overcharging is not only harmless, but actually beneficial. In the experiment previously referred to, some cells were charged without cessation in order to ascertain the exact amount of current necessary to destroy the grid. It was soon evident that the process was, at any rate, a slow one; but the experiment was continued, until the full prescribed current had been passed through, for more than two months. At the end of that time it was found that the lead conductor was practically as sound as before charging. The coating of fine peroxide formed on the surface was very thin, and there was no sign whatever of buckling, and, further, the specific gravity of the solution, when the cells were left in their then fully charged condition, remained absolutely unaltered. The conclusion thence drawn was that the oxidation of the grid caused by charging only penetrated to a very limited depth, and then ceased entirely, and that the coating of fine peroxide formed, actually protected the grid not only from deterioration by overcharging, but also from local action, hitherto supposed to be unavoidable. It was, then, established that the life of the grids was not proportional to the amount of charging, *i.e.*, to the number of ampere-hours put into a cell. We shall return to this question presently, but it is necessary now to enlarge upon the precautions to be adopted in the process of charging.

The solution, prior to charging, should be put in the cells to the height of about  $\frac{1}{2}$  an inch above the negative plates. It should contain about 20 per cent. of pure sulphuric acid, and have a specific gravity of 1.170 (that is, if a given volume of water weighs say 1 pound, the weight of an equal volume of the solution should be 1.170 pounds); but it will be seen from the equations already given that some of the water in the cell is changed to sulphuric acid, and causes the proportion of the latter to rise to about 25 per cent., increasing the specific gravity to about 1.220. The

f sulphuric acid, which is, however, lost on recharging  
 ses the conductivity of the liquid about 10 per cent.

ument for measuring the specific gravity of the acid  
 comes, therefore, a necessity. Such a piece of apparatus

ydrometer, or, for this special  
 dometer, a useful form being

in fig. 248, which is simply a  
 weighted at the bottom with a

small shot. The lower the  
 vity of the solution, that is to

ter it becomes bulk for bulk,  
 will the hydrometer be im-

the liquid increases in density  
 ent becomes relatively lighter

re rises. Consequently, the  
 tube can be made to indicate

density corresponding with the  
 ths to which the tube descends.

ry useful form is that known as  
 rometer (fig. 249), which con-

lattened glass tube with the  
 bent over so as to allow it to

edge of the glass containing-  
 tube being also perforated to

e free circulation of the solu-  
 le the tube are four small glass

ntaining liquids of different  
 vities and different colours;

e rises or falls at a distinct  
 vity, and allows thereby the

r relative density of the solu-  
 ery readily observed.

the discharge the density of  
 falls until, when the cell is

exhausted, it is only 1.150. The relative density of  
 thus affords an excellent means of ascertaining the

the cell.

our of the plates affords another good indication of

FIG. 248.

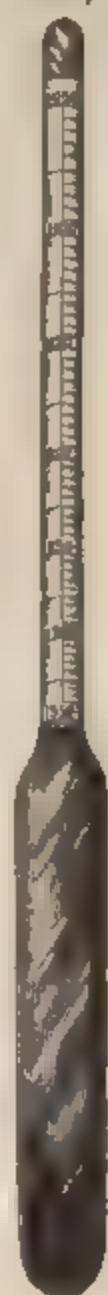


FIG. 249.

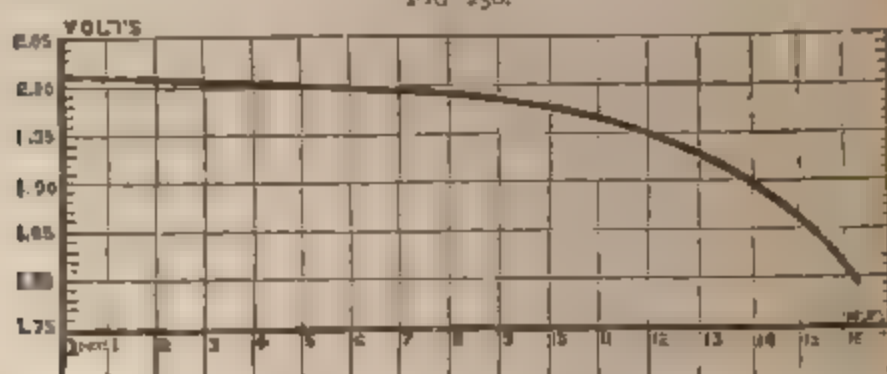




their quality, the peroxidised positive plate being of a brownish or deep-reddish hue, and the negative or spongy lead plate being coloured grey or slate tint. There is thus a marked distinction in the colouration, which should always be discernible.

During the discharge the E.M.F. of the cells speedily falls to about two volts each, the higher initial electro-motive force being, no doubt, mainly due to the presence of hydrogen on the spongy lead plate. When this has been oxidised there remains the real surface between which and the peroxide plate the electro-motive force falls very slowly to about 1.98 volt. The fall is then slightly faster, although after an output of 400 ampere hours at the rate of 25 amperes, the total drop from the time that the cell settles down to steady work at 2.02 volts, is only about ten per cent. The rate at which the fall of E.M.F. takes place is clearly shown in the instructive curve given in fig. 250, determined experimentally by

FIG. 250.



Messrs. Drake and Gorham. The discharge was continued, however, until the E.M.F. was only 1.80 volt per cell, which is a point about 0.1 lower than it is practically advisable to go. When it fell to 1.90 volt the difference is only about 5 per cent.

In an experiment performed to ascertain the effect upon the plates of a rapid discharge a battery was divided into two halves, one of which (A) was repeatedly run out, but the other (B) was never discharged beyond the point at which the E.M.F. commenced to drop. The experiment extended over a considerable time and gave the instructive result that when exactly the same number of ampere-hours had been taken out of each half, the plates of (A) showed signs of expansion or growing, whereas in those of (B) no change could be detected. The life of the grid was

therefore proved to be dependent not on the *amount* of ampere-hours taken out, or on the work done, but on the treatment of the plates.

By the time the E.M.F. has dropped to 1.90 volt the greater portion of the surfaces will have resumed the condition of lead sulphate ( $\text{PbSO}_4$ ), and there will then be considerable risk of the formation of a more obdurate form of sulphate,  $\text{Pb}_2\text{SO}_5$ , caused probably by the  $\text{PbSO}_4$  combining with the monoxide. This hard white sulphate is very troublesome. It is insoluble, non-conducting, and very adhesive. When it falls off the plate it generally carries with it some of the active material, which is therefore wasted. It is consequently highly important that the E.M.F. of the cells should be tested periodically with a special low-reading voltmeter. Two or three of these instruments were described in Chapter VI.

The experiments further showed that buckling was almost invariably accompanied by the formation of the hard sulphate on the face of the plates, and that this enamelling could be prevented by charging, and was not due to impurities in the oxides or acid used; further, that when the plates were free from sulphate there was no tendency to buckle. In the case of the first use of cells, when the acid was first put in, the specific gravity dropped in spite of the charging, indicating the formation of sulphate; by persevering in charging the sulphate disappeared, and with it the tendency to buckle. It is, therefore, evident, as already stated, that in order to avoid buckling of the peroxide plates, cells on their first use (whether new or after long disuse) should be charged incessantly until they are considerably overcharged.

It has been ascertained that in almost every case where abnormal disintegration takes place the plugs of active material fall out of the plates in complete halves and in very hard condition; and analysis has shown that they contain an excess of sulphate, due to insufficient charging. On the other hand, in a few instances the active material has been found to have become disintegrated and fallen off in a fine powder, and this was specially observable when on account of a leak in the containing-vessel and consequent frequent addition of water, the solution had become extremely weak.

In this case practically no sulphate was present, and the mass simply lost cohesiveness.

It would seem, then, that a certain proportion of sulphate in the material is necessary to bind together, but that excess must be avoided.

Buckling appears to be due to the expansion of the paste during sulphating, for lead, being a very ductile but non elastic body, does not re assume its proper shape when the subsequent partial contraction of the paste takes place, and to this must also be attributed the loosening of the pellets. The contraction being but partial, the positive plates become gradually increased in size with continued use.

The electrolytic effect of the oxygen upon the lead grid, so far as it is, is to render it more or less brittle, whence the bars crack and split, and the plate is then practically worn out. Owing to the stretching effect of the paste, it is necessary that the grid should be of equal strength throughout, and not made stronger in one direction than in another.

Mr. Reckenzaun has found that a positive plate which had when new a surface of 90 square inches, grew to 94.76 inches after one year's daily use, while others showed when almost worn out an increase from 90 to 97 square inches; these measurements being simply the product of the length into the breadth of the plate, and independent of corroded or oxidised furrows. The actual amount of surface in contact with the liquid is considerably greater than these figures would indicate, owing to the irregularities produced by the solution. The life of a positive plate is not, however, so brief as might be anticipated from the many little difficulties which beset it, for with fair and continuous usage its period of durability amounts to about three years. The decay of the plate is more rapid in the lower than in the upper half, owing probably to the greater density of the acid solution in that portion of the cell. The life of a negative plate, which is subject to but few of the troubles attending the positive plate, has been estimated at ten years, although it remains for time to demonstrate the truth or otherwise of this calculation.

A 15-plate cell is capable of yielding a current ranging from 1 ampere or less to about 30 amperes, or at the maximum rate of

amperes per positive plate. The discharging current may be even a little higher than the maximum used in charging. It should not, however, exceed it by more than about 10 per cent., otherwise the subsequent efficiency of the cell will, as already shown, be seriously imperilled. Of course, the total output cannot exceed or even equal the amount of energy put in.

When the rate of discharge is too great, there is considerable risk of causing unequal expansion of the plates, resulting sooner or later in buckling, loosening of the pellets, and short circuiting. It is impossible to prevent a certain amount of the obdurate sulphate forming, and this being an insulator reduces the available active surface and increases the resistance of the cell. As already indicated, considerable difficulty is experienced in removing this sulphate, and under any circumstances a certain amount of disintegration of the peroxide is sure to ensue.

But experiments have been performed which tend to show that with a considerable increase in the charging E.M.F. the sulphate can be decomposed. Its formation can be to some extent prevented, by the addition of a small percentage of sodium sulphate ( $\text{Na}_2\text{SO}_4$ ).

If the cells are discharged and then left to stand idle for any length of time, the sulphating takes place rapidly, and causes premature buckling.

The capacity of a cell may be defined as the amount of energy it is capable of storing, and is calculated generally in ampere hours, that is to say, it is the product of the number of amperes at which the cell is able to discharge, into the number of hours through which it can maintain that discharge. Capacity is also estimated by the ratio between the weight of the material and the electrical output. Thus the ordinary form of cells yields about four ampere-hours per pound of plates complete, while, it is said, the best form of Planté cells only yields about one-half as much. The amount of surface exposed to the solution really determines the charge which a cell can receive, and is therefore a measure of its capacity.

The capacity of a cell is an important consideration, seeing that the prime cost is considerable, that the cell is bulky and therefore requires correspondingly ample accommodation, and that at



required, while the former frequently receives its charge gradually or even intermittently as opportunity arises, whereas its rate of discharge often approaches the highest possible, and frequently exceeds the charging rate, when, of course, the duration of the discharge is considerably shorter than that of the charge.

No better illustration of the value of secondary cells as a means of storing electrical energy can be afforded than that referred to by Mr. Preece in a lecture before the Society of Arts. He said: 'On March 30 my gas-engine broke down. I quite forgot to give notice to the makers to send down men to repair it until six days had elapsed. It took five more days to repair the engine, so that for eleven days I had not been able to recharge the cells; but during all these days the light never faded, and we were not in any way inconvenienced. The useful capacity of my cells is 330 ampere-hours, and my nightly consumption is now about 30 ampere-hours. This was a very good test of the efficiency of the cells, for I obtained from them nearly all the energy they could usefully give. Only two cells were really exhausted during this time, but as I had two spare cells to replace them, their exhaustion did not cause me any inconvenience. The E.M.F. fell to 1·8 per cell, and the light in consequence was not so brilliant as usual. A good practical test of the efficiency of a battery like this is better than any isolated tests on single cells.' It will thus be seen that the use of a secondary battery reduces considerably the risk of a total stoppage resulting from the breakdown of the engine or other part of the machinery.

Secondary cells have also the advantage that, where they are used in sufficient numbers to maintain the ordinary number of lamps, they can, on emergency, be used to considerably increase the total amount of current supplied. For example, suppose the dynamo to be able to generate the same amount of current as the secondaries, the latter can be charged during the day, and both dynamo and battery employed independently for lighting purposes in the evening.

The battery is very useful as a regulator for maintaining a constant potential difference on a variable circuit which is being worked by a dynamo machine.

For such work, the battery is joined up across the terminals of



main circuit. When the current exceeds a certain prescribed limit, the soft iron core is attracted, and a horizontal spring attached to it completes a local circuit, causing one of the cells to send a current through an ordinary electric trembling bell.

In addition to these, there are many other pieces of apparatus, ingenious in their way, and useful for special purposes, which we need scarcely describe, although some of them will be referred to in the closing chapter.

## CHAPTER XV.

## ARC LAMPS.

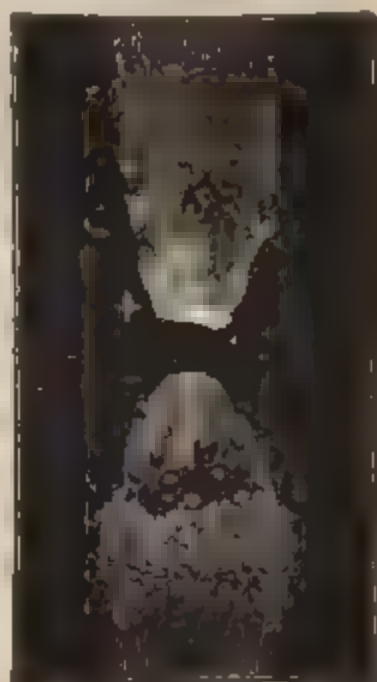
UNTIL within the last few years electric lighting was, except in the laboratory, only performed by the agency of the electric arc, a development of the classical experiment made by Davy in 1800, when he employed 2,000 primary cells of a very crude type, which he connected to two pieces of light wood charcoal about an inch long and one sixth of an inch in diameter. When these 'were brought near each other, (within the thirtieth or fortieth part of an inch), a bright spark was produced, and more than half the volume of the charcoal became ignited to whiteness; and, by withdrawing the points from each other a constant discharge took place through the heated air in a space equal at least to four inches, producing a most brilliant ascending arch of light, broad and conical in form in the middle.' When any substance was introduced into the arc produced by this battery 'it became incandescent: platinum melted like wax in the flame of a candle; sapphire, magnesia, lime, and the most refractory substances were fused. Fragments of diamond and granite rapidly disappeared without undergoing any previous fusion.' The arched form taken by the luminous particles of carbon, resulted from the upward rush of the subjacent heated air. Were the carbons placed vertically, the particles would be disposed more symmetrically, and bear little or no resemblance to an arch. The term arch, in its abbreviated form, arc, is, however, retained as the name of the luminous space between the carbons.

The electric arc can be reproduced by placing in electrical contact two pieces of carbon, either of the gas retort or of the prepared type, these forming the electrodes of a battery of twenty five or more Grove or other cells of a similar E.M.F., and then drawing

the carbons apart for a short distance. The electro-motive force of such a battery is altogether inadequate to cause a spark to dart across even the shortest air space. When, however, these rods are made to touch, a current is initiated, the particles in contact are immediately heated, and on separating the contact-surfaces, molecular disintegration and volatilisation take place and the air space is impregnated with so great a quantity of carbon particles raised by the current to a state of incandescence, that the resistance of the space is so far reduced as to allow the current to be maintained. The initiation of the arc is assisted by the momentary increase in the current due to self induction in the circuit when the carbons are separated. The distance to which the carbons can be separated without absolutely disconnecting the circuit and so causing the arc to be broken, depends upon the E.M.F. of the battery, and can therefore, within certain limits, be increased by increasing the number of cells, or the potential difference at the dynamo terminals.

The maintenance of the ends of the carbon rods in a state of incandescence also involves a certain amount of consumption by ordinary combustion, some of the particles uniting chemically with the constituents of the atmosphere, although the products of combustion are very much smaller in quantity and far less harmful than those derived from a gas, oil, or candle flame. The two rods are not, however, consumed at equal rates, the consumption of the rod connected to the positive pole of the dynamo or battery, and called, therefore, the positive carbon, being approximately twice as much as that of the other or negative carbon; but this must not be taken as being invariably correct. One very interesting and important feature in connection with the electric arc is the difference of formation given to the carbon rods. The end of the positive rod becomes in a short time (see fig. 252) worn down to a somewhat conical form, the apex of the cone being, however, absent,

FIG. 252



blended together. These colours are red, orange, yellow, green, blue, indigo, and violet, and it is by the simultaneous reception of these rays, in certain definite proportions, by the optic nerves, that the sensation of white light is conveyed to the brain. The generally accepted theory which endeavours to explain the manner in which a beam of light is propagated, is based on the assumption that all interstellar space, and likewise the space between the minute particles of all material bodies, is pervaded by that mysterious medium already referred to as ether.

A body may be said to be a luminous substance when it is a source of light-rays, such as the sun or a candle flame. Now the luminosity of a body is ascribed to an almost infinitely rapid vibration of its molecules; this vibratory motion is communicated to the ether particles pervading and enveloping the substance, and is propagated in all directions in the form of spherical wave-motions. The colour of the ray varies with or is determined by the rate of vibration. The velocity with which light travels is about 186,000 miles per second, and it has been calculated that the length of a wave of the extreme red end of the spectrum (that is to say, of a luminous ray having the lowest rate of vibration), is such that 39,000 such waves, placed end to end, would cover only one inch, while 64,631 of the extreme violet waves would be required to span the same distance. It follows that in one second, 464 millions of millions of red waves, and 678 millions of millions of violet waves, enter the eye and strike the optic nerves.

If a beam of solar light (*s*, fig. 253) is allowed to pass through a hole in the shutter or wall of an otherwise absolutely dark room, it will illuminate a small section of the floor, *K*, but if a prism or wedge shaped piece of glass (*P*) is placed in the track of the beam of light, after the manner shown in the diagram, the beam will be diverted and the rays separated; on emerging and being allowed to fall upon the screen, *H*, or even on the wall of the room, it will be found to consist of the seven colours above enumerated. This many-coloured band of light is generally referred to as the spectrum.

If the beam is not of a pure white colour, the impurity or irregularity may be due to the chemical constitution of the source

of light, or to varying degrees of luminosity. For example, if a beam from a red-hot substance is allowed to fall upon the prism, the decomposition or separation of the rays will not result in the

formation of the seven coloured bands, those near the violet end of the spectrum being absent on account of the vibrations being insufficiently rapid to produce them.

When a source of light is heated to different degrees of luminosity, the



FIG. 5.

spectra resulting therefrom will consequently vary, while, on the other hand, if it is raised at different times to the same temperature, and therefore to the same degree of luminosity, the spectra obtained will be identically the same in each case. Now it has been ascertained that the spectra of the white light emitted by the incandescent crater of the positive carbon are always identically the same, that in fact the same proportion between the various coloured bands is always evidenced, whence it is at once deduced that the temperature of that portion of the arc is always raised to the same point. This constitutes one great reason for accepting the proposition that the transference of carbon particles from the positive to the negative rod, is caused by a volatilisation at the former and a resolidification at the latter; for, so far as experiment has hitherto led us, there is for a given material, a constant critical point of temperature at which a change from the solid to liquid or to the gaseous state ensues, and, the most important point of all, this temperature is not any further increased until the whole of the solid body has been so changed. It will be evident that the admixture with the carbon of any foreign body (all such bodies having a lower critical point of temperature than carbon), must lower the temperature at which volatilisation



ensues, and therefore reduce the luminosity of the crater. Moreover, when a body is transformed from the solid to the liquid or gaseous state, a certain amount of heat, known as the latent heat, is absorbed in the process. Thus one pound of ice at the freezing temperature absorbs about as much heat during its conversion into water at the same temperature, as would suffice to raise the same mass of water from the freezing temperature to  $80^{\circ}\text{C}$ ., whence the latent heat of water is said to be  $80^{\circ}\text{C}$ . On the other hand, when a liquid is solidified a corresponding amount of heat is given out during the change. Thus one pound of water at the freezing temperature in being converted into ice, gives out as much heat as would raise the temperature of the same mass to  $80^{\circ}\text{C}$ . Returning then to the electric arc, if the positive carbon is more or less volatilised, a certain quantity of heat is absorbed in bringing about the change, whence, on the carbon being resolidified on the negative rod, a corresponding quantity of heat is evolved.

These reactions have been made to account for a very remarkable phenomenon pertaining to the electric arc. It has been found that when the arc is established a back or counter E.M.F. is set up amounting to nearly 39 volts. This effect is somewhat analogous to that accounting for the reaction which is set up when a current is sent through a voltmeter, and which was fully entered into in the preceding chapter. The effect is also parallel to that remarkable feature in the action of electric motors, viz., the counter E.M.F. which is set up by the armature when it is caused to revolve in an established electro-magnetic field. In fact, the phenomenon affords a new demonstration of the law that every action brought about by any force, sets up a reaction or counter force.

The theory of the existence of this counter E.M.F. does not, however, depend solely upon the assumed volatilisation and resolidification of the carbon particles. It is a matter of general knowledge, and one which has given rise to many different conjectures, that the *apparent* resistance of the arc does not increase proportionally with the distance between the rods. The resistance of an arc of one-tenth of an inch appears, in fact, to be nothing like double that of an arc of one-twentieth of an inch. If both

The resistance of the air space will be independent of the particles, were the only particles present. The distances in these two cases should be equal. Various experiments have been made with arcs of different lengths, the electro-motive force being also varied so as to keep the arc strength constant, with the result that the counter E.M.F. of 39 volts was obtained as a constant, as we should expect, varied proportionally with the length of the arc, and affording thereby a confirmation of the existence of the counter E.M.F.

The great practical lesson to be derived from a knowledge of this fact is that the E.M.F. of the current which is passed through the arc must always exceed 39 volts, or a voltage of 40 volts, in just the same manner that an E.M.F. exceeding 1.47 must be employed to decompose water. It is in fact usual to use an E.M.F. of between 44 and 50 volts the exact value being equal to the net resistance of the arc itself, that is, of the air space between the carbons when they are in the normal position for lighting, or at a distance of about 3 millimetres apart, normally estimated at something between one-eighth and one-half ohm.

The resistance of prepared compressed carbon varies with different makers, the resistance of one specimen amounting to 10 times that of a similar piece of pure copper, or nearly 4,000 ohms per cubic centimetre. The specific resistance of the relatively impure and more crystalline gas retort carbon has been shown to be about 17 times as great as that of the prepared carbon.

The actual resistance of the carbon in an arc is ordinarily much less than that of the bulk of the carbon. In order to light an arc lamp is about 0.15 ohm. This is due to the fact that the carbon is covered by a thin layer of carbon deposited electrolytically. This layer of carbon, when he taken from the arc, is very soft and can be melted for instance up the rod, and then fused in a furnace. It is a very soft, plastic green material. The method of preparing the carbon is considerably different from that of the prepared carbon.

most cases regarded as trade secrets. Generally, however, finely pulverised coke forms the basis, this being intimately mixed with pure carbon powder derived from the destructive distillation of some such organic substances as gas tar, pitch or bitumen. An adhesive substance, such as a syrup of cane sugar and gum, is then added to make a paste, the rods being shaped by forcing the mixture with considerable pressure through a die plate. The rods so formed are then baked in an oven a number of times, to decompose the carbonaceous compounds, and drive off the volatile constituents. Immersion in syrup usually takes place between the bakings. But great care is taken to remove any foreign substance from the ingredients, and so to ensure the production of a homogeneous rod, for, as will have been already gathered, the presence of foreign bodies in the arc causes fluctuations in luminosity, and considerable variations in its colour.

The chief requirements which it is necessary that a carbon rod should fulfil are then, that it should be dense, that its texture or mechanical structure should be uniform, that it should be pure and that its electrical resistance should be low. The diameter of the rod varies with the light it is required to give or the current it is required to carry, those most frequently employed ranging from 7 to 10 millimetres in thickness, and these give an actual luminosity of about 875 candle-power per  $\frac{1}{2}$  horse power absorbed, and approximately this may be taken as the power required for the actual amount of light emitted by an ordinary arc lamp. The usual practice of referring to the light of such a lamp as being 2,000 or more *nominal* candle-power is, therefore, very misleading. The use of globes still further reduces the actual amount of light obtained from the lamp.

The proportion of light cut off by globes has been determined to be :—

For clear glass	.	.	.	about 10 per cent.
„ light ground glass	.	.	.	„ 30 „
„ heavy „	„	„	.	45 to 50 „
„ strong opal	„	.	.	50 to 60 „

Assuming an arc lamp to give a light of 875 candle-power when the current strength is 10 amperes and the E.M.F. 50 vol-

will be evident that this amount of light is produced at a cost of 100 watts, so that were a lamp to consume one electrical horsepower or 746 watts, it should yield a light of about 1,300 candle-power. Allowing for the various losses in the conversions, it may be taken that on an average arc circuit, the engine indicates one horsepower for each ordinary or 875 candle power lamp.

The Jablochkoff 'candle,' which was devised by M. Paul Jablochkoff in 1872, and which caused considerable excitement at the Paris Exhibition of 1878, is undoubtedly the simplest form of arc lamp yet introduced, although, as it is not economical, it is not used less extensively than it otherwise would be. The candle consists of two pencils of prepared carbon about 22 centimetres long and 4 millimetres in diameter, fixed parallel to one another and separated by a strip 2 millimetres thick, of some fusible non-conducting material such as kaolin. Pieces of split brass, 5 centimetres long, are placed over the lower ends of the carbon pencils and serve to form connection with the holder which is attached to the base of the lamp. The upper ends of the pencils are scarfed, and a small lighting fuse consisting of a paste of plumbago and gum serves to connect them together electrically and affords a path for the initial flow of the current. This fuse is speedily consumed and the arc established. The consumption of the positive, as compared with the negative carbon being with a direct current approximately as 2 : 1, an alternating current is employed, so that the pencils are uniformly consumed, the insulating material also being burnt at the same rate. Each candle lasts about an hour and a half, and owing to the interposition of the supporting strip, that is, to the separation of the carbons, a candle having been once extinguished cannot be re-ignited without the lighting fuse is added, or the pencils temporarily disconnected and a new piece of wire and another piece of carbon.

The Jablochkoff lamp is connected on a circuit through which a current flows, the potential difference necessary for its operation being about 42 volts. The energy is therefore about 336 watts, or about 1/2 horse-power. From an open light, a lumino-

candles, generally four, in a



lamp, and consume them in succession. In this way, the light can be maintained for six hours without any attention being given beyond that of turning a switch, so as to divert the current from one candle to another. The form of candle-holder most frequently employed consists of two short rigidly fixed pillars, one of them being slotted so as to allow a small play for a triangular piece carrying the socket for one of the carbons, the other ~~socket~~ being cut in the other pillar. A stiff flat spring presses against the free corner of the triangular piece, which can be moved to and fro in the pillar. On pressing the candle in between these pillars, a good mechanical support, as well as good electrical contact, is afforded.

There are two kinds of lamp bracket for supporting the holders. In one of them, one pillar of each of the holders is electrically connected to a common terminal, the other pillars being connected each to a separate terminal, so that at least five leads are necessary. In the other type each candle has a separate holder, each holder requiring two terminals and a distinct pair of leads from the switch.

Sometimes a switch is placed on or near each lamp, but it is more general to divide the lamps into a number of separate circuits, each circuit comprising four lamps joined together in series and manipulated by a single switch placed in the dynamo-room.

An automatic arrangement is also employed to avoid the risk of burning the candles right down to the sockets and so causing a disconnection. The apparatus consists of a vertical solenoid with a core which is provided with two pairs of contacts. Should the circuit be broken by one of the candles 'going out,' the core falls and two of the contact points fall into mercury cups and complete the circuit of an electric bell. At the same time the other pair of contacts drop into mercury cups which complete the circuit through the second series of lamps. The attendant has then only to shift the leading wire to the terminal block of the next circuit in readiness for his next act of negligence.

The Jablochhoff system has very few advocates in England, chiefly on account of its cost, but it is a very simple system and one which finds great favour in such places as the Indian palaces,



where money is not scarce, and where skilled labour is practically unobtainable. Other forms of electric candle have been devised, but as they are all now extinct, we need not pause to consider them.

Another class of arc lamp, frequently called the semi-incandescent, used, however, with a direct current, is typified by the Werde mann lamp, which consists of a large rounded block of carbon connected to the negative lead and supported by a hinged bracket. The positive lead is connected to a thin pointed carbon rod, and, by means of a weight attached to a cord working over a pulley and fastened to its lowered end, this thin rod is kept in contact with the hinged block. Both carbons become incandescent at, or in the vicinity of the point of contact, and a small circular arc is struck. The rod is of course somewhat rapidly consumed, and a hole gradually formed in the carbon block. Great things were expected of this lamp, but it did not prove economical ; it was very variable, flickered considerably, and is now practically obsolete.

Our chief object in referring to these lamps, was to give some little idea of the channels into which men's minds were directed in their earlier efforts to 'subdivide' the electric light, or more correctly speaking, to maintain a number of comparatively small lamps on one circuit.

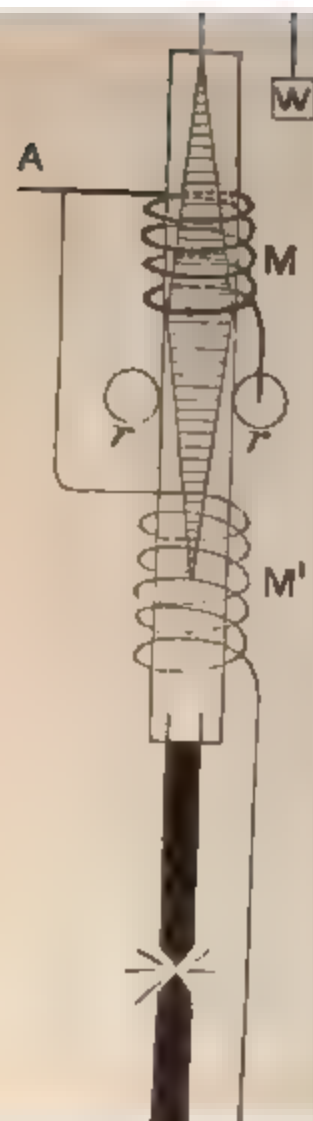
Coming now to the question of arc lamps in their present state, it would be convenient if we were able to classify them, or divide them into a few distinctive types, but there is absolutely no simple or natural classification, and a complicated or forced division would be undesirable.

Many efforts have been made to obtain a precise but comprehensive classification, with the result that there are virtually as many classes as there are lamps. It would be possible to divide the lamps into two classes, viz., those used in series, or on a circuit through which a *constant current* is sent, and those used in parallel, or which have a *constant potential difference* maintained at their terminals. The latter kind are comparatively simple, but any lamp of that class could be transferred to the other by an alteration in the winding of the coils and by the addition of a 'cut-out' device, to automatically short-circuit the lamp, in the event of a disconnection in the arc-circuit.

This system of classification, therefore, can scarcely be said to be satisfactory. It is, however, an important feature that the series system is characteristic of the arc lamp, owing to the fact that the main leads need only be small as compared with those necessary for parallel working. With the small current usual on a series circuit, the loss due to the resistance of the leads is trifling as compared with the loss that would be experienced were the same leads used for parallel lamps. For this reason parallel arc lamps are not often used, although they have the advantage that they can be so adjusted as to render it possible to join them in parallel with incandescent lamps. In all cases it is essential that the lamp should automatically 'strike' its own arc, or cause the carbons, when in contact, to separate to the required distance, and this action must perforce be controlled by the main current, that is to say, the separation of the carbons must always be brought about electrically, and the coil used for the purpose must always be placed in the main circuit. This coil is usually referred to as the main, or the series coil, the latter term being employed because the coil is joined in series with the carbons. When lamps are joined up in parallel, a small resistance coil is placed in series with each lamp for steadying purposes. Without this resistance, a slight variation in the length and resistance of the arc, or the reduction in the resistance of the carbons as they burn away, would cause a sensible variation in the current strength; but the use of a resistance coil reduces the percentage of the variation in the resistance of the particular branch, and therefore keeps the current strength more nearly uniform. To compensate for the loss of power in the 'steadying' resistance, the E.M.F. provided is about 5 volts higher than that provided per lamp when joined in series. With lamps joined in series this extra resistance is unnecessary, because when the resistance of any one lamp varies, the current strength is not appreciably affected; the other lamps in circuit with it, in effect, act as a steadying resistance, and tend to keep the current strength constant.

If the source of light is for focussing purposes required to remain stationary, which is, for lighthouse or lantern work, of paramount importance, both carbons must be automatically movable, at their respective rates of consumption; but when this is not absolutely

[illegible]



29  
 34  
 at  
 of  
 h  
 th  
 ck  
 or  
 tw  
 ot  
 Th  
 thi  
 pa  
 fro  
 up  
 cui  
 and  
 sh  
 con  
 bei  
 The  
 dia  
 upo

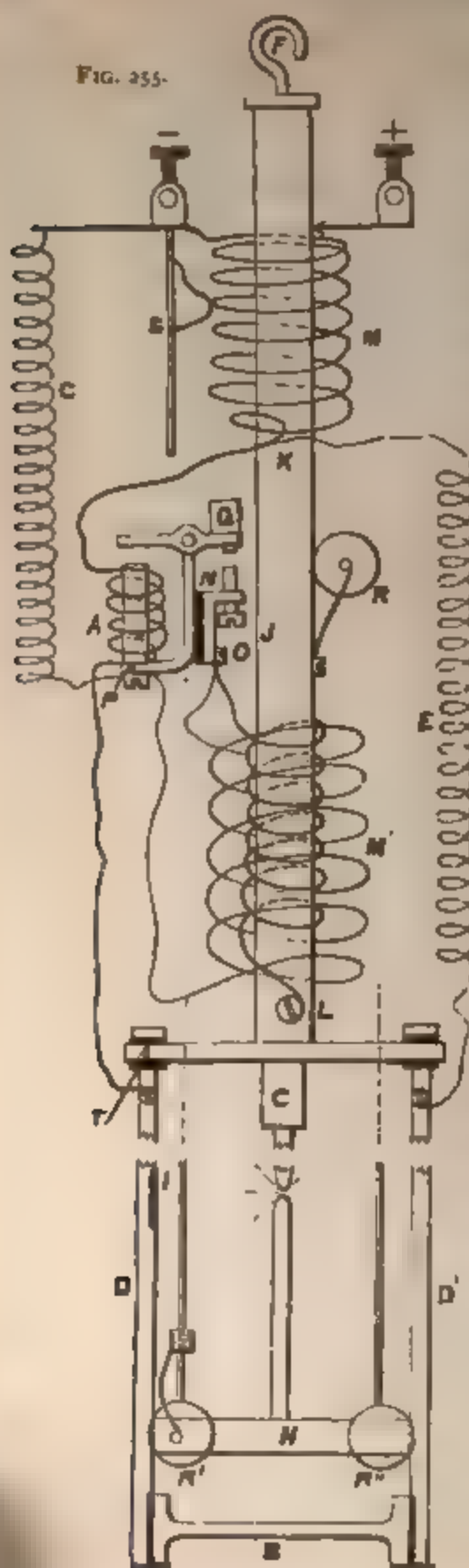
The resistances of the coils  $M$  and  $M'$  are so adjusted that, the arc having been struck and having arrived at the proper length, the action of the coils upon the core is exactly balanced. Any increase in the resistance of the main or series circuit, caused by an increase of the length of the arc, disturbs this balance, increasing the current through the shunt coil, whence the core, with the upper carbon attached, is attracted downwards by the shunt coil, and in descending again restores the balance, readjusting the arc to its previous dimensions. It will thus be seen that in the event of a disconnection in the arc circuit such as might happen before lighting up, the coil  $M'$  takes the whole of the current, and continues to draw the core down until the two carbons enter into contact. Immediately this happens a heavy current passes through  $M$  at the expense of  $M'$ , and the core and upper rod are raised just sufficiently to establish the arc. It may here be observed that were the core made of a simple cylindrical rod of iron, it would have a tendency to balance itself, or take up its position in the middle of the electro-magnetic field produced by the two coils; and although a variation in the magnetisation of either solenoid would move the core away from that position, it would manifest a tendency to return to it, and in so doing cause fluctuations in the arc. By using the conical core this difficulty is overcome, because as the magnetisation of the preponderating solenoid increases, and attracts the iron, it acts upon a gradually increasing core, so situated that it can never get into its 'best position,' but remains steady at any point in a comparatively long range.

Fig. 254, while serving to illustrate the general principle involved in differential lamps, is really a skeleton diagram of the Pilsen, (which was invented by Messrs. Piette and Krizik of Pilsen, a town in Bohemia,) and which, while simple in construction, works with remarkable steadiness, even under somewhat considerable fluctuations in the current. It has also the advantage that it is practically noiseless.

It has recently passed into the hands of the Gwynne-Pilsen Co., who have simplified some of its details and effected other structural improvements without, however, interfering with its fundamental principle.



FIG. 255.



A detailed diagram of the lamp is given in fig 255. The coil-frame *J* and casing are electrically connected to the positive terminal  $+$ . From *J* the current is transmitted by contact rollers *R* to the inner brass tube *C* (containing the double conical iron core), and thus through the holder to the positive carbon. Thence it passes through the arc to the negative carbon holder *H*, and from thence through the contact rollers *R' R''* to the negative guide rods *D, D'*, both of which are insulated from the bottom plate of the lamp, as well as from each other at *B*. The current being thus divided, one part (the lesser) passes through the iron wire coil *E*, and the greater part through the automatic cut-out coil *A*, these two branches reuniting at *K*, and thence passing through the main coil *M* to the negative terminal marked  $-$ , from which it is carried to the positive terminal of the next lamp in series, or the negative terminal of the dynamo, as the case may be. The negative holder is supported by two cords which pass over pulley wheels and are connected to the brass tube containing the core. This is more clearly indicated in fig. 256, where the cords are shown connected to the rods attached to *H*, *R R'* being the pulley wheels.

of these wheels,  $\mathbf{R}'$ , has very fine teeth cut round it, into the click, which is to be seen above the wheel, engages, so as to allow the wheel to rotate freely for feeding, but to prevent moving in the reverse direction. The cord, therefore, during separation of the carbons has to *slide* along the groove, sufficient friction being in that way introduced to prevent sudden or violent separations.

Were the two holders exactly equal in weight they would counterbalance, but in the more recently constructed lamps, the positive holder is about  $1\frac{1}{2}$  ounce heavier than the negative, so that when current is flowing the carbons run together.

The action of the series current then is to draw the iron core, which the positive carbon is attached, up into the coil  $\mathbf{M}$ , thus striking and maintaining the arc. In order to regulate the lamp, shunt-current is taken from the screw  $\mathbf{L}$ , and passed round a solenoid of stout copper wire, to the insulated bracket  $\mathbf{O}$ , and returning from thence through the shunt-coil proper  $\mathbf{M}'$ , consisting of many turns of fine copper wire (wound in the same direction as the spiral of  $\mathbf{L}$ ), having its other end attached to the bracket  $\mathbf{P}$  of the automatic cut-out, from whence it passes through a coil of German silver wire  $\mathbf{G}$  to the terminal marked  $\mathbf{-}$ . The number of convolutions of the coil  $\mathbf{M}'$  and their resistance are so proportioned that (when the arc has been drawn to a length of about  $\frac{1}{2}$  inch) the attractive action counterbalances that of the main current and the small extra weight of the positive holder. Equilibrium being thus established, the arc is maintained at its normal length and resistance, so long as the current is kept constant. If by any accidental cause (such as the fracture of a carbon, mechanical injury, or the breakage of a cord), the main current ceases to flow from  $\mathbf{C}$  to  $\mathbf{D}$ , the magnet  $\mathbf{A}$  of the automatic cut-out fails to hold its armature, which by reason of its unbalanced position falls in the opposite direction, thus closing a circuit from the screw  $\mathbf{N}$  on the insulated bracket  $\mathbf{O}$  to the main current *via*  $\mathbf{L}$ ,  $\mathbf{O}$ ,  $\mathbf{N}$ ,  $\mathbf{Q}$ ,  $\mathbf{-}$ , and so preventing a complete interruption of the shunt-coil  $\mathbf{M}'$ . The carbon holders are provided with a strip of ivory insulation, which when the carbons are nearly burnt out, the

contact roller  $R^1$  ceases to make contact, the current ceases to flow round the magnet  $A$ ,  $Q$  falls, and the lamp is cut out of circuit. The function of the alternative path from  $R$  through  $D^1$  and of its iron resistance  $E$  is that when the lamp is burning, the resistance  $E$  causes the greater part of the current to pass *via*  $D$ , thus securing the efficient action of the magnet  $A$ , and preventing the lamp from becoming prematurely cut out. When owing to exhausted carbons the lamp is in process of cutting out naturally, the contact roller  $R^1$  in passing from  $D$  on to the insulating strip  $I$ , would carry an arc after it from  $R^1$  to  $D$ , were it not for the temporary path afforded from  $D^1$  through  $E$ , until such time as the main current had been diverted through the path  $L, O, N, Q, G$ . The German-silver coil,  $G$ , has no action upon the working of the lamp; it is a compact form of resistance, equivalent to the apparent resistance of the lamp, to be thrown into the main circuit, when the lamp is cut out automatically; it is superfluous with a self-regulating dynamo.

A view of the interior of the lamp is given in fig. 256, in which the lettering corresponds to that employed in the diagram, fig. 255. It will be observed that a means of final adjustment is provided by the movable contact  $s$ , which can be used to cut out one or more of the convolutions of the main coil  $M$ . The friction roller is here lettered  $r$ , and as already mentioned,  $R$  &  $R'$  represent the pulley-wheels over which the cords connecting the positive and negative holders together, are passed.

A sectional view of another form of the lamp is given in fig. 257, in which the two coils  $M$  and  $M^1$  are wound on the same bobbin, but in opposite directions. The long conical core is clearly shown at  $D$ . The negative holder is suspended in the same way as in the bi-conical form, but the pulleys and other parts such as the cut out are not shown in this figure. The lamp is also made with horizontal carbons, so as to render it suitable for rooms with low pitched roofs, and it will be seen that the absence of mechanical control facilitates considerably the alteration in the design. It should be added that the workmanship of the Pilsen lamp is of the highest order; the finish is unusually good, and all pulleys, rods, and the working parts generally, are electroplated.

Another very simple and efficient lamp is that invented by Mr.

FIG. 256.

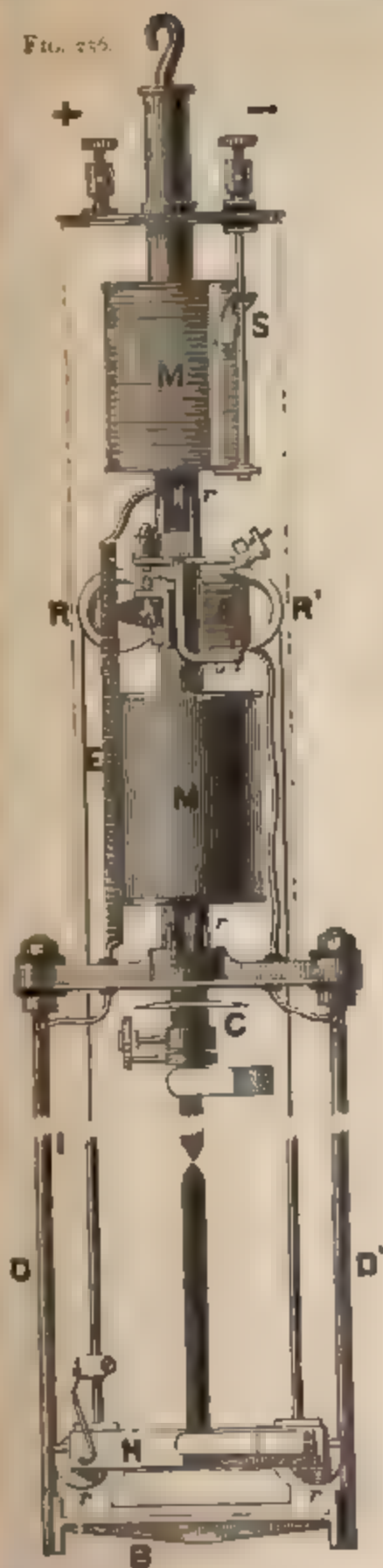
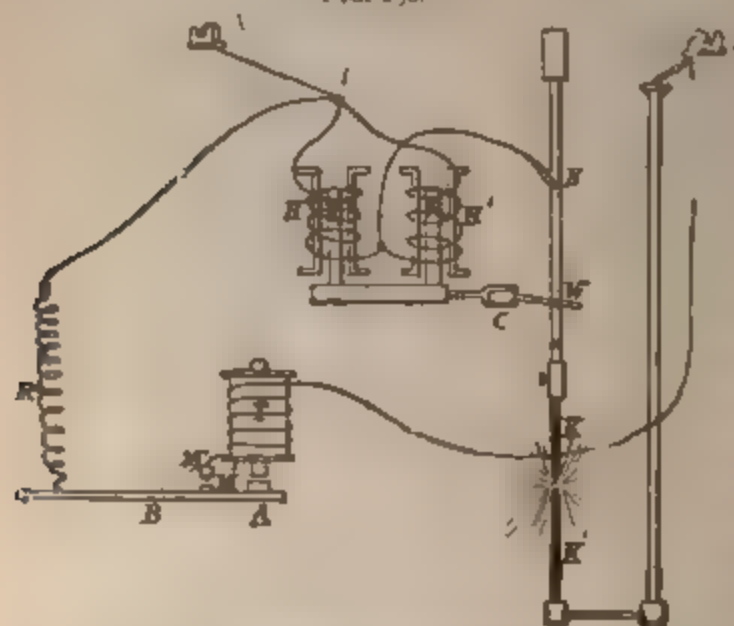


FIG. 257



C. F. Brush. It was one of the first and it certainly remains one of the best of modern arc lamps. A great feature of it is the extreme simplicity of the mechanical arrangement. The principle is illustrated in fig. 258. The terminals  $x$  and  $y$

FIG. 258.



take the form of a pair of brass strips which, by being dropped over horizontal insulators on the under side of the depending board, connect the lamp at the main circuit. The negative carbon is fixed, and the positive carbon is gradually consumed as the arc is lowered in the upper carbon.

positive carbon  $K$ , falling at a corresponding rate.

The current enters the lamp at the positive terminal  $x$ , divides at  $v$  in the main circuit, passing through the low resistance coils  $H$  and  $H'$ , in parallel in such a way as to generate power at opposite poles at the lower ends of the solenoids. On the return coils the currents reunite, and passing by a wire to the carbon holder  $N$ , traverse both carbons, the lower of which is connected to the negative terminal  $y$ . The shunt circuit has a resistance of which is 450 ohms, is made by a thin wire passing round the bobbins  $H$  and  $H'$  in series, then round the cut-off switch  $T$ , from which it passes direct to the terminal  $y$ . The thin wire  $H$  and  $H'$  is wound outside the main coil. Connection is made between  $v$  and the pivoted lever  $B$ , by means of a wire resistance spiral  $R$ , but this will be again referred to presently.

Assuming the carbons  $K$  and  $K'$  to be in contact, the passage of the main current through the coils  $H$  and  $H'$  causes the soft iron cores  $N$  and  $N'$  and their horizontal yoke-piece to be drawn upward. The yoke-piece is provided with a fork  $C$ , which tilts the wash  $W$ , causing it to seize the carbon holder and raise it sufficiently



the arc. Under normal conditions only about 1 per cent.

total current passes through the shunt coils, but when the increases in length and thereby raises the resistance of the circuit a proportionally larger current passes through the long wire coils on  $H H'$ . Being wound in the opposite direction to the few turns of the main coils, the shunt coils cause a diminution of the magnetisation of the cores or plungers  $N S$ , which are fall, and, causing the clutch  $w$  to loosen its grip of the  $r$ , allow the positive carbon to fall, by the force of gravitation, until the length of the arc is so far reduced as to re-establish normal division of the current through the main and shunt

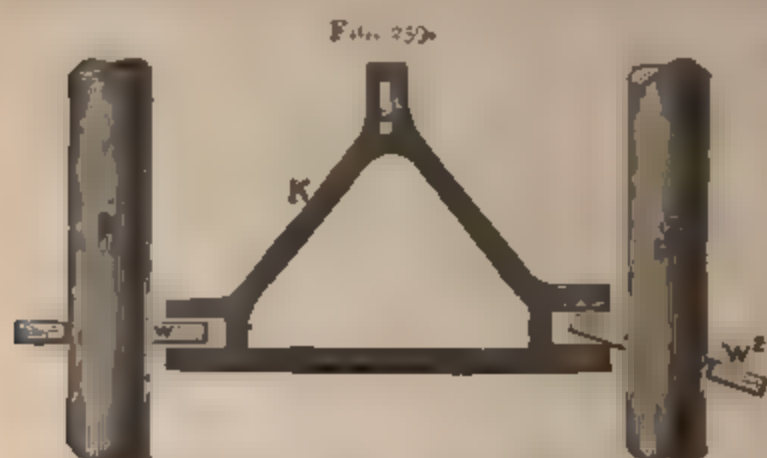
We see then that the function of the thick wire coil is to release the clutch and strike the arc, while that of the shunt coil is to release the clutch, allowing the rod to slide and feed the carbon forwards. As a rule these reactions take place so gradually that the upper carbon is maintained at a uniform distance from the lower, and is simply fed at a rate corresponding with the consumption.

The 'cut-out' coil  $T$  performs a most important function. It is evident that should one of the carbons be burnt away or should from any other cause the maintenance of the arc be impossible, some device is necessary to introduce into the circuit an alternative path of about the same resistance as the arc. The way in which this is accomplished in the Brush lamp is ingenious. It will be remembered that the shunt circuit includes a large number of many turns of thin wire on the bobbin,  $r$ . Now when this shunt circuit is broken, the whole current has to pass through the main circuit, and the coil  $T$  is so adjusted that when this increased current passes through it, but not otherwise, its core becomes sufficiently magnetised to raise the armature  $A$ , and with it the lever  $B$ . This lever carries the small contact stud  $M$ , which on rising makes contact with another stud  $M'$ , which is connected to a short thick wire coil round  $T$ , the other end of which is connected to  $v$ . It follows that under such circumstances a low resistance circuit is established from  $v$ , along  $R$ , and  $B$ , to  $M$ , and thence to  $v$ .

Were it not for the high resistance of the shunt coils, they could be employed for this purpose, but under the circumstances

such a plan is obviously impracticable. Of course as the main circuit is disconnected, the positive carbon-holder is not attracted with by the clutch, and can therefore, if only a portion of its carbon has been broken off, descend and re-establish the arc, when the current flowing through the thick coil on  $\tau$  will be diminished and the cut out circuit disconnected.

Usually the Brush carbons are a foot long and last for eight hours or thereabouts. When, however, a longer period of lighting



is likely to be required, lamps with two pairs of carbons are employed. The device for 'changing over' from one pair to the other is purely mechanical and is illustrated in Fig. 259. The positive

carbon-holders  $R^1$  and  $R^2$  are parallel one to the other, and each is furnished with a washer clutch, as shown at  $w^1$  and  $w^2$ . These clutches are operated by a small frame  $K$ , which is supported by the lever (shown in section at  $L$ ) attached to the plunger or soft iron core of the striking and feeding solenoids. By the very simple device of making one of the forks in the frame  $K$ , higher than the other, this higher fork tilts its clutch before the other begins to act, and consequently lifts its corresponding carbon holder a greater distance than does the other. At the moment when the first carbon is raised, it is short-circuited by the other, when the next moment is also raised. The arc then establishes itself across the lesser distance, and in all subsequent feeding and controlling movements the pair of carbons across which the arc was first started are alone affected, because, although both positive carbons are raised and lowered together, the ends of the reserve carbons never come into contact, and the E.M.F. is insufficient to start an arc across the air space which separates them. When the one pair of carbons have been so far consumed that they cannot meet when the frame falls, the circuit is completed through the reserve

bons, and the arc established, after which it is maintained by same apparatus acting in the same way as with the first pair.

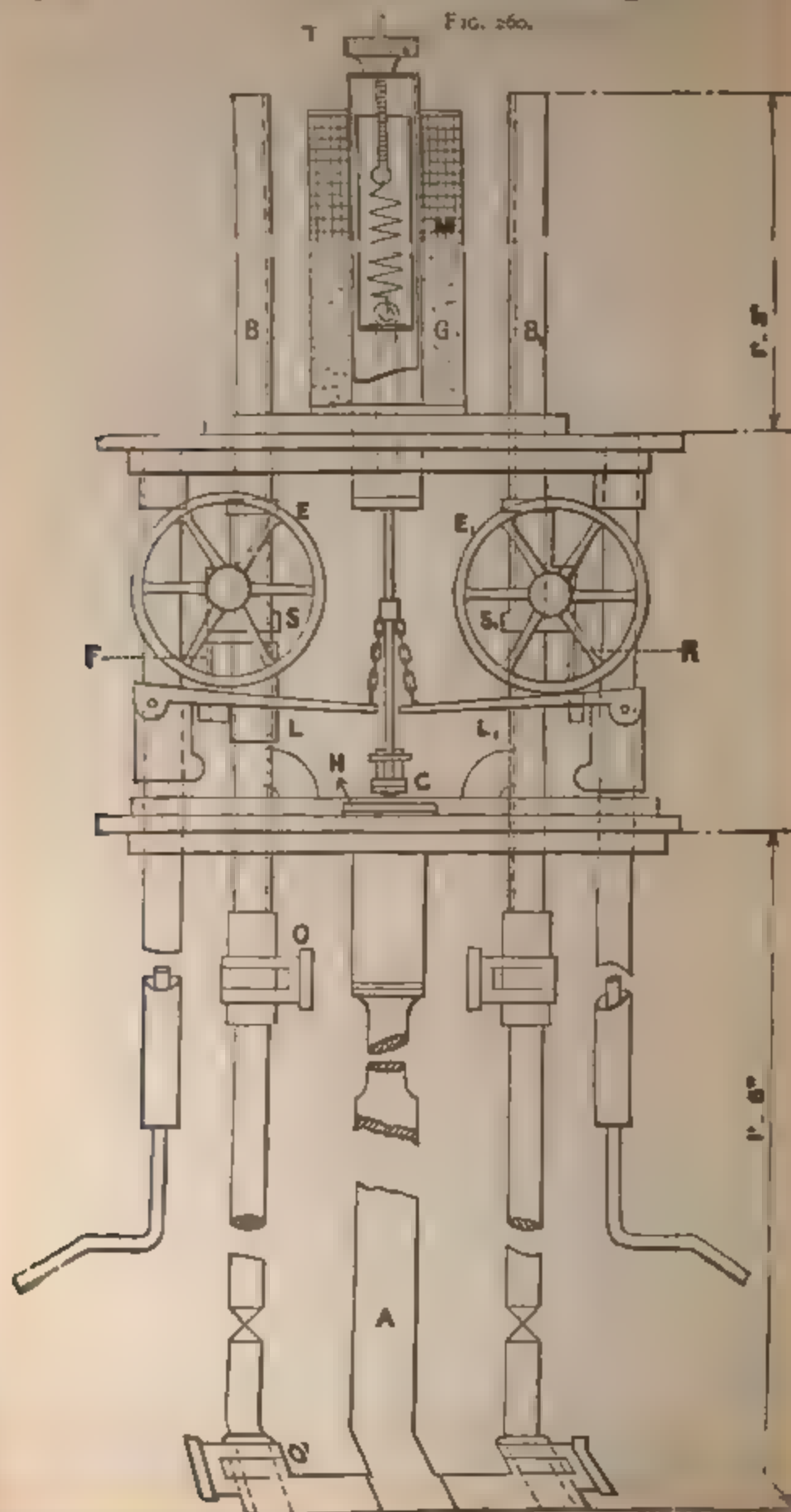
The construction of the double arc lamp invented by Messrs. Crompton and Crabb is illustrated in fig. 260.

The two positive carbons are carried by the rack-rods B and B<sub>1</sub>. Sliding on each of these is a light gun metal sleeve, s s<sub>1</sub>, carrying ratchet wheels, to which are attached the two large brake wheels, E E<sub>1</sub>, between them the pinion which gears into the racks. These brake wheels rest upon a pair of levers, L L<sub>1</sub>, the outer ends of which are pivoted to the framework of the lamp, their inner ends being connected by links to the core of the solenoid, which is placed in central position vertically above the two inner ends of the levers. The solenoid is differential, G being the shunt and M the main wire, and the core is partially supported by a spring. The tension of this spring can be regulated by means of the screw T, which is turned to the right to increase its length, and to the left to decrease it.

Projecting vertically downwards from each sleeve, s s<sub>1</sub>, to a distance from the centre of the spindle about equal to the radius of the brake wheels, is a stout pin or finger, F F<sub>1</sub>, the action of which is interesting.

Suppose the rack-rod to be drawn up, then if the lever be raised by the solenoid above the horizontal position, the whole weight of the rod and carbon is supported on the edges of the brake wheels, and the friction of them on the surface of the levers is sufficient to prevent their revolution; hence this rack-rod cannot come down. But if the levers be below the horizontal, then the weight is carried by the finger projecting from the sleeve, as shown in fig. 260; the wheels are free to turn, the rack runs down, and continues to do so until the positive and negative carbon points come in contact. Now, if the current be switched on by its passage through the main wire of the solenoid, the levers rise, striking the carbon points, and at the same time applying the brake to the wheels. The combined action of the shunt and main currents on the solenoid core automatically adjust the length of the arc. If this becomes too great the increased current through the shunt draws down the levers, and levers, the brake wheels are left free to revolve, and the arc shortens. On the other hand, if the carbon points be too close

FIG. 260.



*Pilsen Lamps*

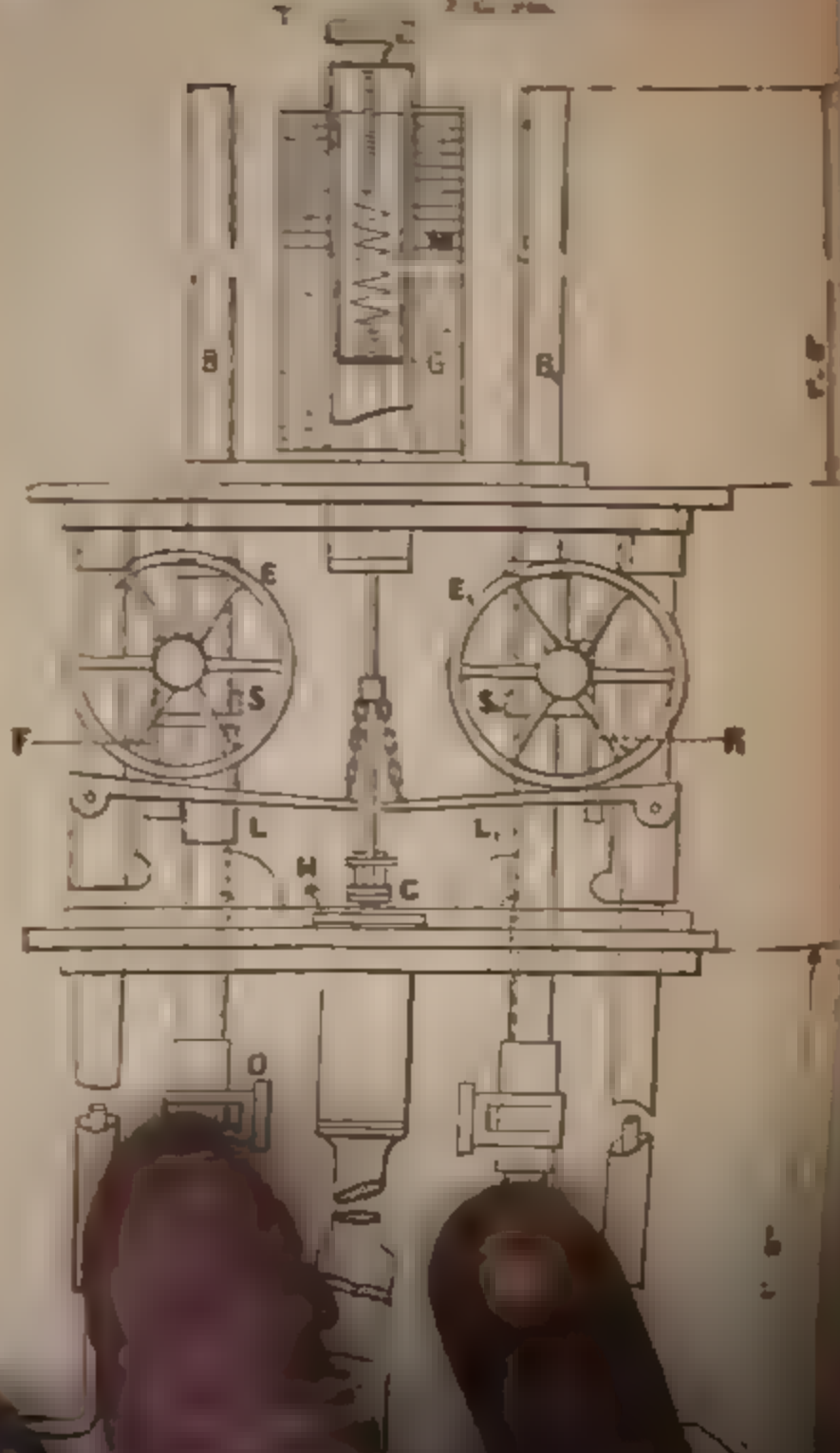
Fig. 256



Fig. 257







is attached to the frame H D. The pinion G gears into the larger bevelled wheel E, on the axis of which is a pinion C engaging with the rack R of the positive carbon rod. This rod carries a weight W, which enables it in descending to lift the negative rod V X. When no current is flowing the brake lever N rests on the screw S, which releases the brake wheel and allows the carbons to come into contact. The current enters at the positive terminal on the right hand of the figure, passes through the framework of the lamp to the rod V, and thence to the positive carbon. It returns from the negative carbon by the insulated rod X and flexible wire attached to it, passing through the thick wire coil on A, and from this to the negative terminal. The magnet attracts K, raising the frame H D, thus causing the lever N to grip the brake wheel and, by turning E and C, to raise V and lower X for the purpose of separating the carbons and forming the arc. As the carbons consume, the difference of potentials at the terminals rises and the current in the fine wire coil round A, which is connected as a shunt to the lamp terminals, increases. This weakens the electro-magnet A and allows the frame H D to fall and the carbons to approach. When the lever N comes in contact with the screw S, the brake is released, allowing the carbons to approach as the consumption continues. If the carbons burn out, or if from any other cause the circuit through them is broken, the frame H D drops on the contact pillar M; this completes the circuit from the lamp frame through the German silver resistance R to the negative terminal, thus preventing a break in the continuity of the circuit when several lamps are joined in series.

The Brockie-Pell arc lamp is illustrated in fig. 263; the main and shunt coils are wound on separate bobbins fixed parallel to one another, the main or series coil being that on the left side of the figure. The two cores pass through the ends of, and operate a 'see-saw' lever which is pivoted at its centre. The two carbon-holders are connected by a cord passing over a pulley wheel pivoted on the base of the lamp-case. The upper or positive holder is provided with a rack-rod which gears into a pinion; the spindle of this pinion works in the frame of the lamp and carries a comparatively large wheel having a strong broad rim, against which a brake in the form of a small leather roller is

applied. The lever carrying this brake turns on the weighted shaped lever, which is loosely pivoted but moves solidly with the brake wheel, its descent being, however, limited by a stop

FIG. 263.

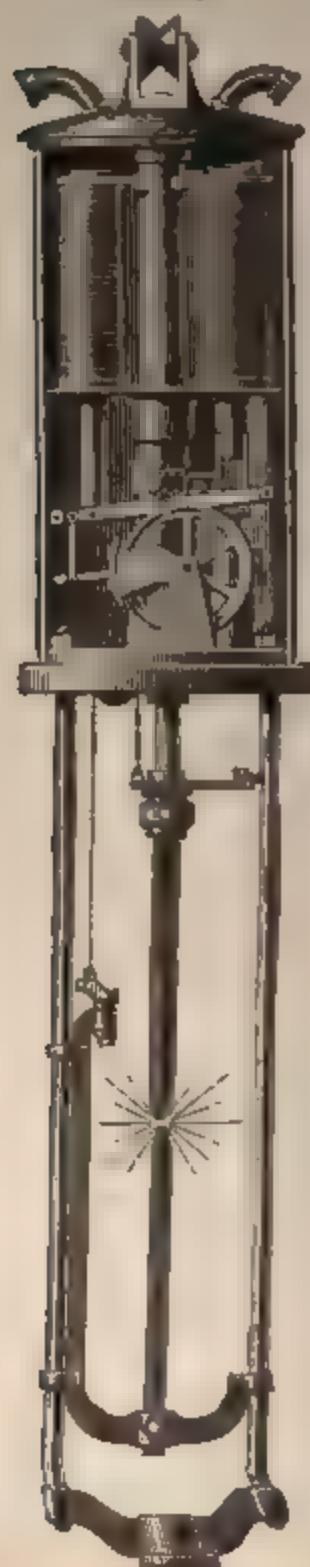
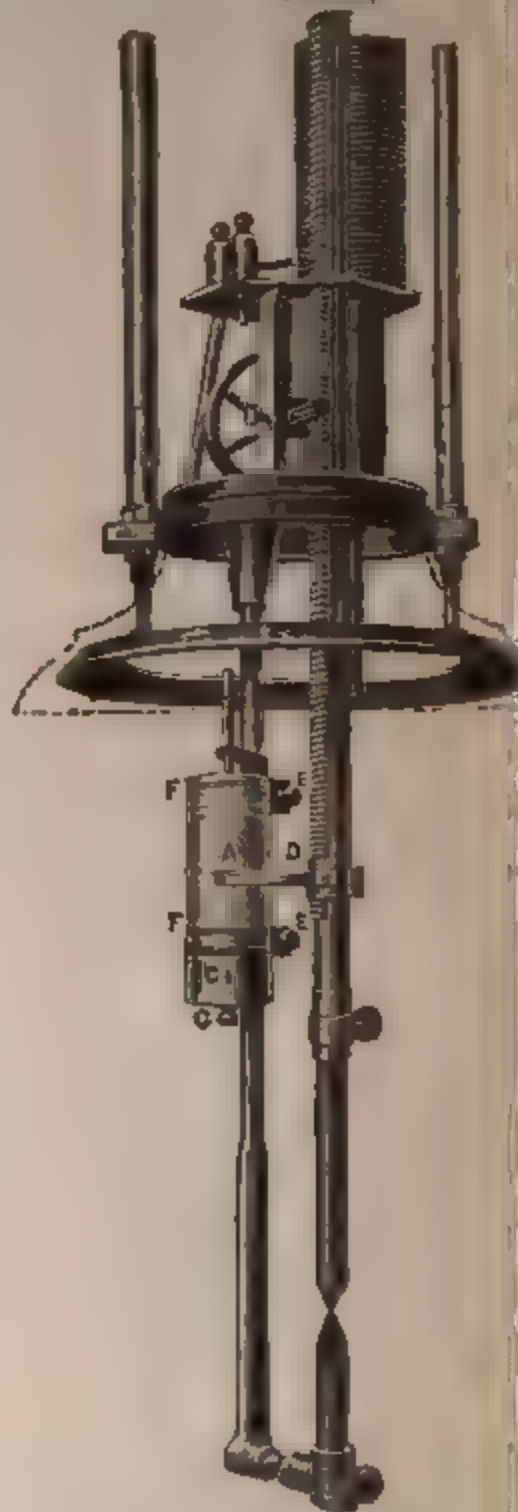


FIG. 264.

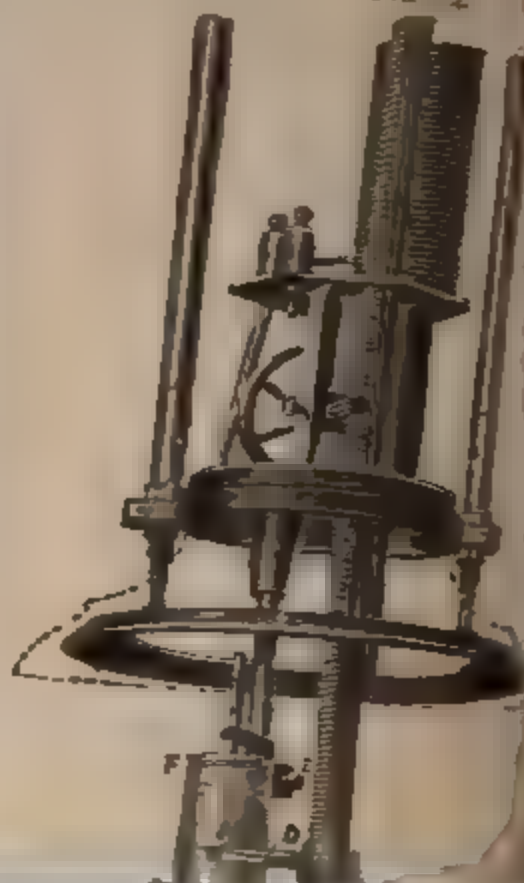


applied. The lever carrying this brake turns on the wedge-shaped lever, which is loosely pivoted but moves with the brake wheel, its descent being, however, limited by

FIG. 283.



FIG. 284.



of the brake-lever is connected with the link supported  
saw lever. The action of this mechanism is as follows:

On the passage of the current the left hand end  
and of the lever, depresses the brake to the wheel, and thus  
the carbon, the negative carbon being raised in the  
time. The arc is therefore established. As the current  
and the main current diminishes, the short current  
and the other end of the saw lever is elevated.  
The brake lever is depressed, the brake wheel  
and the carbons allowed to feed together. Thus the  
place readily, the feed being practically continuous, and  
light is the result. The mechanism for raising  
carbon holders to operate with any particular strength,  
by means of weights. As compared with the mechanism of  
the mechanism is simple and strong.

Fig. 264 is illustrated a form of arc lamp devised by Mr. I.  
for workshop use. The lettered portions of the apparatus  
form a part of the lamp, but is attached for experimental  
and will be explained presently.

The lower carbon is fixed, and the upper one is carried by a  
rod which engages with a pinion carried on a horizontal

On this same spindle, and just behind the pinion in the  
is fixed a large grooved wheel round which passes a small

One end of the chain carries a peculiarly shaped weight,  
the other end is fixed to the lower extremity of the core of the

regulating solenoid, seen to the right at the top of the figure. Fig.  
illustrates this arrangement more clearly, and also gives a sec-

of the weight. It is the rack-rod which carries the upper carbon,  
engages with the pinion K, while L is the large grooved wheel,

on the same spindle as K, round which the chain C passes once.  
The point at which the chain is fixed to the core of the regulat-

ing solenoid. When it is required to separate the carbons and  
the arc, the solenoid is sucked upwards into the solenoid, and

the chain C causes the wheel L to revolve. This  
moves the rack rod by the pinion, on the well-

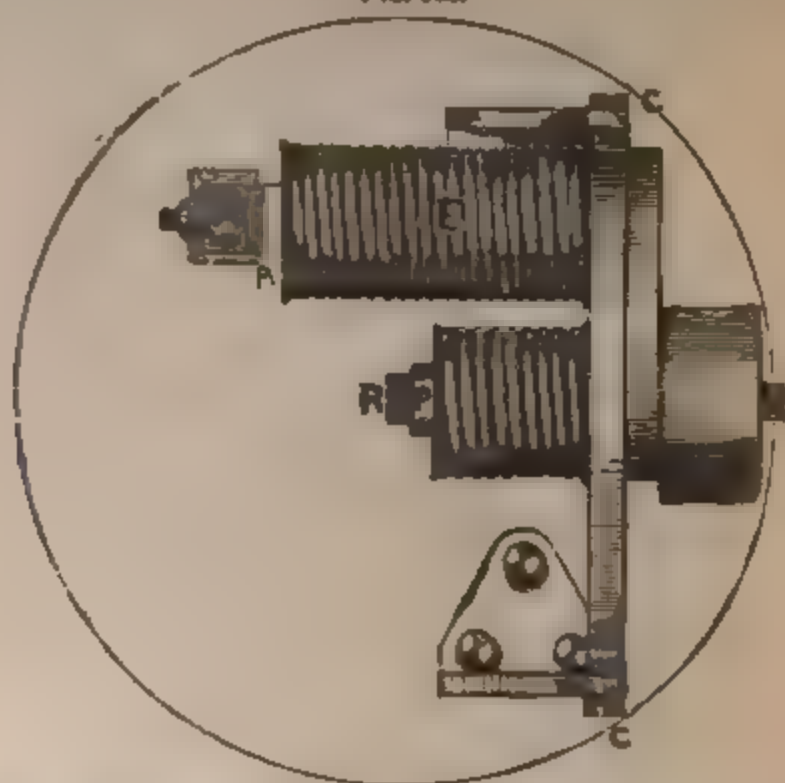
and the upper carbon being lifted  
is struck. The chain is prevented

from falling by the weight at its lower end. This



parallel working, and has, therefore, neither a shunt coil nor a cut out. It is consequently very simple in construction, as will be gathered from the plan given in fig. 266, and the elevation in fig.

FIG. 266.



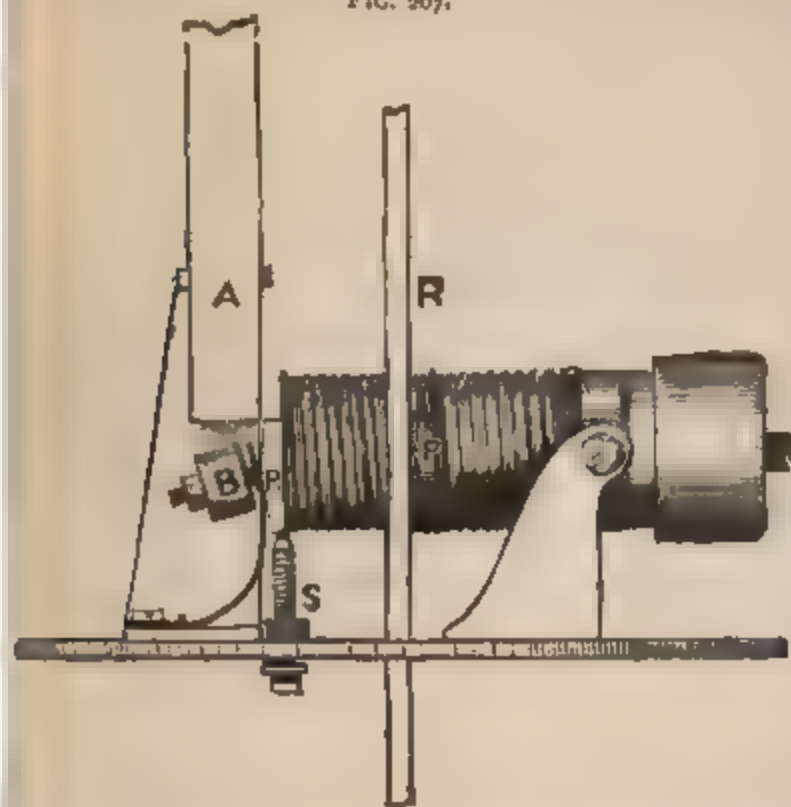
267. The regulation of the lamp is effected by an electro-magnet of the horse shoe type, E, which is capable of rocking within certain limits, on the centres C C'.

On starting the lamp the pole P attracts the iron rod R which carries the upper carbon, and holds it with a force proportional to the strength of the current flowing through the lamp. At the same time the other pole, P<sub>1</sub>, is attracted towards the fixed armature A, and the magnet moving upwards carries the upper carbon rod with it, and thus strikes the arc.

As the carbons are consumed the resistance gradually increases, and the current diminishing at a corresponding rate there is less magnetic attraction towards the fixed armature; the magnet then falls to its original position of rest, supported by the stud S (fig. 267), and causes R to approach the lower carbon so to maintain the arc, the current strength being at the same time increased proportionally.

consumption of the carbons is continued and the length is therefore increased, the current is again diminished. At this diminution the magnetism is so reduced as to allow the

FIG. 267.



holder *R* to slip until the arc reassumes its proper length, normal current is re-established, when the magnet is once enabled to support the weight of the rod.

In practice the rod is continually slipping by imperceptible and compensating exactly for the consumption of the

to avoid sudden jerks in the action of the rocking magnet, a brake *B* is employed, which introduces friction in inverse proportion to the length of the arc. The two carbon holders are moved by a cord passing over a pulley wheel, so that the two approach or recede simultaneously.

The lamp is constructed in various forms, but in all of them simplicity of parts is maintained. The globe is fitted to sliding rods and can be drawn down out of the way so as to expose the carbon-holders and facilitate the renewal of the

parallel working, and has  
out. It is consequently  
gathered from the plan giv



267. The regulation of  
of the horse shoe type,  $E$   
limits, on the centres  $c$   $c$

On starting the lamp  
carries the upper carbon  
to the strength of the  $c$   
same time the  $c$   $c$   $c$   
ture  $A$ , and the  
rod with it, and

As the carb  
creases, and the  
is less magnetic al  
magnet then falls  
stud  $s$  (fig. 267), a  
so to maintain the  
time increased propor

... such as ...  
... as ...  
... enclosed ...  
... a substance ...  
... this case, the ...  
... remarkably neutral ...  
... as this ...  
... fact impracticable, the carbon ...  
... or gas-retort ...  
... of the artificial ...  
... cell, were ...  
... small ...  
... practical ...

Men were not long in conceiving the idea of employing the heating effect of a current upon a conductor for illuminating purposes, and patents based upon this principle were taken out nearly fifty years ago. But these early efforts were one and all of them failures from a commercial point of view, although some of them were identical with many of those of a comparatively recent date. It was seen that a conductor of high specific resistance was necessary, and this limited the number of materials available. This number was further reduced by the fact that most conductors either melt or volatilise at comparatively low temperatures. In fact, the temperature of white heat is attained. Iron, which is cheap and has a high resistance and which might therefore be considered a suitable substance, unfortunately melts at a comparatively low temperature. It is for this reason useless as an illuminant. It also oxidises or combines with the oxygen of the air as its temperature rises. German silver is for similar reasons not available. We are, indeed, limited among the metals to the expensive platinum or its alloys, unless we take into account the experiments which have been made with iridium, a most expensive and very scarce metal, and which, if equal to the requirements, could probably not be procured in sufficient abundance to meet the demand. Platinum is capable of being raised to a bright white heat, and can then emit light of dazzling brilliance. It has also the advantage of being practically inoxidisable. The critical temperature is, however, suddenly reached; that is to say, above a certain point, a slight increase of temperature suffices to produce liquefaction, and therefore to cause a rupture and so disconnect the circuit. It must also be remembered that the resistance of metals increases materially with an exaltation of temperature, a fact which hastens the fracture of the wire. Efforts have been made to prevent this overheating by means of automatic regulators, which short-circuit the lamp when the current reaches a certain predetermined strength, and so cuts off the current just at the moment that there is a risk of breaking the wire. Some of these are clever laboratory expedients, but nothing more. If, then, we had been restricted to metallic conductors, electric lighting by incandescence would long since have been given up as impracticable. Carbon, however, which is a non-metallic body, is a suitable



and conductor of electricity, although of considerably higher specific resistance than platinum. A very remarkable feature pertaining to it is that its resistance decreases with an increase of temperature. It is a substance which cannot by any ordinary means be melted or volatilised (although a temperature has been attained at which it becomes flexible), so that in this respect it is superior to platinum or any other of the metals. It however oxidises readily when heated in an atmosphere containing free oxygen, such as ordinary air. This difficulty was for a long time insurmountable, although many efforts were made to overcome it, such as placing under a glass receiver or shade, and depriving the enclosed air of its oxygen by means of a piece of phosphorus, a substance which oxidises readily at ordinary temperatures. In this case, the carbon is suspended in an atmosphere of the remarkably neutral inactive gas nitrogen. But even such an arrangement as this was soon found to be clumsy, unsatisfactory, and in fact impracticable. Even supposing it to have been otherwise, the carbon procurable was very defective. Thin rods of graphite or gas-retort carbon such as is used in the Bunsen cell, or sections of the artificially prepared material such as is used in the Leclanché cell, were used; they could not, however, be obtained of sufficiently small sectional area, and were too irregular in structure to prove practically useful. Efforts were also made, and with a better prospect of success, to accomplish the object in view, by placing the carbon in the then best obtainable vacuum. The vacua were for a very long time far from perfect, and as a consequence the durability of the carbons was very brief, but when it was shown how it was possible to secure an all but perfect vacuum, a fresh impetus was given to the idea of lighting by the incandescence of thin pencils or, as they were subsequently called, filaments of carbon. Since then, the real improvements that have been made have been in the formation and fixing of these filaments, which can now be prepared from almost any substance having a large proportion of carbon in its composition. As organic substances consist to a great extent of carbon, and as these substances can generally be decomposed somewhat readily, it is only natural that they should form the basis from which the filaments are manufactured. Filaments as they are now made, can be divided into two classes, (1) those in which the fibrous

structure of the carbonaceous body is retained, and (2) that in which the original or organic structure is altogether destroyed during the process of manufacture, and the material rendered thoroughly homogeneous. To the first class belongs the Edison lamp, and to the second class, the lamps of Swan and the majority of other inventors. It is a remarkable fact that Edison asserted in his patent that to give the carbon the highest possible resistance to the smallest tendency to disintegration, it should retain its structural character, and that such carbons alone possess these qualities which are impaired by any treatment tending to fill the cells or pores with unstructural carbon, or to increase the density or alter the resistance of the fibre. Swan, on the other hand, maintained that the structure of the material should be entirely destroyed, and the carbon filament made as dense as possible. Although good and efficient lamps can be manufactured in accordance with either of these principles, experience seems to show that the latter, the homogeneous filament is the better of the two.

In attempting to deal more specifically with the manufacture of incandescent lamps, we are met with two serious difficulties: the first is due to the enormous number of processes which have been introduced, but to the great majority of which the limited purpose of this work will not permit us to refer. Legal decisions which have been given in recent actions between the various lamp makers, have however considerably reduced the number and variety of processes actually in use. The second difficulty arises really from a kind of jealous fear, for the practical makers of lamps regard their methods as secrets which it is their bounden duty to keep religiously to themselves.

It might have been gathered from what has already been said that the chief desiderata in a good lamp are, (1) that the filament shall be sealed in an airtight vacuum glass vessel; (2) that efficient means shall be provided for connecting the filament with the external circuit; (3) that the filament shall offer considerable resistance; (4) that it shall have a small mass, so that its temperature shall be raised as much as possible by a given quantity of electricity; (5) that it shall be durable at high temperatures in a vacuum; (6) that the lamp shall be capable of being manufactured at a low cost, and of any desired dimensions or resistance. As yet

547

wires  
being  
leads.  
loops,  
brass

action has been of just sufficient duration, but not lasting too long, the change from the fibrous to the homogeneous state will be readily seen. It should then be placed in water, well washed and dried. The drying is best performed by stretching the thread gently in a straight line, or if too lengthy, over a series of pulleys. If the thread is left in the acid too long, the solution is carried too far and the thread weakened, so much so as to be able to bear its own weight even in a length of a few inches. The same thing happens if the thread on being removed from the acid is placed on a plate or piece of glass, instead of being once immersed in the water; the acid remaining in the threads completes the dissolving process and liquefaction ensues. It is possible to remove the thread from the acid too soon, the defect then being that the destruction of its fibrous character is only partly performed.

The thread having dried, it is next cut to a uniform gauge throughout, which is done by drawing it through a series of dies decreasing slowly in diameter. It is then subjected to the process of 'carbonising,' or converting it into a solid carbon filament. The thread is first wound on a frame consisting of two round carbon or porcelain rods kept in position by bent brass into holes in two side-pieces. The round rods are sufficiently far apart to make each bend of the thread correspond to one filament for it is in the process of carbonising that the filament is deformed. In order to make the loop, which was at one time one of the characteristic features of the Swan filament, the thread is turned twice round one of the carbon rods in the frame before passing to the other rod. One object of this formation is to get a long filament in a comparatively small bulb. The frame having been filled, pieces of cardboard are placed on its sides or faces to prevent accidental injury to the threads, the whole being then wrapped round with paper. A number of such parcels is placed in a tin can or cast-iron box, until the vessel is nearly full. Powdered charcoal having been shaken over the contents to fill up any spaces that may have been left, the lid is placed in position, and as tight joint made with a little fireclay. As the powdered charcoal gets hot it absorbs any free oxygen that may be in the can and prevents any getting to the filaments. were it to do so

speedily destroy them. The crucible being thus prepared, is placed in a suitable furnace and raised slowly to a white heat. A gradual increase of temperature is important in determining the uniformity of the filament. Too rapid an increase in temperature would alter the dimensions of the frame and cause the filaments to sag, so that the form of the filaments would be more or less distorted. The high temperature is necessary to render the carbon hard and durable, to increase its conductivity, and to reduce its capacity for holding atmospheric and other gases within its pores. This last-mentioned feature is not only interesting, but it is fraught with the utmost importance. All substances are more or less porous, and have the power in varying degrees of excluding gaseous particles within those pores, a power or property known as occlusion. As the temperature of a body rises these occluded particles expand and force themselves through the substance, frequently causing minute fissures; with some substances, such as carbon in its ordinary form, this process of occluding gases returns with a resumption of the normal temperature. It is, therefore, imperative that the nature of the carbon should be so altered as to prevent this taking place. Hence the necessity for thorough carbonisation at a high temperature. This alteration in character of the carbon is continued in the next process, which is that of 'flashing.' Before proceeding with this process, however, the filaments are cut to about the desired length, sufficient margin being allowed for making connection with the platinum wires, which pass through the bulb to the external circuit. The filament is then held by a pair of clips connected with suitable terminals, by means of which a dynamo, or, if still, a battery of secondary cells, can be joined on. The heated filament is then placed in an atmosphere of some hydrocarbon, more generally ordinary coal gas (which is rich in hydrogen), and traversed by brief currents sufficiently strong to raise portions of it, to a white heat. The effect of this process is to rapidly decompose the gas, which is at the ordinary atmospheric pressure, and to cause a deposition of carbon particles on the surface of the filament. Should there be, as is generally the case, an inequality in the filament, causing a variation in its resistance, the portion will be raised to a higher temperature than another,



and upon this hotter section a greater deposit of carbon will take place. The flashing process is therefore continued until the carbon assumes a uniform temperature, that is to say, until it becomes uniformly luminous throughout. The process also serves to reduce the power of occluding gases in the interstices between the particles. The filament is next placed in an exhausted receiver, and a continuous current passed through it, the result being that the carbon is hardened, the conductivity increased, and the power of occlusion eventually destroyed; but to bring about these results the temperature must be raised to a white heat the current being maintained until the resistance is reduced almost to the required limit. The final flashing may, however, be reserved until the filament is fixed in the bulb and ready for finishing off. Platinum wires are always employed in mounting the filaments, as it is the only metal which has a coefficient of expansion nearly equal to that of glass; that is to say, it expands or contracts with variations of temperature at almost exactly the same rate as glass, so that it can be fused into that material without any risk of its subsequently fracturing the glass on cooling. The wires are first fused along the sides of a short piece of glass rod, or have a true molten glass twisted round them while they are held in position. In the former case, a piece of glass tubing is fused over the rod, thereby encasing the wires for a portion of their length. The connection with the carbon is made by flattening out the ends of the wires into minute plates, which are then bent gently round the ends of the filament, to which they are fixed with carbonaceous cement. The joint is completed by carbonising the cement by means of a strong current sent through it. Instead of using the cement, the joints are sometimes perfected by immersion in a hydro carbon liquid or gas, the filament being short-circuited and the joints raised to incandescence by a strong current, causing a decomposition of the hydro-carbon, and a deposition of the carbon upon the joints. There are several other methods of mounting, but they are mostly based upon or are modifications of those above described.

The next process is that for exhausting the bulb of its contained air and moisture. This has to be performed carefully, and it is here that some of the greatest difficulties are met with.

vacuum obtainable in an ordinary mechanical air-pump is, as already indicated, far from perfect, and useless for the purpose. There are, however, two types of mercurial air-pumps so far superior to the mechanical form that they can obtain higher vacua than are actually required for lamp-purposes. It is, of course, well known that if a long glass tube, several feet long, sealed at one end, is filled with mercury and inverted with its open

end in the surface of the mercury contained in a cistern or other convenient vessel, the liquid metal in the tube will sink until its surface is about 30 inches below the surface of the mercury in the cistern—until, in fact, the sufficient height of mercury is left in the tube to counterbalance the atmospheric pressure on the mercury in the cistern. It follows that the space in the tube above the mercury is a perfect vacuum.

This perfect vacuum is generally obtained by means of a **Torricellian** pump. In fact, the first

FIG. 268.



of flexible  
upper ex-

space. Consequently as each piston passes the junction of *x*, the air is swept out little by little until finally a very good vacuum is obtained in *R*. When the degree of rarefaction becomes considerable, the pistons fall smartly upon the column of mercury and give out a distinct metallic ringing sound. This hammering frequently sets up such strong vibrations as to fracture the glass and it is this which really limits the length of the shaft. As the mercury falls on the barometric column, an equal quantity is of course, driven out at the lower end, carrying with it, also, the bubbles of air which separate the little plugs. The mercury collected in *H* is replaced in *A* as necessity arises. This process is also very long and tedious.

The exhaustion can be materially hastened by employing a good mechanical air-pump to exhaust the system as far as possible by mechanical means, the process being afterwards completed with the mercury pump. A simple barometer gauge can also be used to indicate, by the height of its contained mercury, the degree of exhaustion obtained.

These are the two systems of pumps upon which the apparatus actually employed in exhausting incandescent lamp bulbs is based. These simple forms are, however, open to many serious objections. A film of air always attaches itself to the surface of glass, and at times some difficulty is encountered in getting rid of it. Air is also supposed to be confined in the mercury itself, but there is some doubt on this point. To get rid of other impurities the mercury should always be distilled, and never allowed to get dirty by contact with brass or any other substance which it is likely to attack. Ordinary air always contains more or less moisture, and to get rid of this the air as it is exhausted from the lamp bulb is made to pass through sulphuric acid or phosphoric anhydride in order to dry it before it is allowed to enter the pump. Grease used for lubricating taps is also injurious for similar reasons, and should, therefore, be avoided. Taps themselves are serious offenders. No matter how perfectly they are made, they must allow some air to enter the pump, more especially when high vacua are obtained, and when, therefore, the pressure of the outer air on the tap is very considerable. To overcome this difficulty, taps are now superseded in the essential vacuum

The other type of mercurial pump to which we have referred is the Sprengel, the fundamental principle of which is illustrated in fig. 269. It consists of a stout glass tube,  $cd$ , 39 or 40 inches

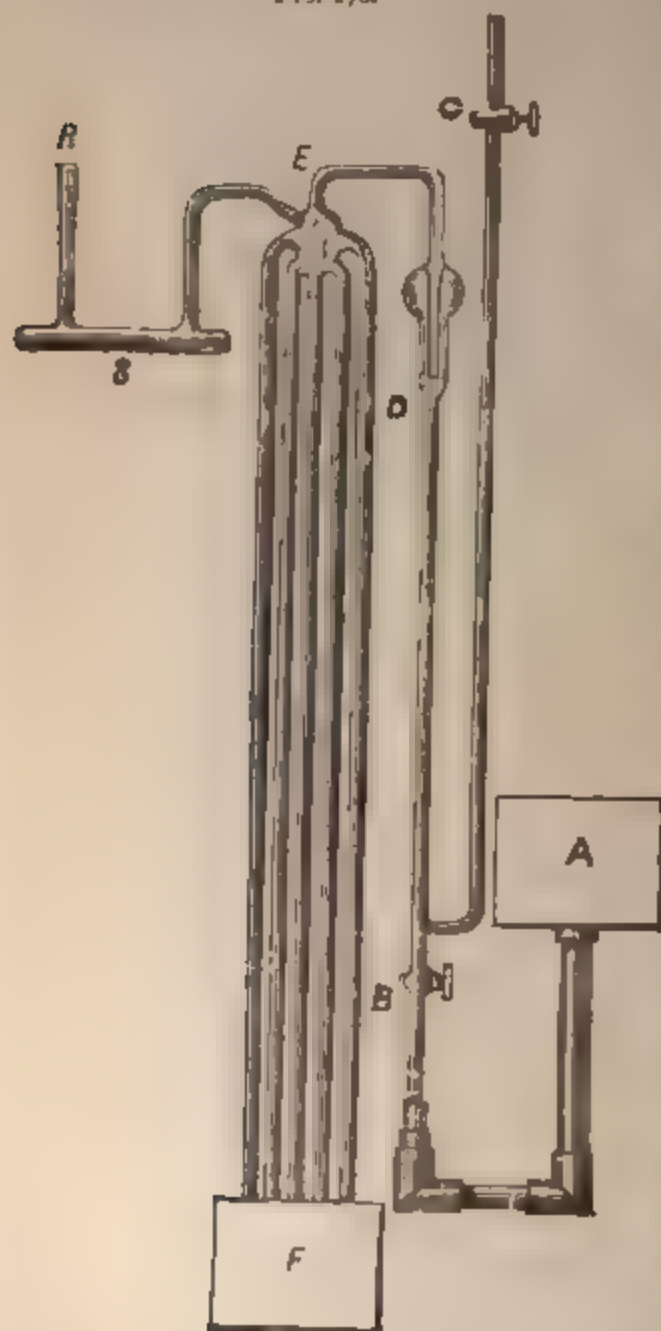
long, with a branch  $x$  connected to the vessel  $R$  to be exhausted. A large funnel-shaped reservoir,  $A$ , supported on a stand, is connected to the top of the tube by means of a piece of india-rubber tubing, the size of which is adjusted by means of a pinch-cock. The lower end of the tube  $cd$  dips below the surface of the mercury in the flask  $B$ , which is furnished with a stopper a little higher than the bottom of  $cd$ , in order to prevent the mercury from passing out into the reservoir,  $H$ . The pinch-cock is so adjusted as to allow the mercury to pass down the shaft a drop at a time. Each drop constitutes a plug or piston which fits closely to the sides of the tube and in its descent drives before it any air that may have been to separate it from the drop beneath it. The tube  $cd$  is to all intents and



poses a barometer, so that the drops of mercury accumulate till a column is formed about 30 inches high, the actual height depending upon the counter-pressure of the outer air at the time being. Hence the distance which the mercury pistons ultimately fall is only 9 or 10 inches. It will be evident that as the drops fall, and tend to establish a vacuum above them, the air in  $R$  expands and part of it occupies this otherwise vacuous

bubbles usually find their way to the surface of the glass, and slide upwards with the mercury. This fact permits the adoption of a very simple but effectual form of 'air-trap,' as shown near the

FIG. 270.



top of the tube D. The tube is at this point enlarged to a bulb, through the top of which is fused the tube leading to E. This inner tube is open at its lower end, which is clear of the outer tube, so that the mercury on rising passes freely through it on its way to the pump, while the air-bubbles continue their course along the surface of the glass, and are consequently arrested or trapped in the upper part of the bulb.

A more elaborate form of the same pump is shown in fig. 271, for which we are indebted to the Council of the Society of Arts.

The supply vessel A communicates by a long flexible tube with a forked tube C. The tube on the left, which is controlled by the pinch-cock *r*, leads through two air-traps, *n*, *m*, to a McLeod pressure gauge, an appliance used for measuring the pressure in very high vacua where the ordinary means of measurement are not available. The process consists in compressing a large but known





with the collecting vessel so as to allow the mercury after it has passed through the pump to refill it. In experimenting it is sometimes necessary to count the number of times this vessel is raised; this is done automatically by the tubes *de* and *fg* with the aid of a few leaden shot, one shot being made to fall from the upper to the lower tube every time the vessel *A* is raised. Mr. Gunningham has experimented very extensively with mercurial pumps, and finds that 39 inches is the best length for the fall-tube. He says that 'An experiment recorded in my note-book with a five fall tube pump whose tubes were at first made 33 inches long, and then were lengthened to 39 inches by sealing pieces to their lower ends, shows that by passing the same quantity of mercury through at the same rate, a certain globe was exhausted in the first case to 50 mm. pressure, and in the second to 1 mm., showing a great increase in the rate of exhaustion, due to the extra 6 inches of fall-tube. On the other hand, if they be made of a greater length than 39 inches the fall of the mercury at the high exhaustion causes such severe hammering that the tubes are liable to be fractured.'

From other experiments he deduced that in the higher stages of the exhaustion, the air particles, instead of being swept out by the pistons, are taken out by a process of entanglement with the mercury.

Mr. Swinburne has invented an exceedingly simple and useful pump (fig. 272). It consists of a bulb, *A*, on a long shaft, *C*, which passes through an air-tight stopper nearly to the bottom of the bottle *B*. The bulb is drawn to a point at the top, and the tube is enlarged into a little bulb at *c*. It is again contracted when it joins the valve tube *D*. From the top of *D* there is a tube to the globe *E* communicating with the tube *F*, which serves for a number of pumps and in which a vacuum is maintained by a mechanical pump. *H* leads to the drying tube *L*, and *J* to the branch tube on which the lamps are sealed. The pump is started by opening the tap *L*, but the bent tube leading into the globe *E* is drawn very fine so that the exhaustion takes place gradually. The bending in this tube prevents any globules of mercury that may be drawn over into *E* from getting into the vacuum tube *F*. When the vacuum in the pump and lamps has been brought to about half an inch, communication with *F* is cut off by turning the

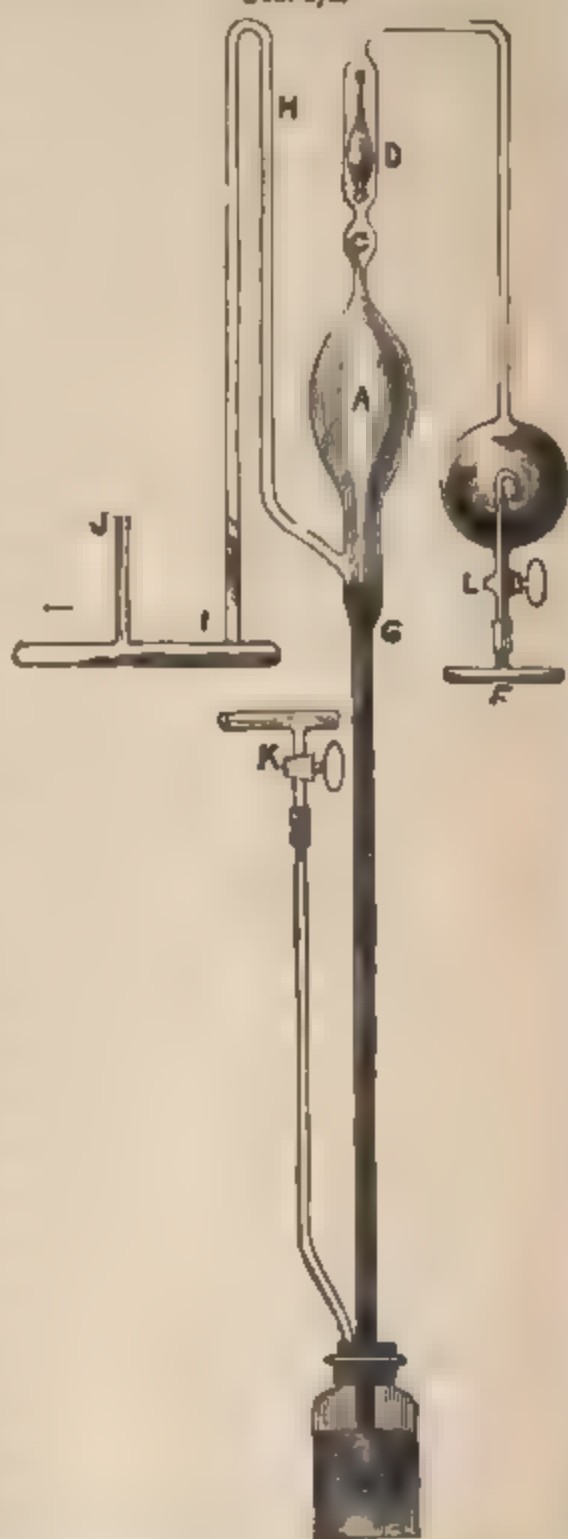
and the tap K is opened, and a higher vacuum developed subjecting the mercury in B to alternations of ordinary atmospheric, and high air pressure.

height of the mercury in the shaft G is that to the ordinary atmospheric pressure in B, so that the high-pressure air ends through K, the mercury is driven past the opening of the tube H, through the pump-head A, through half way up the tube D. extra pressure being now removed from B, the mercury ends, the valve in D closing opening into c before it all fallen so that the valve is held by the mercury. The mercury continues to fall till it reaches the level G, whence further exhaustion by expansion from the lamp bulbs takes place. This small quantity of mercury in its turn expelled, and Geissler action continued

the necessary degree of exhaustion has been obtained. little bulb c is introduced prevent the mercury rising hitting the valve smartly the exhaustion approaches completion. Were we now to do so the air would probably be driven past the side of the glass stick there. It will be

not that, as the passages both above and below D are exhausted, a small pressure will suffice to raise the valve.

FIG. 272.



Reverting to fig. 269, it will be apparent that if the atmospheric pressure in B is reduced the mercury column in the shaft *cd* will be shortened, whence a shorter shaft will suffice. In pumps of this pattern recently devised by Mr. Stearn, there are two glass tubes, each 10 inches long, completely enclosed in a partially exhausted chamber.

Such pumps are finding considerable favour, but they introduce a further risk, for, if anything happens to interfere with the partial vacuum, the mercury will be driven up with considerable force and get into the upper parts of the pump, possibly breaking it.

Many suggestions have been made to heat portions of the mercury pump with a view to hastening its action, and pumps have been constructed to suit this purpose, but they do not seem to have met with much success in practice. Vacua can now be obtained far in advance of the actual requirements, the most perfect vacua being developed by the absorption of the residual gas after the exhaustion has been pushed as far as possible by the mercury pump. This is done either mechanically or by using some substance with which the air particles combine chemically. Dewar has produced a vacuum, which he estimates at  $\frac{1}{300,000}$  of a millimetre, by heating charcoal to redness in the vessel exhausted by the Sprengel pump.

Mr. W. Crookes says he has obtained a vacuum of one hundredth of a millionth of an atmosphere, which is equivalent to one-tenth of an inch at the top of a barometer tube 200 miles in height. That would appear to be an almost perfect vacuum, but, owing to the smallness of the molecules of matter, that, were a small vessel containing a centimetre of air exhausted to that extent, there would still be left in it ten billion molecules.

Although it is, evidently, a comparatively simple matter to obtain the degree of exhaustion necessary for incandescent lamps, there are several causes for a deterioration manifesting itself in a vacuum after the finished lamp has been laid aside for a time, such as the occlusion of gases by the carbon and platinum, and by the cement employed to connect them together, and the very thin film of air which is liable to adhere to the inner surface of the bulb. In order to expel these gases, the filament is raised

lucescence during the later stages in the process of exhaustion, the heat is applied externally.

The lamp having been sufficiently exhausted, the small glass tube connecting the bulb to the exhaust tube is fused, drawn out to a thread, and the lamp sealed off.

It remains now to test its efficiency, that is to say, the amount of light emitted for a given electrical power. A lamp may be said to have a very good efficiency if it yields one candle power of light return for 3.5 watts, so that an average 16 candle power lamp would absorb 56 watts.

The vacuum is usually tested by means of an induction coil; the method is to fuse two platinum wires into a glass tube leading to the lamp, and simultaneously exhausted with it, and to connect the wires to the terminals of the secondary coil. The distance between the ends of the platinum wires inside the tube is so adjusted that when the required degree of exhaustion is attained, a spark passes through the air outside the tube, in preference to traversing the vacuous space between the platinum points. Another method applicable to the finished lamp is to connect one end of the secondary to the filament, and the other to a loop of wire outside the bulb, the quality of the vacuum being determined by the relative feebleness of the discharge which takes place between the filament and the bulb. It should be observed that in a badly exhausted lamp, not only does the filament 'burn,' but it is oxidised, but it also requires a greater amount of heat to heat and maintain its temperature at the required point, owing to the fact that the air particles carry a portion of the heat away by convection.

The 'life' of an incandescent lamp or the number of hours it can maintain illumination varies considerably. Some filaments fracture in a few hours, while others will last for years, and I have seen one which had been burning steadily for at least 1000 hours, and at a good efficiency. It will be obvious that the life of the filament must in a great measure depend upon the strength of the current which is sent through it. If a comparatively feeble current is employed the lamp will last much longer than it would with an abnormally powerful one. On the other hand, the luminosity increases much more rapidly than the current



strength, so that the question really resolves itself into one of comparative expense. A lamp that is burning low yields a much lower efficiency, but lasts longer, than one of the same type which is brilliantly illuminated; but it may be accepted, generally, that it is more economical to run lamps at a high than at a low efficiency.

The filament of the Edison lamp, extensively employed in America, is made from bamboo, which is carefully cut into very fine strips of the required length, provided with little enlargements at the extremities to facilitate the fixing to the platinum wires which are fused through the bulb.

The carbonising and subsequent processes are similar in principle to those already described, the method of fixing the carbon to the platinum being, however, somewhat different. The flat ends of the carbon are mechanically gripped by the platinum, and the junction is made electrically perfect by a small coating of copper deposited electrolytically,—that is to say, the joint is connected to the negative pole of a battery and is then placed in a bath or vessel containing a solution of copper sulphate, in which is immersed a copper plate connected to the positive pole of the battery. As the current passes through the solution, copper particles are dissolved off the copper plate, and an equal number of particles precipitated upon the joint. Electrical continuity is in this way ensured, but during the subsequent working of the lamp there is a tendency towards the disintegration of the copper, which is sometimes deposited upon the inner surface of the bulb as a thin metallic film.

Such are the general features pertaining to the construction of the Swan and Edison lamps; but the commercial interests have been amalgamated, and the distinction between them is therefore less marked than formerly, the Edison lamp particularly simple being now obsolete in England.

For ordinary purposes the filaments of the Edison lamps are shaped either as single or double loops. There are, however, several ways in which connection is made between the lamp and the external circuit, involving a corresponding variety in the form of the lamp holders.

Figs. 273 to 275 illustrate the methods more generally employed for connecting the filament to the external circuit. In

lamps, fig. 273, the burner tube is bent into shape and is provided with two spiral springs at the free ends of the spring at the shoulder of the lamp fitting into the

FIG. 273



Just above the burner, the  
the burner is provided with  
the burner is provided with  
the burner is provided with

nected to the two brass segments embedded in the cement. The collar has two small pins, which fit into the 'bayonet joint' holder, which is shown in the figure, with its two parts separate. In twisting the lamp into the holder the segments make rubbing



contact with the two spiral springs, which project a little from the guiding tubes. These spirals are connected to the circuit leads, and the lamp is thus thrown into circuit, by the mere act of fixing it in the holder.

Fig. 275 illustrates the connection known as the Edison screw, in which one end of the filament is connected to the coarse screw thread, and the other to the insulated brass stud projecting from the bottom of the lamp. This affords another means of throwing the lamp in circuit by the act of placing it in its holder, which is provided with a corresponding brass screw thread, and a small brass disc mounted on a spring, which maintains contact with the stud on the lamp.

Lamp-holders are sometimes provided with small switches for making and breaking the lamp circuit, the switch action being generally controlled by a tap handle similar to those used for gas-burners. In the Edison socket, as made by the Walsall Electric Co. (fig. 275), the tap carries a cam, which works against the curved edge of a brass strip, causing a to-and-fro movement of the spindle which, in the position for lighting, presses a brass spring against the stud on the bottom of the lamp. It releases with a snap action. Lamp switches are, however, more generally independent, and fixed in convenient positions on the wall, &c., and one or two forms of them will be described in the following chapter.

Fig. 276 illustrates a form of lamp designed to overcome a difficulty experienced hitherto when using incandescent lamps

for optical lanterns, as well as in other cases where the source of light should be small and approximate as nearly as possible to a point. The shape of the filament is that of a flattened spiral, forming a square grating constructed so that when fully incandescent it produces a square of intense luminosity, the light from which is wholly gathered up by a condensing lens in the focus of which the lamp is placed, and gives a perfectly uniform disc of light. This would not be the case if an ordinary incandescent lamp were used.

The lamp is mounted in a brass collar, with a shank to it, through which passes a flexible cord for leading the current to the lamp. A convenient holder is also made for the shank to fit into. It is provided with a set screw, by means of which the lamp may be varied in height or turned round; the holder is made with screw holes for screwing on to a block, or it may be soldered to the metal bottom of the lantern.

The lamp is made in two sizes (a) 35 to 55 volts, giving about 50 c. p. (b) 80 to 100 volts, giving about 100 c. p.

Incandescent lamps of the ordinary type are also made of high illuminating power, equal to that of 200, 500, and 1,000 candles. These lamps are suitable for interior lighting in public buildings and factories, and in other situations where a powerful and steady light is required.

In proportion to their actual c. p., these lamps are more economical to instal than groups of small incandescent lamps;

FIG. 276.



for example the 200 c. p. lamp gives a light equal to 12 or 13 lamps of 16 c. p., but costs only twice as much as a 16 c. p. lamp, although the expenditure of energy per candle-power is in each case about the same.

These high c. p. lamps are fitted with strong brass terminals, and a special form of holder, which supports the lamp at the neck, takes the strain off the terminals, and can be readily adapted to any form of fitting, being provided with a screw thread of standard pitch—usually 1 inch male gas thread.

The following table supplied by the makers is interesting as showing the approximate E.M.F. and current required for the various classes of Edison Swan lamps :

1 candle-power from about 3 watts & 8 amperes to 200 at 8 volts & 3 amperes									
2½	"	"	5	"	14	"	"	25	"
5	"	"	5	"	3	"	"	25	"
8	"	"	10	"	2.8	"	"	12.5	"
16	"	"	15	"	3.7	"	"	16.0	"
25	"	"	40	"	2.2	"	"	12.5	"
32	"	"	50	"	2.5	"	"	12.5	"
50	"	"	50	"	3.5	"	"	12.5	"
100	"	"	50	"	7	"	"	12.5	"
Micro and Miniature Lamps			3	"	8	"	"	8	"

All lamps taking less than 19 ampere are marked at 4 watts per candle, and all lamps taking more than 19 ampere at 3.5 watts per candle. It is of course optional for consumers to run the lamps at higher efficiencies, if under the circumstances they consider that the higher efficiency compensates for the shorter life. Assuming an efficiency of 3.5 watts per candle, it follows that 740 watts, or one electrical horse-power, expended in the filaments would produce a light of 213 candle power, an equivalent to that of thirteen 16 candle power lamps. But the power developed by the dynamo is frittered down by the resistance of the leads, &c., so that in practice, not more than ten 16 candle-power lamps can be maintained per horse-power generated.

Lamps are sometimes silvered over one half of the bulb when the light is required to be reflected in one direction instead of being distributed all round. But in this case, the plane of the filament should always be placed in a line with the object it is



sought to illuminate, as the light obtained from the lamp is always greater in that direction than in the direction at right angles to the plane of the filament. Artistic effect is also sought by colouring the bulbs to suit the surroundings, although this involves a loss of light, as certain of the rays are absorbed by the glass, the actual percentage so lost being governed by the particular colour employed. This absorption is altogether independent of the loss caused by the density or opacity of the material.

The Edison-Swan lamps are as a rule only made for parallel working, that is to say, they are all joined across the same pair of leads or mains, so that the current from the dynamo or other source divides between the various filaments. Of course it is possible to join two or more lamps in series, but under such circumstances the fracture of the filament in one lamp involves the extinguishing of the other lamp or lamps in series with it. If, therefore, all the lamps in a circuit were joined in series, the failure of one lamp would result in a total disconnection of the circuit. The parallel system has many advantages. There is no risk of receiving a serious shock on touching the mains, as the total potential difference is only that necessary for one lamp, which rarely exceeds 100 volts or thereabouts. If one of the branch leads should become broken, only the lamp on that branch will be thrown out of use. The means available for connecting the lamp to the supply wires are of the simplest description. The insulation of the mains is a matter of less difficulty than with high potential circuits.

On the other hand, the cost of the mains in a large installation is very considerable, for large conductors must be employed, otherwise their resistance would be so high as to cause a serious waste of electrical energy in overcoming that resistance. It needs also to be added that the maintenance of a constant potential difference throughout an extensive network of wires is a matter of some difficulty, a difficulty which does not attend series working.

The best lamp yet constructed for series or constant current working is probably that of Mr. Alexander Bernstein. The filament is composed of a slender carbon tube, made by carbonising a silk braid of fine texture, and it is remarkable that the fine threads composing the braid are distinctly discernible in the

finished filament. Fig. 277 illustrates the construction of the lamp in which the straight carbon tube or filament  $a$  is supported by pieces of iron wire  $b\ b$ , their lower extremities being connected to the short pieces of platinum fused through the bottom of the bulb. These wires,  $b\ b$ , are bent in such shape as to almost



touch each other at  $c$ . They are also furnished with sleeves of insulating material  $d\ d$ , connected together by a spiral spring  $e$  which strives to draw them together as long as the carbon is intact, its rigidity prevents contact between  $b$  and  $b$ , at  $c$ , but as soon as a flaw in the carbon appears the current commences to destroy it, and the spring  $e$  gradually draws the wires together, until a perfect contact is produced at  $c$ , and then a short circuit is obtained inside the lamp. It will thus be seen that this is an excellent device for series working, for on the extinction of one lamp by the fracture of its carbon, the circuit for the other lamps is automatically completed.

In a form of lamp now being introduced the spiral spring is dispensed with, a portion of one of the iron wires being hammered out flat, and a slight springiness imparted to it so that on the carbon being broken continuity is established at  $c$ .

The manufacture of the bulbs for 'loop' lamps is comparatively a simple matter, but with lamps having a rigid rod or tube such as the Bernstein, the case is very different. This will be evident when it is observed that the length of the carbon is considerably greater than the diameter of the neck of the bulb, with the ordinary bulb, the insertion of the mounted carbon would be a matter of impossibility.

The method of making the Bernstein bulb is very ingenious. Two bulbs,  $e, d$  (fig. 278), are first blown in a piece of glass tubing  $b\ c$ ; the end  $b$  is then broken off, and the bulb  $e$  being heated it is worked into the form of an open cylinder. The carbon and the connecting wires, fixed in a glass stem, are then introduced through the large opening thus made, this opening being then closed so that

only one bulb remains. The next operation is to weld a piece of small tubing to the top of this bulb, after which the small tube at the bottom is broken off, and the stem with its connecting wires dropped through and fused into position. The next performance is to exhaust the lamp by way of the little tube fused on to the top, and that being completed, the bulb is sealed off and fixed into its socket.

In order to prevent the interruption of the circuit by the removal of a lamp, its holder is constructed in such a way that the lamp can only be withdrawn from it if a short circuit has been made in the holder beforehand, and, furthermore, as this short circuit can only be broken after the lamp has been placed in position, it is not possible to disconnect the circuit at the holder.

FIG. 278.



This holder is shown full size in figs. 279 and 280. A plate of insulating material, *h*, serves for the support of two metal sleeves, *i* and *i'*, which are made suitable for the reception of the two square pins, *g* and *g'*, of the lamp cap (fig. 277). For the purpose of obtaining a good contact between the pins and the sleeves, the outward side of each of the latter is cut away and replaced by two flat springs, *k* and *k'*. The conducting wires are attached to the lower ends of the sleeves. The S-shaped piece, *m*, which can be turned by means of an external handle, serves the purpose of making a short circuit in the holder.

FIG. 279.



In fig. 279 the position of short circuit is indicated. For the purpose of obtaining a good contact between the piece *m* and the metal sleeves *i* and *i'*, the latter are provided with two other flat springs, of which the one on the left side, near *k*, is bent at right angles at its lower end. The spring near *k'* carries at its lower end a square pin, which prevents the turning of the piece *m* in the other



These are trifling matters which must ~~soon be~~  
there is but little doubt, that before long the  
ie 'safety' lamps will be relegated to historical  
is a scope for incandescent lamps for the use  
many surgical examinations and operations, as  
microscope and the optical lantern.

estimate the amount of light emitted by any electric or otherwise, a large number of 'photometers' have been devised, but excellent as many of these are, they have, when applied practically, not

**Measurement of every kind requires some**

[illegible]



burn 120 grains of spermaceti wax per hour. The length of the candle varies slightly with different makers, ranging from  $\frac{3}{4}$  in. to 1 in., measured from the shoulder, where the diameter is about 0.8 in., the diameter at the bottom increasing to 0.85 or 0.9 in.

In practical work a straight candle is selected and cut into equal parts, which are subsequently used together on a short plate placed at right angles with the scale-bar of the photometer. Two flames give a more reliable, or better average result, than a single one. Candles are lighted ten minutes before the commencement of testing so as to allow them to arrive at their normal rate of burning, which is shown when the wicks are slightly over and the tips glowing. In fixing them in position, the place of curvature of one wick should be at right angles to the place of curvature of the other. If the candles are used when the wicks are straight or when a little knob or rose of carbon thread has formed at the tip, the tests will give erroneous results.

The special requirements of a standard flame are that the combustible must be of known and definite composition; the conditions of burning must be of a simple and definable character; and the nature of the combustible, as well as the conditions of burning, must be such that atmospheric changes may produce a minimum effect upon the light.

Now white spermaceti has a melting point of  $109^{\circ}$ , but a small quantity (varying from four to five per cent.) of beeswax with a melting point of  $140^{\circ}$  is usually added in order to prevent the crystallization of the spermaceti. The spermaceti itself is not a definite chemical substance, its constituents varying considerably, whence it fails to answer the first requirement, for the consequence of the difference in the proportions of the natural and added constituents is that small variations are found to occur in the melting point.

The number and size of the threads in the wick, its chemical treatment, the closeness of the plaiting of the strands, and the degree of tightness with which the wick is stretched, are all conditions which affect the light of a sperm candle, yet they are all left undefined by the Acts of Parliament; and, in practice, manufacturers differ in regard to them.

Even were the candles made as exactly alike as possible, there are other conditions of variation which cannot be eliminated.

the light varies from moment to moment as the wick  
er, as the knob at the end of the wick accumulates or  
ay, and as the cup fills or empties itself of melted sperm.  
number of experiments made by a committee appointed by  
d of Trade showed that while the candles from a single  
ive fairly concordant results, the average obtained by ten  
nts with one packet differed as much as 15 per cent. from  
ge obtained by ten experiments with another packet. In  
minations a maximum variation was found between two  
candles of 22·7 per cent. in illuminating power. All  
periments were made by one observer, working with one  
and in the most uniform manner possible.

method of taking the average of three consecutive candle  
ations does not therefore serve to eliminate the errors of  
le standard, for the candles employed may be taken from  
containing candles of a uniformly high or a uniformly low  
ing power.

lard candles are greatly affected by slight differences of  
t, so that a candle which gives a certain amount of light  
ands of one operator, may give a widely different result  
ed by a second operator.

extreme sensitiveness of standard candles to differences in  
t is shown by the following typical experiment. Four  
as examiners tested on the same day a specially stored  
f coal gas. They used the same photometer, and candles  
packet selected for the uniformity of the candles con-  
it. The mean of two closely agreeing testings by one  
gave the illuminating power of the coal gas as 16·5 can-  
le the mean of two closely agreeing testings by another  
illuminating power of the coal gas as 19 candles.

, W. Dibdin has reported very adversely upon the stan-  
dle. He found on one day that the average of the tests  
dles made by one firm (A) showed the illuminating  
a certain gas flame to be equal to 15·8 candles, while  
manufactured by another firm (B) gave a value of 14·9  
on another day candles A gave a value of 14·8 to a con-  
flame; while candles B gave a value of only 12·9.

a therefore be readily conceived that a total variation of

10 per cent. is almost a normal result, while far greater deviations are of common occurrence.

Another cause of unreliability under certain conditions, when the temperature of the testing room rises above the normal, is that the candles invariably give discordant results, sometimes increasing over 25 per cent more than the known value of the candle power of the flame. The principal cause of variation is, however, the irregular form and variable structure of the wick, which at one time consists of eighteen threads in each of its three strands, while at another time the number has increased to twenty-one and twenty-two. Various improvements have been effected in the process of 'drying' the spermaceti, or freeing it from oil, and the spermaceti now manufactured seems to require a wick containing a certain number of threads of cotton to raise it in the melted form and cause its combustion at the required rate of 120 grains per hour. But candles with thick wicks give less light than those whose wicks are thin. Thus the effect of the improvement in the manufacture of spermaceti has been that standard candles give less light now than they did years ago, and probably still less than they gave at an early date, when the average consumption of candles of six to the pound was 140 grains per hour.

A further very apparent objection is that the illumination given by a candle is subject to fluctuations from minute to minute, owing to variations in the length and form of the wick, and to the filling and emptying of the cup of the candle, according to the movement of the surrounding air.

Sufficient has been said to make manifest the imperfections of the spermaceti candle as a standard.

One of the sources of error, viz., the irregular consumption of the spermaceti, can be to some extent allowed for by weighing the candle before and after the tests are made, the time of burning also noted. If the consumption has not been at the exact rate of 120 grains per hour, the light emitted should be deemed proportionately different in intensity, and the measured intensity of light as observed by the photometer, should be accordingly increased or diminished in the same proportion by a simple calculation. Thus if a lamp has been measured by the apparatus as giving a light of 17.6 candles, but the candle

[illegible]

plate, having a small vertical slot of such dimensions as to afford the passage of just as much light as equals that afforded



two average standard candles, when the gas consumed is sufficient to yield a flame three inches in height. It will be seen from the figure that a glass chimney is employed; it measures 6 inches high by 2 inches in diameter. The supply of gas necessary to produce the required flame being controlled by a tap in the better class of instrument by a micrometer capable of very fine adjustment. The two horizontal wires attached to the back of the screen, one on either side of the chimney, are placed at the requisite distance above the burner, and serve the purpose of determining when the prescribed flame length has been obtained. The apparatus is sometimes used with the richer pentane vapour as the illuminant (reference to which will be made presently). In such cases a second silver plate and slot is provided of reduced dimensions, and furnished with a pair of horizontal wires  $2\frac{1}{2}$  inches above

the burner, to which height the flame must be adjusted. The Methven screen has the advantage that it forms a reliable and practical standard, easy to manipulate and not likely to get



of order. Its simplicity of construction as well as of manipulation is self-evident, and its suitability for the required object has been demonstrated by Mr. F. W. Hartley, who made a number of lengthy series of tests with the apparatus, using slots of various dimensions. In one set of tests he found that with a 5 cubic feet per hour flame, of common coal gas of 14.02 candle-power, the difference in the photometric readings between a 3-inch Argand flame from the same gas and from cannel gas of 35.37 candle-power, was only 0.7 per cent. These experiments tend to show that it is rather the height of the flame than the quality of the gas consumed which determines the luminosity, and this is a most important point, for it renders the standard virtually independent of any ordinary variations in the composition and lighting properties of the gas. A series of experiments was next made with standard candles which were employed to measure the light emitted by the common gas; the readings ranged from 13.24 to 14.588 candle-power, showing a difference of 1.348 candles, or 10.11 per cent. As these tests were made with gas supplied from the same holder, the result simply re-proves the utter unreliability of the standard candle. On the other hand, when the Methven screen was employed, the two kinds of gas being consumed in turn, the extreme difference was 0.83 per cent., and the mean difference 0.3 per cent. only.

While it is of course necessary that the height of the flame should be carefully adjusted, it is an important feature that the readings are not perceptibly affected by a variation of about one tenth of an inch on either side of the prescribed height. The top of the flame should be as regular as possible, the burner of the best manufacture, and the chimney and screen scrupulously clean. As, however, it rarely happens that the top of the flame is absolutely regular, it is usual to so adjust the height that the extreme points extend about one-eighth of an inch above the horizontal wires. There is one other precaution, and that is, that the instrument should be allowed to get 'hot,' so as to arrive at the normal condition, before any reading is taken on the photometer. If this is neglected, erroneous results are almost inevitable, as the proportion of energy absorbed in heating the apparatus will be a varying quantity.

to give the gas a delay of about five minutes before it is used.

It is further to be mentioned that a standard of comparison must be made in its radiation, and it is found that the standard should have found a place in the British Museum where it is almost essential. To put the matter in a few words, it is a matter of fact. As Parliament has not yet passed any law to regulate the gas, the manufacturers of gas-burners and gas-lights, and, consequently, are not like the gas companies, who are not liable. Mr. Doherty says that the standard of the Methven flame is a matter of fact, and it is found that variations of reading are not a matter of fact. Granting, however, that the standard is not a properly adjusted standard, and the Methven standard is not a better one than any other from careless use. Mr. Doherty, however, says when dealing with the standard, the standard of the height of the flame is not a matter of fact. He also urges that the employment of a standard is a serious disadvantage, as the standard is not a standard, and the standard is not a standard. The standard is, however, hard to find, and the standard is so very small, and the standard is a plain surface.

The standard suggested by Mr. A. Vernon Harcourt, based on the weight or percentage standard, the combustion of a mixture of air with that portion of  $A$  which is not repeated recirculations, distils at a temperature of  $15^{\circ}C$ . This liquid consists almost entirely of water, its specific gravity at  $15^{\circ}C$ . ranging from 0.999 to 1.001.

To prepare the gas, Mr. Harcourt draws into the gas-burner a volume of air, chosen according to the composition of the gas, and corrected for pressure, temperature, and density; then the corresponding proportion of gas is drawn from a measuring flask of known volume. The proportion of gas and the proportion of air



the foot of air to three cubic inches of pentane, measured at or near 60° Fahr. ; or, measuring both as given, in the ratio of 1 of air to 7 of pentane.

When the pentane is poured upon the water in the graduated cylinder, it floats, and its vapour-volume of air above it is sufficient to ignite and completely. A few minutes are sufficient for the ignition of the liquid, and a few hours suffice for its complete combustion.

The opening in the burner has a diameter of a quarter of an inch. The liquid is at the top of a cylindrical tube one inch in diameter and two inches long, the thickness of the disc forming the bottom of the tube being half an inch. With a mixture of 1 of air to 7 of pentane the mixture of air and pentane gas within the burner is ignited, and a flame  $2\frac{1}{2}$  inches in height, when the rate of consumption is 0.5 cubic foot per hour.

The adjustment of the pentane flame to give the most accurate result is based upon the observations either of its height or of its consumption, and may be effected either by adjusting the height of the flame till the tip of it touches, without touching, a horizontal platinum wire stretched over the burner at the height of 2 inches, or by adjusting the rate at which the pentane gas is consumed, by means of a delicate meter.

Experience of the two methods of adjustment has shown that it is both easier and more accurate to adjust the height of the flame, and to use the rate of consumption as a control only, without taking it into account in adjusting the illuminative value of the gas tested. The only material variation in the light given by the burner, when, the height of the flame having been adjusted, is when the height of the flame is less than 2 inches. When the height of the flame is 2 inches, the observed rate of consumption is 0.52 or fall short of 0.48 cubic foot per hour. The rate of consumption only varies within the narrow limits of 0.48 to 0.52 cubic foot per hour in a series of experiments performed to ascertain the effect of variation in the proportion of air and pentane gas on the rate of consumption of 7 per cent. in the ratio of air to pentane.

The rate of consumption of 7 per cent. in the ratio of air to pentane is 0.52 cubic foot per hour.

The rate of consumption of 7 per cent. in the ratio of air to pentane is 0.52 cubic foot per hour.

The rate of consumption of 7 per cent. in the ratio of air to pentane is 0.52 cubic foot per hour.

The rate of consumption of 7 per cent. in the ratio of air to pentane is 0.52 cubic foot per hour.

The rate of consumption of 7 per cent. in the ratio of air to pentane is 0.52 cubic foot per hour.

The rate of consumption of 7 per cent. in the ratio of air to pentane is 0.52 cubic foot per hour.

The rate of consumption of 7 per cent. in the ratio of air to pentane is 0.52 cubic foot per hour.

The rate of consumption of 7 per cent. in the ratio of air to pentane is 0.52 cubic foot per hour.

The rate of consumption of 7 per cent. in the ratio of air to pentane is 0.52 cubic foot per hour.

The rate of consumption of 7 per cent. in the ratio of air to pentane is 0.52 cubic foot per hour.

The rate of consumption of 7 per cent. in the ratio of air to pentane is 0.52 cubic foot per hour.

native value assigned to the gas tested by comparison with it. But an error of even half this amount is rarely obtained in the actual preparation of pentane gas.

It is remarkable that only in 37 out of 468 testings, does the result of one testing differ from the mean result of the set of which it forms a part, by as much as 0.2 candle.

Tests were made with a variable height of flame, and the averages of ten observations made at the rate of one a minute, showed that with

Height of flame in inches . .	$2\frac{1}{2}$	$2\frac{1}{2}$	$2\frac{1}{2}$
The corresponding illuminating power was . . . . .	99.25	100	100.75

Other experiments demonstrated that the illuminating power of the air-gas is but little affected by variations in the temperature of the room.

Mr. Dibdin is favourably impressed with the pentane standard, and in a report to the Board of Works, he recommended its early adoption.

Similarly the British Association Committee considered it to be reliable and convenient, fulfilling the conditions required in a standard of light, and they likewise urge the rejection of the Parliamentary candle as a standard of light, and the adoption of the pentane standard.

Mr. Harcourt has designed two or three portable pentane lamps, the latest and most convenient being that shown in fig. 283. In this case a wick is used, fitting loosely and moving freely within a tube which conducts heat downwards from the flame above, so as to give rise by evaporation to a quantity of pentane vapour sufficient to feed the flame, without the top of the wick being ever exposed to a temperature as high as that of boiling water.

The lamp (fig. 283) consists of a glass reservoir, with tube and stopper, of the form and size of a spirit lamp, mounted on a metal stand which rests on three levelling screws. The wick can be turned up and down in the usual manner by means of a double-toothed wheel, the spindle of which fits air-tight into the tube which supports it. The lower end of the wick (which is round and rather less than  $\frac{1}{4}$  inch diameter) lies in the reservoir; the upper

end is in a brass tube, about five inches in length, in which it can move up and down freely. The upper part of the tube is surrounded by a wider tube, about four inches in length and one inch in diameter; and the two tubes being joined together above and below by flat plates constitute the burner of the lamp. Around the burner is another cylinder open at both ends, of about two inches diameter, surmounted at the level of the top of the burner by a conical piece, terminating in a short tube whose diameter and length are about  $\frac{3}{4}$  of an inch. Over this outer casing is a similar piece inverted, with the smaller tube below and the larger above. This second piece is connected with the first, the two being attached by two semicircular bands, so that the ends of the smaller tubes may be set at different distances apart, according to the amount of light which it is desired to obtain from the lamp. Through opposite sides of the upper tube, and above the ends of the connecting bands, are cut two narrow slots about  $\frac{1}{8}$  of an inch in width, and  $\frac{1}{2}$  an inch in height. These are placed at such a height that whenever the tip of the flame is visible between them the light emitted is definite and constant. The adjustment of the light, which may be set at either half a candle, one candle, or a candle and a half, is effected by means of cylindrical brass blocks whose length has

FIG. 283.





been very carefully adjusted once for all. One of these blocks is placed upon the lower tube, and the upper tube is lowered until it presses gently against the block; the screws which fix the connecting bands are then tightened, and the block is withdrawn. Since the blocks are made of the same diameter as the tubes between which they are placed, they serve for setting these tubes truly on the same axis, as well as at the right interval apart.

The point, or rather the horizontal ring, from the nearest point of which measurements are to be made when the flame of the lamp is used as a photometric standard, is midway between the tubes which surround the flame, and at a distance of half the radius of these tubes from their axis, which is also the axis of the flame. This position is defined to the eye by giving to the curved connecting bands half the width of the tubes. The zero of the photometric scale lies in the plane which passes through the edges, on either side, of the connecting bands. To mark this plane by a solid surface, a rectangular strip of brass is provided, which can be fitted on one side into the centre of the edges of the connecting bands. A small plumb-line is also provided, by means of which the lamp can be set truly vertical, and a small mirror by means of which the photometrist can observe without changing his position whether the top of the flame is between the slots in the side of the chimney. The tests to which the lamp has been subjected demonstrate that it is fractionally less efficient than the pentane standard.

The 'battle of the standards,' as already mentioned, is confined to the types invented by Mr. Methven and Mr. Harcourt respectively. It is possible that the latter is slightly more accurate than the other, but it is less convenient, and is for that reason very rarely adopted in practice, while the Methven screen is very extensively used by gas as well as electrical engineers. The Methven screen is always ready, and measurements can be taken within a very few minutes of lighting the gas. On the other hand, the amount of heat evolved by the pentane flame is so small that a considerable time elapses before the burner has assumed its maximum temperature, or attained the normal rate of burning. Careful manipulation and experience are necessary in the process of manufacturing the pentane, an operation which of course

takes time to perform, and which would therefore frequently preclude its use.

Under the circumstances it is perhaps as well that our laws change but slowly, and that the legal substitute for the universally condemned sperm candle has not yet been determined.

Supposing an absolutely reliable and permanent unit of luminosity to be available, we are still confronted by the second difficulty, viz., the want of a means of accurate measurement. Practical photometers are one and all simple comparison instruments, the light emitted by the standard and the source under test being compared simultaneously, and these comparisons must perforce be made by the eye. Unfortunately that organ is an untrustworthy piece of scientific apparatus and incapable of accurate discrimination. Its sensitiveness also varies considerably with the individual, so that the whole of any series of tests should be taken by the same experimenter, although even then there is some risk of personal error. Of course this difficulty is in some measure overcome by continued practice and attention.

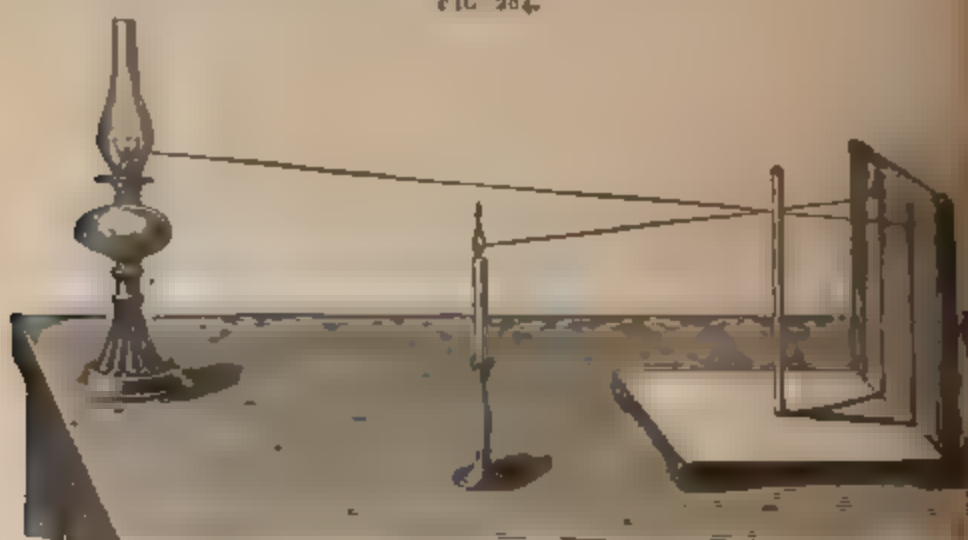
All practical photometers are based upon the fundamental law that the intensity of illumination on a given surface varies inversely as the square of its distance from the source of light; and upon the fact that the distances of two independent sources of light can be so adjusted that their illumination of the given surface is equal. Then by measuring these distances the relative illuminating powers can be calculated.

The fundamental principle of the Rumford or 'shadow' photometer can perhaps be best illustrated by means of simple familiar apparatus such as that in fig. 284.

It consists of an upright ground glass screen having fixed in front of it a small vertical rod. The standard light—in this case a candle—is placed at such a distance as to project a shadow of the rod upon the screen. The lamp, or other source, to be tested, is then brought into position so as to throw a second shadow close to that from the candle, and the exact position of the lamp so adjusted that the intensities of the shadows are as nearly alike as the observer can tell. The distances of the candle and the lamp from the ground-glass screen are then carefully measured and the comparative luminosities deduced from the

law of inverse squares. For example, suppose the distance of the candle to be 12 inches, and that of the lamp 3 feet; if the shadows are equal, then the luminosity is  $1^2 : 3\frac{1}{2}^2$ , that is 1 : 12.25. The light emitted by the lamp is 12.25 times as strong as that from the candle, and it may be called a 12.25 candle power lamp. The comparative sensitiveness of the observer can be roughly estimated by moving the lamp to and fro for some distance, when, unless he is a professional photometrist, he will probably find that it is a very easy matter for the personal error to exceed 10 per cent.

FIG. 284.

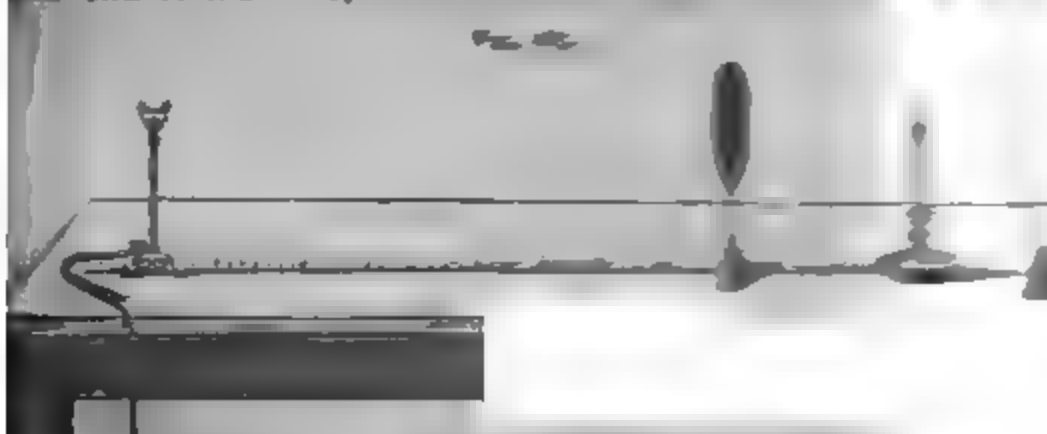


The principle underlying this instrument is simple, for it is evident that the shadow cast by the lamp is illuminated by the candle, while that cast by the candle is illuminated by the lamp; so that, if both shadows are reduced to the same degree of intensity, it can only be due to the effect of equal luminosities upon the surface of the screen derived from the two sources.

The Bunsen or, as it is often called, the grease spot photometer is, especially for the beginner, an instrument by which more accurate results can be obtained; and it is the one most frequently employed. The principle of the apparatus is shown in fig. 285. A small screen of somewhat opaque paper is stretched on a metallic ring, which is mounted on a stand, movable along a graduated scale. In the earlier forms of this instrument, a faint transparent grease spot was made in the centre of the disc by means of a little spermaceti dissolved in naphtha, but in the modern practical instrument, the whole of the paper, with the

ception of a small central point of light. The most efficient screen is a matter of experiment, and the thickness of spermaceti, which will give consistent and best results.

The standard candle is fixed in its place at the end of the scale, which serves as a support for the



to 100 or some multiple of its own area. The standard candle should be placed at the end of the scale, and the grease spot in the centre of the screen. The observer's eye is moved along the scale until the spot appears to be of the same brightness as the candle. The candle can be fixed, and the scale moved along the scale to the required point.

The bottom of the stand carrying the screen may also be furnished with an index, and the scale marked in the scale being noted, the relative distances of the lights from the screen can be easily ascertained. The areas can then be calculated by squaring these distances. The principle of this instrument is inverse square. If a light is held in front of the screen, the greater portion of the light falling upon it is transmitted, and appears, when viewed from the side, as a bright spot. It is darker than the transmitted portion, which receives the rays falling upon it. If the light is held behind the screen, the greater portion of the light is absorbed, and the surface upon a dark ground, but the greased paper transmits a large portion of the

of the Bunsen photometer are, as we have indicated, generally employed. The form most frequently met with is the Methven, which was designed for gas testing, and which therefore possesses many refinements unnecessary for electric light testing. The Bunsen disc is enclosed in a double conical tube or box to screen off extraneous rays of light, and small angular mirrors are placed opposite a pair of openings in the side of the tube, to facilitate observations of the two sides of the disc. The 'Universal' photometer, designed by the late Mr. Hartley, is simple, cheap, and efficient, and can be used for estimating the luminosity of arc or incandescent lamps, in a horizontal or in any other direction. It consists of a long narrow table, with two parallel grooves in the top; sliding in one of these are the Methven screen or other standard and the Bunsen disc, while in the other travels a scale, 21 inches in length, divided into tenths of an inch. For horizontal measurement, the lamp to be tested is fixed on an independent pillar at a known distance from the disc; if the lamp is suspended from the ceiling, an angle measurer is provided to facilitate the estimation of its actual distance.

It is the usual practice for an incandescent lamp to be carefully compared with some standard, such as the Methven screen. It is then in its turn employed as a standard of comparison for other similar lamps, requiring little attention, and affording a ready means of rapidly testing a large number of lamps. It is, however, only employed as a standard for a time, otherwise there would be some risk of error owing to a variation in the luminosity of the lamp. The method of testing arc lamps is somewhat similar. An incandescent lamp, after being standardised, is in this case, also, frequently employed as a standard, the arc lamp being placed on a scale at right angles with the photometer bar, which carries a mirror adjusted to an angle of  $45^\circ$  with the luminous beam, so as, in obedience to the law declaring that the angle of reflection is equal to the angle of incidence, to project the rays upon the greased disc, the quasi standard being placed so as to illuminate the opposite side of the disc. The comparison is then made by adding the distance between the disc and the mirror to the distance between the mirror and the arc, and regarding this as the distance which has to be compared with that between the



disc and the standard. A constant allowance has to be made for the absorption of the mirror, which for a certain angle varies with different samples of glass. It is obviously necessary that the arc should be so screened that none of the rays fall direct upon the disc, and that the angle of the mirror should be kept fixed. With a very powerful arc it would be possible to diminish the percentage of the rays falling upon the disc, by placing the lamp at a greater angle than that of  $90^\circ$  with the scale board or the axis of the disc. A fresh constant would then have to be employed, in accordance with the law that the intensity of illumination which is received obliquely is proportional to the cosine of the angle which the luminous rays make with the normal to the surface, allowance being also made for the increased loss due to absorption.

Where the space can be afforded, a photometer room should be provided, and fitted with opaque blinds, so that all extraneous rays can be excluded. The room, when candles or comparison flames are employed, should be free from draughts and vibrations.



The first of these is the fact that the  
 government has been unable to secure  
 the necessary funds to carry out its  
 policy of non-interference. This is due  
 to the fact that the government has been  
 unable to secure the necessary funds to  
 carry out its policy of non-interference.  
 The second of these is the fact that the  
 government has been unable to secure the  
 necessary funds to carry out its policy of  
 non-interference. This is due to the fact  
 that the government has been unable to  
 secure the necessary funds to carry out  
 its policy of non-interference. The third  
 of these is the fact that the government  
 has been unable to secure the necessary  
 funds to carry out its policy of non-  
 interference. This is due to the fact that  
 the government has been unable to secure  
 the necessary funds to carry out its policy  
 of non-interference. The fourth of these  
 is the fact that the government has been  
 unable to secure the necessary funds to  
 carry out its policy of non-interference.  
 This is due to the fact that the govern-  
 ment has been unable to secure the neces-  
 sary funds to carry out its policy of non-  
 interference. The fifth of these is the  
 fact that the government has been unable  
 to secure the necessary funds to carry out  
 its policy of non-interference. This is  
 due to the fact that the government has  
 been unable to secure the necessary funds  
 to carry out its policy of non-interference.  
 The sixth of these is the fact that the  
 government has been unable to secure the  
 necessary funds to carry out its policy of  
 non-interference. This is due to the fact  
 that the government has been unable to  
 secure the necessary funds to carry out  
 its policy of non-interference. The seventh  
 of these is the fact that the government  
 has been unable to secure the necessary  
 funds to carry out its policy of non-  
 interference. This is due to the fact that  
 the government has been unable to secure  
 the necessary funds to carry out its policy  
 of non-interference. The eighth of these  
 is the fact that the government has been  
 unable to secure the necessary funds to  
 carry out its policy of non-interference.  
 This is due to the fact that the govern-  
 ment has been unable to secure the neces-  
 sary funds to carry out its policy of non-  
 interference. The ninth of these is the  
 fact that the government has been unable  
 to secure the necessary funds to carry out  
 its policy of non-interference. This is  
 due to the fact that the government has  
 been unable to secure the necessary funds  
 to carry out its policy of non-interference.  
 The tenth of these is the fact that the  
 government has been unable to secure the  
 necessary funds to carry out its policy of  
 non-interference. This is due to the fact  
 that the government has been unable to  
 secure the necessary funds to carry out  
 its policy of non-interference.

is only one-fourth of that of a wire half an inch in diameter, it does not cost anything like four times as much nor even twice as much to lay the thicker wire as it does to lay the thinner, for the

Number of wires in strand	Standard gauge of each wire	Diameter (in inches)		Equivalent to solid wire		Weight of conductor per mile (lbs.)	Resistance per mile
		Of each single wire	Of the strand	Diameter (inches)	Area (sq. inch)		
1	22	'028	—	'028	'0006	12	72.42
1	21	'032	—	'032	'0008	16	55.13
1	20	'036	—	'036	'0010	21	42.07
1	19	'040	—	'040	'0012	26	35.3
1	18	'048	—	'048	'0018	37	24.68
1	17	'056	—	'056	'0024	50	18.13
1	16	'064	—	'064	'0032	65	14.28
1	15	'072	—	'072	'0040	83	11.07
1	14	'080	—	'080	'0050	107	8.604
1	13	'092	—	'092	'0066	135	6.718
1	12	'104	—	'104	'0085	173	5.257
1	11	'116	—	'116	'0103	215	4.225
1	10	'128	—	'128	'0128	262	3.470
1	9	'144	—	'144	'0162	332	2.742
1	8	'160	—	'160	'0201	409	2.211
3	25	'020	'042	'034	'0009	19	46.79
3	23	'024	'051	'042	'0014	28	32.50
3	22	'028	'059	'049	'0019	38	23.97
7	25	'020	'060	'053	'0022	45	20.16
7	23	'024	'072	'064	'0032	65	13.56
7	22	'028	'084	'075	'0044	89	10.20
7	21½	'030	'090	'080	'0050	102	8.641
7	20½	'033	'099	'088	'0061	124	7.162
7	20	'036	'108	'096	'0072	147	6.155
7	19	'040	'120	'107	'0089	162	5.307
7	18	'048	'144	'128	'0128	202	3.473
7	17	'056	'168	'149	'0174	250	2.852
7	16	'064	'192	'171	'0223	305	2.305
7	15	'072	'216	'192	'0280	389	1.843
7	14	'080	'240	'213	'0356	477	1.455
19	20	'036	'180	'159	'0198	122	2.261
19	19	'040	'200	'176	'0243	160	1.831
19	18	'048	'240	'211	'0340	215	1.371
19	17	'056	'280	'247	'0479	283	1.077
19	16	'064	'320	'282	'0624	370	.814
19	15	'072	'360	'317	'0780	478	.652
19	14	'080	'400	'352	'0973	605	.509
19	13	'092	'460	'404	'0132	762	.392
19	12	'104	'520	'458	'0167	954	.2709
37	16	'064	'448	'304	'0219	2482	.5561
37	15	'072	'504	'343	'0281	3142	.2842
37	14	'080	'560	'383	'0359	3879	.2311
37	13	'092	'644	'436	'0460	5130	.172
37	12	'104	'728	'490	'0587	6555	.120
61	11	'092	'828	'528	'0702	8177	.097
61	12	'104	'936	'583	'0849	10332	.0709

labour of removing and replacing the paving, earth, &c., would be almost the same in both cases. Again the insulation of the wire is an important and expensive item, which does not increase so rapidly as the resistance of a wire is reduced by an increase in its size; so that it does not by any means follow that a given reduction in resistance entails a proportionate increase in expense. It may be noticed incidentally, that when the diameter of a round conductor is doubled, although its sectional area and therefore its conductivity is increased four-fold, its surface is only doubled. Therefore if a current of four times the strength is passed through it, the heat developed will be four times as great (since power wasted  $= c^2R$ ), while the surface at which radiation takes place has only been doubled. The temperature of the thicker wire will rise higher than that of the thinner one, when they carry currents in proportion to their conductivities.

One advantage attending the use of bare conductors is the greater facility afforded by them for the radiation of heat as compared with covered conductors.

So many considerations, mostly special for every particular case, enter into the question of the best size and shape of the conductor consistent with strict economy, that we cannot discuss the matter fully here. But with regard to the reduction of resistance by the employment of high conductivity copper, it should be noticed that as the presence of a minute quantity of foreign matter causes such a great increase in the resistance of this metal, it is *always* economical to use the purest copper obtainable commercially.

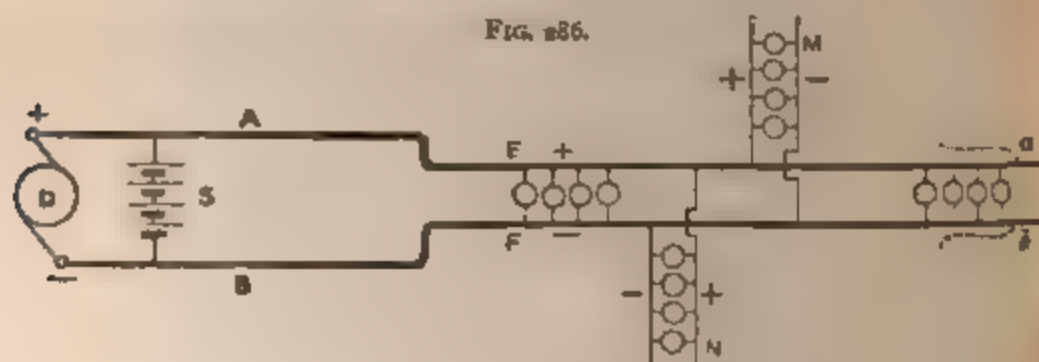
In systems of distribution of electrical power by means of a constant current, the question is comparatively simple, as the current employed is not a heavy one, and has the same value at all times and in all parts of the circuit. The chief difficulty likely to arise is in providing for future extensions of the system when the potential difference which can be applied at the ends of the circuit is limited. The more interesting and more difficult problem consists in the supply of current to lamps, or other apparatus, at a constant potential; for then the main conductors have to carry a very heavy and variable current. The matter becomes more difficult if the lamps are distributed over a wide area, or are situated at a distance from the generating station. As has been



pointed out in Chap. XIII., the power wasted may in such cases be reduced to a minimum, by transmitting it in the form of a small current at high pressure, and reducing the pressure at the required point, to a suitable value. But such a system has its disadvantages. Although the cost of the copper is vastly reduced, the high potential difference employed demands very efficient and expensive insulation, the engines and dynamos must always be kept running, and when very little power is being demanded the efficiency of the transformers and of the whole system falls to a low value. For even when the secondary circuit of a parallel transformer is disconnected, some current passes through the primary, and when only one or two lamps are joined up, the power appearing in the secondary may be but a comparatively small fraction of that absorbed by the primary. When the number of transformers is large, the total power wasted becomes considerable during the times when little or no light is required.

In the other method of distributing direct from the dynamo to a number of lamps all joined up in parallel, the chief problems to be faced are the heavy loss occurring in the mains and the difficulty of regulating the supply to each lamp.

FIG. 286.



Such an arrangement is indicated by the diagram in fig. 286, where D represents a dynamo capable of maintaining a constant potential difference at its terminals; A and B, the main leads from the machine to the nearest lamp; and E, F the continuation of those leads, between which the lamps are placed. Suppose there to be 100 lamps so joined in parallel, each requiring a current of half an ampere, and a potential difference at its extremities of 110 volts. The total current supplied by the dynamo with all the lamps in use would be 50 amperes, and this current would

have to be carried by the main leads A and B. Supposing the resistance of A and B to be one-tenth of an ohm, the power wasted in overcoming this resistance would be 250 watts, and the consequent fall of potential 5 volts. Therefore the machine must develop at least 115 volts at its terminals in order to maintain 110 volts at the *nearest* lamp.

Now a further fall of potential would take place along the mains, E, F; suppose this to amount to 10 volts, then the pressure at the most distant lamp would only be 100 volts, while if this were raised to 110 by an increase at the dynamo, the nearest lamp would then be working at 120 volts. Even ignoring the waste of power, such a difference could not be permitted if similar lamps were used throughout the system, as some would be giving far above and others far below their normal candle-power.

It would, however, be practicable, but very inconvenient, to employ different types of lamp, placing those made to run at 110 volts at the end near the dynamo, and others constructed for 100 volts at the further end of the line, and so on. But even then, if the dynamo were perfectly regulating, the potential at the far end of the mains would rise considerably, when any number of the nearer or intermediate lamps were cut out of circuit.

Referring again to the figure, it will be observed that the mains at any one point only carry a current equal to that required by the lamps beyond that point. Thus, while the portions, A, B, take the whole current, those portions between the last lamp and the last but one only carry half an ampere. The size of the mains might, therefore, be reduced by one hundredth as each lamp is passed, and the same density of current in the conductors be retained. This is equivalent to bunching 100 wires together to form the main, and taking out one of them at every lamp. If 100 wires were separately insulated, that is to say, if the lead and return wire were used between the dynamo and each lamp, the pressure at the ends of the conductors would be constant; and since the resistance in each circuit is also constant, the pressure at the lamps would be unaltered by any variation in the number through which the current flows. This forms a means of maintaining a perfect regulation, and of course the actual pressure at the lamp would be 110 volts.

resistance of its particular leads. Great as are the advantages of such a method, the expense would forbid its being employed in an installation extending over a large area. It will be seen, however, that with ordinary mains, if the resistance is sufficiently low to make the fall of potential very small, then the variation which would take place in the potential difference at the extreme end of the circuit becomes negligibly small. An extreme variation of 4 volts might be allowed, and then, by maintaining the normal pressure of 110 volts near the middle of the system, the nearest lamp would have but 112 volts and the furthest 108.

It is necessary to be able to observe in the engine-room the pressure existing at the far and near ends of the mains at any moment, so as to be able to keep one point as much below as the other is above the normal pressure; and this can be done by leading 'pilot-wires' from the mains at those points to a voltmeter placed at the generating station.

For instance, in fig. 286, a thin wire might be led from the point *a* and another from *b*, each to one terminal of the voltmeter, which would afford an indication of every variation at the extreme end of the mains. A second pair of pilot wires might be led from the nearest lamp; or by leading one pair only, connected to the mains at the centre of the system, and keeping the potential there at 110 volts, a good average regulation might be maintained.

At an installation at Kensington Court, over two thousand 100-volt lamps are run in parallel, batteries of secondary cells being used in conjunction with the dynamos, for regulating, and assisting the machines to meet any large demand. Several circuits branch out from the engine-house, some of the lamps being 900 yards distant. At the extreme ends of all the mains, a pressure of 100 volts is maintained, while that at the nearest lamp does not exceed 102 volts. A pair of thin wires is led, as mentioned above, from the end of the mains, to a voltmeter in the engine house, and when this instrument indicates a fall of potential (caused by the switching in of more lamps) the attendant immediately switches one or two secondary cells on to that pair of mains, in series with the existing cells, thus raising the pressure to the required value; the cells being of course cut out when the voltmeter indicates a rise of potential. The mains employed in this case consist partly of

ordinary insulated cable, and partly of bare copper conductors stretched over porcelain insulators, in concreted channels.

Although on a simple parallel system of distribution, the arrangement is such that the whole of the lamps are connected in parallel between the two mains, it is evidently impracticable to join them directly across (as indicated in the case of the nearest and furthest lamps in fig. 286), when the mains are carried under the roadway. It is necessary to lead a wire from each main to every group of lamps, say to every house supplied, in the manner indicated at *M*, *N*. The higher potential mains are throughout marked +, and the lower potential, or return wires —. These subsidiary mains should be proportioned in size according to the number of lamps to be supplied by them.

It is not possible, however, to sufficiently reduce the resistance of a single pair of mains leading direct from the dynamo to maintain even approximately a constant pressure at all the lamps if they are distributed over a large area; a method of facilitating regulation in such a case, by the employment of subsidiary mains which feed the mains proper at certain points, but are not themselves tapped by lamp circuits, will be described later on.

The method of employing a battery of secondary cells so as to assist in the regulation, or in the maintenance of a constant potential, is indicated in fig. 286, where *s* represents such a battery. The cells are joined in parallel with the dynamo, and are charged by it without any alteration in the connections being necessitated.

The interactions between the two generators—the dynamo and the battery—may be embraced under three heads. (*a*) When the E.M.F. of the battery is less than the potential difference at the dynamo terminals, the machine is supplying current to the lamps and at the same time charging the cells, the strength of the current passing through the cells depending upon the excess of the potential difference maintained by the machine over the E.M.F. of the cells. (*b*) When the E.M.F. of the cells becomes equal to the potential difference at the machine terminals both generators are equally active in feeding the lamp circuit. (*c*) When the E.M.F. of the cells rises above the normal—that is, above that potential difference which is required to be maintained at the terminals of the generators in order to maintain the right pressure



at the lamps—then the battery not only feeds the lamp-current but raises the pressure at the machine terminals. This may happen, but the machine being shunt wound, the effect is to increase the current through the field coils, giving a stronger field, which again tends to increase the E.M.F. developed. When the potential difference thus rises, it becomes necessary to cut out one or two coils to prevent the pressure rising sufficiently high to injure the lamps. A suitable switch is employed for this purpose, and the regulation effected by an attendant in accordance with the indications of the voltmeter.

It will be remembered that if the engine should break down, the cells would drive the shunt machine as a motor in the same direction: but an automatic cut out should be provided to cut off the dynamo when the back-current from the cells exceeds a certain limit. A piece of apparatus capable of performing these operations was described in Chap. XIV.; it disconnects the machine when from any cause its potential difference falls below the E.M.F. of the cells. Under such circumstances the cells would be called upon, and should be able, to run even the whole of the lamps for a short period, or a portion of them for a considerable time.

It also becomes possible to economise power and the expense of attendance, by only running the machine during the hours when the demand is a maximum, allowing the cells to supply current to the few lamps required at other times.

It may occur to the student that a considerable saving in the mains would be effected by joining groups of lamps in series between the mains, all the groups being thus placed in parallel. This is so: for if the lamps were placed in sets of four in series, the potential difference between the mains would be four times that at the ends of one lamp, say 400 volts instead of 100. By this means the maximum current in the mains would be reduced to one-fourth, and the weight of copper correspondingly reduced, to give the same rate of loss of power.

But some serious difficulties arise in connection with such a system; for instance, if the filament of one lamp in a set breaks, the other three lamps in that set are immediately extinguished; and if, to remedy this, the faulty lamp is merely short-circuited, the remaining three get too much current, and may also be

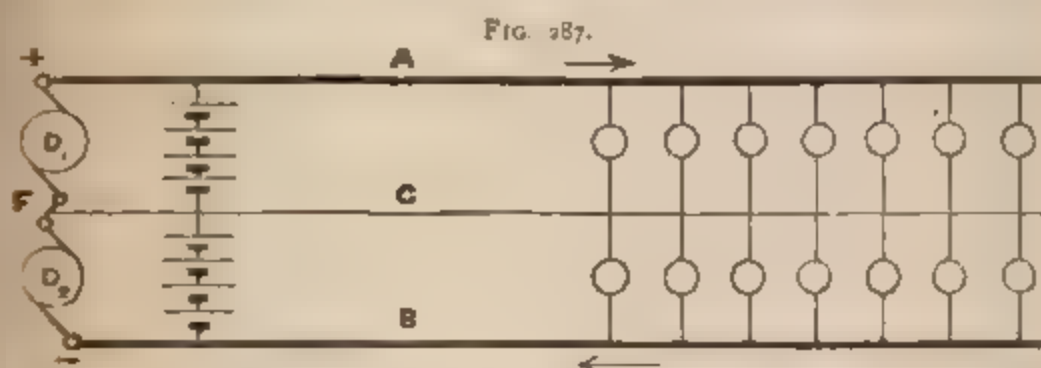


damaged. Of course a device may be adopted to automatically switch in a second lamp, or to replace the broken one by a resistance equal to it; but the latter arrangement is undesirable on account of the waste of power; and in either case the extra fittings cause additional trouble and expense.

The same objection arises in the ordinary case of switching out one of a batch of lamps.

But even if the lamps are joined in sets of only two in series, a considerable saving is effected; and a method by which this can be done without introducing any of the difficulties referred to is indicated by the diagram in fig. 287. It is known as the 'three-wire system.'

Two equal dynamos,  $D_1$ ,  $D_2$ , are joined in series, and connected to the mains, A, B, in the ordinary manner. That is to say, the positive terminal of  $D_1$  is joined to the positive main, A, and the negative terminal of  $D_2$  to the main, B, while the negative ter-



terminal of  $D_1$  is coupled to the positive of  $D_2$ . Suppose each machine to be capable of maintaining a potential difference of 110 volts; then when they are so joined in series they maintain the mains A and B at a difference of 220 volts. The lamps being joined, two in series, across the mains as indicated, the potential difference at the extremities of one of them is 110 volts. A third wire, C, much smaller than the mains, connects the junctions of the pairs of lamps, and is also joined to the junction of the dynamos.

Now when the number of lamps between A and C is the same as the number between B and C, the potential is the same at every point along the wire, C. Hence there is no tendency for any current to flow along the centre wire; it might, in fact, be cut at any point, or removed altogether, without in any way affecting the

working of the system. But when the lamps on either main are made unequal in number, this state of balance no longer exists. Suppose a lamp between  $a$  and  $c$  to be switched out of the circuit; then the resistance between  $a$  and  $c$  to be sw. no longer the total of potential becomes greater, than between  $a$  and  $b$ . But the mains  $A$  and  $B$  are kept at approximately the same potential difference, and if the difference between  $a$  and  $c$  is increased, it can only be by the lowering of the potential of  $c$ . The effect of cutting out a lamp between  $a$  and  $c$ , then, is to lower the potential of  $c$  near the point where the lamp is connected. But the potential at the point  $F$  remains unaltered; consequently the difference of potential establishes a current in the wire  $c$ , from the junction of the machines to the lamp, the strength is equal to that which flows through one lamp in the main. In fact, be considered as the current which passes in the additional lamp between  $F$  and  $c$ . If a lamp between  $a$  and  $c$  is now switched out, balance is again restored, and no current passes along  $c$ . When the number between  $a$  and  $c$  is greater, the difference between those leads is lessened, the potential of  $c$  near the lamps is raised. This determines of a current from the lamps to the junction of the mains, the entire wire. If the whole of one set of lamps is then the entire wire would have to carry the current of all the lamps in the remaining set, in which case it would be as large as the other mains. The mains are made equal, but it is usually found that this is not the case with the lamps, due to the resistance of the wire, and the resistance of the lamps.

It has been pointed out that the mains are made equal, but it is usually found that this is not the case with the lamps, due to the resistance of the wire, and the resistance of the lamps. This may be explained as follows:

as indicated in the diagram; two complete sets of cells being used, their positive and negative terminals being connected to the mains and to the centre wire in the same manner as are the other terminals.

Means of reducing the difficulty of maintaining a uniform potential difference along lengthy mains, is afforded by the use of identical conductors connecting various points in the circuit with the generating station, and these subsidiary leads are called 'feeders.' In some cases the mains themselves are not connected direct with the generator, the whole of the current being supplied to them at suitable points by way of the feeders. The potential difference at or near the particular point to which a pair of feeders is connected, varies (as it does, with a variation in the number of lamps in use), this difference is compensated for by correspondingly varying the pressure applied to the feeders, or by some other means varying the current passing through them. When, for instance, the number of lamps in use is increased, the pressure between the mains falls, and more current is required to be supplied by the feeders, and *vice versa*.

It becomes necessary, therefore, to provide some means for indicating, at the generating station, the variations of the potential difference at the points where the feeders join the mains. This is readily supplied by the employment of pilot wires, after the manner already described, these wires being simply connected to a voltmeter. When the instrument shows a fall of potential, the pressure along the pair of feeders is augmented until the potential point is raised to the required standard. On the other hand, should the potential difference in the mains rise, then the pressure on the feeders must be reduced. But economical adjustment of the pressure is somewhat difficult of attainment. It would, for instance, be generally practicable to use a separate dynamo for each pair of feeders, and to vary its output to suit the demand. But this would require more dynamos connected to a common circuit, and the whole of the feeders would have to be connected between these bars must be regulated, and the regulation can then be effected by varying the electro-motive force



For example, a wire of No. 12 B.W.G. would carry the current with safety, but a No. 8 or No. 10 is practically used on account of its greater strength. When the conductor is stranded, 7 No. 16's are employed, although 7 No. 20's would, from an electrical point of view, suffice. We ought perhaps to mention that all overhead bare conductors must be of hard-drawn copper in order to obtain the requisite mechanical strength. Ordinary pure copper is comparatively soft, and in a span of any considerable length cannot sustain its own weight; while in a gale, the wind pressure enormously increases the strain upon the wire.

Bare conductors are supported on insulators which are in turn supported by poles either of iron or wood according to local circumstances. One advantage pertaining to wood is that in the event of an insulator breaking, the conductor is still partially insulated from the earth, which would not be the case were an iron pole employed. Iron poles are obligatory for over-house work, or where appearance has to be taken into account. The best pole is that which consists of the complete trunk of a straight larch or other similar tree, which, after having been well seasoned, is thoroughly impregnated with good creosote. The natural life of the pole is enormously lengthened by this treatment. A convenient compromise is often effected by fixing a wooden top into an iron socket.

Insulators can be made from a variety of substances, but for climatic and other cogent reasons, white glazed porcelain is most frequently employed.

The chief requirements are hardness, smoothness, and imperviousness to moisture. Lacking either of these, the insulator is practically useless. It should be hard in order to resist abrasion by the wire; it should be smooth to prevent the accumulation of dust and dirt, to facilitate cleansing by rain, and to avoid the unnecessary wearing away of the conductor; and it should be impervious to moisture, in order that the rain should fall off instead of entering the pores of the substance and reduce, more or less permanently, its insulating properties.

Brown earthenware, made from clay, is, taking all things into consideration, also a good material. It is very hard, very durable, has a high resistance, and the glaze which it can take,



[illegible][illegible]

...the ... .. be ... .. the ... ..

... and the ...

1. 2. 3. 4. 5. 6. 7. 8. 9. 10. 11. 12. 13. 14. 15. 16. 17. 18. 19. 20. 21. 22. 23. 24. 25. 26. 27. 28. 29. 30. 31. 32. 33. 34. 35. 36. 37. 38. 39. 40. 41. 42. 43. 44. 45. 46. 47. 48. 49. 50. 51. 52. 53. 54. 55. 56. 57. 58. 59. 60. 61. 62. 63. 64. 65. 66. 67. 68. 69. 70. 71. 72. 73. 74. 75. 76. 77. 78. 79. 80. 81. 82. 83. 84. 85. 86. 87. 88. 89. 90. 91. 92. 93. 94. 95. 96. 97. 98. 99. 100. 101. 102. 103. 104. 105. 106. 107. 108. 109. 110. 111. 112. 113. 114. 115. 116. 117. 118. 119. 120. 121. 122. 123. 124. 125. 126. 127. 128. 129. 130. 131. 132. 133. 134. 135. 136. 137. 138. 139. 140. 141. 142. 143. 144. 145. 146. 147. 148. 149. 150. 151. 152. 153. 154. 155. 156. 157. 158. 159. 160. 161. 162. 163. 164. 165. 166. 167. 168. 169. 170. 171. 172. 173. 174. 175. 176. 177. 178. 179. 180. 181. 182. 183. 184. 185. 186. 187. 188. 189. 190. 191. 192. 193. 194. 195. 196. 197. 198. 199. 200. 201. 202. 203. 204. 205. 206. 207. 208. 209. 210. 211. 212. 213. 214. 215. 216. 217. 218. 219. 220. 221. 222. 223. 224. 225. 226. 227. 228. 229. 230. 231. 232. 233. 234. 235. 236. 237. 238. 239. 240. 241. 242. 243. 244. 245. 246. 247. 248. 249. 250. 251. 252. 253. 254. 255. 256. 257. 258. 259. 260. 261. 262. 263. 264. 265. 266. 267. 268. 269. 270. 271. 272. 273. 274. 275. 276. 277. 278. 279. 280. 281. 282. 283. 284. 285. 286. 287. 288. 289. 290. 291. 292. 293. 294. 295. 296. 297. 298. 299. 300. 301. 302. 303. 304. 305. 306. 307. 308. 309. 310. 311. 312. 313. 314. 315. 316. 317. 318. 319. 320. 321. 322. 323. 324. 325. 326. 327. 328. 329. 330. 331. 332. 333. 334. 335. 336. 337. 338. 339. 340. 341. 342. 343. 344. 345. 346. 347. 348. 349. 350. 351. 352. 353. 354. 355. 356. 357. 358. 359. 360. 361. 362. 363. 364. 365. 366. 367. 368. 369. 370. 371. 372. 373. 374. 375. 376. 377. 378. 379. 380. 381. 382. 383. 384. 385. 386. 387. 388. 389. 390. 391. 392. 393. 394. 395. 396. 397. 398. 399. 400. 401. 402. 403. 404. 405. 406. 407. 408. 409. 410. 411. 412. 413. 414. 415. 416. 417. 418. 419. 420. 421. 422. 423. 424. 425. 426. 427. 428. 429. 430. 431. 432. 433. 434. 435. 436. 437. 438. 439. 440. 441. 442. 443. 444. 445. 446. 447. 448. 449. 450. 451. 452. 453. 454. 455. 456. 457. 458. 459. 460. 461. 462. 463. 464. 465. 466. 467. 468. 469. 470. 471. 472. 473. 474. 475. 476. 477. 478. 479. 480. 481. 482. 483. 484. 485. 486. 487. 488. 489. 490. 491. 492. 493. 494. 495. 496. 497. 498. 499. 500. 501. 502. 503. 504. 505. 506. 507. 508. 509. 510. 511. 512. 513. 514. 515. 516. 517. 518. 519. 520. 521. 522. 523. 524. 525. 526. 527. 528. 529. 530. 531. 532. 533. 534. 535. 536. 537. 538. 539. 540. 541. 542. 543. 544. 545. 546. 547. 548. 549. 550. 551. 552. 553. 554. 555. 556. 557. 558. 559. 560. 561. 562. 563. 564. 565. 566. 567. 568. 569. 570. 571. 572. 573. 574. 575. 576. 577. 578. 579. 580. 581. 582. 583. 584. 585. 586. 587. 588. 589. 590. 591. 592. 593. 594. 595. 596. 597. 598. 599. 600. 601. 602. 603. 604. 605. 606. 607. 608. 609. 610. 611. 612. 613. 614. 615. 616. 617. 618. 619. 620. 621. 622. 623. 624. 625. 626. 627. 628. 629. 630. 631. 632. 633. 634. 635. 636. 637. 638. 639. 640. 641. 642. 643. 644. 645. 646. 647. 648. 649. 650. 651. 652. 653. 654. 655. 656. 657. 658. 659. 660. 661. 662. 663. 664. 665. 666. 667. 668. 669. 670. 671. 672. 673. 674. 675. 676. 677. 678. 679. 680. 681. 682. 683. 684. 685. 686. 687. 688. 689. 690. 691. 692. 693. 694. 695. 696. 697. 698. 699. 700. 701. 702. 703. 704. 705. 706. 707. 708. 709. 710. 711. 712. 713. 714. 715. 716. 717. 718. 719. 720. 721. 722. 723. 724. 725. 726. 727. 728. 729. 730. 731. 732. 733. 734. 735. 736. 737. 738. 739. 740. 741. 742. 743. 744. 745. 746. 747. 748. 749. 750. 751. 752. 753. 754. 755. 756. 757. 758. 759. 760. 761. 762. 763. 764. 765. 766. 767. 768. 769. 770. 771. 772. 773. 774. 775. 776. 777. 778. 779. 780. 781. 782. 783. 784. 785. 786. 787. 788. 789. 790. 791. 792. 793. 794. 795. 796. 797. 798. 799. 800. 801. 802. 803. 804. 805. 806. 807. 808. 809. 810. 811. 812. 813. 814. 815. 816. 817. 818. 819. 820. 821. 822. 823. 824. 825. 826. 827. 828. 829. 830. 831. 832. 833. 834. 835. 836. 837. 838. 839. 840. 84

the area of  
at the nation

\_\_\_\_\_

ed on tight with ... The  
 the event of the wire the distance ...

removing the  
 The method  
 ing the wire  
 an insulator is  
 ated in fir



The con-  
 or is laid in  
 groove, and a  
 of thin bind-

wire, three or four feet long, is twisted several times round the  
 factor on one side, A, of the insulator, it is then wound round  
 insulator and is next  
 ed several times round  
 conductor on the other  
 e, after which it is wound  
 again, round the insu  
 once more, and again  
 the conductor on the

Sometimes the bind-  
 re soldered.  
 en high potential dif-  
 es are employed, no  
 or expense should be  
 to ensure the most  
 insulation possible.  
 of insulator very  
 this pur-  
 mid dis-  
 leakage



fig.  
 and  
 a

the path of leakage, the tip of the  
 the inner side to form a circular

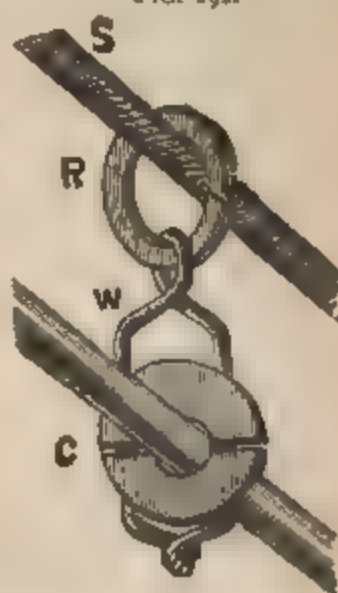
The first of these is the  
 fact that the wire is not  
 perfectly straight, but is  
 curved in a certain direction.  
 This is due to the fact that  
 the wire is not perfectly  
 uniform in thickness, and  
 the tension is not perfectly  
 uniform. The second is the  
 fact that the wire is not  
 perfectly straight, but is  
 curved in a certain direction.  
 This is due to the fact that  
 the wire is not perfectly  
 uniform in thickness, and  
 the tension is not perfectly  
 uniform.



insulators of porcelain or glass  
 bolt passing through the insulator  
 bolted to the pole. The  
 main wire is attached to the  
 by a small insulator. The  
 insulator being of the  
 freedom of movement  
 in the air. The  
 wire makes an  
 When an insulator  
 is used in the line  
 the wire would be

, and that at the very point where complete insulation is viz., at the insulator itself. There is also the further difficulty that an ordinary covered cable has not sufficient tensile strength to enable it to support its own weight in a span of any considerable length. In such cases, a steel wire or rope *s* (fig. 292), supported by shackle insulators, and a number of split steel rings, *R*. In each ring is a galvanized iron pin *w*, which supports a vulcanite sleeve *c* and through which the cable is

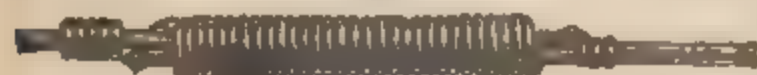
FIG. 292.



sometimes the conductor is suspended between a pair of steel ropes by means of V-shaped pieces of iron wire, these being attached to three small white porcelain threaded one on to the conductor and the others on the ropes.

One of the most important details in connection with the running of electrical wires is that of jointing. The chief features which should be observed in a well-made joint are, that the electrical continuity should be fully maintained, that its mechanical strength should be equal to that of the conductor itself, that no free ends should be left on the finished joint, that it should be durable electrically and mechanically, that it should be as compact as possible, and that with a covered wire the insulating coating should be made continuous and as uniform as possible. For solid conductors up to a quarter of an inch or so in diameter, there is no better joint than that known as the 'lap joint' (fig. 293), which illustrates a joint of this kind made

FIG. 293.



of two lengths of No. 8 B.W.G., bound with No. 16. The ends of the two conductors are carefully scraped and laid side-by-side for a distance of about two inches, about an inch or so from the extremity of each of them, having been previously bent up at

right angles to the axis of the wire. They are then wound *very* tightly, with several turns of thin binding wire. The binding is commenced on one of the wires only, round which four or five turns are wound; it is then continued as close as possible over the two wires, until the turned up portion of the second wire is reached, a few turns continued round the single wire completing the winding. The joint is finished by carefully and completely soldering it into one mass, and cutting off the then protruding ends of the wires, stray pieces of solder, &c. A joint made in this way approaches as nearly as possible to perfection, for its resistance is less than that of the other portions of the conductor, and its mechanical strength is much greater.

The method of jointing a covered stranded conductor is simple. Supposing it to be a 7-wire strand, the insulating covering is removed from each end for a distance of a few inches, care being taken to avoid nicking the copper. All the separate wires are then opened out and the centre wire on each of the ends to be joined, is cut off short. The two sets of wires are next brought end to end, and laced together, just as would happen when two hands are placed palm to palm, and the fingers of one hand placed between those of the other. This being done, the protruding ends of each conductor are wrapped closely round the other, the two wrappings being in opposite directions. The joint is then trimmed round with the pliers, and the whole well soldered together. The soldering is a more important matter than would at first sight appear, since the solder is relied upon to maintain the electrical continuity. Every care should therefore be taken that the copper surfaces are scraped clean before making the joint, that they are not handled more than is absolutely necessary, and that steps should be taken, as far as possible, to prevent oxidation. A very good plan is to use tinned wire, and to employ only resin as a flux. The conductor-joint having been completed, the insulating covering is then made good. If the material is gutta-percha, the conductor is wrapped with several layers of gutta-percha tissue which is softened by warming with a spirit lamp, and kneaded by the fingers to expel air bubbles. A few layers of gutta-percha strip are afterwards similarly applied, warmed and surfaced up with a warm metal tool, prepared tape being wound



to complete the joint. When the insulating material is india-rubber, strips of pure rubber are employed instead of gutta-percha.

When the conductors are to be laid underground, the chief difficulty to be contended with is the provision of efficient and durable insulation. The simplest method is to support the bare conductor by suitable insulators, after the manner described in Chapter XII. The distance between the insulators depends rather upon the rigidity of the conductor, or upon the tension which it can withstand. Since every insulator is a point of leakage it is obviously necessary that their number should be reduced as far as possible.

In some electric lighting installations the bare conductors are supported by ordinary porcelain insulators fixed in a brickwork conduit with a concrete lining. In others, such as that in the Pall Mall district (London), in which the three-wire system is employed, the mains are carried in underground channels almost long in section, and made of cast-iron. At the junction of adjacent lengths a groove is formed in the sides of the channel, in which, at right angles to the length of the channel, is fitted a stout porcelain slab. The under edge of the slab is arched to allow the free flow of water along the bottom of the channel. The slab is also three deep vertical slots across the top, the centre one being somewhat narrower than the other two. Each conductor consists of a number of bare copper strips placed edgewise in the slots, and drawn tight enough to prevent contact laterally, while the depth of the strip is sufficient to prevent sagging. The centre conductor is formed of fewer strips than the outer mains; while the conductivity of all of them can readily be reduced beyond the points where branch circuits tap the mains, by reducing the number of strips. Long experience with underground chambers and channels, such as are employed for many other purposes, has shown that it is impossible to prevent the accumulation of water within them; hence the necessity for amply providing for the ready escape of water, that is to say, the conduit must be well drained. Electric light engineers have not yet had a sufficiently lengthy experience to enable them to appreciate fully the difficulties which await them, such as those due to the corro-

sion of the iron and the falling of scale from the roof and sides of the channel; and to the incrustations and fungoid growths which manifest themselves in damp underground chambers. It would appear to be essential that good drainage should be supplemented by ample ventilation. Even were a conduit to be made water-tight there would still be sufficient moisture caused by condensation to oxidise the iron and make the surfaces of the insulators damp; although the passage of a heavy leakage current tends to dry the surface over which it passes.

It will, however, be evident that were the pipe containing the conductors filled with some good liquid insulating material, this accumulation of moisture with the attending disadvantages would be avoided. Paraffin oil is a liquid which has remarkably high insulating properties, and is, therefore, suitable for this purpose, but with a conduit constructed in the ordinary way, the quantity of oil required would be enormous. On account, however, of its high specific resistance, a thin film suffices to prevent leakage from one conductor to another, even though the potential difference between them be very great. The Brooks system is based upon this principle. So far the only application of it in this country has been to telegraphy, where, however, it has proved to be both reliable and economical under almost the worst possible conditions. A cable was made of forty cotton-covered copper wires of about No. 18 B.W.G. These were bound round with ordinary braid and drawn into a wrought iron pipe of about  $1\frac{1}{4}$  inch internal diameter, the length of the cable being about  $1\frac{1}{2}$  mile. The ends of the pipe by which the cable enters and leaves were sealed for a distance of two or three yards with paraffin wax, and paraffin oil was then supplied from a reservoir placed at one end at such a height as to be above the level of the other end. The joints in the pipe were made as secure as possible, but for some time the line was subject to a series of faults, caused by the leakage of the oil. The average loss may be put down at about thirty gallons a month, although from February to September 1889 only thirty six gallons had to be added. It is essential that the pipe should be not only water-tight, but also paraffin tight. The paraffin has, in fact, been known to exude through the iron itself, and stand in small beads

on the outer surface; hence the necessity for using the best wrought-iron pipes. The chief objection to the system, the insulation-resistance of which is almost infinite, is that it affords few or no facilities for branching or T-ing.

The insulation-resistance being practically infinite, the system merits the serious attention of electric light and power-transmission engineers; but in cases where the mains are tapped at frequent intervals, the difficulty of making the branch connections will probably prove a serious drawback. In telegraph work, when two or more of the conductors get into contact, through the leakage of the oil, the fault is removed by refilling the reservoir, and so forcing more oil into the pipe; but a serious accident might arise from such a fault were the conductors to be employed for the transmission of heavy currents or currents of high potential difference. Some substance other than paraffin wax would also be required for sealing purposes, for were the conductors to become heated through a short-circuit, the wax would be melted and the oil allowed to escape.

Another method of insulating underground conductors, and the one generally adopted, is to cover the copper with some durable substance of high specific resistance, such as india-rubber or gutta-percha.

In all such cases it is essential not only to efficiently insulate the conductor, but also to protect the insulating covering from deterioration by exposure, and to protect the whole cable from mechanical injury. When these points are very carefully attended to, an installation with insulated underground cables for the mains is very reliable, and gives little or no trouble in maintenance. But carelessness in manufacture or laying, or the use of inferior materials, gives rise to troublesome and most expensive repairs.

At present there is a tendency towards false economy in this matter. A thin covering of the insulating material is placed over the conductor, and when new and absolutely perfect the insulation may test higher than is actually essential in practice. But the slightest indentation or abrasion of the covering, such as may easily happen, and does happen, in handling during the process of laying, even if it does not quite expose the copper, leaves such

a weak spot that the development of a 'fault' there, becomes only a question of time. The insulating covering, of whatever material, should be of reasonable thickness, not so much for the purpose of obtaining an extremely high initial insulation resistance, as to ensure its maintenance at a fairly good value. Gutta-percha must be used with caution. If not exposed to light and air it is practically imperishable, and it may therefore be used with advantage under conditions which are at all similar to those obtaining in the case of a submarine telegraph cable; but it quickly cracks and perishes if employed in a dry, airy situation. In such cases india-rubber would be preferable; but for underground work pure and simple there is very little to choose between these two substances. With rubber, the copper requires to be tinned in order to protect it against the sulphur which rubber insulation usually contains. Gutta-percha, however, softens at a lower temperature than does india rubber, and hence is more likely to allow the conductor to become decentralised when heated by the current.

These materials are the best available for insulating purposes, but they are expensive, and a large number of substitutes have been introduced. Some of them are fibrous in their constitution, and are impregnated with an insulating oil. Their specific resistances are lower than those of percha or rubber, but this is not a serious drawback provided the coating is sufficiently thick. They are not as a rule impervious to moisture, and require therefore a waterproof covering.

In some instances the temperature at which the compound softens is very high, whence the tendency to decentralisation is reduced.

Bitumen is a good insulating material, but it softens at a low temperature, and even at normal temperatures it is so plastic that the weight of the conductor itself would cause it to sink through the coating. The processes employed by the Callender Bitumen Co. overcome these objections. The material is vulcanised or treated with sulphur, with the result that, while retaining its high insulating properties, it becomes rigid and holds the wire permanently in position, even though the temperature of the conductor be considerably raised. The conductor is usually of stranded copper wire, tinned to protect it from the sulphur. It is



first coated with a sheath of the vulcanised bitumen, applied under heavy pressure in one solid layer to the required thickness. This sheathing is then covered with cotton tape treated with bitumen, the number of layers ranging from one to five; the cable is passed through a bath of hot compound after each serving of tape. The next process, for underground cables, is to apply a coating of jute yarn, and after another passage through the bath to cover it with hemp braid. Most of the cables are subjected to this treatment, the higher degrees of insulation being obtained by increasing the thickness of the dielectric—that is, of the vulcanised bitumen. For the smaller cables, such as are employed for indoor work, a layer of parchment tape is interposed between the conductor and the bitumen.

For important underground work the company has three distinct systems, the cables in all such cases being made as already described with the higher degree of insulation. In the first of these systems, a rectangular cast-iron trough is laid in a trench. The troughing is made in six-foot lengths, the thickness of the metal ranging from three to five-sixteenths of an inch; the internal dimensions vary according to the number and size of the cables, but in all cases the cable is kept at some considerable distance from the iron. One end of each length of the troughing fits into a socket made at the adjacent end of its neighbour. The two lengths are then bolted together and the joint sealed with bitumen. The cables are supported by a number of wooden bridges, generally placed at intervals of two feet. Each bridge before being placed in position is treated with bitumen, and has two or more vertical slots, according to the number of cables, each slot being rounded at the bottom, and just wide enough to fit the cable. A small quantity of natural or unvulcanised bitumen is run along the trough, and the bridges are imbedded in it before it solidifies. The cables are then laid in position in their respective slots, the dimensions of the wood being sufficient to keep them well clear of each other and of the iron. The trough is next filled up with pure bitumen and covered in with a one-inch layer of concrete, or an iron lid. It may be urged as an objection to this system that, the cables having been once laid, cannot in the event of a fault occurring be withdrawn; but, on the other hand, the system permits



of such good work being put in that the chances of a breakdown can be made very remote.

The second of these systems is designed to allow the cables which are similar to those used in the previous case, to be withdrawn separately. The channelling consists of blocks of bituminous concrete made in six-foot lengths and jointed by a saddle-piece of the same material. The blocks are provided with longitudinal circular holes or 'ways,' varying in size and number according to the requirements, but only one cable is placed in each way. In most cases there are either two, three, or four ways, the diameter most frequently employed being  $1\frac{1}{2}$ , 2, or  $2\frac{1}{2}$  inches.

Draw-boxes are provided at convenient intervals, and the blocks having been fixed together in the trench, the cables are drawn in. This system has also the advantage that, should the cable covering fail or give way, serious damage is prevented from the fact that the supporting material, *i.e.* the bituminous concrete, is a good insulator.

The 'saddle-pieces' embrace the sides and bottom of the blocks, and are provided with two grooves (one on either side of the joint), which are filled with bitumen.

In the third system the insulating material is fibrous in its constitution and is sheathed in lead. Over the conductor is wound a layer of parchment tape. Next to this is applied a rather thick layer of fine yarn, which has been dried at a very high temperature and then impregnated with boiling bitumen under pressure. The characteristic feature of this cable consists, in fact, in the processes adopted for the complete exclusion of moisture and air. Immediately after the impregnation is completed, and while the bitumen is still hot, the lead sheathing is put on direct with the aid of hydraulic pressure. The subsequent treatment varies with circumstances, but it is usually necessary to protect the lead from mechanical injury and the chemical effects of certain soils. For these purposes, the lead is passed through an asphaltic bath and is then served with steel wire or ribbon, which is also covered with bitumenised tape or braid.

We have already described the method of making the splayed or long joint for stranded conductors, but in all Callender cables another form, known as the 'marriage' joint, is employed. A portion of the joint is illustrated in fig. 294. More skill and time are

make this joint than are involved in the ordinary was the advantage that the joint was made of one piece throughout. It is also very strong and permanent, and is wound separately round the others and is not so that it abuts against the end of a strand from the the joint. The end-to-end attachments are made as usual, as can be gathered from the illustration, and the soldered. The covering is made good by means of

FIG. 20.



tical with those already on the cable. In the case of sheathing, an ordinary wired joint is not recommended, the uncertainty of always getting a good joint by this method is not adopted. The cable is placed in a cast-iron joint box, which, after the necessary wiring has been

FIG. 21.

is filled up with concrete. A similar joint is made with three wires at a T-joint. The type of electric cable is manufactured by Messrs. Fellen & Co. One form of cable is used for one of the three wire incandescent lighting system. The cable is made of copper and a layer of



the thickness of which is about 1/8 inch. The cable is made of copper and a layer of

compound; and mechanical protection is afforded by a double sheathing of iron ribbon (shown white), the external covering being another serving of the impervious compound. This cable was constructed to be laid bare in a trench, and it contains the pilot wires which are necessary on an extensive parallel system. These two wires can be seen on the left of the conductor; they are of thin copper insulated with gutta-percha.

The lead sheathing is drawn on cold at an enormous pressure, and squeezes the fibre insulation into a solid mass. The two coatings of lead afford greater security against a small imperfection than could be obtained by a single coating with the same weight of metal.

When the cables are laid in an iron troughing, the iron sheathing is dispensed with, and the pilot wires are laid separately.

Wires inside a building must be efficiently protected to avoid damage or accident, as well as to maintain the insulation. A good plan is to run the wires along parallel grooves in a wood casing, as it is usually stipulated that the coverings of the two conductors should always be separated by an independent solid insulating substance. When it is necessary for one wire to cross another, a slip of wood is interposed. The casing can be made in a variety of forms, and if necessary can match the beading or cornice.

India rubber covered with braided cotton forms about the best material for insulation for indoor work. Gutta-percha, for the reasons already enumerated, is less suitable, although its life can be considerably lengthened by protecting it from the atmosphere, which can be accomplished by carefully covering it with tarred tape.

We have already described certain pieces of measuring apparatus, but there are a number of other internal fittings which now claim attention.

The switch is a piece of apparatus which is in constant use, and for a variety of purposes, but chiefly to form a ready and expeditious means of making and breaking a circuit. The extension of the electric light has engendered a considerable development in the constructional details of such instruments, but in almost all cases the same general objects have been kept well in view. The forms of switch in use prior to 1878, from which time the revival

If electric lighting may be said to date, are altogether inadequate for present purposes, mainly on account of the large currents which they are required to carry, and the high potential differences which may exist between the different portions of the apparatus.

In order that a switch may be capable of efficiently performing its functions, its metallic parts must be sufficiently massive to carry the required current without heating or offering any appreciable resistance; the contact surfaces must for similar reasons be extensive; the moving contact piece must press firmly on to the fixed one; and simple striking contacts must give place to rubbing contacts, to avoid partial insulation through accumulation of dust and metallic oxide films. The circuit should not, when otherwise practicable, be completed through the axle upon which the rotating arm travels, unless a good independent rubbing contact between the axle and the bearing is provided, as dirt, oxide, &c., are liable to accumulate at the bearing surfaces, and in time impair the efficiency of the switch.

The switch should be so constructed that there is the minimum abrasion and wearing compatible with good and certain contact, and such parts as do wear away should be easily adjustable or cheaply renewable, so as to permit the re-establishment of good contact. In all cases, but more especially for currents of high E.M.F., the lever should be provided with a handle of insulating material. The terminals should never be so placed that in turning the handle there is any chance of the instrument being short-circuited by the operator's hand. When contact is broken the current (especially if the circuit contains any apparatus having considerable self induction) sparks across the air space in the effort to continue its course, volatilising a portion of the metal surfaces. After such an 'arc' has been once established its maintenance is not a matter of great difficulty; and it is evident that such an arc is quite competent to start a serious fire, besides in any case damaging the switch contacts. It is advisable to provide a snap action, so that the lever is set decidedly either on or off the fixed contact, the spring being so arranged that the lever is jerked quite away when it is turned almost out of contact. The actual sparking can in a great measure be prevented by causing the contact to be broken gradually instead of suddenly. The



movable contact can be made to quickly travel over a set of fixed contacts, throwing more resistance in circuit at each step, until the current has become so low that it is incompetent to cause a serious spark. Such a device need only be used in special cases. The contact surfaces can easily be protected by arranging two carbon rods, placed end to end, as a shunt, and allowing the contact between the two carbons to be broken just after that between the metallic surfaces. The sparking then occurs at the carbon surfaces, and the rods can easily be renewed when necessary. The base of the instrument should be of some good insulating material, not liable to warping or appreciable expansion or contraction. Wood should therefore be used with caution.

What is required is a material which is non-inflammable, a good insulator, does not readily condense moisture, or facilitate the accumulation of dust and dirt. Slate is a good material if free from impurities, such as mineral streaks or veins, glazed porcelain condenses moisture freely, and is brittle, the latter objection also applying to serpentine.

With these introductory remarks we can describe a few of the various forms of switch now in use. The 'ring' contact switch (fig. 296) is undoubtedly one of the best for carrying heavy

FIG. 296.



currents. It is mounted on a slate base, each terminal cap consisting of a number of split brass rings placed inside one another, the contact being made by forcing the connecting bar into the gap



the rings. This bar, which is a strip of stout brass with, in the particular form illustrated, the ends bent round, is provided with substantial wooden handles. As the contact surfaces wear away, the gap can be reduced by tightening up the bolt which it will be seen passes across the vertical diameter of the rings. Lugs cast to the under side of the outer rings extend beyond the base, and are bolted to terminals underneath, or to tubular holders in which the main wires can be soldered. It will be seen that this form of switch practically answers every requirement, the best possible connection being obtained, and the contact surface being self-cleaning. It is made to carry currents up to 100 amperes.

Messrs. Woodhouse & Rawson also make an excellent form of switch, shown in fig. 297. The switch bar consists of a number

FIG. 297

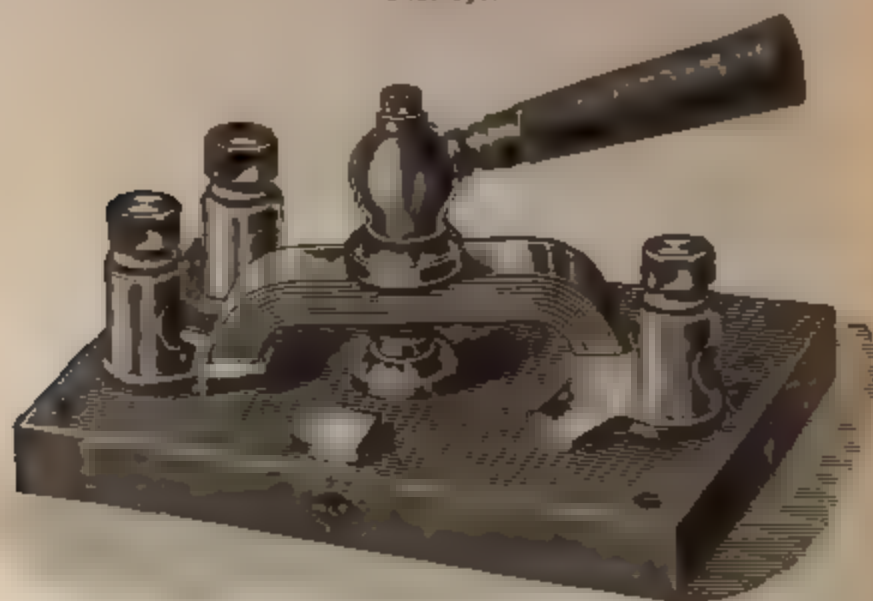


in this case four bent strips of hard brass, which rub on to blocks of a similar material. The edges of these blocks are

bevelled, to prevent the bar jarring against them, and at the same time to allow it to slide fully on to them, although the pressure is considerable. The switch has a quick break, almost instantaneous, owing to the action of a bent spring, which is compounded of four steel wires, as shown in the figure. This spring presses against a projection from the axle, which is edge-on when the switch is in the position shown, but which with a small movement is presented obliquely to the spring, allowing the latter to jerk the arm away clear of the contact blocks. These switches are provided with metal covers which are fixed by a bayonet joint.

Fig. 298 shows a modification which is made to carry up to

FIG. 298.

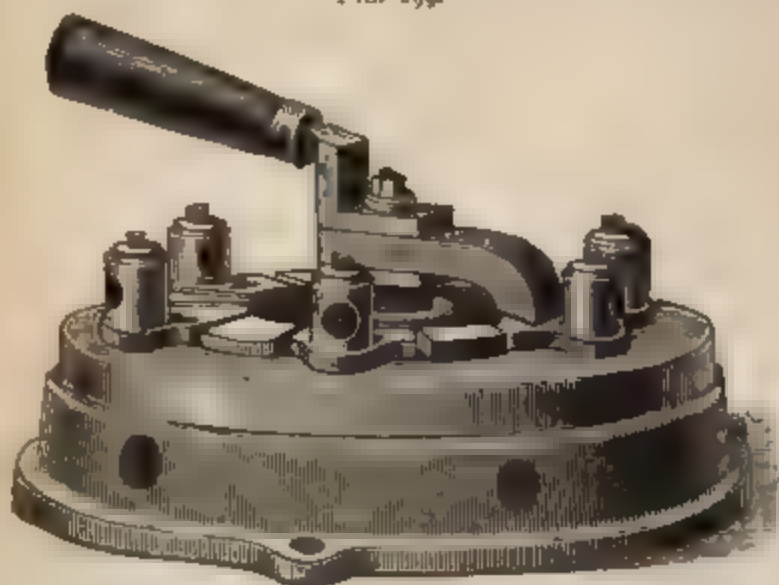


500 amperes. The contact arm or bar is made of several brass strips the extremities of which move over stout contact plates fixed to the slate base. This is a 'three-way' switch, the contact block, shown under the handle, being sufficiently large to allow the arm to complete the circuit from it to one or other of the two blocks near the opposite end of the arm. The circuit can also be completely disconnected, in which case the arm should be made to rest, in the intermediate position, on a pair of small plates, one of which can be seen in the front of the figure.

Fig. 299 illustrates a somewhat similar switch for enabling extra secondary cells to be placed in or out of circuit, one by one during charge or discharge, as the arm is made to rotate. The

Short circuiting of a cell is prevented by a coil of wire of suitable resistance mounted on a vulcanised fibre frame below the slate base, the whole switch being fixed on a hollow cast-iron frame,

FIG. 299.



perforated in several places to allow a free current of air to pass through it.

Another very useful form of switch is that in which the movable arm consists wholly or in part of thin flexible copper strips, screwed firmly into square tubes or sockets, and rubbing edgewise over solid brass or copper blocks. In one such switch the arm consists of a stiff flat spring terminating in square holders, in which the flexible brushes, composed of a great number of strips, are held by set screws. This type has the advantage that there is always an extensive contact surface, that adjustment is easy, that the brushes are comparatively inexpensive, and that they can be readily removed for cleaning or renewal.

In another switch of this type the arm consists of a large bundle of long flexible copper strips, passed through a rectangular hole in the axle and fixed firmly in position by screws. In this case the brushes rub against the inner vertical faces of the fixed blocks, instead of over the upper horizontal surface.

A switch of some kind is required in connection with every incandescent lamp or group of lamps, and of this class there is a vast number in use, many of them being simple forms of those

already described. Fig. 300 shows one made by Messrs. F. & L. Lancaster & Co., in which the wires are connected to a set of brass blocks which in their turn are connected to two flat springs, whose free ends ride over projections on the elaborate bar A B. Each of these projections consists of two parts, one being a non-conductor and the other brass. In the default of the flat springs rest on the two insulating studs, but on pressing A B inwards towards the left, the springs ride over and make contact with the brass studs, which being but the ends of a short brass rod passing through A B, complete the circuit of the lamp.



Fig. 301 illustrates a class of switch known as a wall socket, which is useful in cases where it is required to place a movable lamp in circuit at one or other of a number of positions, in such places as cellars, workshops, libraries, ship's bunkers, etc. The leads are joined to a pair of terminals in the lower block, which is permanently fixed in position. The upper or movable block carries the lamp, the terminals of which are connected to two spring plugs, which can be pushed into the socket piece and so complete the circuit through the lamp.

Highly important as switches undoubtedly are in an electric light circuit, cut outs can scarcely be said to be less so. The function of a cut out is primarily to prevent damage being done to the apparatus, the leads, or the building in which they are placed, by means of an unduly strong current; and the way in which it



ords this protection is by automatically disconnecting the circuit in the current from some cause, accidental or otherwise, exceeds a certain pre-determined limit.

There may be said to be two species of cut-outs, (a) those actuated by an electro-magnet, and (b) those consisting of a piece of wire or foil which melts or fuses with a current of definite strength.

A magnetic cut-out consists essentially of a coil of wire placed in the main circuit and provided with a movable core, or armature, which is attached a strip of metal also forming a part of the main circuit. When the current rises above the prescribed strength, the coil attracts its core or armature with sufficient force to draw away the strip and break the main circuit. But it is necessary for the contact made by the strip with the ends of the main circuit to be very good and also frictionless, otherwise the pull required to break contact would be liable to vary. In the best instruments the two ends of the main circuit terminate in cups which are partly filled with mercury. A horse-shoe shaped copper rod is attached at its centre to the armature, and each leg dips into one of the mercury cups. The contact is thus reliable, but there is a chance of serious sparking occurring at the mercury surface when the contact is broken with a heavy current, especially if any large electro-magnet having considerable self induction is included in the circuit. The advantages of such a cut out are, that it can readily be adjusted to act with certainty with any given current, either by varying the tension of an antagonistic spring, or by altering the centre of gravity of the moving piece. It can also be arranged to automatically restore the connection when the current falls again to a safe value. Although this latter arrangement is not as a rule adopted, the apparatus can be immediately restored to its normal state by hand, when the cause of the rise in the current has been discovered and removed. It is manifest that the resistance of the apparatus must be kept extremely low to avoid serious loss of power. It requires a certain amount of attention and is expensive compared with the type next to be considered, viz. the simple fuse.

A fuse can be constructed so as to offer very little resistance and therefore to absorb but little power. It must of course offer some resistance, since it is owing to the heat developed by



the current in overcoming this resistance that the fuse is melted. Obviously a fuse made of a metal which has a low melting point requires comparatively little electrical energy to raise it to a state of fusion; and hence a fuse composed of such a metal may be made of lower resistance, and so absorb less power, than if a metal with a high melting point (such as platinum,  $2,000^{\circ}\text{C}$ .) were employed. In fact, with a well-designed fuse the chief loss of power is likely to be in the careless connection of its extremities to the terminals of the main circuit.

Such a cut out has no working parts likely to get out of order or to need any attention, is very inexpensive, and, if properly designed, can be relied upon to act when the current reaches any particular strength, or at any rate within about 5 per cent. of it.

The fuse must be designed so as to break promptly and certainly, and manifestly it should not, if it can possibly be avoided, be allowed to get red-hot, otherwise the danger from fire becomes serious. The lower the temperature at which the metal employed melts, the less is the danger thus incurred. It must not be forgotten that good conductors of electricity are also good conductors of heat, and that therefore the terminal screws to which the fuse is attached conduct the heat rapidly away. This fact necessitates the fuse being made rather longer than would otherwise be the case; and while the terminals must be sufficiently massive to allow a good and reliable connection, they should not be unnecessarily so.

It is almost superfluous to add that the metal employed should be durable, and not subject to change from any cause such as oxidation. Platinum fulfils this condition admirably, and yet it is a most unsuitable material for general work on account of the high temperature at which it melts. It is, in fact, easy to maintain it at a bright red heat for a considerable length of time. Tin, however, melts at  $235^{\circ}\text{C}$ .; it is very durable, only slightly oxidisable, and, taking all things into consideration, is undoubtedly the best metal for a fuse.

The best work in this field has been performed by Mr A. C. Cockburn, whose fuse is illustrated in fig. 302. The wire is of pure tin, a leaden shot is cast on at the middle of the wire, and its extremities terminate in small contact rings. These rings are slipped over the terminal screws, and the wire

tightly screwed down reliable contact is ensured. The space between the screws is such that the sag of the wire is equal to that shown in the figure, and immediately the contact becomes strong enough to develop sufficient heat to soften the wire, the weight of the leaden shot causes prompt and decided break. The disconnection thus occurs long before the temperature is reached at which the wood would become red hot, and before any wood would ignite or even char.

FIG. 302.



Cases in which these fuses are fixed are usually made of hard wood, or of slate or porcelain for the base with a brass cover held by a bayonet joint. In some instances a wooden case lined with asbestos and fitted with a glass cover is employed, the advantage being that the fuse can easily be inspected, so when a number are in use it can quickly be ascertained which particular one it is that requires to be renewed. The rings at the ends of the wire enable the replacement to be effected with ease and rapidity, and they have the further advantage that they prevent any uncertainty as to the length of wire actually in use. If the capacity of the terminal screws for conducting away the heat affects the result, the fuse should only be employed in a particular type of case for which it has been designed.

FIG. 303.



For heavy currents several comparatively small fuses are connected in parallel, instead of using a massive wire, an arrangement which makes it certain the breaking of any one fuse when the particular current strength is exceeded.

In fig. 303 is shown one of the simple fuses placed in position, the cover of the case being removed. The ends of the lead are brought up through holes in the slate base, one of two fixed brass strips, the fuse itself being connected

to other terminal screws on the same strips. The case required be placed horizontally.

Many other types of cut outs are in use, some consisting of wire, and others of thin foil of various metals, but that of the type shown is probably the best for general work, and is sufficiently inexpensive to allow of one being placed in circuit with every incandescent lamp in any installation.

An illustration of a method by which a cut out may be used to protect a single lamp is furnished by fig. 304, which

FIG. 304.



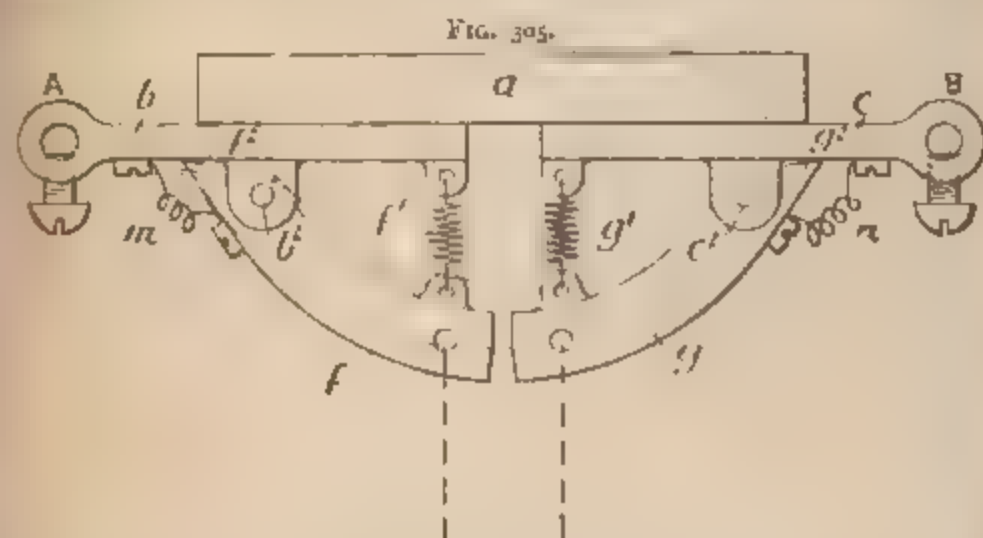
showing a ceiling rose, or a device for placing in circuit between a pair of leads along a ceiling, and suspending therefrom. The wires from the ceiling enter through holes in the back of the apparatus, and are connected each to a small brass block or strip, one of which is also connected to one lamp terminal, the other to one end of the fuse. The other end of the fuse and the terminal of the lamp are joined to the same brass block. The flexible double wire which the lamp is suspended is fed through a hole in the centre of the base, which screws on to the base.

One possible objection to the use of a fuse is that when it does act under the influence of a too powerful current, it is destroyed, breaks the circuit of the lamp, and must be replaced.

the circuit is again available. It will be evident that cut-outs must be cheap, placed in accessible situations, be easily replaceable, and be confined in an inflexible or non-inflammable case.

The cut-outs which we have thus far described are intended as a safeguard against the maintenance of an excessive current, as might be caused by the short circuiting of a lamp, and are more particularly applicable to constant potential, or constant working. When, however, a series circuit is fitted up,

to be guarded against is rather a disconnection than a short circuit, for should the filament of a single lamp, or any one of the conducting wires be broken, the current through the others will also be interrupted. We have already described in the preceding chapter) a few protecting devices for the lamps themselves, but none capable of affording protection in the case of a complete smash of a lamp have been dealt with. Mr A. A. Goldston has introduced a simple but ingenious contrivance for maintaining, under almost *all* circumstances, the continuity in a series circuit consisting of a number of suspended lamps. The device is illustrated in fig. 305, and is intended to short circuit the sus-



pending wires of any lamp in the event of one or both of those wires breaking, or if from any other cause the weight on either of the wires is reduced.

A and B are the two main terminals which are attached to the brass pieces  $f^2$   $g^2$  which are fixed on the insulating base  $a$ . The conducting spirals  $m$   $n$  serve to connect the screws  $b$   $c$  to another pair of screws on the contact-making levers  $f$   $g$ . These levers are able to turn through a small angle on the pins  $b^2$   $c^2$  and are supported by the spiral springs  $f^1$   $g^1$ . The wires by which the lamp is suspended are attached one to  $f$  and the other to  $g$ , the weight of the lamp sufficing to keep  $f$  and  $g$  apart. Should one of the wires, say that attached to  $f$ , break, the tension is reduced, and the corresponding spring  $f^1$  is allowed to act, drawing  $f$  into the position indicated by the dotted lines and completing the



circuit through the two pivoted levers direct. The device is applied to arc lamps, and can be fitted in incandescent lamp holders so as to maintain the circuit in the event of a disconnection at the platinum loops or in any portion of the holder. Spiral springs are in the actual apparatus provided with adjusting screws, by which their tension can be regulated so that were the bulb broken this slight reduction of the weight would cause the springs to raise the levers. The arrangement effectively provides also for the case of a complete smash of the bulb, such as might destroy the short-circuiting device inside the lamp itself. Under ordinary circumstances a short-circuiting device, or a fracture of either of, the suspending wires would initiate an arc, which would then probably travel up the holder and possibly start a fire. The device under notice prevents the maintenance of such an arc, because immediately the bulb is fused and the weight removed the two conductors are pulled out of circuit.

The apparatus is made in a variety of forms, but an advantage pertaining to the one illustrated is that the contact surfaces being vertical do not permit the accumulation of dust or dirt. The potential difference available in a series circuit is, however, sufficient to strike across even a considerable film of imperfectly conducting particles. It will be evident that to make this apparatus most efficient, it is better to use two separate instead of two conductors.

In a previous chapter we have described certain instruments called ammeters, which are capable of indicating the number of amperes of current flowing through them at any particular moment but which are unable to measure the actual quantity of electricity passed through them during any given time. In just the same way a thermometer indicates the temperature at any moment but gives no idea of the quantity of heat actually developed or absorbed. In the commercial distribution of electricity for lighting or other purposes, it is essential that a 'meter' should be provided which is capable of measuring and by some means recording the quantity of electricity supplied to any one consumer during a month or three months. The unit quantity of electricity is the coulomb, that is the amount transferred by a current of



ampere during one second ; hence an instrument such as that referred to might aptly be called a coulomb-meter.

The coulomb is, however, too small for electric lighting work, and it has been usual to employ as a unit the quantity of electricity transferred by a current, one ampere in strength, during one hour, this unit being known as the 'ampere-hour.' If, for example, a secondary cell were allowed to maintain a current of 15 amperes for  $2\frac{1}{2}$  hours, the *quantity* of electricity obtained from the cell during that time would be  $15 \times 2.5 = 37.5$  ampere-hours. But even this larger unit is somewhat small for the measurement of supply on an extensive scale. We have already mentioned the kilowatt as the practical unit of power, sometimes referred to as the Board of Trade unit of power. The Board of Trade unit, properly so-called, is a commercial unit of electrical energy, and is equal to that amount which is developed or absorbed by a current of 1,000 amperes at a pressure of one volt during one hour. It is therefore equal to 1,000 ampere volt-hours.

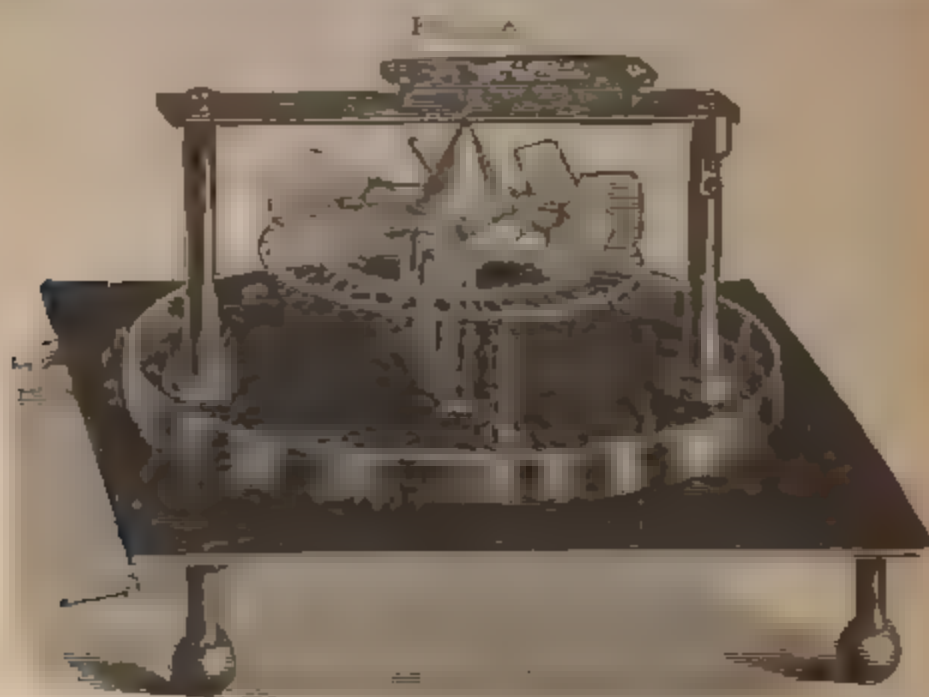
This Board of Trade unit is, then, the unit by which the electricity supplied is measured and charged. Under ordinary circumstances some piece of apparatus is introduced to indicate the number of ampere hours supplied to the consumer's lamps, and this quantity multiplied by the pressure in volts and divided by 1,000 gives the number of Board of Trade units upon which the charge is based. But it is unfortunately far from easy to measure a quantity of electricity satisfactorily on a commercial scale. In fact the instrument most urgently needed in the electrical world at the present moment is a simple, reliable, and compact quantity meter.

Many efforts have been made to produce such an instrument, and although some practical forms have been brought into use, much yet remains to be done by the usual process of development.

The simplest in principle, and perhaps also the most interesting, is that devised by Professor Forbes. It is based upon the heating effect of the current ; the instrument can therefore be made without any appreciable self-induction, and is consequently available for use with alternating currents.

The apparatus is illustrated in fig. 306. It consists of two

concentric copper rings, supported at a little distance above the base and bridged across by a number of short fine wire. The current enters at one ring and leaves it by the other, and passes through the whole of the fine wires in parallel the resistance offered by the wires being about  $\frac{1}{100}$ th of an ohm. The quantity



of heat developed in these wires affords the means of estimating the quantity of electricity which passes. When the wires become warm the heat is imparted to the adjacent air, which expands and rises, so that a continual upward current of air is maintained during the whole time that the current is flowing, the strength of the air-current varying of course with the extent to which the wires are heated. A small pillar carrying a steel needle point rises through the centre of the rings, and a thin paper cone with a ruby bearing at its apex rests on the needle point. The base of the paper cone is attached to a small horizontal mica disc, from the edge of which project eight arms made of pith, each carrying a very thin mica vane, inclined at an angle of  $45^\circ$  to the horizontal, and placed directly over the fine cross wires.

The ascending air currents caused by the passage of electricity strike against the under side of the vanes, and cause them and the paper cone to rotate, the stronger the current of electricity the

More powerful are the air currents and the greater the number of revolutions in a given time. So that it is only necessary to add some device for recording the number of revolutions in order to estimate the quantity of current which has flowed.

The apex of the paper cone consists of a small aluminium cone (to which is attached the ruby bearing above referred to) and which also carries above the apex a small steel pinion, gearing into a train of wheels as shown in the figure. The train records the number of revolutions in the ordinary manner; but it will readily be apparent that since the force which causes the rotation is so feeble, the slightest friction would be inadmissible, and the whole of the moving parts must be extremely light and delicate. In fact, beautiful as the principle is, it is to be feared that it would be difficult to develop it into a thoroughly practical instrument.

A quantity meter also based upon an interesting principle, and which in spite of many difficulties is being brought into a practical form, is that of Mr. Ferranti. We know that a conductor when placed in a certain position in a magnetic field is urged to a new position in, or entirely out of, the field, immediately a current is passed through the conductor. If any portion of the conductor is movable independently of the remainder, we can move that portion only by sending all or nearly all of the current through it. A somewhat striking case is that of a liquid conductor such as acidulated water or mercury, for we can keep the liquid continually in motion by placing the containing vessel in a powerful field, and sending a current through the liquid. If the lines of force of the field and those emanating from that portion of the liquid which is carrying the current do not happen to coincide, then that portion will be urged to a new position just as a copper wire would be, its place being taken by more of the liquid, which undergoes a similar treatment.

In Mr. Ferranti's meter, which is based upon this principle, the liquid employed is the purest obtainable mercury. This is contained in a rather shallow circular vessel, above which is placed a solenoid fitted with a hollow iron core and a sheath, so disposed as to project a very powerful field vertically through the mercury. *The current is led to the mercury at the centre of the vessel, and*

leaves it at the circumference, then passing through the magnetizing solenoid.

Now the liquid conductor is urged to move in a direction at right angles to that in which the current is flowing through it, and also at right angles to the lines of force of the field. The direction of the current is radial, and supposing the lines of force to be projected vertically downward, the liquid will rotate in a right-handed direction as viewed from above. The force with which the mercury is urged to rotate is proportional to the strength of the current flowing through it and to the strength of the fixed field. This field might be kept constant; or by employing the same current to excite the solenoid, and never allowing the iron to approach the saturation point, the field may be made to vary with the current, when the force tending to produce rotation will be proportional to the square of the current.

The mercury in rotating carries with it a light delicate float which is attached to the lower end of a light rod terminating at its upper extremity in a pinion which gears into a wheel forming part of the mechanism employed to indicate the number of revolutions made by the float. Of course the force acting is very small, and any appreciable friction would seriously affect the indications, but it appears probable that the difficulties will be overcome and the instrument brought into practical use.

The meter which, up to the present, has been most extensively employed is based upon the electrolytic properties of the current and possesses the advantage that no delicate mechanism need be employed in connection with it. When a current is passed through a solution containing a metal, such as nitrate of silver or sulphate of copper, the solution is decomposed and the metal which it contained is deposited on the wire or strip of metal by which the current leaves the liquid. Such a wire or strip by which the current leaves or enters the liquid is called an electrode. Suppose, for example, a solution of nitrate of silver with silver electrodes to be employed, then pure silver would be deposited from the solution upon that electrode by which the current leaves. Moreover, an exactly equal quantity of silver would be dissolved from the other electrode; this might easily be proved by weighing before and after the passage of a current, for it would be found that the

uring one second; hence an instrument such as that might aptly be called a coulomb-meter.

coulomb is, however, too small for electric lighting work, been usual to employ as a unit the quantity of electricity

by a current, one ampere in strength, during one hour, being known as the 'ampere-hour.' If, for example, a cell were allowed to maintain a current of 15 amperes hrs, the *quantity* of electricity obtained from the cell at time would be  $15 \times 25 = 375$  ampere-hours. But

larger unit is somewhat small for the measurement of an extensive scale. We have already mentioned the

the practical unit of power, sometimes referred to as of Trade unit of power. The Board of Trade unit,

-called, is a commercial unit of electrical energy, and is at amount which is developed or absorbed by a current

mperes at a pressure of one volt during one hour. It is equal to 1,000 ampere-volt-hours.

oard of Trade unit is, then, the unit by which the elec-plied is measured and charged. Under ordinary cir-

s some piece of apparatus is introduced to indicate the ampere-hours supplied to the consumer's lamps, and

ity multiplied by the pressure in volts and divided by the number of Board of Trade units upon which the

ased. But it is unfortunately far from easy to measure of electricity satisfactorily on a commercial scale. In

strument most urgently needed in the electrical world ent moment is a simple, reliable, and compact quantity

fforts have been made to produce such an instrument, gh some practical forms have been brought into use,

remains to be done by the usual process of develop-

in principle, and perhaps also the most interesting by Professor Forbes. It is based upon the

current; the instrument can therefore be used with variable self-induction, and is consequently

ating currents.

ted in fig. 306. It consists of 100



The first experiment is to determine the resistance of the liquid in the cell. This is done by measuring the voltage across the cell and the current through it. The voltage is measured with a voltmeter and the current with an ammeter. The resistance is then calculated from the ratio of the voltage to the current. The second experiment is to determine the resistance of the external circuit. This is done by measuring the voltage across the external circuit and the current through it. The resistance is then calculated from the ratio of the voltage to the current. The third experiment is to determine the resistance of the internal circuit. This is done by measuring the voltage across the internal circuit and the current through it. The resistance is then calculated from the ratio of the voltage to the current.

The first experiment is to determine the resistance of the liquid in the cell. This is done by measuring the voltage across the cell and the current through it. The voltage is measured with a voltmeter and the current with an ammeter. The resistance is then calculated from the ratio of the voltage to the current.

The second experiment is to determine the resistance of the external circuit. This is done by measuring the voltage across the external circuit and the current through it. The resistance is then calculated from the ratio of the voltage to the current. The third experiment is to determine the resistance of the internal circuit. This is done by measuring the voltage across the internal circuit and the current through it. The resistance is then calculated from the ratio of the voltage to the current.

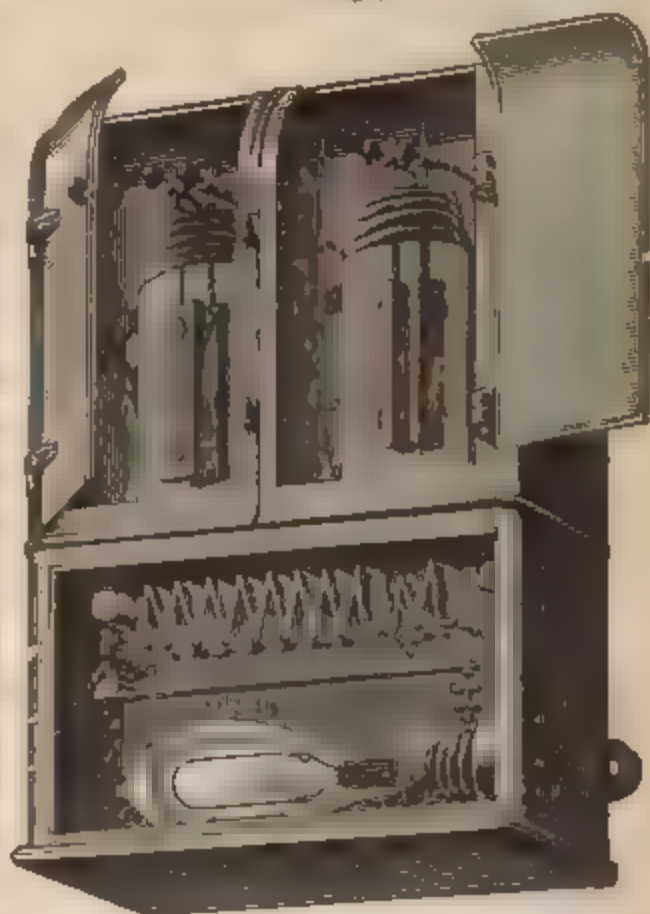
But the temperature variations alter the resistances sufficiently to cause errors in the results. A rise in temperature increases the resistance of the liquid, but increases that of the external and internal conductors which is shunted by the cell. Both these effects tend to cause an increase in the proportion of the current passing through the meter, and such variations must be taken into consideration.

Moreover, the temperature may fall low enough to freeze the liquid. A very low external resistance which is the cause of the error in the first experiment, or, rather, makes the meter register lower than it should do, care must be taken to so place these parts as to avoid leading the consumer into temptation. For such

reasons the terminals of a meter should never be exposed, nor any other facilities given for short-circuiting the apparatus.

The practical form of the Edison meter, as fitted for use in a simple circuit, and in which these difficulties are overcome, is illustrated in fig. 307. At the bottom of the case is an incan-

F.G. 307.



descent lamp, which is automatically thrown into circuit whenever the temperature approaches the freezing point, and so keeps the solution from freezing. Above the lamp is placed a stout zigzag strip of German silver, which is joined up in the main circuit. It offers but little resistance, and since its temperature coefficient is small, this resistance varies but slightly through ordinary changes. Above this strip two cells are placed, each containing two zinc plates immersed in a sulphate of zinc solution. The zinc is deposited at a definitely faster rate in one cell than in the other, and an additional check obtained by comparison of the two cells. The difference in the rate of deposition is effected by causing one cell to bridge a larger portion of the German silver strip than the other; the dividing terminal is seen in the figure at the end of the second bend from the right. The most important of the possible sources of error is that due to the temperature variation of the resistance of the liquid. This is compensated for and the resistance of the cell circuit kept constant in a very simple manner. When the temperature rises the resistance of the liquid *decreases*, but the resistance of a metal (copper for instance) *increases*. A spiral of copper

is placed in series with each cell, of such a resistance that with a given rise in temperature the resistance of the spiral increases just so much as the resistance of the liquid is decreased. These spirals are placed behind the cells and are not visible in the figure.

In the smaller meters (and latterly in larger ones) only one cell is employed, the resistance of the German silver strip being about 0.001 ohm.

The meter is placed in the circuit of one of the mains feeding the heating lamps in which the electricity consumed is required to be measured.

For installations on the three-wire system two separate German silver strips with a cell or a pair of cells to each are provided, one strip being placed in each main.

The variation of the resistance of the German silver strip caused by temperature changes is not sufficient to introduce any great error. As a rule its resistance is  $\frac{1}{100}$  that of the cells and compensating wire, so that the cell measures  $\frac{1}{100}$  of the total current passing through the main circuit. The plates are weighed once a month.

The method of throwing the heating lamp in circuit when the temperature falls too low is simple and ingenious. One terminal of the lamp is connected to one of the mains, and its other to a small contact stud placed just above the holder. Above this stud is another contact, carried at the end of a long straight compound metal strip, which is fixed at the other end (to the left in the figure) and connected to the other main. The strip is formed of two metals, which expand or contract unequally when the temperature is varied. Under ordinary circumstances the two contact studs are kept apart; but when the temperature falls the compound strip bends or curls downward, and the adjustment is such that contact is made and the lamp thrown in circuit when the temperature approaches within two or three degrees of freezing point.

# INDEX

[Every dash ( ) stands for a word in the line preceding it.]

## ACC

**REGULATORS.** *See* Secondary Cells  
 solution for secondary cells, density  
 480  
 meters, 481  
 p., local, 60  
 next conductors, mutual action be-  
 tween currents in, 82, 402, 446, 617  
 treatment of brushes, 288, 407  
 pump, mercury, Geissler, 535  
 — heated, 554  
 — short-fall, 544  
 — Sprengel, 537  
 — Swinburne, 542  
 pumps, 535  
 mechanical, as an aid to mercury  
 pumps, 538  
 mercury, device for arresting mer-  
 cury vapour, 539  
 — Gimmingham, 539  
 — McLeod's pressure-gauge for,  
 540  
 — objections to simple, 538  
 rate current dynamos, 230  
 — De Meritens, 248  
 — Ferranti, 258  
 — Kapp, 252  
 — Morley, simple form, 245  
 — Morley Victoria, 264  
 — Siemens, 255  
 — Wheatstone, 244  
 — with rotating field, 264  
 motors, 438  
 — method of starting large, 438  
 rotating and continuous current arc  
 lamps, 505  
 rotating currents, apparatus for mea-  
 suring, 114, 126  
 potential differences, apparatus for mea-  
 suring, 179, 200  
 saturation, rate of, in transformers, 455  
 — — Morley's experiments, 456  
 motors. *See* Alternate Current  
 dynamos  
 parallel, 269, 439  
 — Morley's experiments, 439  
 used as motors, 438  
 gamma-ray, 62  
 meter, Ayton and Perry, 115  
 concentric iron disc, 128  
 washed, 122

## ARM

Ammeter, graded, Sir W. Thomson, 118  
 — Schuckert, 120  
 — Société des Téléphones, 127  
 steel-yard, 127  
 Ammeters, electro-magnetic, 120  
 gravity, 120  
 Ampere, the, 22  
 Ampere-hour, 615  
 Ampere-turns, 125, 206, 295, 350  
 Ampere-yards, 206  
 Angle of lead, 286, 353, 407  
 Arc, consumption of carbons, 474, 523  
 — counter e.m.f. of the, 498  
 — Davy's experiments, 492  
 — disintegration of carbons, 495  
 — formation of carbons, 493  
 — impurity of carbons, 497  
 — temperature of carbons, 495  
 — volatilisation of carbons, 497  
 lamp, Brockie Pease, 519  
 — — Brush, 511  
 — — Crompton and Child, 515  
 — — Giffiths, 505, 523  
 — — Jacobshoff, 501  
 — — Phoenix, 518  
 — — Pilsen, 506, 507  
 — — Satter, 521  
 — — Werdermann, 503  
 — lamps, 492  
 — — alternating and continuous current,  
 505  
 — — c.p. per h.p., 500  
 — — classifications of, 503  
 — — differential, 505, 506  
 — — effect of gases, 500  
 — — feeding arrangements, 505  
 — — for focussing, 504  
 — — parallel and series, 503  
 — — steady resistance, 504  
 Armature (common parallel), 275  
 core, lamination of, 242  
 — effect of, 274  
 — cylinder form, 317  
 — drum, 289  
 — Gramme, 283  
 — — as a transformer, 451  
 — losses in, 375  
 — — — Morley's experiments, 376  
 — magnet, effect of, 92  
 — open-coil, 381





## COM

com tests for E.M.F., 164  
 of terrestrial magnetism, 94  
 and dynamo, the, 303, 313  
 rve for, 313  
 of cells, testing, 169  
 tivity, electro-magnetic, 87  
 commercial copper, 18  
 res and non-conductors, 9  
 579  
 laying, 578  
 potential in, 581  
 rvy currents, 576  
 r, 602  
 Energy in, 444, 577  
 rad, 588  
 of, 578  
 ground, 419, 429, 593  
 Northfleet, 428  
 Mall, 595  
 of Holroyd Smith's, 418, 427  
 tion of energy, 88  
 cell, definition of, 47  
 t current dynamos, 352, 389, 395  
 gulation, Brush, 389  
 Goolden, 325  
 Statter, 352  
 Thomson-Houston, 395  
 tion of carbons in the arc, 494,  
 523  
 in cells, 79  
 us and alternate current arc  
 523  
 on of electricity into heat and  
 light, 526  
 — mechanical power, 402  
 conductivity of commercial, 18  
 electro-magnet, 214  
 dimensions of, 219  
 87  
 leakage of lines of force across a,  
 the, 22  
 E.M.F. of the arc, 498  
 batteries, 466  
 motors, 404  
 moment of a, 96  
 . 95  
 on dynamo, 351  
 rrah arc lamp, 515  
 a device for arresting mercury  
 c, 539  
 rrp, 556  
 nature of a, 3  
 density, 487  
 strength, 21  
 measurement of, 82, 435  
 ical unit of, 22  
 apparatus for measuring alter-  
 t, 114, 126  
 ratus for measuring large, 109  
 , 241, 375, 457, 457  
 nometer for weak, 170  
 adjacent conductors, mutual effects  
 12, 402, 446, 617  
 of force developed by, 83  
 larging, for secondary cells, 479  
 rging, for secondary cells, 482  
 al characteristic, 308

## DYN

Curve of compound dynamo, 312  
 — — series dynamo, 305  
 — — shunt dynamo, 310  
 Curves, characteristic, 304  
 — E.M.F., 278  
 — horse-power, 306  
 magnetisation, 214  
 Cut-out for series incandescent lamp  
 Bernstein, 552  
 — — — — — Edison, 555  
 — — — — — Goldston, 555, 613  
 Cut-outs, 609  
 DANIELL cell, 56  
 — — Muirhead's form, 63  
 — — — — — standard, 64, 108, 164  
 De Meritens alternator, 248  
 Decanation, magnetic, 94  
 Density, current, 487  
 Density of acid solution for secondary  
 cells, 480  
 Detector, inman's, 128  
 Differential arc lamp, the, 505, 506  
 — galvanometer, 138  
 Diffusion of liquids, 59  
 Dip, magnetic, 94  
 Direct-current dynamo, Battersea, 373  
 — — — — — Brush, 381  
 — — — — — Crompton, 351  
 — — — — — Edison, 336  
 — — — — — Edison-Hopkinson, 336  
 — — — — — Goolden, 317  
 — — — — — Kapp, 332  
 — — — — — Manchester, 343  
 — — — — — Paris and Scott, 347  
 — — — — — Phoenix, 328  
 — — — — — Statter, 352, 432  
 — — — — — Thomson-Houston, 391  
 — — — — — Victoria, 364  
 Direct-current dynamos, 270  
 Direction of lines of force, 84  
 Discharge, electric, 3  
 Discharging curve for secondary cells, 482  
 Dispersion photometer, 572  
 Distortion of field, 285, 407, 417  
 Distribution, 579  
 — by transformers, 461  
 Drake and Gorham's experiments with  
 secondary cells, 479  
 Drum armature, the, 289  
 Dynamo, compound, 303, 313  
 — — — — — curve of, 312  
 — — — — — limitation to power developed by, 296  
 — — — — — power absorbed by, 297, 350  
 — — — — — series, 295  
 — — — — — curve for a, 303  
 — — — — — regulation of a, 299  
 — — — — — shunt, 300  
 — — — — — curve for a, 310  
 — — — — — small, with steel magnets, 139  
 Dynamos, alternate current. *See* Alternate  
 Current Dynamos  
 — direct current. *See* Direct Current  
 Dynamos  
 — efficiency of, 230, 322  
 — experiments with, 316, 334, 352, 355,  
 375, 433





171

071

Measurement of luminosity of  
lamps, 573

— — resistance, 573

Measuring a reversing current,  
for, 514, 516— alternating potential difference,  
573Large currents, apparatus for  
Mechanical power, conversion of  
573, 575

Magnetism, the, 573

Magnetic power, see Air Pump

Meters, the, alternating, 573

Meters, expansion of by heat, 573  
of the alternating current, 573

Meters, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

Meters, the, 573

## PAC

Potts teeth, 348, 362  
 bel, alternators in, 269, 419  
 d series arc lamp, 503  
   — incandescent lamps in, 551  
   — motors in, 428, 432  
   — transformers in, 461  
 mature coils in, 275  
 rebits, 24, 138  
 rking, 580  
 telogram of forces, 94  
 mentizing, 531  
 and Scott dynamo, 347  
 me lamp, 566  
 andard, 564  
 nent magnets. *See* Magnets  
 eability, 202  
 ix dynamo, 328  
 mp, 518  
 meter, Ayrton and Perry's disper  
 sion, 572  
 usen grease spot, 570  
 arley universal, 574  
 sheby, 574  
 umford shadow, 569  
 ameters, 569  
 ametry, 557  
 -wires, 582, 602  
 n lamp, 506, 507  
 & cell, 469  
 n, expansion of secondary, 484  
 oid, 16  
 mni, melting-point of, 610  
 y, necessary features of, 32  
 aturation, 115, 214  
 isation, 46, 466  
   strength of magnet, 93  
   for overhead work, 589  
 lve direction of lines of force, 84  
 itial, 5  
 ference, 13  
   alternating, apparatus for measuring,  
   179, 200  
 ll of, in a battery, 80  
   — — conductors, 581  
 tiometer, 175  
 r absorbed by dynamo, 297, 350  
 veloped by dynamo, limitations to,  
 296  
 use of, in conductors, 577  
 ical unit of current quantity, 22, 614  
 its, 12  
 e, W. H., on secondary cells, 487,  
 ure-gauge, McLeod's, 540  
 ry batteries, 43  
 ry cell, definition of, 43  
 tion of luminous to other rays, 573  
 n. *See* Air Pumps  
 rrry meters, 614  
 ctical unit of current, 22, 614  
 : of alternation in transformers, 455  
 orking in a motor, 411  
 tion by secondary cells, 488, 582,

## SEC

Regulation constant current, 325, 352, 389,  
 395  
   — motor, 408  
   — of series dynamo, 299  
   — — transformers, 461  
 Regulator, Brush, 389  
   — Goolden, 323  
   Thomson-Houston, 395  
 Residual magnetism, 296  
 Resistance, 13  
   — boxes, 31  
   — coils, 28  
   — effect of heat upon, 18  
   — — inductivities upon, 17, 579  
   — frames, 36  
   — fundamental laws, 19  
   — insulation, 158, 597  
   — internal, of battery, 74, 135  
   — measurement of, 131  
   — — — differential method, 141  
   — — — — internal, 136, 137  
   — — — — of secondary cells, 138  
   — — — — substitution method, 133  
   — — — — with tangent galvanometer, 134  
   — — — — Wheatstone bridge, 143  
   — of carbon, 499  
   — specific, 16, 17  
   — steadying, for arc lamps, 504  
 Retentivity, 89, 216  
 Return, earth, 6, 420  
 Rheostat, 34  
 Ring armature, Gramme, 283  
   switch, 604  
 Rumford shadow photometer, 569  
 SAFETY devices for transformers, 462  
 Saturation-point, 115, 214  
 Scale, tangent, 102  
 Schuckert ammeter, 120  
 Screen, Methven, 561  
 Secondary cells and batteries, 466  
   — — applications of, 487  
   — — automatic alarm for, 490  
   — — — switch for, 489  
   — — boiling in, 479  
   — — buckling of plates in, 483  
   — — capacity of, 485  
   — — charging curve for, 479  
   — — chemical reactions in, 472  
   — — colour of plates in, 481  
   — — current density, 487  
   — — density of solution, 480  
   — — devices for fixing pastes, 473  
   — — discharging curve for, 482  
   — — Drake and Gorham's experiments,  
   479  
   — — durability of plates, 484  
   — — efficiency, 486  
   — — Kilwell Parker type, 477  
   — — E.M.F. of, 479  
   — — E.P.S. types, 474  
   — — — table of, 477  
   — — expansion of plates, 484  
   — — hydrometers for, 481  
   — — insulators for, 475  
   — — leakage, effect of, 483  
   — — output of, 489





## TRA

regulation of, 461  
 its of, 449  
 dices for, 464  
 tion in, 461  
   parallel, 461  
   of energy, 402, 444, 576  
 new secondary cells, 483, 486  
 states, 1  
 mutator, 371

nd mains, 419, 479, 595

Trade, 615  
 ile, 93  
 30  
 57  
 mental and derived, 40  
 12  
 otometer, 574  
 69

oration of, in incandescent  
 44

ng, 545  
 in, 535  
 otometer, 452  
 110, 311  
 lternator, 274  
 of carbons, 447

## ZIN

Volt, the, 12  
 Voltmeter, 467  
 Voltmeter, Ayres and Perry's low-read-  
   ing, 190, 461  
 — Cardew, 179  
 — low-reading, 189  
 — Faversham, 197  
   Thomson, electrostatic, 198  
 Voltmeters, electro-magnetic, 195  
   joining up, 195

Wall socket, 608  
 Waste of power in conductors, 444, 577  
 Watt, the, 39  
 Weak currents, galvanometer for, 170  
 Welding, transformer for, 452  
 Wernicke lamp, 503  
 Wheatstone alternator, 244  
 — bridge. See Bridge  
 Winding electro-magnets, various methods  
   of, 210  
 Woodhouse and Rawson switches, 605  
 Work, unit of, 41  
 Wrought- and cast iron for field magnets  
   294

Zinc, consumption of, in cells, 79  
 — carbon cell, 47  
 — slabs for dynamo bedplates, 328



1. The first part of the document is a list of names and dates, followed by a section of text.











NOV 17 1954

